

# LEZIONE 7-8

3

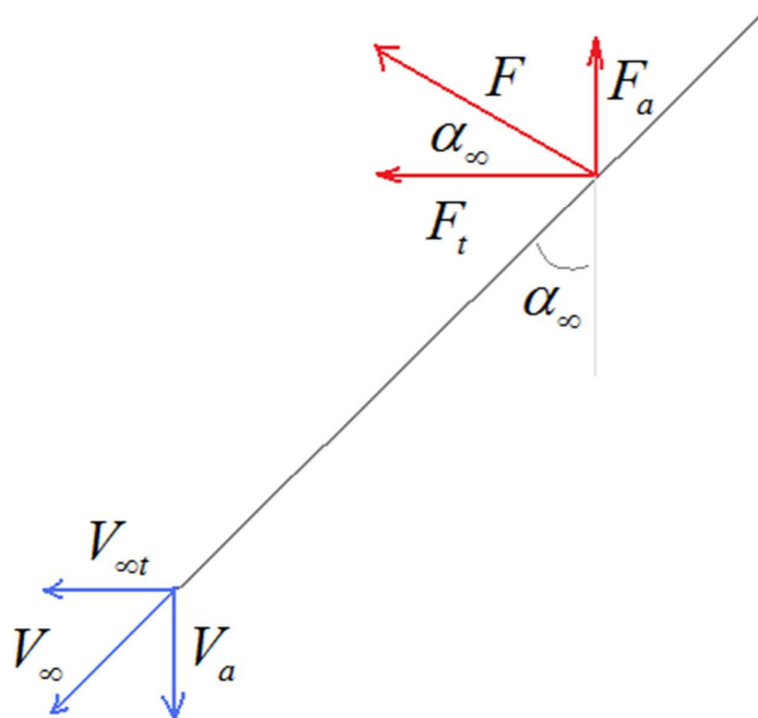
# Schiere di pale

$\Delta p_0 = 0$  ipotesi perdite nulle

$$F_a = s\rho V_{\infty t} (V_{2t} - V_{1t})$$

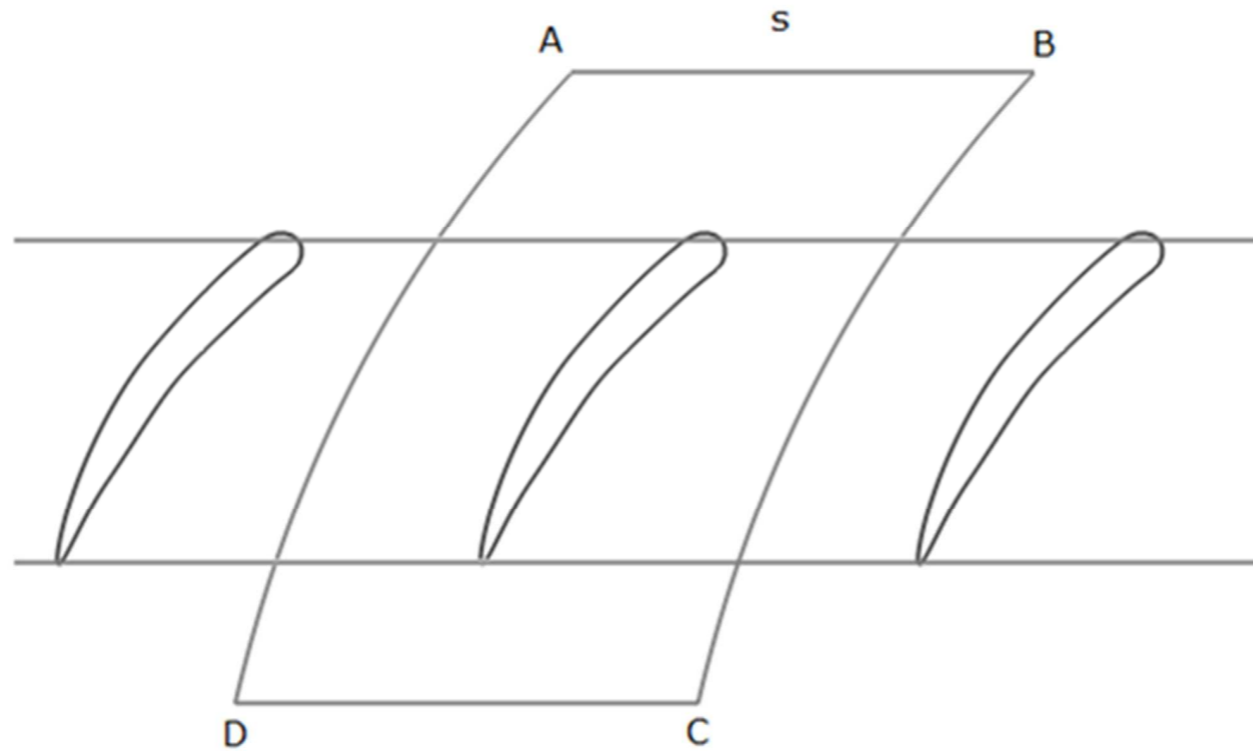
$$F_t = s\rho V_a (V_{1t} - V_{2t})$$

$$\frac{V_{\infty t}}{V_a} = -\frac{F_a}{F_t} = \tan \alpha_{\infty}$$



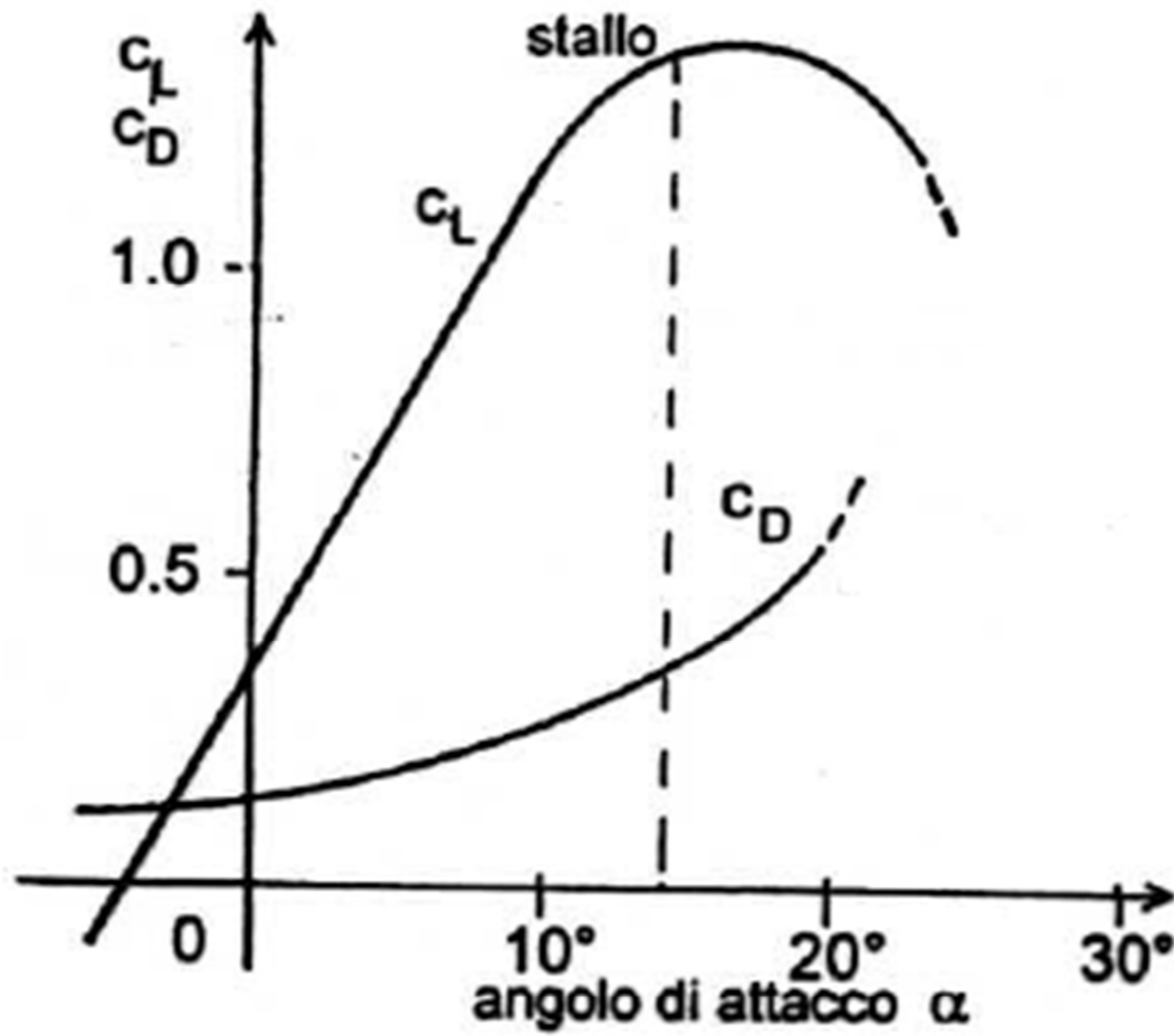
$$F = \frac{F_t}{\cos \alpha_{\infty}} = \rho \frac{V_a}{\cos \alpha_{\infty}} s (V_{1t} - V_{2t}) = \rho V_{\infty} s (V_{1t} - V_{2t}) = L$$

# Schiere di pale

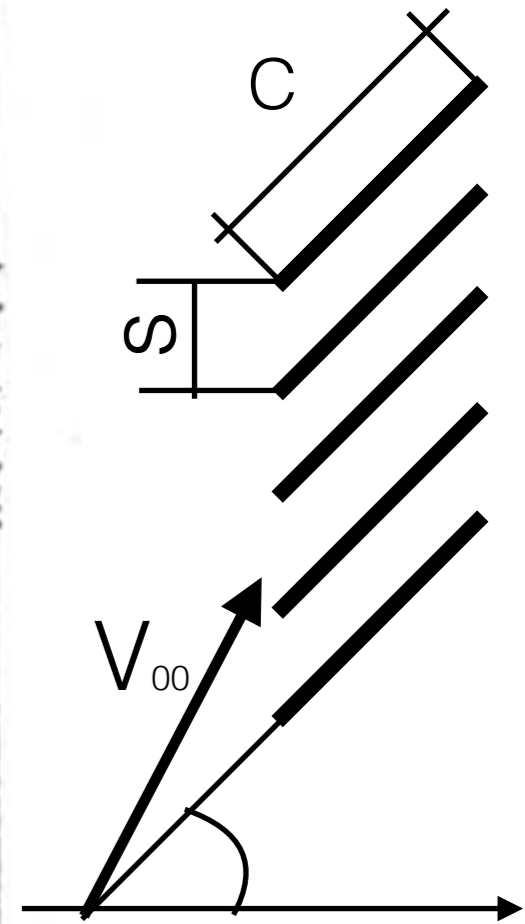
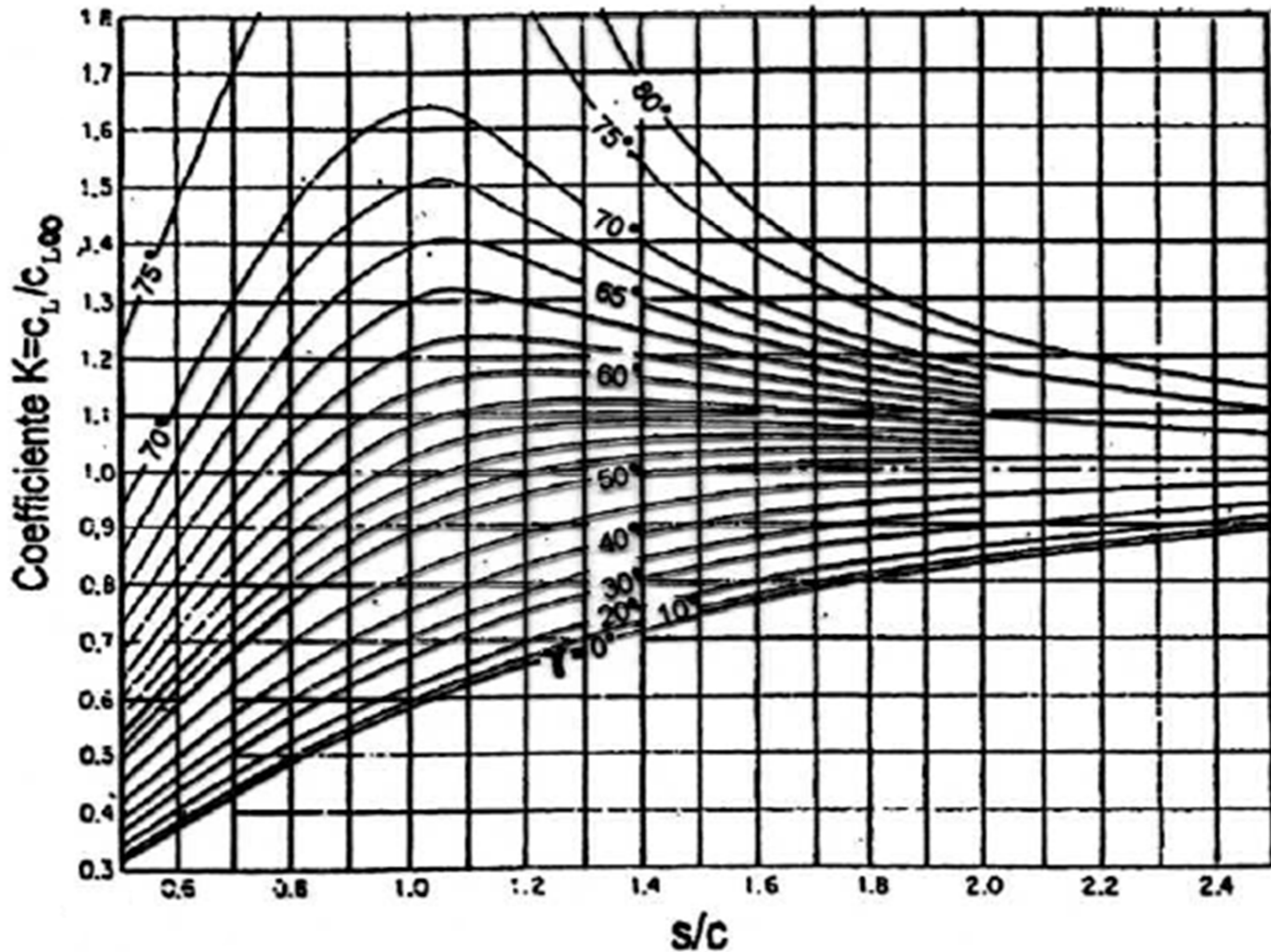


$$\Gamma = s(V_{1t} - V_{2t}) \quad \rightarrow \quad L = \rho V_{\infty} \Gamma$$

# Effetto schiera sulle prestazioni del profilo



# Effetto schiera sulle prestazioni del profilo



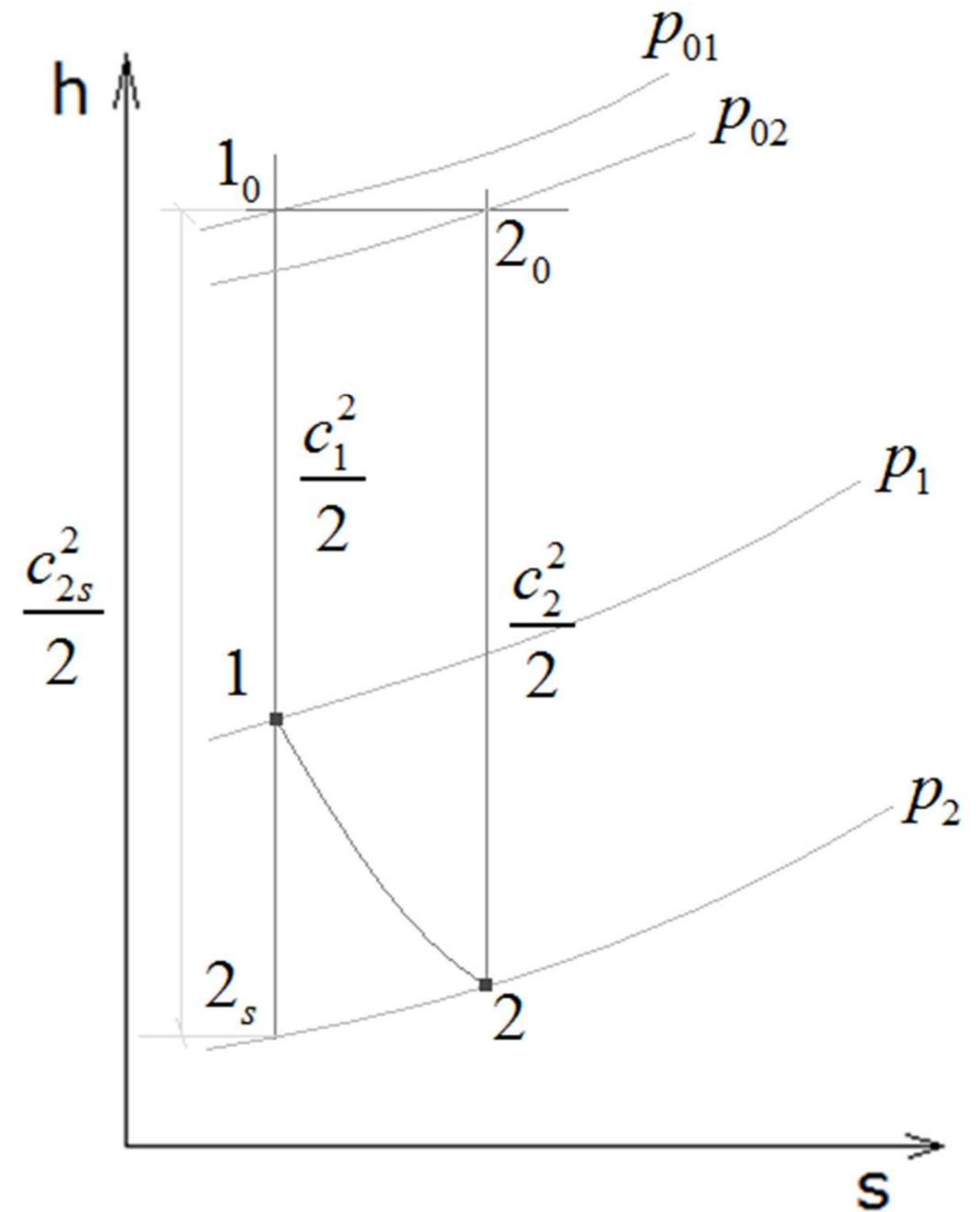
# ugelli e diffusori

Distinguiamo due casi:

- 1) Nell'elemento abbiamo un incremento di velocità a spese di una riduzione di pressione. Questi saranno gli *ugelli*.
- 2) Nell'elemento l'energia cinetica diminuisce ed aumenta la pressione. Questi saranno i *diffusori*.

ugelli

$$\eta_{is} = \frac{h_1 - h_2}{h_1 - h_{2s}} = \frac{\frac{c_2^2}{2} - \frac{c_1^2}{2}}{\frac{c_{2s}^2}{2} - \frac{c_1^2}{2}} = \frac{c_2^2 - c_1^2}{c_{2s}^2 - c_1^2}$$



# ugelli

(Ma < 0,3)

$$p_{01} = p_1 + \frac{1}{2} \rho c_1^2 \quad \rightarrow \quad c_1^2 = \frac{2}{\rho} (p_{01} - p_1)$$

$$p_{01} = p_2 + \frac{1}{2} \rho c_{2s}^2 \quad \rightarrow \quad c_{2s}^2 = \frac{2}{\rho} (p_{01} - p_2)$$

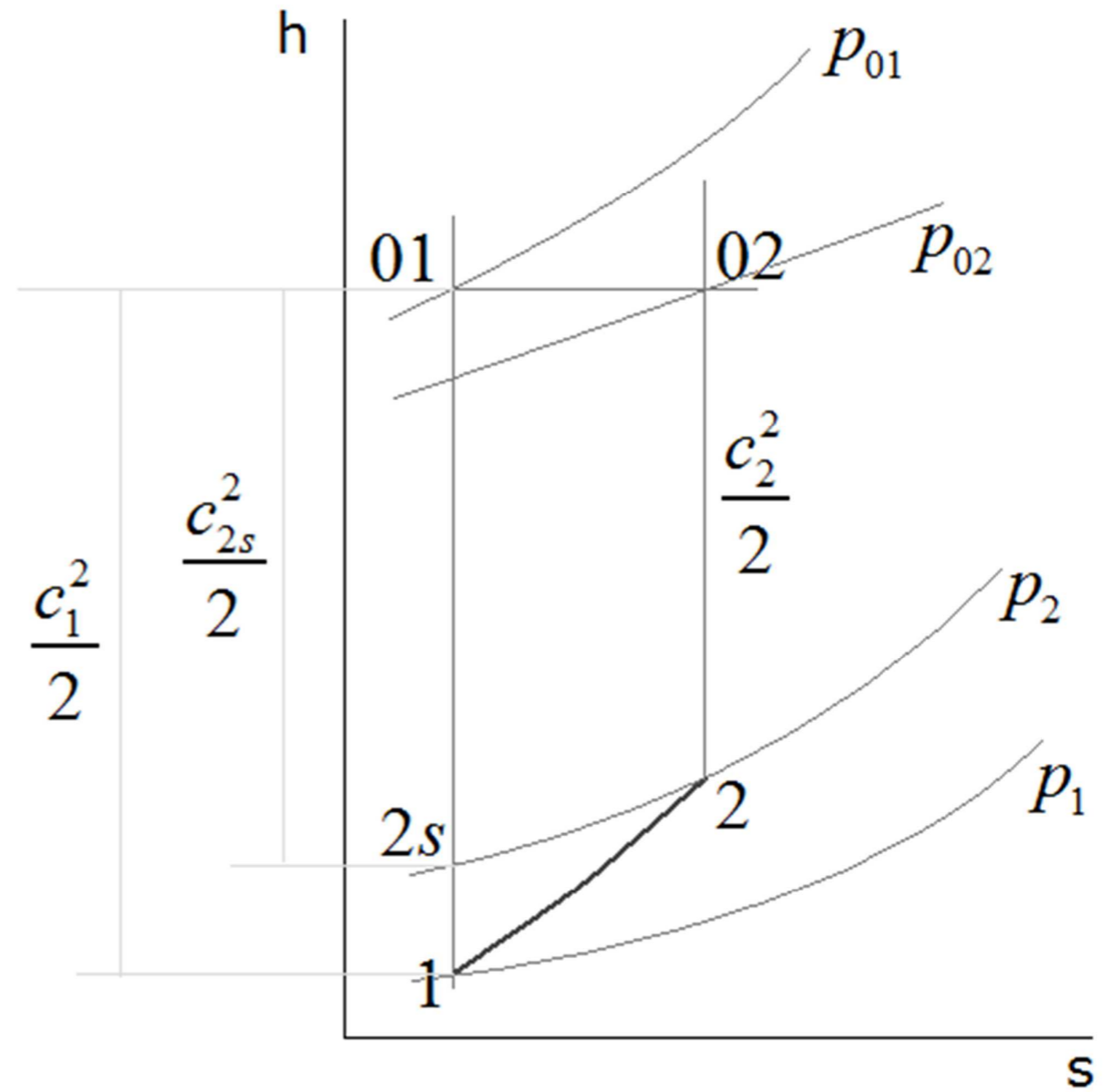
$$p_{02} = p_2 + \frac{1}{2} \rho c_2^2 \quad \rightarrow \quad c_2^2 = \frac{2}{\rho} (p_{02} - p_2)$$

$$\eta_{is} = \frac{p_{02} - p_2 - (p_{01} - p_1)}{\cancel{p_{01}} - p_2 - (\cancel{p_{01}} - p_1)} = \frac{p_{02} - p_2 - (p_{01} - p_1)}{p_1 - p_2} = 1 - \frac{\Delta p_0}{p_1 - p_2}$$



# Diffusori

$$\eta_{is} = \frac{h_{2s} - h_1}{h_2 - h_1} = \frac{c_1^2 - c_{2s}^2}{c_1^2 - c_2^2}$$



# Diffusori

(Ma < 0,3)

$$\eta_{is} = \frac{p_{01} - p_1 - (p_{01} - p_2)}{p_{01} - p_1 - (p_{02} - p_2)} = \frac{p_2 - p_1}{p_2 - p_1 + (p_{01} - p_{02})} = \frac{1}{1 - \frac{\Delta p_0}{p_2 - p_1}}$$

coeff. recupero di pressione:  $c_p = \frac{p_2 - p_1}{p_{01} - p_1}$

# Diffusori

(Ma < 0,3)

Legame tra  $c_p$  e  $\eta_{is}$

$$\eta_{is} = \frac{p_2 - p_1}{p_2 - p_1 + (p_{01} - p_{02})}$$

$$\frac{1}{\eta_{is}} = \frac{p_2 - p_1 + (p_{01} - p_{02})}{p_2 - p_1} = \frac{p_{01} - p_1 - (p_{02} - p_2)}{p_2 - p_1} = \frac{1}{c_p} - \frac{p_{02} - p_2}{p_2 - p_1}$$

$$c_{pi} = \frac{p_2 - p_1 + (p_{01} - p_{02})}{p_{01} - p_1}$$

# Diffusori

(Ma < 0,3)

$$p_2 = p_{02} - \frac{1}{2} \rho c_2^2$$

$$p_1 = p_{01} - \frac{1}{2} \rho c_1^2$$

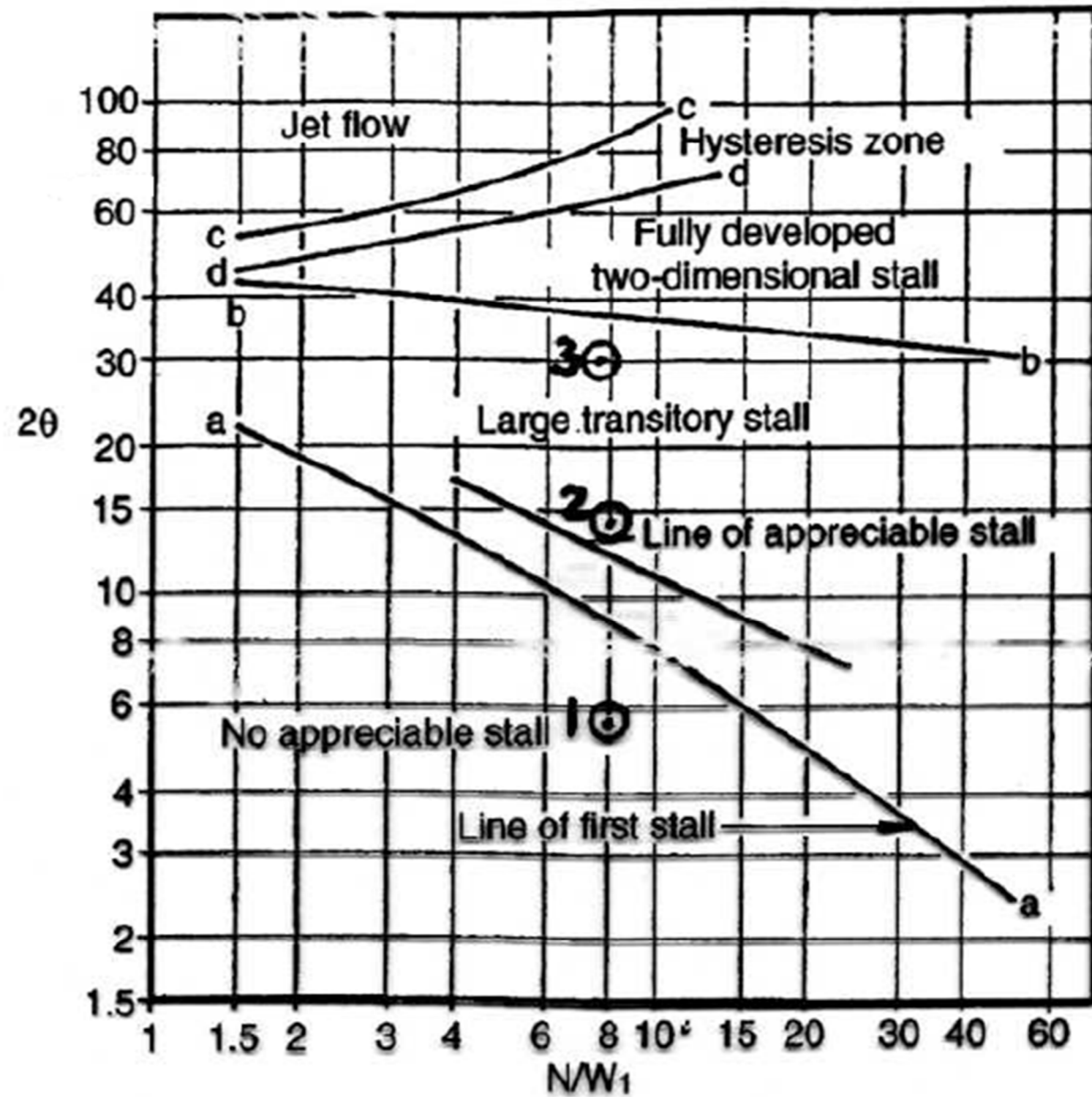
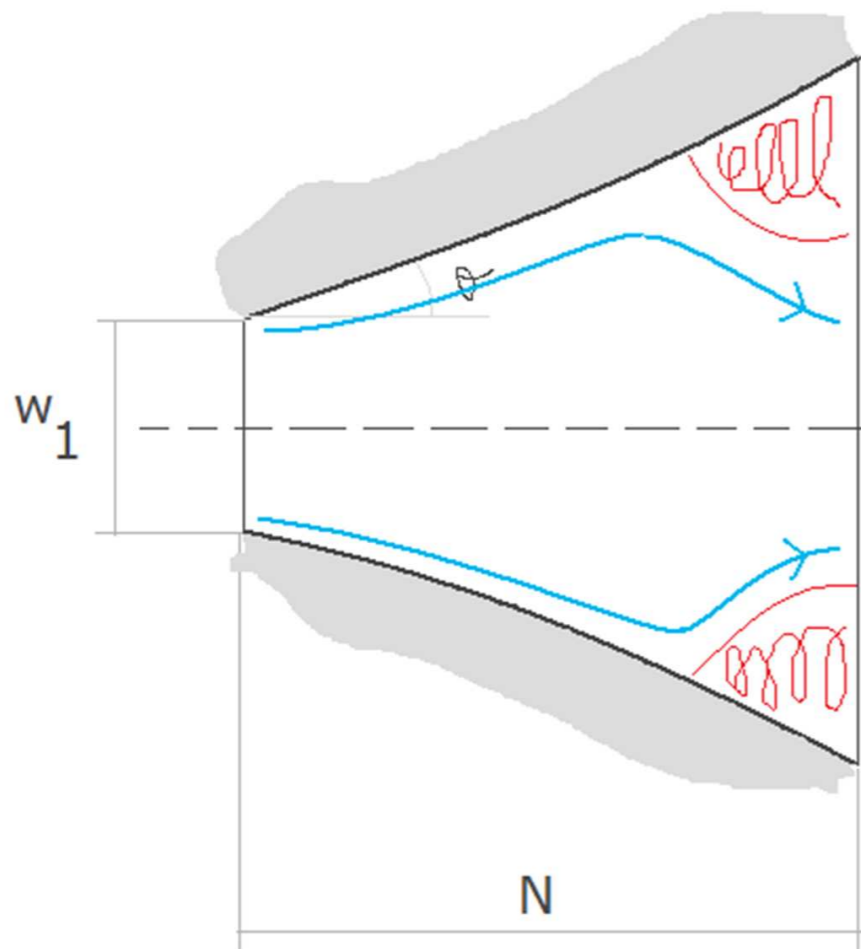
$$c_{pi} = \frac{c_1^2 - c_2^2}{c_1^2} = 1 - \left( \frac{c_2}{c_1} \right)^2 = 1 - \left( \frac{A_1}{A_2} \right)^2 = 1 - \frac{1}{A_R^2}$$

# Diffusori

*Legame tra  $c_p$ ,  $\eta_{is}$  e  $c_{pi}$*

$$\frac{c_p}{c_{pi}} = \frac{p_2 - p_1}{p_{01} - p_1} \cdot \frac{p_{01} - p_1}{(p_2 - p_1) + (p_{01} - p_{02})} = \eta_{is}$$

# Diffusori



# Diffusori

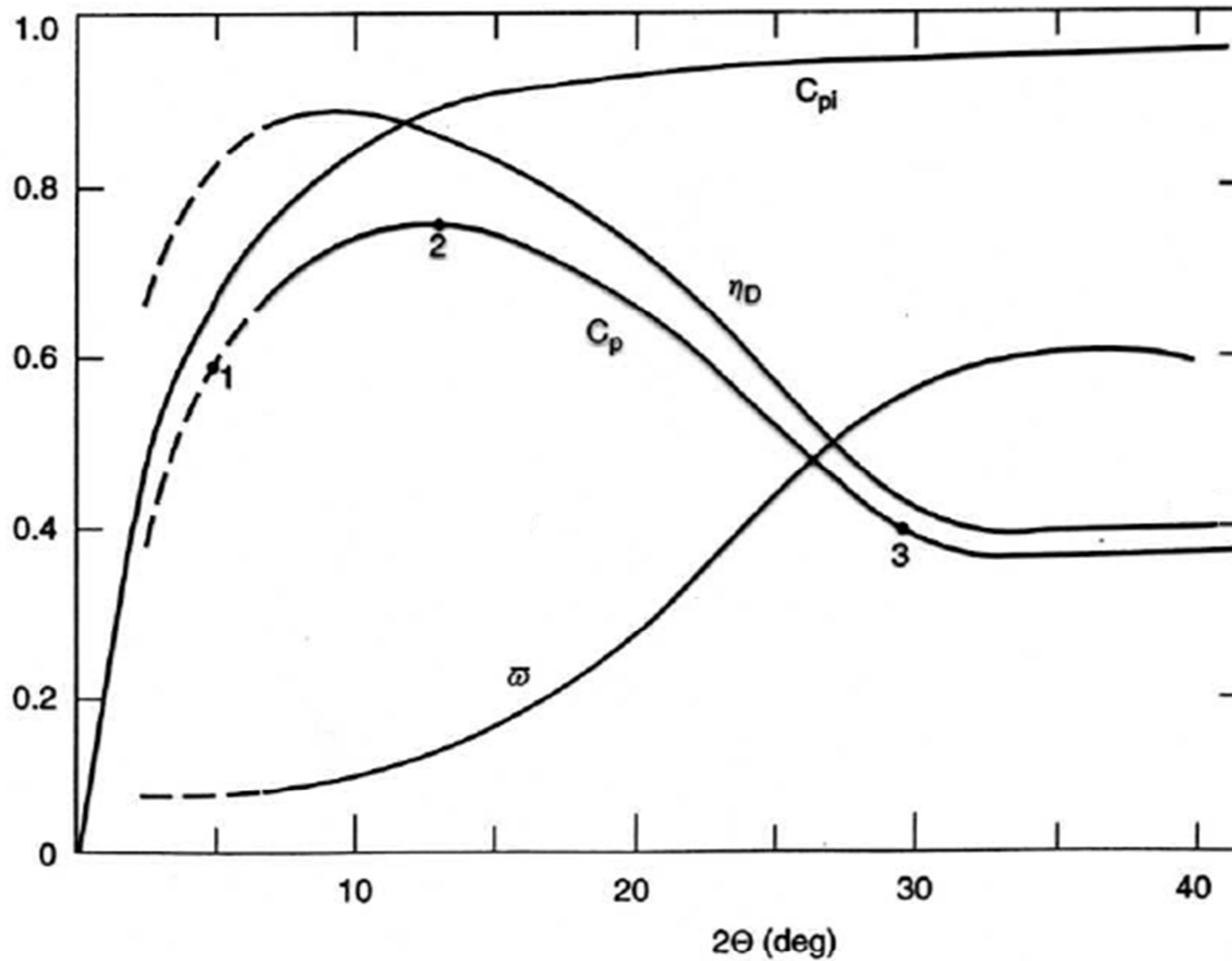


FIG. 2.16. Typical diffuser performance curves for a two-dimensional diffuser, with  $L/W_1 = 8.0$  (adapted from Kline *et al.* 1959).

[https://www.youtube.com/watch?  
v=JhIEkEk7igs&list=PL0EC6527BE871ABA3&index=8](https://www.youtube.com/watch?v=JhIEkEk7igs&list=PL0EC6527BE871ABA3&index=8)