Prof. Ing. Dario Pozzetto

Department of Engineering and Architecture – University of Trieste

Via Valerio, 10 –34127 Trieste – Tel: 040.558.3805 / 7982 Fax: 040.558.3812

E-mail: pozzetto@units.it

INDUSTRIAL PLANTS

Chapter twenty:

Elevators

DOUBLE DEGREE MASTER IN "PRODUCTION ENGINEERING AND MANAGEMENT"

SEAT OF PORDENONE UNIVERSITY OF TRIESTE

The **bucket elevators** are continuous transport systems for be used for lifting the bulk materials are not excessively large or vertically to a height such that the transport belt is not able to overcome.

Diffused for the transport of bulk materials in vertical, are realized elevations of the material even of tens of meters. The bucket elevators are the most common systems for the filling of the storage silos or for the raising of the raw materials in process plants in where the handling of the materials takes place later by gravity (for example the mills).

A bucket elevator is a relatively simple system, consisting of two wheels connected by a system of chains (one or two) or belt to which are placed the buckets for the transport of the material.

Bucket elevators: general scheme and application

Of the two wheels, the upper one is the drive wheel, so that the tensile force is exerted directly on the length of chain or belt more loaded. On the lower wheel (moved) the system is placed a chain tensioner or tensioner, which allows to maintain in pull the chain or belt, recovering any play that are generated. The system to tensioner or chain-tensioner can be to screw or to spring. In systems to screw, the game is retrieved by the action of an adjusting screw (figure), while in that to spring, the action of the spring allows to keep the system constantly with the degree of required traction.

The power supply of the material is continuous in the area or the lower base of the elevator. The buckets can be filled directly from the feed material in falling or fills the entire feeding zone and exploiting the progress of the digging bucket. The first power supply system is suitable for conveyors with a high number of buckets, while the second type to elevators of the longer pitch, which are adapted for materials with high sliding, ad example materials that fall with ease. If you adopted with materials with a low slip, materials that are difficult fall, such ad example as cement, it may have significant problems of feeding the buckets.

The buckets can be placed close together (continuous bucket elevators) or variable distances (bucket elevators spaced) and they are made of welded plate or cast steel or light alloy.

The discharge of the material can occur in two main ways:

- **for centrifugation of the material**

The speed of rotation of the drive wheel is such as to ensure that the material, due to the centrifugal force to which it is subjected, is affected by a real launch exhaust;

- **for fall of the material**

The force of gravity prevails on the centrifugal force, and the material is discharged by gravity, falling on the back of the blade immediately preceding. By suitable anchoring systems of the bucket you can avoid this phenomenon. Finally in some cases the discharge of the material is facilitated by tilting the elevation system.

The pitch of the elevator influence the coefficient of filling of the bucket, since the greater the pitch, the greater will be the filling. The discharge takes place by centrifugation, while in other cases is by gravity; elevators with a greater number of cups are characterized by discharge of the material on the cup immediately preceding.

The speed of the bucket elevators mounted on chains does not exceed the 1.5 m/s (average values of 1 m/s), while in those tape does not exceed 3 m/s.

One of the issues presented handling systems for bulk materials and thus also of bucket elevators, is made by calculating the capacity and the power. He wants do the sizing a bucket elevator for the handling of gravel. The project data are:

- capacity transport $Q = 130$ t/h
- lifting height $H = 14$ m
- specific gravity apparent (of pile) $\gamma = 15686$ N/m³

Is chosen for the transport a bucket elevator interspersed with chains to bars two in number, which bind the single cup on the sides.

For the capacity the following relationship holds:

$$
Q = C \cdot \gamma \cdot \alpha \cdot \frac{v}{p} \cdot 3600
$$

where:

- $C =$ nominal capacity of the single bucket (m³), whose values are tabulated
- α = coefficient of filling of the cup. Remember that no one can fill bucket total, but this represents 70% of the nominal value for heavy and poorly flowing materials, like the case of iron
- $v =$ lifting speed of the bucket (m/s)
- $p =$ pitch between the buckets, whose values are tabulated. A big step implies a bad use of the chain with excessive localized overloads, while a small step implies a bad use of buckets with little filling.

The optimal value p is twice the height of the bucket (m)

You must set consistently the parameters C, v and p.

They are used chains to bars whose pitch ptazza must conform to the height of the bucket ptazza to avoid interference:

ptazza < 2*pcatena

To determine the pitch of the buckets we proceed iteratively according to the following procedure:

- is fixed the capacity C_i ;
- Is fixed the ptazza, which is supposed to twice the pitch of the chain pcatena;
- is proposed a coefficient of filling of the bucket α ;
- is obtains the transport speed v from the previous report, which must not exceed a fixed limit noted from table

Whose value is very close to that limit and therefore can be considered a suitable value to ensure discharge of material by gravity.

From the following table is obtained:

Comparing now with the table, that matches the experimental data on speed, distance between the buckets, diameter of the idler wheels higher, minimum size for the elevators to discharge centrifugal, the calculated speed.

If the velocity v is higher than the limit value, the calculation is repeated by changing the capacity C or pitch of the chain pcatena.

From the calculation, the value of the speed is very close to that limit and therefore can be considered a suitable value to ensure the discharge by gravity. Also as previously mentioned, the velocities of bucket elevators mounted on chains does not exceed 1.5 m/s, then the calculated value of the speed 1.34 m/s can be accepted.

From the table general, it is noted:

- length of the bucket 400 mm
- width of the bucket 200 mm
- useful height 130 mm
- maximum height 200 mm
- capacity $0,0072$ m³
- Referring to the scheme in the figure, it is determined hours the number of meshes and the pitch of the chain pcatena: weight of the metal bucket (type cast) thickness 7 mm, and weight 88 N.

The number of meshes and the pitch of the chain pcatena is determined by the relationship:

$$
p_{\textit{catena}} = D \cdot \sin \frac{\beta}{2}
$$

where:

- $D =$ diameter of the pulley
- β = angle at the center identified by the pitch of the chain

The number of teeth z of the pulley is detectable by the relation: 2

$$
z=\frac{2\cdot\pi}{\beta}
$$

One proceeds fixing the number of teeth of the pulley, $z = 6$, from which $\beta = 1,04$ rad (60°) and known the value of the pitch of the chain, it is detects the diameter of the pulley:

$$
D = \frac{P_{\text{catena}}}{\sin\left(\frac{\beta}{2}\right)} = \frac{0,150}{\sin\left(\frac{60}{2}\right)} = 0,30 \text{ m}
$$

A.A. 2017-2018 **CHAPTER 20**

The number of the meshes of chain N is given by the relation:

$$
N = \frac{2 \cdot H}{p_{\text{catena}}} + \frac{\pi \cdot D}{p_{\text{catena}}} = \frac{2 \cdot 14}{0,150} + \frac{\pi \cdot 0,30}{0,150} = 192
$$

With this value of the number of meshes N varies the distance between the pulleys, ad example the difference in height H, and then the new value is:

$$
H = \frac{N \cdot p_{\text{catena}} - \pi \cdot D}{2} = \frac{192 \cdot 0,150 - \pi \cdot 0,30}{2} = 14 \ m
$$

The number of buckets will be:

$$
N_{t} = \frac{N \cdot p_{\text{catena}}}{D} = \frac{192 \cdot 0,150}{0,30} = 96
$$

Because the material can be launched, the speed of the elevator must be such that: 2

$$
m \cdot \frac{v^2}{R_{puleggia}} > m \cdot g
$$

where:

 $m =$ mass of the material transported;

Rpuleggia = radius of the pulley.

It is noted:

$$
\frac{1,19^2}{0,242} = 9,83 > 9,81
$$

The speed is sufficient to ensure the launch of the material and then the appropriate drain of the elevator, which allows to verify the relationship inherent in the effects of centrifugal and gravitational ones.

It must therefore carry out the verification on the resistance of the chain.

The effort acting on a chain during the ascending phase is due to the following contributions:

- the weight of the chain;
- the weight of the buckets divided between the two chains in the ascending phase;
- the weight of the material along the ascending portion insistent divided between the two chains;
- the forces of friction of the moving parts (pins for reference junction mesh), which assume proportional to the axis in motion;
- the frictional forces during the loading phase.

The tension is the sum of these contributions, you must add the tension obtained with a counterpoise applied to the pulley for reference.

The counterweight is needed to balance the shot in the act of the loading, while the moment of resistance is opposed to the rotation of the pulley for reference and without counterweight this would be dragged away.

a) weight of the chain

The weight of the chain is found known that both the linear mass of the chain, that is detectable by the table from which we get:

$$
\rho=1,90\ kg/m
$$

For which the weight of the chain is:

$$
R_1 = p \cdot H = 1.9 \cdot 14 = 26.6 \text{ kg} = 260 \text{ N}
$$

 $p =$ weight of the chain = 1,9 kg/m

 $H =$ difference in level of lift

The tension is the sum of these contributions, you must add the tension obtained with a counterpoise applied to the pulley for reference.

b) weight of the buckets

Given that the mass of the single buckets is obtained from table m $_{\text{tazza}} =$ 9 kg for buckets spaced-type molten, is obtained:

$$
R_2 = \frac{H}{d} \cdot (P + P') = \frac{14}{0.3} \cdot 9 = 420 \text{ kg} = 4116 \text{ N}
$$

where:

 $H =$ difference in level of the elevator P' = weight of a bucket with his attack (9 kg)

d = pitch between two subsequent bucket

The tension is the sum of these contributions, you must add the tension obtained with a counterpoise applied to the pulley for reference.

c) weight of the material

Assuming that there are only two buckets on the upper pulley and consider only the ascending branch, it has:

$$
R_3 = \frac{H}{d} \cdot (P + P') = \frac{14}{0.3} \cdot 11,52 = 538 \text{ kg} = 5380 \text{ N}
$$

where:

 $H =$ difference in level of the elevator

 P = weight of material transported from a bucket (11,52 kg)

d = pitch between two subsequent bucket

The tension is the sum of these contributions, you must add the tension obtained with a counterpoise applied to the pulley for reference.

d) friction due to the motion

Part of the moving masses have already been calculated, however, lacks the mass of the pulleys to be shared between the two branches. The mass of the pulley is assumed to be to m_{pulegge} = 200 kg. Assuming a coefficient of friction $f = 5\%$:

where:
$$
R_4 = f \cdot (p_{\text{catena}} + P_{\text{taze}} + P_{\text{materiale}} + P_{\text{pulerge}})
$$

$$
P_{pullege} = \frac{m_{pulerge} \cdot g}{2} = \frac{200 \cdot 9,81}{2} = 981 \text{ N}
$$

whereby:

$$
R_4 = 0.05 \cdot (260 + 4116 + 5380 + 981) = 536 \text{ N}
$$

The tension is the sum of these contributions, you must add the tension obtained with a counterpoise applied to the pulley for reference.

e) friction in the loading phase

The resisting force at the time of loading is assumed, by appropriate experiments and taking into account the possibility that the material in the loading becoming jammed between the buckets and the external structure, equal to:

$$
R_5 = 1,4 \cdot Q = 1,4 \cdot \frac{13000}{3600} = 505 \text{ N}
$$

f) tension on the lower court to ensure the support of the chain on the pulley

$$
R_6 = 0,1 \cdot (R_1 + R_2 + R_3 + R_4 + R_5) = 0,1 \cdot (260 + 4116 + 5380 + 981 + 451 + 505) = 1169 \text{ N}
$$

The tension is the sum of these contributions, you must add the tension obtained with a counterpoise applied to the pulley for reference.

g) tension acting on the chain

The total tension acting on a chain that is:

 $T = (R_1 + R_2 + R_3 + R_4 + R_5 + R_6) = (260 + 4116 + 5380 + 981 + 451 + 505 + 999) = 12692$ *N*

From the above table is calculated for the chain used a breaking load T^r = 27000 N, for which the safety coefficient of the chain is of 2.45

The tension is the sum of these contributions, you must add the tension obtained with a counterpoise applied to the pulley for reference.

h) dimensioning of the motor

It must take into account the maximum capacity of buckets, which is: - maximum load uphill F1:

$$
F_1 = 14.11,52 \cdot \frac{0,7}{0,3} \cdot 9,81 = 3760 \text{ N}
$$

- frictions
$$
F_2 = R_2 = 46
$$
 kg

- stress load $F_3 = R_3 = 51$ kg

$$
F = F_1 + F_2 + F_3 = (376 + 46 + 51) \cdot 9,81 = 4730 \text{ N}
$$

Power to the tree: this is the power that must be available to the drive pulley (upper pulley):

$$
P_{albero} = F \cdot 9,81 \cdot \frac{v}{1000} = 6,21 \ kW
$$

To determine the power to be supplied by the electric motor engaged for the rotation of the upper pulley Pmotore, must be taken into account:

- the performance of the transmission system η trasmissione = 0,95;
- a coefficient of increase $\epsilon = 4/3$, why is it that the engine works at $\frac{3}{4}$ of its maximum power;
- the performance of the electric motor η elettrico = 0,8. whereby:

$$
P_{\text{motor}} = \frac{P_{\text{albero}}}{\eta_{\text{transmissione}}} \cdot \varepsilon = \frac{6,21}{0,95} \cdot \frac{4}{3} = 8,71 \text{ kW}
$$

The power line will provide power Pelettrica equal to:

$$
P_{elettrica} = \frac{P_{motoree}}{\eta_{elettrico}} = \frac{8,71}{0,92} = 9,47 \, kW
$$

Considering a system with three-phase mains with voltage $V = 400$ V, assuming a power factor $cos\varphi = 0.95$, there is a current I equal to:

$$
I = \frac{P_{elettrica}}{V \cdot \cos \varphi \cdot \sqrt{3}} = \frac{9470}{400 \cdot 0.95 \cdot \sqrt{3}} = 7.94 A
$$

Rotating and fixed bucket elevators

The **rotating bucket elevators** movement the bulk materials in the horizontal and vertical.

At appropriate intervals, two chains bear the buckets, that can rotate at the point of discharge by means of a suitable device of reversal.

They are heavy and expensive and are often replaced by those **with fixed buckets** in which the loading/unloading are easier.

The latter, function as a normal in vertical bucket elevators and as conveyors at scraper shovels as in horizontal.

Elevator at slingbars or paternoster

They consist of two chains (or two cables), a series of pairs of upper wheels and a lower part, a series of slingbars (shelves) at constant intervals, which bear the materials to be handled, and a motor assembly on the pair of upper wheels.

They are suitable for the continuous handling of cassettes vertically, boxes, packages etc.

The loading and unloading of materials is carried out by hand or automatically with appropriate devices in different planes.

The elevator in certain cases can have an intermediate storage between a working and another, while in other cases it may be installed in cooking ovens or drying or other thermal treatment plants.

Are employed velocity around the 6 - 15 m/minute inversely proportional to the weight of loads.

Elevator at slingbars or paternoster

The potential of transport Q is very variable, and is given by the relation:

$$
Q = k \cdot p \cdot \frac{P \cdot v}{d}
$$

where:

- k = constant that dependent on the units of measurement used
- $P =$ shipping weight of each slingbar
- $v =$ speed of the elevator
- $d =$ pitch between the slingbars
- $p =$ coefficient of utilization average of the slingbars (≤ 1)

The strain on the chains tracting is calculated in the same manner of the bucket elevators. Similar is the determination of the absorbed power.

Elevator at slingbars or paternoster

Special elevators

Adopted at the constant lifting of boxes, packages, boxes etc. are the vertical-lift-veyor or veyor or escaveyor.

Special elevators

A belt or rollers conveyor feeds the shelves with packages moving of the elevator (blinds shutters or bars of support). When the movable shelves arrive in the highest position, discharge the load on another conveyor and, invert the motion, they return in the position of the lower load.

Special elevators

The lift-veyor may perform uphill, downhill or in both directions.

The distance between the movable shelves depends on the size of the load more cumbersome.

The potential can reach 8 to 10 pieces or units of load per minute, weighing over 2 tons.