









| THEORIES OF ER: LONG RUN | |
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| <u>Theory of purchasing power parity (PPP)</u> Law of one price: two countries producing the same good with negligible transportation costs and trade barriers should price them at the same | |
| level ER between two currencies change to reflect changes in price levels of the two related countries | |
| If price levels rise in one country, its currency depreciates and others appreciate | |
| Real ER (rate of exchange between national and foreign goods) are representative of currency's relative cheapness or expensiveness, therefore PPP predicts RER close to 1 across all currencies | |
| PPP works in the long run due to its strong hypothesis: goods are perfect substitutes, all goods can be traded internationally and transportation/trade barriers are negligible | |
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| THE INTEREST PARITY CONDITION | |
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| Frequently used relationship between IR and ER | |
| • If domestic assets earn <i>i</i> ^D and foreign assets <i>i</i> ^F (no capital gains), comparison of earnings requires currency conversion | |
| Returns in terms of foreign currency should consider expectations over future appreciation/depreciation of domestic currency (where <i>E</i> is the usual foreign Vs. domestic ER) : | |
| $R^{D}(F) = i^{D} + \frac{E_{t+1}^{e} - E_{t}}{E_{t}} \text{proxy of} R^{D}(F) = i^{D} \cdot \frac{E_{t+1}^{e}}{E_{t}} + \frac{E_{t+1}^{e} - E_{t}}{E_{t}} \text{for} \frac{E_{t+1}^{e}}{E_{t}} \approx 1$ | |
| • Relative returns in terms of foreign currency, i.e. the difference between domest and foreign returns, are: Relative $R^{D}(F) = i^{D} - i^{F} + \frac{E_{t+1}^{c} - E_{t}}{E_{t}}$ | ic |
| • Returns in terms of domestic currency and relative returns in terms of domestic currency, are straightforward: | |
| $R^{F}(D) = i^{F} - \frac{E_{t+1}^{e} - E_{t}}{E_{t}} \rightarrow \operatorname{Rel.} R^{F}(D) = i^{D} - \left(i^{F} - \frac{E_{t+1}^{e} - E_{t}}{E_{t}}\right) = i^{D} - i^{F} + \frac{E_{t+1}^{e} - E_{t}}{E_{t}} = \operatorname{Rel.} R^{D}(F)$ | |
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| Examples | |
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| On 1st February 2013 the ER was 1.3644 \$/€. If on 1st April the € depreciated by 6%, what was the new ER? What in terms of €/\$? IR in Europe are 4% and in the US are 2.5%. Due to the interest parity condition, what is interested by the second s | |
| what is expected to happen to the rate of appreciation of the foreign currency (US)? | |
| 1. $1.3644 \cdot (1-6\%) = 1.2825$ 1/1.3644 = 0.7329 $1/1.2825 = 0.7797$ $(0.7797 - 0.7329)/0.7329 = 6.38%$ | |
| 2. $i^{D} = i^{F} - \frac{E_{t+1}^{e} - E_{t}}{E_{t}} \rightarrow -\frac{E_{t+1}^{e} - E_{t}}{E_{t}} = 4\% - 2.5\% = 1.5\%$ | |
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| | Examples | |
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| Foreign E number o 1y IR in JF allowed t What is tl What if th | R and IR can provide interesting investing opportunities and their differences convey a of trading strategies. The most common is carry-trade. PY are 0.2%, whereas in EUR are 2.5%; the investor has only 20,000 € available but is o raise other 80,000 € (1:5 leverage). The result of a basic carry-trade with stable ER at 133.26 yen/€ (current)? The ER moved from 133.26 to 115 (similar to 2009-2010)? | |
| Long: Short: Net result: | $100,000 \cdot (1+2.5\%) = 102,500 \in$ $100,000 \cdot 133.26 \cdot (1+0.2\%) = 13,352,652Y \rightarrow 13,352,652/133.26 = 100,200 \in$ $102,500 - 100,200 = 2,300 \in \rightarrow 2,300/20,000 = 11.5\% = (2.5\% - 0.2\%) \cdot 5$ | |
| Income: Costs: Net result: | $100,000 \cdot (1+2.5\%) = 102,500 \in$ $100,000 \cdot 133.26 \cdot (1+0.2\%) = 13,352,652Y \rightarrow 13,352,652/115 = 116,110 \in$ $102,500 - 116,110 = -13,610 \in \rightarrow -13,610/20,000 = -68\%$ | |
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