

# **A**GENDA

- Rationale of mutual funds
- Performance measures: NAV
- Types of mutual funds

### RATIONALE OF MUTUAL FUNDS

Impressive **exponential growth** in the last decades closely linked with their competitive advantage:

- liquidity of investments
- access to securities sold at large-denominations
- diversification also for small invested capitals
- affordable fees Vs huge transaction costs



· cheap and quick transferability of funds



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# RATIONALE OF MUTUAL FUNDS Recurring structure Board of directors Sets funds' policy Oversees activities Investment advisor Principal UW Other service providers Manages the portfolio Deals in fund's shares Accountants Either internal (sometimes through a depository bank) romotion or external Agents Otherwise, like investing in stocks: • periodic earnings (sometimes) · capital gains (mostly)

# **PERFORMANCE MEASURES**

Main tool for evaluating funds' performance:

- MARKET VALUE OFASSETS LIABILITIES NUMBER OF SHARES
- · represents the current purchase or selling price
- tracks the generic performance over time

However other measures exist, since we are interested in:

- · Funds' risks
- Specific performance of an investor
- Funds that "overperform" the market
- ...

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### **PERFORMANCE MEASURES**

• Sharpe's ratio 
$$SR = \frac{r_P - r_f}{\sigma_P}$$

• Modigliani's ratio 
$$M = \frac{r_p - r_f}{\sigma_p} \sigma_m$$

 $Treynor = \frac{r_p - r_f}{\beta_P}$ 

Different «risk» measures: absolute and relative st.dev., beta (relative market volatility), downside risk

• Treynor's ratio

$$Sortino = \frac{r_p - r_f}{DSR}$$

Effective performance based on individual choices: net in/outflows and average invested

amounts

MWRR

$$MWRR = R(t_0, T) = \frac{V(T) - V(t_0) - F}{\overline{V}(t_0, T)}$$

• Tracking error  $TE = \sigma_{r_p - r_B}$  St. dev. of differences in returns from benchmark

### **TYPES OF MUTUAL FUNDS**

Among several potential cathegories, a few emerge:

- close-end:
  - mutual funds' shares are fixed in number at the initial offering
  - withdrawals and new investments are not possible
  - entering/exiting only finding somebody willing to exit/enter

#### •open-end:

- new investors can get new shares, buy-back/liquidation option
- the fund has a variable number of shares

#### **Example**

In 2016 Germany had:

- 3.500 closed-end funds, AUM 83 bln €
- 6.000 open-end funds, AUM of 1.800 bln €

Why?

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## **TYPES OF MUTUAL FUNDS**

Main investment target:

- equity funds: aiming at current income (dividends), capital gains or a combination (i.e. total return funds)
- bond funds: government, corporate, currency, maturity, ...
- money market funds: short-term, versatile and cheap
- hybrid funds: stocks and bonds together
- index funds: passive management (f.i. ETFs, ETCs, ...)
- hedge funds: seeking pricing anomalies from predicted paths, often unregulated and/or offshore, longer term to cope with higher risk, frequent use of leverage



# **TYPES OF MUTUAL FUNDS**

#### Fee structure:

- load funds: commissions are paid to intermediaries up-front reducing the investment
- deferred load funds: fees are charged when leaving the fund, usually with declining % (redemption fee)
- no-load funds: sold directly with no entry/exit charges



Several other fees exist:

- costs of switching between complexes and families
- periodic administrative or similar fees
- income **sharing** features
- ...

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### **EXAMPLES**

1. Two mutual funds differ for their costs: Fund 1 has a 6% upfront fee and running fees for 1%. Fund 2 has a 4% final fee and running fees for 1.2%. Assuming a return of 10%, which one performs better for the investor in 5, 10, 15 and 20 years? What if the gross return starts at 5% and grows every year by 0.5%? What if the gross return starts at 7.5%, grows every year by 0.5% until it reaches 11%, then a market shock pushes it back to -10% for 1 year, -5% for another year, and then to 5% growing again at a 0.5% pace?

$$FV_{1} = (1 - ef_{1}) \cdot (1 + i - rf_{1})^{t}$$
  
$$FV_{2} = (1 + i - rf_{2})^{t} \cdot (1 - ff_{2})$$

	Fund 1	Fund 2
5 y	1.45	1.46
10 y	2.23	2.23
15 y	3.42	3.40
20 v	5 27	5 10

$$\begin{split} FV_1 &= (1 - ef_1) \cdot \prod_{h=1}^t (1 + i_h - rf_1) \\ FV_2 &= \prod_{h=1}^t (1 + i_h - rf_1) \cdot (1 - ff_2) \end{split}$$

	Fund 1 A	Fund 2 A	Fund1 B	Fund 2 B
5 y	1.20	1.23	1.35	1.38
10 y	1.72	1.76	1.48	1.51
15 y	2.77	2.83	1.89	1.93
20 y	5.00	5.10	2.71	2.77















