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Ammonius and the Seabattle Texts, Commentary, and Essays



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Ammonius and the Seabattle Texts, Commentary, and Essays

Edited by Gerhard Seel

In collaboration with Jean-Pierre Schneider and Daniel Schulthess

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Part I

Preliminaries

Acknowledgements Explication of the Terminology and Symbols List of Symbols List of Principles and Formulas

I.1 ACKNOWLEDGEMENTS

This book is the fruit of a long lasting co-operation of scholars from different countries who contributed to it either directly or by their most helpful advice. The work started more than ten years ago when the "Centre d'études de la pensée antique et médiévale" at the university of Neuchâtel set out to translate Ammonius' commentary on *De interpretatione* 9 into French. The scholars who participated in this endeavour were F. Brunner, W. Spoerri, A. Schneider, D. Schulthess, G. Seel, B. Decorvet, J.-P. Schneider and A.-S. Cochand. To give a fresh impulse to this enterprise, the founder and first president of this research-centre, Fernand Brunner, organised in 1989 a workshop to which he invited D. Blank, P.-L. Donini, M. Erler, D. O'Meara, M. Mignucci and R. Sorabji. From this time on these scholars were associated with our task and all contributed to it in one way or the other.

I should mention especially D. Blank, M. Mignucci and R. Sorabji. The latter was not only prepared to discuss with me special problems whenever I needed advice, but he wrote also a penetrating criticism of my articles that led to considerable improvements. M. Mignucci wrote a most valuable contribution to this volume and moreover he was a constant philosophical companion for more then ten years from whom I learnt many logical subtleties and clarifications. When CEPAM began the work on the French translation D. Blank was preparing his translation of Ammonius' entire commentary on *De Interpretatione* which is now published in the series 'Ancient Commentators on Aristotle' edited by R. Sorabji. So it was quite natural and most profitable for both sides to work hand in hand. The English version of Ammonius' text published in this volume is in fact a revision of D. Blank's translation made by J.-P. Schneider and myself. I thank D. Blank, R. Sorabji and the publisher G. Duckworth for their generous permission. I should also thank D. Blank for translating my articles into English and for so many helpful discussions.

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I am especially grateful to G. Bayer who translated my commentary from French to English. His philosophical understanding of the matter was of great help when I formulated the final version of the commentary.

I should like to thank the editors of 'Peripatoi', W. Kullmann, R. Sharples and J. Wiesner who accepted this volume for this series and made many helpful criticisms and suggestions. R. Sharples deserves special thanks for making the final corrections and creating the layout of the volume. The typing was done by B. Wallmark, the bibliography and the indices were put together by D. Scheidegger and H. Plüss, the English of my introduction was checked by M. Ruskin. We received a financial aid from the Swiss National Foundation (FNS). I thank all of them.

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Bern, May 2000

Gerhard Seel

I.2 EXPLICATION OF THE TERMINOLOGY AND SYMBOLS

While the problems treated by Ammonius are extremely complex, he uses a language—ordinary Greek, enriched with philosophical terms—which is far from adequate to this complexity. The result is that important statements in his text are ambiguous. The interpreter, however, must be able to express these different meanings in a differentiated way. For this reason we introduce here a language modelled on the modern formal languages of sentence and modal logic. So the purpose of the symbolism we introduce is neither to provide a formal reconstruction of Ammonius' theory nor to symbolise Ammonius' own theses, but rather to allow a clear formulation of our interpretation of his theory and possible alternative interpretations in terms of contemporary logic.

It is a feature of the Greek language that an expression which assigns a predicate to a subject also qualifies the state of affairs described thereby as a fact, i.e., it says that this state of affairs is the case. In order to avoid ambiguity, however, one must allow these two operations (the attribution of properties and the assertion of facts) to be carried out by two different expressions. Therefore, we use the small letters a, b, c, etc. to symbolise states of affairs, while operators consisting of one or two capital letters C, CC, NC, etc., when they are attached to symbols for states of affairs, indicate that the state of affairs is the case or is the case in a certain mode.

Modes play a large role in the problems treated by Ammonius. He expresses these modes by means of adverbs (e.g. $\dot{a}va\gamma\kappa ai\omega_{\zeta}$), prepositional phrases (e.g. $\dot{e}\xi$ $\dot{a}v\dot{a}\gamma\kappa\eta_{\zeta}$), or constructions with modal substantives and infinitives. Since these are modalisations of something's being the case, we express these modes by pairs of capital letters, e.g. PC (it is possibly the case that) or NC (it is necessarily the case that), which are added to expressions for states of affairs so that modal sentences such as PCa or NCb arise. To express that a state of affairs is really the case, i.e., for the mode of reality, we use the double capitals CC. In contexts without time indices, we write C as an abbreviation for CC.

The Greek language also has another source of ambiguities. For a predicate expression accomplishes another function in addition to those already mentioned: it indicates the time (relative to the speech-act) at which the state of affairs is the case. This indication is ambiguous in several respects: 1) it is ambiguous because of the relativity regarding the time of the speech-act. Since in written formulations of the sentences the speech-act is not identified, written sentences are in principle ambiguous in this respect; 2) the past and future inflections of verbs contain—because of the relativity regarding what is in each case the present time

Part I: Preliminaries

of the speech-act-not one, but two indications of time, the second of which concerns not a point of time, but a period of time; 3) because of the ambiguity of the copula, it is undecided whether these time indications represent a temporal characterisation of the state of affairs itself or whether they delimit the time at which the state of affairs is the case. To remove these ambiguities, we attach time indices to the modal operators. In this way we can express that the time of the mode and the time of the being the case are different. The expression 'N_rC·a', for example, says that at time t' it is necessary that the state of affairs a is the case at time t". I should emphasise, however, that in expressions with time indices and in expressions without time indices we deal with two different kinds of states of affairs. We may characterise the latter as an entity that either is the case or is not. In order to fulfil this condition the description of the state of affairs must include temporal determinations. On the other hand, a state of affairs that belongs to the former kind does not include any temporal determination. Therefore one can not characterise it as an entity that either is the case or is not. It rather is an entity that at each moment either is the case or is not the case. Thus the expressions Ca and $C\tau_1 b$ can be used to state the same fact in different ways. Whenever the different ways of stating a fact are irrelevant for the argument we use the term 'proposition' and the symbols X, Y, Z instead of either of the former expressions and the symbols P, Q, R for variables of propositions (cp. Mario Mignucci's article).

Ammonius uses the expression $\pi \rho \hat{a} \gamma \mu a$ to signify facts or states of affairs. He has a raft of expressions to speak of sentences, the items which are the subject of the debate: απφαντικός λόγος, λόγος, απόφανσις, πρότασις, etc. In our commentary we use 'sentence' (assertive sentence) for all these expressions. In Mario Mignucci's article, however, the term 'proposition' is used as well. Only in contexts where it is important to distinguish type-sentences from token-sentences do we use 'sentence' for the former and 'statement', 'assertion', utterance' for the latter. It must be stressed, however, that Ammonius understands the items in question as tokens and not as types (cp. our article in this volume). Thus, he is dealing with individual speech events. We form names for these speech events by putting the symbols for facts or modalised facts in angle brackets. In certain sentences, however, beside the names of these speech events, we also need sentences which say that the speech event took place at a certain point in time. In order to form these sentences, we add a time index to the expressions in angle brackets; [Cp]t therefore means that [Cp] was uttered at time t'. Using the names of sentences we also form another group of expressions, which ascribe a certain truth-value to those sentences. [Cp] is thus the name of an expression, while $[Cp]_{t'}$, T[Cp] and T[Cp]_{t'} are expressions about that expression. For a detailed list see the table of formulae which follows.

I.3 LIST OF SYMBOLS

a, b, c	constants for states of affairs				
p, q, r	variables for state of affairs				
~p	negation of a variable for state of affairs				
X, Y, Z	constants for propositions				
P, Q, R	variables for propositions				
[P], [Q], [R]	names of variables for propositions				
l, (k), m, n	sentence constants				
Ср	it is the case that p / p is the case				
С~р	it is the case that ~p / ~p is the case				
[Ca]	name of the sentence 'it is the case that a'				
[Cp]	name of the open sentence 'it is the case that p'				
¬Ср	it is not the case that p				
T[P]	P is simply true				
F[P]	P is simply false				
T[Cp]	the sentence 'it is the case that p' is simply true				
F[Cp]	the sentence 'it is the case that p' is simply false				
T _i [Cp]	the sentence 'it is the case that p' is true in an indefinite way				
F _i [Cp]	the sentence 'it is the case that p' is false in an indefinite way				
T₄[Cp]	the sentence 'it is the case that p' is true in a definite way				
F₄[Cp]	the sentence 'it is the case that p' is false in a definite way				
ρ , σ , τ , τ_1 , τ_2 , τ_3 constants for moments of time					
t', t", t'''	variables for moments of time				
tn	now (nunc)				
tp, tf	constants for past, constants for future periods of time				
t' < t"	t' is prior to t" in time				
t′ ≤ t″	t' is prior to t" in time or is simultaneous				
t' > t"	t' follows t" in time				
S ₁ , S ₂ , S ₃ ,	constants for nodes				
Lv(S _i)	the level of the node S _i				
$Dev(S_i, S_i)$	the node S_i is a development of the node S_i				

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Ass([P], S _i)=1	the truth-value 1 is assigned to P in the node S_i
$Ass([P], S_i)=0$	the truth-value 0 is assigned to P in the node S_i
$S_i \in \mathbf{R}$	the node S_i belongs to the path R constituting the "real" history of the world
T*([P], S _i)	P has the assigned truth-value 1 in the node S _i
F*([P], S _i)	P has the assigned truth-value 0 in the node S _i
$C\tau_1 p$	at the moment τ_1 it is the case that p
C _r p	at the moment t' it is the case that p
$C_{t'}C_{t''}p$	at the moment t' it is the case that at moment t'' it is the case that
	p
DCp	it is decided that p is the case
UCp	it is undecided whether p is the case
D _m C _t p	it is now decided that p is the case at t'
UrCrp	it is undecided at t' whether p is the case at t"
РСр	it is possible that p be the case
NCp	it is necessary that p be the case
$N_{t'}C_{t''}p$	it is necessary at moment t' that p be the case at moment t"
КСр	it is contingent (possible, but not necessary) that p be the case
K _t 'C _{t''} p	it is contingent at moment t' that p is the case at instant t"
N₄Cp	it is absolutely necessary that p be the case
N₅Cp	it is conditionally necessary that p be the case
NT[Cp]	the sentence 'p is the case' is necessarily true
NF[Cp]	the sentence 'p is the case' is necessarily false
KF[Cp]	it is contingent that the sentence 'p is the case' be false
N _a T[Cp]	it is absolutely necessary that the sentence 'p is the case' be true
$T_{r'}[C_{r''}p]_{r'''}$	the sentence 'p is the case at moment t"' uttered at moment t'' is true at moment t'
T₀([P], S₁)	P is definitely true in the node Si
T _i ([P], S _i)	P is indefinitely true in the node Si
T ₀*[P]	P is definitely true in the sense used by Alexander of Aphrodisias
(x)	universal quantification
Зx	existential quantification
•	and
>-<	or (exclusive)
V	or
→	if then

8

G,H predicates

SFCS singular future contingent sentence

1.4 LIST OF PRINCIPLES AND FORMULAS¹

A. Principles of Correspondence

 $N\{(T[Cp] \leftrightarrow Cp) \bullet (T[C \neg p] \leftrightarrow C \neg p) \bullet (F[Cp] \leftrightarrow \neg Cp) \bullet$

 $N\{(T[Cp] \rightarrow Cp) \bullet (T[C \sim p] \rightarrow C \sim p) \bullet (F[Cp] \rightarrow \neg Cp) \bullet$

 $(F([C \sim p] \leftrightarrow \neg C \sim p))$

 $(Cp \rightarrow T_d[Cp]) \bullet (C \sim p \rightarrow T_d[C \sim p])$

C(01)

C(02)

C(03)

C(31)

C(32)

$$\begin{array}{ll} (F[C \sim p] \rightarrow \neg C \sim p) \} \\ C(04) & N\{(Cp \rightarrow T[Cp]) \bullet (C \sim p \rightarrow T[C \sim p]) \bullet (\neg Cp \rightarrow F[Cp]) \bullet \\ & (\neg C \sim p \rightarrow F[C \sim p]) \} \\ C(11) & (t')(t'')(p)\{(t'' \leq t' \bullet T_{t'}[C_{t'}p]) \rightarrow C_{t'} \cap C_{t'}p \} \\ C(12) & (t')(t'')(p)\{(t'' \leq t' \bullet T_{t'}[C_{t'}p]) \rightarrow \neg C_{t'} \cap C_{t'}p \} \\ C(13) & (t')(t'')(p)\{(t'' \leq t' \bullet C_{t'}p \bullet [C_{t'}p]_{t'}) \rightarrow T_{t'}[C_{t'}p] \} \\ C(21) & (T[Cp] \rightarrow NCp) \bullet (T[C \sim p] \rightarrow NC \sim p) \bullet (F[Cp] \rightarrow N \neg Cp) \bullet \\ & (F[C \sim p] \rightarrow N \neg C \sim p) \\ C(22) & (T_{d}[Cp] \rightarrow NCp) \bullet (T_{d}[C \sim p] \rightarrow N(C \sim p) \bullet (F_{d}[Cp] \rightarrow N \neg Cp) \bullet \\ & (F_{d}[C \sim p] \rightarrow N \neg C \sim p) \\ C(23) & (NCp + T_{d}[Cp]) \bullet (NC \sim p \rightarrow T_{d}[C \sim p]) \bullet (N \neg Cp \rightarrow F_{d}[Cp]) \bullet \\ & (N \neg C \sim p \rightarrow F_{d}[C \sim p]) \\ C(24) & (NT[Cp] \rightarrow NCp) \bullet (NT[C \sim p] \rightarrow NC \sim p) \bullet (NF[Cp] \rightarrow N \neg Cp) \bullet \\ & (NF[C \sim p] \rightarrow N \neg C \sim p) \\ C(25) & (T_{d}[Cp] \leftrightarrow NCp) \bullet (T_{d}[C \sim p] \leftrightarrow NC \sim p) \bullet (F_{d}[Cp] \leftrightarrow N \neg Cp) \bullet \\ & (F_{d}[C \sim p] \rightarrow N \neg C \sim p) \\ C(26) & (KCp \leftrightarrow KT[Cp]) \\ C(28) & (N_{*}T[Cp] \leftrightarrow N_{*}Cp) \bullet (N_{*}T[C \sim p] \leftrightarrow N_{*}C \sim p) \bullet (N_{*}F[Cp] \leftrightarrow N_{*}\neg Cp) \bullet \\ & (N_{*}F[C \sim p] \leftrightarrow N_{*}\neg C \sim p) \\ C(29) & (N_{*}T[Cp] \leftrightarrow N_{*}Cp) \bullet (N_{*}T[C \sim p] \leftrightarrow N_{*}C \sim p) \bullet (N_{*}F[Cp] \leftrightarrow N_{*}\neg Cp) \bullet \\ & (N_{*}F[C \sim p] \leftrightarrow N_{*}\neg C \sim p) \\ C(30) & (t')(t'')\{t'' \leq t' \rightarrow (N_{t}T_{t}[C_{t'}p]_{t'} \leftrightarrow N_{t}C_{t'}p)\} \end{array}$$

 $\{(T[Cp] \bullet F[C \sim p]) \succ (T[C \sim p] \bullet F[Cp])\} \rightarrow (NCp \succ (NC \sim p))$

 $\{(T[Cp] \bullet F[C \sim p]) \rightarrow (T[C \sim p] \bullet F[Cp])\} \rightarrow N(Cp \rightarrow (C \sim p))$

11

$$C(33) \qquad \{(T[Cp] \rightarrow T[C-p]) \bullet (F[Cp] \rightarrow F[C-p])\} \rightarrow (NCp \rightarrow NC-p)$$

$$C(34) \qquad N(\{(T[Cp] \bullet F[C-p]) \rightarrow (T[C-p] \bullet F[Cp])\} \rightarrow (Cp \rightarrow (C-p))$$

$$C(40) \qquad (t')(t'')(p)\{(t'' < t' \circ C_t p \circ [D_t \cdot C_t p]_t) \rightarrow T_t \cdot [D_t \cdot C_t p]\}$$

$$C(41) \qquad (t')(t'')(p)\{(t'' < t' \bullet C_t p \bullet [N_t \cdot C_t p]_t) \rightarrow T_{t'}[N_t \cdot C_t p]\}$$

C(42)
$$(t')(t'')(p)\{N_{a}C_{t}p \rightarrow N_{a}T_{t'}[C_{t'}p]_{t'}\}$$

$$C(42) \qquad (t')(t'')(p) \{ N, C, p \rightarrow N, T_{t'}[C, p]_{t'} \}$$

$$C(42) \qquad (t')(t'')(p)\{N_{\bullet}C_{\bullet}p \rightarrow N_{\bullet}T_{\bullet}[C_{\bullet}p]_{\bullet}\}$$

C(42)
$$(t')(t'')(p)\{N_{a}C_{t'}p \rightarrow N_{a}T_{t'}[C_{t'}p]_{t'}\}$$

C(42)
$$(t')(t'')(p)\{N_{a}C_{t'}p \to N_{a}T_{t'}[C_{t'}p]_{t'}\}$$

(T)
$$T[C_{\tau}p] =_{df} \exists S_i (S_i \in \mathbf{R} \bullet T^*([C_{\tau}p], S_i))$$

(F)
$$F[C_{*}D] =_{**} \exists S_i (S_i \in \mathbb{R} \bullet F^*([C_*D], S_i))$$

(F)
$$F[C_n] = \# S: (S \in \mathbf{R} \bullet F^*([C_n], S))$$

(F)
$$F[C_tp] =_{df} \exists S_i (S_i \in \mathbf{R} \bullet F^*([C_tp], S_i))$$

B. Principles of Truth

```
T(04)
                 \neg P(F[Cp] \bullet F[C \sim p])
```

T(14)

T(15)

T(16)

T(17)

T(18)

T(19)

T(20) T(21)

T(22)

(EM)

(PB)

(PB†)

(PB*) (T*)

(F*)

(PA)

(AT)

(AF)

$$\Gamma(05) = \Gamma(\Gamma(Cp) \bullet \Gamma(C\sim p))$$

$$T(09) \qquad (T_d[Cp] \rightarrow \forall F_d[Cp]) \bullet (T_d[C \sim p] \rightarrow \forall F_d[C \sim p])$$

$$T(10) \qquad NI(T[C_p]) \leftarrow F[C_p]) \bullet (T[C_p]) \leftarrow F[C_p]$$

$$T(10) \qquad N\{(T[Cp]) - (F[Cp]) \bullet (T[C-p]) - (F[C-p])\}$$

$$T(11) \qquad N\{(T[Cp] \rightarrow \forall T[C \sim p]) \bullet (F[Cp] \rightarrow \forall F[C \sim p])\}$$

$$T(11) \qquad N\{(T[Cp] \rightarrow \forall T[C \sim p]) \bullet (F[Cp] \rightarrow \forall F[C \sim p])\}$$

$$\Pi(11) = \Pi\{(1[Cp])^{-1}, 1[C^{-p}]\} \in (\Gamma[Cp])^{-1}, \Gamma[C^{-p}]\}$$

$$T(12) = P(T(C_1) \bullet T(C_2)) \bullet -P(T(C_2) \bullet T(C_2))$$

$$T(12) = P(T(C_n) \bullet T(C_n)) \bullet P(T(C_n) \bullet F(C_n))$$

$$T(12) \qquad \neg P(T[Cp] \bullet T[C \neg p]) \bullet \neg P(F[Cp] \bullet F[C \neg p])$$

T(13)
$$N{(T[Cp] • F[C~p]) > -(F[Cp] • T[C~p])}$$

T(13)
$$N{(T[C_D] \bullet F[C_p]) \rightarrow (F[C_D] \bullet T[C_p])}$$

T(13)
$$N{(T[C_p] \bullet F[C_p]) \rightarrow (F[C_p] \bullet T[C_p])}$$

$$T(13) \qquad N\{(T[C_D] \bullet F[C_{\neg D}]) \rightarrow (F[C_D] \bullet T[C_{\neg D}])\}$$

 $N(T_d[Cp]) \rightarrow T_d[C \sim p]$

 $NT[Cp] \rightarrow N_{*}T[Cp]$

 $NT_{t''}[C_tp]_{t''}\}$

 $T[P] \lor \neg T[P]$

 $T[P] \lor T[\neg P]$ $T_d^* [P] \lor T_d^* [\neg P]$

 $T^{*}([C_{t}p], S_{i}) =_{df} Ass([C_{t}p], S_{i}) = 1$ $F^{*}([C_{\tau}p], S_{i}) =_{df} Ass([C_{\tau}p], S_{i}) = 0$

 $T^*([C_\tau p], S_i) \lor F^*([C_\tau p], S_i) \to Lv(S_i) \ge \tau$

 $T^*([C_\tau p], S_i) \rightarrow (S_i)(Dev(S_i, S_i) \rightarrow T^*([C_\tau p], S_i))$

 $F^*([C_\tau p], S_i) \rightarrow (S_i)(Dev(S_i, S_i) \rightarrow F^*([C_\tau p], S_i))$

 $T[P] \lor F[P]$

T(13)
$$N{(T[Cp] \bullet F[C~p])} \rightarrow (F[Cp] \bullet T[C~p])$$

$$T(13) \qquad N\{(T[C_p] \bullet F[C_n])\} \rightarrow (F[C_p] \bullet T[C_n])\}$$

$$T(13) \qquad N\{(T[C_p] \bullet F[C_n])\} \rightarrow \langle (F[C_p] \bullet T[C_n]) \}$$

$$T(13) \qquad N\{(T[Cp] \bullet F[C~p])\} \rightarrow \langle (F[Cp] \bullet T[C~p]) \}$$

$$T(13) \qquad NJ(T[C_n] \bullet F[C_n]) \setminus (F[C_n] \bullet T[C_n])$$

$$T(13) \qquad N((T(C_p) \bullet F(C_p))) \setminus (F(C_p) \bullet T(C_p)))$$

$$T(13) \qquad NJ(T[C_n] \bullet F[C_n]) \setminus (F[C_n] \bullet T[C_n]) \cap (F[C_n] \bullet T[C_n]) \setminus (F[C_n] \bullet T[C_n]) \cap (F[C_n]) \cap (F[C_n]) \cap (F[C_n]) \cap ($$

$$T(13) \qquad N(T[C_n] \bullet F[C_n]) \setminus (F[C_n] \bullet T[C_n])$$

$$\mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12})$$

$$\mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12})$$

$$\mathbf{T}(\mathbf{12}) \qquad \mathbf{T}(\mathbf{1}(\mathbf{C}\mathbf{p}) \circ \mathbf{T}(\mathbf{C}\mathbf{p})) \circ \mathbf{T}(\mathbf{1}(\mathbf{C}\mathbf{p}) \circ \mathbf{T}(\mathbf{C}\mathbf{p}))$$

$$\mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{1}[\mathbf{C}_{\mathbf{1}}] \circ \mathbf{T}[\mathbf{C}_{\mathbf{1}}]) \circ \mathbf{T}(\mathbf{1}[\mathbf{C}_{\mathbf{1}}] \circ \mathbf{T}[\mathbf{C}_{\mathbf{1}}])$$

$$\mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{12})$$

$$\mathbf{T}(\mathbf{12}) \qquad \mathbf{T}(\mathbf{1}[\mathbf{C}_{\mathbf{1}}] \circ \mathbf{T}[\mathbf{C}_{\mathbf{2}}]) \circ \mathbf{T}(\mathbf{1}[\mathbf{C}_{\mathbf{1}}] \circ \mathbf{T}[\mathbf{C}_{\mathbf{2}}])$$

$$\Gamma(12) \rightarrow \Gamma(\Gamma[Cp] \bullet \Gamma[C \rightarrow p]) \bullet \neg \Gamma(\Gamma[Cp] \bullet \Gamma[C \rightarrow p])$$

$$\mathbf{F}(\mathbf{12}) = \mathbf{F}(\mathbf{1}[\mathbf{C}_{\mathbf{p}}] \circ \mathbf{F}(\mathbf{C}_{\mathbf{p}})) \circ \mathbf{F}(\mathbf{F}[\mathbf{C}_{\mathbf{p}}] \circ \mathbf{F}(\mathbf{C}_{\mathbf{p}})$$

$$(12) \qquad \neg \mathbf{r}(\mathbf{1}[\mathbf{Cp}] \bullet \mathbf{1}[\mathbf{C} \sim \mathbf{p}]) \bullet \neg \mathbf{r}(\mathbf{r}[\mathbf{Cp}] \bullet \mathbf{r}[\mathbf{C} \sim \mathbf{p}])$$

$$\Gamma(12) = \Gamma(\Gamma(cp) \circ \Gamma(cp)) \circ \Gamma(\Gamma(cp) \circ \Gamma(cp))$$

$$\Gamma(12) \qquad \neg \Gamma(\Gamma[Cp] \circ \Gamma[C \sim p]) \circ \neg \Gamma(\Gamma[Cp] \circ \Gamma[C \sim p])$$

$$\Gamma(12) = \Gamma(\Gamma[Cp] \circ \Gamma[C-p]) \circ \Gamma(\Gamma[Cp] \circ \Gamma[C-p])$$

$$\mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{1}(\mathbf{C}_{\mathbf{P}}) \circ \mathbf{T}(\mathbf{1}(\mathbf{C}_{\mathbf{P}})) \circ \mathbf{T}(\mathbf{1}(\mathbf{C}_{\mathbf{P}})) \circ \mathbf{T}(\mathbf{12})$$

$$\Gamma(12) \qquad \neg P(\Gamma[Cp] \bullet \Gamma[C \neg p]) \bullet \neg P(F[Cp] \bullet F[C \neg p])$$

$$\Gamma(12) = \Gamma(\Gamma(Cp) \bullet \Gamma(C-p)) \bullet \Gamma(\Gamma(Cp) \bullet \Gamma(C-p))$$

$$\Gamma(12) \qquad \neg \mathbf{r}(\Gamma[\mathbf{Cp}] \bullet \Gamma[\mathbf{C} \sim \mathbf{p}]) \bullet \neg \mathbf{r}(\mathbf{r}[\mathbf{Cp}] \bullet \Gamma[\mathbf{C} \sim \mathbf{p}]$$

$$\mathbf{T}(\mathbf{12}) = \mathbf{T}(\mathbf{1}[\mathbf{C}_{\mathbf{P}}] \circ \mathbf{T}(\mathbf{C}_{\mathbf{P}}) \circ \mathbf{T}(\mathbf{12})$$

$$\mathbf{r}(\mathbf{1}_{2}) = \mathbf{r}(\mathbf{1}_{2}) = \mathbf{r}$$

$$\mathbf{r}(\mathbf{r}(\mathbf{r})) = \mathbf{r}(\mathbf{r}(\mathbf{r})) = \mathbf{r}(\mathbf{r}(\mathbf{r}))$$

$$\Gamma(12) = \Gamma(\Gamma(Cp) \bullet \Gamma(C-p)) \bullet \neg \Gamma(\Gamma(Cp) \bullet \Gamma(C-p))$$

$$\Gamma(12) = \Gamma(\Gamma[Cp] \circ \Gamma[C-p]) \circ \Gamma(\Gamma[Cp] \circ \Gamma[C-p])$$

$$P(T[Cp] \bullet T[C~p]) \bullet P(F[Cp] \bullet F[C~p])$$

$$\Gamma(12) \qquad \neg \Gamma(\Gamma[Cp] \circ \Gamma[C \sim p]) \circ \neg \Gamma(\Gamma[Cp] \circ \Gamma[C \sim p])$$

$$12) \neg P(T[Cp] \bullet T[C\sim p]) \bullet \neg P(F[Cp] \bullet F[C\sim p])$$

$$12) \neg P(T[Cp] \bullet T[C\sim p]) \bullet \neg P(F[Cp] \bullet F[C\sim p])$$

 $N{(T_d[C_p] \bullet F_d[C_p]) \rightarrow (T_d[C_p] \bullet F_d[C_p])}$

 $N{(T[Cp] \leftrightarrow F[C \sim p]) \bullet (F[Cp] \leftrightarrow T[C \sim p])}$

 $(t')(t'')([Cp]){(t' \le t'' \bullet T_{t'}[C_{t'}p]_{t'}) \to NT_{t'}[C_{t'}p]_{t'}}$

 $(t')(t'')([Cp]){(t' > t'' \bullet T_{t''}[C_tp]_{t''}) \to NT_{t''}[C_tp]_{t''}}$

 $(t')(t'')([Cp])\{(t''' < t' \le t'' \bullet N_{a}T_{t''}[C_{t'}p]_{t''}) \to N_{a}T_{t'''}[C_{t'}p]_{t'''}\}$

 $(t')(t'')(t''')([Cp]){(t''' < t' \le t'' \bullet T_{t''}[C_tp]_{t''}) \to (NT_{t''}[C_tp]_{t''} \bullet (NT_{t''}[C_tp]_{t''})$

 $(t')(t'')([Cp])\{(t''' < t' \le t'' \bullet T_{t''}[C_tp]_{t''}) \to T_{t'''}[C_tp]_{t'''}\}$

Principle of Bivalence **Principle of Bivalence**

Extended Law of the Excluded Middle

12)
$$\neg P(T[Cp] \bullet T[C\sim p]) \bullet \neg P(F[Cp] \bullet F[C\sim p])$$

(12)
$$\neg P(T[Cp] \bullet T[C \sim p]) \bullet \neg P(F[Cp] \bullet F[C \sim p])$$

$$(12) \qquad \neg P(I[Cp] \bullet I[C \neg p]) \bullet \neg P(F[Cp] \bullet F[C \neg p])$$

$$\Gamma(12) = \Gamma(\Gamma(Cp) \circ \Gamma(Cp)) \circ \Gamma(\Gamma(Cp) \circ \Gamma(Cp))$$

$$\begin{array}{ll} (AP) & Lv(S_i) \geq \tau \to T^*([C_\tau p], S_i) \lor F^*([C_\tau p], S_i) \\ (APA) & Lv(S_i) \geq \tau \leftrightarrow T^*([C_\tau p], S_i) \lor F^*([C_\tau p], S_i) \\ (T_D) & T_d([C_\tau p], S_i) =_{df} T^*([C_\tau p], S_i) \bullet S_i \in \mathbf{R} \\ (T_D^{\dagger}) & T_d([C_\tau p], S_i) =_{df} T([C_\tau p] \bullet T^*([C_\tau p], S_i) \\ (T_I) & T_i([C_\tau p], S_i) =_{df} T([C_\tau p] \bullet \exists S_i (Dev(S_i, S_i) \bullet F^*[C_\tau p], S_i) \\ \end{array}$$

C. Principles of Facts

$$F(03) \qquad (t')(t'')(p)\{(t'' < t' \bullet C_r p) \to N_{t'} C_r p\}$$

- $F(04) (t')(t'')(p)\{(t'' \ge t' \bullet C_t p) \to N_t \bullet C_t p\}$
- $F(10) \qquad Cp \rightarrow NCp$
- $F(11) \qquad N(Cp \rightarrow \prec C \sim p)$
- F(12) NCp >-< NC~p
- $F(13) \qquad (p)(t')\{(C_t p \rightarrow N_t C_t p) \bullet (C_t \sim p \rightarrow N_t C_t \sim p)\}$
- $F(14) \qquad (p)(t')\{(\neg C_{t'}p \rightarrow \neg P_{t'}C_{t'}p) \bullet (\neg C_{t'}\neg p \rightarrow \neg P_{t'}C_{t'}\neg p)\}$
- $F(15) \qquad (t')(t'')(p)(\neg C_{t'}\neg C_{t'}p \leftrightarrow C_{t'}C_{t'}p)$
- $F(16) \qquad C \sim p \leftrightarrow \neg Cp$
- (EM*) $P \lor \neg P$ Law of the Excluded Middle

D. Modal Principles

- $M(5) (t')(t'')(p)(\{(t'' < t' \bullet D_{t''}C_t p) \to N_{t''}C_t p\}$
- $M(11) \qquad NC \sim p \leftrightarrow \neg PCp$
- M(12) NCp $\rightarrow \neg$ KCp
- M(13) $\neg PCp \rightarrow \neg KCp$
- $M(14) \qquad (T[Cp] \rightarrow Cp) \rightarrow (NT[Cp] \rightarrow NCp)$
- $M(21) \qquad ([Cp])(NT[Cp] \rightarrow N_{\bullet}T[Cp])$

Part II

Introduction

II Introduction. Future Contingencies: The problem and its possible solutions

by Gerhard Seel

II.1 Aristotle

It all began with a great insight. In Book IV of the *Metaphysics*, Aristotle formulates and defends the following logical and semantic principles:

- 1. An assertive sentence is true if and only if what it asserts is the case, false if it is not the case.
- 2. Every assertive sentence is either true or false.²
- 3. Two contradictory assertive sentences cannot both be true.
- 4. Two contradictory assertive sentences cannot both be false.

Today, we call the first of these 'the correspondence principle of truth' (cp. C(01) in our list of principles), the second is called 'the principle of bivalence' (cp. T(10) in our list of principles of truth), the third is called 'the principle of non-contradiction' (cp. T(05)) and the last is called 'the principle of the excluded middle' (cp. T(04)). The same principles are found in other important texts, for example, the *Categories*, the *De Interpretatione* and the *Analytics*.

In the *Metaphysics*, Aristotle first introduces and defends the third of these principles (1005b5-1011b22)³, qualifying it as the 'best established of all principles' (1005b18-19; b22-23); he then formulates the fourth principle (1011 b23-25), making use, in one of the arguments in its defence, of the first and the second principles, i.e. the correspondence principle and the principle of bivalence (1011b26-29). In modern propositional logic, principles 2, 3 and 4 are equivalent, given the definition of the negator as the operator which, when added, changes a true proposition into a false proposition and vice versa. Aristotle himself might have held a similar position (as we believe), but the issue is far from settled.

² Since for Aristotle and for philosophers of the Hellenistic period an assertive sentence can in principle change its truth-value, the principle must be understood as meaning: at any time any assertive sentence is either true or false.

³ The principle is first formulated as an ontological principle (1005b19-22), then as a law of thinking (1005b23-32) and finally as a principle of logic (1011b13-15). It is on the last of these that we focus in the following pages.

Aristotle's theory seems to be clearly articulated and to be defended on solid grounds. Difficulties began, however, when Aristotle discovered (or developed) a certain kind of argument that deduced from the four above- mentioned principles that every event in the world is a necessary event. This theory is called 'logical determinism', since it reaches a deterministic conclusion from purely logical and semantic premises. Determinism⁴ was a problem for Aristotle, and for many others, because it seemed to make free human action impossible and moral judgement pointless.

The 'locus classicus' of logical determinism is the famous chapter 9 of the *De Interpretatione*. Here, Aristotle describes two deterministic arguments. Both conclude from the truth of a statement that predicts a future event the necessity of that event. The way the conclusion is reached is different in each case, but both arguments rely on the four fundamental logical and semantic principles.⁵ Most of the critical literature focuses on the second of these arguments; it consists of the following steps:⁶

- 1. Let us claim that a state of affairs p is the case at the present instant t_n.
- 2. Then at each moment of the past it was true to affirm that p will be the case at t_n .
- 3. Therefore at each moment of the past it was not the case that p does not occur at t_n.
- 4. Therefore at each moment of the past it was not possible that p will not be the case at t_n.
- 5. So at each moment of the past it was necessary that p will be the case at t_n .

The step from (1) to (2) is made by the principle of the retrogradation of truth, C(13). The next step uses the principle of the simultaneity of the truth of a statement and the corresponding fact, C(11), C(12). The third step applies the principle of the necessity of facts (conditional necessity), F(13) and F(14), to these past facts. The final step consists of a simple transformation of modalities. This argument creates a puzzle for Aristotle, i.e. an $\dot{a}\pi o\rho i a$, in the technical sense of the term given by Hellenistic Philosophy.⁷ According to this conception, an $\dot{a}\pi o\rho i a$ was a set of evident assertoric sentences, the members of which cannot be true together; there was usually a technical demonstration showing that a given set

⁴ Determinism is the position that every event or occurrent in the real world is predetermined from eternity in such a way that there is no moment in the history of the world at which it is undecided whether or not the event will occur. In the case of Aristotle, determinism is a consequence of necessitarianism. Necessitarianism is the position that there are no contingent states of affairs. Cp. p.19 below.

⁵ For the details see our Commentary pp.171-175 and 182-185.

⁶ For further details see our comments on paragraph 16 of Ammonius' Commentary, pp.182-185. For the first proof see our Commentary on the second lemma pp.171-176.

⁷ For the meaning of the term ἀπορία in the Hellenistic period see G. Seel 1993, 295-301.

of sentences was inconsistent in this way. The demonstration consisted of choosing one of the sentences of the set, taking the other sentences as premises and deducing from these the contradictory of the chosen sentence. The $\dot{a}\pi o\rho ia$, which literally means a situation when there is 'no way out', results from the fact that on the one hand the inconsistency of the set necessitates the rejection of at least one of its members, while on the other hand, since all the sentences are evident, none can be rejected. $\dot{a}\pi o\rho ia$ were usually the object of a special procedure called a $\lambda i \sigma_{15}$, i.e. a resolution. This consisted either in arguing that one of the seemingly evident sentences was in fact false or in showing that the proof of inconsistency was unsound.

We can interpret chapter 9 of the *De Interpretatione* as a genuine $\dot{a}\pi \alpha\rho i a$ in the above sense. The set of sentences that were evident to Aristotle were the four logical and semantic principles and the thesis that there are contingent events in the world. That this set is inconsistent is shown by the two demonstrations of universal necessitarianism that use the four logical and semantic principles as premises and have as their conclusion the contradictory of the thesis. It is therefore plausible to take the rest of chapter 9 as Aristotle's attempt to resolve this $\dot{a}\pi\alpha\rho i a$. How could this be achieved?

A possible solution, and indeed the most likely, would be to dispense (either totally or partially) with the principles that cause the trouble. To find out whether Aristotle actually took this step, a first group of interpreters concentrated their attention on the four logical and semantic principles. It is hard to see, however, how Aristotle could possibly have rejected a principle that he considered the best established and most fundamental of all. It would of course be more likely that, instead of completely giving up one or other of those principles, Aristotle simply restricted their scope. Since determinism results only when these principles are applied to future tense sentences, Aristotle could restrict their application to sentences in the present or past tense. It is especially the principle of bivalence that creates the trouble. So a possible solution to the $\dot{a}\pi o \rho i a$ would be to argue that sentences about future contingent facts are neither true nor false, i.e. to exempt them from the principle of bivalence. This would also entail certain modifications to the principles of non-contradiction and of the excluded middle. These need to be conditioned in the following way: If and only if two contradictory sentences have truth-values, then one is true and the other false. These principles would thus apply only to those sentences that actually have truth values. This means that sentences about future contingent events would not fall under these principles. Thus the deterministic arguments would not be sound any more. This solution is called 'the standard solution' and the belief that Aristotle employed the standard solution is called 'the standard interpretation'.⁸

⁸ Sometimes (cp. N. Kretzmann 1998, 24-25) the standard interpretation is identified with Lukasiewicz's interpretation, according to which Aristotle not only limited the scope of the principle of bivalence, but also introduced a third truth value, i.e. the value 'neither true nor false', that is supposed to be the value of future contingent sentences.

Part II: Introduction

However, it is highly controversial whether Aristotle actually made this move. The thesis that he did not is known as 'the non-standard interpretation'.⁹ There is, of course, more than one version of the non-standard interpretation. They all attempt to prove that instead of limiting the scope of the principle of bivalence Aristotle either limited the scope of one of the other principles used in the proof of determinism or else tried to show that the proofs were unsound. Obvious candidates for the first procedure are the principle of the necessity of facts, F (10), and the truth-to-necessity-principle, C (21). Some interpreters believe that Aristotle denied the validity of these principles for certain future facts and for sentences about this kind of fact. Those who hold that Aristotle found the proofs unsound argue that they rely on a confusion of *necessitas consequentiae* and *necessitas consequentis* and that Aristotle criticises this confusion in the final remarks of chapter 9.¹⁰

Defenders of the standard interpretation could argue, and some did, that the standard solution is nothing but a consequence of Aristotle's principle of correspondence.¹¹ According to this principle, an assertoric sentence is true if and only if there is a fact in the real world corresponding to the assertion made in the sentence. In today's semantics, we call this fact the sentence's 'truth- maker'. It could be doubted that sentences about future contingent types of event can have a truth-maker. Firstly, the fact asserted in a future tense sentence is, at the time of the utterance of the sentence, a future fact. Secondly, future contingent facts are undecided at the time of the utterance of the sentence, i.e. at that moment, it is completely open whether or not the corresponding type of event will occur. Therefore, sentences asserting future contingent facts lack both a simultaneous correspondent fact and a decided correspondent fact. If the principle of correspondence states that each sentence needs a simultaneous and a decided correspondent fact in order for that sentence to be true, then there are good reasons to deny that sentences about future contingent types of events can be either true or false. Of course, it is not certain that Aristotle actually understood the principle in this way, but, if he did, it would be quite natural for him to adopt the standard solution. Defenders of the non-standard solution argue that the standard solution is unnecessarily radical. Aristotle did not need to deny the existence of future facts and the truth of sentences about those future facts. He could simply doubt that those facts are necessary in each case and that the truth of the correspondent sentences implies the necessity of those facts.

However, there is no evidence in Aristotle that he ever thought of such a truth value.

⁹ This expression was first used by N. Rescher 1963, 139f.

¹⁰ Cp. J. Pacius 1597b, 82; M. Lowe 1980, 55-57; G. Fine 1984, 23, 36-38.

¹¹ Cp. D. Frede 1985, 75, and H. Weidemann 1994, 294.

II.2 The Dialectical School (Diodorus Cronus)

After Aristotle, the dispute about logical determinism continued on a more complicated level. Members of the so-called 'Dialectical School', and then the Stoics, introduced different semantics for the modalities and on that basis constructed new arguments. The new logical and semantic presuppositions of the Hellenistic debate make it necessary to distinguish clearly between determinism, necessitarianism and fatalism. As I understand it, determinism is the thesis that for every event¹² in the real world there is, in a past-to-future perspective, no moment in the history of the world at which it is undecided whether that event will or will not occur. Thus, every event is predetermined from eternity. We saw in the case of De Interpretatione 9 that determinism is a consequence of necessitarianism. The latter is the thesis that every fact is a necessary fact or that there are no contingent states of affairs. However, a determinist need not be a necessitarian; as we shall see, there are semantics of the modalities that avoid this implication. Moreover, determinism follows from fatalism as well, but fatalism does not include necessitarianism. That these positions do not entail one another is clearly shown by the case of Chrysippus, who was certainly a fatalist, but who did not accept necessitarianism. By fatalism I intend the thesis that for every event at any moment before its occurrence there is a nexus of causal factors that ineluctably brings it about.13

Scholars usually consider Diodorus Cronus as the first and most prominent Hellenistic defender of determinism. Although he was not a necessitarian, he grounded his determinism on semantics of the modalities. Let us see how this was achieved. In Diodorus' semantics, the so called 'Master Argument' seems to have played an important role. This argument also starts from an $\dot{a}\pi opia$. As Epictetus¹⁴ reports, the $\dot{a}\pi opia$ consisted of the following three principles:

- 1. Every past truth is necessary.
- 2. Something impossible does not follow from something possible.
- 3. There is something possible which neither is nor will be true.

Epictetus goes on to tell us that Diodorus "saw this conflict (the conflict between the three principles) and exploited the convincingness of the first two to establish the conclusion that

'Nothing which neither is nor will be true is possible'."

¹² S. Bobzien 1998a, 26-27 introduced the term 'occurrent' for the entities we are talking about.

¹³ This is our formulation. For the exact way Chrysippus in particular and the Stoics in general defined the principle of fate see S. Bobzien 1998a, 56-58; 301-314.

¹⁴ Epictetus Diss. 2.19,1-10=FDS 993, transl. A. Long and D. Sedley 1987, vol. 1, 230-1.

The principle given in the conclusion is clearly contradictory to the third principle, and the fact that this conclusion is demonstrated by the first two principles proves that the original set of three principles was inconsistent. Diodorus' solution to the anopia was to reject the third principle and replace it with the conclusion of the proof. Unfortunately we do not know exactly how Diodorus proceeded in his proof. There are a lot of reconstructions, but so far none has been universally accepted.

It is, however, clear that Diodorus somehow made use of his first principle to show that from something possible (according to the third principle) something impossible would follow, i.e. exactly what the second principle denies. It seems that in showing this he must have made tacit use of at least one further principle. but it is unclear exactly what this was. In one of my articles,¹⁵ I have tried to reconstruct Diodorus' argument, supposing that he made use of the principle of conditional necessity as an additional premise. This principle, F(10), states that if a state of affairs p is the case, then it is necessary that p is the case. With this principle it can easily been shown that the possibility of something that neither is nor will be implies a contradiction and thus something impossible. I argued that Diodorus could have arrived at F(10) by tacitly widening the scope of premise (1) from past facts to all facts. To that R. Gaskin has-rightly- objected¹⁶ that the scope of premise (1) cannot be widened because it explicitly restricts conditional necessity to past facts. However, Diodorus could have meant to include past facts concerning future events. He could have argued that if it is a fact (now) that p neither is nor will be the case, it has always been a fact in the past that from now on it will not be the case. If this is so, we do not need to widen the scope of premise (1). We can deduce directly from the original premise (1) that it has always been necessary that the state of affairs, the possibility of which is in question, neither is the case nor will be the case. This is the reconstruction given by Long and Sedley.¹⁷

Let me briefly return to R. Gaskin's reconstruction, which will be very useful for the interpretation of an argument discussed below. In his reconstruction Gaskin uses a principle that he calls the principle of "relativity of modality to the facts" (1995,288-299). By this he understands a "self-evident meaning rule for the modal operators" that requires (in the present case) anything possible to be coherent with the given facts. Now, the possibility of something that neither is nor will be the case is, according to Gaskin, not coherent with the facts. This is shown in the following way. Suppose p to be possible, but never the case from now on; we then get \neg Cp as a given fact. If we then suppose the actuality of p in order to test its possibility according to the second premise, we get as the hypothetical outcome Cp • \neg Cp, which is clearly a contradiction. Is the reconstruction sound?

¹⁵ G. Seel, Diodore domine-t-il Aristote? (1982b, 293-313)

¹⁶ R. Gaskin 1995, 294 n.19.

¹⁷ Cp. A. Long and D. Sedley 1987, vol. 1, 234.

I think not. By making the hypothesis that p is the case we make the implicit hypothesis that its contradictory is not the case. The given fact that the latter is the case does not, of course, prevent us supposing, as a mere hypothesis, its not being the case. Gaskin holds that the notion of modality relative to the facts does not allow this. In my opinion, however, the only situation that could prevent this would be the necessity of the fact that $\sim p$. It is thus clear that some version of the principle of conditional necessity is needed in order to deduce a contradiction.¹⁸

The definition of the impossible (i.e. that which neither is nor will be true) given in the conclusion of Diodorus' demonstration forms the core of the system of Diodorean modalities:¹⁹

necessary	contingent	impossible				
that which from now on						
is and always will be true	is sometimes true and sometimes false	is and will be always false				

These definitions show that Diodorus was not a necessitarian, because he admits contingent states of affairs. At first glance, this leaves unanswered whether he was a determinist. One may doubt that he was, because his definition of the possible seems to allow that the exact moment of the realisation of a possible state of affairs is undecided at any time before its realisation. However, as soon as we apply Diodorean modalities to sentences that predict the occurrence of a type of event at a precise time, we see that deterministic consequences follow from the definitions of these modalities.²⁰ Sentences of that kind are always true if they are once true.²¹ It is doubtful, however, that Diodorean modalities were to be applied to this kind of sentence. They are rather an example of what I have called 'omnitemporal' modalities.²² They apply to entities that can exist at any moment from now on and to sentences about those entities.

The question whether or not all future events are predetermined was answered by another argument developed by the Dialectical School, the so called

R. Gaskin 1995, 288 note 12 claims that his interpretation of Aristotle's definition of possibility that includes relativity to the facts coincides with mine (as stated in 1982a, 334 - 336). He does not see that I emphasise (in 1982a, 335 note 82a) that any deduction of a contradiction of the kind used in the Master Argument presupposes the principle of conditional necessity, a principle that Aristotle accepted for present and past facts.

¹⁹ Cp. S. Bobzien 1993, 83-84.

²⁰ This is probably the sense of Cicero's testimony about Diodorus in *De fato* 13.

²¹ There is, however, a problem in that the ancients did not use speaker-independent time indices. So the only examples they could give were sentences about types of events that cannot occur more than once, such as being born and dying. Cp. S. Bobzien 1998a, 98-101.

²² Cp. G. Seel 1982a, 218ff. where these are called 'nichtzeitgebundene Modalbegriffe'.

'Reaper Argument'. This could have been a corollary argument to the 'Master Argument', meant to close a loophole left open by the latter. The Reaper Argument is also based on an $\dot{a}\pi o \rho i a$. In the simplest and possibly oldest version of the argument this $\dot{a}\pi o \rho i a$ consisted of the following four sentences:

- 1. If you are going to reap, it is not undecided whether you will reap or will not reap; it is decided that you will reap.
- 2. If you are not going to reap, it is not undecided whether you will reap or will not reap; it is decided that you will not reap.
- 3. It is necessary that you are either going to reap or not going to reap.
- 4. It is undecided whether you will reap or will not reap.

By taking sentences (1), (2) and (3) as premises and by deducing from them the contradictory of (4), the inventor of the Reaper Argument demonstrated both the inconsistency of the original set of four sentences and the truth of determinism.

In the version we find in Ammonius' commentary a second proof is added. This second proof has the conclusion of the first proof as its first premise. Its second premise is the principle that contingency presupposes undecidedness. From these two premises it is deduced that there are no contingent facts. Thus, while one version of the Reaper Argument is just a demonstration of determinism, the more complex version appears to be a proof of necessitarianism.²³

II.3 The Stoics

How did Hellenistic philosophers react to these arguments? One would imagine that not all would accept the deterministic or necessitarian solutions to the two $\dot{a}\pi a\rho i a$. Let us first see what happened in the Stoic school. Epictetus tells us that Cleanthes, followed by Antipater, resolved the $\dot{a}\pi a\rho i a$ of the Master Argument by rejecting premise (1) and keeping the other two. They thus preserved the position commonly held by the Stoics that there are types of events which have the possibility to happen but nonetheless never happen. Epictetus then tells us that Chrysippus' solution to the $\dot{a}\pi a\rho i a$ was different, namely the rejection of the second principle in order to keep the first and the third. Chrysippus' argument was as follows. Take the true conditional 'If Dio is dead, this one is dead'. Since this is a true conditional the second proposition ($\dot{a}\xi i\omega\mu a$) follows from the first.²⁴ However, the first proposition ($\dot{a}\xi i\omega\mu a$) is possible while the second is impossible, because according to Stoic semantics the deiktical expression 'this

²³ Cp. G. Seel 1993, 318. In this paper I argue that the second premise of the second proof uses a notion of contingency that is different from that of Diodorus and that it is probable therefore that the second proof was added at a later date by people who understood determinism in terms of necessitarianism.

²⁴ Like most scholars we translate the Stoic term à śiwwa by 'proposition' and not by 'sentence'. Note, however, that what the Stoics called à śiwwa differs in several respects from the modern proposition.

one' can be used only of someone existing at the present moment, and when Dio is dead, he no longer exists. So according to Chrysippus, in this example, something impossible follows from something possible. This means that the second principle of the Master Argument is false.

We know from several sources that the Stoics also attacked the Reaper Argument, but while we are aware of their general line of argument, we do not definitely know which of the premises of the argument they tried to refute. There is, however, some indirect evidence to suggest that they must have attacked the second premise of the second part of the argument. As we shall see, the Stoics accepted premises (1), (2) and (3). They must therefore have accepted the conclusion of the first stage, i.e. that there are no undecided future events, a thesis which is perfectly in line with Stoic determinism.²⁵ On the other hand, the Stoics could not have accepted the conclusion of the second stage of the argument, i.e. that there are no contingent states of affairs: their semantics of the modalities prove that there are contingent states of affairs.²⁶ The Reaper Argument demonstrates the contrary by stating – in the second premise of the second part of the argument – that contingency presupposes undecidedness.

Let us investigate these points one after the other. The Stoics accepted the principles of bivalence and of the excluded middle for the same reasons that they would have accepted premises (1), (2) and (3) of the Reaper Argument. In *Fat.* 20-21, Cicero reports an argument by which Chrysippus deduced fatalism by using the principle of bivalence as one of the premises. Cicero goes on to say that Chrysippus used various arguments to support this principle, but unfortunately he omits to tell us what these arguments were. His testimony is, however, sufficient to show that Chrysippus accepted the principle of bivalence.²⁷ Given the Stoic conception of negation this implies the principle of the excluded middle.²⁸

The way Chrysippus deduced fatalism from the principle of bivalence allows us to understand how he conceived the truth-maker of future tense propositions ($d\xi_i\omega_{\mu\alpha\tau\alpha}$). The argument has the following overall structure:²⁹

Step one

(P1) The Principle of Bivalence implies the General Causal Principle.

²⁵ This is probably the reason why the Anonymous Commentator on the *De Interpretatione* (Tarán) 54,8-55,5 (*FDS* 1253, 4) thought that the Stoics themselves used the Reaper Argument to refute contingency, but this is certainly not the case.

In 1993, 318 I claim that Chrysippus' definition of the contingent excludes determinism. This, however, is correct if and only if 'determinism' means 'necessitarian determinism', as supposed in the article. It is, of course, incorrect if determinism is understood in the sense given above.

²⁷ That the Stoics generally accepted the principle of bivalence is well attested. Cp. besides Cicero, Fat. 20-21, Cicero, Ac. pr. 30,95; Simplicius, In Arist. Cat. 406,21ff. Cp. also M. Frede 1974, 40-44.

²⁸ Cp. Alexander of Aphr., In Arist. Anal. pr., 402,33-35.

²⁹ I use the reconstruction given by S. Bobzien 1998a, 85.

- (P2) The Principle of Bivalence holds.
- (C1) Therefore the General Causal Principle holds as well.

Step two

(P4) The General Causal Principle implies the Fate Principle.

- (C1/P3) The General Causal Principle holds.
- (C2) Therefore the Fate Principle holds as well.

The General Causal Principle is that there is no motion without cause. The Fate Principle is that everything happens in accordance with fate.

For our present purposes, only the first step is important. What, according to Chrysippus, is the relation between the truth of propositions (ationara) and the causation of events? It should firstly be noted that the Stoics held a kind of correspondence theory of truth, articulated in a special technical vocabulary. According to this theory, a proposition (aziwµa) is true when it is actualised and false when it is not actualised (Sextus Empiricus, M. VIII 10): a proposition (ationa), for example 'Dio is walking', is actualised when the predicate 'is walking' is actualised in the real object Dio or when Dio is actually walking. This is to say that a proposition (alique) is true if and only if the correspondent state of affairs is the case (Diog. Laert. VII,65).³⁰ This principle is unproblematic in the case of propositions (aziwµara) about present states of affairs, because for each of these propositions (a Euwara) there is a simultaneous fact that makes the proposition true or false. However, when a proposition ($d \xi i \omega \mu a$) is about an event that will occur at some time in the future, it may be asked whether there is anything at all that makes it true or false. If one assumes, as the Stoics seem to, that the truth-maker of a proposition must be simultaneous with the utterance of the proposition, then the event predicted by a future tense proposition cannot be its truth-maker because it is not simultaneous with the utterance of the proposition. We have already seen that this could have been a reason to adopt the standard solution and to restrict the principle of bivalence. If, however, Chrysippus had wanted to retain the principle of bivalence, he had somehow to identify the truth-maker of future tense propositions (a Euwara) and show how it establishes their truth. Let us see how this was done.

As Cicero (Fat. 20-21) tells us, Chrysippus used the following principle to defend (P1):

(P5) That which will have no causes to bring it about, will be neither true nor false.

In order to see exactly what Chrysippus meant S. Bobzien rephrased (P5), in my opinion rightly, as follows:

³⁰ I find this interpretation of the Stoic theory most convincing, but I do not exclude that a semantic theory (Tarski style) or a redundancy theory of truth (Ramsey style) would also square with the evidence.

If a motion had no causes, a proposition $(\dot{a}\xi i\omega\mu a)$ correlated to that motion would be neither true nor false.

Why is that so ? Unfortunately Cicero omits to tell us Chrysippus' exact reasons; we can only conjecture what they might have been. Let us consider the proposition $(\dot{a}\xi i\omega\mu a)$ 'Dio will walk'. In order to be either true or false this proposition needs a determinate truth-maker or falsity-maker, i.e. some fact that makes it true and its negation false or vice versa. According to the Stoic correspondence theory of truth, the truth-maker must consist of the actualisation of some predicate in some existing object or of some fact. In the case of our proposition this must be a fact about a future motion. We must ask, however, whether for Chrysippus, this is a present fact about a future motion or a future fact about a (then) present motion. In other words, which of the following modern technical affirmations better expresses what Chrysippus had in mind: 'It is a fact now that Dio will walk' or 'It will be a fact that Dio is walking' ?

Although there is no direct evidence to answer this question, there is some indication that Chrysippus rather meant the former. Firstly, there is a passage in Sextus Empiricus (M. VIII 254-5; SVF II 221, part) that clearly shows that the Stoics considered propositions about future events as either true now or false now: in the case of the conditional 'If this man has been wounded in the heart, this man will die', the proposition ($\dot{a}\xi i\omega\mu a$) 'this man will die' is said about something happening in the future, but 'is present and true even now'. Given the close link between the truth of a proposition and the actualisation of the state of affairs functioning as the proposition's truth-maker (cp. again Sextus Empiricus, M. VIII 10) it is highly likely that what makes these present propositions true is the present actualisation of a future state of affairs and not the future actualisation of a (then) present state of affairs. Moreover, it is unlikely that Chrysippus would have spoken of a future actualisation of something, because he considered only the present as 'actualised'.³¹ Given this, he would hardly have accepted a future fact as the truth-maker of a present proposition ($\dot{a}\xi i\omega\mu a$).

The crucial question for Chrysippus must have been whether a future motion that has no causes could be considered as already actualised in the present. Of course, this was denied. For, according to his theory, what decides whether a future type of event is actualised already now, can only be the present causes that bring it about and thus prevent it from not being actualised. So if there were some event without a cause, its occurrence would be undecided during the time before it occurs. During this time it could not be said that the event is actualised, nor that its contradictory is actualised. So propositions that predict this event will have no truth-maker and no falsity-maker and thus would be neither true nor false.³² On

³¹ Cp. Stobaeus, *Ecl.* 1.106,5-23 (W) = *SVF* 11,509; Plutarch, *Comm. not.* 1081C-1082A; cp. also A.C. Lloyd 1978, 294.

³² S. Bobzien 1998a, 65 has a different explanation of why a proposition ($dz_{i\omega\mu\alpha}$) about an event that has no causes is neither false nor true: "It would not be false, since it is actualised. It would not be true, since the motion to which it correlates has

the other hand, if the future event has present causes that bring it about, it is already decided that it will occur. There is therefore a present fact about the future event. The implication of this is that the present proposition already has a definite truth-value at the present time.

Chrysippus' principle (P1), along with the principle of bivalence, has clear deterministic consequences, since the causes in question are, in modern terminology, sufficient causes. However, as already mentioned, Chrysippus was not a necessitarian, i.e. he admitted contingent states of affairs. He was able to do this without giving up his belief in determinism because of his definition of the modalities, which differs significantly from that of Diodorus. S. Bobzien has shown that the system of Chrysippean modalities had the following structure:

necessary	contingent	impossible					
that which							
is not internally capable of ever being false or is externally hindered from being false	is internally capable of being true and of being false and nothing external hinders either from being true or from being false	is not internally capable of ever being true or is externally hindered from being true					
at all times from now on	at some time from now on	at all times from now on					

These definitions allow for the responsible decisions of human agents that are, on the one hand, determined by an eternal chain of causes and yet are, on the other hand, contingent.³³

II.4 Epicurus

The deterministic arguments developed in the Dialectical School were a challenge not only to the Stoics but also, and even more so, to the Epicureans. There is no evidence of a refutation of the Master Argument by the Epicureans, but Cicero tells us (*Fat.* 21) that Epicurus refuted a deterministic argument very similar to the Reaper Argument.³⁴ This he did by denying the third premise of that argument, i.e.

no causes". To this one may object that if a motion that is actualised prevents a proposition ($\Delta \xi i \omega \mu a$) from being false, it must also make that proposition ($\Delta \xi i \omega \mu a$) true. I rather think that for the Stoics a motion that has no causes is not actualised. To think otherwise would be to contradict the Stoic correspondence theory of truth.

³³ Cp. S. Bobzien 1998a, 112-119.

³⁴ In G. Seel 1993 I argue that the argument refuted by Epicurus was in fact a version of the Reaper Argument.

the Principle of the Excluded Middle.³⁵ By contrast, *Fat.* 37 suggests that he accepted a version of this principle, i.e. the truth of 'Cp $\lor \neg$ Cp', but rejected the Principle of Bivalence. Cicero criticises Epicurus for his 'pitiful ignorance of logical discourse'; he might, however, have meant that in the case of future contingent sentences, although only one of a pair of contradictory sentences can and will finally 'come true', neither is true now.³⁶ If this were the case, it would mean that Epicurus or some Epicurean followed the standard solution to Aristotle's $\dot{a}\pi opia$.

Where Cicero reports Epicurus' worries about fatalism at *Fat.* 21 one easily gets the impression that by denying the Principle of Bivalence Epicurus also wanted to refute Chrysippus' proof of fatalism. For, after the presentation of Chrysippus' argument, Cicero continues: 'Epicurus is afraid that, if he grants this (i.e. the Principle of Bivalence), he will have to grant that whatever comes about does so through fate.' If this were correct, Epicurus must have accepted Chrysippus' (P1). This is indeed what a number of scholars have argued,³⁷ but the issue is far from settled.³⁸ All the evidence we have is that Epicurus denied the principle that every motion has a cause – or at least this is how later authors such as Cicero understood him: he, in fact, reports that Epicurus allowed motions without preceding causes and that in defence of this position he invented the theory of the swerve (*Fat.* 22; 48).³⁹

However that may be, the only point of importance for our purposes is whether Epicurus or the Epicureans developed any new conception of the truth-maker of future tense sentences. The answer is obviously not. There is no evidence for such an innovation. On the contrary, if the Epicureans accepted the standard solution, they must have done so on the basis of the standard conception of the truth-maker.⁴⁰

³⁵ Cp. Cicero, Fat. 37; Nat. Deor. I 70; Acad. II 97.

³⁶ Cp. S. Bobzien 1998a, 82-83

³⁷ Cp. J. Vuillemin 1984, 232; J. Talanga 1986a, 112.

³⁸ Cp. S. Bobzien 1998a, 86. The only passage that supports this interpretation is *Fat.* 19, where Cicero says that Epicurus could grant the Principle of Bivalence without fearing that all things must necessarily come about by fate and then explains the term 'fate' according to the Chrysippean Principle of Fate. However, this could well be Cicero's own view of the meaning of 'fate'.

³⁹ It is not settled, however, whether Epicurus considered the swerve a motion without cause. He could equally well have understood that it had no sufficient cause.

⁴⁰ If Sextus Empiricus, M. VII 211-16 (Usener 247) is a reliable report of the Epicurean conception of truth (which is doubtful, cp. D. Sedley 1982, 239-72) it supports our interpretation. According to Sextus, the Epicureans held that an opinion is true if it is attested or uncontested by self-evidence and false if it is contested or unattested by self-evidence. So it can be true only if it is not contested by self-evidence. However, as the Plato example shows, a future contingent sentence that is later contested by self-evidence is false.

II.5 Carneades

A completely new conception of truth and the truth-maker, and hence a new solution to Aristotle's anopia, was discovered by Carneades of the New Academy. According to him, as reported by Cicero, the truth and falsity of a sentence does not depend upon an eternal chain of causes that bring about the correspondent fact, but simply upon the fact itself.⁴¹ The question is, however, whether in the case of future contingent sentences this fact is to be seen as a present fact about a future event or as a future fact about a (then) present event.⁴² Unfortunately, Cicero's imprecise language does not allow a definite answer to this question, but the absence of any evidence to the contrary leads us to suppose that Carneades meant the less technical second version. His new conception of the truth-maker of future tense sentences allows him to reject Chrysippus' (P1) and also to admit future contingent events. He could also, of course, avoid the deterministic consequences of both Aristotle's Truth-to-Necessity-Argument and the Reaper-Argument, without giving up the Principle of Bivalence. Defenders of the non-standard interpretation argue that Aristotle himself followed this line of argument.

II.6 The Peripatetic school of Alexander of Aphrodisias

Carneades was not the only philosopher who tried to avoid Stoic fatalism while preserving, along with the Stoics, the principle of bivalence. Most of the later opponents of Stoicism followed Carneades in rejecting the Stoic thesis that fatalism does not imply necessitarianism. Consequently, they understood the Stoics to be necessitarians.⁴³ It is impossible to discuss here all the details of the debate. I shall rather concentrate on one particular school that found a new solution to Aristotle's anopia, or so it seems, i.e. the Peripatetic School of Alexander of Aphrodisias.

I shall argue that it was this school that discovered a vital distinction that would later allow the neoplatonic commentators, Ammonius and Boethius, to develop a new solution to Aristotle's $\dot{a}\pi a\rho i a$. As we shall see, they argued that sentences about future contingent events are either true or false, but not definitely so. They tried to show that deterministic consequences would follow only if all assertoric sentences were either definitely true or definitely false, but in fact some

⁴¹ Cp. Cicero, Fat. 19 quod ita cecidit certe casurum, sicut cecidit, fuit; Fat. 27 ut praeterita ea vera dicimus quorum superiore tempore vera fuerit instantia, sic futura quorum consequenti tempore vera erit instantia, ea vera dicemus.

⁴² Cp. H. Weidemann 1994, 256-259 who seems to opt for the second possibility.

⁴³ For Alexander of Aphrodisias cp. R. Sharples, 1983a, 20-21.

are either indefinitely true or indefinitely false. In this way, the principle of bivalence was preserved and determinism avoided.

Unfortunately, the exact meaning of the terms 'definitely true' and 'indefinitely true' is unclear in the texts of the neoplatonic commentators and is even less clear in the texts of the School of Alexander. Consequently, there is much scholarly debate concerning this new solution to the $\dot{a}\pi o \rho i a$, as to whether it is a version of the standard solution or of the non-standard solution.

We know little or nothing about Alexander's position concerning the principle of bivalence. In chapter 10 of his *De Fato*, where he discusses Aristotle's example of tomorrow's sea-battle, his main concern is the theory of the Stoics who, of course, accepted the principle of bivalence. However, he never clearly states whether he himself believes that future contingent sentences are either true or false; all he seems to admit is that, if these sentences are true, then the events they predict occur necessarily.⁴⁴ However, we do have two important testimonies that seem to show that members of his school accepted the principle of bivalence for future contingent sentences and that they made a distinction between 'definitely true' and 'indefinitely true'. The first piece of evidence is a passage from Simplicius' *Commentary* on Aristotle's *Categories*. Simplicius reports (*in Cat.* 406, 13-16) that a certain Nicostratus⁴⁵ denied that future contingent sentences have any truth-values at all. He then contrasts this position with that of the Peripatetics, saying:

But the Peripatetics say that the contradiction regarding the future is true or false, while it is by nature unseizable and uncertain which part of it is true and which part is false. For nothing prevents us from saying the contradiction with respect to any time, as for instance 'it will be or it will not be', and each of the two parts contained in it, as for instance 'it will be' or 'it will not be', is already $(\eta \partial \eta)$ true or false in a definite way $(\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma)$ with respect to the present or past time. But those parts of a contradiction which are said with respect to the future are not yet $(\eta \partial \eta)$ true or false, and they will be true or false. Let these things be sufficient against $(\pi\rho\dot{\alpha}\varsigma)$ Nicostratus.

Of course, we do not know the definite identity of the Peripatetics referred to by Simplicius, but it is possible, and even plausible, that he is referring to the school of Alexander, because the above theory could very well have been a direct reaction to Nicostratus' view, and he lived in the middle of the second century AD.⁴⁶

However this may be, we learn two important things from this passage:

1. According to the Peripatetics, the principle of bivalence holds for future contingent sentences. In my opinion, this is obvious from the first sentence of the above text, and is confirmed by the fact that the

⁴⁴ See also C. Natali 1996, 243 and R. Sharples 1978a, 264.

⁴⁵ Probably a Platonic philosopher of the second century AD. Cp. M. Mignucci in this volume, 280.

⁴⁶ See also M. Mignucci in this volume, 281-284, who is more hesitant about this.

Peripatetic position is said to be opposed to that of Nicostratus, who denied this.

2. The Peripatetics used the distinction between 'already true or false in a definite way' and 'not yet true or false' to characterise the different ways in which sentences about the present or the past and sentences about the future have their truth-values.

Supporters of the standard interpretation could, of course, understand the expression 'not yet true or false' as meaning that future contingent sentences 'have no truth-value at the moment of their utterance'. In this case, the expression 'already true or false in a definite way' would simply mean that sentences about the present or the past 'already have a truth-value'. This, however, would contradict our first point which is well confirmed.

It should not be forgotten that the distinction is between 'already' and 'not yet', and not between 'in a definite way' and 'in an indefinite way'. It is therefore plausible to suppose that the expression following 'not yet' has the same value as the expression following 'already'. In support of this interpretation, M. Mignucci has argued that $\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma$ can very well be connected to $\eta\partial\eta$ $\mu\dot{e}\nu$ $\sigma\dot{\nu}\kappa$ $\ddot{e}\sigma\tau_i\nu$ $\dot{a}\lambda\eta\partial\eta$ $\ddot{\eta}$ $\psi\epsilon\nu\partial\eta$ at 407,12-13.⁴⁷ If so, there is no longer a contradiction in the text. It says that, according to the Peripatetics, future contingent sentences are either true or false, but not in a definite way, at the time of their utterance. However, we still do not know what the expression 'already in a definite way' as opposed to 'not yet in a definite way' exactly means. To find out, we need a text in which the expression is used to solve Aristotle's $\dot{a}\pi\sigma\rho_ia$.

Luckily for us, such a text does exist, though transmitted in rather poor shape. I am referring to a passage found in *Quaestio* I,4, attributed to Alexander. We cannot be sure that Alexander himself is the author, but it certainly comes from his school.⁴⁸ Although the text is not without ambiguities, it helps clarify the meaning of the expression 'definitely true'. We are told that certain (unnamed) people argue the following:

If that is possible from which, if it is supposed that it is the case, nothing impossible results, and if from everything of which the contradictory is truly said beforehand, there results, if it is supposed that it is the case, the impossibility that the same thing both is and is not at the same time, then none of those things, of which one part of the contradictory disjunction referring to the future is definitely true, would be contingent. But, as they say, in all cases one part of the contradictory disjunction is definitely true. ... So nothing is contingent.⁴⁹

The argument is clearly meant to be a proof of necessitarianism. The author apparently uses it to show that the Stoics cannot avoid necessitarianism. There are two stages to the argument:

⁴⁷ Cp. M. Mignucci in this volume, 281.

⁴⁸ Cp. R. Sharples 1978a, 264.

⁴⁹ The translation is R. Sharples' 1992, 34 slightly modified.

Step one

The overall structure of the first step is the following:

(PI)	If A and B then C Now A and B	
(PII)		
(C)	Therefore C	

The first premise states that C follows logically from A and B. This is shown by proving that A and B are incompatible with the contradictory of C. Let us analyse this in detail.

C 'None of those things, of which one part of the contradictory disjunction referring to the future is definitely true, is contingent.'

If p is a variable of future states of affairs, we get:

C1 (p)($T_d[Cp] \rightarrow \neg KC \sim p$)

C1 can be transformed into C2.

C2 (p) \neg (T_d[Cp] • KC~p)

The contradictory of this is

D There are things (states of affairs) such that one part of the contradictory disjunction referring to the future is definitely true and the contradictory state of affairs is contingent. $\exists p (T_d[Cp] \bullet KC \sim p)$

That D is not compatible with A and B results from a *reductio* of D with the help of A and B.

A (Only) that is possible from which, if it is supposed to be the case, nothing impossible results.

A relies on the principle (P1) and its conversion (P2).

- (P1) If Cp is possible and Cp implies Cq then Cq is possible too.⁵⁰
- (P2) If Cq is impossible and Cp implies Cq then Cp is impossible too.

A also states that something considered to be possible can be tested by supposing its actuality and seeing whether from this hypothesis an impossibility results. If an impossibility does result, it was wrongly considered possible. The state of affairs \sim p that, according to D, is contingent and therefore possible is subjected to this test. The inevitable result of the test is stated in B.

⁵⁰ This principle is first found in Aristotle (*Metaph.* IX, 3, 1047a24-26; *An. Pr.* I, 13, 32a18ff); it also features as the second premise of the Master Argument. For a commentary see G. Seel 1982a, 329ff.; cp. also G. Seel 1982b.

B 'From everything of which the contradictory is truly said beforehand, there results, if it is supposed that it is the case, the impossibility that the same thing both is and is not at the same time.'

The reasoning underlying B is that according to D [Cp] is true now and therefore, according to the principle of correspondence, it is the case now that p will occur at a precise moment in the future. Furthermore, and still according to D, it is possible now that $\sim p$ will occur at the same moment. If one supposes that this possibility is actualised one gets that it is the case now that p will occur at a precise future moment and that it is the case now that $\sim p$ will occur at that same moment. This, however, is a contradiction and, as the text states, an impossibility. This means that D is incompatible with both A and B and that its contradictory, C, can be deduced from A and B. This can be shown directly in the following way.

B may be formalized as follows:

B $T[Cp] \rightarrow \{C \sim p \rightarrow (Cp \bullet C \sim p)\}$

From B, by using the principle of correspondence, one gets the following tautology:

 $B' \qquad Cp \rightarrow \{C \sim p \rightarrow (Cp \bullet C \sim p)\}$

By applying the impossibility test according to (P2) to C~p, from B one gets:

B" If [Cp] is true, then C~p is impossible.

By using the usual intermodal relations and by substituting 'definitely true' for 'true', as the text has it, B" can be transformed into C.

C If [Cp] is definitely true C~p is not contingent.

According to this argument, C in fact follows from A and B. Apparently, the authors of the argument accepted A and B and thus C, because in the following step they use C along with E to deduce F.

Step two

The first premise is an enlarged version of C that we call C3.

C3 If [Cp] is definitely true now C~p is not contingent now and if [C~p] is definitely true now C~p is not contingent now.

As a second premise the authors of the argument add a version of the principles of non-contradiction and of the excluded middle.

E Either [Cp] is definitely true or [C~p] is definitely true.

From C3 and E they deduce F.

F Neither Cp nor C~p is contingent.

Of course, F does not follow directly from C3 and E. Therefore, in the passage following our quotation, the authors show that if one part of the contradiction is

impossible the other, being necessary, cannot be contingent. So the argument is a proof of necessitarianism, as we said at the beginning. But is it a sound argument?

The answer to this question depends on the meaning of the expression 'definitely true'. It is interesting to note that this expression occurs only in C and D, but we may surmise that the expression 'true' or 'truly' in B must mean 'definitely true'. If ' [Cp] is definitely true' simply meant that the sentence has a truth value and this is the value 'true', as the supporters of the standard interpretation argue, then the deduction in B would be nothing but a fallacy. For if [Cp] is rue and one supposes that C~p, one supposes by the same token that [Cp] is not true. The truth of [Cp] does not prevent us supposing that [Cp] is not true, as long as [Cp] could not be true. Therefore, from supposing that C~p no contradiction results.⁵¹

This is quite different, if 'definitely true' has a modal meaning in the sense of P(3), as stated by the non-standard interpretation.

P(3) If [Cp] is definitely true, then it is necessary that [Cp] is true.

In this case, if [Cp] is definitely true one can no longer reasonably suppose that it is false. This means that the hypothesis that $\sim p$ is the case indeed leads to the contradictory assumption of Cp • C~p. Thus, the argument is valid, if the authors understood 'definitely true' in the sense of P(3), while it clearly is a fallacy, if they understood it in the first sense. This is a strong indirect argument in favour of the non-standard interpretation. Only the latter safeguards the authors from the charge of failure.

R. Gaskin (1995, 373-74) gives an alternative reconstruction of the argument. He supposes that the authors adhere to the doctrine of modality relative to the facts.⁵² However, there is no trace of this doctrine in the text.

In the solution given at 13, 2-6 the expression 'definitely true' reappears:

But it is alike possible for the same thing to come to be and not to come to be, how is it not absurd to say, in the case of these things, that one part of the contradiction uttered beforehand is true definitely ($\dot{a}\phi\omega\rho_{1}\sigma_{2}\dot{v}\omega_{5}\dot{a}\lambda_{7}\theta\epsilon_{5}$), and the other false, when the thing in question is alike capable of both?⁵³

This clearly means that the existence of contingent events prevents us stating that of all contradictory future sentences one is definitely true (and the other definitely false). That is to say that necessitarian consequences follow if and only if all sentences have their truth-values in a definite way.

What then can we conclude as to the meaning of the expression 'definitely true'? Does it mean that a sentence simply has the value 'true', or does it mean that a sentence has the value 'true' in a way that it could not lack it? As we have seen, the argument is sound if and only if the expression 'definitely true' has the latter meaning. I therefore opt for this interpretation. In his paper (p.283 below)

⁵¹ For this objection see also R. Sharples 1992, 34 n. 80.

⁵² See above p.20.

⁵³ Here again I follow R. Sharples' translation 1992, 36, slightly modifying it.

M. Mignucci, however, refuses to give a definite answer. His main reason for this is that in the present passage it is not said to what $\dot{a}\phi\omega\rho_{I}\sigma\mu\dot{e}\nu\omega\varsigma$, $\dot{a}\lambda\eta\theta\dot{e}\varsigma$ is opposed; it might be opposed either to what is indefinitely true or to what is not yet true. I feel, however, that Mignucci is being somewhat over-cautious. For, as we have seen, only the first conjecture leaves the argument reported and criticised by the Peripatetics sound. Moreover, the expression $\dot{a}\kappa \eta \partial \eta$ does not occur in the text, and it is surely more natural to oppose $\dot{a}\phi\omega\rho_{I}\sigma\mu\dot{e}\nu\omega\varsigma$ $\dot{a}\lambda\eta\theta\dot{e}\varsigma$ to $\dot{a}\kappa$ $\dot{a}\phi\omega\rho_{I}\sigma\mu\dot{e}\nu\omega\varsigma$ $\dot{a}\lambda\eta\theta\dot{e}\varsigma$. It is true, however, that $\dot{a}\kappa \dot{a}\phi\omega\rho_{I}\sigma\mu\dot{e}\nu\omega\varsigma$ $\dot{a}\lambda\eta\theta\dot{e}\varsigma$ does not occur in the text either and, even if it did, it could have the same meaning as $\dot{a}\kappa$ $\eta\partial\eta$ $\dot{a}\lambda\eta\theta\dot{e}\varsigma$, but this is speculation for which there is no evidence in the text.

Taken together, these two testimonies (Simplicius' Commentary and Quaestio 1.4) make it plausible that the Peripatetics of Alexander's School were the first to use the distinction between 'definitely true' and 'indefinitely true' to resolve Aristotle's $\dot{a}\pi o \rho i a$. Moreover, both testimonies speak in favour of the non-standard interpretation. It is still, however, an open question whether Alexander himself adopted that solution.⁵⁴

II.7 The neoplatonic commentators Ammmonius and Boethius

As we have said, the distinction between 'definitely true' and 'indefinitely true' plays a crucial role in the solution to Aristotle's $\dot{a}\pi\alpha\rho ia$ proposed by the neoplatonic commentators, Ammonius and Boethius. Both argue that sentences about future contingent events are not definitely true or definitely false but only indefinitely true or indefinitely false,⁵⁵ and that deterministic consequences follow only if the sentence under consideration is definitely true. In order to understand this solution fully, we again need to know what these authors meant by 'definitely true' and 'indefinitely true'. This is a highly controversial issue.

There is one group of scholars who believe that if a sentence is indefinitely true now it has no truth-value at the present moment and is therefore neither true nor false. On this view, the solution of Ammonius and Boethius is identical, or at least very similar, to the standard solution.⁵⁶

There is a second group of scholars, including Norman Kretzmann and Richard Gaskin, who think that although Ammonius and Boethius agree with the standard solution on a fundamental point, there is still what one might call a 'rhetorical' difference. Both argue that one should distinguish what Kretzmann calls 'narrow and broad bivalence'.⁵⁷ The principle of bivalence in the narrow sense is that at any given time every sentence has exactly one of these two truth values, true or false. The principle of bivalence in the broad sense is that at any

⁵⁴ See again R. Sorabji 1980, 92-93 and R. Sharples 1983a, 11-12; 1978a, 264.

For Boethius cp. In Int. ed. pr. 106.30; ed. sec. 191.5, 208.11ff, 245.9, 249.25-250.1.
 For Ammonius see In Int. 130.20-26, 131.2-4, 138.13-17, 139.14-15, 154.34-155.3.

⁵⁶ Cp. H. Weidemann 1994, 300ff.; D. Frede 1985, 75.

⁵⁷ Cp. N. Kretzmann 1998, 36.

given time every sentence eventually has exactly one of these two truth values, true or false; and so at any time at which it does not yet have one of those truth values it has the disjunctive property either-true-or-false.

This disjunctive property cannot be understood truth-functionally, as Gaskin (1995, 149) rightly emphasises, nor is it, according to Gaskin, a third truth value.⁵⁸ It only means that the values true and false "exhaust the possibilities of which one is to be realised for each such proposition". Kretzmann and Gaskin think that by attributing the broad principle of bivalence to Aristotle, Ammonius and Boethius tried to protect him against the Stoic charge of having abandoned the principle of bivalence. But could Aristotle really be defended in this way? The Stoic point was that Aristotle gave up the principle of bivalence in the narrow sense, and, according to Kretzmann and Gaskin, Ammonius and Boethius admitted that he did. So it is doubtful that this 'second oldest interpretation' differs any more than 'rhetorically' from the oldest one.⁵⁹

A third group of scholars rejects both these interpretations of Ammonius and Boethius;⁵⁰ they argue instead that the Neoplatonic solution did not give up the principle of bivalence in the narrow sense. According to this view, Boethius and Ammonius, by characterising a sentence as 'indefinitely true', do not say that it has as yet no truth value, but that the truth value it has is not predetermined by any kind of general law or fatalistic necessity. The solution to the $\dot{a}\pi o\rho ia$ lies in the fact that this kind of truth does not imply necessity.

We are convinced that the general line of interpretation the third group adopts is in fact the correct one. If so, one doubtful point remains, however, to clarify. It is obvious that the solutions of both Carneades and the neoplatonic commentators avoid necessaritarianism. However it is not at all clear that they also avoid determinism, as I define it. For it seems that for all times (t) and all types of events (p) it is settled, at each moment in the history of the world, whether or not p will occur at t, if the sentence predicting that event as a contingent event are true at each moment before t. How then can we call the position of these philosophers 'indeterministic'?

One should keep in mind that determinism, as I define it, is a thesis about the real course of the world process: if one looks from the present to the future there is at each future moment a determined event that is going to happen. Indeterminism, on the other hand, is the position that, from the point of view of the present, it is still open and undecided which of several different types of event will actually occur at each future moment. How is the latter compatible with the present truth of sentences about future events? It is important to see that these sentences have their truth-values not from the point of view of the present but

⁵⁸ M. Mignucci, however, considers it to be a third truth-value (cp. his article in this volume, 251).

⁵⁹ That is how N. Kretzmann characterises the Neoplatonic solution. R. Gaskin 1995, 167 explicitly admits that D. Frede's interpretation "broadly coincides" with his.

⁶⁰ R. Sorabji, 1980, 92-93; 1998, 8ff; R. Sharples, 1978a, 263-64; M. Mignucci, 1994; 1998, 53ff.

from the point of view of the future or of eternity. The sentences are true because, from a timeless point of view, there is an event that makes them true. This event presents the outcome of the open course of the world process. It is because, from a timeless point of view, the open course has this outcome that there is a present fact about this outcome and a present truth of the sentence predicting it. Therefore, present facts about future events and the present truth of sentences about those events do not exclude the openness of the course leading to those future events.⁶¹

The development of the debate about future contingents in antiquity may be summarised in the table given opposite. If we look back at the different solutions given to Aristotle's $\dot{a}\pi \omega \rho \dot{a}$ during antiquity we find two major groups of solutions: (a) those which accept some kind of determinism (Aristotle's adversaries, Diodorus Cronus and the Stoics) and (b) those which avoid determinism (Aristotle, Epicurus, Carneades, the School of Alexander and the Neoplatonic Commentators). Among the latter, as we have seen, the solution which consisted in the rejection of the principle of bivalence is called 'the standard solution';⁶² all other solutions should therefore be called 'non-standard'.⁶³ This is the terminology adopted in the present volume. Nevertheless, there is an important difference between the various non-standard solutions, concerning both the conception of the truth-maker and the modalisation of truth values. While Carneades considers the future events themselves to be the truth-makers of future contingent sentences, Ammonius, as we shall argue, considers present facts about future events to be the truth-makers of this kind of sentence. Furthermore, Carneades did not distinguish between 'definite' and 'indefinite' truth-values, whereas, as we have seen, the difference between 'definitely true' and 'indefinitely true' played a vital role in the interpretations of Ammonius and Boethius.

The crucial question, however, is whether sentences that are 'indefinitely true' are at the moment of their utterance *not yet true* or *simply true*. To hold the former is to follow the standard interpretation; to hold the latter is to follow a non-standard-interpretation. The first and the second group of scholars, discussed above, attribute to Ammonius and Boethius the standard interpretation, whatever other differences they might have discovered between the 'oldest' and the 'second oldest' solutions. In our opinion, however, Ammonius believed that what is indefinitely true is also true. He is thus to be seen as a defender of the non-standard interpretation, hence the difference between Carneades and Ammonius and Boethius in this respect is not fundamental. The major difference between them concerns the explanation of why Aristotle's adversaries and other

⁶¹ M. Mignucci (cp. below, p.276), though not admitting present facts about future events, comes to a similar solution.

⁶² Sometimes called 'the traditional solution' (cp. J. Hintikka 1973, 461-92; R. Sorabji 1980, 92) or 'the oldest solution' (cp. N. Kretzmann 1998, 24).

⁶³ Also called 'the non-traditional solution' or 'the second oldest solution'.

	Is the principle of bivalence valid for future contingent sentences?	What is the truth-maker of future contingent sentences?	Ontological position
Aristotle's adversaries	yes	the predicted future event	necessitarian determinism
Aristotle (on the standard interpretation)	no	there is no truth-maker at the present moment	indeterminism
Diodorus Cronus	yes	present facts about future events	non-necessitarian determinism
Chrysippus	yes	present facts about the predicted event established by present causes of that event	non-necessitarian fatalistic determinism
Epicurus	no	there is no truth-maker at the present moment	non-necessitarian anti-fatalistic indeterminism
Carneades	yes	the predicted future event	non-necessitarian indeterminism
Alexander's School	yes	?	non-necessitarian indeterminism
The Neoplatonic Commentators (on my interpretation)	yes: not, however, the modalised principle with definite truth-values	The present fact that the predicted event will happen	non-necessitarian indeterminism

determinists accepted the truth-to-necessity argument as valid. Ammonius and Boethius explain this error by pointing out that the determinists failed to distinguish 'definitely true' and 'indefinitely true' and that they thus thought that what holds only for definitely true sentences would hold for all true sentences. Carneades, however, at least the Carneades presented by Cicero, made no attempt to explain the error of the determinists; for him, it was sufficient simply to show that it was an error. He had no need therefore of the distinction that proved so important to the Neoplatonists.

In this volume we try to present all the available evidence to show that Ammonius did not follow the standard interpretation. We are convinced that the same is true of Boethius. However, his is a more complicated case and needs a separate study. For a discussion of Boethius, the reader may like to refer to the article of Mario Mignucci.

Part III

Ammonius On Aristotle: De Interpretatione 9 (and 7, 1-17)

Greek text established by A. Busse, reprint from CAG (IV/v) English translation by David Blank, revised by J.-P. Schneider and Gerhard Seel

AMMONII IN L. DE INTERPRETATIONE c. 7 [Arist. p. 17a38.b12]

p. 17 * 38 'Επεί δέ έστι τὰ μèν χαθόλου τῶν πραγμάτων τὰ δὲ 30 χαθ' ξχαστον (λέγω δε χαθόλου μεν δ επί πλειόνων πέφυχε χατηγορείσθαι, χαθ' έχαστον δέ δ μή, οίον άνθρωπος μεν τῶν χαθόλου, Καλλίας δε τῶν χαθ' ξχαστον), ἀνάγχη δε ἀποφαί- 35 15 νεσθαι ώς ύπάργει τι ή μή ότε μεν των χαθόλου τινί ότε δε τῶν χαθ' ἕχαστον, ἐἀν μὲν | χαθόλου ἀποφαίνηται ἐπὶ τοῦ 70r χαθόλου δτι ύπάρχει τι η μή, έσονται έναντίαι αί αποφάνσεις (λέγω δε έπι τοῦ χαθόλου ἀποφαίνεσθαι χαθόλου οἶον καξ άνθρωπος λευχός - ούδεις άνθρωπος λευχός), δταν δε έπι 20 τῶν χαθόλου μέν, μὴ χαθόλου δέ, αύται μὲν οὐχ εἰσιν ἐναντίαι, 5 τὰ μέντοι δηλούμενα έστιν είναι ποτε έναντία. λέγω δὲ τὸ μὴ χαθόλου αποφαίνεσθαι έπι των χαθόλου οΐον 'έστι λευχός άνθρωπος — ούχ έστι λευχός άνθρωπος'· χαθόλου γάρ όντος τοῦ άνθρωπος ούγ ώς καθόλου κέγρηται τη αποφάνσει· το γάρ πας 10 ού τὸ χαθόλου σημαίνει, ἀλλ' δτι χαθόλου. $\mathbf{25}$

^{*}Αρχεται μέν έντεῦθεν τὸ δεύτερον τοῦ βιβλίου χεφαλαιον, δπερ ἐλέγομεν είναι περὶ τῶν ἐξ ὑποχειμένου καὶ χατηγορουμένου προτάσεων ἢ ἀποφάνσεων· δεῖ δέ γε ἡμᾶς πρὸ τῆς ἐξηγήσεως τῶν διὰ τοῦ ῥητοῦ λεγο- 15 μένων θεωρῆσαι τὰ πρὸς κατανόησιν τοῦ χεφαλαίου παντὸς ἀναγχαῖα· 30 ταῦτα δέ ἐστι πρῶτον μὲν τίνα τρόπον ἐχ τῶν χαταφάσεων τούτων ποιοῦ-

¹¹ ante lemma add. άργη τοῦ δευτέρου τμήματος AF: τμήμα δεύτερον G²: περί του δευτέρου τμήματος Μ: Άρχή του δευτέρου τμήματος. Περί των έξ ύποχειμένου χαί χατηγορουμένου προτάσεων a : om. G¹ 12 xadéxaora a λέγω - χαθόλου (25) om. 16 μέν ούν b Ma 14 χαθέχαστα G άνάγχη — χαθόλου (25) om. G 18 αποφαίν.] απόφανσιν F 20 αδται μέν om. F 17 al om. A 21 μέντι Α 24 άποφάσει F 26 μέν οῦν Ma 26. 27 έλέγομεν] έναντ. ποτέ colloc. b 27 η — έξηγήσεως των (28) suppl. G² 28 άποφάσεων Α p. 8, 14 684,74σεως] έζετάσεως Α'Μ 30. p. 87,1 ποιούμεθα a

<CHAPTER 7>

(17a38 - 17b12) Since some things are universal and others are singular (by 'universal' I mean what is according to its nature such as to be predicated of several things, by 'singular' what is not such, for example, 'man' belongs to the universals, and 'Callias' to the singulars), it is necessarily sometimes of one of the universals and sometimes of one of the singulars that one asserts that something holds or does not hold. Now, if one asserts universally of a universal that something holds of it or <in the other case> that it does not, then these assertions will be contraries (by 'to assert universally of a universal' I mean, e.g. 'Every man is pale – No man is pale'). But if one asserts something of universals, but not universally, these assertions are not themselves contraries, but the things they indicate can sometimes be contraries. By 'to assert not universally of universal, is universal way; for the word 'every' signifies not the universal, but that <it is used> universally.

<Introduction to the second main section of the book>

1. Here begins the second main section of the book⁶³, which we said (8,13-16) was about the sentences or assertions <consisting> of a subject and predicate. But before the explanation of what is said in the text, we must examine the points which are necessary for the understanding of the entire section. These are: (a) first, how do we make negative sentences out of affirmative sentences; (b) next, how should we get by division all the

⁶³ cp. *infra*, p. 133 of the commentary.

[87]

μεν τὰς ἀποφάσεις, ἐπειτα πῶς ἀν λάβοιμεν ἐχ διαιρέσεως ἁπάσας τὰς ἐξ 20 ὑποχειμένου καὶ κατηγορουμένου προτάσεις, Γνα θαρροῦντες ἀποφαινώμεθα ὡς οὐχ ἀν εἰη χατὰ τοῦτο τῶν προτάσεων τὸ εἶδος ἀλλη παρὰ ταύτας πρότασις, καὶ ἐπὶ τούτοις τίνες μέν εἰσιν ἐν αὐταῖς αἱ ἀναφατιχῶς ἀλλή-5 λαις ἀντιχείμεναι, τίνες δὲ αἱ δοχοῦσαι μὲν ἀντιφάσχειν, χατὰ ἀλήθειαν δὲ 25 οὐχ ἀντιφάσχουσαι, καὶ πῶς τὰς ἐχείνων πρὸς ἀλλήλας ἀντιθέσεις προσαγορευτέον.

[°]Οτι μέν οὖν ή χατάφασις τὸ ἀρνητικὸν προσλαβοῦσα μό|ριον ἀπό- 70ν φασις γίνεται, φανερόν. ποῦ δὲ τῆς καταφάσεως αὐτὸ θετέον, ἶνα τὴν 10 ἀπόφασιν ποιήσωμεν, καὶ διὰ τί τοῦτο, διορίσασθαι χρή. φημὶ τοίνον ὡς οὐ τῷ ὑποχειμένφ αὐτὸ συνταχτέον, ἀλλὰ τῷ χατηγορουμένφ, πρῶτον μὲν 5 διότι χυριώτερόν ἐστι τὸ κατηγορούμενον, ὡς εἴρηται, καὶ πρότερον τοῦ ὑποχειμένου, ὅθεν καὶ ὅλος ὁ λόγος καλεῖται κατηγορικός (βουλομένους οὖν ἡμᾶς ἀνελεῖν τὴν κατάφασιν καὶ ποιῆσαι ἀπόφασιν οὐ χρὴ τὸ ἀρνητι-

- 15 κὸν μόριον τὸ τῆς ἀναιρέσεως αἶτιον τῷ ἀχυροτέρῷ τῶν μορίων ἐπιφέρειν 10 ἀλλὰ τῷ χυριωτέρῳ, ἐπεὶ χαὶ τῶν ζψων μᾶλλον δὲ πάντων τῶν ἐμψύχων οὐ τὸ τυχὸν τῶν μορίων ἀναιρεθὲν ἔφθειρε τὸ ὅλον ἀλλά τι τῶν χυριωτέρων), ἔπειτα ὅτι τὴν χατάφασιν χατὰ τὸ λέγειν τι ὑπάρχειν ἔφαμεν χαραχτηρίζεσθαι, τοῦτο δὲ ἔτι λέγει ἡ πρότασις ἡ συντάξασα τὸ ἀρνητιχὸν 15
- 20 μόριον τῷ ὑποκειμένῳ· ὁ γὰρ εἰπὼν 'οὐ Σωκράτης περιπατει' οὐ τὸ περιπατειν ἀνείλεν ἀπὸ τοῦ Σωκράτους, ὅπερ ἔδει ποιειν τὸν ἀπόφασιν εἰπειν προθέμενον, ἀλλ' ἀλλον τινὰ παρὰ τὸν Σωκράτην φησὶ περιπατειν· πῶς 20 οῦν ἀν εἰη ἀπόφασις τῆς 'Σωκράτης περιπατει' ἡ μήτε περὶ τοῦ αὐτοῦ ὑποκειμένου διαλεγομένη καὶ ἀλλῷ τὸ περιπατειν λέγουσα ὑπάρχειν;
- 25 ἀνάγκη ἄρα πρός τῷ κατηγορουμένψ μόνως τιθεμένην τὴν ἄρνησιν ἀπόφασιν ποιεῖν, ὡς ἔχει ἡ λέγουσα πρότασις 'Σωκράτης οἰ περιπατεῖ'. 25 ἡ ἄρα 'οἰ Σωκράτης περιπατεῖ' ἐπειδὴ δέδεικται μὴ οἶσα ἀπόφασις, πᾶσα δὲ πρότασις ἢ ἀπόφασίς ἐστιν ἢ κατάφασις, κατάφασις ἔσται ἀόριστον ἔχουσα τὸ ὑποκείμε|νον (τὸ γὰρ ὄνομα τὸ ἀρνητικὸν μόριον προσλαβὸν 71² 30 ἀόριστον προσαγορεύομεν ὄνομα), καὶ ταύτης ἀπόφασιν κατὰ τὸν αὐτὸν λόγον εὑρήσομεν οὖσαν τὴν 'οἰ Σωκράτης οἰ περιπατεῖ', πρὸς τῷ κατη-

² άποφήν. Γ 4 πρότασις G: τές προτάσεις AFMa 10 dià tí om. F χρή] ώς είρηται] p. 70,4 sq. post είρηται add. ένθα έλεγεν. dei F 12 διότι om. M άνάγχη δε πάντα λόγον άποφαντιχόν έχ βήματος είναι ή πτώσεως βήματος. χαι ό πορφύριος φησίν ώς εν τω χατηγοριχώ είδει του άποφαντιχού λόγου το χύρος έγει μάλιστα το χατηγορούμενον ώς την δπαρξιν της αποφάνσεως σημαίνον G et in mrg. A ώς πρότεpov G 13 80.05 om. AM χαλείται om. F 15 άναιρέσεως] άρνήσεως G άχυριωτέρω Α: άχυρωτέρω FMa τῶν μορίων - χυριωτέρω (16)] προστιθέναι F: 18 xatà] xaì G τι] τὸ Μ om. M 17 χαιριωτέρων G ξώαπελ] 20 od (prius)] o M 21 άπὸ om. AM τόν] την Gι 22 alla A1 p. 17,2 σωχράτη utrobique A 23 av ouv colloc. Ma περιπατείν F an περιπ. (προτάπερί suppl. G² 24 άλλως G σεως)? ή om. AGMa 29 μόριον 30 αόριστον οπ. Α προσηγόρευεν G¹: προσηγορεύομεν G² αύτὸν om. F om. G 31 εύρήσωμεν F ού (ante περιπ.) om. Μ τω] τό A

sentences <consisting> of subject and predicate, so that we may confidently assert that there is no other sentence of this kind besides these; (c) and after that, which sentences among these form contradictory oppositions, which sentences <only> seem to contradict, without actually contradicting, and how must we speak of their oppositions with one another.

<(a) On the placement of the negative particle>

2. Now, that the negative sentence arises when the affirmative sentence takes on the negative particle, is clear. But where in the affirmative sentence one must place it, in order to make the negative sentence, and why this is so, we must determine. I say, therefore, that one must not join it to the subject, but to the predicate; first, because the predicate is more important, as has been said (70,4f.), and prior to the subject, which is also why the whole sentence is called 'predicative' (so, if we want to deny the affirmative sentence and make a negative sentence, we must not attach the negative particle, which is the cause of the destruction, to the less important of the parts, but to the more important, since in animals too, or better in any living being, the whole does not perish if just any part is denied, but only if one of the more important parts <is denied>); next, because we said the affirmative sentence is characterised as <a sentence> saying that something is the case, but the sentence which combines the negative particle with the subject still says this, for one who has said 'Not Socrates walks' did not remove the walking from Socrates, which one intending to say a negative sentence had to do, but says that someone other than Socrates is walking, and how could it be a negation of 'Socrates walks' if it does not speak about the same subject and says that walking belongs to another <subject>? Thus, it is necessary that the negative particle make a negative sentence only when added to the predicate, as in the sentence 'Socrates does not walk'. So, the <sentence> 'Not Socrates walks', since it has been shown not to be a negative sentence and every sentence is either a negative sentence or an affirmative sentence, will be an affirmative sentence with an indefinite subject (for we call the name which has added the negative particle an 'indefinite name'), and we shall find, by the same reasoning, that the corresponding negative sentence is 'Not Socrates does not walk', which places the negative particle with the predicate of the

γορουμένω έν τη χαταφάσει τὸ ἀρνητιχὸν τιθεῖσαν μόριον. ὥστε περὶ τὸ 5 αὐτὸ ὑποχείμενον δύο γίνονται ἀντιφάσεις, μία μὲν ὡς ὡρισμένψ αὐτῷ χρωμένη, ἑτέρα δὲ ὡς ἀορίστψ.

Τούτων οῦν οῦτως ἐχόντων ἑξῆς ἐπισκεψώμεθα τὰς διαιρέσεις, ἀφ' 5 ῶν οἶόν τε τὸν ἀριθμὸν τῶν ἐξ ὑποκειμένου καὶ κατηγορουμένου προτάσεων 10 ἑλεῖν, καὶ πρότερον τὰς γινομένας ἐν αὐταῖς ἀντιφάσεις ἀριθμήσωμεν· φανερὸν γὰρ ὅτι αί προτάσεις διπλασίους ἔσονται τῶν ἀντιφάσεων. ἐπεὶ οῦν αί προτάσεις αὐται δύο τε μόνον ὅρους ἔχουσι, τὸν ὑποκείμενον καὶ τὸν κατηγορούμενον, καὶ ἔτι τὴν σχέσιν τοῦ κατηγορουμένου πρὸς τὸν ὑποκεί-10 μενον καὶ οὐδὲν ἄλλο παρὰ ταῦτα, πᾶσα ἀνάγκη καὶ τὰς διαιρέσεις αὐτῶν ἢ ἀπὸ μόνου γίνεσθαι τοῦ ὑποκειμένου ἢ ἀπὸ μόνου τοῦ κατηγορουμένου ἢ ἀπὸ τῆς σχέσεως τοῦ κατηγορουμένου πρὸς τὸν ὑποκείμενων. λέγω δὲ σχέσιν καθ' ῆν ὁ κατηγορούμενος ἢ ἀεὶ ὑπάρχει τῷ ὑποκειμένφ, ὡ; 20 ὅταν εἴπωμεν τὸν ῆλιον κινεῖσθαι ἢ τὸν ἄνθρωπον ζῷον εἶναι, ἢ οὐδέποτε

- 15 ὑπάρχει, ὡς ὅταν εἴπωμεν τὸν ῆλιον ἐστάναι ἢ τὸν ἄνθρωπον πτερωτὸν εἶναι, ἢ ποτὲ μὲν ὑπάρχει ποτὲ δὲ οἰχ ὑπάρχει, ὡς ὅταν εἴπωμεν τὸν 25 Σωχράτην βαδίζειν ἢ ἀναγινώσχειν. ταύτας δὲ τὰς σχέσει; χαλοῦσιν, οἶς ἐμέλησε τῆς τούτων τεχνολογίας, τῶν προτάσεων ῦλας, χαὶ εἶναι αὐτῶν φασι τὴν μὲν ἀναγχαίαν τὴν δὲ ἀδύνατον τὴν δὲ ἐνδεχομένην. | καὶ τούτων 71
- 20 μέν τῶν ὀνομάτων ή αἰτία προφανής, ὅλως δὲ καλέσαι τὰς σχέσεις ταύτας ῦλας ήξίωσαν, ὅτι τοῖς ὑποχειμένοις ταῖς προτάσεσι πράγμασι συναναφαίνονται καὶ οὐχ ἀπὸ τῆς ἡμετέρας οἰήσεως ἢ κατηγορίας ἀλλ' ἀπ' αὐτῆς 5 τῆς τῶν πραγμάτων λαμβάνονται φύσεως· τὸ γὰρ οῦτως ἔχον ὡς ἀεὶ ὑπάρχειν φαμὲν τὴν ἀναγκαίαν ῦλην ποιεῖν, καὶ τὸ ἀεὶ μὴ ὑπάρχον τὴν ἀδύ-
- 25 νατον, χαὶ τὸ ἐπαμφοτερίζον χατὰ τὸ ὑπάρχειν ἢ μἡ ὑπάρχειν τὴν ἐνδεχομένην. ἐπεὶ οῦν τὰ πράγματα ταῖς προτάσεσιν ὑπόχεινται, τὸ δὲ ὑπο- 10 χείμενον πανταχοῦ ἢ ὅλην εἶναί φαμεν ἢ ὅλης λόγον ἔχειν πρὸς ἐχεῖνο ῶ ὑπόχειται, διὰ τοῦτο ῦλας αὐτὰς προσαγορεύειν ἠξίωσαν.

'Η μέν οὖν ἀπὸ τοῦ ὑποχειμένου διαίρεσις τοῦτον γίνεται τὸν τρόπον. 30 ὁ ὑποχείμενος ἐν τῆ προτάσει ἤτοι χαθ' ἕχαστά ἐστιν ἢ χαθόλου. χαὶ 15 ἔστιν ἄμεσος ἡ διαίρεσις. μίαν μέν γάρ, ὡς ἐλέγομεν, εἶναι χρὴ φύσιν τὴν ὑπὸ τοῦ ὑποχειμένου σημαινομένην, χαθάπερ χαὶ τὴν ὑπὸ τοῦ χατηγορουμένου, εἶπερ μέλλοι μία ὄντως εἶναι ἡ πρότασις. ταύτην δὲ τὴν 90 μίαν φύσιν ἀναγχαῖον ἤτοι χατά τινων πλειόνων χατηγορεῖσθαι ἢ χαθ' ἑνὸς

35 μόνου. καὶ εἰ μèν εἰη τῶν καθ' ένὸς μόνου κατηγορουμένων τὸ ὡς ὑποκείμενον παραληφθèν οἶον Σωκράτης ἢ Πλάτων, δῆλον ὅτι καθ' ἕκαστα

^{1. 2} τὸν αὐτὸν G 4 ούν om. G 6 άριθ.] θεωρήσωμεν G1 8 αύται om. F τε] γε A: om. G 11 γίγν. AMa 13 τῷ] τῶν A μόνους G 15. 16 ὑπάρ-20 ταύτας] αὐτῶν Α: αὐτὰς Μ 21 ante ταῖς additum ἐν del. G² yaiv (ter) G 24 ύπάργειν G² 27 δλην G1 έχον G 28 αύτάς F: αύτά AGMa 29 τον τρ. γίν. colloc. Μ 30 έν τη iter. G 31 έλέγομεν] λέγομεν G (cf. p. 73,4 sq.) 32 prius ὑπὸ om. AM alterum τοῦ om. F 33 ovtws om. F 34 τινων om. A 35 post prius μόνου add. υποχειμένου AMa

affirmative sentence. Thus, two pairs of contradictorily opposed sentences arise concerning the same subject term, one using it as definite, and the other as indefinite.

<(b) Division of the types of sentences consisting of subject and predicate>

3. These things being so, let us in turn examine the divisions from which it is possible to get the number of sentences which consist of a subject and predicate; and first, let us enumerate the pairs of contradictorily opposed sentences which are produced among them. For it is clear that there will be twice as many sentences as pairs of contradictorily opposed sentences. So, since these sentences contain only two terms, the subject term and the predicate term, and also the relation of the predicate term to the subject term, and nothing else besides these, it is absolutely necessary that the divisions of these <sentences> too are based either only on the subject term or only on the predicate term or on the relation of the predicate term to the subject term. I am talking about the relation according to which the predicate term either always holds of the subject term, as when we say 'The sun moves' or 'Man is an animal', or never holds <of it>, as when we say 'The sun stands still' or 'Man is winged', or sometimes holds and sometimes does not hold, as when we say 'Socrates walks' or 'reads'. Those who care about a technical treatment for these things call these relations the 'matters' of the sentences, and they say that one of these matters is necessary, another impossible, and the third contingent. The reason for these names is obvious: indeed they found it appropriate to call these relations 'matters' in the first place because they show themselves together with the things which underlie the sentences <as reference> and are not obtained from our believing or saying, but from the very nature of the things. For we say that what is such as always to obtain makes the necessary matter, what always does not obtain makes the impossible, and what is ambivalent about obtaining or not obtaining makes the contingent. So, since the things underlie the sentences <as reference> and we say that always what underlies either is matter or has the rôle of matter for that which it underlies, for this reason they found appropriate to call them 'matters'.

<The division based on the subject term>

4. Now, the division on the basis of the subject term arises in this way. The subject term in a sentence is either singular or universal. And the division is immediate: for, as we said, the nature signified by the subject term must be one, just as that signified by the predicate too, if the sentence is really going to be one. But it is necessary that this one nature be said either of several things or only of one. If what is used as subject term is something said of one thing only, such as 'Socrates' or 'Plato', it is clear that the sentence will be singular, but if it is something said of several things, such as 'man' or 'animal', the sentence will be universal; and besides these there is <no other possibility>. But if it is universal, it is

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έσται ή πρότασις, εί δε των κατά πλειόνων οίον άνθρωπος η ζώον, 25 καθόλου· καί παρά ταῦτα οὐκ ἔστιν. εί δὲ καθόλου είη, ἀναγκαῖον αὐτὸν ήτοι δίγα προσδιορισμου λέγεσθαι ή μετά προσδιορισμού. προσδιορισμοί δε λέγονται προσρήματά τινα τα συνταττόμενα τοις ύποχειμένοις χαι 721 5 δηλούντα δπως έγει το χατηγορούμενον πρός το πληθος των ατόμων των ύπό το ύποκείμενον, είτε ώς ύπάρχον είτε ώς μη ύπάρχον λαμβάνοιτο. διό χαι τέτταρές είσι τον άριθμόν, πᾶς χαι οὐδείς, τίς χαι οὐ πᾶς, δύο 5 μέν χαθόλου ό πᾶς χαὶ ὁ οὐδείς, δύο δὲ μεριχοὶ ὁ τίς χαὶ ὁ οὐ πᾶς. χαὶ τῶν καθόλου ό μέν καταφατικός ό πᾶς, οἶον 'πᾶς ἄνθρωπος ζῷον,' σημαί-10 γων ώς πασι τοις ατόμοις τοις ύπό τον ανθρωπον ύπαργει το ζώον, ό δε 10 άποφατικός ό ούδείς, οίον 'ούδεις άνθρωπος πτερωτός,' σημαίνων ώς ούδενί των χαθ' έχαστα άνθρώπων το χατηγορούμενον υπάρχει. χαι των μεριχών πάλιν ό μέν χαταφατιχός ό δε αποφατιχός. χαταφατιχός μέν ό τίς, οίον τις άνθρωπος λευχός, σημαίνων δτι το χατηγορούμενον ένί γε τινι των 15 15 ύπό το ύποχείμενον ατόμων ύπάρχει, αποφατιχός δε ό ού πας, οίον 'ού πᾶς ἄνθρωπος δίχαιος, ἀναιρετικὸς ῶν τοῦ πᾶς καὶ σημαίνων ὡς οὐκ ἀληθές τὸ πᾶσι τοῖς ὑπὸ τὸ ὑποκείμενον ἀτόμοις τὸ κατηγορούμενον ὑπάρχειν. ού μόνον μέντοι έπι ατόμων ποιούνται τους είρημένους αφορισμούς οί 20 προσδιορισμοί, αλλ' είπερ τύχοι γένος όν τὸ ἐν τῇ προτάσει ὑποχείμενον, 20 προηγουμένως μέν άρμόσουσιν έπι των ύπο το γένος έχεινο αναφερομένων είδῶν, ὅταν οὐσιῶδές τι ή τὸ κατ' αὐτοῦ κατηγορούμενον, κατά δεύτερον 25 δε λόγον και των ύπο τα είδη έχεινα ατόμων, έπει ούδε άλλως μετέγειν τὰ ἄτομα τοῦ γένους δυνατόν, εἰ μὴ διὰ μέσων τῶν οἰχείων εἰὸῶν. ὅταν ούν είπωμεν 'παν ζώον οὐσία' η 'τὶ ζώον πτηνόν', ἐπεὶ | κατ' οὐσίαν τοῖς 72* 25 ύποχειμένοις τὰ χατηγορούμενα ύπάργει, την μέν οὐσίαν προηγουμένως χατηγορεισθαι φήσεις πάντων άπλῶς τῶν εἰδῶν τοῦ ζώου, τὸ δὲ πτηνὸν τῶν μετέγειν αὐτοῦ πεφυχότων, χαὶ δι' ἐχεῖνα τῶν ὑπὸ τὰ εἴδη ἀτόμων. 5 ένίστε δε περί μόνων είδῶν ποιούμεθα την απόφανσιν, ώς δταν είπωμεν παν είδος τοῦ ποσοῦ τοῦ συνεστῶτος ἐχ θέσιν ἐχόντων τῶν μορίων χαὶ 30 τοῦ συνεγοῦς ἐστιν είδος' η 'πῶν φυσιχόν είδος ἐν τῷ χόσμω ἔγει τὴν οίχείαν ύπόστασιν.' δηλον δε δτι τα συμβεβηχότα επεισοδιώδη τε όντα χαί 10 πεφυχότα τω αύτω ύπάργειν τε χαί μή ύπάργειν των μέν ατόμων προηγουμένως έροῦμεν κατηγορεῖσθαι παντοδαπῶς κατά τε ταῦτα καὶ κατὰ τὴν ούσίαν μεταβάλλεσθαι πεφυχότων, ού μέντοι χυρίως τῶν είδῶν τῶν οὐδὲ 15 35 την άργην διά την ασώματον χαί άτρεπτον έαυτῶν φύσιν μετέχειν αὐτῶν δυναμένων.

² αὐτὸν] an αὐτὸ? 3 $\delta(\chi \alpha)$ $\chi \omega \rho l \in F$ 4 ante προσρήμ. add. olovel a 1 n om. FG τά om. Aa: ante τινα colloc. M συνταττ.] ταττ. Μ 7 καὶ (ante οὐδείς et οὐ) ow. Μ ώς ό πᾶς AFG 11 ώς δ ούδείς Α: ώς ούδείς Μ 9 των μέν χαθόλου ό μέν Μα 15 δ 16 σημαίνον Α 18 έπὶ supra scr. A είρημ.) όρισμένου; a om. A 19 ύποχειμένου F 20 μέν post άρμ. colloc. Μ τό om. Μ 22 έπι των G² 25 ύπάρ-27 έχείνων G 28 άπόφασιν AF 29 των om. FG 30 είδός έστιν M γειν F 33 ταυτά G

necessarily said either without additional determination or with additional determination. 'Additional determinations' are what we call certain additional words which are combined with the subject terms and indicate how the predicate relates to the multitude of individuals under the subject term, whether it is taken as holding or as not holding. Hence, they too are four in number, 'every' and 'none', 'some' and 'not every': two universal ('every' and 'none'), and two particular ('some' and 'not every'). And of the universal ones, 'every' is affirmative, e.g. 'Every man is an animal', signifying that 'animal' belongs to all individuals under man, and 'none' is negative, e.g. 'No man is winged', indicating that the predicate term belongs to none of the singular men. And of the particular ones, again one is affirmative and one negative: 'some' is affirmative, e.g. 'Some man is pale', signifying that the predicate term belongs to at least some one of the individuals under the subject term; and 'not every' is negative, e.g. 'Not every man is just', which is destructive of 'every' and signifies that it is not true that the predicate term belongs to all the individuals under the subject term. However, the additional determinations do not make the aforementioned distinctions only in the case of individuals, but if the subject term in the sentence happens to be a genus, the additional determinations will fit primarily for the species occurring under that genus, when what is predicated of it is something essential, but secondarily also for the individuals under those species, since it is not even possible for the individuals to participate in the genus in any other way except through the intermediaries of the appropriate species. So, when we say 'Every animal is a substance' or 'Some animal is winged', since the predicate terms belong to their subjects essentially, you will say that 'substance' is primarily predicated of absolutely all the species of animal, and 'winged' of those <species of animal> which are such as to participate in it, and, because of them, of the individuals under the species. But sometimes we make an assertion concerning species alone, as when we say 'Every species of that quantity which consists of parts which have position is also a species of the continuous', 'Every natural species in the world has its own mode of existence'. But it is clear that we shall say that accidents, which are episodic and such as both to belong and not to belong to the same thing, are primarily predicated of individuals, which are such as to be changing in every way both with regard to these <accidents> and to their essence, but <that accidents are> not properly cpredicated> of the species which, because of their incorporeal and unchanging nature, can absolutely not participate in them.

Εί μέν ούν μηδείς των προσδιορισμών προσχέσιτο τω ύποχειμένω, λέγεται ή πρότασις απροσδιόριστος, οίον 'άνθρωπος ύγιαίνει,' εί δε προσδιορισμόν τινα έγει, λέγεται ή πρότασις προσδιωρισμένη. άλλ' εί μέν τῶν 20 χαθόλου είη ό προσδιορισμός, λέγεται χαθόλου, εί δε των μεριχών, μεριχή. 5 αναφαίνονται οδν ήμιν έκ της διαιρέσεως του ύποχειμένου τέτταρα είδη των έν προτάσεσιν άντιθέσεων, των χαθ έχαστα, των άπροσδιορίστων, των 35 χαθόλου ήτοι χαθόλου ώς χαθόλου (χαλοῦσι γὰρ αὐτὰς χαὶ οῦτως διαχρίγοντες των άλλων των όμοίως ταύταις ύποχειμένω χαθόλου γρωμένων τω έπι τούτων συντετάγθαι | τοὺς χαθόλου προσδιορισμοὺς τοῖς χαθόλου ὑπο- 731 10 χειμένοις), χαί έπι ταύταις των μεριχών ήτοι χαθόλου ώς μεριχών (έγουσι γάρ αύται τούς μεριχούς προσδιορισμούς συντεταγμένους τοις χαθόλου ύποχειμένοις. διο χαί ούτω προσαγορεύονται διαφέρουσι δε τών χαθ έχαστα 5 αί μεριχαί το τάς μέν χαθ' έχαστα έπί τινος ένος ώρισμένου ποιείσθαι την απόφανσιν, οίον Σωχράτους, τας δε μεριχάς, εί χαι πρός έν τι βλέ-15 πουσαι αποφαίνοιντο, μηδέν ώρισμένον σημαίνειν αλλ' έπί τινος τοῦ τυγόντος 10 δύνασθαι άληθεύειν, ώς δταν είπωμεν 'τὶς άνθρωπος δίχαιός ἐστιν'· οὐδὲν γάρ μαλλον Σωχράτους γάριν άληθεύει ή πρότασις ή Πλάτωνος ή Άριστείδου. διόπερ δρθώς ό Θεόφραστος την μέν χαθ' έχαστα ώρισμένην χαλεί την δε μερικήν άόριστον), και άντιδιαιρείται πρός μεν την άπλῶς καθόλου 15

20 ή καθ' ἕκαστα, πρὸς δὲ τὴν καθόλου ὡς καθόλου ἡ μερική. Τοιαύτη μὲν οὖν ἡ ἀπὸ τοῦ ὑποκειμένου τῶν προτάσεων διαίρεσις· ἀπὸ δέ γε τοῦ κατηγουμένου ταῦτα πάντα τὰ τέτταρα εἶδη τριπλασιάζεσθαι ῥητέον· ἐπεὶ γὰρ ἀνάγκη τὸν κατηγορούμενον ῥῆμα εἶναι, τὸ δὲ ῥῆμα 30 προσσημαίνειν ἐλέγομεν χρόνον, ὁ δὲ χρόνος λαμβάνεται τριγῶς. κατὰ τὸ

- 25 παρεληλυθός τὸ ἐνεστὸς τὸ μέλλον, δηλον δτι τῶν τεττάρων εἰδῶν τῶν προτάσεων ἕχαστον τριχῶς ποιχίλλειν ἀπὸ τοῦ χατηγορουμένου δυνατόν, οἶον ἐπὶ τῶν χαθ ἕχαστα λέγοντας Σωχράτης ὑγίανε' Σωχράτης ὑγιαίνει 25 Σωχράτης ὑγιανεĩ', ὥστε διὰ τοῦτο δώδεχα γίνεσθαι τὰ τῶν ἐν προτάσεσιν ἀντιθέσεων εἶδη. δτι γάρ ποτε χαὶ παρὰ τοὺ; χρόνου; γίνεταί τις τῶν
- 30 προτάσεων διαφορά, | διδάσχοντος ἀχουσόμεθα τοῦ ᾿Αριστοτέλους. ἐπεὶ 73ν δὲ ἑχάστην τῶν δώδεχα τούτων ἀντιθέσεων τριχῶς λαμβάνεσθαι δυνατὸν κατὰ τὰς τρεῖς ῦλας, ἕξ χαὶ τριάχοντα γίνεσθαι συμβαίνει τὰς πάσας αὐτῶν ἀντιθέσεις ὡρισμένου ὄντος τοῦ ὑποχειμένου. ταύταις δὲ ἴσας ἀνάγχη ϗ γίνεσθαι τὰς ἐξ ἀορίστου τοῦ ὑποχειμένου (χαθ' ἑχάστην γὰρ τῶν ὁρισμένω

^{2. 4} λέγοιτο ΑΜ 7 post ώς χαθόλου add. χαὶ τῶν χαθόλου μὴ χαθόλου a 8 ύποχειμένων G 13 ένος om. F 14 απόφασιν AG 15 αποφαίνοιτο F τυχόντων F 17 αληθεύσει G xal el colloc. FG πλάτων G1 άριστίδου A 18 Θεόφραστος] fr. 57° (p. 428 ed. Winmer) 18. 19 την μέν μερ. άδρ. χαλεί thy de xad' Ex. wp. colloc. F 21 h ante dizip. colloc. G post and rou add. und τοῦ F 22 πάντα] γε A: τε M: om. (sed post βητέον add. απαντα) G 23 tò xat. G 24 λέγομεν F (cf. p. 47,6) 25 ένεστώς AF 27 λέγοντος M ante Zwxp. add. οίον F 30 διδ. άχουσ. τοῦ ᾿Αρ.] p. 18=28 άχουσώμεθα Α 32. 33 πάσας των άντιθέσεων Α 33. 34 ταύταις -- ύποχειμένου om. FM 34 του om. Aa

<The four species of opposition based on the subject term>

5. Now, if none of the additional determinations is added to the subject tem, the sentence is called 'undetermined', e.g. 'Man is healthy', and if it has some additional determination, the sentence is called 'determined'. But if the additional determination is universal, it is called 'universal' <i.e general>, and if particular, 'particular'. So, from the division of the subject term, we see four species of oppositions among sentences: the singular; the undetermined; the universal, or universal as universal <i.e. general> (for they call them this too, distinguishing them from the others which, like these, use a universal subject by the fact that, in these instances, the universal additional determinations have been combined with universal subject terms); and in addition to these the particular or universal as particular (for these have particular additional determinations combined with universal subject terms, and for this reason are so called). And the particular sentences differ from the singular in that singular sentences make their assertion about some one definite thing, e.g. Socrates, while particular sentences, even if they are asserted with reference to one thing, signify nothing definite, but can be true of any chance thing, as when we say 'Some man is just': for this sentence is no more true on account of Socrates than of Plato or Aristides. Hence Theophrastus⁶⁴ correctly calls the singular sentence 'definite' and the particular 'indefinite'. And on the one hand the singular sentence is contrasted with the sentence which is simply⁶⁵ universal, and on the other the particular is contrasted with the universal as universal <i.e. the general>.

<The division of sentences based on the predicate term; their sum total>

6. Now, such is the division of sentences on the basis of their subject term. But on the basis of their predicate term one must say that all these four kinds are multiplied by three. For, since it is necessary that the predicate term be a verb, and we said (47,23) that the verb additionally signifies time, but time is understood in three ways, according to the past, present and future, it is clear that it is possible to vary each of the four kinds of sentence on the basis of the predicate term, saying, for example, in the case of singular sentences, 'Socrates was healthy', 'Socrates is healthy', 'Socrates will be healthy', so that for this reason the kinds of opposition in sentences become twelve. For we shall hear Aristotle teach that sometimes a difference arises among sentences due to the times as well (18a28 [ch. 9]). But, since it is possible to understand each of these twelve oppositions in three ways according to the three matters, it happens that all their oppositions total thirty-six, if the subject term is definite. And it is necessary that those containing an indefinite subject term be equal to these (for you will make the indefinite one for each of those which use a definite subject term by adding the negative particle to the subject), so

⁶⁴ cp. A. Graeser, Die logischen Fragmente des Theophrast, Berlin/New York, 1973, Fr. 4 (with other parallels and a commentary); Theophrastus of Eresus, Sources for his Life, Writings, Thought and Influence, ed. by W.W. Fortenbaugh and al., Part One, Leiden/New York/Cologne, 1992, 82E (with other parallels).

⁶⁵ i.e. without regard to its qualification as undetermined, general or particular.

χρωμένων τῷ ὑποχειμένω τὸ ἀρνητικὸν μόριον τῷ ὑποχειμένω προσθεὶς τὴν ἐξ ἀορίστου ποιήσεις), ὥστε δύο καὶ ἑβδομήκοντα γίνεσθαι τὰς πάσα; ἀντι- 10 θέσεις τε καὶ ἀντιφάσεις τῶν προχειμένων ἡμῖν εἰς ἐπίσχεψιν προτάσεων.

- 'Αλλ' ἐπεὶ τὸν ἀριθμὸν αὐτῶν παραδεδώχαμεν, ἀχόλουθόν ἐστιν 5 ἐφεξῆς ἐπιχέψασθαι τίνες ἐν ταῖς ἀπηριθμημέναις ἀντιθέσεσιν aί ἀντιφατιχῶς ἀλλήλαις ἀντιχείμεναι προτάσεις, τίνες δὲ οὖ, καὶ τίνες μὲν aί πρὸς 15 ἀλλήλας σχέσεις τῶν μὴ ἀντιχειμένων ἀντιφατιχῶς, τίς δὲ ἡ πρὸς ἑχατέραν τῶν ἐν αὐταῖς προτάσεων ἀντιφατιχῶς μαχομένη· προείληπται γὰρ ὡς πάση χαταφάσει ἐστὶν ἀπόφασις ἀντιφατιχῶς; ἀντιχειμένη καὶ πάση 20 10 ἀποφάσει χατάφασις. ὅτι μὲν οὖν αἱ χαθ' ἕχαστα μάγονται ἀντιφατιχῶς,
- 10 αποφασει χαταφασις. στι μεν συν αι χαυ εχαστα μαχονται αντιφατιχως, παρά πᾶσιν ώμολόγηται (παρέχει δέ τινα ἀπορίαν ή χατὰ τὸν μέλλοντα χρόνον αὐτῶν λῆψις, ῆν ἐν τοῖς ἑξῆς χαὶ ἐκθήσεται καὶ ἐπιλύσεται ὁ ᾿Αριστοτέλης), τὰ δὲ περὶ τῶν ἀπροσδιορίστων διαφωνεῖται μὲν παρὰ τῶν 25 ἀποφηναμένων τι περὶ τούτου τοῦ θεωρήματος, ὅπη δὲ τὸ ἀληθὲς ἔχει 15 μαθεῖν ἀμήχανον, πρὶν ὅπως ἔχει τὰ περὶ τῶν προσδιωρισμένων ἐπισχε-
- 15 μασειν αμηχανον, πριν οπως εχει τα περι των προσοιωρισμενων επισχεψώμεθα, περί ων ούδεμία ή γέγονεν ή γέ/νοιτο αν αμφισβήτησις. ώστε 74^r πρότερον περί τούτων ρητέον.

Έπει τοίνου ώριζόμεθα την αντίφασιν μάχην χαταφάσεως χαι αποφάσεως del διαιρουσῶν τὸ ἀληθὲς χαι τὸ ψεῦδος, ὅῆλον ὅτι ὡς ἀν εῦρωμεν

- 20 προτάσεις η συμψευδομένας ποτε η συναληθευούσας, ταύτας οὐχ ἂν εἶποιμεν 5 ἀντιφατιχῶς ἀντιχεῖσθαι πρὸς ἀλλήλας. αί μὲν οὖν χαθόλου ὡς χαθόλου λεγόμεναι ὡς συμψευδόμεναι χατὰ τὴν ἐνδεχομένην ὕλην οὐχ ἂν λέγοιντο ποιεῖν ἀντίφασιν. οὐ μὴν ἀλλ' οὐδὲ τὰς μεριχὰς ἀντιφάσχειν ἐροῦμεν ὡς 10 ἐπὶ τῆς αὐτῆς ὕλης συναληθευούσας. χαίτοι χαθ' ἑχατέραν τῶν λοιπῶν
- 25 ύλῶν διαιροῦσιν ἄμφω τό τε ἀληθές xaì τὸ ψεῦδος· ἐπὶ μὲν γὰρ τῆς ἀναγχαίας ῦλης al μὲν χαταφάσεις ἄμφω λέγουσαι εἶναι τὸ ἐξ ἀνάγχης ὑπάρχον ἀληθεῖς, al δὲ ἀποφάσεις ἀναιρεῖν αὐτὸ πειρώμεναι ψευδεῖς, ἐπὶ 15 δὲ τῆς ἀδυνάτου λεγομένης ἕμπαλιν εἰχότως ἔχουσιν· al μὲν γὰρ ἀποφάσεις τὸ ἀδύνατον χαὶ διὰ τοῦτο μηδέποτε ὑπάρχον λέγουσαι μὴ ὑπάρχειν
- 30 αληθείς, αί δὲ χαταφάσεις ὑπάρχειν αὐτὸ ἀποφαινόμεναι ψευδείς. ἐπὶ δὲ 30 τῆς ἐνδεχομένης ἄμφω μὲν αί καθόλου ψευδείς, ἄμφω δὲ αί κατὰ μέρος ἀληθείς, διότι τὰ κατὰ ταύτην την ὕλην κατηγορούμενα ποτὲ μὲν ὑπάρχειν τοῖς ὑποχειμένοις πεφύκασι ποτὲ δὲ μὴ ὑπάρχειν, καὶ τισὶ μὲν αὐτῶν ὑπάρχειν τισὶ δὲ μὴ ὑπάρχειν, οἶον 'πᾶς ἄνθρωπος λευκός' (αὐται ψευδεῖς ἄμφω, ἡ μὲν κατάφασις διὰ τοὺς Αἰθίο-

¹ prius τῶ om. FG 4 EGTLY OM. G 5 post avribégegiv add. elsiv G 6 προ-7 άλληλα F τάσεσι G 8 αὐτοῖς G προείληπται] p. 84,2 12 έχθήσεται xal encl. 5 'Ap.] p. 18+33 13 παρά] περί FG 14 έχειν Α 15 πρίν] πλην 15. 16 ἐπισχεψόμεθα FG 16 οὐδεμία] οὐ G prius η om. GM G'a 18 ພໍ່໑ເζ. scripsi: δριζ. libri (cf. p. 81,14) 19 διαιροῦσαν AMa 20 συμψευδ.] ψευδ. F 23 άλλ' om. AF 24 συναληθ.] άληθ. G 25 ύλῶν om. M γάρ] οῦν Μα λέγουσιν A'G 32 ταύτην την] αύτην Α: αύτην την Μα 26 µèv om. F 35 autai de F

that all the oppositions and contradictions of the sentences which we are here examining total seventy-two.

<(c) Which oppositions are contradictory and which are not?>

7. But, since we have given their number, it follows in turn that we should examine which sentences among the enumerated oppositions oppose one another contradictorily, and which do not, and, further, what <logical> relations do those not opposed contradictorily bear to one another, and which is the sentence that conflicts contradictorily with each of the sentences among the latter, <i.e. the sentences not contradictorily opposed to one another>. For it has been assumed that for every affirmative sentence there is a contradictorily opposed negative sentence, and for every negative sentence an affirmative sentence. Now, everyone agrees that singular sentences are opposed <to each other> in the manner of contradiction (although taken in the future tense they give rise to a certain aporia that Aristotle goes on to explain and resolve in what follows [ch. 9]), but about the undetermined sentences there is disagreement among those who have said something about this topic, and it is impossible to learn the truth until we have examined how things stand with the determined sentences, concerning which no dispute either has arisen or could arise. Thus, we must first speak about these.

<Which determined sentences contradict one another and which do not?>

8. Since, therefore, we defined contradiction (81,13-15) as a conflict of an affirmative sentence and a negative sentence in each case dividing the true and the false, it is clear that whatever sentences we find either sometimes simultaneously false or simultaneously true, we should not say that these are opposed contradictorily to one another. Now, the universal sentences said as universal <i.e. the general> should not be said to make a contradiction, since they are simultaneously false in the contingent matter. Nor, indeed, shall we say that the particular sentences contradict each other, for they are simultaneously true in that same matter. However, in each of the remaining matters both oppositions divide the true and the false. For in the necessary matter, both affirmative sentences saying that what necessarily holds is so are true, and the negative sentences which attempt to deny it are false; but in the so-called impossible matter, these are properly reversed, for the negative sentences, which say that what is impossible and for this reason never holds does not hold, are true, while the affirmative sentences, which assert that it holds, are false. In the contingent matter both the general sentences are false, but both the particular sentences are true, because things predicated of this matter are such as sometimes to hold of their subjects and sometimes not to hold of them, and to hold of some but not of others, e.g. 'Every man is pale - No man is pale' (these are both false, the affirmative sentence because of the Ethiopians, and the negative sentence because of, say, the Scythians),

πας, ή δε ἀπόφασις, εἰ τύχοι, διὰ τοὺς Σκύθας), 'τὶς ἄνθρωπος λευκός οὐ πᾶς ἄνθρωπος λευκός'· | αὐται δῆλον ὅτι συναληθεύουσι. 74*

Τὰς μὲν οὖν Χαθόλου ὡς Χαθόλου δείξαντες μὴ ἀντιφασχούσας ὀνομάζουσιν ἐναντίας, ὅτι τῶν ἐναντίων εἰς ἄμεσα διαιρουμένων Χαὶ ἔμμεσα 5 αί προτάσεις αὖται Χατὰ μὲν τὴν ἀναγχαίαν Χαὶ τὴν ἀδύνατον ῦλην τοῖς 5 ἀμέσοις ἐναντίοις ἐοίχασιν, ῶν τό τε ἕτερον ἐξ ἀνάγχης πάρεστι τῷ ὑποχειμένφ Χαὶ αὖται τὴν ἑτέραν τῶν προτάσεων ἐχουσιν ἀληθῆ Χαὶ διὰ τοῦτο μιμουμένην τὴν τοῦ πράγματος ῦπαρξιν, ὥσπερ τὸ ψεῦδος εἰχών ἐστι τῆς ἀνυπαρξίας, Χατὰ δὲ τὴν ἐνδεχομένην τοῖς ἐμμέσοις, ῶν δυνατὸν μηδέτερον 10 10 παρεῖναι τῷ ὑποχειμένψ. ἦ ἐπεὶ τὸ εἶναι ἄμεσά τινα τῶν ἐναντίων ἀμφισβητήσιμον, ὅπερ ὡς ὁμολογούμενον ἀξιοῦσι λαμβάνειν οἱ Χατὰ τὸν προειρημένον τρόπον ἀποδιδόντες τὴν αἰτίαν τῆς ποσηγορίας τῶν ἐναντίων χαλου- 15 μένων προτάσεων, μᾶλλον ῥητέον ὅτι τὰ ἐναντία συνυπάρχειν μὲν ἀλλήλοις χατ' ἐνέργειαν ἐπὶ τοῦ αὐτοῦ ὑποχειμένου ἀδόνατον, ἅμα δὲ αὐτοῦ ἀπεῖναι 15 δυνατόν· αί οὖν προτάσεις αὐται οὐδέποτε μὲν συναληθεύουσαι ποτὲ δὲ 20

- 15 συνατόν αι σον πρότασεις αυτάι σοσεποτε μεν σοναπησεοσοαι ποτε σε 20 χαὶ συμψευδόμεναι καὶ ταύτη τὰ ἐναντία μιμούμεναι λέγοιντο ἀν εἰχότως ἐναντίαι. δυνατόν δὲ λέγειν ὅτι καὶ ὡς τὴν πλείστην ἀλλήλων ἀφεστῶσαι διάστασιν ἐναντίαι προσαγορεύονται· τὰ γὰρ ἐναντία πλεῖστον ἀλλήλων διέστηκε τῶν ὑπὸ τὸ αὐτὸ γένος· οῦτω δὲ καὶ αῦται πρὸς ἀλλήλας ἔχουσιν, 25
- 20 είπερ ή μέν άπασί φησι τοῖς ὑπὸ τὸ ὑποκείμενον ἀτόμοις τὸ κατηγορούμενον ὑπάρχειν, ἡ δὲ οὐδενί. τὰς δέ γε μερικὰς καλοῦσιν ὑπεναντίας, ὡς ὑπὸ ταῖς ἐναντίαις τεταγμένας | κἀκείναις ἀκολουθούσας· ὅταν γὰρ ἡ ἑτέρα 75r τῶν καθόλου ἀληθεύῃ, τότε καὶ ἡ ὑπ' αὐτὴν τεταγμένη μερικὴ πρότασις ἀληθεύσει, ὡς οἶον μέρος αὐτῆς οὖσα καὶ περιεχομένη ὑπ' αὐτῆς· διὸ
- 25 καὶ ὑπαλλήλους καλοῦσι τάς τε καταφάσεις, τὴν μερικὴν καὶ τὴν καθόλου, 5 καὶ τὰς ἀποφάσεις ὑμοίως. αί μὲν οῦν κατὰ μέρος οὐδ' ἂν ἀντικεῖσθαι πρὸς ἀλλήλας κυρίως λέγοιντο· ποῖον γὰρ αὐταῖς εἶδος ἁρμόσει τῶν ἀντικειμένων; εἰ δὲ τὰς ἀντιφατικῶς ταύταις ἀντικειμένας ζητοίης, εὑρήσεις ἀντιφασκούσας ταῖς καθόλου τὰς κατὰ μέρος μετὰ τῆς κατὰ τὸ ποιὸν ἀντι- 10
- 30 θέσεως, τοῦτ' ἔστι τῆ μὲν xaθόλου xaτaφάσει τὴν μεριxὴν ἀπόφασιν, τῆ δὲ xaθόλου ἀποφάσει τὴν μεριxὴν xaτάφασιν. ὥστε xaτὰ τὸ ὑποκείμενον διάγραμμα τὰς διαγώνιον θέσιν πρὸς ἀλλήλας ἐχούσας τῶν προσδιωρι- 15 σμένων προτάσεων ταύτας ἀντιφάσχειν ἀλλήλαις· ἀεὶ γὰρ αὐται διαιροῦσι τό τε ἀληθὲς xaὶ τὸ ψεῦδος. xaὶ τοῦτο εἰχότως· αἱ μὲν γὰρ ἐναντίαι 35 xaὶ ὑπεναντίαι xaτὰ τὸ ποιὸν διαφέρουσαι τὸ ποσὸν τὸ αὐτὸ ἔγουσιν.

⁶ τε om. AGM παρέστη F 9.10 μηδ. παρ. δυν. colloc. G 10.11 ἀμφισβητήσεων G¹: ἀμφισβητήσιμα M 11 ὡς om. A 14 alterum αὐτοῦ om. F 15 συναληθεύουσι M 18 πλείστων Ma 18. 19 διεστηχότα A 19 τὸ γένος τὸ αὐτό A: τὸ γένος αὐτό M 20 ἡ μὲν om. A πᾶσι F 21 γε om. F 22 τεταγμέναις G κάχείνας A 26 ἂν om. AGMa 29 μετὰ om. G 30. 31 καθόλου καταφάσει – τῆ δὲ om. F 30 καθ. καταφ.] καθέχαστα φασὶ A¹ καταφάσει] καφατικῆ M 32 πρὸς ἀλλήλαις A 33 ταὑταις M 34 καὶ (post ἀληθές)] ἢ A

<and> 'Some man is pale – Not every man is pale', it being clear that these are true together.

<Contraries, subcontraries, subalterns>

9. Now, having shown that the universal as universal <i.e. the general> sentences are not contradictory, they⁶⁶ call them contraries, because, given that contrary <predicates> are divided into immediate and mediated,⁶⁷ these sentences, in the necessary and the impossible matter, resemble immediate contrary cpredicates>: just as one of the latter necessarily is present in the subject, so these <oppositions> have one of their sentences true, which, because of this, imitates the existence of the thing, just as the false is an image of non-existence; but in the contingent matter <they resemble> mediated contrary cypredicates>, of which it is possible that neither is present in the subject. Or, since it is disputed⁶⁸ whether some of the contrary <predicates> are immediate, which those who give the cause of the appellation of the so-called 'contrary' sentences in the manner just mentioned want to assume as agreed, we should rather say that it is impossible for contraries actually to obtain simultaneously with one another with regard to the same subject, but that it is possible for them to be simultaneously absent from it. So, these sentences which are never simultaneously true, but are sometimes simultaneously false, and in this way mimic the contrary cpredicate>, would reasonably be called 'contraries'. It is possible to say that these sentences are called 'contraries' also because they have the greatest distance from one another. For of predicates under the same genus, contraries are most distant from one another, and so do these sentences too relate to one another, since the one says that the predicate belongs to all individuals under the subject, and the other to none. And they call the particular sentences 'subcontraries' as ordered under the contraries and consequent upon them. For, if one of the general sentences is true, then the particular sentence placed under it will be true as well, insofar as it is like a part of it and is contained in it. Hence they also call the affirmative sentences, the particular and the general, and similarly their negative sentences, 'subaltern'. Now, the particular sentences should not even properly be said to be 'opposed' to one another 69. For what species of opposition will fit them? If you seek those contradictorily opposed to these, you will find that particular sentences contradict the general sentences that are opposed to them in respect of <their> quality, that is, the particular negative sentence is contradictorily opposed to the general affirmative sentence, while the particular affirmative sentence contradicts the general negative sentence. Thus, according to the diagram given below, those of the determined sentences that occupy a diagonally opposite place one to the other contradict one another, for they always divide the true and the false. And that is reasonable, for the contraries and subcontraries, while differing in their quality, have the

⁶⁶ i.e. the specialists in the field of logic (cp. 88,17-18).

⁶⁷ cp. Arist. Cat. 10, 11b38 – 12a25 and infra, p. 143 of the commentary.

⁶⁸ For some difficulties about immediate contraries, cp. Simpl. In Cat. 386,6-15 (Kalbfleisch).

⁶⁹ For they can be true together.

ούδεις άνθρωπος περιπατεί

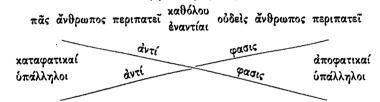
[93]

αί δε ύπαλληλοι χατά το ποσον διαφέρουσαι το ποιον το αύτο έχουσιν, αύται 20 δε χατ' άμφω μαγόμεναι τελείαν έγουσι την πρός άλλήλας διαφοράν. διό χαὶ ἀδύνατον αὐτὰς ἢ συμψεύδεσθαι ἢ συναληθεύειν. ὅτι μὲν γὰρ ἐπὶ τῆς άναγχαίας ύλης άληθευουσών τών χαταφάσεων ψευδείς είσιν αι άποφάσεις, 5 ἐπὶ δὲ τῆς ἀδυνάτου τοὐναντίον, προφανὲς ἐχ τῶν πρότερον εἰρημένων. 25 έπὶ δὲ τῆς ἐνδεγομένης ψευδομένης τῆς χαθόλου χαταφάσεως ἡ μεριχὴ άπόφασις ώς άντιφάσχουσα πρός αὐτὴν ἀληθής, καὶ ψευδομένης τῆς καθόλου άποφάσεως | ή μερική κατάφασις ώς άντιφάσκουσα πρός αὐτὴν ἀληθής. 75* διό έχείνων άμα ψευδομένων αύται άληθεύουσιν. хав бхаста 10

Σωχράτης οδ περιπατεῖ Σωχράτης περιπατεί άπροσδιόριστοι άνθρωπος περιπατεί άνθρωπος ού περιπατεϊ

(προσδιωρισιτέναι)

15



τὶς ἀνθρωπος περιπατεῖ μεριχαί ὑπεναντίαι ού πᾶς ἄνθρωπος περιπατεῖ

'Επεί δε θορυβείν είωθε τους άπλουστέρους ή μερική από φασις έπι 76r 20 τῆς ἀδυνάτου ὕλης συμψεύδεσθαι δοχοῦσα τῆ χαθόλου χαταφάσει, ὡς ὅταν είπωμεν 'ού πας ανθρωπος πτερωτός', δια το δοχείν τῷ ού πας συνεισάγεσθαι το άλλά τις μέν τις δέ ου. δπερ έστιν έναργῶς έπι τῶν ἀδυνάτων 5 ψεῦδος, ρητέον τι χαὶ περὶ τούτων. ἔξεστι μὲν οὖν ἐχ τῶν πρότερον εἰρημένων περί τοῦ οὐ πᾶς προσδιορισμοῦ προγείρως ἀποδοῦναι τῆς ἀπορίας 25 την λύσιν. έλέγομεν γαρ δτι το ού πας αυτό μόνον χαθ' αυτό ληπτέον ώς ίδίαν έχου δύναμιν, χαθ' ήν τον πᾶς προσδιορισμον αναιρεῖ, μηδέν 10 έτερον ἐπισυρόμενον. ἐφ' ῶν οὖν πραγμάτων τὸ πᾶς φαίνεται ψευδόμενον, έπι τούτων το ού πας άληθές. ώστε και έπι των προκειμένων έπειδη ό λέγων 'πᾶς ἄνθρωπος πτερωτός' ψεύδεται, ἀληθεύσει ὁ λέγων 'οὐ πᾶς 30 πτερωτός' η γάρ πᾶς η οὐ πᾶς, ἀλλὰ τὸ πᾶς ψεῦδος, τὸ ἄρα οὐ πᾶς 15 άληθές. Γνα δὲ μᾶλλον αὐτῶν τὴν ἀπορίαν ἀποπληρώσωμεν, ῥητέον ὅτι

¹ αί δέ- Εγουσιν οπ. Μ 3 xal om. FGMa η (prius) om. A 5 είρ. πρ. colloc. G¹ 9 post autai add. aua Ma 10 figuram recepi ex G, nisi quod προσδιωρισμέναι et έναντίαι om. et άντιφατιχαί pro χαταφατιχαί habet. προσδιωρισμέναι addidi. reliqua ex ceteris libris correxi, quorum F paululum differt, Ma plus distant, figuram om. A 21 τῶ δοχεῖν τὸ δοχεῖν (sic) Α τὸ οὐ πᾶς συνεισάγειν (συνάγειν Μ) post παζ add. χαθόλου ώς AMa 23 ti] te a 25 λέγομεν AMa (cf. 89,15) 26. 27 μηδέτερον Μ 27 έπισυρ.] έπιφερ. F μεριχόν F φαίνεσθαι Α 29 λέγων ώς F 31 άποπληρ.] άποχλείσωμεν F: άποπλήσωμεν G

same quantity, but the subalterns differ in quantity, while having the same quality; but these, which conflict in both respects, are completely different from one another. Hence, it is impossible for them to be either simultaneously false or true. For the fact that in the necessary matter, when the affirmative sentences are true, the negative sentences are false, and in the impossible matter the opposite, is obvious from what was said earlier. On the other hand, in the contingent matter, given that the general affirmative sentence is false, the particular negative sentence is true, since it contradicts it, and the general negative sentence is false, the particular affirmative sentence is true, as contradicting it. Hence, when the former are false, the latter are true.

<Diagram of the opposed sentences>

Socrates is walking

Man is walking

Every man is walking

subalterns

Some man is walking

subcontraries

<Particular negative sentences: A problem>

10. Since the particular negative sentence tends to unsettle simpler people, seeming in the impossible matter to be false simultaneously with the general affirmative sentence, as when we say 'Not every man is winged', because it seems that in 'not every' are included 'but someone and someone not', which is manifestly false in the case of impossibles, we must say something about these too. Now, it is possible from what has been said earlier about the additional determination 'not every', readily to give the solution of this aporia. For we said (89,15) that 'not every' must be taken just by itself, having a proper force, according to which it denies the additional determination 'every', without dragging in anything else. So, for those things where 'every' is seen to be false, there 'not every' is true. Thus, in the case under discussion too, since he who says 'every man is winged' speaks falsely, he who says 'not every <man> is winged' will speak truly, for: either 'every' or 'not every', but 'every' is false, thus 'not every' is true. So, in order to resolve further the aporia they have got, we should say that the particular negative sentence has a

SINGULAR Socrates is not walking UNDETERMINED Man is not walking <DETERMINED> General No man is walking contraries diction Affirmative Negative subalterns Particular

55

Not every man is walking

ή μερική απόφασις παραπλησίαν έχει δύναμιν τη μερική καταφάσει, κατ' αὐτό γε τὸ μεριχόν. ὅπως αν οῦν ἐγη ἀληθείας ἡ μεριχή χατάφασις, είτε 20 ώς αεί τη μερική αποφάσει συντρέγουσα είτε μή, τον αυτον έξει δήλον δτι τρόπον καί ή μερική απόφασις. έπει ούν αί μεν καταφάσεις έξεσί τισιν 5 ανάλογοί είσιν αί δε αποφάσεις στερήσεσι, γνωριμώτεραι δε των στερήσεων αί έξεις, άπὸ τῆς χαταφάσεως ὡς γνωριμωτέρας τὸ χατὰ τὴν ἀπόφασιν 25 θεωρητέον. τῆς οὖν καθόλου καταφάσεως κατὰ μόνην τὴν ἀναγκαίαν ὕλην άληθευούσης την μερικήν κατάφασιν έπι δύο μεν ύλων άληθεύουσαν όρωμεν. ταύτης τε καί τῆς ἐνδε χομένης, οὐ μὴν ἐπ' ἀμφοτέρων κατὰ τὸν αὐτὸν 76τ 10 τρόπον, αλλ' έπὶ μέν τῆς ἐνδεχομένης δι' ἑαυτήν, ῶστε τὸ χατηγορούμενον τινί μέν ύπάργειν τῷ ύποχειμένω τινί δε μή ύπάργειν, (δτε χαί συντρέγει ή μεριχή χατάφασις τη μεριχή αποφάσει, πρός δε την χαθόλου 5 χατάφασιν διαφωνεί), ἐπὶ δὲ τῆς ἀναγχαίας οὐχέτι δι' ἑαυτὴν ἀλλὰ διὰ τὴν χαθόλου. διό χαὶ οὐ συντρέγει τότε τῷ μεριχῷ ἀποφάσει· τὸ γὰρ 'τἰς ἀν-15 θρωπος ζώον' δια το πας αληθές, ούχέτι μέντοι το ού πας αληθές, ωσπερ 10 έπι της αδυνάτου δια την χαθόλου χατάφασιν ψευδομένην χαθ όλην έαυτην χαι ή μερική κατάφασις ψευδής, ώς όταν είπωμεν 'τις άνθρωπος πτερωτός'. ούδε γάρ αύτη δι' έαυτην ψευδής. τον αύτον ούν τρόπον και της καθόλου

άποφάσεως κατὰ μόνην τὴν ἀδύνατον ὕλην ἀληθευούσης τὴν μερικὴν ἀπό- 15 20 φασιν ἐπὶ δύο ὑλῶν ἀληθεύειν ἀνάγκη, τῆς τε ἐνδεχομένης καὶ μήτε συμφυοῦς μήτε παντελῶς ἀλλοτρίας (ὥστε καὶ δι' ἑαυτὴν ἔσται ἀληθὴς καὶ συντρέχει τῆ μερικῆ καταφάσει, διαφωνήσει δὲ πρὸς τὴν καθόλου ἀπόφασιν) καὶ ἔτι τῆς ἀδυνάτου, καθ' ῆν συνέσεται μὲν τῆ καθόλου ἀποφάσει ἄτε δι' 90 ἐκείνην ἔχουσα τὸ ἀληθεύειν, διαφωνήσει δὲ πρὸς τὴν μερικὴν κατάφασιν. 25 περὶ μὲν οὖν τούτων πλείω τῆς ἀξίας ἐνδιατέτριφεν ὁ λόγος, ὅλως δὲ περὶ αὐτῶν τῶν ἀποφατικῶν προσδιορισμῶν, ὅσα γλαφυρωτέραν ἔχοντα θεωρίαν 25 ὁ φιλόσοφος παραδίδωσι Πορφύριος, πειραθῶμεν εἰπεῖν, προσεπινοοῦντες εἶ τι δυνάμεθα καὶ αὐτοὶ πρὸς τὴν σαφεστέραν περὶ αὐτῶν διδασκαλίαν.

'Απορήσειε γὰρ ἄν τις πῶς | ἐκ τῶν προσδιωρισμένων καταφάσεων 77 30 τὰς ἀποφάσεις ποιοῦντες οὐ τοῖς κατηγορουμένοις, ὥσπερ ἔμπροσθεν ἡξιοῦμεν, συντάττομεν τὰς ἀρνήσεις ἀλλ' αὐτοῖς τοῖς προσδιορισμοῖς, οἶ γίνονται μέρη τῶν ὑποκειμένων, οὐ τῶν καθ' αὐτοὺς λεγομένων ἀλλὰ τῶν ὥσπερ 5 εἰδοποιηθέντων ὑπ' αὐτῶν, κατηγοροῦνται δὲ οὐδαμῶς, εἶ γε ὑποκείμενον μέν ἐστι περὶ οῦ ὁ λόγος, κατηγορούμενον δὲ τὸ περὶ ἐκείνου λεγόμενον

¹ ή μεριχή -- δύναμιν om. F 1. 2 χατά τοῦτό γε AM 5 στέρησιν F 8 άληθευούσης] άληθοῦς ούσης FMa χατάφ.] ἀπόφασιν F μèv om. AFMa άληθεύουσαν - ύλων (20) in mrg. suppl. F 9. 10 ού μήν - ένδεχομένης iter. A 11 ὑπάρχει (pr. l.) Α τῶ ὑποχ.] ὑποχειμένων F 12 πρός] άπὸ F 13 oùx 14 où suppl. G² 17 ώς — ψευδής (18) om. M 18 oùdê) où F έστι a 19 άληθ.] άληθινῆς οὕσης G 21 έστιν F άληθές Α αὕτη] αὐτὴ AFMa 26 άποφαντιχών (sed v συνέσται a 25 πλειον G 23 άδυν. Όλης a δοω G 28 δυναίμεθα G 29 άπορήση F induct.) G προσδιορ Μ 30 Εμπροσθεν] p. 87,10 31 γίγνονται Α: λέγονται a

force similar to the particular affirmative sentence, with regard to their very particularity. So, however the particular affirmative sentence has its truth, whether it always goes along with the particular negative sentence or not, clearly the particular negative sentence will also have it in the same way. Now, since affirmations are analogous to dispositions (literally 'havings') and negations to privations, and dispositions are better known than privations, the examination of negation must be undertaken starting from the affirmation, since it is better known. We see that, whereas the general affirmative sentence is true only in the necessary matter, the particular affirmative sentence is true in two matters, the necessary and the contingent - not in both in the same way, but in the contingent matter <it is true> because of itself, so that the predicate belongs to one subject but not to another (when the particular affirmative sentence also goes along with the particular negative sentence, but is at odds with the general affirmative sentence), on the other hand in the necessary matter <it is> no longer <true> because of itself, but because of the general affirmative sentence, and hence it does not then go along with the particular negative sentence. For 'Some man is an animal' is true because of the 'every', but the 'not every' is no longer true, just as occurs in the impossible matter: because the general affirmative sentence is false entirely on its own, the particular affirmative sentence is also false, as when we say 'some man is winged'; for not even this is false because of itself. So, in the same way, since the general negative sentence too is true only in the impossible matter, the particular negative sentence must be true in two matters, the contingent, which is neither congenital nor completely foreign (so it will both be true because of itself and go along with the particular affirmative sentence, but it will be at odds with the general negative sentence), and the impossible, in which it will accord with the general negative sentence, since it is because of that one that it has its truth, but it will be at odds with the particular affirmative sentence. Now, our discussion has dwelt on these matters longer than it should, but let us now attempt to speak generally about the negative additional determinations themselves, which the philosopher Porphyry teaches with a rather elegant theory, ourselves adding anything we can to make the lesson about them more clear.

<The negation is added to the additional determination of a determined affirmative sentence>

11. For there is a problem about how, making negative sentences from determined affirmative sentences, we combine the negative particles not with the predicates, as we advised earlier (87,10), but with the additional determinations themselves, which become parts of the subjects, not the subjects said by themselves, but those which are, so to speak, specified by the <additional determinations>, and are not predicated at all, if the subject is that which the sentence is about and the predicate that which is said about the first. For we assert of every man that he is an animal, but not that a man is every animal (this after all

άποφαινόμεθα γάς περί παντός άνθρώπου δτι ζῷόν ἐστιν, οἰ μὴν ὅτι ἀνθρωπος πῶν ζῷόν ἐστι (τοῦτο γοῦν xal ψεῦδος xal ἀδύνατον ὀλίγον ὕστερον 10 ἀποδειχθήσετοι), xal περί τοῦ τινὸς ἀνθρώπου ὅτι λευχός ἐστιν, οἰ μὴν ὅτι τὸ λευχὸν τὶς ἀνθρωπός ἐστι. πῶς οἶν οὕ φαμεν ἀπόφασιν τῆς ʿπᾶς 5 ἀνθρωπος περιπατεί τὴν ʿπᾶς οἰ περιπατεί ἀλλὰ τὴν 'οἰ πᾶς περιπατεί', 15 xal τῆς 'τἰς περιπατεί' τὴν 'τἰς οἰ περιπατεί' ἀλλὰ τὴν 'οἰ δῶς περιπατεί', 15 xal τῆς 'τἰς περιπατεί' τὴν 'τἰς οἰ περιπατεί' ἀλλὰ τὴν 'οἰδεἰς περιπατεί', καὶ τοῦτο τὸ οἰδεἰς ποίαν ποτὲ δύναμιν ἐχει, λεχτέον. ἀνωθεν οἶν πρὸς τὴν ἀπορίαν ἀπαντῶντες ἐροῦμεν κατὰ τοὺς πρότερον παραδεδομένους κανόνας τῷ χυριωτέρφ πανταχοῦ τῆς προτάσεως μέρει δεῖν προσάγεσθαι 20 10 τὰς ἀρνήσεις, ἶνα τὰς ἀποφάσεις ποιήσωμεν· ἐπὶ μὲν οὖν τῶν xaθ' ἕχαστα προτάσεων xal τῶν ἀπροσδιορίστων χυριώτερον ὁρῶντες τὸ χατηγορούμενον τοῦ ὑποχειμένου xal τούτου χυριώτερον οἰδὲν εύρίσχοντες ἐν ταῖς τοιαύταις προτάσεσιν, εἰχότως αὐτῷ προσήγομεν τὸ ἀποφατικὸν μόριον, ἐπὶ δέ γε 25 τῶν προσδιωρισμένων τὸ χυριώτατόν ἐστιν ὁ προσδιορισμός· διὸ xal ἐντεῦθεν

- 15 ή πρότασις δνομάζεται προσδιωρισμένη και γάρ εί συντάττονται τοῖς ὑποκειμένοις | οἱ προσδιορισμοὶ και γίνονται αὐτῶν, ὡς εἰρηται, μέρη, ἀλλ' 77ν ἐφάπτονταί πως και τῶν κατηγορουμένων δηλοῦντες εἶτε ένὶ τῶν ὑπὸ τὸ ὑποκείμενον εἰτε πᾶσιν ὑπάρχει τὸ κατηγορούμενον, ἐπειδὴ τὸ πλείοσι μὲν μὴ πᾶσι δὲ περιορίσαι δίχα τοῦ τὸν ἀριθμὸν προσθεϊναι οὐκ ἔστι. διὰ 5
- 20 ταῦτα μèν οὖν τούτοις εἰκότως τὸ ἀρνητικὸν συντάττεται μόριον καὶ αἱ τοῦτον τὸν τρόπον γινόμεναι ἀποφάσεις ἀντιφατικῶς ἀντίκεινται ταῖς καταφάσεσι, τῶν δὲ συνταττουσῶν αὐτὸ τῷ κατηγορουμένῷ ἡ μèν ἐπὶ τῆς 10 καθόλου καταφάσεως τοῦτο ποιοῦσα τῆ καθόλου ἀποφάσει τὴν αὐτὴν ἔχει δύναμιν (τὸ γὰρ ʿmãς οὐ περιπατεῖ ʾ ταὐτὸν σημαίνει τῷ ʿoùδεἰς περιπατεῖ'),
- 25 ή δὲ ἐπὶ τῆς μερικῆς τῆ μερικῆ ἀποφάσει· τί γἀρ ἀλλο σημαίνει τὸ 'τἰς οὐ περιπατεῖ' ἢ ὅτι οὐ πᾶς περιπατεῖ; ὥστε ἐπὶ ταύτης συντρέχειν ἀλλή- 15 καις τὰς καθ' ἑκάτερον τὸν τρόπου γινομένας ἀποφάσεις.

Το μέν ούν ού πας δτι σύνθετον έχ τε τοῦ πας χαὶ τοῦ ἀναιροῦντος αὐτὸ μορίου, φανερόν τὸ δέ γε οὐδείς πόθεν ἐροῦμεν ἐσχηχέναι τὴν γένε-30 σιν; ἐχρῆν γὰρ 'οὐχὶ τίς' εἶναι τὴν προτιθεῖσαν τοῦ τίς προσδιορισμοῦ τὸ 20 ἀρνητιχὸν μόριον ἀπόφασιν. ἢ ῥητέον ὅτι οὐδὲν ὡρισμένον χατὰ τὸ ποσὸν ἐσήμηνεν ἀν οῦτως λεγομένη, χαὶ γὰρ μηδενὸς περιπατοῦντος καὶ πλειόνων περιπατούντων ἀληθὲς τὸ 'οὐχὶ τὶς περιπατεῖ'. καὶ ἔτι σαφέστερον ταῦτα 25

¹ γὰρ scripsi: δὲ libri περὶ] παρὰ M 1. 2 ante ἄνθρ. add. ὁ F: πᾶς a 2 γοῦν] γὰρ F an ἀδύνατον (ὄν)? δ' ὅστερον a 3 τοῦ τἰς ἄνθρωπος F ἐστιν om. FG 4 τὸ om. F οῦ om. G 5 an ἄνθρ. περιπ. (προτάσεως)? ante οὐ περιπ. add. ἄνθρωπος a 6 τῆς] τὴν G² τὴν τις — οὐδεἰς περιπατεῖ suppl. G² 7 τὸ οὐδεἰς] οὐδεἰς A: οὖν F 8 πρότερον παραδ.] p. 87,14 10 οὖν] αὐ A 13 ἀποφαντικὸν AFM 15 ὄν. ἡ πρότ. colloc. M xaì γὰρ εἰ xaì a 16 ὡς εἰρηται] p. 94,31 18 ἐπειδὴ G: ἐπεὶ δὲ AFMa 19 περιορίσασθαι M 20 μόριον συντ. colloc. AM 21 ἀντίχειται G 22 αὐτὸν F 24 τῶ] τὸ A 27 ἑχάτερον] ἔτερον AF τῶν τρόπων M τὸ μὲν οὖν – εἶς (p. 96,14) eicias (cf. p. 96,15 sq.) 28 τε om. G 30 προστιθεῖσαν FMa 32 ἐσήμανεν FM

will be proved both false and impossible a little later), and of some man that he is pale, but not that the pale is some man. So, why don't we form the corresponding negative sentence to 'Every man walks' by saying 'Every <man> does not walk', but rather by saying 'Not every <man> walks', and to 'Some <man> walks' by saying 'Some <man> does not walk', but rather by saying 'No <man> walks'? And we must also say what force this 'none' could possibly have. Now, answering the objection over again, we shall say according to the rules given earlier (87,14) that the negative particle must be added in every case to the more important part of the sentence in order to make the negative sentences. Now, for the singular sentences and the undetermined ones, seeing that the predicate is more important than the subject and finding nothing more important than this in such sentences, we rightly added the negative particle to it, but in determined sentences the most important part is the additional determination, which is why the sentence is named for it: 'determined'. In fact, if the additional determinations are combined with the subjects and become, as was said (94,31), parts of them, still, they somehow touch upon the predicates too, indicating whether the predicate belongs either to <at least> one of the things which fall under the subject or to all, since to specify that it belongs to more <than one> but not to all is impossible unless one adds a number. So, for these reasons the negative particle is rightly combined with these, and the negative sentences arising in this way are contradictorily opposed to the affirmative sentences; but of the <sentences> combining the negative particle with the predicate, that which does this in the case of the general affirmative sentence has the same force as the general negative sentence (for 'Everyone does not walk' signifies the same thing as 'No one walks'), and that <which does it> in the case of the particular <affirmative sentence has the same force> as the particular negative sentence: for what does 'Some <man> does not walk' mean, other than 'Not every <man> walks'? And so, in this case, the negative sentences which arise in both ways go together with one another.70

<On 'none'>

12. Now, that 'not every' is a compound of 'every' and the particle which denies it, is clear. But whence shall we say that 'none' has its origin? For the negation which set the negative particle before the additional determination 'some' should have been 'not some'. Or should we say that it would have signified nothing definite in regard to quantity, if it were said in this way, since in fact 'Not some<one> walks' is true if no one is walking and if several people are walking? And this fate would have been even more clearly suffered by 'Not some<one> walks' than by 'not-some',⁷¹ which arises by contraction from it. So,

⁷⁰ άλλήκαις in Busse's text is a misprint for άλλήλαις (William of Moerbeke translates invicem).

⁷¹ We adopt Busse's suggestion of correcting the obx els of the manuscripts to overs.

ξπασχεν αν τὸ 'οὐχὶ τὶς περιπατεῖ' ἢ τὸ κατὰ τὴν ἀπὸ τούτου συναλοιφὴν γινόμενον οὐχ εἰς. βουλόμενοι οὖν ἐμφῆναι ὡς οὖτε πᾶσιν οὖτε πλείοσι μὲν οὐ πᾶσι ὅὲ οὖτε ἐνὶ γοῦν τῶν ὑπὸ τὸ καθόλου ὑποκείμενον | ὑπάρχει 78° τὸ κατηγορούμενον λέγομεν τὸ οὐδείς σύνθετον ἐκ τριῶν τοῦ λόγου μερῶν,

- 5 τοῦ οὐ ἀρνητιχοῦ μορίου, τοῦ δέ συνδέσμου (εἴτε συμπλεχτιχοῦ πρὸς τὸ μηδὲ πάντας μηδὲ πολλοὺς ὄντος εἴτε, ὡς ὁ φιλόσοφος ἀξιοῖ Πορφύριος, ⁵ ἐπὶ φυλαχῆ καὶ διαιρέσει τῆς ἀμφιβολίας εἰλημμένου), καὶ ἐπὶ τούτοις τοῦ εἰς ἀριθμητιχοῦ ὀνόματος, δ καὶ κλινόμενον ὁρῶμεν ἱοἰδενὸς περιπατοῦντος' λέγοντες καὶ κατὰ τὰς διαφορὰς τῶν τριῶν γενῶν ἀποδιδόμενον ἱοἰδεμία 10 περιπατεῖ' καὶ ἱοἰδὲν περιπατεῖ'. τὸ μὲν οὖν οἰδείς ἀπὸ τοῦ δέ συν-10
- δέσμου κατά συναλοιφήν την άπο τοῦ οὐ δὲ εἶς γέγονεν, όμοίως ἔχον τῷ μηδ' ὄντινα γαστέρι μήτηρ

καὶ ἀποκρινομένψ τὸ παράπαν οὐδὲ γρῦ, τὸ δὲ οὐθείς ἀπὸ τοῦ τέ κατὰ συναλοιφήν τοῦ οὖ τε εἶς.

- 15 'Αλλά πῶς τῆς Χαταφάσεως τίς εἰπούσης ἐν τῆ ἀναιρούση αὐτὴν ἀπο- 15 φάσει τὸ οὐδείς λέγομεν; ἢ φήσομεν ὅτι τὸ εἶς ἁπλῶς μὲν θεωρούμενον τοῦ τίς ἐπὶ πλέον λαμβάνεται· τοῦ γὰρ τίς ἀεὶ βουλομένου συμπλέχεσθαι τῷ ὑποχειμένψ, χαθάπερ καὶ τῶν ἀλλων προσδιορισμῶν ἑχάστου διὰ τὸ 20 σημαίνειν αὐτοὺς ὅπως ἔχουσι τὰ ὑπὸ τὸ ὑποχείμενον πρὸς τὸ μετέχειν ἢ 20 μὴ τοῦ χατηγορουμένου, τὸ εἶς λαμβάνεται μὲν καὶ τοῦτον τὸν τρόπον
- έν τφ

είς δέ τις άρχὸς ἀνὴρ

χαί τῷ

είς χοίρανος έστω,

- 25 λαμβάνεται δὲ καὶ ὡς κατηγορούμενον οἰ μόνον ἐπὶ τῶν μοναδικῶς λεγο- 25 μένων, οἶον ὅταν λέγωμεν 'ῆλιος εἶς ἐστι' ἢ 'κόσμος εἶς ἐστιν', ὅτε καὶ τὸ μόνος ἢ κατ' ἐνέργειαν ἢ πάντως κατὰ δύναμιν αὐτῷ προστίθεμεν, ἀλλὰ καὶ ἀπλῶς ἐπὶ ἑκάστου τῶν ὅπωσοῦν ὅντων, | ἕνα καὶ τὸ πλῆθος 78ν αὐτῶν ὑπόστασιν ἔχῃ, τῶν προσδιορισμῶν οὕτε καθ' ἑαυτοὺς κατηγορεῖσθαι 30 δυναμένων οὕτε ἀλλοις κατηγορουμένοις εὐλόγως συνδυαζομένων, ὡς διὰ
- τῶν ἐξῆς ὁ λόγος ἡμῖν ἐπιδείξει· διὰ ταῦτα μὲν οὖν τὸ εἶς, ὅπερ ἐλέγομεν, ὅ τοῦ τίς ἐπὶ πλέον λαμβάνεται, συντρέχοντα δὲ ἀλλήλοις ἐν τῷ συμπλέ-

¹ ris] eis FG τό (alt.)] την G 1. 2 γιν. συναλ. colloc. F 2 ούχ είς] corrigas 4 τὸ (ante κατηγ.) suppl. G² ούτις 3 ύποχειμένω Μα an σύνθετον (ον)? 5 où om. FG 6 μηδέ (prius)] μηδέν G τών τριών G τού om. FG 7 xai (ante $i\pi$) om. M 9 τριών om. FG όντας Μ ούδεμίαν F 11. 14 συναλιφήν F 10 xal ούδεν περιπατεί om. F τήν] τῶν Μα τῶ] τò G 12 μηδ' δντινα.] Hom. Z 58 13 άποχρινομένου Μα γρῦ ex γρη corr. F 15 τῆς χαταφ. τῆς a ante εἰπούσης add. χαὶ μὴ εἰς M τὸ οὐδεὶς add. μὴ τὸ οὐ τὶς ἀλλὰ Ma 17 τοῦ βουλ. G 20 τοῦ om. 16 ante 20 τού om. M elc ex μέν om. Α xaì τοῦτον] xaτà G¹ 22 sĩς δέ τις..] Hom. A 144 .F 24 sĩς xolp. ἔστω] Hom. B 204 25 μοναδιχῶν AFGM 26 s tic corr. A 23 τῶ] τὸ ΑΓ 26 3) 30 άλόγως G διά] δη M 31 δπερ] άπερ G1: xal FG 27 πάντων G¹ καθάπερ G² 32 λαμβάνομεν A¹Fa

wanting to indicate that the predicate belongs to neither all, nor most but not all, nor indeed to one of the things under the universal subject, we say 'none' ($o\dot{v}dei\varsigma$), which is a compound of three parts of speech: the negative particle 'not' ($o\dot{v}$), the conjunction 'even' ($d\dot{e}$) (whether that is a connective regarding <the fact that holds of> neither all nor many, or whether, as the philosopher Porphyry thinks, it is taken as guarding against and distinguishing the ambiguity), and in addition to these the numerical name 'one' ($e\dot{i}\varsigma$) – which we also see declined, when we say 'with no one ($o\dot{v}deivo\varsigma$) walking', and rendered according to the differences of the three genders: 'no (feminine) one walks' and 'nothing walks'. So, 'none' ($o\dot{v}dei\varsigma$) arose from the conjunction by the contraction of 'not-even-one' ($o\dot{v} dei\varsigma$), and is similar to

'not even whom (µmg' orran) a mother in her belly ...' (Hom., Il. VI 58)

or to one responding 'Absolutely not even a whit' ($\tau \partial \pi a \rho \dot{a} \pi a \nu o \dot{\nu} \partial \dot{e} \gamma \rho \hat{v}$),⁷² and $o \dot{\nu}$ ('none') arose from 'and' ($\tau \epsilon$) by contraction of 'and-not-one' ($o \ddot{\nu} \tau \epsilon \epsilon \delta \varsigma$).

<'One' vs. 'some'>

13. But why, when the affirmative sentence says 'some' ($\tau_1 \varsigma$), do we say 'none' ($obdei \varsigma$) in the negative sentence which denies it? Shall we not say that 'one' ($el \varsigma$), considered on its own, is understood in more ways than 'some' ($\tau_1 \varsigma$)? For, while 'some' always wants to be joined to the subject, like each of the other additional determinations too, since they signify how the things under the subject stand with respect to participating in the predicate or not, the word 'one' is understood in this way, as in:

'but one certain (εἶς δέ τις) leading man' (Hom. Il. I 144)

and in:

'... one (eî;) chief let there be' (Hom. Il. II 204),

but it is also understood as predicated not only of things expressed as unique—as when we say 'The sun is one' or 'The world is one', when we also add 'alone' to it, either in actuality or at any rate in potentiality—but also absolutely of each of however many, to the effect that the multitude of those ones also has existence, whereas the true additional determinations are neither able to be predicated on their own nor are they reasonably coupled with other predicates, as the discourse will show us in what follows. So, for these reasons the word 'one', as we said, is understood in more ways than 'some'. But, as they go along with one another in being combined with subjects—not with singular subjects because there is no part of them, but with subjects which are such as to be said of several things – there seems even so to be some difference between them. For since each of the

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⁷² cp. Aristophanes, *Plutus* 17.

χεσθαι τοῖς ὑποχειμένοις, οὐ τοῖς χαθ' ἕχαστα διὰ τὸ μηδὲν εἶναι αὐτῶν μέρος, άλλά τοῖς χατά πλειόνων χατηγορεῖσθαι πεφυχόσιν, ἐοίχασιν ἔγειν τινά χαι τότε πρός άλληλα διαφοράν. έπει γάρ των πολλών ξχαστον χαι 10 όλον τί έστι καί οίον μέρος τοῦ κοινῶς κατ' αὐτῶν κατηγορουμένου, ὡς 5 μεν δλον τι όν, χαν άτομον είπης, αντιδιαστελλόμενον πρός τα όμοειδη την τοῦ ένος ἐπιδέγεται προς αὐτό συμπλοχήν, ὡς δὲ μέρος πως τοῦ χοινοῦ τυγγάνον την τοῦ τινός. διὸ τῶν μόνως δλων οὐδὲ ἕν τι φάναι δυνατόν. 15 χαὶ ἔγει ταύτην τὸ ἕν πρὸς τὸ τί τὴν διαφορὰν ἐπὶ τῶν μεριχῶν, ήνπερ καί τὸ ένικὸν ἄρθρον πρὸς τὸ πᾶς ἐπὶ τῶν καθόλου. και γὰρ ἱ άνθρωπος 10 ζώον' είποις αν και 'πας ανθρωπος ζώον' το γαρ αρθρον την δύναμιν 20 έγει τοῦ χαθόλου προσδιορισμοῦ, ὡς μαθησόμεθα πρός τῶ πέρατι τοῦ βιβλίου. αλλά το μέν αρθρον τη ένώσει προσήχει του χαθόλου ύποχειμένου (διό χαὶ τῶν μοναδιχῶν ἑχάστφ χαὶ τῶν ἀτόμων συντάττεται· χαὶ γάρ 'ό ήλιος' λέγομεν και 'ό Σωκράτης' ένίστε δε και έπι τοῦ ύπερέ- 35 15 γοντος λέγεται των όμοστοίγων, ως δταν 'ό ποιητής' είπωμεν ή 'ό ρήτωρ'), το δε πας τῷ πλήθει τῶν ὑπ' αὐτο ἀναφερομένων. δταν μεν

- ούν ώς κατηγορούμενον τὸ εἶς ἀναιρῶμεν, τότε τὴν ἀρνησιν | οὐκ αὐτῷ 79τ συμπλέκομεν, ἀλλὰ τῷ ἐστί τῷ κατ' ἐνέργειάν τε πάντως ἐν τῷ τοιαύτῃ προτάσει λεγομένῳ καὶ συνδεῖν τὸ κατηγορούμενον πρὸς τὸ ὑποκείμενον 20 πεφυκότι. τῆς γὰρ καταφάσεως εἰπούσης λόγου χάριν 'ὅδε ὁ λίθος εἶς 5
- έστιν' ή ἀπόφασις ἐρεῖ δδε ὁ λίθος εἶς οὐχ ἔστιν'. ὅταν δὲ ὡς συμπλεχόμενον τῷ ὑποκειμένῳ τὸ εἶς ἢ τὸ τίς ἀναιρῶμεν τὴν ἀντιφάσχουσαν ἀπόφασιν τῷ μεριχῷ καταφάσει ποιοῦντες, τὸ οὐδείς ἢ οὐτις λέγομεν, ἀλλ' ὅταν μὲν τὸ οὐδείς λέγωμεν, οὐχ ὡς πρὸς τὸ τίς ἀλλ' ὡς πρὸς τὸ εἰς
- 25 ἀπαντῶμεν καὶ τὸ μὲν οὐχ εἶς ὡς ἀμφίβολον παραιτησάμενοι τὸ δὲ οὐ 10 εἶς ὡς πρὸς τῷ ἀμφιβόλῷ καὶ κακόφωνον τὸ οὐδείς ἢ οὐθείς λέγομεν. πρὸς δέ γε τὸ τίς ἐοίκαμεν τότε κυρίως ἀπαντᾶν, ὅταν τὸ οὕτις λέγωμεν, οὐκ ἐπὶ τοῦ 'τις' τιθεμένης τῆς ὀξείας (οὐ γὰρ οἶδε τὴν τοιαύτην προφορὰν 15 ἡ 'Ἑλληνικὴ χρῆσις) ἀλλ' ἐπὶ τοῦ οὕ, καθάπερ ἔχει τὸ
- 30 xal

μήτις νῦν ἐνάρων.

ούτις έμεῦ ζῶντος

άλλὰ τοῦτο μέν τῆ ποιητικῆ τὸ δὲ οὐδείς τῆ χοινῆ χρήσει μᾶλλον σύνηθες.

Comment. in Arist. IV 5. Ammon. in Interpr.

¹ χαθέχαστα μέν G²: χατηγορουμένοις G¹ 5 xâv] oùx âv M είποις GM 6 ύποδέγεται F πως] τι Μ 7 έπὶ τῶν μόνως Fa 7. 8 έν — δυνατόν χαί 7 ἕν τι φάναι] άντιφάναι a 8 ταύτην] ταύτη a: om. F ώς έπι om. F τῶν μερ. χαθάπερ και F 10 post prius ζῶον add. και AMa τὸ γάρ] και τὸ 16 αὐτὸ G: αὐτοῦ AFMa 21 δδε δ] ὁ δὲ F 22 τὸ (post ὑποχειμ.)] post ἀναιρ. add. ἤτοι Ma 23 τὸ οὐδεἰς ἢ τὸ τἰς F: τὸ τἰς ἢ οὐδεἰς G AFM τῶ A² 25. 26 où eis] oùdels A 26 xal om. M oùdels 7 oùdels G 27 το (ante τίς) οὕτις] οὕτως Μ 29 ἐπὶ τὸ οὕ F .] Hom. Z 68 ἐνάρων] ἐράνων F 30 ούτις έμεῦ ζ.] Hom. A 88 suppl. G² 32 μήτις νῦν έν.] Hom. Z 68

many is both a whole and like a part of what is predicated of them in common, as a whole (even if you call it an 'individual'), set apart from those of the same species, it accepts being combined with 'one', and as being in a way a part of what is common <to the many>, <it accepts being combined with> 'some'; hence, it is not even possible to say 'some one' of what are only wholes. And 'one' has the same difference from 'some' in the case of particular sentences as the singular article has from 'every' in the case of general sentences. That is, you could say 'Man is an animal' and 'Every man is an animal' for the article has the force of the universal determination, as we shall learn near the end of the book (ch. 14, 24a3ff.). However, the article fits the unity of the universal subject (hence, it is also combined with each of the singulars and the individuals, for we say 'the sun' and '[the] Socrates'; but sometimes it is also said of what is outstanding in its field, as when we say 'the Poet' or 'the Orator'), but 'every' <fits> the multitude of <things> subsumed under <the universal>. So, when we deny 'one' as predicate, then we join the negative particle not to it, but to the 'is', which is always actually said in this sort of sentence and is such as to bind the predicate with the subject; for, when the affirmative sentence says, for example, 'this stone is one', the negative will say 'this stone is-not one'. But, when we deny the 'one' or the 'some' as joined with the subject and make the negative sentence which contradicts the particular affirmative sentence, we say 'none' (outers) or 'not some' (otrig), and when we say 'none', we are responding not to the 'some' (τ_{15}), but to the 'one' (ϵi_{ζ}), and rejecting 'not one' ($o i_{\chi} \epsilon i_{\zeta}$) as ambiguous, and 'no(t) one' ($o i_{\chi} \epsilon i_{\zeta}$) as not only ambiguous but ugly as well, we say 'none' in either of its forms (ovdeic or ovdeic). But it is to the 'some' (πc) that we then seem properly to respond when we say 'not some' (ouris), with an acute accent not on the 'some' (for this pronunciation is unknown to Greek usage), but on the 'not', as it is in:

'no one (ούτις) while I live ...' (Hom. Il. I 88)

and in:

'no one (μήτις) now of the spoils ...' (Hom. Il. VI 68).

But this is more common in poetic and 'none' (oideis) <is more frequent> in common usage.

Τοσαῦτα μὲν περὶ τῶν προσδιωρισμένων προτάσεων εἰχομεν λέγειν 50 aί δὲ ἀπροσδιόριστοι πῶς ἔχουσι πρὸς τὸ ἀντιφάσχειν ἢ μή, τοῦτο δέ ἐστιν εἰ τισι τῶν προσδιωρισμένων τὸ αὐτὸ δύνανται, διὰ τῶν ἑξῆς τῷ ᾿Αριστοτέλει συνοδεύοντες ζητήσωμεν.

- ⁵ Ἐπὶ τούτοις οὖν τὴν ῥῆσιν αὐτὴν ἐπισκεψώμεθα, δι' ἦς παραδιδοὺς ²⁵ ἡμιν τὴν εἰρημένην ἀπὸ τοῦ ὑποχειμένου τῶν προτάσεων διαίρεσιν καὶ διακρίνας τὰ καθ' ἕκαστα τῶν καθόλου τοῦτό φησιν εἶναι καθόλου δ ἐπὶ πλειόνων πέφυκε κατηγορεῖσθαι, τῶν ὑμωνύμως κατὰ | πλειόνων 79^ν κατηγορουμένων τὰ καθόλου διακρίνων τῷ πεφυκέναι κατὰ πολλῶν κατη-10 γορεῖσθαι, τοῦτο δέ ἐστι μὴ νόμψ τινὶ καὶ θέσει, καθάπερ τὸ Aἴas καὶ τὸ ᾿Αλέξανδρος, ἀλλὰ τῷ φύσιν μίαν δηλοῦν, ῆτις ἑκάστψ τῶν πλειόνων 5 ὑπάργουσα ποιεῖ καὶ τὸ σημαῖνον αὐτὴν ὄνομα κατ' αὐτῶν κατηγορεῖσθαι.
- δλως δε περί φωνῶν διαλεγόμενος τῶν πραγμάτων ποιεῖται τὴν διαίρεσιν, διότι περί φωνῶν τοῖς φιλοσόφοις ὁ λόγος οὐ προηγουμένως, χαθάπερ 15 ῥήτορσί τε χαὶ γραμματιχοῖς, ὡς χαὶ πρότερον ἐλέγομεν, ἀλλὰ τῆς τῶν 10
- πραγμάτων χαταλήψεως Ένεχεν. διελόμενος οδν τὰ εἴδη τῶν προτάσεων εἰς τε τὰς χαθόλου χαὶ τὰς χαθ' ἕχαστα, προστίθησι τὴν τῶν χαθόλου διαίρεσιν εἰς τε τὰς χαθόλου ὡς χαθόλου λεγομένας χαὶ τὰς ἀπροσδιο-15 ρίστους. τῶν γὰρ μεριχῶν ἐφεξῆς ποιήσεται μνείαν. ἐν δέ γε τούτοις τὰς
- 20 μέν χαθόλου ἐπὶ τῶν χαθόλου ἀποφάνσεις ἐναντίας εἶναί φησι, δι' ἂς ἐλέγομεν αἰτίας, τὰς δὲ ἐπὶ τῶν χαθόλου μὴ χαθόλου δέ, τοῦτ' ἔστι τὰς ἀπροσδιορίστους, αὐτὰς μὲν μὴ εἶναι ἐναντίας, τὰ μέντοι δηλούμενα ὑπ' 90 αὐτῶν δύνασθαί ποτε εἶναι ἐναντία. ὅτι μὲν οὖν χαθόλου μὴ χαθόλου τὰς ἀπροσδιορίστους χαλεῖ, χαὶ τὰ παρατιθέμενα παρ' αὐτοῦ παραδείγματα
- 25 σαφῶς σημαίνουσιν, 'ἄνθρωπος λευχός ἐστι' χαὶ 'ἄνθρωπος λευχός οὐχ ἔστι'. χαλεῖ δὲ αὐτὰς οῦτως διὰ τὸ μὴ προσχεῖσθαι ἐπ' αὐτῶν τῷ χαθόλου ὑπο- 25 χειμένψ τοὺς χαθόλου προσδιορισμούς, ὅπερ εἰ χαὶ ἐπὶ τῶν μεριχῶν άρμόζειν δυνατόν, ἀλλ' ἔχουσί τι ἴδιον ἐχεῖναι, τοὺς μεριχοὺς προσδιορισμούς, ὅθεν χαὶ | ὀνομάζονται. πῶς δὲ λέγονται μὴ εἶναι μὲν ἐναντίαι, σημαίνειν 80²
- 30 δέ ποτε έναντία, τοῦτο ἦδη πολλὰ τοῖς ἐξηγηταῖς πράγματα παρέσχε· μήποτε δὲ ταῖς ῥήσεσιν αὐταῖς προσφυὲς ἦ τὸ λέγειν ὅτι βούλεται μὲν ὁ ᾿Αριστοτέλης τὰς ἀπροσδιορίστους προτάσεις συναληθεύειν ἀλλήλαις, ὡς ὅ ἔσται διὰ τῶν ἑξῆς φανερόν, καὶ διὰ τοῦτο εἰκότως ἀποφαίνεται μὴ εἶναι αὐτὰς ἐναντίας· οὐ γὰρ ἐναντίων τὸ συνυπάρχειν ἀλλήλαις.
- 35 'Αλλ' ἐπεὶ δυνατόν ποτε τὴν ἀπόφασιν ἐπὶ τῆς τοῦ ἐναντίου χαταφά- 10 σεως ἀληθεύουσαν παρασχεῖν τισιν ὑποψίαν, ὅτι ἐναντίας χρὴ τότε χαλεῖν ταύτας τὰς προτάσεις, ἅτε ἐναντία τινὰ σημαινούσας, διὰ τοῦτο προστίθησι τὸ αἰτιον τοῦ παραλογισμοῦ τοῖς οῦτως ὑπολαμβάνουσι, τὰ αὐτὰ λέγων

¹ έγομεν Μ 3 εί τισι] τίσι F έφεξής Α 4 ζητήσομεν FG 10 TIVI 11 τὸ φύσιν F έχάστη ΑΜ 13. 14 διαλεγ.-- φωνών om. F om. F 15 πρότερον έλέγομεν] p. 66, 7 19 τούτοις om. M 20. 21 Elérouer] p. 92,4 26 περιχεϊσθαι Μα 23 έναντ. είναι colloc. G 32 τάς om. A 34 έναντίον 35 êni] ánd A 36 róre om. M (alt. l.) a άλλήλοις F

<Which undetermined sentences contradict one another?>

14. So much did we have to say about the determined sentences. But how the undetermined sentences relate to contradicting or not, i.e. whether they have the same force as some of the determined sentences, let us examine in what follows, travelling along with Aristotle.

<Return to Aristotle's text. Undetermined sentences>

15. Concerning this, let us examine the text itself, in which <Aristotle>, having taught us the division just discussed of the sentences on the basis of their subject and distinguished the singular <terms> from the universal <terms>, says: this is 'universal, what is according to its nature such as to be predicated of several things', distinguishing the universal <terms> from <terms> predicated homonymously of several things by their being naturally such as to be predicated of several things, that is, not by some convention or imposition, such as the terms 'Ajax' and 'Alexander',⁷³ but by revealing one nature, which, by belonging to each of the several, makes the name which signifies it also be said of them. And, in general, although speaking about vocal sounds, he makes the distinction between things, because for philosophers discourse is not primarily about vocal sounds, as we said earlier (65,2ff.) that it is for rhetoricians and grammarians, but <it is> rather for the sake of understanding the things. So, having divided the species of sentences into the universal and the singular, he adds the division of the universal into those called 'universal as universal' <i.e. the general> and the undetermined; he will mention the particular ones next (17b16ff.). And in these words he says that the universal assertions about universals <i.e. the generals> are contraries, for the reasons we stated (92,3ff.), while those about universals but not universally, i.e. the undetermined ones, are not themselves contraries, but the things they indicate can sometimes be contraries. That by 'universal not universally' he means the undetermined sentences, is also clearly shown by the examples he gives, 'Man is pale' and 'Man is not pale'. And he calls them thus because in them the universal additional determinations are not added to the universal subject; and even though <this reason> can also apply to particular sentences, those still have a peculiarity, namely the particular additional determinations from which they take their name. And why are they said not to be contraries, but sometimes to signify contrary <things>? This has already caused many problems for interpreters;⁷⁴ perhaps however it fits the text as it stands to say that Aristotle wants the undetermined sentences to be true simultaneously with one another, as will be obvious in what follows, and for this reason rightly asserts that they are not contraries; for obtaining simultaneously with one another does not belong to contraries.

<'but the things they indicate can sometimes be contraries.' Porphyry's account>

16. Since, however, the fact that sometimes the negation $\langle of a predicate \rangle$ is true because of the affirmation of its contrary⁷⁵ might possibly make some people suspect that these sentences would then have to be called 'contraries', since they signify contrary $\langle things \rangle$, for this reason $\langle Aristotle \rangle$ adds⁷⁶ the cause of the paralogism for those who make this

⁷³ These terms signify Ajax the son of Telamon and Ajax the son of Oileus, Alexander the son of Priam and Alexander the Great.

⁷⁴ We can learn the history of these interpretations from Boethius (In De Int. editio secunda 157,30ff.).

⁷⁵ E.g. "(man) is not healthy" is true because of the truth of "(man) is ill" and "(man) is not white" because of the truth of "(man) is black."

⁷⁶ i.e. "but the things they indicate can sometimes be contraries."

τοῖς ἐν τῷ τελευταίψ θεωρήματι τοῦ βιβλίου ῥηθησομένοις. τὸ μὲν δὴ 15 τούτω οιεσθαι τὰς ἐναντίας δόξας ώρίσθαι, τῷ τῶν ἐναντίων είναι, ψεῦδος· τοῦ γὰρ ἀγαθοῦ ὅτι ἀγαθὸν καὶ τοῦ κακοῦ ὅτι χαχόν, ή αὐτή ἴσως χαὶ ἀληθής, εἴτε πλείους εἴτε μία ἐστίν· 5 έναντία δε ταῦτα, ἀλλ' οὐ τῷ ἐναντίων εἶναι ἐναντία, ἀλλὰ 20 μαλλον τῷ ἐναντίως. ὅτι μὲν οὖν χατ' οὐδένα τρόπον προσήχει ταῖς άπροσδιορίστοις το των έναντίων όνομα, σαφώς άπεφήνατο διά τούτων ό 'Αριστοτέλης. πότε δε έστιν είναι τα δηλούμενα εναντία. χαλώς διήρθρωσεν ό φιλόσοφος Πορφύριος ου γαρ αεί, φησί, τῷ χαταφασχομένω 25 10 έστι τι έναντίον ούδε την απόφασιν δυνατόν αεί λέγειν αληθεύεσθαι χατά τοῦ ἐναντίου τῶ καταφαθέντι, ἀλλὰ ποτὲ μὲν κατὰ τοῦ ἐναντίου ποτὲ δὲ χατά | στερήσεως ποτέ δε χατ' οὐδετέρου τούτων, ἀλλ' ἀναιρεῖν μόνον τὸ 80* είρημένον διά τῆς χαταφάσεως. τῷ μὲν γὰρ περιττῷ τὸ ἄρτιον χαὶ τῷ λευχώ το μέλαν έναντίον, χαι χατά τούτων άληθεύονται το ού περιττόν 15 καί το ού λευκόν (έξ ανάγκης μέν ούν συνεισφερομένων ταις αποφάσεσιν 5 έπὶ τῶν ἀμέσων εἶναι λεγομένων ἐναντίων, ἐνδεγομένως δὲ xaì ἐπὶ τῶν έμμέσων), τῶ μέντοι όρᾶν τὸ ἀντιχείμενον στέρησις ἢ τῆς ἐνεργείας ἢ χαὶ τῆς δυνάμεως, τῆς μèν ἐνεργείας ὡς ἐπὶ τοῦ μὴ πηροῦ μèν χαθεύ- 10 δοντος δε η μύοντος, της δε δυνάμεως ώς έπι του τυφλου, άπερ σημαίνει 20 το μή όραν (ένίστε δε χαι το μήπω την δύναμιν την προαγωγον της ένεργείας απειληφός τη αποφάσει της ένεργείας σημαίνομεν ώς έπι του σχυλαχίου, χαί το μηδαμῶς τῆς δυνάμεως δεχτιχον ώς ἐπὶ τοῦ ξύλου· χαὶ 15 γάρ τὸ ξύλον λέγομεν μὴ όρᾶν), καὶ κατ' οὐδὲν τούτων ἐναντίον εἴποις αν είναι τη καταφάσει το σημαινόμενον ύπο της αποφάσεως, άλλα ποτε 25 μέν στέρησιν ποτέ δε ούδε στέρησιν άλλ' ετερότητα μόνον, τῷ δέ γε ζώω η άλλη ούσία ούτε ώς έναντίον ούτε ώς στέρησιν τοιαύτην εύροις άν ποτέ 20 τι αντιτιθέμενον, ούδε τῷ αφωρισμένω ποσῷ η σχήματι οὐδε ταις ένεργείαις ταϊς μή χατά τι τῶν ἐναντίων γινομέναις. τῷ μὲν γὰρ θερμαίνειν έστιν έναντίον το ψύγειν, έπει χαι τω θερμώ το ψυγρόν, ού μην τώ 30 νοείν η τῷ βαδίζειν είη άν τι έναντίον. διὰ ταῦτα οὖν τὸ ὑπὸ τῆς ἀποφά- 25 σεως σημαινόμενον ποτέ φησιν έναντίον είναι τῷ ὑπὸ τῆς καταφάσεως

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¹ τοις - βηθησομένοις] p. 2303 2 dofaç om. A τῶ օฌ. G 3 ψεῦδος] οὐχ δτι χαί άγαθον Α 4 ίσως έσται α: άληθής έσται b άληθές Α άληθές G 6 μάλλον om. G post oùv add. oùdaµws G 5 τῶ ΑΓ: τῶν GMa τοῖς & 8 είναι om. F: post δηλούμ. colloc. a 9 χαταφασχ.] χατα del δυν. colloc. G λέγειν om. M suppl. G² 10 τι] τό Μ άληθεύεσθαι] άποφαίνεσθαι G¹ 11 χαταφανθέντι FGMa 12 ποτέ δέ χατ' ούδετέρου τούτων ποτέ δέ χατά στερ. colloc. F άλλ' om. AM άναιρεϊ F 13 μέν om. a 17. 18 ħ xai] xai A: ħ G 16 ένδεγομένης Μ xal om. FG 18 ένεργ. μέν 22 du dext. G 23 oùdéva AMa colloc. A 21 τοῦ om. FG 23. 24 είποις αν] έποίησεν F: αν είποις G 25 ουδέ] ου FGMa 26 ποτέ om. F 27 τι] τινά Μ άντιθέμενον Α άφορισμ. Ma 28 γιγνομέναις (ubique) A 29 ψυγραίειν G τῶ (post μην)] τὸ AM 30 τῶ (ante βαδ.) om. AMa đ٧ om. F τι om. a

assumption, by saving the same thing as will be said in the last theorem of the book (ch. 14, 23b3-7): 'To think that contrary beliefs are defined in this way, by being of contraries. is false; for the <belief> of the good, that it is good, and of the bad, that it is bad, is perhaps the same <belief> and is true, whether they are one or more than one. These <i.e. the good and the bad> are contraries, but <the beliefs> are not contraries π by being of contraries, but rather by being to the contrary effect.' Now, Aristotle clearly showed in these words that the name 'contraries' in no way fits undetermined sentences. The philosopher Porphyry⁷⁸ well analysed <the cases> when the things they indicate can be contraries. For, he says, there is not always some contrary <predicate> to what is being affirmed.⁷⁹ nor is it possible to say that always the negation <of a predicate> is true according to the contrary of what has been affirmed,⁸⁰ but rather sometimes according to the contrary, sometimes according to the privation,⁸¹ and sometimes according to neither of these, merely denying what is said by the affirmative sentence. For the even is contrary to the odd and the dark to the pale, and 'not odd' and 'not pale' are true of these (so they are necessarily brought together with their negations in the case of the so-called 'immediate' contraries,⁸² but also contingently in the case of mediate <contraries>).⁸³ However, the opposite of 'seeing' is a privation, either of the activity or of the capacity as well: of the activity as in one who is not blind, but is sleeping or has his eyes closed, and of the capacity as in the blind person; these are the meanings of 'not seeing' (but sometimes we also signify by the negation of the activity that which has not yet acquired the capacity which brings about the activity, as in the puppy, and also that which is in no way receptive of the capacity, as in wood, for in fact we say that wood does not see). And in neither of these cases would you say that what is signified by the negative sentence is contrary to the affirmative sentence, but rather that it is now a privation, now not even a privation, but merely an otherness. But you would never find something opposed to 'animal' or another substance, either as a contrary or a privation, nor to a definite quantity or shape, nor to the activities which do not arise in respect to some contrary. For cooling is contrary to heating, since the cool is also contrary to the warm, but there would be no contrary to thinking or walking. So, for these reasons he <i.e. Aristotle> says that what is signified by the negative sentence is sometimes contrary to what is indicated by the

⁷⁷ As the context shows $\dot{\epsilon}$ vartía must refer not to things but to beliefs ($\dot{\delta}$ cfai) and therefore we correct it to $\dot{\epsilon}$ vartía, which in fact one main tradition of Aristotle's manuscripts has and which Minio-Paluello adopted.

⁷⁸ cp. Porphyrius, *Fragmenta*, ed. A. Smith, Stuttgart/Leipzig, 1993, fr. 97. Smith thinks that we have here a direct quotation going from 99,9 to the end of the paragraph (100,29).

⁷⁹ *e.g.* "is walking" does not have any contrary.

⁸⁰ E.g. "(man) is not white" is not always true if "(man) is black" is true.

⁸¹ E.g. "(man) does not see" is true if "(man) is blind" is true.

⁸² Like "odd" and "even".

⁸³ Like "dark" and "pale".

δηλουμένω, τῶν προτάσεων αἰτῶν μηδαμῶς ἀλλήλαις οἰσῶν ἐναντίων. τοῦτο δὲ εἰχότως ἐπὶ μόνων τῶν ἀπροσδιορίστων ἐπεσημήνατο, διότι μόναι 81^τ αἶται τῶν χαθόλου προτάσεων χατὰ τοὺς χατηγορουμένους ὅρους μόνους ἔχουσι τὰς χαταφάσεις καὶ ἀποφάσεις γινομένας, ἀλλ' οὐ χατά τινας προσ- 5 5 διορισμούς, οῦ οἰδ' ἀν ὑποπτευθεῖεν χαθ' ἑαυτοὺς λαμβανόμενοι χαταφατιχῶς καὶ ἀποφατιχῶς, οἶον πᾶς, οὐ πᾶς, τίς, οὐδείς, ἐναντιότητα πραγμάτων

- σημαίνειν, χαθάπερ οί χατηγορούμενοι, χαὶ μάλιστά γε δταν ἐπὶ τῶν ἀμέσων λεγομένων ἐναντίων ποιώμεθα τὴν χατάφασιν χαὶ τὴν ἀπόφασιν (ἔργον 10 γὰρ τῶν προσδιορισμῶν, ὡς πολλάχις εἰρήχαμεν, μόνην σημαίνειν τὴν χατὰ 10 τὸ πλῆθος διαφορὰν τῶν ὑπὸ τὸ ὑποχείμενον ἀναφερομένων ὡς μετε-
- χόντων η μη μετεχόντων τοῦ ἐν τῆ προτάσει κατηγορουμένου), καὶ δτι προφανῆ τὰ ἐπὶ τῶν ἄλλων ἀντιθέσεων συμβαίνοντα, οἶον δτι αί καθόλου 15 ὡς καθόλου συμψεύδονται, διὸ ἐναντίαι, δτι αἱ μερικαὶ συναληθεύουσι καὶ οὐδ' ἀν ὑποπτεύσειέ τις προσήκειν αὐταῖς τὸ ὄνομα τῶν ἐναντίων, δτι αί
- 15 διαγώνιοι καὶ αί καθ' ἕκαστα μερίζουσι τό τε ἀληθὲς καὶ τὸ ψεῦδος· ἐπὶ 30 δὲ τῶν ἀπροσδιορίστων ἐπεὶ μήτε καθ' ἕκαστα καὶ ὡρισμένος οῦτός ἐστιν ὁ ὑποκείμενος μήτε πρόσκειταί τις αὐτῷ τῶν προσδιορισμῶν, οὐ σφόδρα ἐστὶ φανερὸς ὁ τῆς ἀντιθέσεως αὐτῶν τρόπος, ἀλλὰ καὶ ὡς ἐναντίας ὑποπτεύσειεν ἄν τις αὐτὰς ἀντικεῖσθαί ποτε. καὶ τοῦτο διισχυρίζεται σημαίνειν 55
- 20 6 ἀπὸ τῆς ᾿Αφροδισιάδος ἐξηγητὴς τὸ τὰ δηλούμενα ὑπ' αὐτῶν ἐναντία εἶναί ποτε, xαὶ ταῦτα τοῦ ᾿Αριστοτέλους ἐν τοῖς ἑξῆς βοῶντος ὡς ταῖς μεριχαῖς τὴν αὐτὴν ἔχουσι ὃύναμιν, | τῶν δὲ μεριχῶν ἀπὸ διαμέτρου πρὸς τὰς 81ν ἐναντίας ἐχουσῶν. xαὶ αὐτὸ τοῦτο τὸ τῷ ᾿Αριστοτέλει δοχοῦν συναληθεύειν αὐτὰς ἐπί τινος ῦλης ἕτερος ἄν τις οἰηθείη καὶ ἀντιφάσχειν πρὸς ἀλλή-
- 25 λας, άλλ' ώς παραπλησίως τῆ έτέρα τῶν διαγωνίων τῆ τίς xai odδsίς. 5 διὰ ταῦτα τοίνυν ἐν μὲν τοῖς προχειμένοις ὁ Ἀριστοτέλης τοσοῦτον ἐπεσημήνατο μόνον, δτι μὴ δίχαιον καλεῖν αδτάς ἐναντίας, xal εἰ ἐναντίων πραγμάτων γίνοιντό ποτε δηλωτιχαί, προϊών δὲ xal ὅτι συναληθεύουσιν ἀλλ' 10 οἰχ ἀντιφάσχουσι κατασχευάσαι πειράσεται.
- 30 Τὸ δὲ αἴτιον εἰπὼν τοῦ xαθόλου μὴ xαθόλου λέγεσθαι τὰς ἀδιορίστους, ὅτι περὶ τῶν xαθόλου ὑποxειμένων οἰ xαθόλου ἀποφαίνονται, μὴ συντάττουσαι αὐτοῖς τοὺς xαθόλου προσδιορισμούς, οἶ ποιοῦσι xαθόλου ἡμᾶς ἀπο- 15 φαίνεσθαι περὶ τῶν xαθόλου, αὐτοῦ τούτου πάλιν τὸ αἴτιον ἀποδίδωσι τοῦ τοιούτων ἀποφάνσεων αἰτίους γίνεσθαι τοὺς xαθόλου προσδιορισμοὺς ὡς

² έπεσημάνατο F μόνον G 4 χαταφάσεις χαί om. F 1 ούσων] όντων Μ 6 και άποφατικώς om. F rervouévas in mrg. suppl. A 9 μόνον G¹ 10 ພ໌ເ] ώστε AFM 13 ante ori add. xal G? 14 τό] τῶν F 15 αί suppl. G² 16 τῶν άλλων ἀπροσδ. G ούτως FG 20 tò] tũ AMa μήτε] μή G 23 τὸ om. Fa 21 ev tois itins] p. 17029 24 τινος ένδεχομένης G: της ένδεχομένης άντιφάσχει F M: τινος τῆς ἐνδ. a οίηθ.] πεισθείη F 25 άλλ' ώς] άλλος post díxaiov add. µóvov del. G 27 μη om. A A'FG αύτας χαλείν 30 τού] τών a τάς] τούς a 31 µh om. A colloc. M xai ei] xav AMa μή οῦν Μ 31. 32 συντάττουσαι δè G 32 Eautois G huãs xat. colloc. F 33 TOU TON AM γενέσθαι Μα 34 τοσούτων G αποφάσεων GMa

affirmative sentence, although the sentences themselves are by no means contraries of one another. But he correctly indicated that this is only so for undetermined sentences, because, among universal sentences, only the latter get their affirmations and negations merely in respect of the predicate terms, and not according to additional determinations, such as 'every', 'not every', 'some', 'none', which, when we take them by themselves as negative or affirmative, would not even be suspected to signify an opposition of things as predicates do, and especially when we make the affirmative sentence and the negative sentence in the case of so-called 'immediate' contraries (for it is the task of the additional determinations, as we⁸⁴ have often said, to signify only the difference in quantity of the <things> falling under the subject as participating or not participating in the predicate of the sentence). And <he indicated> that what happens in the case of the other oppositions is obvious, e.g. that the universal sentences <taken> as universal <i.e. the general> are⁸⁵ simultaneously false, and hence contraries, that the particular sentences are⁸⁶ simultaneously true and one would not even suspect that the name 'contraries' pertained to them, and that the diagonal and the singular sentences divide the true and the false. But in the case of undetermined sentences, since neither is the subject term singular and definite, nor is any of the additional determinations added to it, it is not very clear what the manner of their opposition is, moreover one might even suspect that they are at times opposed as contraries. And the Aphrodisian interpreter <i.e. Alexander> affirms with force that this is what the phrase 'the things they indicate are sometimes contraries' signifies, and this in spite of the fact that Aristotle shouts in what follows (17b29) that they have the same force as the particular sentences, and in spite of the fact that the particular sentences are diagonally related <i.e. opposed> to the contraries. And someone else might believe⁸⁷ both that they are simultaneously true in a certain matter,⁸⁸ <i.e.> precisely what was obvious for Aristotle-, and that they contradict one another, but in a way similar to one of the diagonals, that of 'some' and 'none'. For these reasons, then, Aristotle here indicated only this much, that it is not right to call them contraries, even if they sometimes came to indicate contrary things, but going on he will also try to establish (17b28 ff.) that they are simultaneously true,⁸⁹ but do not contradict each other.

<' "Every" signifies not the universal, but that it is used universally '>

17. Having given the reason why the undetermined sentences are called 'universal not universally', namely that they are not universally stated of universal subjects, since they do not attach to them the universal additional determinations which cause us to make assertions universally about universals, he again gave the reason for this very fact, that the universal additional determinations become causes of such assertions, by couching his

⁸⁴ i.e. Ammonius and the other members of the Neoplatonic school.

⁸⁵ We must understand "in the contingent matter".

⁸⁶ We must understand "in the contingent matter".

⁸⁷ cp. 17b34-36.

⁸⁸ i.e. in the contingent matter ("Man is pale" – "Man is not pale").

⁸⁹ We must understand "in a certain matter".

ἐπὶ τοῦ καταφατικοῦ τοῦ πᾶς τὴν διδασκαλίαν ποιούμενος, ὡς ἀν τῶν αὐτῶν λόγων άρμοζόντων καὶ ἐπὶ τοῦ οὐδείς. τί οὖν τούτου τὸ αἴτιον; ὅτι τὸ 20 πᾶς, φησίν, οὐ τὸ καθόλου σημαίνει, ἀλλ' ὅτι καθόλου, τοῦτ' ἐστιν οὐκ αὐτὴν σημαίνει τὴν τοῦ εἴδους τοῦ καθόλου φύσιν, οἶον τοῦ ἀνθρώπου 5 (τὸ γὰρ εἶδος ἐν κατὰ τὴν ἑαυτοῦ φύσιν ὄν καὶ τὴν ἀεὶ γινομένην ἀπειρίαν τῶν ἀτόμων συλλαμβάνειν καὶ ἑνοῦν λέγεται· περὶ δὲ ἑνὸς πῶς ἀν ἔγοι 25

χώραν λέγεσθαι το πᾶς;), οὐχ αὐτο οὖν το καθόλου σημαίνει το πᾶς, ἀλλ' δτι καθόλου, τοῦτο δέ ἐστιν ἀλλ' δτι κατὰ πάντων τῶν ὑπο το είδος ἀτόμων καταφά/σκεσθαι το κατηγορούμενον ἀποφαινόμεθα. 82^r

² τ[] τ(ς Μ τοῦτο Α 4 οὐx] οὐ xατ' ΑG¹ 6 τῶν ἀνθρώπων ἤγουν τῶν (ἤγουν τῶν in mrg.) ἀτόμων Α: ἀνθρώπων ἢ τῶν ἀτόμων Μ 7.8 ἀλλ' ὅτι xαθόλου iter. G¹ 8 τῶν οm. Μ 9 ἀποφαινόμεθα om. F

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lesson in terms of the affirmative 'every', understanding that the same arguments also fit in the case of 'none'. And what is the cause of this? That 'the word "every" ', he says, 'signifies not the universal, but that <it is used> universally', i.e. it does not signify the nature of the universal species itself, e.g. 'man' (for, since the species is one in respect of its own nature, it is also said to gather and unite the infinitude of individuals which constantly arises; but how could 'every' be said of one?), so 'every' does not signify the universal itself, 'but that <it is used> universally', that is, 'but that we assert that the predicate is predicated of all the individuals under the species'.

AMMONII IN L. DE INTERPRETATIONE c. 9 [Arist. p. 18+28.33]

15 p. 18≥28 'Επὶ μὲν οὖν τῶν ὄντων xαὶ γενομένων ἀνάγκη τὴν κατάφασιν ἢ τὴν ἀπόφασιν ἀληθῆ ἢ ψευδῆ εἶναι, xαὶ ἐπὶ | μὲν 103 τῶν xαθόλου ὡς xαθόλου ἀεὶ τὴν μὲν ἀληθῆ τὴν δὲ ψευδῆ, xαὶ ἐπὶ τῶν xαθ' ἕxαστα ὥσπερ εἴρηται, ἐπὶ δὲ τῶν xαθόλου λεχθέντων μὴ xαθόλου οὐx ἀνάγκη· εἴρηται δὲ xαὶ περὶ τούτων. 20 ἐπὶ δὲ τῶν xαθ' ἕxαστα xαὶ μελλόντων οὐχ ὅμοίως. 5

Παραδούς ήμιν διὰ τῶν προλαβόντων ό 'Αριστοτέλης την ἀπὸ τοῦ ὑποχειμένου τῶν προτάσεων διαίρεσιν χαὶ διαχρίνας τάς τε συναληθεύειν ἢ συμψεύδεσθαί ποτε δυναμένας προτάσεις χαὶ τὰς ἀεὶ διαιρούσας τό τε ἀλη- 10 θὲς χαὶ τὸ ψεῦδος, διὰ τούτων προστίθησι την ἀπὸ τοῦ χατηγορουμένου 25 γινομένην ἐν αὐταῖς διαφορὰν πρὸς τὸ διαιρεῖν πάλιν ἢ μὴ διαιρεῖν τὸ ἀληθὲς χαὶ τὸ ψεῦδος· ἐπεὶ γὰρ τὸ χατηγορούμενον ἐν ταῖς προτάσεσι ῥῆμα είναι ἀναγχαῖον τὸ δὲ ῥῆμα χρόνον ἐλέγομεν προσσημαίνειν τὸν δὲ χρόνον 15 τριχῆ διαιροῦμεν εἴς τε τὸ παρεληλυθὸς χαὶ τὸ ἐνεστὸς χαὶ τὸ μέλλον, ἀνάγχη τῶν προτάσεων ἑκάστην χαθ' ἕνα τῶν τριῶν λαμβάνεσθαι χρόνων. 30 τεττάρων οὖν οὐσῶν ἐν ταῖς προτάσεσιν ἀντιθέσεων χατὰ τὴν ἀπὸ τοῦ 90 ὑποχειμένου διαίρεσιν, δύο μὲν τῶν διαγωνίων, τῆς πᾶς πρὸς τὴν οὐ πᾶς χαὶ τῆς τίς πρὸς τὴν οὐδείς, τρίτης δὲ τῆς τῶν ἀπροσδιορίστων, χαὶ ἐπὶ

15 yevour. G 16 thy (ante droo.) om. FM άληθή -- όμοίως (20) om. Μ xal $i\pi i - \delta \mu o(\omega \varsigma (20) \text{ om. a}$ uiv-xai ini (17.18) om. G µatv om. F 17 τών] τοῦ F xal om. A 18. 19 µh xað. dayð. colloc. b 19 xai µh xað. G ປະບຽກ elvae b 24 προτ(8. F 27 avayxy G έλέγομεν] p. 48,3 28 τε om. AFM ένεστώς ΑΜ xai (alt.) om. G 30 ούν] τοίνυν Fa τήν τοῦ ἀπό τοῦ Μ 31 ante τῶν διαγ. ΙΙΙ 32 the the ties] the AG3 litt. eras. A

<CHAPTER 9>

18a28 Now, in the case of things which are or have happened it is necessary that the affirmative sentence or the negative sentence be true or false; and in the case of universals taken universally <it is necessary that> one is always true and the other false, and also in the case of singulars, as has been said, while for universals not said universally it is not necessary, but these too have been discussed. But in the case of future singulars it is not the same.

<The division of sentences based on their predicate>

1. Having taught us through what has preceded (ch. 7, 17a38ff.) the division of sentences based on their subject and having distinguished the sentences which can in some cases be true together or false together from those which always divide the true and false, Aristotle in these lines adds the difference which arises among sentences based on their predicate with regard once again to dividing or not dividing the true and false. For since the predicate in sentences must be a verb, and we said (48,3) that a verb additionally signifies time, and we divide time three ways, into the past, present, and future, it is necessary to take each of the sentences in one of the three times. Now, there being four oppositions among sentences according to the division based on their subject, those of the two diagonals on the one hand, <i.e.> the 'every' to the 'not every' and the 'some' to the

ταύταις τῆς τῶν καθ' Εκαστα, πάνυ προσεκτικῶς τὰ μὲν τρία τῶν ἐν ταῖς προτάσεσιν ἀντιθέσεων εἶδη κατὰ πάντα χρόνον ὑμοίως ἔχειν φησὶ προς 25 τὸ διαιρεῖν τὸ ἀληθὲς καὶ τὸ ψεῦδος ἢ συναληθεύειν, λέγω δὴ τάς τε διαγωνίους καὶ τὰς ἀπροσδιορίστους, τὰς δὲ καθ' ἕκαστα οὐκέτι.

Γινέσθω δε ήμιν ό λόγος επί μιας | των είρημένων τριών αντιθέ- 104 5 σεων. Γνα καί δπη διαφέρουσιν αὐτῶν κατὰ τὸν εἰρημένον τρόπον αί καθ' έχαστα προτάσεις γένηται φανερόν, των αδτων άρμόσαι ήμιν δηλονότι δυναμένων ποός την διάχρισιν τῶν χαθ ξχαστα προτάσεων ἀπὸ τῶν λοιπῶν 5 δύο αντιθέσεων. είλήφθωσαν ούν ή τε μεριχή χατάφασις χαι ή χαθόλου 10 ἀπόφασις. ταῦτα τοίνυν εἰ μὲν χατὰ τὴν ἀναγχαίαν ὕλην λαμβάνοις, ἀεὶ την μεν κατάφασιν άληθεύουσαν εύρήσεις την δε άπόφασιν ψευδομένην, εί δε χατά την άδύνατον, την μεν χατάφασιν ψευδομένην την δε άπόφασιν 10 άληθεύουσαν έπὶ δὲ τῆς ἐνδεγομένης τὴν μὲν κατάφασιν άτε ἐπὶ μέρους είναι τὸ ἐνδεγόμενον λέγουσαν, ὥσπερ καὶ πέφυκεν ὑπάργειν, ἀληθεύουσαν 15 πάλιν εύρήσεις, την δε απόφασιν παντελώς αναιρούσαν το ένδεγόμενον το 15 τισί μέν πεφυχός ύπάρχειν τισί δὲ μὴ ύπάρχειν ἐξ ἀνάγχης ψευδομένην. ώσπερ γάρ χατά τον ένεστῶτα γρόνον το μέν 'τις άνθρωπος λευχός έστιν' άληθές το δέ 'ούδείς άνθρωπος λευχός έστι' ψεύδος, ούτω χαί έπι τοῦ παρεληλυθότος το μέν 'τις ανθρωπος λευχός ήν' αληθές το δέ 'ούδεις 20 20 άνθρωπος λευχός ήν' ψεῦδος, χαὶ ἐπὶ τοῦ μέλλοντος ώσαύτως τὸ μὲν τις άνθρωπος λευχός έσται' άληθές το δε 'ούδεις άνθρωπος λευχός έσται' ψεῦδος. ό δὲ αὐτὸς δηλονότι λόγος άρμόσει καὶ ἐπὶ τῆς ἑτέρας τῶν δια- 25 γωνίων αντιθέσεων, της πας και ού πας. και γαρ εκείνης τα μόρια καθ οξαν αν ύλην ληφθώσι, παραπλησίως έχοντα κατά πάντα χρόνον πρός τό 25 διαιρείν τὸ ἀληθές καὶ τὸ ψεῦδος καταλαμβάνονται. καὶ τὰς | ἀπροσδιο- 104*

ρίστους μέντοι λεγομένας προτάσεις εἰ μὲν ἐπὶ τῆς ἀναγκαίας ἢ τῆς ἀδυνάτου ῦλης θεωροίης, ὄψει κατὰ πάντα χρόνον ὁμοίως διαιρούσας τό τε ἀληθὲς καὶ τὸ ψεῦδος· ἐπὶ δὲ τῆς ἐνδεχομένης εἶτε συναληθεύοιεν, ὡς δ ἐλέγετο πρότερον, κατὰ πάντα χρόνον ὑπάρξει αὐταῖς τὸ συναληθεύοιεν, ὡς δ ἐλέγετο πρότερον, κατὰ πάντα χρόνον ὑπάρξει αὐταῖς τὸ συναληθεύοιεν, ὡς δ ἰλόγατα ἀμὲν τὸν ἐνεστῶτα, εἰ τύχοι, συναληθεύουσι κατὰ δὲ τὸν παρεληλυθότα ἢ τὸν μέλλοντα οὐχ οῦτως ἕξουσιν, εἶτε διαιροῖεν τὸ ἀληθὲς καὶ τὸ ψεῦδος, τῆς ἀδιορίστου ἀποφάσεως οὐ τῆ μερικῆ ἀποφάσει ταὐτὸν 10 ωθεγγομένης ἀλλὰ τῆ καθόλου, κατὰ πάντα πάλιν χρόνον ἕξουσι τὸ ἀντι-

φάσχειν πρός άλλήλας παραπλησίως τη της μερικής χαταφάσεως πρός την 35 χαθόλου άπόφασιν άντιθέσει.

Comment. in Arist. IV 5. Ammon. de Interpr.

³ και τὸ ψεῦδος om. F δη] δὲ G 6 xal om. F διαφέρωσιν Α 8 την om. G 9. 10 μερική άπόφασις και ή καθ. κατάφασις M 13 την μέν --εύρήσεις (15) om. F post χατάφασιν add. παντελώς G 15 ώς παντ. F 22 δηλονότι om. G 20 xal έπι -- ψεύδος (22) om. F 23 άντιθέσεως Μα τῆς] τὴν G1 έχεινα F 24 αν om. AG χατά — χρόνον om. G 27 θεωρούντες G τε om. F 29 έλέγετο πρότερον] p. 111,15 30 συναληθεύσουσι G 31 ούγ οῦτως] ἐναντίως (superscr. οὐγ ὁμοίως) G 34 τη της] της τε G χαταφάσεως] άποφάσεως Μα

'none', then as a third opposition that of the undetermined sentences, and in addition to these that of the singulars, Aristotle very carefully says that three of the kinds of oppositions among sentences divide the true and false or are true together in the same way in every time, I mean the diagonals and the undetermined <sentences>, but not the singulars.

<The oppositions in various matters and times>

2. Let us discuss one of the aforementioned three oppositions, so as to make clear how the singular sentences differ in the stated manner from them, since the same <points> are obviously able to help us distinguish < the case of > the singular sentences from the remaining two oppositions. So let us take the particular affirmative sentence and the universal negative sentence. If, then, you take these in the necessary matter, you will find that the affirmative sentence is always true and the negative sentence false; if in the impossible matter, that the affirmative sentence is false and the negative sentence true. But in the contingent matter you will again find that the affirmative sentence is true, since it says that the contingent holds for some cases, exactly as is its nature to hold, but the negative sentence is necessarily false, as it completely denies the contingent, which is such as to hold of some and not of others. For just as in the present time 'Some man is pale' is true while 'No man is pale' is false, so too in the past 'Some man was pale' is true while 'No man was pale' is false, and similarly in the future 'Some man will be pale' is true while 'No man will be pale' is false. The same argument will obviously apply also in the other diagonal opposition, that between 'every' and 'not every'. In fact, in whichever matter the parts of that opposition are taken, they are understood as behaving the same in every time with regard to dividing the true and false. If, however, you examine the so-called 'undetermined' sentences in the necessary or the impossible matter, you will see that in every time they divide the true and false in the same way; if in the contingent matter they are true together, as was said before (111,15), it will hold for them that they will be true together in every time, and not that they will be true together in, say, the present time but not in the past or the future, and if they divide the true and false, since the undetermined negative sentence expresses the same <thing> as the universal and not as the particular negative sentence, they will again contradict one another in every time similarly to the opposition of the particular affirmative sentence to the universal negative sentence.

Τῶν οὖν εἰρημένων τριῶν ἀντιθέσεων κατὰ πάντα χρόνον ὁμοίως 15 ἐχουσῶν κατὰ τὸ ποιεῖν ἀντίφασιν ἢ μὴ ποιεῖν, τὰς καθ' ἕκαστα προτάσεις φησίν ὁ 'Αριστοτέλης ἐπὶ μὲν τῆς ἀναγκαίας ῦλης καὶ τῆς ἀδυνάτου διαιρεῖν ὁμοίως ταῖς ἀλλαις κατὰ πάντα χρόνον ὑρισμένως τὸ ἀληθὲς καὶ 5 τὸ ψεῦδος (κατὰ μὲν γὰρ τὴν ἀναγκαίαν ῦλην τὴν μὲν κατάφασιν ἀληθεύειν 20 ἀνάγκη τὸ ἀναγκαίως ὑπάρχον ὑπάρχειν λέγουσαν, τὴν δὲ ἀπόφασιν ψεύδεσθαι ἄτε ἀναιροῦσαν τὸ ἀναγκαίως ὑπάρχειν λέγουσαν, τὴν δὲ ἀπόφασιν τὴν μὲν κατάφασιν ψεύδεσθαι τὸ ἀδύνατον ὑπάρχειν λέγουσαν, τὴν δὲ ἀπόφασιν ἅτε ἀναιροῦσαν αὐτὸ ἀληθεύειν), κατὰ δέ γε τὴν ἐνδεχομένην ῦλην

- 10 οὐχέτι φησίν ὁμοίως aὐτὰς ἔχειν χατὰ πάντα χρόνον λαμβανομένας πρὸς τὴν διάχρισιν τοῦ τε ἀληθοῦς καὶ τοῦ ψεύδους· ἐπὶ μὲν | γὰρ τοῦ παρε- 105 ληλυθότος καὶ τοῦ ἐνεστῶτος, ἄτε δὴ τοῦ πράγματος ἐχβεβηχότος περὶ οῦ ὁ λόγος, φανερὰν εἶναι τῶν χαθ' ἕχαστα προτάσεων τήν τε ἀληθεύουσαν καὶ τὴν ψευδομένην· εἰ γὰρ τύχοι λουόμενος ἢ λουσάμενος χθὲς ὁ Σω- ͽ
- 15 χράτης, ή μέν χατάφασις άληθεύσει ή λέγουσα Σωχράτης λούεται' Σωχράτης χθές έλούσατο', ή δὲ ἀπόφασις ἀναιρεῖν πειρωμένη τὸ ὑπάρχον ἢ ὑπάρξαν δῆλον ὅτι ψευδὴς ἔσται, καὶ εἰ τύχοι μὴ λουόμενος ἢ μὴ λελουμένος τῆ προτεραία, δῆλον ὅτι τὴν μὲν ἀπόφασιν κατὰ τὸν ἐνεστῶτα χρόνον 10 καὶ τὸν παρεληλυθότα λαμβανομένην ἀληθεύειν ἀνάγχη, τὴν δὲ κατάφασιν

20 ὑπάρχειν ἢ ὑπάρξαι λέγουσαν τὸ μὴ ἐκβεβηκὸς ψεύδεσθαι. κατὰ δέ γε τὸν μέλλοντα χρόνον διαιρεῖν μὲν καὶ οῦτως φησὶ τὰς καθ' ἕκαστα προτάσεις τό τε ἀληθὲς καὶ τὸ ψεῦδος, οὐκέτι μέντοι ὁμοίω; ταῖς κατὰ τὸν 18 ἐνεστῶτα χρόνον ἢ τὸν παρεληλυθότα λαμβανομέναις· οὐ γὰρ ἔτι ὡρισμένως ἔστιν εἰπεῖν ποτέρα μὲν αὐτῶν ἀληθεύσει ποτέρα δὲ ψεύσεται, 25 μήπω τοῦ πράγματος ἐκβεβηκότος δυναμένου δὲ καὶ ἐκβῆναι καὶ μὴ 30 ἐκβῆναι.

Τοῦτο μέντοι τὸ θεώρημα τὸ νῦν ὑπὸ τοῦ ᾿Αριστοτέλους χινούμενον δοχεῖ μὲν εἶναι λογιχόν, χατὰ ἀλήθειαν δὲ πρὸς πάντα τὰ μόρια τῆς φιλοσοφίας ἐστὶν ἀναγχαῖον· χατά τε γὰρ τὴν ἡθιχὴν φιλοσοφίαν πᾶσαν ἀνάγχη 30 προσλαμβάνειν ὡς οὐ πάντα ἔστι χαὶ γίνεται ἐξ ἀνάγχης, ἀλλ' ἔστι τινὰ 35 χαὶ ἐφ' ἡμῖν, ἐπείπερ χύριοι πράξεών τινων ὄντες χαὶ ἐφ' ἡμῖν ὄν ἑλέσθαι ἢ μὴ ἑλέσθαι τάδε τινὰ χαὶ πρᾶξαι ἢ μή, τὰς μὲν ἐπαινετὰς τὰς δὲ ψεχτὰς εἶναι τῶν τε | προαιρέσεων χαὶ τῶν πράξεων λέγομεν, χαὶ προ- 105ν τρέπειν μὲν τοὺς πέλας ἀξιοῦμεν ἐπὶ τὰς χαλὰς χαὶ ἀγαθὰς πράξεις ἀπο-35 τρέπειν δὲ ἐχ τῶν ἐναντίων. χαὶ μέντοι χαὶ πρὸς φυσιολογίαν φαίνεται χρήσιμον τὸ θεώρημα· ζητήσει γὰρ χαὶ ὁ φυσιολόγος εἴτε πάντα ἐξ ἀνάγχης δ

4 ώρισμένον G1 9 γε om. FG 10 ούχέτι] ούχ έστι F αύτας δμοίως colloc. GM 11 ψευδοῦς AG¹Ma 12 δη] ήδη F 13 φανερόν AGM 15 άληο om. F 16 η om. G 20 γε om. F 22 τα 23 η τόν εχεί τοι corr. Α παρελ.] παρωχηχότα Fa alt. η om. F θεύει Μα 22 TE OM. G mévroi om. A 24 EGTIV 25 ούπω Fa άληθεύει . . ψεύδεται G om. G έχβεβηχότως Α 28 δέ] μέντοι F δέ] μέντοι Fa 27 roū om. G 30 έστι τε καί Fa 31 ώς χύριοι F 33 ψεχτάς] φευχτάς F elvaı om. G 34 τούς πέλας άξιοῦμεν om. G 35. 36 yp. palv. colloc. a 36 (nthoo F

<Future singular contingent sentences do not divide the true and false in a definite manner>

3. Since the three oppositions discussed are similar in every time with regard to making a contradiction or not, Aristotle says that the singular sentences in the necessary and the impossible matter divide the true and false in every time in a definite manner, in the same way as do the others (for in the necessary matter the affirmative sentence, since it says that what necessarily holds does hold, must be true, while the negative sentence must be false. since it denies what necessarily holds; in the impossible matter the affirmative sentence must be false, as saving that what is impossible holds, while the negative sentence, since it denies it, must be true). In the contingent matter, however, he says they no longer behave in the same way with regard to the assignment of the true and false when they are taken in each time. For in the past and present, inasmuch as the thing about which one is speaking has already occurred, the true and false singular sentences are obvious: if, say, Socrates happens to be bathing or to have bathed yesterday, the affirmative sentence 'Socrates is bathing' <or> 'Socrates bathed yesterday' will be true, while the negative sentence which attempts to deny what holds or held will clearly be false, and if he happens not to be bathing or to have bathed on the previous day, it is clear that the negative sentence taken in the present or the past must be true, while the affirmative sentence, since it says that what has not occurred either holds or held, must be false. In the future time, on the other hand, he says that the singular sentences still divide the true and false even so, but no longer in the same way as the sentences taken in the present or past time: it is no longer possible in a definite manner to say which of them will be true and which will be false, since the thing has not already occurred but can both occur and not occur.

<This study bears on all the parts of philosophy>

4. Although this study now advanced by Aristotle seems to be a logical one, it is actually necessary for all the parts of philosophy. For, in all of ethical philosophy it is necessary to admit that not all things are or come to be of necessity, but that there are also some things which are up to us, since indeed, being masters of some actions and it being up to us to choose or not to choose certain things and to do or not to do them, we say that some choices and actions are praiseworthy and others blameworthy and we think we should exhort our neighbours to the fine and good actions but dissuade them from their opposites. Further, this study is also seen to be useful for natural philosophy, since the natural philosopher too will investigate whether all that comes to be arises of necessity or whether some things arise from chance and spontaneously. And similarly regarding the discipline

γίνεται τὰ γινόμενα, εἴτε τινὰ ἀπὸ τύχης xaì ἐx ταὐτομάτου. xaì πρὸς την λογικήν μέθοδον ώσαύτως. αύτο γοῦν τοῦτό ἐστι το νῦν ζητούμενον είτε πασα αντίφασις αφωρισμένως διαιρεί το αληθές χαι το ψεύδος είτε 10 έστι τις καί αορίστως ταῦτα διαιροῦσα. ἐκτεινόμενον δὲ τὸ θεώρημα καί 5 ἐπὶ τὴν πρώτην φιλοσοφίαν εύρήσεις. ζητήσει γὰρ xaì ὁ θεολόγος xatà τίνα τρόπον ὑπὸ τῆς προνοίας διαχυβερνᾶται τὰ ἐν τῷ χόσμιο πράγματα, χαι είτε πάντα ώρισμένως χαι έξ ανάγχης γίνεται τα γινόμενα, χαθάπερ 15 τὰ ἐπὶ τῶν ἀιδίων ὑπάργοντα, ἢ ἔστι τινὰ καὶ ἐνδεγομένως ἐκβαίνοντα, ῶν την γένεσιν έπι μεριχάς δηλονότι χαι άλλοτε άλλως έχούσας αιτίας άνάγειν 10 ανάγχη. χαι ούδε τους πάνυ ίδιωτιχῶς διαχειμένους τῶν ανθρώπων εύρή- 20 σεις άμελοῦντας τῆς περί τούτου τοῦ θεωρήματος έννοίας, ἀλλὰ τοὺς μέν ώς πάντων έξ ανάγχης γινομένων τας αίτίας ών άμαρτάνουσιν έπι την είμαρμένην η την πρόνοιαν την τε θείαν χαι την δαιμονίαν αναφέρειν πειρωμένους, χαθάπερ ό απαιδεύτως παρ' Όμήρω λέγων 25 έγω δ' ούχ αίτιός είμι, 15

άλλά Ζεύς και Μοιρα και ήεροφοιτις Έριννύς,

τοὺς δὲ ὡς ὄντων τινῶν xaὶ ἐφ' ἡμῖν ἀπομαχομένους μὲν τοῖς πάντα ἀναγκάζουσιν ἀξιοῦντας δὲ ἡμᾶς ὡς αὐτο|κινήτους παιδείας τε xaὶ ἀρετῆς 106¤ ἐπιμέλειαν ποιεῖσθαι.

- 20 Τοσαύτην οὖν δύναμιν ἔχοντος τοῦ θεωρήματος πρός πάντα ήμῶν τὸν βίον ἀναγκαῖον ἡγοῦμαι τῶν πάντα ἀναγκάζειν πειρωμένων λόγων τοὺς δοκοῦντας παρέχειν τινὰ τοῖς ἀκούουσιν ἀπορίαν ἐκθέσθαί τε καὶ διαλῦσαι. 5 δύο δὲ τούτων ὀντων, τοῦ μὲν λογικωτέρου τοῦ δὲ πραγματειωδεστέρου, ό μὲν λογικώτερος προάγεται ὡς ἐπί τινος ἡμῶν ἐνεργείας, οἶον τῆς κατὰ
- 25 τὸ θερίζειν, τὸν τρόπον τοῦτον· εἰ θεριεῖς, φησίν, οὐχὶ τάχα μὲν θεριεῖς 10 τάχα δὲ οὐ θεριεῖς, ἀλλὰ πάντως θεριεῖς, καὶ εἰ μὴ θεριεῖς, ὡσαύτως οὐχὶ τάχα μὲν θεριεῖς τάχα δὲ οὐ θεριεῖς, ἀλλὰ πάντως οὐ θεριεῖς, ἀλλὰ μὴν ἐξ ἀνάγκης ἤτοι, θεριεῖς ἢ οὐ θεριεῖς· ἀνήρηται ἄρα τὸ τάχα, εἶπερ μήτε κατὰ τὴν ἀντίθεσιν τοῦ θεριεῖν πρὸς τὸ μὴ θεριεῖν ἔχει χώραν, ἐξ 15 30 ἀνάγκης τοῦ ἑτέρου τούτων ἐκβαίνοντος, μήτε κατὰ τὸ ἑπόμενον ὁποτεραοῦν
- τῶν ὑποθέσεων· τὸ δὲ τάχα ἦν τὸ εἰσφέρον τὸ ἐνδεχόμενον ὅποτερφουν τῶν ὑποθέσεων· τὸ δὲ τάχα ἦν τὸ εἰσφέρον τὸ ἐνδεχόμενον· οἴχεται ἄρα τὸ ἐνδεχόμενον. πρὸς τοῦτον οὖν τὸν λόγον ῥάδιον ἀπαντᾶν λέγοντας ὡς ὅταν φάσχητε τὸ `εἰ θεριεῖς, οὐχὶ τάχα μὲν θεριεῖς τάχα δὲ οὐ θεριεῖς, 20 ἀλλὰ πάντως θεριεῖς', πῶς ἀξιοῦτε ὑποτίθεσθαι τὸ θεριεῖν ὡς ἀναγχαῖον

¹ γίνονται G είτε] η F τινά xai άπό FG έx] άπὸ G 2 ζητούμεν Α 4 rai (post ric) om. G adioplorws G de suppl. G² 7 yivovrai G 8 rai rai G: om. M ἢ] εί A ένδεγομένως F: έπι ένδεγομένων AMa: έπι των ένδεγομένων G ών] τῶν Α 9 μερικής Μ και άλλοτε iter. Α έχβαίνοντος F xaj om. F 10 τούς] τάς FG έδιωτικάς G¹ διακειμένας G 14 παρ' Όμήρψ] 15 ούκ] ούκέτι A: ούκ αν G: ούκέτι αν M 21 ante των πάντα add. T 86. 87 23 πραγματιωδ. Α 26 χαί] ώς ΑΜ χαί — ώσαύτως] ώσαύτως τὸν πάντα Α 27 τάχα (prius)] ταῦτα F: τὰ Μ 28 ήτοι] εἴ τι Α εί ού θεριείς F είπερ ούν F 31 είσφερόμενον G¹ οίχεται — ένδεχόμενον (32) om. G 33 φάσχηται AM 34 άξιοῦται Α: άξιοῖτε Μα ωύγί]ού Μ

III.2 De Interpretatione 9

of logic, since this is actually the object of the present investigation: whether every contradiction divides the true and false in a definite manner or whether there is also a contradiction which divides them in an indefinite manner. You will also find that this study extends to first philosophy. For the theologian too will investigate how the things in the world are governed by providence, and whether all that comes to be arises in a definite manner and of necessity, like what holds in the case of eternal things, or whether there are also some things which occur contingently, whose coming to be one must ascribe to causes which are, obviously, particular and at each time different. You will not find even the most inexpert of people neglecting to think about this study, but some try to ascribe the fault for their errors to fate or to divine or demonic providence, as though all things occurred of necessity, like the man who ignorantly says in Homer:

... but it is not I who am responsible, but Zeus and Fate and Fury, who comes in the mists (*Iliad* XIX 86-7)

while others, assuming that there are also some things which are up to us, fight off those who make everything necessary and they hold that we should take care for our upbringing and virtue as self-movers.

<The 'reaper' argument>

5. Now, since this study has such great force in regard to our entire life, I consider it necessary to set out and resolve those of the arguments attempting to make all things necessary which are thought to pose an aporia for those who hear them. Of these two, one more based on the meaning of words and the other more based on the nature of the things, the more logical one proceeds as in the case of some activity of ours, e.g. our activity of reaping, in the following manner: 'If you will reap,' it says, 'it is not the case that perhaps (ráza) you will reap and perhaps you will not reap, but you will reap, in any case $(\pi \alpha \nu \tau \omega \varsigma)$; and if you will not reap, in the same way it is not the case that perhaps you will reap and perhaps you will not reap, but, in any case, you will not reap. But in fact, of necessity, either you will reap or you will not reap.' Therefore the 'perhaps' has been negated, given that it has no place either in the opposition of reaping to not reaping, since it is necessary that one of these occurs, or in what follows from either of the hypotheses. But the 'perhaps' was what introduced the contingent. Therefore, the contingent is gone. Now, against this argument it is easy to answer that 'whenever you say "If you will reap, it is not so that perhaps you will reap and perhaps you will not reap, but you will reap, in any case," how do you think that the future reaping is presupposed, as necessary or as contingent?' If it is as contingent, we have what we are seeking, and if it is as necessary, η ώς ἐνδεχόμενου; εἰ μὲν γὰρ ὡς ἐνδεχόμενον, ἔχομεν τὸ ζητούμενον, εἰ δὲ ὡς ἀναγχαῖον, πρῶτον μὲν αὐτὸ αἰτεῖσθε τὸ ἐξ ἀρχῆς ζητούμενον 35 συγχωρεῖσθαι ὑμῖν ὡς ἐναργές, ἔπειτα ἀληθὲς μὲν ἔσται τὸ πάντως θεριεῖν, οὐχέτι μέντοι χώραν ἕξει τὸ λέγειν ʿἀλλὰ μὴν ῆτοι θεριεῖς ἢ οὐ θεριεῖς'· 5 πῶς γὰρ τοῦ ἑτέρου τούτων ἐκβαίνοντος ἀναγχαίως τοῦ δὲ ἑτέρου | δηλον- 106ν ότι ἀδυνάτου ὄντος χώραν ἔχει τὸ λέγειν ʿἀλλὰ μὴν ἢ τόδε ἔσται ἢ τόδε'; ὥστε οὐ πρόεισιν αὕτη τέως αὐτοῖς ἡ ἐπιγείρησις.

⁶ Ο δέ γε Ξτερος τῶν λόγων οὕτως ῶν πραγματειώδης καὶ δυσαντίβλεπτος, ὥστε καὶ πολλοὺς τῶν ἐπιστατικωτέρων εἶναι δοκούντων ἀπάγεσθαι 5 10 πρὸς τὴν ἀναιροῦσαν τὸ ἐνδεχόμενον δόξαν, πρόεισιν ἐκ διαιρέσεως τοιαύτης· οἱ θεοί, φασίν, ἤτοι ὡρισμένως ἴσασι τὴν ἐκβασιν τῶν ἐνδεχομένων ἢ παντάπασιν οὐδεμίαν αὐτῶν ἔχουσιν ἔννοιαν ἢ καθάπερ ἡμεῖς ἀόριστον αὐτῶν 10 ἔχουσι τὴν γνῶσιν. ἀλλ' ἀγνοεῖν μὲν οὐδὲν τῶν ὄντων αὐτοὺς ἐνδέχεται τὰ πάντα παράγοντάς τε καὶ διακοσμοῦντας νοῦς τε παντελῶς ἀμιγεῖς πρὸς 15 ῦλην ὄντας, μᾶλλον δέ (εἰ χρὴ τὸ ἀκριβέστερον φάναι) καὶ ὑπὲρ τὴν

- 15 υλην οντας, μαλλού οε (ει χρη το ακριρεστερού φαναι) και υπερ την υοεράν αύτην ίδιότητα την όντως έαυτῶν ῦπαρξιν ίδρομένους. οὅτε γἀρ 15 αὐτόματον ἐροῦμεν εἶναι τῶν ὄντων την φύσιν τε καὶ τάξιν, οὕτε τοὺς ῦεοὺς εὕλογον ἢ ἀγνοεῖν ἄπερ παράγουσιν ἢ ὥς τινας ἀφερεπόνους κατολιγωρεῖν τῆς τε γνώσεως αὐτῶν καὶ τῆς διακοσμήσεως. τὸ γὰρ ὑπολαμ-
- 30 βάνειν ώς έργώδη τε χαὶ ἄσχολον ποιοῦμεν τὸν τῶν θεῶν βίον χαὶ ἄμοί- 30 ρον τῆς τοῖς θεοῖς προσηχούσης ἐμφρονος ῥαστώνης, ἐπιμελεἴσθαι τῶν χατὰ μέρος αὐτοὺς ἀποφαινόμενοι, μὴ συνεωραχότων ἐστὶ τὴν ὑπεροχὴν τῆς τῶν θεῶν γνώσεώς τε χαὶ δυνάμεως πρὸς τὴν ἡμετέραν χαὶ διὰ τὴν ἄγνοιαν ταύτην ἀξιούντων ἐχ τῶν περὶ ἡμᾶς τὰ χατὰ τοὺς θεοὺς σταθμᾶ- 25
- 25 σθαι καὶ τὴν ἡμετέραν ἀσθένειαν ἐπ' ἐκείνους μεταφέρειν, ὡς τοῦ μὲν βασιλέως ἡλίου ἄπαντα ἅμα τὰ ἐν τῷ κόσμῷ καταλάμπειν δυναμένου, πλὴν εἰ μή τισιν ἀντιφράττοι ποτέ τινα τῶν μὴ διαφανῶν ἀλλὰ στερεῶν 107^π σωμάτων, τῆς δὲ ἀσωμάτου καὶ παντάπασιν ἀύλου τῶν θεῶν δυνάμεως οὐ δυναμένης ἀπαραποδίστως τε καὶ ἀθρόως ἅπασιν ἅμα παρεῖναι τοῖς 5
- 30 ούσιν, ούδενός αντιφράττειν αὐτῆ δυναμένου πλὴν τῆς ἡμετέρας ἀνεπιτηδειότητος, οὐδὲ τότε κατὰ ἀλήθειαν τῆς προνοίας τῶν θεῶν παραποδιζομένης ἢ πρὸς τὴν γνῶσιν τῶν καθ' ἡμᾶς ἢ πρὸς τὴν ἐπιμέλειαν, ἀλλ' ἡμῶν αὐτῶν παραπλήσια πασχόντων τοις ὑπὸ τὸ φῶς τὸ ἡλιακὸν καθεύ- 10

² aireistan A 1 ydp om. FM 4 nroi] el ti A: elte a 5. 6 δηλονότι 6 άδ. όντος] άδυνατούντος F om. F 7 αΰτη] αὐτὴ G έσται] έστιν ΑGMa 8. 9 δυσαντίβλ.] scribas 8 οῦτως] ὄντως AG¹ ῶν iter. G πραγματιώδ. A OUGANT/AEXTOS 9 elvai om. G δοχούντας F έπάγεσθαι G 11 φησίν Α 12. 13 έγουσιν αύτῶν G 14 παραγαγόντας a νοῦς] νόας F άμιγη Α 16 ίδρυσαμένους ΑΜ 17 την των όντ. φύσιν Μ φύσιν τε καί] φυσικήν F 18 τινες Α 18. 19 χατολιγορείν F 19. 20 υπολαμβάνειν] αίνίττεται το έπος άφεροπόν. G1 μενάνδρειον. τοσαύτην τοὺς θεοὺς ἄγειν σχολήν xal έξῆς in mrg. A: alv. τὸ μενάνδρειον ἔπος in mrg. G² (cf. fr. 174 Com. Att. fr. ed. Kock III p. 51) 20 doywdn F1 21 TĀC om. AG τοις om. F μή προση κ. Ma έχφρονος Μα 24 τούς om. M 27 άντιφράττοιτο Ma 29 άπαρεμποδ. G 33 παραπλήσιον G

then, first, you are asking that we grant you as evident just what you have been seeking from the beginning, and second, 'you will reap, in any case' will be true, but there will no longer be room to say 'but in fact either you will reap or you will not reap'—for, if one of these occurs necessarily and the other, obviously, is impossible, how is there room to say 'but in fact either this will be or this'? Thus, this argument does not work for them so far.

<The argument from divine foreknowledge>

6. The other argument, which is based on the nature of the things and so difficult to face that even many of those who are thought most expert are led off to the belief which denies the contingent, proceeds from the following sort of division: 'The gods,' they say, 'either know in a definite manner the outcome of contingent things or they have absolutely no notion of them or they have an indefinite knowledge of them, just as we do.' Yet it is not possible for them to be ignorant of anything which exists, since they bring about and arrange all things and are intelligences wholly unmixed with matter, or rather (to speak more accurately) even establish their own real existence on a level above the very character of the intellectual itself. For neither shall we say that the nature and order of the things which exist is spontaneous, nor is it reasonable <to say> either that the gods are ignorant of the very things they bring about or that they neglect the knowledge and arrangement of these things as though they were careless. The assumption that we make the life of the gods toilsome, 'unleisured', and lacking the 'wise ease' which befits the gods, when we state that they care for particular things, belongs to those who have not grasped the transcendence of the gods' knowledge and power in comparison to our own, who think because of their ignorance that divine things can be measured by our standards. and who transfer our weakness to them. <For such men> it is as though on the one hand King Sun were able to illuminate at once everything in the world, except that some non-transparent, solid bodies occasionally block certain things, but on the other hand the incorporeal and totally immaterial power of the gods would not be able unimpededly and instantly to be present at once to all existing things, although nothing is able to block it except our own ineptitude. And even then, the providence of the gods is not truly impeded either in its knowledge of our affairs or in its solicitude, but we ourselves suffer something similar to those who fall asleep or just close their eyes in the sunlight. Just as they receive the warmth which is provided from the sun to things here <on earth>, but they deprive themselves of the sun's illuminating power by their own choice and not because the god's

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δουσιν ή καὶ μύουσιν. ὥσπερ γὰρ ἐκείνοι τῆς μὲν θερμότητος τῆς ἀπὸ τοῦ ἡλίου τοῖς τῆδε παρεχομένης τυγχάνουσι, τῆς δὲ φωτιστικῆς αὐτοῦ δυνάμεως ἑαυτοὺς ἀποστεροῦσι διὰ τὴν οἰκείαν αἴρεσιν ἀλλ' οὐ διά τινα τοῦ θεοῦ μῆνιν ἀναστέλλοντος ἀπ' ἀὐτῶν τὰς οἰκείας ἀκτῖνας· οῦτω καὶ 15 5 οἱ διά τινα κακοζωίαν ἔξω τῆς προνοίας τῶν θεῶν λεγόμενοι πίπτειν οὐ παντάπασίν εἰσιν αὐτῆς ἑξω· οὐ γὰρ ἀν γένοιτό τις, ὅπερ φησιν ὁ ᾿Αθηναῖος ἑένος, ἡ οῦτω σμικρὸς ὥστε καταδὺς εἰς τὸ βάθος τῆς γῆς λαθεῖν τὴν ἅπαντα καὶ τὰ σμικρότατα ἐποπτεύουσαν πρόνοιαν, οὐδὲ οῦτως μέγας 20 ὥστε ὑπερπτῆναι τὸν οὐρανὸν καὶ γενέσθαι ἔζω τῆς διακοσμούσης τὰ ὅλα 10 προνοίας, ἀλλὰ τῶν αὐτόθεν νεμουσῶν ἡμῖν τὰ ἀγαθὰ δυνάμεων τῶν θεῶν ἑαυτοὺς ἀποστερήσαντες τυγχάνουσιν ἀναγκαίως τῶν διὰ τιμωρίας καὶ κολάσεως περιαγουσῶν αὐτοὺς εἰς τὸ κατὰ φύσιν.

Τούτων οὖν κατά τε τἀς κοινἀς καὶ ἀδἶαστρόφους τῶν ψυχῶν ἐννοίας όμολογουμένων ὄντων καὶ ἐν τῷ δεκάτῷ τῶν Νόμων ἐναργῶς ἀποδεδειγ-15 μένων οὖτε ἀγνοεῖν τὰ ἡμέτερα | τοὺς θεοὺς δυνατὸν οὖτε ἀόριστον αὐτῶν 107ν γνῶσιν ἔγειν, ὥσπερ εἰκάζοντας περὶ τῶν ἐκβησομένων· πρῶτον μὲν γάρ,

- ώς ό Τίμαιος ήμας έδίδαξε χαὶ αὐτὸς ὁ ᾿Αριστοτέλης θεολογῶν ἀποφαίνεται χαὶ πρὸ τούτων ὁ Παρμενίδης οὐχ ὁ παρὰ Πλάτωνι μόνον ἀλλὰ χαὶ ὅ ὁ ἐν τοῖς οἰχείοις ἔπεσιν, οὐδέν ἐστι παρὰ τοῖς θεοῖς οὐτε παρεληλυθὸς 20 οὕτε μέλλον, εἶ γε τούτων μὲν ἑχάτερον οὐχ ὄν, τὸ μὲν οὐχέτι τὸ δὲ
- ούπω καὶ τὸ μὲν μεταβεβληκὸς τὸ δὲ πεφυκὸς μεταβάλλειν, τὰ δὲ τοιαῦτα τοῖς ὄντως οὖσι καὶ μεταβολὴν οὐδὲ κατ' ἐπίνοιαν ἐπιδεχομένοις 10 προσαρμόττειν ἀμήχανον· προηγεῖσθαι γὰρ ἀνάγκη τὸ παντελῶς ἀμετάβλητον τοῦ ὅπωσοῦν μεταβάλλοντος, Γνα καὶ μένη μεταβάλλον. ὥστε
- 25 ἐπὶ θεῶν ἀρχῆς ἐχόντων πρὸς τὰ ὄντα λόγον τὸ παρεληλυθὸς ἢ τὸ μέλλον θεωρεῖσθαι ἀδύνατον, ἀλλὰ πάντα παρ' αὐτοῖς ἐν ἐνὶ τῷ νῦν ἐστι τῷ 15 αἰωνίῳ ίδρυμένα, τῶν χρονικῶν μέτρων ἅμα τῆ ὑποστάσει τοῦ παντὸς ἀναφαινομένων xaὶ μόνα μετρούντων τὰ xaτὰ χρόνον ἔχοντα ἢ τὴν ὑπόστασιν ἢ τὴν ἐνέργειαν. ὥστε xaὶ τὴν εἰxαστικὴν γνῶσιν πόρρω που τῶν 20
- 30 θεῶν καὶ ἐν τῆ ἀποπερατώσει τῆς λογικῆς ζωῆς ἀπερρίφθαι ἀναγκαῖον. ἔπειτα πῶς ἀν δόξαιμεν κατὰ βραχὺ γοῦν σωφροσύνης μετέχειν, τῆ γνώσει τῶν θεῶν μηδὲν πλέον ἀξιοῦντες τῆς ἡμετέρα; ἀπονέμειν, ἀλλὰ τολμῶντες ἀμφίβολον αὐτὴν καὶ ἀόριστον ὁμολογεῖν; τῆς γὰρ αὐτῆς ἔσται 25

¹ xal om. F της (post θερμ.) om. F 2 παρεγομένοις A¹Ga 3 α[ρεσιν] 4 άνατέλλ. Μ άσθένειαν F 5 πρωνοίας F πίπτειν] πιστεύειν FG¹ 6 είσιν suppl. G² 6. 7 δ Άθηναῖος ξένος] cf. Plat. Leg. X 12 p. 905 Λ 7 ούτως 10 δυναμένων GMa βάθος] μέγεθος F 8 ούτε F μιχρός (μιχρώς G) AG έν τῷ δεχ. τῶν Νόμων] c. 10 p. 899 D sq. 14. 15 παραδε-14 ώμολογουμ. Α 17 δ T(μαιος] Plat. Tim. c. 5 p. 27 C sq. δ Άριστοτέλης] Metaph. deigu. G1 Λ 7 p. 1072 * 25 sq. 18 δ [Ιαρμενίδης] fr. v. 61 (Mullach I p. 120), Plat. Parm. c. 9 20 μέλλων G¹ εί γε] ούτε AGMa p. 137 A sq. 22 έπιδεγ.] δεγ. G 25 η τό] ήτοι G1 26 έστι om. F 27 αἰῶνι Μα μέτρων] μερών G1 τοῦ παντὸς om. Μ 28. 29 η την ὑπόστασιν iter. F 29 πόρω Α 31 xatà] xâv G

III.2 De Interpretatione 9

wrath causes him to deflect from them his own rays, in the same way those who are said to fall outside the providence of the gods because of their evil life are not entirely outside of it. For no one, as the Athenian Stranger says $,^{90}$ could be small enough to sink into the depths of the earth and escape the providence which surveys everything, even the smallest things, or so large as to leap over the heavens and come to be outside of the providence which arranges all things; but rather, although they deprive themselves of the powers of the gods, which immediately distribute good things to us, these people necessarily receive the receive the through punishment and chastisement back to what is in accordance with nature.

<The gods must have definite knowledge of their creations>

7. Since these points are agreed according to the common and undistorted conceptions of our souls and have been clearly demonstrated in the tenth book of the Laws (899d ff.), it is neither possible for the gods to be ignorant of our affairs nor for them to have an indefinite knowledge of them, as though they were conjecturing about their outcomes. First, as Timaeus⁹¹ taught us and as Aristotle himself reveals in his Theology,⁹² and Parmenides before them-not only <the one who speaks> in Plato,⁹³ but also in his own verses⁹⁴—there is neither past nor future among the gods, since indeed each of these is not-being: the former is no longer, the latter is not yet; the former is changed, the latter is such as to be changed; and it is impossible for things of this sort to fit with things which truly exist and which cannot even be imagined to admit change. For, what is entirely unchanging necessarily precedes what changes in any way, in order for it also to persist while changing. Thus, in the case of the gods, since they have the rôle of a principle with respect to what exists, it is impossible to think of the past or future; rather, all things among them are established in the one eternal 'now', while temporal measures appear together with the existence of the universe and measure only what has either its existence or its activity in time. Thus, it is also necessary that conjectural knowledge stand banished somewhere far from the gods and at the extreme edge of the rational life. Second, how could we think that we had the least share of wisdom when we believe we should not assign anything more to the gods' knowledge than to our own, but rather dare to agree that it is ambiguous and indefinite? The same thought-or rather, lack of thought-will also compare the knowledge of irrational animals to our own and make them too share in the grasp of universals and intelligibles. In sum, if it is absolutely necessary for the gods to be

- ⁹¹ Plat. Tim. 37d ff.
- 92 Arist. Metaph. XII 1072a25ff.
- 93 Plat. Parm. 140e ff.
- ⁹⁴ Parmenides, B 8,5 D.-K.

⁹⁰ Cp. Plat. Leg. X 905a.

διανοίας, μαλλον δὲ ἀνοίας, καὶ τῶν ἀλόγων ζψων τὴν γνῶσιν παραβαλλειν πρὸς τὴν ἡμετέραν μεταδιδόναι τε κἀκείνοις τῆς ἀντιλήψεως τῶν καθόλου καὶ τῶν νοητῶν. ὅλως δὲ εἰ πᾶσα ἀνάγκη | τῶν ὄντων ἀπάντων αἰτίους 108r εἶναι τοὺς θεοὺς ἢ προαιτίους, πῶς ἀν ἔχοι λόγον ἢ ἀγνοεῖν αὐτοὺς τὰ 5 οἰκεῖα γεννήματα ἢ τὰ τῶν οἰκείων γεννημάτων ἀποτελέσματα ἢ τὰ ὑπ' ἐκείνων καθ' οἶον δήποτε τρόπον γινόμενα, ἢ ὥσπερ οὐδὲν αὐτοῖς προση- 5 κόντων οὐδὲ ἐπ' αὐτοῖς κειμένων ἀμφίβολον ἔχειν τὴν γνῶσιν;

Κατ' οδδετέραν γάρ τούτων τῶν ὑποθέσεων ἐπιμελεῖσθαι τοὺς θεοὺς τῶν περὶ ἡμᾶς δυνατόν κατὰ τόν τοῖς θεοῖς προσήκοντα τρόπον τῆς προ-10 νοίας, τοῦτο δέ ἐστιν ἀπ' αὐτῆς τῆς οὐσίας τῶν προνοουμένων ποιουμένους 10 αὐτῶν τὴν ἐπιμέλειαν καὶ ὥσπερ ἐκ πρύμνης αὐτὰ διακοσμοῦντας, οὐ τῷ βουλεύεσθαι περὶ αὐτῶν, ὡς οἱ ποιηταὶ λέγουσιν (ἔνδεια γὰρ ἡ βουλὴ φρονήσεως) οὐδὲ τῷ ἄλλοτε ἄλλα βουλεύεσθαι καὶ ποιεῖν (ἀλλότριον γὰρ τοῦτο τῆς μιᾶς καὶ ἀπλῆς καὶ ἀτρέπτου παντάπασιν αὐτῶν ἐνεργείας καὶ 15 15 μόνοις προσῆκον τοῖς ὑπὸ χρόνου μετρουμένοις καὶ μετὰ προαιρέσεως τὰς ἐνεργείας ποιουμένοις), ἀλλ' αὐτῷ φασι τῷ εἶναι, καθάπερ ὁ ὅλιος οὐ βουλευόμενος οἰδὲ κινούμενος ἀλλὰ τῷ εἶναι, καὶ εἰ μένων ἐπινοηθείη, πληροῖ 20 τὰ μετέχειν δυναίμενα τοῦ οἰκείου φωτός· οὕτε οῦν τὴν πρόνοιαν αὐτῶν οὕτω γίνεσθαι δυνατὸν οὕτε τὸ εὕχεσθαι καὶ ίκετεύειν αὐτοὺς ὑπὲρ ὑετοῦ 20 τυχὸν ἢ σωτηρίας καρπῶν ἢ νίκης, ῶν τὴν ἔκβασιν ἀγνοοῦσι, πόρρω ἀν ἐμπληξίας εἴη. εἰ δὲ ταῦτα καὶ ἀδύνατα καὶ οὕτε λέγειν οὕτε διανοεῖσθαι 25 δσια καὶ ὑπ' ἀὐτῆς ἐλεγγόμενα τῆς πείρας, ὡς αἱ πολύστιγοι τῶν θείων

όσια και σκι τοιης εποηχομονα της πειρας, ως αι ποποστιχοι των σειων ένεργειών πραγματείαι και τα καθ' έκαστην ώς είπειν ημέραν γινόμενα τοις έφιστανειν αυτοίς δυναμένοις | σημαίνουσι, δήλον δτι και διατάττεσθαι 108ν 25 ύπο τών θεών τα ένδεχόμενα ήητέον και ώρισμένως γινώσκεσθαι αυτών την έκβασιν. μαλλον γαρ ην είκος τα αίδια τών πραγμάτων περιορασθαι

ύπ' αὐτῶν ἔρημα τῆς ἐπιβαλλούσης αὐτοῖς προνοίας ἦ τὰ ῥευστὴν ἔχοντα 5 φύσιν, εἴπερ ἐκεῖνα μὲν ἀπὸ τῆς ἑαυτῶν φύσεως τὸ ὡρισμένον ἔχει καὶ ἄτρεπτον τοιαύτην θεόθεν τὴν ὑπόστασιν εἰληχότα, τὰ δὲ ἐν γενέσει διὰ 30 τὸ ῥευστὸν τῆς οἰκείας ῦλης ἐν παντοδαπῆ μεταβολῆ φέρεσθαι πεφυκότα οὐτε εἶναι οὖτε συνέχεσθαι καὶ διακοσμεῖσθαι δυνατὸν μὴ πολλῆς τυγχάνοντα 10 τῆς τῶν ἀεὶ ὡσαύτως ἐχόντων δημιουργικῆς τε καὶ προνοητικῆς αἰτίας, οὐ μόνον τῆς όλικωτέρας καὶ ἐξηρημένης ἀλλὰ καί τινος μερικωτέρας καὶ προσεχεστέρας. ὥσπερ καὶ τῶν ἀνθρώπων τοὺς παῖδας ὁρῶμεν πλείονος 15

³⁵ δεομένους ἐπιμελείας ἢ τοὺς ἄνδρας, καὶ τοὺς ἀνοήτους ἤπερ τοὺς ἔμφρο-

¹ άλόγ.] άλλων F 3 τῶν (prius) om. M 4 προσαιτίους Μα η (alterum) om. 5 γενημ. FM 9 rois om. AMa FM 8 yàp] ôè a 11 ού τῶ] οὕτω 12 λέγ.] μυθολογούσι GM Ενδειαν F 13 τῶ] τὸ Α GM 15 μόνης Α 16 αύτὸ AGM 16. 17 βουλόμενος AGM 17 τω] τὸ M χρόνον ΑΓ ε*ί*] άεὶ a. 20 ούχ άγνοοῦσι a 21 έχπληξίας G 22 και ὑπ' αὐτῆς — σημαι-25 τῶν om. AFG αύτην Α vouse (24) om. F πολύστοιγοι Μα 26 είκότως FGM ίδια AG 27 έπιβαλούσης G η τά] είτα A suppl. G² 31 τυχόντα GMa 33 τινός και colloc. F 34 και su 29 év 34 xai suppl. G⁹

causes or anterior causes of all existing things, how could it be rational for them to be ignorant of their own creations, or the results of their own creations, or what is brought about in any way whatsoever by them, or for them to have ambivalent knowledge of these things, as though they did not concern them at all or depend upon them?

<Divine foreknowledge abolishes the contingent>

8. On neither of these hypotheses is it possible for the gods to care for our affairs in the providential manner which would befit the gods, that is, that they take care of the very objects of their providence from their very essence and arrange them from the stern, so to speak, not by deliberating about them, as the poets say (for deliberation is a lack of wisdom), nor by deliberating and doing different things at different times (for this is foreign to their single, simple, and wholly unchangeable activity and would befit only beings measured by time, who perform their activities by rational choice), but by their very being, they say, like the sun, which neither deliberating nor moving, but by being, fills what is able to partake of it with its own light, even if it be imagined to be standing still. Neither, then, is it possible for their providence to be such, nor would it be far from madness to pray and supplicate them for, say, rain or the safety of crops or victory, whose outcome they do not know. But if this is impossible, impious either to think or to say, and also refuted by experience, as the lengthy tales of divine activities and what happens, in a manner of speaking, every day show to those who are capable of paying attention to them, then clearly one must say both that contingent things are arranged by the gods and that they know their outcome in a definite manner. For it would be more likely that the gods neglect the eternal things, which would be deprived by the gods of the providence due to them, than the things which have a flowing nature, if the former are indeed definite by their own nature and have received an unchanging existence of this kind from the gods, while the things in genesis, which are such as to undergo any kind of changes because of the flowing of their own matter, can neither exist nor be held together and arranged without receiving the mighty demiurgic and providential cause of those things which are always the same, not merely the cause which is more total and transcendent, but also a more particular and more proximate cause, just as we see that human children require more care than adults and the stupid than the intelligent. But if the gods know contingent things and they know them in a definite manner, so that, as we said, we do not make their knowledge of them indefinite, and they know that 'Only the wooden wall will save Athens from the danger of the barbarians,' and that 'Divine Salamis will destroy the children of

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νας. εί δὲ γινώσκουσιν οί θεοὶ τὰ ἐνδεχόμενα καὶ ώρισμένως γινώσκουσιν, ἕνα μή, ὅπερ ἐλέγομεν, ἀόριστον αὐτῶν ποιῶμεν τὴν γνῶσιν, καὶ ἔσασιν ὅτι μόνον τὸ ἑόλινον τεῖχος σώσει τὰς ᾿Αθήνας ἐκ τῶν βαρβαρι-20 κῶν κινδύνων καὶ ἡ θεία Σαλαμὶς ἀπολεῖ τὰ τέκνα τῶν γυναικῶν καὶ ὁ 5 Κροῖσος τὸν Ἅλον διαβὰς μεγαλην ἀρχὴν καταλύσει καὶ ὁ Λαΐος παιδοποιῶν ἀρδην ἀνατρέψει πᾶσαν ἑαυτοῦ τὴν οἰκίαν, δῆλον ὅτι οἰχ οἶόν τε ταῦτα μὴ ἐκβαίνειν, εἰ δὲ μή, ψεύδεσθαι αὐτοὺς ἀναγκαῖον. δυοῖν οὖν 25 θάτερον, ἢ πάντα ἀναγκαίως καὶ ὡς ὑπὸ τῶν θεῶν γινώσκεταί τε καὶ προλέγεται φήσομεν ἐκβαίνειν καὶ τὸ ἐνδεχόμενον ὄνομα ἔσται | κενόν, 109r 10 ἢ οὕτε γινώσκεσθαι ὑπὸ τῶν θεῶν οὕτε προνοεῖσθαι τὰ τῆδε φήσομεν· ἀλλὰ μὴν τοῦτο ἀδύνατον· οἶγεται ἅρα τὸ ἐνδεχόμενον.

Πρός τοῦτον οὖν τὸν λόγον δυσαντίβλεπτον, ὅπερ ἐλέγομεν, ὅντα xaì ὑπ' αὐτῆς δοχοῦντα τῆς ἐναργείας χρατύνεσθαι, ὡς αί τῶν μαντειῶν 5 προρρήσεις ὃηλοῦσιν, ἀπαντῶντες ἡμεῖς xaτὰ τὴν τοῦ θείου Ἰαμβλίχου

- 15 ύφήγησιν, τὰ διάφορα μέτρα τῶν γνώσεων διαιρεῖν ἀζιώσομεν λέγοντες ὡς ή γνῶσις μέση οὖσα τοῦ τε γινώσχοντος καὶ τοῦ γινωσχομένου, εἴπερ ἐστὶν 10 ἐνέργεια τοῦ γινώσχοντος περὶ τὸ γινωσχόμενον, οἶον τῆς ὄψεως περὶ τὸ λευχόν, ποτὲ μὲν χρειττόνως γινώσχει τὸ γινωσχόμενον, τῆς αὐτοῦ τοῦ γνωστοῦ φύσεως ποτὲ δὲ χειρόνως ποτὲ δὲ συστοίχως. ὅταν μὲν γὰρ τὸν
- 20 νοῦν τὸν ἡμέτερον τὰς πολιτικὰς τῶν πράξεων προχειριζόμενον λέγωμεν 15 γινώσκειν τὰ καθ' ἕκαστα τῶν πραγμάτων, ἀναφέροντα ταῦτα ἐπὶ τὰ καθόλου καὶ δι' ἐκείνων ὡς οἰκείων γινώσκειν αὐτὰ πειρώμενον, δῆλον ὅτι κρείττονα ἐνταῦθα ἐροῦμεν εἶναι τοῦ γινωσκομένου τὴν γνῶσιν, εἴπερ μεριστὸν μὲν καὶ ἐν μεταβολῆ τὸ καθ' ἕκαστον, ὁ δὲ λόγος, καθ' ὅν ταῦτα ὁ νοῦς ὁ 20
- 25 πραχτιχός γινώσχει, άδιαίρετός τε χαὶ ἀμετάβλητος. ὅταν δὲ αὐτὸς πρὸς ἑαυτὸν ἐπιστρεφόμενος χαὶ χατὰ τὰς χαθαρτιχὰς ἐνεργῶν ἀρετὰς τὴν οὐσίαν τὴν ἑαυτοῦ θεωρῆ, σύστοιχον εἶναι ἀνάγχη τῷ γινωσχομένῷ τὴν γνῶσιν. ὅταν δέ γε ἀνελθὼν ἐπὶ τὸ ἀχρότατον τῆς ἑαυτοῦ τελειό- 25 τητος χαὶ τὰς θεωρητιχὰς τῶν ἀρετῶν προχειριζόμενος θεωρῆ τὰ περὶ 30 τῶν θείων διαχοσμήσεων χαὶ ὅπως ἐχ τῆς μιᾶς τῶν πάντων ἀρχῆς
- αυται παράγονται | χαι τίς έχάστης ή ίδιότης, χείρονα είναι ανάγχη τοῦ 109 γινωσχομένου τὴν γνῶσιν.

^{1. 2} οί θεοι - γινώσχουσιν om. F 2 ὅπερ ἐλέγομεν] p. 133,15 134,7 3 τὸ ξύλινον 4 ή θεία Σαλαμίς] cf. Herod. VII 141 4. 5 δ Κροϊσος] τείγος] cf. Herod. VII 141 cf. Herod. I 53 Diod. exc. VII 28 5 xai & Aaïos — olxlav (6) om. F (unde haec Ammon. hauserit, nescio; cf. Soph. Oed. R. arg. et v. 711 sq. Eur. Phoen. arg. et v. 17-20) 8 καί ώς om. G 8. 9 γινώσκεσθαι . . προλέγεσθαι AGMa 7 oùv om. G 8 τε 12 δυσαντιβλ.] scribas δυσαντίλεχτον (cf. p. 132,8) om. FG 10 τῶν om. FG δπερ] ώσπερ F όντα δπερ έλέγ. Μ 13 ματειών F 14 άπατώντες G¹ 17 οίον - γινωσχόμενον (18) om. et ante ποτέ δέ (19) add. ποτέ μέν χρείττων F 18 toŭ suppl. G² 19 χείρων F σύστοιχος F 21 τα χαθ' Εχαστα - γινώσχειν (22) 22 olxeïov A: olxeïa M 22. 23 évr. xp. (num. corr.) colloc. G om. F 25 πραχτ.] παρεχτιχός G 27 θεωρεϊ G 29 θεωρεϊ F: θεωρεϊν G γίνονται F: προάγονται G τίς] τῆς F 31 παρα-

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the women,' and that 'If Croesus crosses the Halys, he will destroy a great empire,' and that 'If Laius begets children, he will utterly destroy his entire house,' then it is clear that it is impossible for these things not to occur; but if not, then they must be lying. Thus, one of the two: either we shall say that all things occur necessarily and as they are both known and foretold by the gods, and the 'contingent' will be an empty name, or we shall say that things here are neither known by the gods nor are they the objects of divine providence. But the latter is certainly impossible; therefore the contingent disappears.

<Counter argument: Iamblichus' distinction of degrees of knowledge>

9. Against this argument which, as we have said, is difficult to oppose and appears to be strengthened by its very evidence, as the prophecies of the oracles show, we answer in accordance with the teaching of the divine lamblichus and we shall think it right to distinguish the various degrees of knowledge by saying that knowledge is intermediate between the knower and the known, since it is the activity of the knower concerning the known-for example, the activity of sight concerning the pale-and it sometimes knows the known in a way better than the nature of the knowable thing itself, sometimes worse, and sometimes on the same level. For when we say that our own intelligence while dealing with political actions knows the individual affairs by referring them to the universals and attempting to know them by means of those, as they are akin to them, it is clear that then we shall say that the knowledge is better than the known, since the individual is divisible and changing, but reason, according to which the practical intelligence knows these things, is indivisible and unchanging. But when intelligence, returning to itself and acting according to the purifying virtues, observes its own essence, its knowledge is necessarily on the same level as what is known. And when intelligence, having risen to the peak of its own perfection and dealing with the theoretical virtues, observes what concerns the divine arrangements, how they are derived from the single principle of all things, and what is the proper quality of each of them, its knowledge is necessarily worse than what is known.

Τούτων ούν ούτως έγόντων όητέον τους θεους γινώσχειν μέν πάντα τὰ γεγονότα καί τὰ όντα καί τὰ ἐσόμενα η μέλλοντα τὸν θεοῖς προσήχοντα τρόπον, τοῦτο δέ ἐστι μιᾶ χαὶ ὡρισμένη χαὶ ἀμεταβλήτω γνώσει, 5 διόπερ και των ένδεχομένων περιειληφέναι την είδησιν, άτε και πάντα τά 5 έν τῷ χόσμω παράγοντας χαὶ τῶν μὲν ἀιδίων οὐσιῶν αἰτίους ὄντας τῶν δε γεννητών προαιτίους χατά τάς οίχείας εχάστοις αύτών ενεργείας χαι 10 οίον όρῶντας οὐχ αὐτὰς μόνον τὰς οὐσίας ἀλλὰ χαὶ τὰς δυνάμεις αὐτῶν χαὶ τὰς ἐνεργείας τάς τε κατὰ φύσιν καὶ τὰς παρὰ φύσιν, ὅπερ παρὰ φύσιν συνεισηλθε τη αναγχαία της ύποβάσεως των όντων ύφέσει τοις χαι τού-10 του μετέγειν ποτε πεφυχόσιν, ού προηγουμένως άλλά χατά τον λεγόμενον 15 τῆς παρυποστάσεως τρόπον. γινώσκειν μέντοι τὰ ἐνδεγόμενα κρειττόνως τῆς αὐτῶν ἐχείνων φύσεως, διόπερ ταῦτα μέν ἀόριστον ἔχειν τὴν φύσιν δύνασθαί τε χαὶ ἐκβαίνειν χαὶ μὴ ἐκβαίνειν, ἐκείνους δὲ ἄτε χρειττόνως 20 της φύσεως αύτῶν την γνῶσιν αὐτῶν προειληφότας ώρισμένως χαὶ ταῦτα 15 είδέναι· και γάρ τα μεριστά τῶν πραγμάτων ἀμερίστως και ἀδιαστάτως γινώσχειν αύτους άναγχαῖον, χαὶ τὰ πεπληθυσμένα ένοειδῶς χαὶ τὰ ἔγγρονα αίωνίως και τα γεννητά άγεννήτως. ού γαρ δή συμπαραθέειν τη ρύσει 25 τῶν πραγμάτων την τῶν θεῶν γνῶσιν ἀνεξόμεθα λέγειν, οὐδὲ εἶναί τι ἐπ' έχείνων η παρεληλυθός η μέλλον οὐδὲ λέγεσθαι ἐπ' αὐτῶν, ὡς ἐν Τιμαίω 20 παρειλήφαμεν, τὸ | ἦν ἢ τὸ ἔσται μεταβολῆς τινος ὄντα σημαντικά, μόνον 110r δε το έστι, και τοῦτο οὐ το συναριθμούμενον τῷ τε ήν και τῷ ἔσται και άντιδιαιρούμενον αὐτοῖς, ἀλλὰ τὸ πρὸ πάσης γρονικῆς ἐμφάσεως ἐπινοούμενον καί τὸ ἄτρεπτον αὐτῶν καὶ ἀμετάβλητον σημαίνον, ὅπερ καὶ ὁ š μέγας Παρμενίδης παντί τῷ νοητῷ ὑπάρχειν ἀποφαίνεται· 'οὐ γὰρ ἔην 25 ούδ' έσται, φησίν, 'όμοῦ πᾶν, έστι δὲ μοῦνον'. xaì οὐ γρη νομίζειν ὅτι άναγχαίαν έξει την έχβασιν ά λέγομεν ένδεγόμενα διά το ύπο θεών γινώσχεσθαι ώρισμένως. ού γαρ διότι γινώσχουσιν αύτα οί θεοί, δια τοῦτο αναγ- 10 χαίως ἐχβήσεται, ἀλλ' ἐπειδή φύσιν ἔχοντα ἐνδεχομένην χαὶ ἀμφίβολον πέρας έξει πάντως η τοιον η τοιον, δια τοῦτο τοὺς θεοὺς εἰδέναι ἀναγ-30 χαΐον ὅπως ἐχβήσεται. χαὶ ἔστι τὸ αὐτὸ τῇ μὲν φύσει τῇ ἑαυτοῦ ἐνδεγό- 15

³ άμεταβάτω AGMa 1. 2 τὰ πάντα τὰ Μ 2 τὸν] τοῖς a 4 τà] προσαιτίους a 6 γενητών AFMa 8 όπερ παρά φύσει AM; hoc τούς Γ παρά φύσιν fort. eicias 9 συνήλθε GM ύποβάσ.] ύποστάσεως Α ύφέσει in mrg. suppl. A 9. 10 тойто F 10 ποτέ μετέχειν colloc. M 12 Eyet AG: έγοντα Μα 13 δύναται G xαì (post τε) om. M έχεινα G² 14 τῆς φύσεως - προειληφότας suppl. G² αὐτῶν (post γνῶσιν) supra scr. Μ 17 γενητά ΑΓΜα άγενήτως FMa 16 έγγρόνια G συμπαραθεῖν FMa (cf. συνδέειν p. 126,18) ρεύσει Brand. 18 άνεξώμεθα Α 19 ώς] και G¹: ώς και G² έν Τιμαίψ] c. 10 p. 37 E 20 το (ante ήν) om. Μ σημ. όντα (num. corr.) G 21 το (post où) 23 δπερ-μούνον (25) om. F om. M τῶ (ante ἔσται) om. M ώσπερ Μ μόνον Μ 24 Παρμενίδης] fr. v. 61 (Mullach I p. 120) 25 oùo?] oùx G 27 ώρισμένως om. F 27. 28 άναγχαῖον G² 29 πάντως super-26 Eyel G1 scr. M η (prius) om. FG η τοΐον (alt.) om. F 30. p. 137, 1 post ένδεγ. add. χαὶ ἀόριστον F

<Only the gods know the contingent in a definite manner>

10. Now, these things being so, we must say: that the gods know everything which has occurred, which is $\langle now \rangle$, and which will be $(\tau \dot{a} \, \dot{\epsilon} \sigma \dot{o} \mu \epsilon \nu a)$ or is going to be $(\tau \dot{a} \, \mu \dot{\epsilon} \lambda \lambda \rho \tau a)$ in the way appropriate for the gods, that is, by one definite and unchanging knowledge; that hence the gods encompass the knowledge of contingents as well, inasmuch as they bring about all things in the world, are on the one hand causes of the eternal essences and on the other anterior causes of generated things according to the actualities proper to each of these things, and since they, so to speak, see not only the essences themselves but also their potentialities and actualities, both those according to and contrary to nature (what is contrary to nature entered along with those things which are such as sometimes to partake of this state, not primarily but in the so-called manner of 'parasitic existence', along with the necessary degradation due to the decline of beings); that, however, they know the contingents in a manner better than the contingents' own nature, which is why these things have an indefinite nature and can both occur and not occur, while the gods, who have preconceived the knowledge of the contingents in a manner better than their nature, know these things too in a definite manner. In fact, it is necessary for them to know divisible things indivisibly and without extension, as well as multiplied things by a single act, temporal things eternally, and generated things ungeneratedly. For we shall certainly not allow ourselves to say that the gods' knowledge parallels the flux of things, nor that there is for the gods anything which is either past or future, nor that 'was' or 'will be', which would be significant of some change, are said in the case of the gods, as we have learned in the Timaeus (37e), but only 'is', and not the 'is' which counted along with 'was' and 'will be' and is opposed to them, but the 'is' which is conceived before any manifestation of time and which signifies the gods' constancy and immutability. This is also what the great Parmenides declares to belong to the whole intelligible <world>: 'for it was not, nor will it be,' he says,⁹⁵ 'all together, but it only is'. Moreover one must not think that the things we are calling 'contingent' will have a necessary outcome because of the fact that they are known in a definite manner by the gods: it is not because the gods know them that they will occur necessarily; but since, having a contingent and ambiguous nature, they will have an end which will in any case be so or so, it is necessary that the gods know how they will occur. And the same thing is contingent in its own nature, but in the gods' knowledge

⁹⁵ Cp. B 8,6 D.-K.

μενον, τῆ δὲ γνώσει τῶν θεῶν οἀχέτι ἀόριστον ἀλλ' ὑρισμένου. δῆλον δὲ ὅτι xαὶ τῆ ἡμετέρα γνώσει δυνατὸν ὑρισμένως ποτὲ γινώσχεσθαι τὸ ἐνδεχόμενον, ὅτε οἰδὲ χυρίως ἔτι ἐστὶν ἐνδεχόμενον ἀλλ' ἐξ ἀνάγχης ἀχολουθεῖ τοῖς προηγησαμένοις αἰτίοις τῆς ἑαυτοῦ γενέσεως· τὴν γοῦν σφαῖ- 30 5 ραν τὴν ἡρεμοῦσαν ἐν παραλλήλῷ τῷ ὅρίζοντι ἐπιπέδῷ δυνατὸν μὲν τοῦ ἐπιπέδου τὴν αὐτὴν ἔχοντος θέσιν χινεῖσθαί τε ὑπό τινος χαὶ μή, τοῦ μέντοι ἐπιπέδου χλιθέντος μὴ χινηθῆναι ἀδύνατον. διὰ ταῦτα χαὶ τοὺς ἰατροὺς ὅρῶμεν ὅτὲ μὲν οὐδὲν θαρροῦντας ἀποφαίνεσθαι περὶ τῶν ἀρρώ- 25 στων εἴτε ὑγιανοῦσιν εἴτε φθαρήσονται, ὡς ἀν ἐνδεχομένων ὄντων ἀμφοτέ-10 ρων, ποτὲ δὲ ἀνενδοιάστως περὶ τοῦ ἑτέρου τούτων ὡς τῷ ἀρρώστῷ πάντως τι ὑπάρξοντος | ἀποφαινομένους.

Έπει δέ τινες θρασύτερον άναστρεφόμενοι περί την ζήτησιν τοῦ προκειμένου θεωρήματος οἴονται δεικνύναι μηδὲ τοῖς θεοῖς ὡρισμένην ὑπάρχουσαν γνῶσιν τῶν ἐνδεχομένων χρησμοὺς παράγοντες ήμιν περί τῶν 5

- 15 μελλόντων ἀμφιβόλως ἀποφηναμένους, ῥητέον πρός αὐτούς, ឪπερ ὁ μέγας φησὶ Συριανός, ὅτι πρῶτον μὲν ἐφιστάνειν ἐχρῆν ὡς ἀλλη μέν ἐστιν ἡ τῶν θεῶν γνῶσις καὶ νόησις ἑτέρα δὲ ἡ τῆς προφήτιδος ἐνέργεια, κινηθείσης μὲν ἐκ θεοῦ τεκούσης δὲ ἐν αὐτῆ καὶ λόγον μεριστὸν καὶ μέτρα 10 καὶ γνῶσιν ἀμφίβολον· οὐ γὰρ δὴ τὸ ἐλλαμπόμενον τοιοῦτόν ἐστιν οἶον
- 20 τὸ ἐλλάμπον. ἕπειτα δὲ ὅτι καὶ τοῦ συμφέροντος ἕνεκεν τῶν ἀκουόντων πολλάκις ἀμφίβολοι δίδονται χρησμοὶ τὴν διάνοιαν αὐτῶν γυμνάζοντες· χρῶνται γὰρ ἡμῖν ὡς αὐτοκινήτοις οἱ θεοὶ καὶ τοῦτον τὸν τρόπον τὰ περὶ 15 ἡμᾶς κυβερνῶσι καὶ πάντα ἡμῖν κατὰ τὴν ἡμῶν αὐτῶν ἀξίαν ἀπονέμουσιν. ἀλλὰ ταῦτα μὲν ἴσως καὶ τολμηρὰ καὶ τῶν προκειμένων εἰς ἐξέτασιν
- 25 μαχράν ἀποπλανώμενα· δλως δὲ ὅ πάντα ἀναγχάζων λόγος πότερον χαὶ 20 αὐτὸ τοῦτο ἐξ ἀνάγχης συμβαίνειν τοῖς ἀνθρώποις φησί, τὸ λέγειν ὅτι πάντα ἠνάγχασται, ἢ ἐφ' ἡμῖν κεῖσθαι τὰς περὶ τοῦ τρόπου τῆς γενέσεως τῶν πραγμάτων δόξας; εἰ μὲν γὰρ τὸ δεύτερον ἀληθές, οὐχ ἄρα πάντα ἐξ ἀνάγχης· εἰ δὲ τὸ πρότερον, πῶς δοξάζουσί τινες τὸ ἀντιχείμενον, ὅτι 25 30 πολλά ἐστιν ἐφ' ἡμῖν; τὸ γὰρ ὑπὸ τῆς φύσεως τῆς πάντα ἀναγχαζούσης.
- 30 πολλα έστιν έφ΄ ήμιν; το γαρ υπο της φυσεως της παντα άναγκαζουσης, ώς δ έκείνων λόγος, κινεϊσθαι παρὰ φύσιν ήμας ἐπὶ τὸ καταψηφίζεσθαι τῶν ὑπ' αὐτῆς γινομένων παντελῶς ἄλογον καὶ παραπλήσιον ὡς εἶ τις 111 ἰατρικὴν τέχνην διδάσκων δι' αὐτοῦ τούτου παρεσκεύαζε τοὺς διδασκο-

¹ ούχέτι ex ούχ έστι corr. F 2 ήμετ.] έτέρα F 3 ὅτε — ένδεχόμενον om. AGM (in mrg. suppl. AG²) 4 προηγουμένοις F της] τοῖς Α 5 τὴν om. M 5. 6 του έπιπ.] του έπ' έλπίδι G': έπι του έπιπ. Μ 6 τε om. Μ 7 χινείσθαι F θαροῦντας F 9 ὑγιαίνουσιν FM 9.10 ἀμφ. ὄντ. col-.orē] ότὲ a ἀνενδυάστως Α 11 τι om. FG 8 ότὲ] δτι Μ 10 ποτέ] ότε a loc. G ύπάρξαντος G1 13 τῶ θεῶ F 14 τὴν γνῶσιν FG προάγ. F άποφαινομ. G 17 τοῦ θεοῦ F xaì νόησις om. F 15 άμφιβόλους Α 20 δτι] εί τι Μ 21 δίδ.] δηλούνται F 23 ήμῶν οπ. F αὐτῶν οπ. G 24 άλλὰ – ἀποπλανώμενα (25) suppl. G² 26 ὅτι οπ. F 27 πάντα ἢ a χεῖται Α 29 ét om. F 31 ó superscr. A: om. M ήναγχάσθαι Αα 33 τέχνην οπ. F

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it is no longer indefinite, but rather definite. It is clearly possible for the contingent sometimes to be known in a definite manner even by our own knowledge, namely when it is no longer contingent properly-speaking, but necessarily follows from the causes leading the way to its own generation: it is possible, for example, for a sphere which rests on a horizontal surface, while the surface keeps the same position, to be moved by something or not, but when the surface is tilted it is impossible for it not to be moved. Hence, we also see that physicians sometimes lack the confidence to pronounce anything about whether their patients will recover or perish, thinking both are possible, while they some times indubitably pronounce about one or the other of these as certainly going to happen to the patient.

<Oracular ambiguity; Are our beliefs necessary?>

11. Since some people who are too bold in their occupation with the investigation of the present theory believe that when they adduce for us oracles which make ambiguous pronouncements about future events they are demonstrating that definite knowledge of contingents does not even belong to the gods, we must say to them just what the great Syrianus says: First, that one must note that the knowledge and understanding of the gods is one thing, and the activity of the prophetess is another, since, although she is moved by the god, she brings to birth in herself speech which has parts, verses, and ambivalent knowledge: surely what is illuminated is not such as that which illuminates it. Second, that it is for the benefit of the listeners that ambiguous oracles are given, which exercise their intelligence: the gods treat us as self-movers and it is in this way that they govern our affairs and distribute all things to us according to our own desert. But perhaps these matters are both audacious and far afield of the investigation of the present issues. In general, does the argument which makes everything necessary also say that this very thing of necessity happens to humans, that they say that everything is necessitated, or does it say that our opinions about the manner of the generation of things are up to us? If the second is true, then not everything is of necessity. If the first, how can some people believe the opposite, that many things are up to us? It is utterly irrational <to say> that we are moved in a way contrary to nature by a nature which necessitates everything, as their argument claims, so that we cast our vote against the things which are brought about by that nature. It is almost as if someone, while teaching the art of medicine, by this very act prepared his

μένους τὰς ἀρχὰς τῆς τέχνης ἦς μετήεσαν ἀναιρεῖν, καίτοι τὸν μὲν τεχνίτην εἰκὸς ποιῆσαί τι τῶν παρὰ τὴν τέχνην, οὐ καθ' δ τοιοῦτος, οἶον τὸν 5 ἰατρὸν δοῦναι φθόριον ἢ δηλητήριον, ἄτε ψυχὴν αὐτοκίνητον ἔχοντα καὶ τῆς τέχνης μηδὲν συντελούσης πρὸς αὐτὴν τῆς ψυχῆς τὴν τελειότητα τοῦ 5 δὲ σώματος ἢ τῶν ἐκτὸς ἐπιμελουμένης, τὴν μέντοι φύσιν ὑπεναντίον τι 10 τῷ οἰκείῳ τέλει ποιεῖν ἀμήχανον. οὐ μὴν οὐδ' ὥσπερ τῶν τεράτων, οῦτω καὶ τῶν δοξῶν πλεονεξίαν τῆς ὕλης ἢ ἐνδειαν αἰτιασόμεθα· οὖτε γὰρ πλάττειν αὐτοῖς βουλομένοις ῥάδιον ἀποδοῦναι τῶν διαφόρων δοξῶν ἐκ τῆς κατὰ τὴν ὕλην διαφορᾶς τὰς αἰτίας οὐτε πάντων ἔτι τὴν είμαρμένην 15 10 αἰτίαν εἶναι ὁμολογήσουσιν. ἀλλὰ τούτων μὲν ἅλις.

'Επανάγοντες δὲ τὸν λόγον ἐπὶ τὴν ἐξήγησιν τῶν ὑπὸ τοῦ 'Αριστοτέλους ἐν τούτοις λεγομένων πρῶτον μὲν ἀχόλουθα εἶναι φήσομεν τὰ διὰ τούτων παραδιδόμενα τοῖς δλίγφ πρότερον εἰρημένοις· ἐλέγετο γὰρ προσε- 20 χῶς περὶ ἀντιθέσεως χαταφάσεώς τε χαὶ ἀποφάσεως οὐχ ἀεὶ διαιρουσῶν 15 τό τε ἀληθὲς χαὶ τὸ ψεῦδος· τούτοις οὖν ἀχολούθως προστίθησι ποία

- χατάφασις πρός ποίαν ἀπόφασιν ἀντίχειται οῦτως ὥστε διαιρεῖν μὲν αὐτὰς ἀεὶ τό τε ἀληθὲς καὶ τὸ ψεῦδος, οὐ μέντοι ἀφωρισμένως ἀλλ' ἀορίστως. 25 παραδίδωσι δὲ πρῶτον μὲν τὰ χοινῶς ὑπάρχοντα ταῖς τε διαγωνίοις ἀντιφάσεσι καὶ τῆ τῶν καθ' ἕκαστα, λέγων ὅτι πάσαις αὐταῖς ὑπάρχει τὸ
- 20 ἀφωρισμένως ταῦτα | μερίζειν χατὰ τὸν ἐνεστῶτα χρόνον χαὶ τὸν παρφ- 111ν χηχότα (τοῦτο γάρ ἐστι τὸ ἐπὶ τῶν ὄντων χαὶ γενομένων τὴν χατάφασιν ἢ τὴν ἀπόφασιν ἀληθῆ ἢ ψευδῆ εἶναι), πρότερον μὲν ὅτι ταῖς διαγωνίοις τοῦτο ὑπάρχει διδάσχων, ἀς χαθόλου ὡς χαθόλου 5 προσηγόρευσεν, ὡς ἐχούσας τὴν ἑτέραν τῶν προτάσεων χαθόλου, ἔπειτα
- 25 προστιθεὶς ὅτι xaì ἐπὶ τῶν xaθ' ἕxaστα προτάσεων τὸ αὐτὸ συμβαίνει, ὅπερ xaì ἐπὶ τῶν διαγωνίων· τοῦτο γὰρ βούλεται τὸ ὥσπερ εἴρ ηται. ἐπισημαινόμενος δὲ ὅτι τῶν ἀπροσδιορίστων προτάσεων xaτὰ τὴν ἐνδεχομένην ὕλην 10 λαμβανομένων οἰx ἀνάγκη τὴν μὲν ἀληθῆ τὴν δὲ ψευδῆ εἶναι, ἕπειτα ἐπάγων τὴν xaτὰ τὸν μέλλοντα χρόνον διαφορὰν τῶν xaθ' ἕxaστα προτάσεων πρὸς 30 τὰ λοιπὰ τῶν ἀντιφάσεων είδη διὰ τοῦ λέγειν ἐπὶ δὲ τῶν xaθ' ἕxaστα 15
- καὶ μελλόντων οὐχ ὑμοίως, καὶ ἐνδεικνύμενος ἡμῖν διὰ τούτων ὡς
 αἱ μὲν ἄλλαι προτάσεις, αἶ τε διαγώνιοι καὶ αἱ ἀπροσδιόριστοι, οῦτως
 ἔχουσι κατὰ τὸν μέλλοντα χρόνον, ὥσπερ εἶχον κατά τε τὸν ἐνεστῶτα
 χρόνον καὶ τὸν παρεληλυθότα, αἱ δὲ καθ' ἕκαστα οὐκέτι (πάνυ δὲ ἀκρι-20
 35 βῶς τὸ ἴδιον τῶν προτάσεων, περὶ ὦν ὁ λόγος, ἀφοριζόμενος ἐπὶ τῶν

¹ την άρχην G ής μετήεσαν om. F μετίεσαν A 2 την iter. G 5 έναντ. G 6 ποιείν τέλει colloc. G 4 αὐτῆς Μ 3 φθόρον a δ' Α δίδο περάτων ΑΜα ούτω δη G 8 άποδ. βάδ. colloc. M οῶτα G 15 τε om. M τὸ (ante ψεῦδ 18 τε om. A διαγωνίαις G 21 τῶν γενομ. Ma 10 Elvai om. M 12 πρῶτα G τό (ante ψεῦδ.) 17 τε om. F om. F 21. 22 την μέν χατάφ. Μ: άνάγχη την χατάφ. b 22 πρώτον Μ 23 ώς χαθό-λου --- χαθόλου (24) om. Μ 24 προηγόρ. Αα 25 προτιθείς F 30 διά τοῦτο λέγει Γ 33 те о**m.** FM 34 γρόνον om. M

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pupils to refute the principles of the art in which they shared; and, although it is likely that the technician will do something contrary to his art (not qua technician—as when the doctor administers an abortifacient or a poison, inasmuch as he has a self-moving soul and

doctor administers an abortifacient or a poison, inasmuch as he has a self-moving soul and the art contributes nothing to the actual perfection of the soul, being instead occupied with the body or external things), it is impossible for nature to do anything contrary to its proper end. Nor, indeed, shall we hold an excess or deficiency of matter responsible for our opinions, as <we do> for monsters: even if they want to exercise their imagination, it will not be easy for them to explain the causes of the different opinions <as arising> from the difference in matter, nor will they be agreeing that fate is still the cause of all things. But enough on this subject.

<Explication of Aristotle's words>

12. Returning our discussion to the explication of what Aristotle says in this passage, we shall say first that what is taught in these words follows from what was said a bit earlier (ch. 7, 17b3ff.). He said, namely, just above about the opposition between the affirmative and the negative sentences, that they do not always divide the true and false. Consequent to this, then, he adds (18a33-34)⁹⁶ what sort of affirmative sentence is opposed to what sort of negative sentence in such a way that they always divide the true and false, not in a definite, however, but in an indefinite manner. First, he teaches us what holds in common of the diagonal contradictions and of the contradiction of the singular sentences, saying that it holds of all of these <contradictions> that they distribute the true and false in a definite manner in the present and past time (for this is <the meaning of> 'in the case of things which are or have come to be [sc. it is necessary] that the affirmative sentence or negative sentence be true or false'), teaching first that this holds of the diagonal <contradictions>, which he called 'universal taken universally' <i.e. general> since these <contradictions> have one of their two sentences as general, and next adding that the same thing happens in the case of the singular sentences as in the diagonals, which is the sense of 'as has been said'. But he also indicates that, of the undetermined sentences taken in the contingent matter, it is not necessary for one to be true and the other false, and he then brings in the difference in the future time between the singular sentences and the remaining species of contradictions when he says 'But with future singulars it is not the same,' and he shows us in these words that, while the other sentences, the diagonals and the undetermined ones, behave in the future time just as they do in the present and past time, the singular sentences no longer do so (he defines with great precision what is proper to the sentences he is speaking about, saying 'with future singulars' and meaning by

Aristotle says simply: "But in the case of singulars that are going to be it is not the same (οὐχ ὁμοίως)."

Εχαστα χαὶ μελλόντων εἶπε διὰ τοῦ μελλόντων τὸ ἐπὶ τῆς ἐνδεχομένης ὅλης λαμβανόμενον σημαίνων· ἄλλο γὰρ ἐστιν, ὡς αὐτὸς ἐν τοῖς Περὶ γενέσεως καὶ φθορᾶς διορίζεται, τὸ μέλλον παρὰ τὸ ἐσόμενον, καὶ τὸ μὲν 25 ἐσόμενον τὸ πάντως ἐκβησόμενον σημαίνει, ὡς ὅταν εἶπωμεν ἑἔσται χειμῶν 5 ἢ θέρος ἢ ἔκλειψις', τὸ δὲ μέλλον τὸ καὶ ἐκβῆναι καὶ μὴ ἐκβῆναι δυνά-

- μενον, οἶον 'μέλλω βα|δίζειν, μέλλω πλέειν')· ἐνδειχνύμενος οὖν ὅτι χατὰ 112^τ μὲν τὰς ἄλλας ὕλας, τήν τε ἀναγχαίαν χαὶ τὴν ἀδύνατον, ὅμοίως ἔχουσιν αί χαθ' ἕχαστα προτάσεις, ὥσπερ ἐπὶ τοῦ προλαβόντος χρόνου χαὶ τοῦ ἐνεστῶτος οὕτω δὲ χαὶ ἐπὶ τοῦ μέλλοντος χατὰ τὸ ἀφωρισμένως διαιρεῖν 5 10 τὸ ἀληθὲς χαὶ τὸ ψεῦδος, χατὰ δὲ τὴν ἐνδεγομένην οὐχέτι, χαίτοι τῶν
- 10 το αληθες και το ψευσος, κατα σε την ενοεχομενην ουκετι, καιτοι των άλλων πασῶν ἀντιφάσεων καὶ ἐπὶ ταύτης τῆς ῦλης ὁμοίως ἐχουσῶν εἰς τὸν μέλλοντα χρόνον ὥσπερ καὶ ἐπὶ τῶν λοιπῶν, προστέθεικε τὸ οὐχ ὁμοίως, ἄμα διὰ τούτου σημαίνων κατὰ τί αὐται οὐκέτι ὁμοίως ἔχουσιν 10 ἐπὶ τῆς εἰρημένης ὑποθέσεως λαμβανόμεναι, ὅτι διαιροῦσι μὲν πάντως τὸ
- 15 άληθές καὶ τὸ ψεῦδος, οἱ μέντοι ἀφωρισμένως ἀλλ' ἀορίστως· ἀνάγκη μέν γὰρ τὸν Σωκράτην λούσασθαι ἢ μὴ λούσασθαι αὕριον, καὶ οὕτε ἄμφω οὕτε 15 μηδέτερον γενέσθαι δυνατόν· πότερον δὲ τούτων ἔσται τὸ ἀληθές, οἰχ οἶόν τε γνῶναι πρὸ τῆς τοῦ πράγματος ἐκβάσεως, εἶπερ ἑκάτερον αὐτῶν καὶ γενέσθαι καὶ μὴ γενέσθαι δι' αὐτὴν τὴν τοῦ ἐνδεχομένου φύσιν 20 ἐγχωρεῖ. τοῦτο οὖν βραχέως ἐνεδείξατο ἡμῖν διὰ τοῦ εἰπεῖν οἰχ ὁμοίως. 20

p. 18*34 El γάρ πᾶσα κατάφασις ἢ ἀπόφασις ἀληθὴς ἢ ψευδής,
 καὶ ἅπαν ἀνάγκη ὑπάρχειν ἢ μὴ ὑπάρχειν· εἰ δὴ ὁ μὲν φήσει
 ἔσεσθαί τι ὁ δὲ μὴ φήσει τὸ αὐτὸ τοῦτο, ὅῆλον ὅτι ἀνάγκη ἀλη θεύειν τὸν ἕτερον αὐτῶν, εἰ πᾶσα κατάφασις ἢ ἀπόφασις ἀληθὴς 25
 ἢ ψευδής· ἅμφω γὰρ οὐχ ὑπάρξει ἅμα ἐπὶ τοῖς τοιούτοις.

Βούλεται μέν διά τούτων παραστήναι τῆ δόξη τῆ ἀναιρούση τὸ ἐνδεχόμενον, ἕνα ὡς οἶόν τέ ἐστι χρατον βεῖσαν αὐτὴν διελέγξη, τοὺς δὲ προ- 112ν ισταμένους ταύτης τῆς δόξης διὰ τούτων ὑποχρινόμενος ὥσπερ λημμάτιόν τι πρῶτον λαμβάνει, ὅτι τῆ μὲν ἀληθεία τῶν λόγων ἕπεσθαι ἀνάγχη τὴν 30 ῦπαρξιν τῶν πραγμάτων, τιῷ δὲ ψεύδει τὴν ἀνυπαρξίαν, ὅπερ αὐτῷ βούλε- 5 ται τὸ εἰ γὰρ πᾶσα χατάφασις ἢ ἀπόφασις ἀληθὴς ἢ ψευδής, χαὶ ἅπαν ἀνάγχη ὑπάρχειν ἢ μὴ ὑπάρχειν. ἔπειτα ὁρμᾶται μὲν

¹ τοῦ suppl. G²: τῶν F 2 λαμβανομένων G 2. 3 ev tois Περί γεν. xai φθ.] 2 έν] οῦν Μ 5 xaì (prius) ante τὸ colloc. A: om. Ma B 11 p. 337 b 3 7 ὕλας 10 χαίτοι] χαί τι F: χαίτοι χαί M 13 οὐχέτι] οὐγ G om. G 17 de] 20 ούν] δὲ M¹ 18 διαγνώναι G είπερ] είπεν Μ έστι F dià G 21 η απόφασις] και απόφασις F2Gb: om. F1 (cf. v. 31) η αληθής AGM βραγέος F 22 και άπαν - τοιούτοις (25) om. Μ εί δη - τοιούτοις (25) (cf. v. 31) el di AG: el dè F: wore el b 24 n anóp.] xal anóp. b 26 προστήom.a. ναι F: παραστήσαι G²a της δόξης της άναιρούσης F 27 έστι ο . Μ 30 αὐτὸ AF 31 η ἀπόφασις om. F: καὶ ἀποφ. b

'future' that which is taken in the contingent matter; for what is going to be is different, as he himself makes the distinction in On Generation and Corruption,⁹⁷ from what will be, since 'what will be' signifies what will occur, in any case, as when we say 'there will be winter,' or ' ... summer,' or ' ... an eclipse,' while 'what is going to be' <signifies> what can either occur or not occur, for example, 'I am going to walk,' 'I am going to sail'). So, showing that in the other matters, i.e. the necessary and the impossible, the singular sentences behave similarly in regard to dividing the true and false in a definite manner (18a31)-just as in the preceding time and the present, so too in the future-but that they no longer do so in the contingent matter, even though all the other contradictions behave the same toward the future in this matter as they do in the other matters too, he has added 'it is not the same,' thereby signifying at the same time in what respect these, when taken on the stated assumption, no longer behave the same, namely that they always divide the true and false, but in an indefinite, not in a definite manner; for it is necessary that Socrates bathe or not bathe tomorrow, and it is impossible that either both or neither happen, but which of these will be the true one it is not possible to know before the outcome of the matter, if indeed each of them can either happen or not happen because of the very nature of the contingent. This, then, is what he concisely showed us by saying 'it is not the same'.

18a34 For if every affirmative sentence or negative sentence is true or false, it is also necessary that everything be the case or not be the case. Indeed, if one person says something will be and another denies the same thing, it is clearly necessary that one of them is speaking truly—if every affirmative sentence or negative sentence⁹⁸ is true or false; for in the case of this kind of things both will not be the case together.

<Strengthening the case against the contingent>

13. <Aristotle> wants in these words to support the opinion which destroys the contingent, in order to refute it when it is at its strongest, and here, acting the part of those who defend this opinion, he first takes as a kind of assumption that it is necessary that the existence of the things follows upon the truth of the sentences, their non-existence upon falsity, which is the meaning of his 'For if every affirmative sentence or negative sentence is true or false, it is also necessary that everything be the case or not be the case.' Next, he begins from the axiom of contradiction, saying that, necessarily, of singular contingent sentences

⁹⁷ GC II 11, 337b3-7.

⁹⁸ κατάφασις ή ἀπόφασις; Minio-Paluello (following most of the manuscripts) has κατάφασις alone.

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άπό τοῦ ἀξιώματος τῆς ἀντιφάσεως λέγων ὅτι ἀνάγκη τῶν καθ' ἕκαστα καὶ ἐνδεχομένων προτάσεων ἐπὶ τοῦ μέλλοντος χρόνου λαμβανομένων τὴν 10 ἑτέραν ἀληθεύειν, ἐπειδὴ οὐτε ἀμφοτέρας ἅμα ψεύδεσθαι οὔτε ἀληθεύειν ἀμφοτέρας ἅμα δυνατόν. τούτων δὲ τὸ μὲν ὅτι οὐκ ἀληθεύουσιν ἄμφω 5 λέγεται σαφῶς ἐν τούτοις διὰ τοῦ ἄμφω γὰρ οὐχ ὑπάρξει ἅμα ἐπὶ 15 τοῖς τοιούτοις, τοῦτ' ἔστιν αί γὰρ τοιαῦται προτάσεις οὐ πείσονται τὸ αὐτὸ ταῖς ἀπροσδιορίστοις ταῖς ἐπὶ τῆς ἐνδεχομένης ῦλης λαμβανομέναις (ἐκείνας μὲν γὰρ συναληθεύειν ἐλέγομεν, ταύτας δὲ συναληθεύειν ἀδύνατον, ἕνα μὴ τὸ αὐτὸ ἅμα τῷ αὐτῷ καὶ ὑπάρχῃ καὶ μὴ ὑπάρχῃ, οἶον τῷ 20 10 Σωκράτει καὶ τὸ λούσασθαι τῇ ἑξῆς καὶ τὸ μὴ λούσασθαι), τὸ δὲ ὅτι οὐδὲ ψεύδεσθαι αὐτὰς ἅμα δυνατόν, ἐν τοῖς ἐφεξῆς προσθήσει. τούτων οῦν ἀνῃρημένων καὶ διὰ τούτου κατεσκευασμένου τοῦ διαιρεῖν αὐτὰς τὸ ἀληθὲς καὶ τὸ ψεῦδος, ὅτι καὶ ὡρισμένως, φησί, τοῦτο ποιοῦσιν ἐπιδείξομεν, εἰ δύο 25

τινάς οίον μαντεύεσθαι προσποιουμένους λάβοιμεν περί τινος τῶν καθ' ἕκα-15 στα προλέγειν πειρωμένους οίον άρρώστου, τὸν μὲν δτι ύγιανεῖ τὸν | δὲ δτι 113r

ούχ ύγιανει. δηλον γαρ δτι τον μεν ξτερον αυτών αληθεύειν ανάγκη τον δε ετερον ψεύδεσθαι. εί μεν ούν ό λέγων ύγιανειν αυτόν αληθεύοι, ανάγκη αυτόν ύγιαναι (προείληπται γαρ στι τη αληθεία των λόγων επεται πάν- 5 τως ή έκβασις των πραγμάτων), εί δε ό την απόφασιν είπων αληθεύοι, 20 δηλον στι αδύνατον αυτόν ύγιαναι. ωστε η αναγκαίως έκβήσεται το πραγμα η αδύνατον ξει την έκβασιν. ανήρηται άρα το ενδεγόμενον.

p. 18*39 Εἰ γὰρ ἀληθὲς εἰπεῖν ὅτι λευχὸν ἢ οὐ λευχόν ἐστιν, ἀνάγχη εἶναι λευχὸν ἢ οὐ λευχόν, καὶ εἰ ἔστι λευχὸν ἢ οὐ λευ- 10 χόν, ἀληθὲς ἦν φάναι ἢ ἀποφάναι· χαὶ εἰ μὴ ὑπάρχει, ψεύδεται,
25 χαὶ εἰ ψεύδεται, οὐχ ὑπάρχει· ὥστε ἀνάγχη τὴν χατάφασιν ἢ τὴν ἀπόφασιν ἀληθῆ εἶναι ἢ ψευδῆ. οὐδὲν ἄρα οὕτε ἐστιν οὕτε γίνεται οὕτε ἀπὸ τύχης οὕτε ὁπότερ' ἔτυχεν, οὐδὲ ἔσται 15 ἢ οὐχ ἔσται, ἀλλ' ἐξ ἀνάγχης ἅπαντα χαὶ οὐχ ὑπότερ' ἔτυχεν·
ἢ γὰρ ὁ φὰς ἀληθεύσει ἢ ὁ ἀποφάς· ὁμοίως γὰρ ἀν ἐγίνετο ἢ
30 οὐχ ἐγίνετο· τὸ γὰρ ὁπότερ' ἔτυχεν οὐδὲν μᾶλλον οῦτως ἦ μὴ

Τὸ προειρημένον λημμάτιον χρατῦναι βουλόμενος ὁ ᾿Αριστοτέλης, ὅτι 20 τῆ ἀληθεία τῶν λόγων ἕπεται ή ὕπαρξις τῶν πραγμάτων καὶ τῷ ψεύδει ἡ ἀνυπαρξία, διὰ παραδειγμάτων ἐπιδείχνυσι τοῦτο οὕτως ἔχον, ἐπείπερ

⁸ éxelvais G1 3. 4 άμφ. άλ. colloc. A 9 αὐτῶ] λόγω Μ 1 άπό] έπὶ Γ ὑπάρχει (utrobique) G: compend. F 10 τὸ ἑξῆς G προσθεί-11 έν] έπὶ G 12 διά τούτων F 13 έπιδείξωμεν Μα 14 περί] παρά G 15 δτι σει F (prius) om. A 16 άλ. αὐτ. colloc. AGa 17 αὐτ. ὑγ. colloc. AGM ύγιαίνειν AG 21 Eyet A2 22 7 ort où ab e driv-Efet (31) om. M 23 zat el-Efet (31) om. 25 άνάγχη η b (recte, cf. p. 141,19. 24) 25. 26 η την άπόφασιν suppl. F² Ga 27 ούδε δπότερον Α 32 τὸ γὰρ προειρ. Μ

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taken in the future time, one or the other is true, since it is neither possible for both to be false together nor for both to be true together. The latter of these, that both are not true, is clearly mentioned here in the words 'for in the case of this kind of things both will not be true together'; that is, such sentences will not undergo the same effect as the undetermined sentences when taken in the contingent matter (we said [129,25-31] that those are true together; but it is impossible for these to be true together, lest the same thing at once hold and not hold of the same thing, for example that both bathing on the next day and not bathing on the next day hold of Socrates). The former case, where it is not even possible for them to be false together, he will add in what follows (18bl7). Thus, with these cases excluded and it being established by this that these sentences divide the true and false, that they also do this in a definite manner, he means, we shall show if we take two people e.g. who pretend to be capable of prophecy and attempt to make predictions about some individual, e.g. a sick person, and one says he will get well, the other that he will not get well. Obviously it is necessary that one of them is speaking truly and the other falsely. Now, if the one saving the person will get well is speaking truly, it is necessary that he will get well (for it was assumed beforehand [139,29-30] that the outcome of the facts follows the truth of the sentences, in any case); but if the one who stated the negation is speaking truly, then obviously it is impossible that the person will get well. Thus, the event will either occur necessarily or it will have an impossible outcome. Therefore, the contingent has been denied.

18a39 For if it is true to say that <such a thing> is pale or that it is not pale, it is necessary that it be pale or not pale, and if it is pale or not pale, it was true to affirm or deny this. If it does not hold, it is false, and if it is false, it does not hold. Thus, it is necessary that either the affirmative sentence or the negative sentence be true or <in the other case> false.⁹⁹ Therefore, nothing either is or is happening either by chance or however it chances, or will be or will not be, but everything <is or occurs> of necessity and not however it chances. For, either the one who affirms it or the one who denies it will be speaking truly;¹⁰⁰ otherwise, it might equally well happen or not happen, since what is however it chances neither is nor will be any more thus than not thus.

<Confirmation of the relation of facts and sentences>

14. Wanting to strengthen the foregoing assumption, that the existence of the things follows upon the truth of the sentences and non-existence upon their falsity, Aristotle shows by means of examples that this is so, since indeed examples usually clarify arguments which are given without them. Now, the causal connective 'for' in the phrase

⁹⁹ $d\lambda\eta\theta\eta$ elvas η ψ ev $\partial\eta$; Minio-Paluello has $d\lambda\eta\theta\eta$ elvas alone.

¹⁰⁰ ἀληθεύσει; Minio-Paluello has ἀληθεύει ("speaks truly").

τὰ παραδείγματα σαφεστέρους ποιεῖν εἰώθασι τοὺς χωρὶς αὐτῶν λεγομένους 25 λόγους. παρείληπται μέν ούν ό γάρ αίτιολογικός σύνδεσμος έν τῶ εί γάρ άληθές είπειν πρός ένδειξιν τῆς προσθέσεως τῶν νῦν λεγομένων, δτι τοῦ προειρημένου θεωρήματος περιέγουσι χατασχευήν. | λέγει δε δτι εί άληθες 113* 5 είπειν περί τινος, οίον τοῦδε τοῦ Ιματίου, ὅτι λευχόν ἐστιν, ἀνάγχη λευχόν αύτὸ είναι, χαὶ εἰ ὅτι οὐ λευχόν, ἀνάγχη λευχόν μή είναι. είτα προστίθησί τι δια τούτων τοῖς προειρημένοις αντιστρέφειν πρός έαυτὸ τὸ 5 λημμάτιον άξιῶν, λέγω δὲ δτι οὐ μόνον τοῖς λόγοις ἀληθεύουσιν ἀχολουθειν ανάγκη την υπαρξιν των πραγμάτων, αλλά και τη υπάρξει την αλή-10 θειαν των λόγων. διόπερ φησί χαι εί έστι λευχόν η ού λευχόν, άληθές hν φάναι $\ddot{\eta}$ άποφάναι, διδάσχων ήμας αμα διά τοῦ μή είπειν 10 άληθές έστι φάναι άλλὰ άληθες ήν, δπερ έν τοῖς ἑξῆς σαφῶς προσθήσει, δτι ού μόνον κατ' αύτον τον χρόνον, καθ' δν έκβαίνει τα πράγματα καί ύφέστηχεν, άληθές έστι λέγειν περί αὐτῶν ὅτι οῦτως ἔγει ὡς ἔγει, ἀλλά 15 χαί πρό τῆς ἐκβάσεως ἀληθής ἐστιν ἡ περί αὐτῶν πρόρρησις, ἀναγχαίως 15 τοῦτο προλαμβάνων ὡς ἐσόμενον αὐτῷ χρήσιμον πρὸς τὴν ἀναίρεσιν τοῦ ένδεγομένου και την δλην της έφόδου δύναμιν, ώς μαθησόμεθα, συνέχον. τοῦτο οὖν ὦσπερ ἐχ συλλογισμοῦ συνάγων ἀχολούθως ἐπάγει τὸ ὥστε άνάγχη την χατάφασιν η την άπόφασιν άληθη είναι η ψευδη. 20 20 προσυπαχουμένου δηλονότι τοῦ ἀφωρισμένως. χαὶ τοῦτο εἰχότως εἰ γὰρ άνάγχη τὸ λευχὸν η είναι η μη είναι χαὶ παρὰ ταῦτα οὐχ ἔστιν, ἀλλ' όντος μέν αύτοῦ ή περί αύτοῦ προρρηθείσα χατάφασις ώρισμένως άληθής μή όντος δε ή απόφασις, εύλόγως άρα ώσπερ συμπέρασμα έπόμενον τοῖς 25 προειρημένοις ἐπήγαγε τὸ ώστε ἀνάγχη ἢ τὴν χατάφασιν ἢ τὴν ἀπό-25 φασιν άληθη είναι η ψευδη. άντιστρεφούσας δε άλλήλαις έπιδείξας 114" τήν τε αλήθειαν των λόγων και την υπαρξιν των πραγμάτων, πριν το είρημένον συμπέρασμα έπαγαγείν, μεταξύ προστίθησιν δτι χαί το ψεύδος τῶν λόγων καὶ ἡ ἀνυπαρξία τῶν πραγμάτων ἀντιστρέφουσι πρὸ; ἄλληλα 5 διά τοῦ καὶ εἰ μὴ ὑπάρχει, ψεύδεται, καὶ εἰ ψεύδεται, οὐχ 30 ὑπάρχει.

Τούτων οὖν οῦτως ἐχόντων ἐχ τῶν προειρημένων λαβών ὅτι ἀνάγχη τὴν ἐτέραν τῶν ἀντιφασχουσῶν ἀλλήλαις χατὰ τὸν μέλλοντα χρόνον χαθ' ἕχαστα χαὶ ἐνδεχομένων προτάσεων ώρισμένως τὴν μὲν ἑτέραν ἀληθεύειν 10 τὴν δὲ ἑτέραν ψεύδεσθαι, ὡς αὐτόθεν ἑπομένου τοῦ ἀναιρεῖσθαι διὰ τὰ 35 προειλημμένα τὸ ἐνδεχόμενόν φησιν οὐδὲν ἄρα οὕτε ἔστιν οὕτε γίνεται οὕτε ἀπὸ τύχης οὕτε ὁπότερ' ἔτυχε, διὰ τοῦ ἄρα σημαίνων ὡς ἐχ τῆς ἀνάγχης τῶν προειλημμένων ἀναιρεῖσθαι συμβαίνει τὸ ἐνδεχό-15

³ προσθέσεως scripsi: προθέσεως libri 5 περί] παρά G οίον τοῦδε τοῦ om. G έστιν om. G 6 δτι εἰ G: δτι (εἰ om.) F μη είναι λ. colloc. F 14 ὡς ἔχει om. G 19 ἀνάγχη η b (cf. v. 24) 21 η (prius) om. M 22 ἀληθές A 24 η (prius) om. FG 25 post ψευδη add. χρήσιμον αὐτῶ ἐσόμενον πρός ἀναίρεσιν τοῦ ἐνδεχομένου (cf. v. 16) G 28 ἀντιστρέφει a 29 εἰ (prius) om. F ὑπάρχη A 32 την ἐτέραν om. G 33 ἐτέραν om. AGMa 35 οὕτε ἔστιν suppl. G² 36 ὅπότερον GMa διὰ τὸ A¹: διὰ τούτων G 37 ὡς – προειλημμένων om. F συμβ.] ἐμμένει A

'For if it is true to say' was chosen to explain the addition of what is now being said, namely that it contains a confirmation of the point stated above. He says that, if it is true to say of something, say of this cloak, that it is pale, then it is necessary that it be pale, and if <it is true to say> that it is not pale, then it is necessary that it not be pale. Then he adds something here to what was said before, believing that the assumption is convertible; I mean that it is not only necessary that the existence of the things follow upon the sentences being true, but also the truth of the sentences upon the existence <of the things>. Hence he says 'and if it is pale or not pale, it was true to affirm or deny this, ' teaching us at once by not saying 'it is true to say' but 'it was true ...' just what he will add clearly in what follows, namely that it is not only in the very time in which the things occur and exist that it is true to say of them that they are such as they are, but even before their occurrence the prediction about them is true; and he necessarily anticipates this, thinking that it will be useful to him for the negation of the contingent and that it contains, as we shall see, the entire force of the attack. So, drawing the conclusion as if from a syllogism, he infers 'Thus, it is necessary that the affirmative sentence or the negative sentence be true or <in the other case> false,' obviously implicitly understanding 'in a definite manner'. And he is correct in this. For if it is necessary that the pale be or not be, and there is nothing besides these, and if, when it exists, the previous affirmation about it is true in a definite manner, while when it does not exist the negation is, then it is reasonable for him to infer as a conclusion following upon the previous statements: 'Thus, it is necessary that the affirmative sentence or the negative sentence be true or in the other case false.' Having shown the truth of the sentences and the existence of the things to be interconvertible with one another, before bringing on the stated conclusion, he adds parenthetically that the falsity of the sentences and the non-existence of the things are also interconvertible with one another in the words 'If it does not hold, it is false, and if it is false, it does not hold.'

<The varieties of the contingent>

15. These things being so, having taken from the preceding that, necessarily, of singular contingent sentences concerning the future which contradict one another one is true in a definite manner and the other false, on the basis that the contingent is denied as an immediate consequence of what has been assumed, he says: 'Therefore, nothing either is or is happening either by chance or however it chances,' signifying by the 'therefore' that it follows from the necessity of the assumptions that the contingent is denied. The contingent is divided into three: one is called 'for the most part', for example that a man is born with five fingers or becomes grey with age (for things behaving otherwise are rare);

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μενον. ούπερ είς τρία διηρημένου το μεν λέγεται ώς έπι το πολύ, οίον τό γενέσθαι άνθρωπον πενταδάχτυλον η έν γήρα πολιοῦσθαι (σπάνια γάρ τὰ μὴ οῦτως ἔχοντα), τὸ δὲ ὡς ἐπ' ἔλαττον, οἶον τὸ τὸν σχάπτοντα θησαυρώ περιτυχείν, τὸ δὲ ἐπ' ἴσης, οἶον τὸ λούσασθαι xaì μὴ λούσα-20 5 σασθαι ή βαδίσαι και μή βαδίσαι. και περι μέν το ώς έπι το πολύ ένδεγόμενον έγουσι δύο τινά αίτια, ή τε φύσις χαὶ ή τέγνη· τήν τε γάρ φύσιν ώς έπὶ τὸ πολὺ κατορθοῦσαν ὁρῶμεν ἐν τοῖς οἰκείοις ἀποτελέσμασι (τὰ γὰρ τέρατα σπάνια) χαὶ τὰς τέγνας ἐνίοτε μὲν ἀποτυγγανούσας διὰ 25 τό ρευστόν της ύποχειμένης αύταις ύλης, ώς έπι το πολύ μέντοι χατορ-10 θοῦν ἐπαγγελλομένας· οὐ γὰρ ἄν τις αὐταῖς ἐγρήσατο μὴ τοῦτο ἐπαγγελ|λο- 114 μέναις. διόπερ δ τε ρήτωρ ώς έπι το πολύ διαβεβαιοῦται τον διχαστήν πείσειν και ό Ιατρός ώς έπι το πολύ τον άρρωστον ύγιάσειν, και έκαστος των άλλων τεχνιτων ώς έπι το πολύ τεύξεσθαι τοῦ οίχείου τέλους. περί δὲ τὸ ἐπ' ἐλαττον ἐνδεγόμενον δύο ταῦτα ἔγουσιν, ἢ τε τύγη χαὶ τὸ 5 15 αὐτόματον. διαφέρουσι δὲ ἀλλήλων, ὅτι τὸ μὲν ἀπὸ τύχης παρυφίστασθαι παὶ ἐπισυμβαίνειν παρὰ δόξαν χαὶ σπανίως λέγεται τοῖς χατὰ προαίρεσιν γινομένοις, ταὐτὸν δὲ εἰπεῖν τοῖς τῶν ἀνθρώπων ἔργοις (ἐπὶ μόνων γὰρ 10 τῶν ἀνθρώπων ἡ προαίρεσις λέγεται, τῶν βουλεύεσθαι καὶ αίρεῖσθαι τόδε πρό τοῦδε πεφυχότων, οὔτε τῶν χρειττόνων ήμῶν βουλῆς δεομένων οὔτε 20 τῶν ἀλόγων ζψων βουλεύεσθαι δυναμένων), το μέν οὖν ἀπὸ τύγης παρυφίσταται, όπερ έλέγομεν, τοῖς χατὰ προαίρεσιν γινομένοις, τὸ δὲ ἀπὸ 15 ταύτομάτου τοις χατά φύσιν. εί μέν γάρ τις ήμων προελθών έπι το έντυγεῖν τῷ φίλω περιτύχοι παρ' ἐλπίδα τινὶ βιβλίον πιπράσχοντι χαὶ τοῦτο ώνήσαιτο, χατά τύχην λέγεται αύτο ώνήσασθαι, διότι το πρίασθαι το 20 25 βιβλίον προαιρέσει τινὶ τῷ πρὸς τὴν πρόοδον χινησάσῃ ἡμᾶς παρυπέστη χαὶ ἔξωθεν ἐπισυμβέβηχεν, οὐδεμιᾶς αὐτὸ ώρισμένως ποιησάσης προσεγοῦς αἰτίας (xaì γὰρ ἐπὶ λουτρόν ἀπιών ἐπρίατο ἀν τὸ βιβλίον xaì εὐξόμενος η θέαν τινά δψόμενος), εί δέ γε σεισμοῦ γεγονότος και διαστάντος 25 τινός τῆς γῆς μέρους ὕδατος ἀναρραγείη πηγὴ μὴ οὖσα πρότερον ἢ οὖσα 30 αφανισθείη, ούχ αν λέγοιτο από τύχης ή πηγή γεγονέναι ή απολωλέναι άλλ' έχ τούτομάτου. χαι εί άπό μετεώρου | τινός χατενεγθείς λίθος 115r ούτως έχοι θέσεως, ώστε είναι πρός χαθέδραν, φέρε είπειν, έπιτήδειος, άπό ταύτομάτου και ούκ άπό τύχης λέγεται είναι καθέδρα, διότι τὸ σύμπτωμα τοῦτο παρυπέστη οὐ προαιρέσει ἀλλὰ τῆ φυσικῆ αὐτοῦ ῥοπῆ, καθ' 5

^{1. 3} οἰον] ὡς G3 τὸν οm. AFMa10. 11 οὐ – ἐπαγγελλομέναις om. M11. 12 ῥήτωρ – καὶ ὁ om. F12 ὑγιάσει F13 τεύξεται F14 τύχη]τέχνη G¹15 ὑφίστασθαι A16 καὶ (ante σπανίως) om. Mκαὶ σπανίωςλέγεται iter. G18 τόδε – τοῦδε (19) om. Fτόδε] τότε M20. 21 παρυφίστασθαιMa22 προελὼν F: προσελὼν Gτὸ] τῶ Ma23 παρ' ἐλπ. παρατύχοι(περιτ. G²) Gpost πιπρ. add. οῦ πάλαι ἡφίετο (sic) a24 ὡνήσατο Mαὐτῷ ἐντυχεῖν καὶ ὡνήσασθαι a26 ὡρισμένης FM27 καὶ (alt.)] ἢ a29 ῦδωρ ἀναρραγῆ ἢ πηγὴ μὴ οὖσα πρ. φανῆ F30 λέγ.] γένοιτο F31 κατενεχθῆA: κατενεχθείη GMa32 ἕχει a32 ἕχει a

another is 'for the lesser part', for example that one digging comes upon a hoard of treasure; and the last is 'equally <often>', for example to bathe or not to bathe and to walk or not to walk. Concerning the contingent <which occurs> 'for the most part', there are two causes, nature and art. For we see that nature is for the most part successful in her own products-since monsters are rare-and that the arts sometimes fail because of the flux of their subject matter, although they promise to succeed for the most part (no one would use them if they did not promise this, which is why the orator gives assurances that he will for the most part persuade the juror, the physician that he will for the most part cure the patient, and every other kind of technician that he will for the most part obtain his particular end). Concerning the contingent <which occurs> 'for the lesser part', there are these two <causes>, chance and spontaneity. These differ from one another in that what is by chance is said to exist parasitically or supervene unexpectedly and rarely upon what happens by choice, i.e. upon the works of people (for 'choice' is said only of people, who are such as to deliberate and choose one thing instead of another, given that the beings who are better than we are have no need of deliberation and that the irrational animals are incapable of deliberating), and so what is by chance, as we said, exists parasitically upon what happens by choice, and what is spontaneous upon what happens naturally. For if one of us goes out to meet his friend, unexpectedly encounters someone selling a book and buys it, he is said to have bought it by chance, because <his> buying the book existed parasitically or supervened from outside upon a choice which moved him¹⁰¹ to <his> outing, since there was no proximate cause which did this in a definite manner (in fact, he could have bought the book while going off to a bath, while intending to offer a prayer, or while intending to observe a spectacle). But if there had been an earthquake and a fissure opened in the earth and a spring of water gushed where previously there was none or an existing spring disappeared, the spring would not be said to have appeared or disappeared by chance, but spontaneously; or if a stone fallen from some height should occupy a position such that it could serve as, say, a seat, it is said to be a seat spontaneously, not by chance, because this event attended not upon a choice, but upon the stone's own natural tendency, according to which it was borne downward from on high. Concerning the contingent <which occurs> 'equally <often>' there is only choice, for example to go out or not to go out, to converse or not. Only this species of the contingent is called 'however it

¹⁰¹ Ammonius' text reads $i\mu\hat{a}_{\varsigma}$ ("moved us") referring to the "us" in "one of us" above. But it seems more natural to adopt our translation.

ήν άνωθεν ἐπὶ τὰ κάτω ἠνέχθη. περὶ δέ γε τὸ ἐπ' ἶσης ἐνδεχόμενον ή προαίρεσις ἔχει μόνη, οἶον τὸ προελθεῖν ἢ μὴ προελθεῖν καὶ τὸ διαλεχθῆναι ἢ μή· καὶ τοῦτο μόνον τὸ εἶδος τοῦ ἐνδεχομένου καλεῖται ὁπότερον ἔτυχε, διότι οὐδὲν πλέον οὐδὲ ἔλαττον ἔχει κατὰ τοῦτο ή ῦπαρξις 10

- 5 τῆς ἀνυπαρξίας, ἀλλ' ὁπότερον ἔτυχε μόριον τῆς ἀντιφάσεως ὁμοίως ἐκβῆναι δυνατόν. ἀναιρῶν οὖν, ὅπερ ἐλέγομεν, τὸ ἐνδεχόμενον οὐδὲν ἄρα, φησίν, οὕτε ἔστιν οὕτε γίνεται οὕτε ἀπὸ τύχης οὕτε ὁπότερ' ἔτυχε, τοῦτ' ἔστιν οὐδὲν ἄρα οὕτε νῦν ἐστιν ἤδη ἐκβεβηκὸς ἢ ὡς ἐπ' ¹⁵ ἕλαττον ἐνδεχόμενον ἢ ὡς ἐπ' ἴσης οὕτε ὕστερόν ποτε ἐκβήσεται. εἶτα
- 10 xai xοινήν ποιούμενος τήν ἀναίρεσιν παντός τοῦ ἐνδεχομένου προσέθηχεν οὐδ' ἐσται ἢ οὐχ ἔσται· ἅπαν γὰρ ἐνδεχόμενον ταύτη διαφέρει τοῦ τε ἀναγχαίως ἐχβαίνοντος xai τοῦ ἀδυνάτου, ὅτι τὸ μὲν μόνως ἔσεσθαι λέγο- 20 μεν xai τὸ ἀδύνατον μόνως οὐχ ἔσεσθαι, τὸ δὲ ἐνδεχόμενον ἢ ἔσεσθαι ἢ μὴ ἔσεσθαι. οὐδὲν οῦν, φησίν, οὕτε ἔστιν οὕτε γίνεται τὸν τῶν ἐνδεχο-
- 15 μένων τρόπον, ἀλλ' ἐξ ἀνάγκης ἄπαντα καὶ οὐχ ὑπότερ' ἔτυχεν. εἶτα ὥσπερ ἀναμιμνήσκων ἡμᾶς τῆς ἐφόδου, καθ' ῆν ταῦτα ἔδοξε συμβαίνειν, ²⁵ ἐπάγει ἢ γὰρ ὑ φὰς ἀληθεύσει ἢ ὑ ἀποφάς. εἰ δὲ ὑ ἕτερος τούτων ὑρισμένως ἀληθεύσει, τῷ δὲ τὴν ἑτέραν πρότασιν τῆς ἀντιφάσεως ὑρισμένως ἀληθεύειν εἶπετο | ἡ ἀναίρεσις τοῦ ἐνδεχομένου, φανερὸν ὅτι 115ν 20 οἰγήσεται τὸ ἐνδεγόμενον ἐκ τῶν ὅντων, τό τε ἀλλο καὶ τὸ οἶον κέντρον
- 20 σίχησεται το στουχομοιου επι των στιστή το το πικό και το στον κουρου αύτοῦ τὸ ὑπότερ' ἔτυχεν, ὅπερ ἕλαβεν ἀντὶ τοῦ ἐνδεχομένου παντὸς ὑ ᾿Αριστοτέλης. εἰ δέ γε εἰχέ τινα ὑπόστασιν, ὑμοίως ἂν ἐγίνετο ἢ 5 οὐχ ἐγίνετο· τοῦτο γὰρ λέγομεν ὑπότερ' ἔτυχεν ἢ εἶναι ἢ γίνεσθαι, ὅπερ οὐδὲν μᾶλλον οῦτως ἢ μὴ οῦτως ἔχει ἢ ἕξει, ἐπὶ μὲν τοῦ 25 γεγονότος δηλονότι χαὶ ἦδη ἐν ὑποστάσει ὄντος τὸ ἔχει λέγοντες ἐπὶ δὲ

τοῦ γενησομένου τὸ ἔξει.

2 προσελθεῖν (utrobique) A 1 τὸ χάτω Fa γε] τε G1 η μη προελ-Seïv om. F tò (alt.) om. AFMa 3. 4 onorepos G' 4 oùdev] oùde A ούδέ] ούτε F 6 ώσπερ F έλεγον F (cf. ούδε έλαττον οπ. G 8 ήδη om. F post exses. add. 7 δπότερον Α p. 141, 34) 11 γάρ τὸ ἐνδεχ. F 15 πάντα F 16 EdoEav G xai G² ι F 20 δντων] αύτων Μ χέντρον om. G 21 Ελαβε μεν 22 τινα ύπόστ. είχε colloc. G 23 ελέγομεν GM; corrigas λέγει st v. 25 κέντρον om. G 18 άληθεύει F AGMa yevésilai AGMa 24 ἐπì — ἕξει (26) om. (in margine partim nunc absλέγων 26 tò om. G 25 dè om. G ciso suppl.) A

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chances', because its existence is no more or less <frequent> than its non-existence, but whichever part of the contradiction it chances can equally occur. So it is, as we said, to deny the contingent that he says 'Therefore, nothing either is or is happening either by chance or however it chances', i.e. 'therefore nothing contingent, be it of the kind that occurs for the lesser part or of the kind occurring with equal probability, has already occurred or will ever occur in the future.' Accordingly, in order to make the negation of every contingent general he added 'or will be or will not be'. For every contingent differs in this way from what occurs necessarily and from what is impossible, namely that of the former we say only that it will be and of the impossible only that it will not be, while we say that the contingent either will be or will not be. So, 'nothing,' he says, 'either is or is happening' in the way contingents do, 'but everything <is or occurs> of necessity and not however it chances.' Then as if to remind us of the attack, according to which these things seemed to follow, he infers 'For, either the one who affirms it or the one who denies it will be speaking truly.' But if one of these will be speaking truly in a definite manner, and the destruction of the contingent followed from the fact that one sentence of the contradiction is true in a definite manner, then it is apparent that the contingent will disappear from among the things which exist, both the rest of it and also its core, so to speak, the 'however it chances', which Aristotle used for the whole of the contingent. If, however, it did have any existence, 'it might equally well happen or not happen' --- this is what we say either is or is happening 'however it chances', that which 'neither is nor will be any more thus than not thus,' where we obviously say 'is' of what has happened and is already in existence and 'will be' of what will happen.

p. 18b9 "Ετι εἰ ἐστι λευχόν νῦν, ἀληθὲς ἦν εἰπεῖν πρότερον 10 δτι ἔσται λευχόν. ὥστε ἀεἰ ἀληθὲς ἦν εἰπεῖν ὅτιοῦν τῶν γινομένων δτι ἔστιν ἢ ἔσται. εἰ δὲ ἀεἰ ἀληθὲς ἦν εἰπεῖν ὅτι ἔστιν ἢ ἔσται, οὐχ οἶόν τε τοῦτο μὴ εἶναι οὐδὲ μὴ ἔσεσθαι· δ δὲ μὴ 5 οἶόν τε μὴ γενέσθαι, ἀδύνατον μὴ γενέσθαι· δ δὲ ἀδύνατον μὴ 15 γενέσθαι, ἀνάγχη γενέσθαι· ἅπαντα οῦν τὰ ἐσόμενα ἀναγχαῖον γενέσθαι· οὐδὲν ἄρα ὅπότερ' ἔτυχεν οὐδὲ ἀπὸ τύχης ἔσται· εἰ γὰρ ἀπὸ τύχης, οὐχ ἐξ ἀνάγχης.

Τὰ διὰ τῶν προλαβάντων ἀσυμφανῶς εἰρημένα πρός κατασκευὴν τοῦ 20 10 και είς τον μέλλοντα χρόνον λαμβανομένας τας προτάσεις, περί ών ό λόγος, άφωρισμένως διαιρείν το άληθές και το ψεῦδος, φ αὐτόθεν είπετο μηδεμίαν έν τοῖς οὖσι χώραν ἔχειν τὸ ἐνδεχόμενον, βούλεται διὰ τούτων σαφέστερον ήμιν παραδούναι μετά πλείονος ἐπεξεργασίας προάγων τον 35 λόγον. διὸ ωσπερ ἀπ' ἀλλης ἀρχῆς ποιούμενος τὴν ἐπιγείρησίν φησιν. 15 έτι εί έστι λευχόν τι νῦν, οἶον παιδίον ἄρτι τεγθέν, ἀληθὲς ἦν είπεῖν τῆ προτεραία δτι τεχθήσεται τῆ έξῆς | λευκόν παιδίον, καὶ οὐ τὴ προ- 116= τεραία μαλλον η πρό οίου δήποτε χρόνου. τίς γαρ ή αποπλήρωσις; δ δε del προλέγοντες δτι έσται άληθεύομεν, ούχ οίόν τε τοῦτο μή έσεσθαι, ωσπερ ούδε δ είναι λέγοντες άληθεύομεν, οίόν τε τοῦτο μή είναι άδύνα- 5 20 τον άρα ην μη γενέσθαι λευχόν παιδίον, διότι η περί αύτοῦ ἐν τῷ ἀπείρω χαι προλαβόντι χρόνω γεγονυία πρόρρησις αληθής. δ γαρ μή οίόν τε, ωησί, μή γενέσθαι, άδύνατον μή γενέσθαι, δ δε άδύνατον μή γενέσθαι, ανάγκη γενέσθαι, προάγων τον λόγον είς το πάντα αναγ-10 χάζειν, δπερ ήν αύτῷ προχείμενον, ἐχ τῶν σαφεστέρων μὲν χαὶ μᾶλλον 25 συγγωρουμένων προτάσεων, ίσον δε δυναμένων ταϊς είς ας μεταλαμβάνονται. τό τε γάρ ούγ οίόν τε τὸ ἀδύνατον σημαίνει καὶ τὸ ούγ οἰόν τε μή γενέσθαι τω άδύνατον μή γενέσθαι είς ταὐτὸν ἔρχεται, τὸ δὲ ἀδύνατον 15 μή γενέσθαι τῷ ἀναγκαῖον γενέσθαι, ὥσπερ καὶ τὸ ἀδύνατον γενέσθαι τῷ

2 Ste-dváyans (8) om. M ώστε — άναγχης (8) om. a dei om. G 2. 3 ότιοῦν γενομ. b 3 έστιν η om. AF εl - έσται (4) suppl. G² τών γινομένων suppl. G² 5. 6 άδύν. μή γεν. 8 δε άδύν. μή γενέσθαι suppl. G² del om. F ητν om. G 6 άπαντα - γενέσθαι (7) om. G 7 ούδεν] ούδε Α 8 εί-τύχης, ούκ] άλλ' F 10 xal om. Ma παραλαμβ. G 11 ω] οίς F an είπετο (τό)? 12 έχειν ante 14 την έπιγ. ποιούμ. colloc. G 15 Eri] õri M yúpav colloc. A: ante iv Fa 16. 17 τεχθ.— προτεραία om. F ήν om. G τι om. Mab (ante ¿ξής)] xal tà G καί ού] εί δε τη προτεραία, τί Μ 17 πρό] πρός AFG1 8] el AFM άποχλήρωσις FGMa 18 ante Eccolai add. elvai οΐου] δσου Μ άδύνατον άρα ήν μή γενέσθαι λευχόν παιδίον (sed del.) G (cf. v. 19. 20) 19 ούγ οίον G είναι (alt.)] ή F 21 xai] rū F 22 douvarov — dváyny yevéodai (23) om. G 23 τον λόγον iter. G 23. 24 αναγκάζειν] έξ ανάγκης Ma 25 είς d F: ίσαις G 25. 26 μεταλαμβανομέναις G 26 τὸ ἀδύν.— οἶόν τε om. G'a 28 avayr. µŋ yev. (sed un del.) G γενέσθαι ώσπερ—άναγκαϊον (p. 145,1) om. Μ

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18b9 Further, if it is pale now, it was true to say earlier that it would be pale; thus, it was always true to say of anything that happens¹⁰² that it was or would be.¹⁰³ But if it was always true to say that it was or would be, it was not such as not to be or not to be going to be; and something that is not such as not to happen cannot not happen; and if it is impossible for something not to happen, it is necessary for it to happen. Therefore, for all things which will be it is necessary to happen. So nothing will be however it chances or by chance: for if it is by chance, it is not of necessity.

<Strengthening the case for the necessitation of all things>

16. What was said in the foregoing with insufficient clarity to establish that the sentences taken in the future time, about which he is speaking, also divide in a definite manner the true and false, from which it immediately followed that the contingent had no place among existing things, he here wants to show us more clearly, extending his discourse with greater elaboration. Hence, he speaks as though making his argument from a new beginning. 'Further, if something is pale now,' like a new-born child, 'it was true to say' on the previous day that tomorrow a pale child would be born-actually, no more on the previous day than at any previous time at all. For what is strange <in this>?¹⁰⁴ If we speak truly each time we say in advance that something will be, this thing is not such as not to be going to be, just as neither is something such as not to be, if we say truly that it exists. Thus, it was impossible for the pale child not to be born, because the prediction made about it in indefinite preceding time was true. For, 'something that is not such, he says, as not to happen cannot not happen; and if it is impossible for something not to happen, it is necessary for it to happen,' extending his argument to the necessitation of all things, which was his intention, from sentences which, while they are clearer and more agreed upon, still have the same force as those into which they are transposed. In fact, 'is not such as' means 'impossible', and 'is not such as not to happen' amounts to the same as 'impossible not to happen', and 'impossible not to happen' <is the same as> 'necessary to happen', just as 'impossible to happen' <is the same as> 'necessary not to happen'. We

¹⁰² γινομένων. Minio-Paluello (following most of the manuscripts) has γενομένων: "has happened".

¹⁰³ έστιν η έσται; Minio-Paluello has έσται alone.

¹⁰⁴ The phrase τίς γὰρ ἡ ἀποκλήρωσις is rather frequent in later Greek. We adopt the reading which most of the manuscripts have (ἀποκλήρωσις). Busse adopted ἀποπλήρωσις ("How, then, is <this argument> perfected?" [Blank]).

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άναγκαΐον μη γενέσθαι. μᾶλλον μέντοι κινούμεθα όπο τοῦ ἀδύνατον μη γενέσθαι ὡς ἐναργεστέρου ἤπερ ὑπο τοῦ ἀνάγκη γενέσθαι, διὸ καὶ ὁ ἰατρὸς εἰπῶν λόγου χάριν ὅτι ἀνάγκη φλεβοτομηθῆναι τὸν ἀρρωστον, εἶπερ 20 βούλοιτο ὑγιασθῆναι, ὡς κατασκευαστικὸν τούτου καὶ πρὸς την πειθῶ 5 κινῆσαι μᾶλλον ὀφείλον προστίθησιν ἀδύνατον γὰρ μη φλεβοτομηθέντα αὐτὸν ὑγιᾶναι'. ὥστε εἰκότως, φησίν, ἐλέγομεν ἀπαντα τὰ ἐσόμενα ἐξ ἀνάγκης γενέσθαι καὶ μηδὲν μήτε ἀπὸ τύχης μήτε καθ' ἕτερον τρόπον τοῦ 25 ἐνδεγομένου.

- Υρτέου δὲ πρός ταύτην την ἐπιχείρησιν ὅτι τὸ ἐκβεβηκὸς νῦν καὶ 10 ήδη γεγονὸς οἰκ ἀληθὲς πρὸ τῆς ἐκβάσεως λέγειν ὅτι ἔσται πάντως λευκόν· οἰ γὰρ | ἐπειδὴ ὁ χρόνος εἰς τὸ εἶναι αὐτὸ ἀποκατέστησε, διὰ τοῦτο 116ν οἴεσθαι χρὴ ἐξ ἀναγκαίας αὐτὸ προκαταβολῆς γεγονέναι. ὥστε τῶν προλεγόντων περὶ αὐτοῦ οἰχ ὁ λέγων ὅτι ἐξ ἀνάγκης ἔσται λευκὸν ἀληθεύσει, ἀλλ' ὁ τὸ ὅλον τοῦτο ἐνδεχομένως αὐτὸ ἐκβήσεσθαι λέγων· εἰ δὲ τοῦτο, 5
- 15 δήλον δτι δυνατόν ήν αὐτὸ καὶ μὴ ἐκβήναι· οὐ γὰρ ἀν ἀλλως ἠλήθευε τὸ ἐνδεχομένως αὐτὸ ἐκβήσεσθαι. μὴ τοίνυν ἀπὸ τοῦ ἤδη ἐκβάντος τὸ ἔτι μέλλον κρινέτωσαν οἱ ταῦτα λέγοντος, ἀλλὰ φυλάττοντες αὐτὸ μήπω 10 ἐκβεβηκὸς ζητείτωσαν εἰ ἐξ ἀνάγκης ἐκβήσεται· οὐ γὰρ ἕξουσι τοῦτο ἐπιδεῖξαι, ὡς αὐτὸς ἡμᾶς σαφῶς ἐν τοῖς ἑξῆς ὁ ᾿Αριστοτέλης διδάξει.
- 20 p. 18b16 'Αλλά μήν οὐδ' ὡς οὐδέτερόν γε ἀληθὲς ἐνδέχεται λέγειν, οἶον ὅτι οὕτε ἐσται οὕτε οὐχ ἔσται· πρῶτον μὲν γὰρ 15 οὕσης τῆς χαταφάσεως ψευδοῦς ἡ ἀπόφασις οὐχ ἀληθής, καὶ ταύτης ψευδοῦς οὕσης τὴν χατάφασιν συμβαίνει μἡ ἀληθῆ εἰναι. καὶ πρὸς τούτοις εἰ ἀληθὲς εἰπεῖν ὅτι λευχὸν καὶ μέγα, 25 δεῖ ἄμφω ὑπάρχειν· εἰ δὲ ὑπάρξει εἰς αὕριον, ὑπάρξειν εἰς αὕριον. εἰ δὲ μήτε ἔσται μήτε μὴ ἔσται αὕριον, οὐχ ἂν εἴη τὸ ὁπό- 20 τερ' ἔτυχεν, οἰον ναυμαχία· δέοι γὰρ ἂν μήτε γενέσθαι ναυμαγίαν αὕριον μήτε μὴ γενέσθαι.

'Επειδή προείληπται μέν πρός αναίρεσιν τοῦ ἐνδεχομένου τὸ τὰς 30 προτάσεις, περὶ ῶν ὁ λόγος, ἀφωρισμένως διαιρεῖν τὸ ἀληθὲς xaì τὸ ψεῦ- 25 δος, ἐλαβε δὲ τοῦτο διὰ τὸ μὴ δύνασθαι αὐτὰς συναληθεύειν ἀλλήλαις,

Comment. in Arist. IV 5. Ammon. in Interpr.

¹ prius μή superser. M άδυνάτου AMa 3 τὸν om. AG 4 βούλ.] μέλλοι G 5 μäλλον ante πρός (4) colloc. G 7 γίνεσθαι F 8 ένδεχ.] ἀντιχειμένου F 10 ήδη om. F τῆς ἐχβάσεως om. F 11 διά om. M 12 αὐτῶ A 13 ante ἕσται add. ὅτι G 15 γάρ om. G άλλως] ὅλως F 17 μέλλον] μäλλον Ga 18 ζητήτ. F εἰ om. M εἰ οὐδ' a 19 αὐτὸ M σαφ. ἡμᾶς colloc. G ἐν τοῖς ἑξ. post ἡμᾶς colloc. M: post Ἀρ. a ὁ Ἀριστοτέλης fort. eicias 21 οἶον — γενέσθαι (28) om. M ὅτι — γενέσθαι (28) om. a 22. 23 καὶ ταύτης — γενέσθαι (28) om. G 24 λευχὸν άμα F 25 ὑπάρξειν] ὑπάρξει Fb 26 μήτε (prius)] μὴ F εἰς αὅριον F (cf. p. 146,26) 26. 27 ὅπότερον F 29 ἐπειδη] ἕπειτα δὴ M τὴν ἀναίρ. G

III.2 De Interpretatione 9

are, however, more moved by 'impossible not to happen', which is more clear, than by 'necessary to happen', which is why the physician too, saying for example that it is necessary for the patient to have his veins opened if he wants to get well, adds 'for it is impossible that he will get well if his veins have not been opened,' <a sentence which>brings this about and ought to do more to persuade the patient. Thus, Aristotle says, we were right to say that everything which will be happens of necessity and nothing either by chance or by another kind of contingency.

<True prediction does not necessitate future events>

17. To this argument one must reply that it was not true of what has occurred now or has already happened to say before the event that it will, in any case, be pale. For we should not think it has happened by a necessary pre-establishment just because time has brought it into being. Thus, of those who make predictions about it, it is not the one who says that of necessity it will be pale who will speak truly, but rather the one who says all of this, <namely> that it will occur in a contingent manner. If this is so, it is clear that it would occur in a contingent manner. If this not judge what is still going to be from what has already occurred, but let them keep it as not yet having occurred and inquire whether it will occur of necessity. For they will not be able to show this, as Aristotle himself will teach us clearly in what follows (19a23-29).

18b17 Nor, however, can one say that neither is true, i.e. that it will neither be nor not be. First, if the affirmative sentence is false the negative sentence is not true, and if the latter is false it occurs that the affirmative sentence is not true. Moreover, if it is true to say that something is pale and large, ¹⁰⁵ both have to hold; and if they will hold tomorrow, they will have to hold tomorrow. ¹⁰⁶ But if it will neither be nor not be tomorrow, there would be no <event of the kind> 'however it chances', as for instance a sea battle, since a sea battle would have neither to happen tomorrow¹⁰⁷ nor not to happen.

<Absurd consequences of the argument for necessitation>

18. Since it has been assumed for purposes of the destruction of the contingent that the sentences about which we are speaking divide the true and false in a definite manner—he assumed this because of the fact that they cannot be true together, which was said in the

¹⁰⁵ Ammonius, here and in the commentary, has μέγα; Minio-Paluello (following most of the manuscripts) μέλαν ("dark").

¹⁰⁶ εί δε υπάρξει ... υπάρξειν; Minio-Paluello has εί δε υπάρξειν ... υπάρξει.

¹⁰⁷ vaupaziav aŭpiov; Minio-Paluello has vaupaziav alone.

δπερ έλέγετο διά τοῦ ἄμφω γάρ ούγ ὑπάρξει ἅμα ἐπὶ τοῖς τοιούτοις, ήδύνατο δέ τις ύποπτεύειν ώς ούχ άναγ καΐον η συναληθεύειν 117 αύτας η διαιρείν το αληθές και το ψεύδος (ένδέχεσθαι γαρ και συμψεύδεσθαι), διά τοῦτο νῦν προτίθεται δείξαι ὅτι οὐδὲ συμψεύδεσθαι δυνατόν 5 ταύτας τὰς προτάσεις. δπερ οὕτε δνίνησί τι τὸν οῦτως λέγειν αξρούμενον 5 πρός τὸ εἰσάγειν τὸ ἐνδεγόμενον ἀλλὰ καὶ ἄλλως ἐστὶν ἀδύνατον· δειγθήσεται γάρ και κατ' αυτήν την υπόθεσιν το αυτό πράγμα και άναγκαίως έχβαϊνον χαὶ ἀδύνατον έχον τὴν ἔχβασιν. φησίν οὖν ὡς οὐδὲ τοῦτο ἐνδέγεται λέγειν δτι αί καθ' έκαστα καὶ ἐνδεχόμεναι προτάσεις κατὰ τὸν 10 10 μέλλοντα γρόνον συμψεύδονται άλλήλαις, δπερ έσήμηνε διά τοῦ οὐδ' ὡς ούδέτερόν γε άληθές, έπει πρῶτον μέν, φησίν, άναιρήσομεν τὸ ἀξίωμα τῆς ἀντιφάσεως, ἀφ' οὐ πάσας προάγομεν τὰς ἀποδείξεις ὡς ὅντος ἐναργεστάτου. πρός δε τούτοις συμβήσεται το πραγμα αμα μήτε έσεσθαι δια 15 τὸ ψεύδεσθαι τὴν λέγουσαν ἔσεσθαι αὐτὸ χατάφασιν χαὶ πάλιν ἔσεσθαι 15 διὰ τὸ ψεύδεσθαι τὴν λέγουσαν μὴ ἔσεσθαι αὐτὸ ἀπόφασιν, ὥστε καί έσεσθαι αύτο έξ ανάγκης καί μη έσεσθαι έξ ανάγκης, ού τί αν είη τερατωδέστερον; ίνα δὲ τοῦτο συναγάγη, ἀναμιμνήσκει πάλιν ήμᾶς 20 τοῦ λημματίου τοῦ λέγοντος ὅτι τῆ ἀληθεία τῶν λόγων ἡ τῶν πραγμάτων έχβασις άχολουθεϊ, χαί οὐ χατά τὸν ἐνεστῶτα γρόνον μόνον άλλά 20 και κατά τον μέλλοντα· ει γάρ τις προειπών δτι τεχθήσεται αύριον παιδίον λευχόν χαι μέγα άληθῶς προλέγοι, δεῖ αύριον τεχθηναι παιδίον, 25 ώ άμφω τὰ προειρημένα ὑπάρξει. σιωπήσας οὖν τὸ τούτων ἀχόλουθον, δτι χαὶ τῷ ψεύδει τῶν λόγων ἕπεται τὸ τὰ πράγματα μὴ ὑπάργειν. ώς ήδη πρότερον αύτῷ παραδεδομένον, αμα τούτω | τῷ θεωρήματι 117.

25 τὸ ἐπόμενον τῷ παραλελειμμένῷ συνάγει λέγων εἰ δὲ μήτε ἐσται μήτε μὴ ἐσται αὕριον, οὐx ἂν εἶη τὸ ὑπότερ' ἔτυχε, τοῦτ' ἐστιν εἰ δὴ συμψεύδονται αἰ τοιαῦται προτάσεις, ἀναιρεθήσεται μὲν xaì οῦτως τὸ ἐνδεχό- ω μενον, ἀναιρεθήσεται δὲ διὰ τὸ ἅμα ἀναγκαίως τε ἐκβαίνειν τὸ πρᾶγμα xaì ἀδύνατον ἔχειν τὴν ἔκβασιν.

¹ άμφω γάρ..] p. 18=38 ούχ om. F 3 ένδέχεται Fa 4 vũv ούδε suppl. G² 5 ταύτας om. G τῶν..αἰρουμένων Α om. A 6 άλλά om. F 8 καί] καίτοι G 10 οὐδ' om. G 11 γε] ήρημένον G 15 αύτό μή έσ. (num. corr.) G 16 μή om. F 17 τερατωτε G πάλιν om. ed. Ven. Brand. άλιν om. ed. Ven. Brand. 19 μόνον χρ. col λέγοι F: προλέγει a 22 άμφότερα Ma δέστερος G1 19 μόνον χρ. colloc. Fa 21 παιδίον om. Α oxonhoas A: 23 τὸ om. G 24 αὐτῶ om. G 25 μηδὲ (utrobique) F 27 ψεύδονται F προτ.] προρρήσεις F σιωπήσασθαι G 26 δπότερον F

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words 'for under these circumstances both will not be true together' (18a38-9)-and one could suppose that it was not necessary that they either be true together or divide the true and false, since they could also be false together, for this reason he now proposes to show that it is not even possible for these sentences to be false together, which not only would not be useful at all to somebody who chooses to say this in order to introduce the contingent, but also is in any case impossible anyhow. For it will be shown that, also on this very hypothesis, the same thing both necessarily occurs and its accomplishment is impossible. Thus, he says that it is not even possible to say this, that the singular contingent sentences in the future time are false together, which he signified by the words 'nor ... that neither is true,' since, first, he says, we shall deny the axiom of contradiction, from which, as most evident, we develop all proofs. In addition, it will happen that the thing at the same time will not be, because of the falsity of the affirmative sentence which says that it will be, and on the other hand will be, because of the falsity of the negative sentence which says that it will not be, so that it will both of necessity be and of necessity not be: what could be more monstrous than that? In order to conclude this, he reminds us again of the assumption that the outcome of the affairs follows upon the truth of the sentences, not just in the present time but also in the future. For, if someone, having prophesied that tomorrow there would be born a pale, large child, prophesied truly, a child would have to be born tomorrow of whom both the properties> foretold would hold. So, not speaking about the consequence of this, that it also follows upon the falsity of the sentences that the things do not hold good, since this has already been taught by him previously, together with this theorem he deduces what follows from the theorem he <had previously> (cp. 140,10-11) left out, saying 'But if it will neither be nor not be tomorrow, there would be no <event of the kind> "however it chances", i.e. if such sentences are indeed false together, even so the contingent will be denied, and it will be denied because of the fact that the thing at the same time both necessarily occurs and its accomplishment is impossible.

p. 18626 Τὰ μὲν δὴ συμβαίνοντα ἄτοπα ταῦτα xaì τοιαῦτα ἕτερα, εἴπερ πάσης καταφάσεως xaì ἀποφάσεως ἢ ἐπὶ τῶν 10 xaθόλου λεγομένων ὡς xaθόλου ἢ ἐπὶ τῶν xaθ' ἕxaστα ἀνάγxη τῶν ἀντικειμένων εἶναι τὴν μὲν ἀληθῆ τὴν δὲ ψευδῆ, μηδὲν

- 5 δὲ δπότερ' ἔτυχεν εἶναι ἐν τοῖς γινομένοις, ἀλλὰ πάντα εἶναι καὶ γίνεσθαι ἐξ ἀνάγκης· ὥστε οὔτε βουλεύεσθαι δέοι ἀν οὔτε πραγματεύεσθαι, ὡς ἐὰν μὲν τοδὶ ποιήσωμεν, ἔσται τοδί, 16 ἐὰν δὲ μὴ τοδί, οὐκ ἔσται τοδί· οὐδὲν γὰρ κωλύει καὶ εἰς μυριοστὸν ἔτος τὸν μὲν φάναι τοῦτο ἔσεσθαι τὸν δὲ μὴ φάναι,
- 10 ωστε έξ ανάγχης ἕσται όπότερον ἦν αὐτῶν ἀληθὲς εἰπεῖν τότε. ἀλλὰ μὴν οὐδὲ τοῦτο διαφέρει, εἴ τινες εἰπον τὴν ἀντίφασιν ἢ 20 μὴ εἰπον· δῆλον γὰρ ὅτι οῦτως ἔχει τὰ πράγματα, Χαν μὴ ὁ μὲν χαταφήση τι ὁ δὲ ἀποφήση· οὐ γὰρ διὰ τὸ χαταφάναι ἢ ἀποφάναι ἔσται ἢ οὐχ ἔσται, οὐδ' εἰς μυριοστὸν ἔτος μᾶλλον
- 15 ή ἐν ὑποσφοῦν χρόνῳ. ὥστε εἰ ἐν ἄπαντι χρόνῳ οὕτως εἶχεν, 25 ὥστε τὸ ἕτερον ἀληθεύεσθαι, ἀναγχαῖον ἢν τοῦτο γενέσθαι, χαὶ ἕχαστον τῶν γενομένων ἀεὶ οῦτως εἰχεν, ὥστε ἐξ ἀνάγχης γενέσθαι. ὅ τε γὰρ ἀληθῶς εἶπέ τις ὅτι ἔσται, οὐχ οἰόν τε μὴ γενέσθαι, χαὶ τὸ γινόμενον ἀληθὲς ἦν εἰπεῖν ὅτι ἔσται. 118⁻
- 20 Προέχειτο μέν έξ άρχῆς σχοπεῖν εἰ πάσης ἀντιφάσεως εἰς τὸν μέλλοντα χρόνον λαμβανομένης αἱ προτάσεις ὡρισμένως διαιροῦσι τό τε ἀληθές χαὶ τὸ ψεῦδος, δέδειχται δὲ διὰ πλειόνων ὡς ἔπεται τούτῷ τὸ ἐχποδὼν γίνε- 5 σθαι τοῦ ἐνδεχομένου τὴν φύσιν, τῶν μὲν ἐξ ἀνάγχης ἐχβαινόντων τῶν δὲ τὴν ἔχβασιν ἀδύνατον ἐχόντων, χαὶ ἐφ' ἡμῖν εἶναι μηδέν, ἄπερ δεῖ λοιπὸν
- 25 ἐπιδεῖξαι ἄτοπα xal τῆ ἐναργεία μαχόμενα. σφίγγων οὖν ἐν τούτοις τὸν 10 πάντα λόγον ὁ ᾿Αριστοτέλης τοῦ τε προτεθέντος ἐξ ἀρχῆς προβλήματος ἀναμιμνήσκει καί τινα τὰ ἕπεσθαι αὐτῷ δεδειγμένα προστίθησι, καὶ ἄτοπα ταῦτα καλεῖ, καίτοι μηδέπω δείξας ὅτι ἐστὶν ἄτοπα, ταῖς τε αὐτοφυέσιν ἐννοίαις τῶν ψυχῶν ἀποχρώμενος καὶ ὡς εὐθὺς ἐπάξων τὴν κατασκευὴν 15 30 τοῦ ἄτοπον εἶναι τὸν ἀναιρεῖν πειρώμενον τὸ ἐνδεχόμενον λόγον (δν ἐλέγ-
- χει διχόθεν, νῦν μὲν ἐπιδειχνὺς ὅσα ἔπεται αὐτῷ ἀδύνατα, ὀλίγον δὲ ῦστερον xaì τὰ ψευδῶς εἰλημμένα ἐν αὐτῷ διαβάλλων). ἔδει γὰρ αὐτό τε xaθ' αὐτὸ 20

жатаф.—ёстан (19) от. М 2 είπερ — έσται (19) om. a 1 τὰ τοιαῦτα G 4 μηδέν -- έσται (19) om. G 5 όπότερον F 5.6 xai elvai xai F 3 Εχαστον b βούλεσθαι Α1Γ1 9 prius tòv] tò F 10 έσται] έσεσθαι b 6 oùde (pr. l) F 13 т. от. F d śốưo [úo δποτερονούν b αὐτῶν άλ. ἦν b χαταφ.] 14 αποφαθήναι υ ούδ'- έτος om. F1 (πράγματα ούδ' φάναι F: χαταφαθήναι b 15 τῶ χρ. (alt. l.) b 17 καὶ ἔκαστον - γενέσθαι (18) suppl. F² είς μ. έτος F²) είπεῖν ἀεὶ b 20 προσέχειτο G 19 γενόμ. Γ 18 el 8 te yàp A έξ άρχῆς 21 ώρισμένως suppl. G² τε om. G 25 έναργεία scripsi: ένεργεία om. F 32 έν αύτῶ F: ἑαυτῶ AGMa libri (cf. p. 148,3) 30 tò] tòv A

18b26 These and others of the same sort are the absurdities which result if it is necessary. for every affirmative and negative sentence either of universals spoken of universally or of singulars, that one of the opposites be true and the other false, and <consequently> that nothing that happens be however it chances, but that everything be and happen of necessity. Thus, there would be no need to deliberate or to take trouble that if we shall do this, this will happen, but if we do not do this, this will not happen. For nothing prevents someone from having said even¹⁰⁸ ten thousand years ago that this would happen and someone else that it would not; so that whichever of them it was true to say then will happen of necessity. Nor, however, does it make a difference whether any people stated the contradictory sentences or did not state them, since it is clear that the things are this way even if $\langle it$ is not the case that \rangle one person affirmed something ¹⁰⁹ and the other denied it. For it is not because of the affirming or denying that it will be or not be, nor (will it> rather be <when> stated ten thousand years ago than at any other time. Hence, if at all time(s) it was so that one of the two was true, it was necessary for this to happen. and everything that happens was always such as to happen of necessity. For what someone has truly said would be so is not such that it does not happen, and of what happens¹¹⁰ it was true to say¹¹¹ that it would be the case.

<Nature cannot have vainly made us capable of deliberation>

19. From the beginning it was proposed to see whether the sentences of every contradiction taken in the future time divide the true and false in a definite manner, and it has been shown in more than one way that the elimination of the nature of the contingent follows from this, some things occurring of necessity and the accomplishment of others being impossible, and that nothing is up to us, which one must still show is absurd and contrary to the evidence. Now, concentrating in these words his entire argument, Aristotle reminds us of the problem which was posed at the beginning, adds certain things which have been shown to follow from it, and calls them 'absurdities', although he has not yet shown that they are absurd, relying upon the innate concepts of our souls and intending to bring on immediately the demonstration of the absurdity of the argument which attempts to deny the contingent (which he refutes in two ways, now by showing all the impossibilities which follow from it, and a little later by attacking also what has been falsely assumed by it). For he had to show what, taken by itself, the nature of the thing itself was by saying

¹⁰⁸ *kai*; Minio-Paluello does not have the adverb.

¹⁰⁹ τ_i ; Minio-Paluello does not have the τ_i .

¹¹⁰ γινόμενον; Minio-Paluello has γενόμενον.

¹¹¹ αληθές ην είπεῖν; Minio-Paluello has αληθές ην είπεῖν ἀεί ("it was always true to say").

δειχνύναι το πράγμα δπως έχει φύσεως, λέγοντα δτι έστιν έν τοις ούσι τὸ ἐνδεγόμενον (πολλά γάρ ἕπεται ἀδύνατα τοῖς ἀναιρεῖν αὐτὸ πειρωμένοις, καί ή ἐνάργεια δείκνυσιν αὐτὸ ὑφεστηκός), καὶ ἐπὶ τούτοις σαθρὸν ἐπιδείξαι τον προειρημένον λόγον τον πάντα αναγχάζειν πειρώμενον χαι το 25 5 ένδεχόμενον έχβάλλειν τῶν ὄντων. διὰ τούτων οὖν τέως παραδιδοὺς τὰ ἑπόμενα ἀδύνατα τοῖς ἀναιροῦσι τὸ ἐνδεγόμενον, φησὶν ὡς εἶ τις ἀξιοίη πάσαν άντίφασιν χατά πάν τα γρόνον όμοίως έγειν πρός τὸ διαιρεῖν τὸ 118* άληθές και το ψεύδος και μη μόνον τας διαγωνίους, ας καθόλου ώς καθόλου χαλείν είωθεν, αφωρισμένως έχειν αεί την μεν έτέραν τῶν προτά-10 σεων άληθη την δε ετέραν ψευδη χατά πασαν ύλην, άλλά χαι τάς χαθ' 5 έχαστα, 🤠 ήχολούθει τὸ έχποδών γίνεσθαι τὸ ἐνδεγόμενον, ματαιοπονίαν τῆς φύσεως κατηγορήσει βουλευτικούς ήμᾶς ποιησάσης. δῆλον γὰρ ὡς εί μηδέν έστιν έφ' ήμιν, μάτην έπιχειρήσομεν βουλεύεσθαι περί των ούχ έν τη έξουσία τη ήμετέρα χειμένων, χαί δμοιόν τι ποιήσομεν τοις βουλευο- 10 15 μένοις πῶς αν ανατείλαι η μη ανατείλαι ό ηλιος. αλλά μην το λέγειν ώς μάτην ήμας ή φύσις βουλευτιχούς εποίησε παντελώς άλογον. αυτό τε γάρ καθ' αύτο τοῦτο ἀποδέδεικται γεωμετρικαῖς, φασίν, ἀνάγκαις ὡς οὐδὲν 15 μάτην ύπὸ τῆς φύσεως γίνεται, xal ὑπὸ τῆς ἐναργείας πάσης ἀποδείξεως μαλλον όμολογειται. χαι αύτοι μέντοι οι πάντα αναγχάζοντες χαι το 20 ένδεγόμενον έχποδών ποιούντες πάντως όμολογήσουσιν αύτην πάλιν είναι την φύσιν την πάντα, ως αύτοί φασιν, ωρισμένως και έξ ανάγκης μάτην 30 δε ούδεν ποιούσαν. ώστε πώς ού καταγέλαστον το λέγειν την φύσιν και μηδέν έν τη έξουσία τη ήμετέρα καταλιπείν και ποιείν ήμας βουλευτικούς ώς αν όντας χυρίους τοῦ πρᾶξαί τινα η μη πρᾶξαι; εί γαρ λέγοι τις δτι 25 χρηται τη διανοία ώς όργανω πρός την έκβασιν των πράξεων, αλλ' έγρην, 35 φήσομεν, δρμαν ήμας αὐτόθεν ἐπὶ τὰς πράξεις, ἐφ' ὡς ἡ φύσις χατήπειγεν, ωσπερ επί των όντως ύπο φύσεως χινουμένων συμβαίνον όρωμεν ανενδοιάστως έπὶ τὰ οἰχεῖα | τέλη φερομένων. διὸ χαὶ ἡμεῖς δταν μιμώ- 119r μεθα την φύσιν χατά τέγνην τινά ένεργοῦντες, οὐ βουλευόμεθα, εἴπερ 30 τελείαν και πρόχειρον έχοιμεν την γνωσιν της τέχνης, δπερ ανάγκη υπάργειν τῷ μιμησομένω την φύσιν.

Εί τοίνυν πάντα έξ ανάγχης, οὔτε βουλεύεσθαι δέοι αν, φησίν, σ οὔτε πραγματεύεσθαι, τοῦτ' ἔστι ταῖς ἀρχαῖς τῶν πράξεων ἐγχειρεῖν.

³ ένέργεια Α² 3. 4 έπιδ. σαθρόν colloc. Aa 2 aútà a 6 atioi G 9 είωθεν ό αριστοτέλης F 8. 9 ώς χαθόλου om. Μ 11 w] atc G άχολου-12 την φύσιν G¹ γάρ έστι Μ 14. 15 βουλομένοις FMa dei F 15 dv om. AGMa άνατείλοι (utrobique) libri 16 ήμᾶς superscr. G² παντελῶς εύλογον F αύτό τε-τοῦτο (17) om. F τε] xai A 17 άποδέδ. γάρ F om. F 18 έναργοῦς Μ πάσης] μᾶλλον G 19 μαλλον] πλέον F φησιν Μα ώμολόγηται Α: δμολογείσθαι G 21 where ante we colloc. G 22 xai om. F 23 καταλείπειν G βουλευτικάς F 24 TIVA] TI Ma λέγει Μα 25 πράξ.] 27 δντως] ούτως AGMa 26 δραν G¹ 26. 27 χατέπειγεν M 28 άνενδυάστ. As χαὶ om. M 26 Spar G1 26. 27 χατέπειγεν Μ πραγμάτων FG ύπό] από AGM 29 βουλόμεθα AG εἴπερ] είπετν G1 31 μιμησαμένω FM 33 πράξ.] πραγμάτων F

that the contingent was among the things that exist (since many impossible things follow for those seeking to deny it, and evidence shows that it exists), and in addition he had to show that the aforementioned argument, which tried to make everything necessary and to expel the contingent from the things that exist, was unsound. So, teaching thus far in these words the impossible things which follow for those who deny the contingent, he says that if one should think that every contradiction behaves in the same way in every time with respect to dividing the true and false, and that not just the diagonal contradictions, which he has been calling 'universal as universal', always have in a definite manner one of their sentences true and the other false in every matter, but the singular contradictions as well. <an assertion> from which it would follow that the contingent is eliminated, then one would be accusing nature of vain toil for having made us capable of deliberation. For it is clear that, if nothing is up to us, we shall try in vain to deliberate about what does not lie in our power, and we shall do something similar to those who deliberate as to how the sun will rise or not rise. Moreover, to say that nature vainly made us capable of deliberation is completely illogical: this very thing by itself has been demonstrated 'with geometrical necessity', as they say,¹¹² that nothing is done by nature in vain, and it is agreed upon for its evidence more than for any proof. Even those who make everything necessary and eliminate the contingent will certainly agree that it is nature herself, again, which does everything, in their words, 'in a definite manner and of necessity' and nothing in vain. So, how can it not be ridiculous to say that nature both has left nothing in our power and makes us capable of deliberation, as though we were masters of our doing or not doing certain things? For, if one would say that <nature> uses our intelligence as a tool to bring about our actions, then, we would reply, it was necessary for us, on the contrary, to be driven immediately toward those actions to which nature forced us, just as in the case of things which are really moved by nature we see it happen that they are unhesitatingly borne to their proper ends. Hence, we too, whenever we imitate nature by acting in accordance with some art, do not deliberate, if we indeed have the perfect and ready understanding of the art which must necessarily belong to him who would imitate nature.

<Deliberation; The relation between prophecy and event>

20. If, then, everything <were> of necessity, 'there would be no need to deliberate,' he says, 'or to take trouble,' i.e. to deal with the starting points of our actions. For example, if we intend to sail from Egypt to Athens, we need not go down into the harbour, seek a ship,

¹¹² Cp. Plat. Resp. V 458d5.

οίον εί διανοοίμεθα πλεύσαι έξ Αίγύπτου Άθήναζε, ού χρη χατελθείν είς τόν λιμένα ούδε ναῦν ζητήσαι οὐδε τὰ σχευάρια ἐμβαλέσθαι· χαὶ γὰρ μηδεν 10 τούτων πεπραγότων ήμῶν ἀνάγχη γενέσθαι ήμᾶς ἐν ᾿Αθήναις. εἶτα χαὶ τρόπον, χαθ' δν βουλεύεσθαι είωθαμεν, ύπογράφων ήμιν ώς έαν μεν 5 τοδί ποιήσωμεν, φησίν, έσται τοδί, έαν δε μή τοδί, ούχ έσται τοδί προχειμένου γάρ φέρε τοῦ ἀπελθεῖν εἰς τόνδε τὸν τόπον, εἰς δν 15 δυνατόν καί διά νεώς απελθεῖν και ύποζυγίω χρώμενον, βουλευόμεθα πότερος τῶν τρόπων τῆς ἐχεῖσε ἀφίξεως ἐστιν ἡμῖν αίρετώτερος, τὰ ἑχατέρψ έπόμενα άγαθά η φαῦλα παρατιθέντες παρ' άλληλα χαὶ ἀντισηχοῦντες 10 αλλήλοις. όποτέρψ γαρ αν αύτῶν φαίνηται η μεῖζον αγαθόν η έλαττον 20 χαχόν έπόμενον, έχεινο μαλλον αίρούμεθα. ούτω δὲ χαὶ ὁ ποιητὴς τὸν 'Αγιλλέα φησίν είδέναι ότι μένων μεν έν τη Τροία και πολεμών όλιγογρόνιος έσται χαὶ εὐχλεής, ἀναγωρῶν δὲ τοῦ πολέμου χαὶ τὴν ἐν τῆ πατρίδι διατριβήν άγαπῶν πολυγρόνιος μεν άχλεής δέ, χαὶ προτιμήσαι την 25 15 εὔχλειαν τοῦ εἰς γῆρας ἐλθεῖν. εἶτα πάλιν ἀναμνήσας ἡμᾶς τῆς ἐπιχειρήσεως τῆς ἀναιρεῖν δοχούσης τὸ ἐνδεχόμενον (λέγω δὴ τοῦ δύο τινῶν προλεγόντων αντίφασιν τον Ετερον ώρισμένως αληθεύειν και δια τοῦτο 119* έχβαίνειν το ύπ' έχείνου λεγόμενον), δπερ άν τις απερισχέπτως είπεν έλέγγειν ολόμενος την έπιγείρησιν τω λέγειν άλλ' οδδέν γέγονε τοιούτον 20 ούδὲ προεῖπέ τις περὶ τοῦ πράγματος ὡς ἐκβησομένου, Γνα καὶ ἀληθεύειν 5 έχεινον συγχωρήσαντες αναγχαίως φώμεν το πράγμα έχβεβηχέναι, τοῦτο θείς διαβάλλει και δείκνυσιν ούκ όρθῶς λεγόμενον. ού γάρ διά τὸ άληθεῦσαι τοὺς πρό τῆς ἐκβάσεως τοῦ πράγματος εἰπόντας αὐτὸ ἐκβήσεσθαι φήσομεν έκβαίνειν το πράγμα, άλλ' έμπαλιν διά την του πράγματος φύσιν 10 25 άληθής ό περί αὐτοῦ λεγόμενος λόγος. ὡς γὰρ εἶρηται καὶ ἐν Κατηγορίαις, εί και άντιστρέφουσι ταῦτα πρός ἄλληλα, ή τε τοῦ πράγματος φύσις και ό άληθής περί αὐτοῦ λόγος, ἀλλ' οὐχ ὁ λόγος τῷ πράγματι τοῦ εἶναι αἴτιος 13 άλλ' ή τοῦ πράγματος ὕπαρξις τοῦ ἀληθεύειν τὸν λόγον αἰτία· ὥστε εἰ μηδέν έλαττον έγει τοῦ πράγματος ή ἔχβασις διὰ τὸ μὴ χατ' ἐνέργειαν 30 προειρησθαι τον έκβήσεσθαι αυτό αποφαινόμενον λόγον, πασαι αξ περί των ένδεγομένως γινομένων πρό τῆς ἐκβάσεως λεγόμεναι προρρήσεις, είτε 20 κατ' ένέργειαν είτε κατά δύναμιν, άληθεις έσονται. τούτου δε ούτως έγοντος αναγχαίως έχβέβηχεν έχαστον αύτῶν, χαὶ οὐχ ἐνεδέχετο αὐτὸ μὴ έχβηναι.

⁵ photo superscr. A 2 έχβαλ. Γ 4 huiv om. F 6 rool om. F 7 νηός Ga 8 πρότερος τον τρόπον της έχ. άφ. εί έστιν F έσται Μ 8. 9 tò éxatépac G1 9 έπόμ.] έσόμ. Γ 11 έχεινο] έχει Μ δ ποιητής] Hom. I 412 13 άπὸ τοῦ πολ. G καὶ τὴν—άκλεής δέ (14)] τὴν μέν μακρο-12 τη om. M χρονίαν λάβοι, την δὲ δόξαν ἀπολέσαι F F 13 τῆ οπ. ઉ΄ 14 ἀχλ.]οὐχ εὐχ 17 τὴν ἀντίφ. F ἀντίφασιν suppl. G² 14 άχλ.] ούχ εύχλεής G 15 ύπομνήσ. G προτιμήσας F 18 ήνπερ F είπεν] είπερ G 19 έλέγχει F οἰόμενος την ἐπιχ.] ῥησιν F συγχωρήσαντος ΑΜα θώμεν M 23 αύτό suppl. G² 21 éxeivo A: éxelvo a 25 èv Katyyopíais] c. 12 p. 14 b 14 29 έχειν Αα 30 αύτῷ a 31 πρό τῆς έχβάσεως om. G 33 αύτῶν suppl. G²

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or stow our baggage. In fact, even if we have done none of these things, it is necessary for us to arrive in Athens. Next, sketching for us the manner in which we usually deliberate, he says 'that if we shall do this, this will happen, but if we do not do this, this will not happen.' For, if the intention is, say, to go off to this place here, to which one can go either by ship or using a cart, we deliberate as to which of the ways of arriving there is preferable for us, comparing and balancing against one another the goods and evils arising from each one, since whichever turns out to entail either the greater good or the lesser evil is the one we choose. So too does the Poet¹¹³ say that Achilles knows that, if he remains at Troy and fights, he will be short-lived but famous, while, if he retires from the war and is content to spend his time in his fatherland, he will be long-lived but without fame, and that he prefers fame to reaching old-age. Then, having reminded us again of the argument which appeared to deny the contingent (I mean, of the fact that, of two people foretelling a contradiction, one speaks the truth in a definite manner and for this reason what is said by him occurs), <Aristotle posits for the sake of argument> what someone would have thoughtlessly said believing that he was refuting the argument by saying 'but nothing of the sort happened, nor did anyone foretell that the thing would occur, to the effect that we are obliged to say, if we have agreed that he speaks truly, that the thing occurred necessarily'; having posited this he attacks it and shows that it is not correctly stated. We shall not say that the thing occurred because those who said before the outcome of the thing that it would occur spoke truly, but, on the contrary, it is because of the nature of the thing that the sentence about it <is> true. As was also said in the Categories (14bl4), even if these are interconvertible, namely the nature of the thing and the true sentence about it, it is not the sentence which is

the cause of the thing's being, but the existence of the thing which is responsible for the sentence being true. Thus, if the occurrence of the thing is no less so for the fact that the sentence declaring that it would occur was not actually said in advance, then all prophecies of what happens contingently which are said before their outcome, whether actually or potentially, will be true. This being so, each of these things occurred necessarily, and it was not possible for it not to occur.

¹¹³ Hom. *Iliad*. IX 412-416.

p. 19.17 Εί δή ταῦτα ἀδύνατα· ὑρῶμεν γὰρ ὅτι ἀρχή ἐστι τῶν 35 έσομένων χαί από τοῦ βουλεύεσθαι χαί από τοῦ πρᾶξαί τι, χαί δλως δτι έστιν έν τοις μή άει ένεργοῦσι τὸ δυνατόν είναι χαί μή όμοίως. ἐν οἶς ἄμφω ἐνδέχεται χαί τὸ είναι χαί τὸ μή 5 είναι, ώστε καί τὸ γενέσθαι | καί τὸ μή γενέσθαι. και πολλά 120r ήμιν δήλά έστιν ούτως έχοντα, οίον δτι τοῦτο τὸ ίμάτιον δυνατόν έστι διατμηθήναι, χαί οδ διατμηθήσεται άλλ' έμπροσθεν χατατριβήσεται, όμοίως δε χαι το μη διατμηθηναι δυνατόν 5 ού γάρ αν ύπῆρχε τὸ ἔμπροσθεν αὐτὸ κατατριβῆναι, εἴ γε μὴ 10 δυνατόν ήν το μή διατμηθήναι. ώστε χαί έπι των άλλων γενέσεων, δσαι κατά δύναμιν λέγονται την τοιαύτην. φανερόν οδν δτι ούγ άπαντα έξ ανάγκης ούτε έστιν ούτε γίνεται, αλλά τα μέν 10 όπότερ' έτυγε, χαί οὐδὲν μᾶλλον ή χατάφασις ἢ ή ἀπόφασις άληθής, τὰ δὲ μᾶλλον μὲν χαὶ ὡς ἐπὶ τὸ πολὺ θάτερον, οὐ μήν άλλ' ἐνδέχεται γενέσθαι χαὶ θάτερον, θάτερον δὲ μή. 15

Παραδούς ήμιν δια των προλαβόντων δσα ξπεται αδύνατα τοις αναι- 16 ρούσι το ένδεχόμενον, ότι το μάτην βουλεύεσθαι μάτην έγχειρειν δλως ταις πράξεσι και δσα τούτοις έστιν ακόλουθα, οίον το μάτην αιτιασθαί τινας ώς συμπράττοντας ήμιν η άντιπράττοντας, μάτην έπαινειν τινας ώς 20 άγαθούς ή ψέγειν ώς χαχούς, χαὶ δνόματα χενὰ εἶναι τὰ πολυθρύλλητα 30 ταῦτα, τὴν ἀρετὴν καὶ τὴν κακίαν (ποῦ γὰρ οἶόν τε ταῦτα χώραν ἔχειν, μηδενός όντος έφ' ήμιν άλλ' έξ άνάγχης ήμῶν, ώς ό ἐχείνων λόγος, ἐπὶ τὸ τάδε τινὰ πράττειν ἀγομένων; ἄπερ δηλονότι καὶ ἐναργῶς ἄλογα καὶ τον έλον των ανθρώπων άρδην ανατρέπει βίον), προτίθεται δια τούτων 25 25 και έπ' εύθείας έξ αύτης της έναργείας των πραγμάτων έπιδειξαι δτι τε έστιν έν τοις ούσι το ένδεγόμενον και έν τίσιν έστίν, δτι ούκ έν τοις αιδίοις αλλ' έν μόνοις τοῖς έν γενέσει χαι φθορα το είναι έχουσιν. δτι 120μέν ούν τό τε βουλεύεσθαι μεγάλην έχει πρός τὰς πράξεις δύναμιν χαί πολλά έστιν έφ' ήμιν των όντων, & ούχ αν έπράχθη μή βουλευσαμένων 30 ήμῶν χαί ταις όδοις τῆς ἐκβάσεως αὐτῶν ἐγκεγειρηχότων, δείχνυσιν ἀπὸ 5 τοῦ χατὰ τὸ ἰμάτιον παραδείγματος, δ ἐφ' ἡμῖν ἐστιν ἢ διατεμεῖν ἢ σῶον έασαι και άδιάτμητον, άχρις αν η έν χρήσει ον και φορούμενον κατατριβη η και άνευ γρήσεως κείμενον ύπο τοῦ γρόνου κατασαπή. δηλον δε δτι 10

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^{1 8} h] 8 k F έστιν άρχη colloc. Mab 2 έσομ.] είρημένων G χαί άπό τοῦ 3 καί όλως ότι — μή (15) om. Ga βουλ. — $\mu \eta$ (15) om. M βούλεσθαι Α 6 ori om. F touri b 9 xatatp. auto colloc. F ότι όλως colloc. b εί γε — διατμηθήναι (10) suppl. F² 10 τό om. F διατμηθ. αύτό A 11 oŭv] 14 τὸ om. F 16 παραδοὺς ἡμῖν om. M 17 τὸ suppl. G² 19 ἡμῖν om. G 21 ắpa b ήμιν om. F 21 χώραν ταῦτα colloc. Α τὰ άδύν. G 23 άπερ] d F 24 άρδην om. Μ 25 και έξ αυτης Μ ένεργ. Μα 30 έγχειρη χότων FG 31 έστιν suppl. G² 32. 33 κατατριβείη et κατασαπείη a

III.2 De Interpretatione 9

19a7 What, then, if this is impossible? For we see that what will be has an origin both in our deliberation and in our doing something, and in general, that ¹¹⁴ in those things which are not always actual there is similarly¹¹⁵ the possibility of being and not being; in those both are possible, both to be and not to be, and hence both coming to be and not coming to be. It is clear to us that many things are such, e.g. that it is possible for this cloak to be cut up, and yet it will not be cut up, but will wear out first. Similarly, that it not be cut up is also possible: for it would not have been the case that it would wear out first, unless it was possible for it not to be cut up. Hence, this is also the case for all events which are spoken of with regard to this kind of possibility. Now, it is clear¹¹⁶ that not everything either is or comes to be of necessity, but some things occur however it chances, where the affirmative sentence is no more true than the negative sentence, while for other things one of the two occurs rather or for the most part, although it is possible as well that the other happens and the first does not.

<It is evident that deliberation is important in actions>

21. Having taught us in the preceding how many impossible things follow for those who deny the contingent-that it is vain to deliberate, vain to deal at all with actions, and everything that follows from these, e.g. that it is vain to hold certain people responsible for co-operating with us or thwarting us, vain to praise certain people as good or blame them as bad, and that these much bandied-about terms, virtue and vice, are empty names (for where can they have a place, if nothing is up to us, but we, as they say, are of necessity brought to do these particular things, <consequences> which, it is clear, are evidently irrational and turn all of human life completely on its head)-he proposes in these words and directly from the evidence of the things itself to show both that the contingent is among the things that exist and among which things it is <found>, namely, that it is not among the eternal things but only among those which have their existence in coming to be and passing away. Now, that deliberation has great force with respect to actions and many things are up to us which would not have been done had we not deliberated and dealt with the means of their occurring, he shows by the example of the cloak, which it is up to us either to cut up or leave whole and uncut until it either wears out from use and being worn or rots with time, even if it lies unused. It is clear that the same arguments will also apply

¹¹⁴ καὶ ὅλως ὅτι; Minio-Paluello has καὶ ὅτι ὅλως ("and that in general").

¹¹⁵ όμοίως; Minio-Paluello does not have the adverb.

¹¹⁶ φανερον ούν; Minio-Paluello has φανερον αρα.

καὶ ἐπ' ἄλλων πολλάκις μυρίων οἱ αὐτοὶ ἀρμόσουσι λόγοι· ὥστε φανερὸν ὅτι πάντων τῶν οῦτω γινομένων κυρίους ἡμᾶς ἐποίησεν ἡ φύσις. ἄπερ ἐνδεικνύμενος ὁ 'Αριστοτέλης εἶπεν ὅτι ἀρχή ἐστι τῶν ἐσομένων καὶ ἀπὸ τοῦ βουλεύεσθαι καὶ ἀπὸ τοῦ πρᾶξαί τι, τῷ μὲν ὀνόματι τοῦ 15 5 ἐσομένου ἐπὶ τοῦ μήπω μὲν ἐκβεβηκότος δυναμένου δὲ ἐκβῆναι, εἰ μή τι κωλύσοι, κοινότερον νῦν χρησάμενος, διὰ δὲ τοῦ πρᾶξαί τι δηλῶν τὸ ταῖς ἀρχαῖς ἐγχειρῆσαι τῆς πράξεως, ὅπερ πρότερον ἐκάλει πραγματεύεσθαι.

'Εν τίσι δὲ τῶν ὄντων ἔχει τὴν ὑπόστασιν τὸ ἐνδεχόμενον, συντόμως 20 10 ἐδίδαξεν εἰπὼν ὅτι ἐν τοῖς μὴ ἀεὶ ἐνεργοῦσι, ταὐτὸν δ' εἰπεῖν τοῖς ποτὲ μὲν οὖσι ποτὲ δὲ μὴ οὖσι· ταῦτα γὰρ μεταξὸ ὄντα τῶν τε ἀεὶ ὄντων καὶ τῶν ἀεὶ μὴ ὄντων ὡς μὲν ἐνεργοῦντα ὅλως διαφέροι ἀν τῶν ἀεὶ μὴ ὄντων, ὡς δὲ μὴ ἀεὶ ἐνεργοῦντα διαφέροι ἀν τῶν ἀεὶ ὄντων τε 25 καὶ ἐνεργούντων. ποῖα δέ ἐστι τὰ μὴ ἀεὶ ἐνεργοῦντα, πάλιν συντόμως

- 15 ἐδίδαξεν εἰπὼν ἐν οἶς ἄμφω ἐνδέχεται καὶ τὸ εἶναι καὶ τὸ μὴ εἶναι, τοῦτ' ἔστι τοῖς ἐν γενέσει | καὶ φθορặ· οὕτε γὰρ τῶν ἀεὶ μὴ ὄντων τι 121 δύναταί ποτε ἐνεργεῖν (πῶς γὰρ δ μηδὲ τὴν ἀρχὴν τοῦ εἶναι πέφυκε μετέχειν;) οὕτε τῶν ἀεὶ ὄντων τι δύναταί ποτε μὴ ἐνεργεῖν· εἰ γάρ ἐστιν ἀεὶ ὄν, δῆλον ὡς ἀεὶ τέλειόν ἐστι καὶ τὴν οὐσίαν τὴν ἑαυτοῦ κατὰ φύσιν 5
- 20 έχον (οὐ γὰρ ἄν ἄλλως ἠδύνατο εἶναι ἀίδιον), τοιοῦτον δὲ ὄν ἕξει τινὰ πάντως οὐσιώδη ἐνέργειαν, καθ' ῆν ἀεὶ ἐνεργεῖν αὐτὸ ἀναγκαῖον, ἕνα μὴ καὶ ὁντιναοῦν χρόνον ἀνενέργητον μένον ματαίαν δεικνύη τὴν ἑαυτοῦ φύσιν καὶ αὐτὸ τηνάλλως ἐγκαταλέγηται τοῖς οὖσιν. ὥστε εἰκότως τὰ ποτὲ μὲν 10 ὄντα ποτὲ δὲ μὴ ὄντα τῶν ὄντων ἐχαρακτήρισεν ἀπὸ τοῦ μὴ ἀεὶ ἐνεργεῖν.
- 25 πᾶσι μὲν οὖν τοῖς ἐνδεχομένοις τοῦτο ὑπάρχει τὸ δύνασθαι xai είναι xai μὴ εἶναι· ῶστε xai πρὸ τῆς ἐκβάσεως αὐτῶν ὑπάρξει αὐτοῖς τὸ δύνασθαι 15 xai γενέσθαι xai μὴ γενέσθαι. ἀλλὰ τὰ μὲν αὐτῶν ὑμοίως ἔχει πρός τε τὸ εἶναι xai πρὸς τὸ μὴ είναι, διὸ xai πρὸς τὸ γενέσθαι xai τὸ μὴ γενέσθαι, ὅσα ἐπὶ τῆ προαιρέσει κεῖται τῆ ήμετέρα xai xaλεῖται ὁπότερ' ἔτυχε, τὰ
- 30 δὲ ἀποχλίνει μᾶλλον ἢ πρὸς τὸ εἶναι χαὶ γενέσθαι χαὶ λέγεται ὡς ἐπὶ τὸ 20 πολύ, ἢ πρὸς τὸ μὴ εἶναι μηδὲ γενέσθαι χαὶ λέγεται ὡς ἐπ' ἔλαττον, ἄπερ ἀμφότερα χοινῶς σημῆναι βουληθεὶς εἶπε τὰ δὲ μᾶλλον μὲν χαὶ ὡς ἐπὶ τὸ πολὺ θάτερον, οὐ μὴν ἀλλ' ἐνδέχεται γενέσθαι χαὶ θάτερον, θάτερον δὲ μή· ἔχει γὰρ τὸ μὲν οῦτως λεγόμενον ὡς ἐπὶ τὸ πολὺ τὴν 25

¹ οἱ αὐτοὶ - γινομένων (2) in mrg. suppl. A 4 βουλεύσασθαι F 4. 5 τῶν ἐσο-5 δέ χαι έχβηναι F 6 χωλύσει a 10 δτι μή (sed μή del.) F μένων Γ διαφέρει G¹ 13 μή όντων — τῶν ἀεὶ οm. F τε 12 μέν άει ένεργ. a 16 τι post ποτε (17) colloc. G 17 δύνασθαι G om. M ένεργεῖν ποτε (18) om. Μ 18 μετ.] μή έχειν G δύναταί τι G ποτε om. F 19 την 21 αὐτὸ ἐνεργ. colloc. F (post odolav) om. A 20 átl öv a 22 ante µar. δείχνυσι G 23 τηνάλλως] τοῖς άλλοτε άλλως ἔγουσι G add. xai G1 τά om. M 27 τά] τό A 28 πρός τό suppl. G² και τό μή γενέσθαι om. M χαὶ πρὸς τὸ μὴ Α 30 γίνεσθαι F 31 γίνεσθαι ΑFa: λέγεσθαι Μ 32 xai om. A 32, 33. 34 έπι πολύ F

to many ten thousands of other cases. Thus, it is obvious that nature made us masters of all things which happen in this way. To show this Aristotle said that 'what will be has an origin both in our deliberation and in our doing some thing, ' using 'what will be' here in a loose way of what has not yet occurred but can occur unless something prevents it, and indicating by 'doing something' our dealing with the origins of action, what he previously called 'taking trouble'.

<What is not always actual>

22. Among which of the existing things the contingent has its existence, he concisely taught by saying 'that <it is> in those things which are not always actual,' which is the same as saying 'among those which sometimes exist and sometimes do not exist.' Since these are intermediate between the things which always exist and those which always do not exist, insofar as they are actual they would be completely different from those which always do not exist, and insofar as they are not always actual they would differ from those which are always existent and actual. What sort of things are those which are not always actual, he again concisely taught by saying 'in those both are possible, both to be and not to be, ' i.e. those <having their existence> in coming to be and passing away. For, neither is it possible for anything which always does not exist ever to be actual (for how could something <ever be actual>, that according to its nature does not even partake of the principle of being?) nor is it possible for anything which always exists ever not to be actual; for, if it always exists, it is clear that it is always perfect and its own essence is in accordance with nature (it could not otherwise have been eternal) and being such it will have an actuality in perfect conformity with its essence, according to which it must always be actual, lest, remaining inactive for any time at all, it show its own nature to be vain and itself be counted incorrectly among the things that are. Thus, Aristotle was correct to characterise those things which sometimes are and sometimes are not by the fact that they are not always actual. Now, this holds of all contingents, that they can both be and not be, so that even before their occurrence it will hold of them that they can both come to be and not come to be. However, some of them have the same relation both to being and to not being, and therefore also to coming to be and not coming to be, namely all those which depend upon our choice and are called 'however it chances', while others rather incline either towards being and coming to be and are called 'for the most part' or towards not being and not coming to be and are called 'for the lesser part'. Wanting to indicate both of these together he said 'for other things one of the two occurs rather or for the most part, although it is possible as well that the other happens and the first does not': for, the very thing that is called in this way 'for the most part' has its accomplishment for the most part, μέν ἕχβασιν αὐτὸ τοῦτο ὡς ἐπὶ τὸ πολὺ, ἐνδεχόμενον μέντοι xal τὸ μὴ ἐκβῆναι, εἰ xal σπανιώτερον τοῦ ἐκβῆναι, τὸ δὲ ἐπ' ἔλαττον τὸ μὲν μὴ ἐκβῆναι, εἰ xal σπανιώτερον τοῦ ἐκβῆναι, τὸ δὲ ἐπ' ἔλαττον τὸ μὲν μὴ ἐκβαίνειν | ὡς ἐπὶ τὸ πολὺ, ἐνδεχόμενον μέντοι xal τὸ ἐκβαίνειν, εἰ xal 121ν σπανιώτερον τοῦ μὴ ἐκβαίνειν. ἐπιτρέπων οὖν ἡμῖν τὸ ὡς ἐπὶ τὸ πολὺ 5 θάτερον, τοῦ τε είναι ὅηλονότι xal τοῦ μὴ είναι, xal τὸ τούτψ ἀντιχείμενον xal ἐπ' ἔλαττον, δ xal αὐτὸ προσηγόρευσε θάτερον, μεθαρμόζειν ὡς 5 ἀν ἐθέλωμεν πρός τε τὸ είναι xal τὸ μὴ είναι, διὰ τῶν αὐτῶν λεξειδίων περιέλαβε τὰ πλεῖστον ἀλλήλων διεστηχότα σημαινόμενα τοῦ ἐνδεχομένου, τό τε ἐπὶ τὸ πολὺ xal τὸ ἐπ' ἔλαττον. δῆλον δὲ ὅτι xal τοῖς πράγμα-10 10 σιν ὁμοίως ἔχουσιν αί περὶ αὐτῶν ἀποφάνσεις xaτὰ τὸ ἀληθεύειν ἢ ψεύδεσθαι.

р. 19=23 То цёх обх єїхаι то ох бтах \tilde{n} , хаі то цу бх цу єїхаι δταν μή ή, ανάγχη· οὐ μέντοι οῦτε τὸ ὂν απαν ανάγχη είναι ούτε τὸ μὴ ὄν ἀνάγχη μὴ είναι· οὐ γὰρ ταὐτόν ἐστιν τὸ ὄν ἅπαν 16 15 είναι έξ αναγχης δτε έστί, χαὶ τὸ άπλῶς είναι έξ αναγχης. όμοίως δε και έπι τοῦ μη όντος. και έπι τῆς ἀντιφάσεως δ αότός λόγος είναι μέν η μη είναι απαν ανάγχη, χαί έσεσθαί γε η μή· ού μέντοι διελόντα γε είπεῖν θάτερον άναγχαῖον. λέγω δὲ οἶον ἀνάγχη μὲν ἔσεσθαι ναυμαχίαν αὕριον ἢ μὴ 30 20 έσεσθαι, ού μέντοι γενέσθαι ναυμαγίαν αύριον άναγκαϊον ούδε μή γενέσθαι, γενέσθαι μέντοι η μή γενέσθαι άναγχαῖον. ώστε έπει όμοίως οί λόγοι άληθεῖς ώσπερ τὰ πράγματα, δηλον δτι δσα οῦτως ἔχει ὥστε ὁπότερ' ἔτυχεν είναι χαὶ τὰ ἐναντία ἐνδέχε- 35 σθαι, ἀνάγχη όμοίως ἔχειν χαὶ τὴν ἀντίφασιν. ὅπερ συμβαίνει 25 έπι τοις μή άει ούσιν ή μή άει μή ούσι. τούτων γάρ άνάγχη μέν θάτερον μόριον της άντιφάσεως άληθές είναι η ψεύδος, ού μέντοι | τόδε ή τόδε άλλ' δπότερ' έτυχε, χαι μαλλον μεν 122" άληθη την ετέραν, ού μέντοι ήδη άληθη ή ψευδη. ώστε δηλον δτι ούχ ἀνάγχη πάσης χαταφάσεως χαὶ ἀποφάσεως τῶν ἀντιχει-30 μένων την μεν άληθη την δε ψευδη είναι. ού γάρ ωσπερ έπι 5 τῶν ὄντων, οῦτως ἔγει χαὶ ἐπὶ τῶν μὴ ὄντων μὲν δυνατῶν δὲ είναι, άλλ' ώσπερ είρηται.

Πρόχειται μέν έν τούτοις αύτον λοιπόν τον λόγον τον άναιρεῖν δοχοῦντα τὸ ἐνδεχόμενον σαθρὸν ἐπιδεῖξαι χαὶ μηδὲν ἀναγχαῖον συνάγοντα, 10

² έzβαίνειν (pr. l.) M el] ŋ A έκβηναι (alt.) — σπανιώτερον του (4) om. Μ 3 ώς-μή έχβαίνειν (4) om. F 4. 9 έπι πολύ F éπ'om. F 5 τούτων AG 7 έθέλοιμεν ΑΜα πρός τό μη είναι και αὐτὸς GMa 6 έπ' έλ.] έπίδηλον G1 τὸ είναι ΑFa: πρὸς τὸ είναι χαὶ μὴ είναι Μ 12 μή ον - είρηται (32) om. M 13 οὐ — εἴρηται (32) om. G μέντοι] μὴν b 14 ἀνάγκη om. b ού γάρ είρηται (32) om. a 16 άντιφ. δέ F 18 γε (post διελ.) om. F 20 μέντοι έσεσθαί γε αύριον ναυμ. b 23 είναι om. b 31 μέν suppl. F²: om. AF¹ δυνατόν A 33 μέν ούν G τόν (post λόγον) om. F 34 άναγκ.] έναντίον G

it being possible, however, for it also not to occur, even if that is more rare than its occurrence; while what is 'for the lesser part' is what 'for the most part' does not occur, it being possible, however, for it also to occur, even if that is more rare than its non-occurrence. Thus, by allowing us to apply as we see fit the 'one of the two', that which is 'for the most part'—evidently concerning being and not being—and its opposite, that which is 'for the lesser part', which he also calls 'one of the two', to being and not being, Aristotle encompassed in the same words the significations of the 'contingent' which differ most from one another, the 'for the most part' and the 'for the lesser part'. It is clear that assertions behave in the same way with regard to truth and falsity as do the things which they are about.

19a23 Now, it is necessary that what is, is, when it is, and also that what is not, is not, when it is not. However, it is neither necessary that everything which is, is, nor necessary that everything which is not, is not: for that everything which is, is of necessity, when it is, is not the same as that it simply is of necessity; and similarly with what is not. The same account <holds> for the contradiction as well: it is necessary that everything is or is not. and will be or will not be. But one cannot, by dividing them, say that one or the other is necessary. I mean, for example, it is necessary that either there will be a sea battle tomorrow or there will not be; but it is not necessary that a sea battle happen tomorrow or <necessary> that one not happen-even though it is necessary that one happen or not happen. Thus, since the sentences are true in the way that the things are, it is clear that in the case of things which behave in such a way that they exist however it chances and that the contraries are *<both>* possible, it is necessary that the same holds for *<the truth of* >the contradiction <of the sentences> as well. This occurs with things which do not always exist or which do not always not exist: with these it is necessary that one <or the other> member of the contradiction is true or <in the other case> false - not, however, this one or that one, but however it chances-and one must be rather true than the other, but not already true or false. Thus, it is clear that it is not necessary that of every affirmative and negative sentence, that are opposed to one another, one be true and the other false. For, things which do not exist, but are possible, 117 do not behave in the same way as things which exist; rather, it is as has been stated.

<'Absolutely' vs. 'As long as the predicate holds of the subject'>

23. The intention of these lines is to show that the actual argument which appears to deny the contingent is finally unsound and leads to no necessary conclusion. This argument,

¹¹⁷ δυνατών δε είναι; Minio-Paluello has δυνατών δε είναι η μή είναι.

προήει δε ούτος έχ των ήδη έχβεβηχότων άξιων χρίνεσθαι τα έτι μέλλοντα. λαβών γάρ ώς εί έστι τι νῦν λευχόν, ἀνάγχη ἀληθεύειν τὸν αὐτὸ τοῦτο λέγοντα περί αύτοῦ ὅτι ἔστι λευκόν, καὶ οὐ νῦν μόνον ἀλλὰ καὶ ἐν ἅπαντι τῷ πρόσθεν χρόνφ άληθές ἦν προλέγειν δτι ἔσται λευχόν (ώς οὐδέν τοῦτο 15 5 έχείνου διαφέρον), χαί δτι δπερ έν παντί τω πρόσθεν χρόνω άληθές ήν είπειν δτι έσται λευχόν ανάγχη γενέσθαι, συνάγειν ήξίου το πάντα έξ ανάγχης γίνεσθαι τα γινόμενα. πρός τοῦτον τοίνον τόν λόγον ένιστάμενος δια 30 τούτων ό Άριστοτέλης πάνυ τεχνιχώς, πρίν διελέσθαι τας είς τον μέλλοντα γρόνον γινομένας αποφάνσεις, πῶς μὲν ἔγουσι τὸ ἐξ ἀνάγκης ἀληθεύειν 10 πῶς δὲ οὐχ ἔγουσι, διορίζεται πρότερον περί τῶν χατὰ τὸν ἐνεστῶτα γρόνον γινομένων, και την διαφοράν αύτῶν ἀπὸ τῆς φύσεως τῶν πραγμάτων 25 λαμβάνων, ἐπειδή χρή τὸν ἀληθεύοντα λόγον συνάδειν ἐξ ἀνάγκης τῷ πράγματι περί οδ άποφαίνεται, διττόν είναι φησι το άναγκαῖον, το μέν το άπλῶς καὶ κυρίως λεγόμενον, ὅπερ ἐστὶ | τὸ ἀεὶ ὑπάργον τῷ ὑποκειμένψ 122* 15 ώς οδδε ύφεστάναι χωρίς αύτοῦ δυναμένω (τοῦ ἀεὶ ἦτοι κατὰ τὸν ἄπειρον χρόνον λαμβανομένου ώς ἐπὶ τῶν ἀιδίων, οἶον δταν λέγωμεν ἐξ ἀνάγκης χινεϊσθαι τον ήλιον ή τοῦ τριγώνου τὰς γωνίας δυσίν δρθαῖς ἴσας εἶναι, ή 5 έως αν υπάργη το υποχείμενον, ώς δταν είπωμεν έξ ανάγχης τόδε το πῦρ θερμόν είναι η τόν Σωχράτην ζῷον είναι), τὸ δὲ οὐ τοιοῦτον ἀλλὰ μετὰ 20 μεν προσδιορισμοῦ τοῦ ἕως αν ή τὸ κατηγορούμενον ὑπὸ τοῦ λέγοντος ουτως αυτό έγειν αληθευον, άπλως δε ουχέτι, είτε αίδιον είη το ύποχεί- 10 μενον είτε φθαρτόν. το γαρ έξ ανάγχης έπιπροσθείσθαι ύπο του νέφους η της σελήνης τον ήλιον, έως αν έπιπροσθηται, αληθές, άπλως δε ούχέτι, χαὶ τὸ ἐξ ἀνάγχης χαθέζεσθαί σε ἢ βαδίζειν, ἕως ἄν τι τούτων ὑπάρχη 15 25 σοι, αληθές, άπλως δε ούχέτι· ούτε γαρ αεί βαδίζομεν η χαθεζόμεθα. ούτε μήν ξως αν τοῦ είναι μετέχωμεν. ὁ δὲ αὐτὸς λόγος xaì ἐπὶ τοῦ ἐξ ανάγχης μή όντος και γάρ τοῦτο διττόν, τὸ μèν άπλῶς (οἶον τὸ μή είναι την διάμετρον σύμμετρον τη πλευρα η το μη παύεσθαι της χινήσεως τον 20 ήλιον ή το μή είναι τόδε το πῦρ ψυγρόν), το δὲ ἕως αν μή ή το κατη-30 γορούμενον, οίον το έξ ανάγκης μη βαδίζειν, δταν μη βαδίζης. οδ γάρ άπλῶς τοῦτο ἀληθές, ἀλλ' ἕως ἀν μὴ βαδίζης, ἐπειδὴ ἀδύνατον τὸν μὴ βαδίζοντα δτε μή βαδίζει άμα χαὶ βαδίζειν. χαὶ ἔχεις ἐν τούτοις τὴν 25 χατά τὰς ὕλας διαφοράν τῶν προτάσεων παραδεδομένην. τὸ μὲν γὰρ άπλῶς ον το άναγχαϊον σημαίνει, το δ' άπλῶς μή ον το ἀδύνατον, το δὲ ἔστ'

² λευχόν νύν colloc. a 5 διαφέρει F άπαντι a 1 προείη AF 6 λευχόν om. F: del. G συνάγειν --- γίνεσθαι om. Μ τό] τὰ A: om. a 7 ίστάμ. Α: άνιστάμ. F 9 άποφάσεις Ma 13 διττόν δὲ F τὸ (post μὲν) om. AG¹ 15 χωρίς αὐτοῦ ὑφ. (num. corr.) G 17 τῆς τρυγώνου (sic) F δύο AFMa 'n om. Μ 18 ἕως] ώς G¹ ὑπάρχει F ἐξ ἀνάγκης om. G 19 σωχράτη Α 20 λέγ.] μέλλοντος F 21 αύτό om. G 22 ύπο νέφους ή ύπο της σελ. F 24 xal τὸ -- οὐχέτι (25) om. M 25 post άπλως δε add. ήτοι χυρίως χαι άιδίως a 26 μετέ-28 τη πλ. συμ. colloc. F 29 έως] ώς a τὸ (ante xat.) om. G γομεν Α 30 βαδίζη Fa: βαδίσης G 31 βαδίζης] βαδίζη Fa 32 έν τούτοις om. F

however, proceeded by claiming to judge what is still going to be from what has already occurred. It assumed that, if something is now pale, one who says just this about it, that it is now pale, necessarily speaks truly, and it was true not just now but also in the entire preceding time to predict that it would be pale (as though this were no different from the other); and because the thing which it was true to say during the entire preceding time, that it would be pale, happens necessarily, <the argument> wanted to conclude that everything that happens happens of necessity. Hence, refuting this argument here in a very technical manner, Aristotle, before analysing the statements which bear on the future, <concerning the question> how they do have the <property> of being necessarily true and how they do not, first makes a distinction regarding things which happen in the present time. Taking the distinction of these <sentences> from the nature of the things, since the true sentence must of necessity correspond to the thing about which it is said, he says that there are two kinds of 'necessary' <things>: first, that which is absolutely and primarily so called, namely what always holds of the subject so that the subject cannot exist without it (the word 'always' is understood either as in infinite time, as in the case of eternal things, for example, whenever we say that 'of necessity' the sun moves or the angles of a triangle are equal to two right angles, or as long as the subject exists, as when we say that 'of necessity' this fire is hot or Socrates is an animal); second, what is not <absolutely so called>, but with the qualification 'as long as that is true which is predicated by the one who says that it is so,' and no longer absolutely, no matter whether the subject is eternal or perishable. That the sun is of necessity obscured by a cloud or by the moon, as long as it is obscured, is true, but it is no longer absolutely <necessary>; and that you of necessity are sitting or walking, as long as one of these holds of you, is true, but it is no longer absolutely <necessary>: we are neither walking or sitting always, nor even as long as we partake of existence. The same point <holds> also in the case of that which of necessity does not exist. In fact, this has two kinds as well: first, what is absolutely <necessary> (e.g. that the diagonal is not commensurate with the side <of a triangle> or that the sun does not cease its motion or that this fire is not cold); second, as long as what is predicated does not belong <to the subject> (e.g. that you of necessity are not walking, whenever you are not walking: this is not absolutely true, but as long as you are not walking, since it is impossible for one who is not walking to be walking at the same time as he is not walking). Thus, you have here the distinction of sentences taught according to their matter: what absolutely is signifies the necessary; what absolutely is not signifies the impossible; and what is as long as the predicate belongs to the subject, and what is not as long as it

[154]

αν ή τὸ κα|τηγορούμενον τῷ ὑποκειμένφ ὄν καὶ ἔστ' αν μὴ ή μὴ ὄν 123¹ τὸ ἐνδεχόμενον.

Ταῦτα διελόμενος ὁ ᾿Αριστοτέλης παραπλησίως τοῖς ἐπὶ τῶν ὄντων εἰρημένοις ἔχειν φησὶ τὸ ἀναγχαῖον τὴν ἐν τοῖς λόγοις ἀλήθειαν· τοὺς 5 μὲν γὰρ αὐτῶν ἐξ ἀνάγχης ἀληθεύειν κατὰ τὸ ἀπλῶς λεγόμενον ἀναγ- 5 καῖον, ἐφ' οἶων ἀν λέγωνται πραγμάτων, εἴτε ἀιδίων εἴτε φθαρτῶν εἴτε ὄντων εἶτε μὴ ὄντων, ὡς τοὺς κατὰ τὴν ὅλην ἀντίφασιν προφερομένους, οἶον ὅτι Σωχράτης ἢ βαδίζει ἢ οὐ βαδίζει (τὸ γὰρ ὅλοι· τοῦτο ἀνάγχη 10 εἶναι ἀληθὲς οὐ μόνον ὅντος ἀλλὰ καὶ μὴ ὅντος Σωχράτους) καὶ ὅτι τὸ

10 πῦρ ἢ θερμὸν ἢ οὐ θερμόν, εἰ xaì συμβαίνει ἐπὶ τῶν τοιούτων διὰ τὴν τοῦ πράγματος φύσιν θάτερον μόριον τῆς ἀντιφάσεως ἀφωρισμένως ἀληθεύειν, xaì οὐ τὴν ὅλην ἀντίφασιν μόνον. τοὺς μὲν οὖν τῶν λόγων 15 οῦτως ἔχειν φησὶ τὸ ἐξ ἀνάγχης ἀληθεύειν χατὰ τὸ ἁπλῶς ἀναγχαῖον, τοὺς δὲ χατὰ τὸν ἕτερον τρόπον, ἕως ἂν ὑπάρχῃ ἢ μὴ ὑπάρχῃ τὸ χατη-

15 γορούμενον τῷ ὑποχειμένῷ, ὡς τὸ ἐξ ἀνάγχης βαδίζειν ἢ ἐξ ἀνάγχης μὴ βαδίζειν τὸν Σωχράτην· οῦτως γὰρ ἀνάγχη τὸ ἀληθὲς ἔχειν τοὺς λόγους, 20 δπερ φησὶν ὁ ᾿Αριστοτέλης, ὡς ἔχει φύσεως τὰ ὑπ' αἰτῶν σημαινόμενα πράγματα, ἐπεὶ xal εἰσὶν ἐξηγηταὶ τῶν πραγμάτων οἱ λόγοι xal διὰ τοῦτο μιμοῦνται αἰτῶν τὴν φύσιν, ὡς πρὸ τοῦ ᾿Αριστοτέλους ὁ Πλάτων ἡμᾶς 20 ἐδίδαξεν. 25

'Αλλά τί ταῦτα φαίης ἄν πρὸς τὸ προχείμενον χαὶ πῶς διὰ τούτων σαλεύεται ὁ ἀναιρεῖν δοκῶν τὸ ἐνδεχόμενον λόγος; ὅτι, φήσω, εἰ μὲν πᾶς λόγος εἶχε τὸ ἐξ ἀνάγχης ἀληθεύειν χατὰ τὸ ἁπλῶς ἀναγχαῖον, | εἰχότως 123ν ἐλάμβανον οἱ ἀναιροῦντες τὸ ἐνδεχόμενον ἐχ τοῦ ὁρᾶν ἐξ ἀνάγχης ἀλη-

- 25 θεύοντας τοὺς λόγους τοὺς οἰχείους τῆ ἐχβάσει τῶν πραγμάτων περὶ τῶν ἤδη ἐχβεβηχότων ἀποφαινομένους ὅτι χαὶ οἱ πρὸ τῆς ἐχβάσεως αὐτῶν ὅ διαβεβαιούμενοι ἐχβήσεσθαι αὐτὰ τὸ ἀληθὲς ἐξ ἀνάγχης ἔχουσι, χαὶ οῦτως τῷ ὄντι συνέβαινεν ἀναιρεῖσθαι τὸ ἐνδεχόμενον. ἐπεὶ δὲ τοῦτο τῆ μὲν ὅλη ἀντιφάσει, ὥσπερ ἐλέγομεν, ὑπάρχει, τοῖς δὲ μέρεσιν αὐτῆς, ἐφ' ῶν
- 30 το κατηγορούμενον ποτε μεν ύπάρχει τῷ ὑποκειμένῷ ποτε δε οὐχ ὑπάρ-10 χει, οἰχέτι, δῆλον ὅτι οὐ συνάγουσιν ὅπερ προτίθενται· οἶον, ὅπερ αὐτός φησιν, ἀνάγκη πάντως αὖριον ἢ γενέσθαι ἢ μὴ γενέσθαι ναυμαχίαν, οὐ μέντοι διελόντες καὶ τὸ ἕτερον μόνον μόριον τῆς ἀντιφάσεως εἰπόντες ἀσφαλῶς ἀποφανούμεθα ὅτι ἔσται πάντως ἢ οὐκ ἔσται πάντως. δῆλον 15
- 35 ἄρα ὅτι ἀνάγκη τοὺς περὶ τῶν ἐνδεχομένων ἀποφαινομένους λόγους (ὅπερ ἐσήμηνε τῆ ἀναιρέσει τῶν ἄκρων, τοῦ ἀναγκαίου λέγω καὶ τοῦ ἀδυνάτου, ῶν τὸ μὲν ἐκάλεσεν ἀεὶ ὅν τὸ δὲ ἀεὶ μὴ ὅν) μὴ πάντως ἔχειν τὸ ἕτερον 20

¹ τῶ ὑποχειμένψ om. F 6 λέγονται G 10 η θερμόν ἐστιν Fa συμβαίνοι Ma 11 μόριον] μόνον A 12 μόνως a 13 ἔχει GMa 16 τῶ σωχράτει F σωχράτη A ἔχεις F 18 post λόγοι add. δηλον F: διὸ G 19 post ὡς add. xaì G² ὁ Πλάτων] Cratyl. c. 3 p. 385 B sq. 27 τὸ ἀλ. ἔχ. ἐξ ἀν. colloc. M: ἐξ ἀν. τὸ ἀλ. ἔχ. a 29 ἐλέγομεν] v.7 αὐτοῖς F 31 οὐχέτι om. A ὅτι ὡς AMa 32 η γενέσθαι αὅρ. colloc. A 33 μόνον om. AG 36 p. 155,6 ἐσήμανε M

does not, signifies the contingent.

<Sentences about the whole contradiction vs. those about its parts>

24. Having made these distinctions, Aristotle says that the <property of being> necessary belongs to the truth in sentences in a manner similar to what he said about existing things. For, some sentences are of necessity true in the absolute sense of 'necessary', no matter what things they are said of—whether of eternal or perishable, existing or non-existent things such as those uttered about the whole of a contradiction, e.g. that Socrates is either walking or not walking (for this whole is necessarily true, not only if Socrates exists, but even if he does not), or that fire is either hot or not hot, even if it happens in such cases that, due to the nature of the thing, just one of the two parts of the contradiction is true in a definite manner, and not only the contradiction as a whole. So, he says that among sentences, some are necessarily true in the absolute sense of 'necessary', but the others in the other sense, i.e. as long as the predicate belongs or does not belong to the subject, such as that Socrates of necessity is walking or of necessity is not walking. For, sentences necessarily have truth in the same way, which is what Aristotle says, as the things signified by them behave according to their nature, since sentences are interpreters of the things and for this reason imitate their nature, as Plato taught us¹¹⁸ before Aristotle.

<The solution of the aporia>

25. But what, you may ask, has this to do with the present question, and how is the argument which appears to deny the contingent shaken by this? It is, I shall reply, that if every sentence were of necessity true in the absolute sense of 'necessary', then those who deny the contingent, upon seeing that those sentences are necessarily true which, when said about things which have already occurred, are in conformity with the outcome of those things, would have correctly assumed that also those sentences which affirmed before the occurrence of the things that they would occur have truth of necessity, and thus it would have actually happened that the contingent was denied. But, since this holds, as we said, of the whole contradiction, but not of its parts, in which the predicate sometimes holds of the subject and sometimes not, it is clear that they do not reach the conclusion they propose. For example, as Aristotle himself says, it is necessary, whatever happens, that tomorrow a sea battle take place or not take place, but dividing them and stating only one part of the contradiction, we shall not safely announce that it will be so, in any case, or it will not be so, in any case. Therefore, it is clearly necessary for sentences said about contingent <things> (which he indicated by the elimination of the extremes, i.e. the necessary and the impossible, of which he called the one 'what always exists' and the other 'what always does not exist') not in every case to have one member of the contradiction be true in a definite manner-which was what we were to investigate from

¹¹⁸ Plat. Crat. 385b.

μόριον τῆς ἀντιφάσεως ἀφωρισμένως ἀληθεῦον, ὅπερ ἦν τὸ ἐξ ἀρχῆς ἡμιν εἰς ἐπίσκεψιν προκείμενον, ἀλλ' ἦτοι ἄμφω ὁμοίως δεκτικὰ ψεύδους τε καὶ ἀληθείας, ὡς τὰ περὶ τῶν ὁπότερ' ἔτυχεν ἐνδεχομένων ἀποφαινόμενα, ἢ τὸ μὲν ἔτερον μᾶλλον ἀληθεύειν πεφυκὸς τὸ δὲ ἕτερον ψεύδεσθαι μᾶλλον, ☎ 5 οὕτε μέντοι τὸ ἀληθεῦον ἀεὶ ἀληθεῦον οὕτε τὸ ψευδόμενον ἀεὶ ψευδόμενον,

5 συτε μεντοί το αληθεύον αεί αληθεύον συτε το φευσομενον αεί φευσομενον, δπερ ἐσήμηνε διὰ τοῦ οὐ μέντοι ἦδη ἀληθῆ ἢ ψευδῆ. δῆλον δὲ ὅτι ἐπὶ μὲν τοῦ ὡς ἐπὶ τὸ πολὺ | λεγομένου ἡ κατάφασίς ἐστιν ἡ μᾶλλον 124r ἀληθής, ἐπὶ δὲ τοῦ ὡς ἐπ' ἔλαττον ἡ ἀπόφασις.

¹ άρχῆς] ἀνάγ¤ης F 5 οῦτε (prius)] οὐ M om. M

⁴ ἕτερον μαλλον iteratum del. A άεὶ ψευδόμενον om. M

the beginning—but either to have both members equally receptive of truth and falsity, as what is said about contingents which are however it chances, or to have one member which is rather such as to be true and the other rather such as to be false, but not to have that which is true be always true nor that which is false be always false, which he indicated by 'but not already true or false'. It is clear that, in the case of what is said for the most part, it is the affirmative sentence that is rather true, and in the case of what is for the lesser part, it is the negative sentence.

Part V

Philosophical Commentary

by Gerhard Seel

translated from the French by Greg Bayer

IV.1 Introduction

The commentary of Ammonius¹¹⁹ on *De Interpretatione* is part of a long tradition.¹²⁰ According to available evidence, the following authors wrote commentaries on *De Interpretatione*: Aspasius (1st-2nd century),¹²¹ Herminus (2nd century AD),¹²² Galen (129-after 210), Alexander of Aphrodisias (2nd-3rd century),¹²³ Porphyry (232-309)—after Porphyry, the commentators are linked to the Neoplatonic school—Iamblichus (circa 240-circa 325),¹²⁴ Syrianus (died about 437), Proclus (412-485),¹²⁵ Ammonius (435/45-517/26),¹²⁶ Boethius (480-525 or 526),¹²⁷ Philoponus (about 490-after 570),¹²⁸ Olympiodorus (495/505-after 565),¹²⁹ Elias (2nd half of the 6th century,¹³⁰ Stephanus 6th-7th century),¹³¹ and an anonymous commentator (end of the 6th century or beginning of the 7th).¹³² Except for the commentaries of Ammonius, Boethius, Stephanus and the anonymous commentary, all these works are lost, and only about twenty scholia of Olympiodorus' commentary survive.¹³³ Proclus' commentary, a treatise that was a main source of inspiration for Ammonius, was probably never published.

- ¹²³ Alexander of Aphrodisias was a student of Herminus.
- ¹²⁴ Iamblichus was a student of Porphyry.
- ¹²⁵ Proclus was a student of Syrianus.

¹²⁹ Olympiodorus was also a student of Ammonius.

¹¹⁹ Ed. A. Busse, *Commentaria in Aristotelem Graeca* (hereafter *CAG*), IV,5, Berlin, 1897. Our references to the text of Ammonius are given with Busse's pagination.

¹²⁰ See also Blank's introduction to the first volume of his translation: D. Blank 1996.

¹²¹ Cp. P. Moraux 1984, 230-5. According to Moraux (p. 231), Aspasius is probably the first commentator on *De Interpretatione*.

¹²² Cp. P. Moraux 1984, 374-82. The dates of his life are difficult to establish. Moraux suggests around 120 to 180/190.

¹²⁶ Ammonius was a student of Proclus at Athens before teaching in Alexandria.

¹²⁷ Boethius wrote (in Latin) two commentaries on *De Interpretatione*, of which the second is more important: *Commentarii in librum Aristotelis Peri Hermēneias*.

¹²⁸ The Neoplatonic Christian Philoponus was a student of Ammonius at Alexandria.

¹³⁰ The philosopher Elias, most likely a Christian, was probably a student of Olympiodorus. Some scholia from his commentary have been edited by Busse in CAG IV,5, 1897, p. xxvi-xxviii.

¹³¹ Stephanus of Alexandria was appointed to a chair in Constantinople in 610 or shortly after. Ed. M. Hayduck, CAG XVIII,3, 1885.

¹³² L. Tarán 1978. The beginning of the commentary is lost. The text of the only manuscript (*Parisinus Graecus* 2064) begins in the middle of a discussion of *Int* 16a30.

¹³³ They are edited by L. Tarán 1978, xxv-xli.

The ancient tradition of commentary on the works of Aristotle extended to the Byzantines, Syrians, Arabs, and the Latin writers of the Middle Ages¹³⁴ and the Renaissance. The commentary of Ammonius was translated into Latin in the thirteenth century by William of Moerbeke.¹³⁵

The influence of Ammonius (born between 435 and 445, died between 517 and 526)¹³⁶ on the later commentators was immense. He clearly influenced Stephanus' and the anonymous commentaries, where the so-called 'Reaper'137 Argument is found. P. Courcelle considers Ammonius the principal source for Boethius.¹³⁸ Tarán, however, thinks that the two commentaries are independent but use common sources, particularly the lost commentary of Porphyry.¹³⁹ According to David Blank¹⁴⁰ and Richard Sorabji,¹⁴¹ the main sources of Ammonius and Boethius are quite different, though they both used Porphyry's (now lost) commentary on De Interpretatione. In fact, Boethius declares (In Int. ed. sec., 7, 5-9) that he drew as much as possible from Porphyry whereas Ammonius according to his own words (In Int. 1, 6-11) worked out what he remembered of Proclus' exegesis of *De Interpretatione*. So Ammonius was very much influenced by Proclus and by Syrianus (the predecessor of Proclus)¹⁴² while Boethius' commentary depends directly on Porphyry. These considerations lead us occasionally to turn to the commentaries of Boethius in our discussion of Ammonius'.

Among the commentaries¹⁴³ of Ammonius, that on *De Interpretatione* is the only one that he himself prepared for publication.¹⁴⁴ The other commentaries on Aristotle surviving under Ammonius' name are notes on public courses by students. Hence their titles declare that they are $ano \phi \omega v \eta \varsigma$, i.e. 'from the voice' of the master.¹⁴⁵

Ammonius divides the whole of *De Interpretatione* into four principal sections ($\kappa \epsilon \phi \dot{a} \lambda a \iota a$), which include the first thirteen chapters of our modern editions,¹⁴⁶ to which he adds, with some doubt about its authenticity, our chapter

- ¹³⁶ Cp. L.G. Westerink 1990, xi-xv.
- ¹³⁷ Cp. below, on paragraph 5.

¹³⁴ Cp. J. Isaac 1953.

¹³⁵ Ammonius, Commentaire sur le Peri Hermeneias d'Aristote, traduction de Guillaume de Moerbeke, 1961. William's translation is quite literal and we have consulted it often. On William's work, see L. Minio-Paluello 1974, 434-40.

¹³⁸ P. Courcelle 1948, 264-78.

¹³⁹ Op. cit., p. VII, n. 10. L. Obertello 1981, 155-6 defends a position close to L. Tarán's. J. Shiel 1990, 349-72, also has this view.

¹⁴⁰ Cp. D. Blank 1996, 1-6.

¹⁴¹ Cp. R. Sorabji 1998, 17.

¹⁴² For Ammonius' relation to the other members of the Neoplatonic school see D. Blank 1996, 1-6.

¹⁴³ Cp. H.D. Saffrey 1989.

¹⁴⁴ L. Tarán 1981, xv. ff.

¹⁴⁵ Cp. M. Richard 1950, 191-222 and again D. Blank, 1996, 2.

¹⁴⁶ Cp. in Int. 7,15-8,22.

14.¹⁴⁷ This division apparently can be traced back to Proclus or to Ammonius himself,¹⁴⁸ it was adopted by Stephanus,¹⁴⁹ by the anonymous commentator and also by Probha (Probus) of Antioch,¹⁵⁰ a Nestorian writing in Syrian, by al-Farabi and Averroes,¹⁵¹ but not by Boethius. The sections, in turn, are divided into lemmata that Ammonius in his commentary transcribes in full 'in order to discern what is apparently the most accurate edition' (8,28). Thus our customary division into 14 chapters, which can probably be traced back to Julius Pacius' 1584 edition of the Organon.¹⁵² is not to be found here—and so Ammonius nowhere speaks of a 'Chapter 9'. This does not mean, however, that he was unaware of the thematic unity of our chapter 9. Thus, though this part of the text got its denomination 'chapter 9' much later, we are justified in considering it a unity and devoting our commentary exclusively to it. The Aristotelian text of the chapter is divided into eight lemmata, which are found in the second principal section of Ammonius. This section includes our chapters 7 to 9 with the beginning of chapter 10 (17a38-19b19 of Aristotle's text and 86, 26-159,9 in Ammonius' commentary). It discusses 'the simplest propositions, and will be about the proposition or assertion <consisting> of subject and predicate' (In Int. 8,14-16). The lemmata of chapter 9 fit neatly into this context. They treat the specific question of whether pairs of opposite assertoric sentences can always divide the values 'true' and 'false', or are singular assertoric sentences about future contingents (henceforth: SFCS's) an exception? Ammonius gives his version of Aristotle's response to this question at in Int. 128,21-155,8. This text is the principal focus of our work.

Ammonius understands¹⁵³ however that in saying, at the beginning of chapter 9, $\omega\sigma\pi\epsilon\rho$ $\epsilon^{2}\rho\eta\tau\alpha\iota$ 'as has been said', Aristotle is clearly referring to the

¹⁴⁷ Cp. *in Int.* 8,22-23. Most authors attribute to Aristotle a division of the text into five parts. But Ammonius argues convincingly that he divided it into four units which contain the totality of his doctrine of the simple sentence: (1) the exposition of 'principles' (definitions of noun, verb, affirmation, negation, sentence and contradiction); (2.) the theory of the simplest sentences, i.e. assertoric sentences composed of a subject and predicate; (3) the theory of assertoric sentences composed of a subject, predicate and the verb 'to be'; (4) the theory of modal sentences. Ammonius notes that the last part of Aristotle's treatise (=chapter 14) is either not by Aristotle but one of his disciples, or is Aristotle's but is a dialectical exercise addressed to his readers (*In Int.* 251,25-252,8). He ultimately decides this alternative in favor of the latter saying that it is worthwhile to give commentary on this text, *contra* Porphyry, on the grounds that it is authentic.

¹⁴⁸ Cp. L. Tarán 1978, xvii. F.W. Zimmermann 1981, xci, does not exclude the possibility that Iamblichus may be the source of this.

¹⁴⁹ Stephanus (In Int. 63,4 ff..), like the anonymous commentator (L. Tarán 1978, 115,7ff.), calls chapter 14 'the fifteenth section [τμήμα]'; he even gives it the name κεφάλαιον (63,11). He notes that this part of De Interpretatione 'is not entirely by Aristotle, but has been written in the form of an exercise.'

¹⁵⁰ Cp. J.G.E. Hoffman 1869, 94 and *passim*.

¹⁵¹ Cp. E. Meyer 1984, 272 and C. Ehrig-Eggert 1989, 292, and 1990, 45.

¹⁵² Cp. H. Weidemann 1994, 59.

¹⁵³ Cp. In Int. 128,1.

theory of oppositions of assertoric sentences (henceforth: sentences) first sketched in chapters 5 and 6 of *De Interpretatione* and developed at length in chapter 7. In fact, according to Ammonius, chapter 9 deals with a special problem that arises from this theory: whether the oppositions of singular sentences in the case of future contingents behave, concerning their truth values, like the other oppositions of singular sentences. Consequently, Ammonius makes use of his commentary on these chapters, especially on chapter 7, to discuss the first lemma of chapter 9. For this reason, before approaching the commentary on chapter 9, we present a summary of the theory of sentence-oppositions and of the logical relations among sentences that is developed by Ammonius in his commentary on chapter 7 (*In Int.* 86,26-101,9). This will make what Ammonius says on chapter 9 regarding oppositions easier to understand. We limit however our commentary to the first lemma of this chapter, which contains the core of the theory of oppositions, leaving aside the other paragraphs, which offer Ammonius the opportunity to discuss more special questions in relation to this theory.

In our commentary, we will follow the division of Aristotle's text into lemmata laid down by Ammonius, and we use the division of Ammonius' text into paragraphs adopted by the modern editor A. Busse. As an aid to reading, we number the paragraphs conforming to Busse's division, beginning at the start of each chapter.

IV.2 Commentary on Chapter 7, 1-17

Lemma 1 (17a38 - b12)

Paragraph 1

For Ammonius, chapter 7 marks the beginning of the second main part of the treatise ($\tau \partial \partial \epsilon \dot{\nu} \tau \epsilon \rho \sigma \nu \tau \sigma \hat{\nu} \beta_i \beta \lambda i \sigma \nu \kappa \epsilon \phi \dot{\alpha} \lambda \alpha_i \sigma \nu$, 86,26). He begins his commentary with a description of his procedure, proposing three tasks to be accomplished: (a) to make clear how a negative sentence is obtained from an affirmative (in fact, it is the pair of sentences so formed that is called an 'opposition', $\dot{\alpha} \nu \tau i \theta \epsilon \sigma i \varsigma$); (b) to establish a classification of sentences that will serve as the basis for a classification of oppositions between sentences; (c) to determine which oppositions constitute true contradictions and which only have the appearance to do so (86,30-87,7). We will follow the same order in our exposition.

Paragraph 2

(a) The theory of sentence-opposition is based first of all on the distinction between affirmative and negative sentences, a distinction concerning what Ammonius calls the 'quality' ($\tau \dot{o} \pi o i \dot{o} v$) of sentences. Aristotle mentions this distinction at the beginning of chapter 5 (17a8-9), gives a preliminary account of it in the same chapter (17a20-1), and returns to it at the beginning of chapter 6 (17a25-6): a positive sentence is 'an assertion that attributes something to something', while a negative sentence is 'an assertion that denies something of something'. Thus Aristotle establishes a logico-semantic criterion for distinguishing affirmative from negative sentences. There is also, however, a purely lexico-grammatical criterion (which concerns the $\lambda \epsilon \xi_{I\zeta}$, 'expression' or 'wording', of the sentence): a positive sentence is distinguished from a negative sentence by the fact that the latter includes a sign of negation that is absent from the former. Although this criterion is not mentioned by Aristotle in his definition of negative sentence, it plays an important role in his theory, notably in the formation of oppositions between sentences. It is thus the source of a certain confusion, which gives rise to the series of problems Aristotle attends to in chapter 7.

The fact that there is in Aristotle both a logico-semantic criterion and a purely lexical criterion for the qualitative difference in sentences has not escaped Ammonius (80,31-5). But he clearly gives precedence to the latter when he asserts that the difference in quality, i.e. between affirmative and negative sentences, depends on the distinction in $\lambda \epsilon \zeta c$, 'expression' (72,15-21; 79,15-17). Consequently, the formation of the oppositions between sentences in Ammonius becomes principally a lexical affair. He informs us a number of times (67.25-7; 70,4-10; 87,8-10) that a negative sentence can be obtained by adding a sign of negation (ἀρνητικὸν μόριον, ἀποφατικὸν μόριον, 'the denying particle', 'the negative particle') to a positive sentence, or more precisely to its predicate. The pairs of sentences Ammonius names avribéreic are obtained in this way. Thus these pairs of opposites are not formed by a logico-semantic method, but by a lexico-grammatical one. This is the reason why the analysis undertaken in the last part of chapter 7 is guite indispensable. If the pairs of opposites had been established from logical criteria at the outset, there would be no reason to wonder further about the logical relations holding between the members of each pair. Ammonius, then, is right to treat Aristotle's pairs of opposites as principally lexico-grammatical entities.

This view, however, requires further precision. When Ammonius, following Aristotle, wonders if in the formation of the negative sentence the sign of negation must be added to the subject or to the predicate, he justifies his answer on the basis of the fact that the predicate has a priority¹⁵⁴ over the subject (70,3-10 and 87,12-13). This priority can only be logico-semantic. Ammonius in fact thinks that it is the predicate, and more precisely the copula, that at the same time performs both a descriptive and assertive function.¹⁵⁵ This is the reason why, in order to deny what an affirmative sentence holds, one must add a sign of negation to its predicate.

For the opposition of assertoric sentences according to their $\lambda \not\in \xi_{i\varsigma}$, Ammonius uses the term $dvri\theta\epsilon\sigma i\varsigma$. An opposition in this sense is a pair of sentences having the same terms in the subject and predicate positions, but distinguished by the fact that in one sentence a negation sign has been added to the predicate.

Considering chapter 6 of *De Interpretatione*, one has the impression that for Aristotle, unlike Ammonius, the formation of each pair of opposites is, in fact, guided by the (logico-semantic) idea that one of its members denies what the other affirms. Thus Aristotle states:

So one should be able to deny all that anyone has affirmed, and to affirm all that anyone has denied. Thus it is clear that for every affirmative sentence there is a negative sentence opposed $[a\nu\tau_{1}\kappa_{2}\mu\dot{e}\nu\eta]$ to it, and for every negative sentence an affirmative one. And let this be a contradiction $[a\nu\tau_{1}\dot{\phi}a\sigma_{1}\varsigma]$: << the pair of>> an affirmative sentence and a negative sentence that are opposed to each other. By 'are opposed' I mean that the sentences affirm and deny the same thing of the same thing, but not in a homonymous way, and in

¹⁵⁴ Cp. το κῦρος (70,5) and κυριώτερον (87,12).

¹⁵⁵ Cp. G. Seel's first essay in this volume, 226-227.

accordance with all the other conditions that we add to counter sophistical difficulties' (Int. 6, 17a30-7, our translation).

It would be a mistake, however, to consider the lines 17a34-7 as a definition of what Aristotle means by the term $a\nu\tau\iota\kappa\epsilon\iota\sigma\theta a\iota$. Rather, these lines give the restricted sense that the term has in the definition of $a\nu\tau\iota\phi a\sigma\iota\varsigma$ in the lines preceding. Thus one should read in 17a34: 'I mean here (as an exceptional case)....' As An. Pr. 2.15, 63b23-30 clearly shows, Aristotle in fact distinguishes between the opposition 'according to the $\lambda \epsilon \xi \iota\varsigma$ ' and the opposition 'according to truth'. But on the other hand, he places both contradictions and oppositions between contrary sentences under the opposition according to truth. In chapter 7 of *De Interpretatione*, Aristotle also distinguishes between two modes of opposition: two sentences can be opposed either in a contradictory way ($a\nu\tau\iota\phi a\tau\iota\kappa\omega\varsigma$) or in a contrary way ($e\nu\alpha\nu\tau\iota\omega\varsigma$). Thus Int. 6, 17a30-7 must be understood as presenting what he means by 'contradiction' and not as a definition of the term 'opposition'.

Paragraph 3

(b) The second task Ammonius has set for himself is to establish a classification $(\partial_{iai\rhoe\sigma_i})$ of sentences in order to distinguish the different species of opposition. Without abandoning the spirit of the Aristotelian distinctions, he seeks to do this more systematically than Aristotle by following the general principles of classification. He tells us at the beginning of his exposition that because sentences have only two terms, the subject and predicate, they can be classified by differences of the subject, or by differences of the predicate, or by different types of relations between subject and predicate (88,7-12). The classification according to subject will lead to the theory of opposition, the distinction by predicate permits the sorting of sentences according to their verbal tense, and the difference in relations between subject and predicate serves to classify the statements by their modal status.

(1) Ammonius first introduces the classification of sentences according to the last criterion. This is not found in Aristotle, either in chapter 7 or in the first lemma of chapter 9. But since it will be of paramount importance for the commentary Ammonius gives on the latter chapter, we can hardly neglect it.

Ammonius first tells us there are three possible relations between subject and predicate:

- (a) the predicate always belongs to the subject;
- (b) the predicate never belongs to it;
- (c) the predicate sometimes belongs to it and sometimes not (in Int. 88,7-19).

Using technical terminology, he tells us that these three relations are called the 'matters of sentences', the first matter being 'necessary', the second 'impossible',

and the third 'contingent'. Sentences can then be distinguished as 'sentences in necessary matter', 'in impossible matter' and 'in contingent matter'.

It should be noted that this is not a classification according to the modalities of the sentences themselves, but according to the modal status of the state of affairs asserted by the sentences. Ammonius is careful to stress the point: this classification is not derived 'from our believing or saying, but from the very nature of the things' (88,22-3). Consequently, it is not sentences with modal operators that are classified in this way, but plain non-modal sentences. Ammonius will use this classification to clarify the way sentences behave with regard to their truth values, thus showing himself to be quite original in his approach to Aristotle.

Paragraphs 4-5

(2) The second classification treated by Ammonius is based on differences in the subject, or more precisely differences in the subject's quantity. The division of sentences according to this criterion is introduced and explained by Aristotle in chapter 7 (*Int.* 17a38ff.) together with the theory of opposition. Ammonius presents Aristotle's distinctions in a different order; he in effect constructs a kind of *arbor porphyreana* of genera and species of sentences, as he successively applies three different criteria.

1. The first criterion concerns the type of term functioning as the subject. Terms used as the subject or predicate of a statement are either singular ($\kappa a\theta'$ $\ddot{\epsilon}\kappa a\sigma \tau a$) or universal ($\kappa a\theta \dot{\delta} \lambda o v$) (In Int. 88,30). According to Aristotle, a universal term is one that can be predicated of many subjects, while a singular term cannot (Int. 7, 17a38-b1). As he clearly stresses in An. Pr. 1.27, 43a25-43, Aristotle is convinced—and Int. 7, 17a40 must be interpreted this way—that stricto sensu a singular term like 'Kallias' cannot be predicated at all of any other term. Ammonius, on the other hand, characterizes singular terms as those that can be predicated, but only of single and unique subjects (In Int. 88,35). This is an important difference between Ammonius and Aristotle.

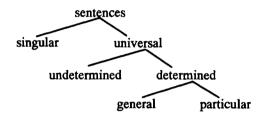
2. A universal term can be predicated of a universal term 'either without additional determination ($\pi\rho\sigma\sigma\partial_{i\rho\rho\sigma\mu\delta\varsigma}$) or with additional determination' (89,3). The determinations Ammonius is talking about are adjectives expressing an indefinite quantity, like $\pi\hat{a}_{\varsigma}$, $\sigma\dot{i}\partial\epsilon\dot{e}_{i\varsigma}$, $\tau_{i\varsigma}$, $\sigma\dot{i}$ $\pi\hat{a}_{\varsigma}$ ('all ', 'no', 'some', 'not all') that are added to the subject of a sentence. The presence or absence of such adjectives in a sentence is the second criterion used by Ammonius in his classification of sentences.

3. The third criterion arises from the differences among these determinating signs themselves, since they indicate whether the predicate is affirmed (or denied) of the totality of individuals included under the subject, or only of a part of them.

By the first criterion, sentences are divided into singular ($\kappa a \theta'$ $\check{\epsilon} \kappa a \sigma \tau a$) and simply $(\dot{a} \pi \lambda \hat{\omega}_{5})$ universal. Universal sentences, in turn, are divided according to the second criterion into undetermined $(\dot{a} \pi \rho o \sigma \partial_i \phi_i \sigma \tau \sigma_i)$ and determined

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(προσδιωρισμένοι). Determined sentences, then, are divided into general (καθόλου) and particular (μερικαί) (90,1-4). The term καθόλου here indicates not that the subject is a universal term, but rather that the predicate is attributed to all the individuals included under the subject, in other words that it is predicated in a general way (ώς καθόλου); the adjective μερική on the other hand indicates that the predicate is attributed to only a part of the individuals included under the subject, or that it is predicated in a particular way (ώς μερικαί) (90,5-10). Thus Ammonius obtains the following division:



There are thus four species of sentences: singular, undetermined, general and particular. Ammonius concludes that there are just as many species of sentence-oppositions (90,5-10):

opposition of singular sentences.
 Ex: Socrates is walking - Socrates is not walking.
 opposition of undetermined sentences.

Ex: Man is walking - man is not walking.

3. opposition of general sentences.
Ex: Every man is walking - every man is not walking;

no man is walking.

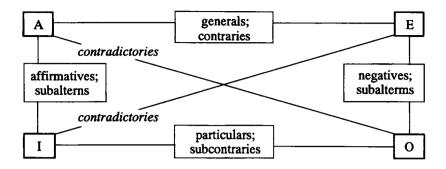
4. opposition of particular sentences.

Ex: Some man is walking - some man is not walking; - not every man is walking.

The third and fourth oppositions together form what is called the 'square of opposition', which is found first in the $\Pi \epsilon \rho i \epsilon \rho \mu \eta \nu \epsilon i a \varsigma$ of Apuleius of Madaura,¹⁵⁶ although Ammonius and Boethius (ed. pr. 87; ed. sec. 152), probably following Porphyry, have given it its definitive form. Replacing sentences given in the examples with the letters A, E, I, O, as has been customary since medieval times, here is the square as found at *in Int.* 93,10-18:¹⁵⁷

¹⁵⁶ Cp. D. Londey and C. Johanson 1987, 86; J.-M. Flamand 1989, 304-307.

¹⁵⁷ For a history of the square of oppositions, cp. A. Lumpe 1982 and W.L. Gombocz 1988.



We find the same species of sentences in Aristotle (*Int.* 17b16-34), who also arranges them in four pairs of opposites. But the list of the four pairs is different from Ammonius'. In Aristotle the two pairs of sentences on the diagonals (called simply 'the diagonals' by Ammonius), which in Ammonius' commentary¹⁵⁸ do not count as pairs of opposites, are in effect treated as a species of opposites. Subcontraries, on the other hand, which in Ammonius are treated as a fourth species, are excluded from Aristotle's list. This is because Ammonius strictly applies his definition of a pair of opposites which, as we have seen, is based on their lexico-grammatical relations, while Aristotle, if we follow Ackrill's interpretation (1963,129-30), sets up a list of opposite pairs according to their logical relations. He is, however, not very consistent in his procedure including in his list the undetermined sentences as contradictorily opposed, even though the members of such a pair are sometimes both true, as he himself stresses.

Contrary to Ackrill, Weidemann 1994, 202-3 holds that Aristotle establishes his list on purely grammatical grounds. He maintains that the species of opposite pairs are constituted according to the rule that 'both members of the pair have the same subject and the same predicate and one is affirmative and the other negative.' But according to this rule, which is nowhere stated in Aristotle, the subcontraries should also be included in Aristotle's list—which is not the case. For his interpretation, Weidemann can cite the passage in the *Prior Analytics* (II.15, 63b23-8) in which Aristotle explicitly lists four pairs of opposite sentences according to grammatical form ($\kappa a \tau a \tau \eta \nu \lambda \dot{\epsilon} \xi_{I} \varepsilon$). The subcontraries, which Aristotle says are 'opposed only in their expression' [$\lambda \dot{\epsilon} \xi_{I} \varepsilon_{I}$], are in fact included in this list, which only contains sentences of the square of opposition.

It must be noted, however, that the rule Weidemann ascribes to Aristotle is not as strong and logical as that of Ammonius. Ammonius not only requires that the subject and predicate of the two sides of a pair be identical and that one be affirmative and the other negative, but also that the sign of negation be attached to the predicate and the sign of quantification be attached to the subject. If this rule is strictly applied, the pairs of opposites ought to be formulated according to the

¹⁵⁸ It must be noted, however, that in his commentary on chapter 9 (*In Int.* 129,31-2) Ammonius, here following Aristotle, actually includes the diagonals, instead of generals and particulars, among the species of sentence-oppositions.

list given on page 139 (making sure that only the sentences of the first line figure under the headings 3 and 4). One can see immediately that only general and particular sentences satisfy this rule, while the diagonals do not have the same expression in the subject position.

Paragraph 6

(3) It remains to be seen how Ammonius classifies sentences according to differences in their predicates. In his procedure, he only takes into consideration one aspect of the predicate: the fact that the predicate always cosignifies time. He thus gets three species of sentences: those in the past tense, those in the present tense, and those in the future tense. This classification is also based on a grammatical criterion, although Ammonius sets aside further tense-distinctions mentioned by Greek grammarians.¹⁵⁹

It is interesting to note how Ammonius benefits from the results of his tripartite classification of sentences for working out the number of species of opposition pairs. Counting three species according to the modal division, four according to quantity and three according to verbal tense, one arrives at 36 species of opposition pairs, a figure that doubles if one considers that the subject is either determined or undetermined (90,21-91,30).

Paragraphs 7-17

(c) The last part of the commentary on the first lemma of chapter 7 (91,4-101,9) is devoted to determining the logical relations between sentences, relations that form the basis of the different species of opposition and that are partly represented in the square of opposition. Two points in the text of Ammonius are important for understanding his commentary on chapter 9:

1. Ammonius already includes what is going to be at stake in chapter 9, in the context of themes found in the last part of chapter 7: "Everyone agrees that singular sentences are opposed <to each other> in the manner of contradiction (although taken in the future tense they give rise to a certain $\dot{a}\pi\sigma\rho/a$ that Aristotle goes on to explain and resolve in what follows [ch. 9])" (91,10-13). It is particularly interesting that the subject of chapter 9 should be presented here as an $\dot{a}\pi\sigma\rho/a$. As Seel 1993 suggests, following the Stoic conception (which certainly influenced Ammonius), an $\dot{a}\pi\sigma\rho/a$ is a set of sentences, each of which is evident at first glance, but which together are incompatible. Thus an $\dot{a}\pi\sigma\rho/a$ calls for a resolution ($\lambda \omega \sigma \eta$) that involves either showing that there is no incompatibility between the sentences or proving that at least one of the sentences is false and restoring coherence by replacing it with a true one. If according to Ammonius the subject of chapter 9 amounts to an $\dot{a}\pi o \rho i a$, we should expect him to point out the sentences of the $\dot{a}\pi o \rho i a$, analyze the proof that these sentences are incompatible, and explain how Aristotle goes on to resolve the $\dot{a}\pi o \rho i a$.

2. In determining the logical relations among sentences, Ammonius makes use of a method of analysis not mentioned in Aristotle, at least not in chapter 7. In fact, in order to decide if for a given species of sentence pairs the two sentences have different truth values or are true or false together, Ammonius asks how these sentences behave in the different modal domains. If, for example, the members of a pair are both *de facto* true in a certain modal domain, he concludes that the members of the given species can be true together; but if they are not both true in any modal domain, he concludes they are incapable of this. The same method is later applied in the commentary on chapter 9, where it proves just as fruitful.

Let us first see how Ammonius determines the logical relations between the different species of sentences that he goes on to distinguish. We must note at the outset that, just as Aristotle does, Ammonius disposes only of an incomplete technical terminology for designating these relations. Furthermore these terms are used ambiguously, sometimes referring to the logical relation, and sometimes to the pair of sentences tied by the relation. Further, Ammonius is familiar only with the technical terms for the contradiction and contrariety relations, for which he also gives a truth-functional definition. The other logical relations are not named, but are presented indirectly through the set of truth values that characterize them.¹⁶⁰

First we shall analyze how Ammonius defines the relations of contradiction and of contrariety:

(1) To designate the contradiction relation Ammonius uses the following terms taken from Aristotle: $\dot{a}\nu\tau i\phi a\sigma_{1\varsigma}$, $\dot{a}\nu\tau i\phi a\tau_{1\kappa}\hat{\omega}_{\varsigma}$, $\dot{a}\nu\tau i\kappa\hat{c}\hat{\sigma}\sigma a_{1}$, $\dot{a}\nu\tau i\phi \dot{a}\nu a_{2}$. But it is odd that, unlike Aristotle, who at *Int*. 17a31-7 introduced the term $\dot{a}\nu\tau i\phi a\sigma_{1\varsigma}$ to denote the pair of contradictorily opposite sentences, Ammonius uses this term most often to denote the *logical relation* present in such a pair (though he also uses the term with the meaning found in Aristotle).

In commenting on *Int.* 17a31-7, Ammonius defines contradiction several times (*In Int.* 81,14-16; 83,3-5; 84,4-6; cp. also 91,18-19). The most complete of these definitions is the first. '[Contradiction] is the conflict $[\mu \dot{\alpha} \chi \eta]$ between an affirmative and a negative sentence which always divide the true and false

H. Weidemann 1944, 205 is wrong in supposing that Ammonius uses the terms $\dot{\nu}\pi\epsilon\nu\alpha\nu\tau i\sigma$ and $\dot{\nu}\pi\dot{\alpha}\lambda\lambda\eta\lambda\sigma$ to designate the logical relations of non-exclusive disjunction and implication. As can be shown at *In Int.* 92,21-2 and 24-6, these terms indicate 'subcontraries' and 'subalterns' not because of their logical relation, but entirely due to their position in the design of the logical square, i.e. due to topological considerations. It is, however, interesting to note, that Aristotle already used the term 'subcontrary' to designate sentences that can be true together, but cannot be false together (cp. *GC* 1.7 323b2, b16), though there is no hint that he used the topological tool of the square of oppositions.

between them, so that if one of them is false the other is true, and vice versa'.¹⁶¹ One can derive from this definition the following rules:

$$\begin{array}{ll} T(16) & N\{(T[Cp] \leftrightarrow F[C\sim p]) \bullet (F[Cp] \leftrightarrow T[C\sim p])\} \\ T(13) & N\{(T[Cp] \bullet F[C\sim p]) \succ (F[Cp] \bullet T[C\sim p])\} \end{array}$$

T(13) is the formula made explicit at *In Int.* 121,22-3 where Ammonius, referring to the definitions Aristotle gives for contradiction in the *Analytics (An. Post.* 1.2, 72a12) and in the *Categories* (13a37), explains that according to Aristotle contradiction is unique among oppositions, because only with contradictories is it necessarily the case that one is true and the other false. T(13) logically follows from T(16) and from the principle of bivalence, formulated at *In Int.* 80,24-6, saying that a statement is either true or false. Ammonius clearly means by this that no other truth value can be assigned to it:

$$T(10) \qquad N\{(T[Cp] \rightarrow \forall F[Cp]) \bullet (T[C \neg p] \rightarrow \forall F[C \neg p])\}$$

T(13) is equivalent to the following law:

 $T(11) \qquad N\{(T[Cp] \rightarrow \prec T[C \sim p]) \bullet (F[Cp] \rightarrow \prec F[C \sim p])\}$

T(13) and T(11) are both confirmed by In Int. 82,26-8 and especially by 123,15-18. In the latter passage Ammonius is commenting on Int. 17b38-18a12 and stressing that, according to Aristotle, for each affirmative sentence there is only one negative sentence, which is opposed to it as a contradictory.

The fact that, in his commentary on chapters 6, 7 and 8, Ammonius holds T(10), T(11), T(13) and T(16) is crucially important for understanding what he says on chapter 9 of *De Interpretatione*. For one can scarcely see how he could, without contradicting himself, assent to these principles and also—in what concerns SFCSs—adhere to the traditional interpretation.

(2) For the contrariety relation Ammonius uses the terms $\dot{\epsilon}vav\tau i\omega_{\varsigma}$ $\dot{a}v\tau i\kappa\epsilon i\sigma\theta a$, $\dot{\epsilon}vav\tau iov \epsilon iva.$ A pair of statements opposed as contraries are indicated by the term $\dot{\epsilon}vav\tau ia$ ($\pi\rho\sigma\tau\dot{a}\sigma\epsilon\iota_{\varsigma}$) ('contrary sentences'). Unlike contradiction this relation is not explicitly defined by Ammonius. At *In Int.* 92,3-21, however, he offers an explication of contrary sentences that amounts to an implicit definition. In this passage he compares this type of sentence pair to pairs of contrary predicates having intermediates. Since it is impossible for two predicates of this type to be assigned at the same time to the same subject, but it is possible for neither to be assigned, it is likewise impossible that two contrary sentences be both true, but it is possible that neither is. This explication amounts to a truth-functional definition of the contrariety relation. In effect, it can be characterized by the fact that it permits every combination of truth values except for both sentences being simultaneously true.

¹⁶¹ Our translation differs somewhat from D. Blank's.

But let us come back to the third part of Ammonius commentary on the first lemma of chapter 7. He opens this part with a description of the task he intends to perform (*In Int.* 91,4-8). This involves answering three questions:

- (1) 'Which sentences among the enumerated oppositions oppose one another contradictorily and which do not?'
- (2) 'What <logical> relations do those not opposed contradictorily bear to one another?'
- (3) 'Which is the sentence that conflicts contradictorily with each of the sentences among the latter. <i.e. the sentences not contradictorily opposed to one another>?'

For his answers, he follows the order of pairs of opposed sentences established earlier.

- (1) The pair of singular sentences are contradictorily opposed; everyone is convinced of this. (There is, however, a puzzle concerning SFCSs, which Aristotle will resolve in chapter 9 (91,10-13)).
- (2) It is difficult to know the answer regarding the undetermineds before analyzing the determineds (91,13-17).
- (3) Determined sentences form the logical square already explained. Ammonius lists the following relations among the sentences in the square:
 - (a) The pair of universal sentences taken universally (=general sentences) does not form a contradiction, because these sentences are both false at once 'in contingent matter' (91,21-3). But on the other hand, since they cannot be both true at once, Ammonius designates them by the term 'contraries' (92,15-17) which here signifies the logical relation.
 - (b) The pair of particular sentences are not a contradiction because they are both true at once in contingent matter (91,30-2), but cannot both be false. Due to their position in the square 'under the contraries', Ammonius calls them $\dot{\upsilon}\pi\epsilon\nu a\nu\tau iai$, 'subcontraries'.
 - (c) The logical relation between general and particular affirmative sentences and between general and particular negative sentences (these Ammonius calls $i\pi \alpha \lambda \lambda \eta \lambda o_i$, 'subalterns') is characterized by the fact that 'if one of the general sentences is true, then the particular sentence placed under it will be true as well, insofar as it is like a part of it and is contained in it' (92,22-4); the same could be said of negative sentences as well. Since subaltern sentences can be false together, the only distribution of truth values that is excluded is the case in which the general sentence is true and the particular is false. The subalterns thus form a logical relation that can be characterized by the modern term of implication.

(d) Under (a), (b) and (c), Ammonius has answered the first two questions. It remains for him to answer the third, viz. to determine which sentences in the logical square form true contradictions. For this one doesn't have to look far: 'The particular negative sentence is contradictorily opposed to the general affirmative sentence, while the particular affirmative sentence contradicts the general negative sentence' (92,30-1).

These answers are confirmed by an analysis of the distribution of truth values in different modal 'matters'. In necessary matter the A and I sentences are true and the E and O sentences are false. But in impossible matter the latter are true and the former false. Finally, in contingent matter the two particular sentences are both true while the two general sentences are false. Thus there is no matter in which the sentences located on the diagonal would be true together or false together.

Ammonius postpones the discussion of undetermined sentences until the end of his analysis; we can consider it briefly here. This discussion is found in the commentary on the fourth lemma (Int. 17b26-37), i.e. at In Int. 110,14-112,29. Aristotle affirms here that a pair of opposite undetermined sentences are peculiar in that they 'are not contraries' (17b7-8), and that in this type of opposition, which here Aristotle for apparently grammatical reasons calls $d\nu \tau i \phi a \sigma i \varsigma$, 'it is not always the case that one sentence is true and the other false' (17b29-30).

Contemporary interpretations explain this strange conception by the fact that Aristotle considers undetermined sentences as ambiguous signifying (in the majority of cases) the same thing as particular sentences, but also (though as an exception) the same as general sentences (cp. Ackrill 1963, 129 and Weidemann 1994, 206). According to them this is the reason why he can say that undetermineds do not always divide the true and the false.¹⁶² This interpretation, however, is unacceptable because neither in the first case, where they can be true

¹⁶² This contemporary interpretation has prominent ancient precursors going back at least to Herminus, the teacher of Alexander of Aphrodisias, and Alexander himself (for the latter cp. Ammonius, In Int. 100,19-21). As Boethius, In Int. II,155,26ff (Meiser, editio secunda) explains, Herminus and Alexander used examples like 'man is rational - man is not rational' to show that in certain cases undetermined sentences are equivalent with contrary sentences. Porphyry, however, though admitting that this interpretation has "some reason" rejects it for the reason that it is not in accordance with Aristotle's text. He follows Aspasius (1st-2nd century A.D.) who showed that sometimes the negation of a predicate (e.g. non est sanus) has the same meaning as the affirmation of its contrary (e.g. aeger est). Therefore the undetermined sentences which use this kind of predicates signify contrary things. However, this does not mean that they are contrary sentences. It seems that this line of interpretation was taken by Ammonius, Boethius (ibidem ed. sec. 159,26ff; 160,12ff), Stephanus of Alexandria (6th-7th century A.D.), In Int. 28,23-36 (ed. Havduck) and the Anonymus, In Int. 45,3-46,5 (ed. Tarán).

together, nor in the second case, where they can be false together, can it be said that they divide the true and the false.

Further, the passages Weidemann uses to support his interpretation, viz. Int. 17b34-7, An. Pr. 1.4, 26a29ff., 1.7, 29a27-9, do not show that Aristotle considers undetermineds as ambiguous sentences, but rather as equivalent to particulars. Aristotle mentions, however, another conception in which the negative undetermined would be equivalent to the negative general, but he explicitly rejects it (Int. 17b34-7). This is the reason why Aristotle emphasizes that undetermineds are not contraries; in effect they are subcontraries.

Ammonius interprets Aristotle in the same manner we did. Following Porphyry (cp. 99,8-100,29), who criticized Alexander's misunderstanding of Aristotle's intentions (100,19), he shows in a long passage (111,10-113,11) that the conception according to which undetermineds are (or are capable of being) equivalent to general sentences, which had been maintained in antiquity, is erroneous, and he tries to prove that the conception (held by Aristotle) according to which undetermineds are equivalent to particulars is the correct one. But how does he explain from this supposition Aristotle's claim that undetermineds do not always divide the true and false? Do they ever divide the true and the false?

The answer Ammonius gives is more convincing than the modern interpretation. He uses his customary method of considering the truth of sentences in different modal domains. Thus he establishes that in necessary matter and in impossible matter opposite undetermineds are both true. This is what Aristotle intends to express when he claims that they do not always divide the true and the false. According to Ammonius 'not always' means 'not in all the modal matters'.

Aristotle's introduction of pairs of opposite undetermineds has incited vigorous criticism from modern interpreters and commentators (cp. Brandt 1965, 71, Ackrill 1963, 129 and Weidemann 1994, 206-7). Aristotle is especially criticized for using the term avridary ('contradiction') for such a pair and hence disregarding the definition he gave for this term in chapter 6. Ammonius in his commentary tries to protect Aristotle from all criticism. Regarding the claim that Aristotle, in calling the opposition of undetermineds artifaaric, goes against his definition of the term, a claim apparently made in antiquity, Ammonius asserts (121,29-34) that this term has two senses: first, a more restricted sense which is more in line with the definitions given in the Categories and Analytics, and secondly a broader sense meaning 'merely any opposition of affirmative to negative sentences which have the same subject and predicate.' One can see that this second sense corresponds to the definition of $\dot{a}\nu\tau i\theta\epsilon\sigma\mu$ ('opposition') according to the $\lambda\epsilon\xi\mu$. that we have discussed earlier. Thus Ammonius defends Aristotle against those accusing him of contradicting himself by stressing that when Aristotle denies that every artibasic has one side true and the other false, he is referring to the lexical sense of the term rather than the logical. This point is important for understanding the commentary he gives on the beginning of chapter 9.

IV.3 Commentary on Chapter 9

Lemma 1 (18a28-34)

This first lemma is only six lines long, but Ammonius' commentary on it takes up nearly half his text concerning chapter 9. This is due to the fact, already mentioned, that in his commentary Ammonius not only wants to present the thought of Aristotle, but also intends to introduce views he holds regarding the problems treated by the Stagirite.

The commentary on the first lemma includes no fewer than twelve paragraphs. The structure of the text is as follows. In paragraphs 1 and 2, Ammonius stresses the link between chapter 9 of *De Interpretatione* and earlier chapters, especially chapter 7, which includes the theory outlining the division of sentence-oppositions that is presupposed in chapter 9.

The commentary specifically devoted to the first lemma is found in paragraph 3. In paragraph 4, Ammonius explains the importance of the question discussed in the lemma for all philosophy and particularly for moral philosophy.

The object of paragraphs 5-11 is to explain and refute two arguments for universal necessitarianism. These arguments are not found in Aristotle's text and relate to it only in a general way.

In paragraph 12, Ammonius returns to the text of Aristotle and restates the commentary given in paragraph 3 in the light of the conclusions of paragraphs 5-11. This may reveal the original division of Ammonius lectures into ' $\theta \epsilon \omega \rho i a$ ' and ' $\lambda \epsilon \xi_{15}$ ', paragraph 12 corresponding to the ' $\lambda \epsilon \xi_{15}$ ' i.e. explanation of the text of Aristotle.¹⁶³

Before explaining in detail how Ammonius understands the first lines of chapter 9, we will sketch the interpretation of Aristotle's text that prevails today. This will throw the singularity of Ammonius's procedure into greater relief.

Most current interpretations (cp. H. Weidemann 1994, 225-6, J. Ackrill 1963, 133) treat the formulation of the fundamental logical principle in *Int*.18a28-9 as ambiguous: Aristotle either means that necessarily for two contradictory sentences one is true and the other false—

 $T(13) \qquad N\{(T[Cp] \bullet F[C \sim p]) \rightarrow \langle (F[Cp] \bullet T[C \sim p])\},\$

$$\Gamma(11) \qquad N\{(T[Cp] \rightarrow T[C-p]) \bullet (F[Cp] \rightarrow F[C-p])\}$$

----or that each must be true or false, i.e. that each necessarily possesses one of two truth values:

¹⁶³ Cp. D. Blank 1996, 2.

 $T(10) \qquad N\{(T[Cp] \rightarrow (F[Cp]) \bullet (T[C-p] \rightarrow (F[C-p]))\}.$

The standard interpretation (cp. H. Weidemann 1994, 226, J. Ackrill 1963, 136, D. Frede 1970, 9-12) gives preference to the latter interpretation arguing as follows: Aristotle says at 18a28-9 that the principle in question is valid for all sentences concerning the present and past. He then (18a29-33) turns to a review of the different sorts of sentences falling under this class, i.e. the universal, the singular and the undetermined sentences, and determines for each sort of pairs of opposites whether the two sentences divide the true and the false. He says that universals (he must mean along each diagonal) and singulars always have one sentence true and the other false, while for undetermineds this is not necessarily so. Consequently, the principle stated at 18a28-9 cannot be the same as the principle formulated in 18a29-33, the first being valid for all assertoric sentences and the last only for universal and singular sentences. Therefore 18a28-9 must be referring to T(10), while 18a29-33 contains T(13) or T(11). As a result, the principle whose validity Aristotle denies for SFCSs at 18a33 must also be T(10). Thus the standard interpretation finds its first confirmation in a reading of the first passage of chapter 9. This reading, however, has been called into question by the supporters of the non-standard interpretation (cp. G. Fine 1984, 38-40, 46 note 44. L. Judson 1988, 9-10), which hold that the two passages refer exactly to the same principle, i.e. to T(11) or T(13). Therefore this must be the principle stated at 18a28-9, whose validity Aristotle denies at 18a33 for SFCSs.

Concerning this controversy it must be noted, however, that according to classical propositional logic T(10) and T(11) are equivalent because negation is defined as an operator that changes the truth value of a proposition from true to false and from false to true. It is only due to the unfortunate subsumption of the pair of undetermined opposites under the genus $\Delta rrip \Delta \sigma eig$, 'contradictories', which as we've seen is done for purely lexical reasons, that Aristotle can deny that T(11) is valid for all $\Delta rrip \Delta \sigma eig$. But this does not mean that he denies the validity of T(11) for all $\Delta rrip \Delta \sigma eig$ formed according to the principle that one sentence affirms what the other denies. Thus it seems to us impossible to end the controversy between the standard and non-standard interpretations solely on the basis of the first passage of chapter 9.

In this context, it is interesting to point out that Ammonius considers—he stresses this as early as the first paragraph—that the problem of chapter 9 is to determine whether the pair of opposite SFCSs divide the truth values, as principle T(11) intends. Principle T(10), on the contrary, is not even mentioned. To this extent, already here he shows himself close to the non-standard interpretation.

Paragraph 1

This paragraph serves as a preparation for what follows. It is divided into two parts.

(a) (128,21-30). In this passage Ammonius establishes the link between the main topic of chapter 9 and what Aristotle has explained in chapter 7. He explains correctly that Aristotle introduces here a division of sentences according to time which is a consequence of the fact that the verb signifies time, and a division of sentences according to differences in subject. (For details of this theory see our interpretation of Ammonius' commentary on chapter 7 above.)

(b) (128,30-129,4). Ammonius at first takes up the list of species of pairs of opposite sentences found in Aristotle (*Int.* 18a29-33), such as the two diagonals, the pair of undetermineds and the pair of singular sentences. This has nothing to do with the list of four species of oppositions he himself established in his commentary on chapter 7 (cp. 90,5-10 and our commentary on this, p.139) applying strictly lexico-grammatical criteria, but is the list of pairs of opposites that, according to Aristotle, constitute $\dot{a}\nu\tau\iota\phi\dot{a}\sigma\epsilon\iota\varsigma$, 'contradictories'. The term $\dot{a}\nu\tau\iota\theta\epsilon\sigma\iota\varsigma$ 'opposition' therefore means in this context 'contradictory opposition' and not as usually 'grammatical opposition'. It may be disturbing that Ammonius includes in his list the undetermineds as well despite the fact that he has recognized in his commentary on chapter 7 that they carry the name $\dot{a}\nu\tau\iota\phi\dot{a}\sigma\epsilon\iota\varsigma$ only for grammatical reasons. But he certainly does so in order to accord with Aristotle's text.

Next he specifies in which of the four species of oppositions time plays an important role, viz. in determining whether the sentences in each opposition divide the truth values (one true, the other false). Ammonius attributes to Aristotle the claim that, in regard to the division of truth values, the first three species always behave in the same way—regardless of time. The only case for which time makes a difference is the case of singular sentences. But contrary to what Ammonius says, this claim is not explicitly stated in Aristotle's text. Nor does it square with Aristotle's procedure in the passage in which the species of oppositions are quite secondary, whereas the contrast between the present or past ($\epsilon \pi i \ \mu \epsilon \nu$, 18a28) and the future ($\epsilon \pi i \ \delta \epsilon$, 18a33) plays a pivotal role. It must be admitted, however, that the claim attributed to Aristotle is not foreign to what he says; on the contrary, it is its logical consequence.

Paragraph 2

Paragraph 2 outlines the behavior of 'diagonal' sentences and the opposition of undetermineds regarding the division of truth values. For this Ammonius uses the same method used in his commentary on chapter 7: he first determines the truth or falsity of these sentences in different modal matters to see whether the opposites can be true or false together or if they always divide the truth values. As far as the results of this analysis are concerned, Ammonius repeats what he said in his commentary on chapter 7. The only difference is that he strives to show that, in the three time dimensions, the three species of oppositions behave in the same way, and hence there is no reason to analyze them according to differences in time. Thus it is interesting to point out that he shows this—though

hypothetically—even for the case where the negative undetermined sentence does not signify the same thing as the negative particular, but is equivalent to the negative general—a hypothesis that, nevertheless, he rejected in his commentary on chapter 7.

Paragraph 3

The subject of this paragraph is the behavior of pairs of opposing singular sentences with respect to the division of truth values. For determining this behavior, Ammonius uses, as before, the distinction in modal matters.

Ammonius stresses this at the beginning of the paragraph (130,1-11) because the opposition of singular sentences behaves differently in different times, unlike the three species of oppositions treated in paragraph 2. This proves true, however, only for the contingent matter, not for the necessary or impossible. In the latter two, the opposition of singular sentences behaves like the diagonals, i.e. they divide the true and the false regardless of the time to which they refer, and—as Ammonius stresses—in a 'definite' ($\dot{\omega}\rho_i\sigma\mu\dot{\epsilon}\nu\omega\varsigma$) way. This expression, here encountered for the first time in Ammonius' text, we will be returning to later.

In contingent matter, the singular sentences behave in the same fashion, but only when they are about the present or past. The interesting case is the opposition of singular sentences regarding a future and contingent state of affairs. Ammonius develops Aristotle's claim on the subject saying that these sentences also divide the true and the false, but in a different way. For the latter he later will use the technical term 'in an infinite way' ($\dot{a}o\rho i\sigma\tau\omega\varsigma$). This is the meaning he gives to Aristotle's phrase at 18a33-4: $\dot{\epsilon}\pi i \, \partial \dot{\epsilon} \tau \omega\nu \kappa a \theta^* \, \ddot{\epsilon}\kappa a\sigma\tau a \, \kappa a i \, \mu \epsilon \lambda \lambda \dot{o}\nu \tau \omega \nu \, o \dot{v}\chi \, \dot{o}\mu o i \omega\varsigma$ 'But in the case of future singulars it is not the same', in allusion to the passage (among others) at 19a29-b4 at the end of chapter 9.

The meaning of the expression by which Ammonius denies the 'definite division of true and false' (diaspeiv $\dot{\omega}\rho_{10}\sigma_{10}\omega_{5}\tau\dot{\sigma}\,\dot{a}\lambda\eta\theta\dot{e}_{5}\kappa a\dot{a}\tau\dot{\sigma}\,\psi_{e}\bar{v}\partial\sigma_{5})$ is not clear. It can be interpreted in accordance with either the standard or non-standard interpretation. By the former, an SFCS does not possess a truth value until the realization of the event it is about, and the term $\dot{a}\rho\rho_{10}\sigma\tau\omega_{5}$ means that the truth value it will receive is not determinate before this moment. If, on the contrary, one follows the non-standard interpretation, the term $\dot{a}\rho\rho_{10}\sigma\tau\omega_{5}$ means that an SFCS can possibly have a truth value opposite to what it *de facto* possesses. Under this hypothesis an SFCS is, at the moment of its enunciation, already true or false, but in a contingent way.¹⁶⁴

The text of paragraph 3 has been cited by defenders of the standard interpretation to show that Ammonius holds this line (D. Frede 1985, 45 note 26;

¹⁶⁴ For these distinctions, cp. the essay in this volume "In a Definite Way True". On the modalization of Truth-Values in Ammonius', where G. Seel tries to show that it is unlikely that Ammonius would be a supporter of the standard interpretation.

H. Weidemann 1993, 303; R. Gaskin 1995, 156-58). But—as G. Seel shows in the essay cited (cp. pp.241-242)—this paragraph does not offer a sufficient basis for such an interpretation.

What stands out most clearly in paragraph 3 is Ammonius' claim that Aristotle maintains that SFCSs divide their truth values, but in a different way than present or past singular statements (130,20-3). But the explication of this Ammonius gives later is compatible with the non-standard interpretation as well as the standard.

1. Ammonius says that before the moment the event the SFCS's are concerned with is actually realized, one cannot say *in a determinate way* which of the two sentences will be true and which will be false. Thus there are two possibilities for the distribution of truth values. But this does not necessarily mean that the SFCS's do not have truth values before the occurrence of the event. Ammonius only speaks of the ignorance of the speaker regarding the attribution of these values, an ignorance that can be explained by the fact that no SFCS possesses its truth value in a necessary way.¹⁶⁵

2. The future $d\lambda\eta\theta\epsilon\omega\sigma\epsilon_1/\psi\epsilon\omega\sigma\epsilon\tau a_1$, 'will be true/will be false', could be interpreted as a way of indicating the fact that no SFCS has a truth value at the moment of its enunciation, but acquires it only at the (still future) moment of the actualization of the state of affairs it is about. In fact, Richard Sorabji (1998, 11) considers this the only 'source of support' for the standard interpretation. But it is also possible that what we have here—e.g. at 130,15 and 17—is merely a rhetorical use of the future tense¹⁶⁶ that has no temporal connotation, as we find at 130,15 and 17 as well.

3. Finally, Ammonius' claim that before the occurrence of the event both its actualization and its non-actualization are possible is also compatible with both interpretations. For according to the non-standard interpretation, the fact that one of the two sentences is true and that the predicted event will be actualized does not away with the fact that another outcome of the process going on in the world is equally possible. Therefore the decision between the standard and the non-standard interpretation must be based on better reasons.

Paragraph 4

In this paragraph, Ammonius shows the importance of the issue of future contingents for all the philosophical disciplines, viz. ethics, physics, logic and metaphysics.

¹⁶⁵ R. Gaskin 1995, 157 argues that the sense of this passage cannot be merely epistemic. The argument he gives, i.e. that Ammonius has no interest in offering an epistemic reading of *Int*. 9, is, however, not very convincing.

¹⁶⁶ This use is found e.g. in Plato, Resp. II 376c. Cp. also R. Gaskin 1995, 157 note 50.

Paragraph 5

At the beginning of the paragraph, Ammonius announces the exposition and resolution of two arguments for necessitarianism. These are a) the 'Reaper' Argument which he analyses in the present paragraph and b) the argument from divine knowledge which occupies the paragraphs 6 to 10. Ammonius characterises the first as 'based on the meaning of words' and the latter as 'more based on the nature of the things'. Neither argument is found in Aristotle.¹⁶⁷ This shows how much the commentary on Aristotle's text is a welcome opportunity to Ammonius to deal with necessitarianism quite generally and to offer an overall refutation of the arguments for necessitarianism found in Aristotle's text or elsewhere.¹⁶⁸

The 'Reaper' Argument¹⁶⁹ (along with the arguments reported by Aristotle in Int. 9 and the 'Master' Argument) is one of the famous demonstrations of necessitarianism developed in ancient philosophy, probably among the school of Dialecticians.¹⁷⁰ It is in our text that one finds its most complete and probably also most authentic version. The two other sources of the text are (a) the commentary of Stephanus of Alexandria on Int. (Stephani in librum Aristotelis de Interpretatione commentarium, ed. Hayduck, Berlin 1885, 34,34-35,10); and (b) the commentary of an anonymous Neoplatonist (Anonymi commentarius in Aristotelis de Interpretatione, ed. L. Tarán under the title Anonymous commentary on Aristotle's De Interpretatione [codex parisinus graecus 2064], Meisenheim am Glan 1978, 54,8-55,5 FDS 1253). Cicero, De Fato 21 very likely contains indirect testimony of the Reaper Argument since the reasoning there that 'preoccupied Epicurus' corresponds to the version given by Stephanus.

Ammonius presents the argument as an $\dot{a}\pi\sigma\rho ia$ (131,20),¹⁷¹ others place it in the class of sophisms ($\sigma\sigma\phi i\sigma\mu a\tau a$).¹⁷² As said in our Introduction, for Hellenistic philosophers an $\dot{a}\pi\sigma\rho ia$ is a set of sentences, each evidently true by itself, but incompatible together. A sophism, on the other hand, is an apparently sound argument that has as its conclusion a sentence whose contradiction is evident.¹⁷³ For the Dialecticians and the Stoics, $\dot{a}\pi\sigma\rho iai$ and sophisms were the subject of an

¹⁶⁷ J. Vuillemin 1984, 157, note 11—wrongly—considers Ammonius' characterisation as referring to the two arguments for necessitarianism found in Aristotle.

¹⁶⁸ Therefore R. Sorabji 1998, 3—rightly—calls Ammonius' commentary 'a treatise on determinism'.

¹⁶⁹ A detailed analysis of the argument is found in G. Seel 1993.

¹⁷⁰ Cp. A. Long and D. Sedley 1987, 234: 'The mowing argument, a clearly deterministic argument, issuing from Diodorus' dialectical school, which they apparently treated as a companion piece to the Master Argument' Cp. also G. Seel 1993.

¹⁷¹ In his opusculum 'Συμπόσιον η Λαπίθαι' Lucian mentions the 'reaper' together with the 'horned' and the 'sorites' as exemples of an ἀπορία (Symposium 23 [vol.1 p.153 MacLeod]; FDS 1208).

¹⁷² Cp. Diogenes Laertius, 7.44.

¹⁷³ Concerning the Stoic definitions of ἀπορία and sophism, and their relation, cp. G. Seel 1993, who explains why the 'Reaper' was placed in these two classes.

endeavor they called $\lambda \dot{\nu}\sigma \iota \varsigma$, 'solution,' which involved, in the case of $\dot{a}\pi o\rho i a$, showing that one of the conflicting sentences is false and, in the case of sophism, discovering the error made in deducing the false conclusion. In following this tradition, Ammonius strives to highlight the error made in the Reaper Argument and to show that the conclusion's contrary must be accepted. Nevertheless, he is wrong to consider this problem so easily solved (131,32). For one thing, such an easy solution contrasts sharply with the reputation the argument had in Antiquity, a reputation best illustrated by the story told by Diogenes Laertius (VII,25; *FDS* 107), that, in order to learn this argument from a certain dialectician, Zeno was ready to pay him double the price he was charging. It would be unwise, therefore, to underestimate the force of the argument by presenting it as a paralogism whose falsity is blindingly obvious.¹⁷⁴

The argument is a two stage chain of syllogisms: (1) The first stage is found in the lines 131,25-31. It has the form of a syllogism involving two major premises P(I) and P(II) constructed in parallel (131,25-7), a minor premise P(III) introduced by an $\dot{\alpha}\lambda\lambda\dot{\alpha}\ \mu\dot{\eta}\nu$, 'but in fact...' (131,27-8), and a conclusion C(I) (131,28). The lines 131,28-31 give an explication of the resulting transition from premises to conclusion. (2) The conclusion of the first stage then forms the minor premise of the second stage, whose major premise is found in 131,31, and whose conclusion C(II) is reached in 131,31-2.

The interpretation we give of the argument calls for the following remarks:

(a) Ammonius' reasoning concerns a concrete example, viz. a peasant beginning to sow in the spring who is in a state of uncertainty as to whether he will reap in the autumn. The example is well chosen because it is in such a case that the hypothesis at issue, i.e. that a future event is contingent, is most likely true. If, then, one succeeds in proving the necessity of the future event even in this case, then *a fortiori* the contingency of any future event is refuted. Thus the argument about the reaper turns out to be a proof for universal necessitarianism, and it has always rightly been considered as such.

(b) Modern modal and temporal logic¹⁷⁵ customarily uses double temporal indexation, one index bearing on the modal operator, the other on the state of affairs in question. This clarification enables one to avoid the ambiguities that often confuse the discussion of determinism. The ancients, however, despite the fact they were not unaware of these distinctions, were unable to make use of this technique in formulating modal statements, and were generally content to use finite verbs (like ivdicerai, 'it is possible...') with an infinitive, or nominal expressions (like ivarykajkog, 'necessarily'). Thus the use of these expressions by

¹⁷⁴ In R. Sorabji's reconstruction (1998, 4-5) the argument appears to be a plain fallacy resulting from the ambiguity of the term 'rága', though that ambiguity is not easy to discover.

¹⁷⁵ Cp. N. Rescher and A. Urquhart 1971; C.E. Hughes and M.J. Cresswell 1968; A.N. Prior 1957 and 1967. For the application of this procedure in the interpretation of Aristotle's theory of modalities see G. Seel 1982a, 190-256.

Ammonius does not allow us to know with certainty to which period of time or moment the modal operator and the state of affairs are meant to be related. This requires us to consider several possible interpretations each time they are used.

(c) One peculiarity of the argument is that to indicate modal operators two expressions are used that are rarely found in the context of modal theory, the adverbs $\tau \dot{a} \gamma a$ and $\pi \dot{a} \gamma \tau \omega c$. Interpreting these two words poses a problem. According to Liddell & Scott, the adverb raza is used 'to express any sort of contingency from probability to bare possibility'. According to this explanation, the word raza with a finite verb can be considered equivalent to the finite form of ένδέχεσθαι with an infinitive. If the adverb τάχα expresses contingency, the opposite adverb $\pi \dot{a}\nu\tau\omega\varsigma$ can only indicate the necessity of the given event. There is, however, still another possibility for interpreting these two adverbs. As confirmed in a passage of Sextus Empiricus (P. I 194-5), the adverb raza serves to express the uncertainty (subjective or objective) as to the realization of a future state of affairs (ibid. 195). Consequently the opposite word ($\pi \alpha \nu \tau \omega c$) expresses (subjective or objective) certainty concerning this event. If the context in which Ammonius uses these words is considered, one realizes that the first interpretation would render the Reaper Argument unimportant and its articulation in two stages useless since the argument's conclusion would be trivial and already reached at the end of the first stage. This is why we hold the second interpretation, taking the adverb $\tau \dot{a} \gamma a$ as an expression of the objective state of indecision¹⁷⁶ about the issue of a process, and the adverb $\pi \dot{a}\nu\tau\omega\varsigma$ as an expression of the opposite state, i.e. where the issue is decided no matter what else happens.¹⁷⁷

First Stage

From what we said above about the character of aporias and sophisms, it is clear that the premises of the argument should be formulated in such a way that, though they are untrue, they could be mistaken for true sentences. Let us first consider the two parallel premises P(I) and P(II), which are found in lines 131,25-7.

¹⁷⁶ Cp. M. Mignucci in this volume, 264ff.

¹⁷⁷ R. Sorabji 1998, 4-5 gives a different interpretation of the meaning of $\tau \dot{\alpha} \varkappa \alpha$ and $\pi \dot{\alpha} \nu \tau \omega \varsigma$. He thinks that both terms are ambiguous. The former can be used either to make a 'guarded statement' about a future event, or to state a present possibility. Consequently, the latter either serves to state something without any guard or expresses the necessity of an event. According to R. Sorabji the author of the argument takes advantage of this ambiguity to pass from the denial of a guarded statement to the affirmation of necessity. According to our interpretation, however, the argument does not simply exploit an ambiguity of the terms it uses, but is a serious proof of determinism and necessitarianism. R. Gaskin 1995, 353-54 also tries to determine the meaning of the terms involved in the 'Reaper'-Argument concentrating, though, his task on the meaning of $\pi \dot{\alpha} \nu \tau \omega \varsigma$. He thinks that it either 'simply reinforces' the future statement, without modalising it, or records the necessity of the future event. However, he avoids deciding this alternative.

By our interpretation,¹⁷⁸ P(I) says: 'If you are going to reap, it is not undecided whether you will reap or won't reap; it is decided that you will reap.' P(II) says: 'If you are not going to reap, it is not undecided whether you will reap or won't reap; it is decided that you won't reap.' Here our interpretation of $\tau \alpha \varkappa \alpha$ and $\pi \alpha \varkappa \tau \omega \varsigma$ proves convincing. By the semantics we are adopting, it *prima facie* seems unacceptable to use at the same time and with the same subject the indicative alone and the indicative with $\tau \alpha \varkappa \alpha$. Now, the *antecedens* of P(I) poses the hypothesis that someone is going to reap. Under this hypothesis, one cannot say it is undecided whether he will reap or not, but one is obliged to say it is decided that he will reap. A similar account applies to P(II). The two premises thus are deemed analytically true as a function of the semantics of the expressions used. If, on the other hand, $\tau \alpha \varkappa \alpha$ and $\pi \alpha \varkappa \tau \omega \varsigma$ were assumed to indicate contingency and necessity, P(I) and P(II) would be very strong synthetic affirmations, which adversaries of determinism would be little disposed to accept.

The problem mentioned in (b) still remains to be solved. In fact, we don't know whether the expression 'you are going to reap' must be read as (i) 'it is now a fact that you will be reaping at a given future moment'; or (ii) 'it will be a fact at a given moment in the future that you are reaping at that very moment in the future.' In the first case, the premise P(I) is read thus:¹⁷⁹

 $C_m C_{tr}$: it is now a fact that you will be reaping at the future moment tf

¹⁷⁸ Our interpretation differs from the (neutral!) translation given in our presentation of the text.

¹⁷⁹ In our formalization, 'tn' indicates the present moment, 'tf' indicates a certain instant in the future. The symbol 'r' represents the state of affairs 'you are reaping'. Consequently, the expressions ' $C_m C_n t$ ', ' $U_m C_n t$ ', etc. do not represent propositions in the modern sense, but rather statements, which in their logical properties resemble the *afjimuara* of the Stoics. Thus the symbols for logical connectives represent not so much modern connectives as those of Stoic logic. We use the following expressions in the senses indicated:

 $C_{tr}C_{tr}r$: it will be a fact at the future moment tf that you will be reaping at the moment tf

 U_mC_nr : it is now undecided whether you will be reaping at the future moment tf

 $U_{tr}C_{tr}$: it will be undecided at the future moment tf whether you will be reaping at the moment tf

 $D_{tn}C_{tr}$: it is now decided that you will be reaping at the future moment tf

 D_tC_tr : it will be decided at future moment t that you will be reaping at the moment tf

K_mC_{uf}: it is now possible but not necessary (contingent) that you will be reaping at the future moment tf

KuCut: it will be possible but not necessary (contingent) that you will be reaping at the future moment tf

 $N_m C_{tf}$: it is now necessary that you will be reaping at the future moment tf

 $N_{tt}C_{tt}$: it will be necessary at the future moment tf that you will be reaping at moment tf.

$$P(Ia) \qquad C_m C_{tf} r \rightarrow [\neg (U_m C_{tf} r \bullet U_m C_{tf} \sim r) \bullet D_m C_{tf} r]^{130}$$

With the other reading, we obtain:

$$P(Ib) \qquad C_{tt}C_{tt} r \rightarrow [\neg (U_{tt}C_{tt} r \bullet U_{tt}C_{tt} \sim r) \bullet D_{tt}C_{tt} r]$$

The text itself does not permit us to decide between these. But if we consider the point of the argument, everything favors the first possibility. For with the reading (1b), the premise I is surely true analytically, but it is difficult to see how any deterministic consequences flow from it. Moreover, with this reading, it is difficult to understand why the author would have chosen the future tense instead of the present. With reading (1a), on the other hand, this choice is perfectly understandable: it is only about future events that one can reasonably ask whether or not their realization has already been decided at the present moment. Regarding this question, then, the first premise says that, if the future realization of the event is already a fact, the decision about its future realization now has already occurred. This claim, as we shall see again, has deterministic consequences. Moreover, there are semantic reasons that urge to accept it. This is why we prefer the reading P(Ia).

The same reasons are valid for the second premise, which we formulate thus:

$$P(IIa) \qquad C_{tt}C_{tt} \sim r \rightarrow [\neg (U_{tt}C_{tt} r \bullet U_{tt}C_{tt} \sim r) \bullet D_{tt}C_{tt} \sim r]$$

The third premise presents the same difficulties with regard to the temporal index. Here also we see two possible readings:

P(IIIa)
$$N(C_mC_t r \rightarrow C_mC_t \sim r)$$
 or
P(IIIb) $N(C_t C_t r \rightarrow C_t \sim C_t \sim r)$

But arguments similar to those that led us to choose P(Ia) and P(IIa) favor P(IIIa). To be sure, P(IIIb) is not to be confused with $C_{tt}C_{tt} r \rightarrow \neg C_{tt}C_{tt} r$, which is a law of propositional logic and thus analytically true. But it is equivalent to this. Consequently, P(IIIb) is analytically true. It presents, however, a claim that is too weak to rest a demonstration of determinism on it. P(IIIa), on the other hand, is neither equivalent to $C_{tt} c_{tt} r \rightarrow \neg C_{tt} C_{tt} r$ nor can it be deduced from this tautology. Furthermore it contains a principle that is strong enough to give, along with P(Ia) and P(IIa) as supplementary premises, consequences that are deterministic. This is why we prefer P(IIIa). Moreover it is sufficiently evident at first glance to figure in an $\dot{\alpha}\pi\sigma\rho ia$. Among the ancients, Aristotle—always according to the standard interpretation—and Epicurus¹⁸¹ seem to be the only ones to have refuted it. Ammonius and the anonymous commentator have undoubtedly accepted it because they did not question it in their refutation of the 'Reaper' Argument. On

¹⁸⁰ The text also admits of the following reading for P(Ia): $C_m C_t t^r \rightarrow [\neg U_m C_t t^r \bullet \neg U_m C_t r^r \bullet D_m C_t t^r]$ P(Ia) can also be changed into a conjunction of two implications: $C_m C_t t^r \rightarrow \neg (U_m C_t t^r \bullet U_m C_t r^r) \bullet C_m C_t t^r \rightarrow D_m C_t t^r$

¹⁸¹ Cp. Cicero, De Fato 21.

the other hand, it is not out of the question that a confusion between P(IIIa) and P(IIIb) may have favored the acceptance of P(IIIa).

After interpreting the premises in accordance with the first reading, it would be inconsistent to interpret the conclusion according to the second. As a result, we formulate it thus:

$$C(I) \qquad \neg (U_{tn}C_{tf} r \bullet U_{tn}C_{tf} \sim r)$$

The first stage of the demonstration, then, can be seen to have the following structure:

$$p \rightarrow q$$
$$p \lor r$$
$$q$$

This type of argument is relatively common in ancient literature. M. Frede 1974, 182 mentions the following passages in Sextus: P. II 186; M. VIII 281-4; 292-6; 466-9; IX 205-6. A concise explanation for the deductive strength of this type of reasoning is also found in Sextus. He says (P. II 186-7) that dogmatics use the following reasoning: 'That which follows from two contradictory statements is not only true, but necessarily true.'

Ammonius, too, seems to have felt the need to explain the structure of the argument. In fact, he gives it a very enigmatic justification (131,28-31). He seems to presuppose a kind of logical space, in which the undecided state of affairs is to be found somewhere. Next, using the premisses of the argument, he successively narrows this space until there no longer remains any place for what is undecided. The logical space he starts from is defined by P(IIIa). Thus the undecidedness of the event must be compatible with one of the alternatives $C_m C_{tf} r \rightarrow C_m C_{tf} \sim r$. But P(Ia) and P(IIa) preclude its compatibility with either of these, so the mode of undecidedness has no place any more.

One can also show that the argument is correct by following the procedure the Stoics called $\dot{a}\nu\dot{a}\lambda\nu\sigma_{1\zeta}$, i.e. its reduction to Stoic indemonstrables. This has been done in regard to its general form by M. Frede 1974, 187. Thus the formal validity of the first stage of the 'Reaper' Argument cannot be doubted.

Second stage

The conclusion of the first stage, namely, the claim that it is now already decided whether or not you will be reaping, is not identical to the conclusion the author wants to lead us to, namely, the claim that there is no contingent event. To pass from one to the other, a supplementary principle is needed that establishes the logical relation between undecidedness and contingency. This principle is formulated in the brief remark (131,31) that it was the word 'perhaps' that introduced contingency. The meaning of this remark is far from clear. We see three possibilities for interpreting it:

$$\begin{array}{ll} P(IVa) & (U_{tn}C_{tf} r \bullet U_{tn}C_{tf} \sim r) \leftrightarrow (K_{tn}C_{tf} r \bullet K_{tn}C_{tf} \sim r) \\ P(IVb) & (U_{tn}C_{tf} r \bullet U_{tn}C_{tf} \sim r) \rightarrow (K_{tn}C_{tf} r \bullet K_{tn}C_{tf} \sim r) \\ P(IVc) & (U_{un}C_{tf} r \bullet U_{un}C_{tf} \sim r) \leftarrow (K_{tn}C_{tf} r \bullet K_{tn}C_{tf} \sim r) \end{array}$$

P(IVb) affirms that undecidedness regarding the realization of an event presupposes the contingency of the event. This claim is no doubt true because if a future event is necessary, it is no longer open whether or not it will be realized. But this reading has the disadvantage of not permitting the deduction of the necessitarian position. In fact, the negation of the antecedent of an implication does not entail the negation of the consequent. Thus from C(I) and P(IVb) we will not obtain the conclusion, expressed in 131,31-2, that the contingency of the future event is eliminated.

The reading according to P(IVc), on the other hand, allows this conclusion to be reached quite readily in accordance with the Stoic method of the second indemonstrable. But P(IVc) has not the plausibility of P(IVb). In fact, P(IVc) says that the future event is contingent only if its realization is not yet decided. If this were true, a future contingent event would lose its contingency at the moment its realization is decided. This, however, is difficult to accept because it denies that there are any contingent facts.¹⁸²

We find ourselves, therefore, facing the following dilemma: either we hold to P(IVb) and hence deem the Reaper Argument fallacious despite its reputation in Antiquity, or else we accept P(IVc) as the sense intended in the remark at 131,31; but in this case the argument rests on a very strong assumption. Since in his refutation, Ammonius seems to accept P(IVc),¹⁸³ we hold this as the correct interpretation. With this hypothesis, we obtain the following polysyllogism as the interpretation of the Reaper Argument reported by Ammonius:

First stage	:
P(Ia)	$C_{tn}C_{tf} r \rightarrow [\neg (U_{tn}C_{tf} r \bullet U_{tn}C_{tf} \sim r) \bullet D_{tn}C_{tf} r]$
P(IIa)	$C_{tt}C_{tt} \sim r \rightarrow [\neg (U_{tt}C_{tt} r \bullet U_{tt}C_{tt} \sim r) \bullet D_{tt}C_{tt} \sim r]$
P(IIIa)	$N(C_{tn}C_{tf} r \rightarrow - C_{tn}C_{tf} \sim r)$
<u>C(I)</u>	$\neg (U_{tb}C_{tf} r \bullet U_{tb}C_{tf} \sim r)$
Second sta	age:
P(IVc)	$(U_{tn}C_{tf} r \bullet U_{tn}C_{tf} \sim r) \leftarrow (K_{tn}C_{tf} r \bullet K_{tn}C_{tf} \sim r)$
C(I)	$\neg (U_{tn}C_{tf} \mathbf{r} \bullet U_{tn}C_{tf} \sim \mathbf{r})$

 $[\]overline{C(II)} \neg (K_{ta}C_{tf} r \bullet K_{ta}C_{tf} \sim r)$

¹⁸² It seems that Aristotle and Ammonius maintained this claim or a claim that comes very close to it. For both accepted the principle of necessity of facts, F(04). However, they distinguish conditioned necessity according to F(04) and unconditioned necessity. In the sense of the latter there are unnecessary facts. Cp. Ammonius, *In Int* 153,32-155,8.

¹⁸³ Cp. our commentary on chapter 9, paragraph 17 below pp.186-189.

In our interpretation, the argument of the reaper is confirmed formally correct.

The first stage of the argument already is a proof of determinism according to the definition of this term given in our Introduction (cp. p.19 above). Therefore, as I have argued elsewhere,¹⁸⁴ it is not excluded that the original version consisted of the first step alone. In fact, both Diodorus Cronus and the Stoics could have accepted the first step while they had semantic reasons to reject the second. So, the second step could have been added to the first by people who wanted to show that the Stoics could not escape necessitarianism given their deterministic convictions.

Refutation

The only way to refute a formally correct argument is to raise doubts about the truth at least of one of its premises. However, this is not what Ammonius actually does. Instead of refuting one of the premises of his adversaries he attacks their position directly, arguing first that it rests on a *petitio principii* and second that it is inconsistent.

Ammonius takes P(Ia) as starting point of his argument (131,33-4). He then sets up a complete disjunction with regard to the antecedent of this implication. The fact of reaping in the future is either a contingent fact or a necessary fact. This gives:

$$A(PV) \qquad C_{tn}C_{tf} f \rightarrow (N_{tn}C_{tf} f)^{185}$$

This disjunction allows Ammonius to catch his opponents in a dilemma both of whose alternatives (N_mC_{df} and K_mC_{df}) present, according to him, consequences unfavourable to their position. If they agree to the second alternative, they are accepting right from the beginning the anti-necessitarian position, that there are contingent facts. His adversaries, then, must choose the first. To this move Ammonius addresses a double criticism: First he reproaches his adversaries for committing a *petitio principii* (132,2-3) in doing so, second he argues that this thesis is incompatible with P(IIIa) (132,3-6). Let us evaluate these objections one after the other.

1. By urging his adversaries to reformulate their first premise specifying the mode of the future event Ammonius follows a strategy that will prove effective for the solution of Aristotle's $\dot{a}\pi opia$ as well (cp. pp.187f. below). In the present context this move allows him to avoid any decision whether to accept or reject the first premise and to push his adversaries to commit a *petitio principii*. The necessitarians, however, could answer this by sticking to their first premise and in turn asking Ammonius whether he accepts or rejects it. Consequently, they are not obliged to present their thesis as something one has to accept without argument as

¹⁸⁴ Cp. G. Seel 1993.

¹⁸⁵ It is clear that one could also formulate an analogous proposition for the second premise.

Ammonius claims, rather they may insist that they deduced this position in due form. In fact,—as Richard Sorabji rightly remarks (1998,5)—the author of the argument instead of simply assuming his thesis gives an argument that is supposed to prove his point. This argument, however, does not simply exploit an ambiguity of the term ' $\tau \alpha \chi \alpha$ ', as Sorabji thinks,—in this case it would be a fallacy right from the beginning—it rather deduces this conclusion from the premises presumed in our reconstruction. Therefore Ammonius takes his task as too easy, by neglecting to criticise these premises.

Nevertheless it is revealing to ask which premise he would probably have objected to, had he tried to refute the argument in the normal way. As he certainly accepted P(IIIa) the only premises he could raise doubts about are P(Ia) and P(IIa) on the one hand and P(IVc) on the other. As we can see in his refutation of the second necessitarian argument reported by Aristotle (cp. In Int. 149,9-11 and our commentary on In Int 9, 145,9-19, pp.185ff. below), Ammonius denies that sentences affirming that a future contingent event will certainly ($\pi \acute{a} \nu \tau \omega_5$) occur tell the truth. The same point results from the last paragraph of his commentary on chapter 9 (cp. 154,34). We therefore have good reasons to think that he would have rejected P(Ia) and P(IIa). On the other hand, the very same passages let us surmise that he was prepared to accept that decided events are necessary events (cp. again 145,9-12 and 154,3-20 and our commentary p.186 and pp.203f.). This means that he would have to accept P(IVc).¹⁸⁶

2. For Ammonius it was not enough to accuse his opponents of committing a *petitio principii*. He further tried to show that the conclusion of the argument is plainly false and that its adherents must accept the contrary. To succeed in this, he maintains that if one accepts the necessity of the event, one is no longer authorized to use P(IIIa) (132,3-6). He seems convinced that the necessity of an event precludes the disjunction between its realization and the realization of its contradictory: $N_mC_{tf} r \rightarrow \neg (C_mC_{tf} r)$.

In our opinion, Ammonius' claim rests on an ambiguity in the expression 'you will reap or you will not reap'. In everyday language, this expression very often amounts to 'perhaps you will reap, perhaps you will not reap' which, as we have seen, describes a state of indecision as to the realization of the future event. Taken this way, the expression is incompatible with the necessity of the fact in question. But if the 'or' in the expression is interpreted as a connective in propositional logic, the expression means either 'only one of both: you will reap or you will not reap' (exclusive 'or') or ' at least one of both: you will reap or you will not reap' (non-exclusive 'or'). Taken in one of these senses, the expression 'you will reap or you will not reap' is perfectly compatible with the necessity that you will reap.

To judge Ammonius' reproach, we must decide which meaning the author of the 'Reaper' Argument has probably given to the expression 'or' in the second

¹⁸⁶ In G. Seel 1993, 316 I conjectured that Ammonius would have rejected P(IVc), but not P(Ia) and P(IIa). However, I do not think any more that this is correct.

premise. Now the everyday sense of the expression can be rejected. In fact, only an exclusive 'or' allows us to obtain the desired result by means of P(IIIa). Nor is it possible that the author would have allowed any ambiguity to hang over the meaning of 'or', as R. Sorabji (1998,5) seems to admit. If, as we have conjectured,¹⁸⁷ the Reaper Argument was fashioned by a Dialectician, the possibility its creator had not mastered the use of propositional connectives can virtually be eliminated. The Dialecticians are known as the fathers of propositional logic.¹⁸⁸ It is perhaps revealing that in P(IIIa) (131,28) we have an $\ddot{\eta}$ row... $\ddot{\eta}$... ('either ... or ...', with $\ddot{\eta}$ row as a mild emphatic), an expression Chrysippus had reserved for stating an exclusive disjunction in the technical sense, while Ammonius uses in his refutation (132,6) an $\ddot{\eta}$... $\ddot{\eta}$... ('either ... or ...'), which can easily be interpreted in the everyday sense. Further, it is surprising that Ammonius should have turned to such an argument, in view of the fact that he seems to have known the truth-functional definition of disjunction (cp. In An. Pr. 9,4; 68,30).

Thus Ammonius has not, as he supposes, refuted the argument of the reaper. He has neither shown that the necessitarian assumes his thesis by *petitio principii* nor demonstrated that it is incompatible with one of the premises of his argument. He has, however, introduced a strategy that allows him both to escape the cogs of his adversary's argument and to catch him in a dilemma in turn, in case he accepted this strategy. Of course, as well as Ammonius is under no constraint to accept the premises of the Reaper Argument, the author of the latter is not obliged to accept Ammonius' counter-strategy. This means that there is a deadlock in the debate. This at least Ammonius has achieved.

Paragraphs 6-10

This long passage is entirely devoted to the exposition and refutation of the argument for necessitarianism based on the knowledge of the gods. The size of this exposition shows the complexity and importance of this argument. It is probably Stoic in origin.¹⁸⁹ The passage is divided thus: (a) exposition and explication of the argument (paragraphs 6-8); (b) refutation of the argument (paragraphs 9-11).

(a) The structure of the argument is as follows:

¹⁸⁷ Cp. G. Seel 1993.

¹⁸⁸ Cp. T. Ebert 1991.

¹⁸⁹ Cp. the evidence from the anonymous commentary on *De Interpretatione*, L. Tarán, op. cit. p. 54, 8-11, and particularly Alexander of Aphrodisias, *De Fato*, 30, 200. 12ff. Cp. also Calcidius, *In Tim.*, ch. 169. The form given here is however later, because it presupposes the distinction between definite and indefinite foreknowledge we find in Iamblichus. R. Sharples drew my attention to this point. See also Richard Sorabji 1998, 5.

(1) The starting point is the complete disjunction of the three following propositions:

- A: The gods know contingent events in a definite manner.
- B: The gods do not know all contingent events.
- C: The gods know contingent events in the way that men know them, i.e. in an indefinite manner.¹⁹⁰

Thus we get: $A \lor B \lor C$.

(2) Then we proceed through a meandering argument to a reduction to the absurd of 'B' and 'C' (132,21).

(3) Finally the truth of 'A' is inferred from the impossibility of 'B' and 'C', by tollendo ponens (134,2).

(4) This conclusion from the first syllogism is treated as a premise in a second argument whose conclusion is the thesis of universal necessitarianism. To reach it, a supplementary premise is needed according to which the definite knowledge of presumably contingent events implies their necessity:

This premise is stated and defended in the passage at 135,1-7. The argument advanced for this claim consists in showing that supposing an event known by the gods does not come about implies the gods are deceived about this event, which contradicts A (cp. 135,7).

(5) From A and this second premise, one could directly infer universal necessitarianism. But the author of the argument has chosen to turn once again to a demonstration through *tollendo ponens*. For this he sets up the following disjunction: either all events come about necessarily and corresponding to divine knowledge, or not all events are known by the gods. This disjunction results from the argument for the claim that divine knowledge implies necessitarianism. Since the first half of the disjunction results in the contingent being done away with, the impossibility of the second half, which has been demonstrated in the first syllogism, is sufficient for proving universal necessitarianism.

(b) The refutation of the argument occupies paragraphs 9-11. As Ammonius notes (135,4), it is borrowed from Iamblichus. To refute the conclusion of a demonstration, there are two alternatives: one can either deny that the reasoning was correct, or question the material truth of the premises used. Since Ammonius apparently considers the reasoning of the second proof correct, it remains for him to call into question one of the premises. As we shall see in detail, the premise he attacks says that the definite knowledge of events possessed by the gods implies universal necessitarianism, i.e. $A \rightarrow (p)(Cp \rightarrow NCp)$.

To refute this claim, Ammonius begins with distinctions commonly accepted in Neoplatonism, between different levels of knowing and different levels of things known.¹⁹¹ Regarding these levels, he distinguishes three possible cases: (i) the level of knowing is superior to the level of the known; (ii) the level of

¹⁹⁰ As 133,29 and 133,16 show, Ammonius means by 'indefinite knowledge' conjectural knowledge. Cp. R. Sorabji 1998, 5.

¹⁹¹ Among the Neoplatonists Plotinus and Porphyry seem to ignore this distinction; the first to have used it was Iamblichus. Cp. R. Sorabji 1998, 5 note 13.

knowing is equal to the level of the known; (iii) the level of the knowing is inferior to the level of the known. The introduction and explication of these cases occupies *paragraph 9*.

In paragraph 10 (136,1-137,11), Ammonius refutes the claim itself. As a first step, he applies the theory of levels of knowing/known to the case of divine knowledge of contingents, saying (136,11-2) that this is an instance of (i). On this basis, Ammonius infers that contingent states of affairs have an indefinite nature and can thus come to be the case or not, while the gods know them in a definite way. If this is conceded, one must accept Ammonius' conclusion: the fact the gods know in a definite way the things we call contingent does not imply that those things are actualized necessarily.

With this result, the goal of the demonstration is reached. Nevertheless, Ammonius gives an additional argument based on a principle held by Aristotle as well. According to this principle, the statement affirming a fact is true because the fact is actualized, but the fact does not owe its actualization to the truth of the statement (cp. 149,25-8). By the same token, the definite knowledge the gods have of an event is not the cause of its necessary actualization; on the contrary, the gods know an event because it is actualized (cp. 136,27-30). But how can the gods have a definite knowledge of an indefinite event? Ammonius has an explanation for this that is quite satisfactory. In time, there exists a limit beyond which the event loses its indefinite character. In effect, when the instant to which the event is tied has become the present instant, the formerly open question of whether the event will be actualized or not is decided, as the ontological law of non-contradiction plainly demands. Since the gods have a non-temporal knowledge of what happens at every instant, they know all at once both that the actualization of the event is indefinite until its instant becomes the present instant and that then its actualization is definite. Thus they have definite knowledge of the former indefinite event having become definite.

Ammonius tries to render the theory of definite knowledge of the indefinite more plausible by noting that man can also, in particular cases, have a definite knowledge of an indefinite fact. But the example he gives shows that this is only possible when the fact is no longer indefinite in the strict sense of the word but made definite by anterior causes. The movement of a sphere on a plane can be contingent in the omnitemporal sense of the term, but once the plane is inclined the movement becomes inevitable and can hence be known in a definite way. Ammonius, then, seems to allow that facts tied to a precise instant can change their modalities. He accepts the following formula:

There are states of affairs p and moments t', t" and t''' such that it is contingent at t' that p is the case at t''', but necessary at t" that p is the case at t'''. $\exists p \exists t' \exists t'' [t' < t'' < t''' \rightarrow (K_t C_{t''} p \bullet N_{t''} C_{t'''} p)]$

The analogy of this example with divine knowledge, however, is precarious because we have a definite knowledge of the contingent only when the contingent

is no longer indefinite, whereas the gods have this knowledge in a timeless manner.¹⁹²

In summary paragraph 10 contains three important claims:

- 1. The definite character of the knowing does not imply the definite character of the known.
- 2. The indefinite character of the known does not entail the indefinite character of the knowing.
- 3. The states of affairs which are contingent (in the omnitemporal sense of the term) can change their temporal modal status.

Taken together, these three claims are sufficient to refute the second argument for necessitarianism.

What are the conclusions to be drawn from Ammonius' arguments in paragraphs 9-12 concerning the question of whether an SFCS possesses a truth value? Three levels must be distinguished in Ammonius' discussion:

- 1. The level of knowledge that gods or men have of events.
- 2. The level of statements through which this knowledge is articulated (at least) by humans.
- 3. The level of states of affairs the statements are about and which are the objects of the knowledge.

In the paragraphs we have analyzed, Ammonius does not speak of sentences or their truth values, but only of levels 1 and 3. Further, it is very doubtful that divine knowledge exists in the form of sentences or statements, because Ammonius, following the Platonic tradition, characterizes it as 'one, determinate and immutable' (In Int. 135,3). In any case divine knowledge does not exist in the form of past, present or future tense sentences, because the gods know 'divisible (μεριστά) things indivisibly (\dot{a} μερίστως) and without extension (\dot{a} διαστάτως), as well as multiplied ($\pi \epsilon \pi \lambda \eta \theta v \sigma \mu \epsilon v a$) things by a single act ($\epsilon v \sigma \epsilon i \delta \hat{\omega} \varsigma$), temporal ($\check{\epsilon}\gamma\gamma\rho\sigma\nu a$) things eternally ($a\dot{\iota}\omega\nu\dot{\iota}\omega\varsigma$), and generated ($\gamma\epsilon\nu\nu\eta\tau\dot{a}$) things ungeneratedly (ἀγεννήτως)' (136,15-7). Thus we cannot move immediately from the description of divine knowledge to attributing truth values to SFCSs. It is, however, possible to surmise such a conclusion from a consideration of the relation between the first and third levels. The gods knowing in an atemporal and determinate way a contingent event that for humans is a future event presupposes that that event is a fact. For it is due to its status as a fact that the gods can know it. Thus Ammonius emphasizes: 'But since, having a contingent and ambiguous nature, they [events] will have an end ($\pi \epsilon \rho a \varsigma$) which will in any case ($\pi a \nu \tau \omega \varsigma$) be either so or so, it is necessary that the gods know how they will occur' (136,27-30). Although Ammonius uses future tense here saying 'how they will occur', this is not to say that he believes the gods use this type of sentence: he is simply translating divine knowledge into human language. But at any rate, the fact he considers that

¹⁹² For the history of this idea see R. Sorabji 1998, 6-7.

temporal and uncertain human statements correspond to atemporal and certain divine knowledge concerning the same fact allows us to draw from Ammonius' claims a conclusion regarding the former. If what the gods know is an event which, from our perspective, is situated in the future such that, from our perspective, there is a present fact about a future event, the human statement predicting this event will not be deprived of a truth value, unless one holds that only an event that is simultaneous with the statement can function as its 'truthmaker'. But this is not Ammonius' position (cp. Seel's essay in this volume, pp.238ff.). Thus, regarding the three levels, we have the following situation:

1. On the level of knowledge, there is:

(a) a divine knowledge that is atemporal and definite (the gods know the outcome of a course of events), but does not take the form of a sentence, and

(b) a human knowledge that is temporal and indefinite, i.e. only conjectural (we do not know for sure which outcome the course of events has, nor do we know for sure which of two SFCSs is true).

2. On the level of sentences, we have two contradictory SFCSs, each of which has a truth value. The statement correctly predicting the event is true, the other false. This truth-value, however, is only an indefinite one, because the predicted event is contingent.

3. On the level of facts there is a fact about a contingent event tied to a precise moment which is, from the human perspective, situated in the future. This fact is from the human perspective an 'indefinite' fact about a future event and from the divine perspective a 'definite' fact (137,1) about a temporally ordered event.

Paragraph 11

Paragraph 11 is devoted to the exposition of two arguments against necessitarianism. The first is presented as a twofold response to an anonymous objection to Ammonius' claim that the gods know contingent events in a definite way. According to Ammonius, some have tried to refute this claim by noting the ambiguity of oracles.¹⁹³ To this Syrianus, whose authority Ammonius cites here, would make two objections: (1) that whatever can be said about oracles would not be valid for divine knowledge itself (137,16-7) and (2) that by rendering the oracles ambiguous the gods involve our intelligence and treat us as self-movers, which in itself excludes determinism (137,20-5).

¹⁹³ Cp. Alexander, *De Fato* 29, 200,4-12 (Bruns), who gives an example of such ambiguity; though the case Alexander is referring to concerns prophecies deliberately left vague to avoid that people hearing them will do the opposite. I owe this precision to R. Sharples.

The second argument is a refutation of necessitarianism Ammonius carries out by raising a dilemma. Since it concerns an enthymeme that is not clearly expressed, we first suggest a reconstruction.

Ammonius considers a particular kind of event: the act of forming or stating an opinion about necessitarianism. Let us call this kind of event (OD). He first distinguishes two species of this kind of event:

- (N) x affirms at moment y that all events are necessary (ότι πάντα ψνάγκασται, 137,26-7).
- (L) x affirms at moment y that many events are in our power ($\delta \tau i \pi \delta \lambda \dot{a} \dot{\epsilon} \sigma \tau i \nu \dot{\epsilon} \phi' \dot{\eta} \mu \hat{i} \nu$, 137,29-30).

As we shall see, for Ammonius (L) implies the more general claim that there are contingent events. This contradicts the claim found in (N). Since Ammonius intends to refute the latter, it would have been more consequent for him to describe the event opposed to (N) as the affirmation of the contradictory claim. This would be the event (C):

(C) x affirms at moment y that there are some contingent events.

Ammonius then asks which of the following two claims is made by the adherents of necessitarianism, implying that necessitarians have only two alternatives:

Claim (I) Events of type (N) are necessary.

Claim (II) Events of type (OD) are in our power.

Since Ammonius clearly wants to construct a dilemma, and since it is essential for this type of argument that the disjunction it depends on be complete, he could have formulated the alternatives better by precluding any third possibility from the start. He should have been careful to ensure that the subjects be identical and the predicates contradictory, as in these two pairs of claims:

- (I') (OD) events are necessary.
- (II') (OD) events are contingent.
- (I'') (N) events are necessary.
- (II") (N) events are contingent.

Ammonius' choice of pair (I)-(II) instead of the latter two pairs can be explained, however, by the following convictions that one can assume he holds:

- (a) Events of type (OD) all possess the same modality, whatever the contents of the given opinion.
- (b) An event of type (OD) is contingent if and only if its actualization is in our power.

In effect, if these claims are correct, the defect in the formulation of the alternatives, which we have criticized, has no negative consequences for the construction of the dilemma.

Next, Ammonius can show (137,28-30) that both possibilities (I) and (II) present problems for the necessitarians. If they maintain claim (II), they accept a

particular case of what necessitarianism denies in general and thus contradict themselves. If, on the other hand, they were to hold claim (I), they cannot explain how some can hold the opposite of necessitarianism, i.e. how events of type (L) are possible. Since there are in fact such events, the necessitarian is defeated in the case of the second possibility as well.

One may doubt, however, whether Ammonius' argument truly reaches its goal. While the conclusion drawn from the second leg of the dilemma is quite clear, it is difficult to see why the necessitarians could not explain type (L) events as necessary events on the same footing as type (N) events. Obviously for this reason Ammonius adds (137,30-2) an argument that purports to reduce to absurdity any such explanation. If the events of type (L) were necessary, it would be because of nature's necessary chain of cause and effect that we would be compelled to deny our acts were products of nature and to attribute them wrongly to ourselves. Ammonius regards this as preposterous. He is assuming that nature pursues her own ends without doing anything contrary to them, a claim that was widespread in antiquity¹⁹⁴ and which Ammonius explicitly states in our text at 138,5-6.

It must be asked, however, whether it is truly a consequence of the necessitarian position that nature contradicts herself. The Stoics could raise two objections: (1) Whoever asserts that our actions are in our power, i.e. who produces an (L) event, is not compelled to deny that they are necessities due to fate. In fact, the Stoics argue that an action can be entirely in our power $(\dot{\epsilon}\phi', \dot{\eta}\mu\hat{\nu})$ and at the same time be an effect of the causal chain (of fate). To do this, they give a weak meaning to the phrase 'in our power' and they regard fate as the causal chain that in fact determines interior events (e.g. assent to a theoretical or practical axiom) as well as exterior. In fact, for an action to be considered within our power it is enough, according to them, to exclude the case either of an exterior cause preventing us from accomplishing it, or of it being accomplished without our intervention. Its being accomplished with our deliberate cooperation does not preclude the possibility that the internal cause triggering it (our assent to a practical axiom) is itself the effect of a prior cause (our character) that is necessary.¹⁹⁵ Thus, in producing by necessity both (N) events and (L) events, nature would not produce neither contradictory nor false opinions. (2) But even if the opinions formed in (L) events were false, nature would not necessarily act

¹⁹⁴ That nature does nothing in vain can be found in Plato, *Tim.* 33d; it is one of the principles of Aristotelian physics. Cp., for example, *PA* 2.13, 658a8; 3.1, 661b23; 4.12, 694a15; *De Anima* 3.7 431a31, 432b21-23, 434a31-32. See A. Mansion 1945, 234, n. 26. Alexander of Aphrodisias, *De Fato* 11, 179, 24-26 (Bruns), notes that it was accepted by nearly all philosophers (the Epicureans would be an exception). Alexander already connects the principle with the problem of deliberation. This principle was adopted by all Neoplatonists as well. For references in Proclus and other Neoplatonists cp. the note in A.-P. Segonds (1985/86) vol. 2, 383 n.2 and 226.

¹⁹⁵ For the Stoic conception of 'that which depends on us' and its relation to the concept of fate see S. Bobzien 1998a, 276-314.

against her own ends by producing them. For the erroneous opinions held by some that their actions are in their power could cause their decision to bring about certain ends and thus cause the actions leading to these ends that nature could not attain in any other way. Therefore by producing false opinions in us nature could perfectly well be promoting her own ends. If this is true, it would not be absurd for nature, acting by necessity, to bring about false opinions as one of its ways of actualizing the totality of events. To the latter objection Ammonius could answer—as he actually does in paragraph 19, 148, 22ff—that in this case to promote her ends nature has at her disposal better means than deliberation and choice, namely natural impulse. So, by producing (L) events she would do something in vain.¹⁹⁶

Paragraph 12

In the last paragraph concerning the first lemma, Ammonius resumes the commentary proper on this passage of Aristotle. It is mostly a restatement of what he said in paragraphs 1-3 and particularly paragraph 3. In paragraph 12, however, Ammonius follows Aristotle's text more closely.¹⁹⁷

It is interesting to see what, if anything, paragraph 12 contributes that is new. We emphasize the following points:

(1) Ammonius says again that, according to Aristotle, (a) the pairs of sentences on the diagonals divide the truth values (one statement true, one false) (138,15-9) and (b) they do so in a definite manner when they are past or present. He adds that this indicates that either the affirmative sentence is true and the negative is false or the reverse (138,21-2).

(2) Ammonius stresses once again that the division of the truth-values is indefinite when the sentences are future and in contingent matter (139,13-5).

(3) Regarding the meaning of the 'in a definite/indefinite way' distinction, we learn nothing new. He says once again that one cannot know, before the end of a process, which of the two types of possible events will be actualized when the sentences about such an event divide truth values in an indefinite way. This is compatible with the standard interpretation as well as with the non-standard (see Seel's essay in this volume, 241f.).

(4) The only truly new item is the interpretation Ammonius gives the term $\mu \epsilon \lambda \lambda \sigma \nu$ in Aristotle's text. Ammonius holds that here, as in GC (2.11, 337b3-7), Aristotle uses the term $\mu \epsilon \lambda \lambda \sigma \nu$, as opposed to $\epsilon \sigma \delta \mu \epsilon \nu \sigma \nu$, to mean 'what can either occur or not occur', while $\epsilon \sigma \delta \mu \epsilon \nu \sigma \nu$ means 'what will occur, whatever happens' (139,2-6). Now, as Talanga (1968a, 82) has shown, it is doubtful that Aristotle uses the term $\mu \epsilon \lambda \lambda \sigma \nu$ in Int. in the sense introduced in GC. But even if Ammonius

¹⁹⁶ Cp. our commentary on paragraph 19, p.193f.

¹⁹⁷ This is a remainder of the oral lecture format, in which there is a division between the explication of the doctrine ($\theta \epsilon \omega \rho i a$) and the interpretation of the words ($\lambda \epsilon \xi \iota \varsigma$) (cp. D. Blank 1996, Introduction, p. 3, note 17)

wrongly bases his argument on Aristotle's terminology, his claim that chapter 9 is concerned with the distribution of truth values in SFCSs remains true.

Lemma 2 (18a34-9)

The second lemma contains the beginning of the 'proof' for necessitarianism reported by Aristotle. According to Ammonius, this proof is divided into two steps: (a) The first is from 18a34 to 18b9. This step contains two lemmata (2 and 3) in accordance with the principles we will explain below. (b) The second step (18b9-25) Ammonius also divides into two lemmata (4 and 5). He thinks that each of the two steps contains a proof for necessitarianism, but he considers the second more convincing than the first.

Most contemporary interpretations divide Aristotle's text in the same way as Ammonius. The only one proposing a different division is Weidemann's (1994, 240), who understands the passage at 18a34-b4 as an argument preparing the way for the two actual proofs (more properly speaking) for necessitarianism. According to him, these proofs are found at 18b5-9 and 18b9-16.

It is clear that Aristotle does not take the necessitarian argument at face value, but reports it in order to refute it. Ammonius understands this well, showing more discernment than many interpreters, ancient and modern.¹⁹⁸

It has not been clearly established, however, precisely what constitutes the argument and what the refutation. To evaluate Ammonius' reconstruction of the argument, we must compare it to the standard interpretation. For this, it will be useful first of all to sketch out the general lines of the latter.

Aristotle's argument on the standard interpretation

After denying at 18a33-4 the validity of principles T(10) and T(13) for SFCSs, it says, Aristotle tries to prove their nonvalidity by a *reductio ad absurdum*. To do this, he tries to show (at 18a34-b16) that the universal validity of these principles has necessitarian consequences. These consequences are established through a bridge principle that, in the form of an implication, links necessitarianism to these two principles. According to the standard interpretation Aristotle states this fundamental bridge principle in lines 18a34-5. Experts in the standard interpretation do not agree on the interpretation of these lines (see below). But the reading that is closest to Aristotle's text¹⁹⁹ is clearly the following, which apparently has been adopted by Ackrill as well:

¹⁹⁸ Cicero, for example portrays Aristotle as a determinist (cp. *De Fato* 39 and R. Sharples' commentary (1991, 186)).

¹⁹⁹ We must, however, take into consideration the variant readings of the text that has come down to us.

C(31) If every sentence is either true or false, every state of affairs is either necessary or impossible {(T[Cp] • F[C~p]) >-< (T[C~p] • F[Cp])}→ (NCp >-< NC~p).²⁰⁰

Regarding the demonstration of this claim, the standard interpretation holds that Aristotle deduces it from principle T(11)/T(13) (stated at 18a35-7 for future sentences), principle C(01) (stated negatively by Aristotle at 18b2-3) and principle T(10) (stated at 18b11-13).

C(01) Necessarily: The sentence 'It is the case that p' is true if and only if it is the case that p $N{(T[Cp] \leftrightarrow Cp) \bullet (T[(C-p] \leftrightarrow C-p)) \bullet (F[Cp] \leftrightarrow \neg Cp) \bullet (F[C-p] \leftrightarrow \neg C-p)}$

Aristotle's argument according to Ammonius

In order to understand Ammonius' commentary, it is of the greatest importance to see that, unlike the standard interpretation, he does not begin with the assumption that principles T(10) and T(11)/T(13) have necessitarian consequences for Aristotle. What does have necessitarian consequences according to him is the stronger version of the two principles:

T(9) Necessarily every proposition is either in a definite way true or in a definite way false (Principle of definite bivalence) N{T_d[Cp] >-< F_d[Cp]) • (T_d[C-p]) >-< F_d[C-p])}

and:

T(15) Necessarily in any contradiction, one side is determinately true and the other is determinately false:

 $N\{(T_d[Cp] \bullet F_d[C \sim p]) \rightarrow \prec (T_d[C \sim p] \bullet F_d[Cp])\}.$

In order to deduce necessitarian consequences from these principles, Ammonius uses a bridge principle different from C(31) that he believes is found at 18a34-5. As we shall see, this principle is C(03) which is a feebler version of C(01):

 $C(03) \mathbb{N}\{(T[Cp] \rightarrow Cp) \bullet (T[C\sim p] \rightarrow C\sim p) \bullet (F[Cp] \rightarrow \neg Cp) \bullet (F[C\sim p] \rightarrow \neg C\sim p)\}.$

²⁰⁰ Cp. D. Frede 1970, 13-17; 1985, 37ff., J.L. Ackrill 1963, 135 and F. von Kutschera 1986, 212. To render this formulation symbolically, we use a symbolism different from these authors'. It is clear that Aristotle's text permits a weaker interpretation of the consequent in which the necessity is not divided, viz. N[Cp >-< C~p]. But since this reading does not allow the deduction of necessitarianism, it is understandable that Ackrill and Frede set it aside. The only one among those holding the standard interpretation to give to the thesis a weaker meaning is H. Weidemann (1954, 230-3). He understands ἀνάγνη ('necessary') at 18a35 to have the sense of necessitas consequentiae and reads: N[(T[Cp] >-< F[Cp]) • (T[C~p] >-< F[C~p]) → (Cp >-< C~p)].</p>

Moreover, for the deduction of necessitarianism Ammonius depends on the semantics of the predicates 'definitely true' and 'definitely false'.²⁰¹

If Ammonius were right on this point, Aristotle, in order to escape necessitarianism, would have no need to reject the universal validity of principles T(10) and T(11)/T(13); it would be sufficient to attack their definite versions, T(9) and T(15).

Thus it is quite natural that the interpretation Ammonius gives lemmata 2-7 starts from the hypothesis that the *reductio ad absurdum* deployed here is aimed at the latter two principles. We find the first confirmation of this in the commentary on lemma 2, which we analyze now.

Paragraph 13

The commentary on the second lemma takes up only one paragraph. As we shall see once again, Ammonius does not stay within the strict bounds of either lemma 2 or 3, using in his commentary on lemma 2 principles found only in lemma 3. He in fact believes lemma 3 to be a confirmation of the demonstration in lemma 2 and he holds that lemma 2 contains the first complete version of the proof for necessitarianism. As we have seen, this belief is not compatible with the standard interpretation,²⁰² which instead holds that the first version of the proof does not reach its end until 18b5-9. On the other hand, Ammonius reconstructs a complete argument for necessitarianism in his commentary on lemma 2.

To do this he proceeds in the following way:

1. He first tries to find in the lemma principles from which the necessitarian claim can be demonstrated. First, he succeeds in identifying the principle of implication of facts by the truth of sentences that express them, C(03) (139,29-30), and the principle of the division of truth values which he here calls 'principle of contradiction', T(11) (139,32-140,1).

2. He next explains the proof that, according to him, Aristotle gives for the latter principle (140,1-11).

3. Since Ammonius is convinced that only the definite version of the principle of division of truth values, T(15), permits the demonstration of necessitarianism, he conjectures that Aristotle must be intending this version in his formulation of the principle, though Aristotle himself never mentions definite truth values (140,11-13).

4. Next (140,13-21) he tries to defend this conjecture by demonstrating that necessitarianism actually follows from the definite version of this principle.

Let us consider these points in detail:

1. The first difficulty with Ammonius' commentary results from his reading of lines 18a34-5. Taken literally, this passage indicates principle C(31), if $d\nu d\gamma \kappa \eta$

²⁰¹ For a clarification of these semantics cp. G. Seel's second article in the present volume.

²⁰² Cp. H. Weidemann 1994, 240.

('necessity') is taken distributively, or principle C(32), if one chooses non-distributed necessity, or principle C(34), if it is assumed that $d\nu d\gamma\kappa\eta$ only express necessitas consequentiae²⁰³:

C(31)	$\{(T[Cp] \bullet F[C \sim p]) \rightarrow (T[C \sim p] \bullet F[Cp])\} \rightarrow (NCp \rightarrow (NC \sim p))$
C(32)	$\{(T[Cp] \bullet F[C\sim p]) \rightarrow (T[C\sim p] \bullet F[Cp])\} \rightarrow N(Cp \rightarrow (C\sim p),$
C(34)	$N(\{(T[Cp] \bullet F[C \sim p]) \rightarrow (T[C \sim p] \bullet F[Cp])\} \rightarrow (Cp \rightarrow (C \sim p)).$

But, surprisingly enough, Ammonius is reading (if we consider only paragraph 13) in these lines either principle C(03), or principle C(21):

$$\begin{array}{lll} C(03) & N\{(T[Cp] \rightarrow Cp) \bullet (T[C-p] \rightarrow C-p) \bullet (F[Cp] \rightarrow \neg Cp) \bullet (F[C-p] \rightarrow \neg C-p)\}.\\ C(21) & (T[Cp] \rightarrow NCp) \bullet (T[C-p] \rightarrow NC-p) \bullet (F[Cp] \rightarrow N\neg Cp) \bullet (F[C-p] \rightarrow N\neg Cp). \end{array}$$

This reading does not correspond with what Aristotle's text literally says and, worse, gives it a stronger meaning than what is actually expressed, since C(03) is stronger than C(34) and C(21) is stronger than C(31).

D. Frede 1970, 17 and H. Weidemann 1994, 231, however, have argued that the meaning of 18a34-5 is not meant to be limited to C(31) or C(32) or C(34) but that the context suggests that Aristotle wants to establish a relation between the truth value of a sentence and the modality of the fact it states. As to the alternative between C(03) and C(21), Frede defends the latter while Weidemann chooses the former.

Oddly enough, both opponents cite Ammonius to justify their readings of Aristotle. Thus D. Frede 1985, 43 thinks the passage 139,29-32 must be read with the meaning of C(21), while Weidemann holds that Ammonius clearly is intending to state C(03). He acknowledges, however, that Ammonius does not clearly distinguish between C(03) and C(21) so that he attributes to C(03) the consequences that in reality only follow from C(21).

In our opinion, neither interpreter correctly grasps Ammonius' program here. Weidemann is right when he holds that the text (not only at 139,21-32 but also at 140,17-20, where the principle is stated a second time)²⁰⁴ speaks clearly in favor of C(03) over C(21). He is wrong, however, in believing that Ammonius needs C(21) in order to draw the necessitarian conclusions he reaches in the second part of the paragraph. In fact, as we will see in (4), Ammonius' conception of the difference between definite and indefinite truth values allows him to reach necessitarian conclusions on the basis of principles C(03) and T(15) as well. Besides, if Ammonius accepted C(21) as a reading of 18a34-5, his distinction between a definite and indefinite division of truth values would not allow him to avoid necessitarianism, because according to C(21) the mere truth of a sentence implies the necessity of the fact it states. To be sure, our analysis presupposes our way of interpreting this distinction and is no longer useful if one accepts the

²⁰³ For these possibilities, cp. D. Frede 1970, 17; 1985, 43 and H. Weidemann 1994, 229-31.

²⁰⁴ Cp. also 140,32-4; 141,8-10; 146,18-19.

standard interpretation. But there are good reasons we have drawn upon, outside of the context of chapter 9, to reject the standard interpretation on this point. For all these reasons we retain C(03) as the precise formulation of the principle Ammonius believes can be read in Aristotle at 18a34-5.

Our interpretation of the second principle extracted by Ammonius, i.e. the principle of the division of truth values,²⁰⁵ itself requires an explanation and justification regarding several unsettled points. Ammonius formulates this principle, first of all, with neutral truth values in faithfully adopting the expressions used by Aristotle. Taken literally, then, the text contains:

 $T(13) \qquad N\{(T[Cp] \bullet F[C \sim p]) \rightarrow \langle (F[Cp] \bullet T[C \sim p])\}$

In 140,13, however, Ammonius holds that Aristotle must be implying in his formulation of this principle that the truth values here are all definite values. Thus according to Ammonius, the principle that must be presupposed in the proof for necessitarianism is in fact:

$$T(15) \qquad N\{(T_d[Cp] \bullet F_d[C \sim p]) \rightarrow \prec (T_d[C \sim p] \bullet F_d[Cp])\}.$$

It is in effect the confusion between T(13), which is an entirely anodyne principle, and the strong principle T(15) that according to Ammonius accounts for the degree of persuasion the argument yields. In Ammonius' text the latter is formulated and proved only for SFCSs. But since for the other types of sentences it is valid anyway, we can formulate it in a universal way, as in T(15).

The second point needing clarification is Ammonius' use of the expression $d\xi i\omega\mu a \tau \eta \zeta d\nu \tau \eta \delta \sigma \epsilon \omega \zeta$, 'axiom of contradiction,' to indicate this principle. According to today's use, the principle of contradiction (better: of non-contradiction) says that two statements that contradict each other cannot be true together:

$$T(05) \qquad \neg P(T[Cp] \bullet T[C~p]).$$

The principle of division of truth values, on the other hand, is written thus:

$$T(13) \qquad N\{(T[Cp] \bullet F[C \sim p]) \rightarrow \prec (F[Cp] \bullet T[C \sim p])\}.$$

The two formulas are not equivalent, the former being compatible with the co-falsity of [Cp] and [C~p]. But one must not forget that those in the Neoplatonic school had the habit of using the expression $d\xi i \omega \mu a \tau \eta \varsigma d \sigma \tau \eta \phi d \sigma \epsilon \omega \varsigma$ to designate the conjunction of the principle of non-contradiction and the principle of the excluded middle, T(04). This conjunction is written:

$$T(12) \qquad \neg P(T[Cp] \bullet T[C\sim p]) \bullet \neg P(F[Cp] \bullet F[C\sim p]).$$

Now this conjunction is equivalent to the principle of the division of truth values, unless there is the possibility---which the standard interpretation allows---that a

²⁰⁵ That one can speak of definite truth values, and not only a definite division of truth values seems clear from 141,18-23 and 31-34.

sentence might neither be true nor false, but neutral. We have already seen that Ammonius does not accept this possibility.

The fact that Ammonius in 140,3-4, apparently to define the expression $\dot{a}\xi i\omega\mu a \tau \eta \xi \, \dot{a}\nu \tau i\phi \dot{a}\sigma \epsilon \omega \xi$, uses the formula

presents a problem only at first sight, because this formula, when completed by

(thus giving T(11)), is equivalent to the principle of division of truth values. Ammonius' choice of this formula rather than his habitual formula is also explained by his care to stay close to the reading of Aristotle's text. In fact, this is the formula we find in Aristotle's text at 18a36-7 and at 18b7.

2. Like Aristotle, Ammonius limits the discussion of the principle of the division of truth values to the case of SFCSs, which, as has been seen, is the only case where the application of this principle is problematic. According to Ammonius, one can prove that this principle is valid for these sentences as well by showing that in a contradictory pair of such sentences both can neither be true at once nor false at once. That is, Ammonius understands Aristotle to be deducing this principle from the principles of non-contradiction and excluded middle. He recognizes, however, that only half the argument is found in lemma 2, viz. the claim that, unlike undetermineds, the pairs of SFCS contradictories cannot be true together, whereas the claim that they cannot be false together arises only later in Aristotle's text (at 18b17-25). But this does not seem to concern Ammonius.

Ammonius endeavors to reconstruct the demonstration of the first of these claims, which he believes he can find in Aristotle's text. This demonstration is a sort of *reductio ad absurdum* of the contradictorily opposed claim. It depends on the principle of the implication of a fact by the truth of the sentence affirming it, C(03). If a pair of SFCSs could be true together, it would follow, due to C(03), that one state of affairs, e.g. that Socrates is bathing, and the contradictorily opposed state would be the case at the same time. Thus

F(11) $N(Cp \rightarrow C p)$

would be denied. To avoid this absurdity, we must accept that both SFCSs cannot be true together (cp. 140,8-10 and the analogous argument at 146,8-17).

Thus Ammonius uses F(11) in his reconstruction of the argument. He seems, however, not to have realized that this principle is found in the lines 18a38-9. Unlike most contemporary interpreters (cp. Weidemann 1994, 233; Ackrill 1963, 135), he interprets these lines as an expression of the claim to be proven itself, i.e. that in the case of future contingents, the truth of an affirmation and its negation do not occur at the same time. Ammonius says the same thing in the parallel passage 145,31-146,2, a passage that also shows (cp. 145,29-31) that he assumes that the authors of the necessitarian argument wrongly consider the argument raised at 18a35-39 to be a proof not of the principle of plain division of truth values, but rather of the principle of definite division of truth values.

It should be stressed that Ammonius never mentions that Aristotle at 18b37-38 introduces as a thesis of his adversaries the claim that each affirmation and each negation is either true or false. Aristotle clearly considers this a prerequisite and one of the premises of their demonstration of the principle of the division of truth values. For, if the first claim did not hold, i.e. if sentences could be neutral (neither true nor false), the demonstration would not be successful. The standard interpretation holding that Aristotle recognized a third truth value is based on this observation.²⁰⁶ Ammonius, however, does not consider the possibility of a neutral truth-value. This is why 18b37-8 does not attract his attention.

3. Taken literally, $\phi\eta\sigma\iota$, 'he says', at 140,13 indicates that Aristotle attributes to the necessitarians the claim that the contradictory pairs of SFCSs do not divide their truth values in an indefinite way, but in a definite one. Actually, the term $\dot{\omega}\rho\iota\sigma\mu\dot{\epsilon}\nu\omega\varsigma$, 'definitely', is nowhere found in Aristotle's text. We do not think this has escaped Ammonius' attention. This is why in adopting an interpretation that tries to save the coherence of the text (by the 'principle of charity') we have translated $\phi\eta\sigma\iota$ as 'he means' rather than 'he says'. Ammonius tries to show ($\dot{\epsilon}\pi\iota\partial\epsilon\dot{\epsilon}\beta\mu\epsilon\nu$) that the authors of the argument assume a definite division of truth values. As we shall see, he does this at 141,18-25 in explicitly giving a demonstration of this claim.

4. To demonstrate that in fact a definite division of truth values has necessitarian consequences, Ammonius bases his reasoning on a concrete example of a pair of SFCSs. He begins with the supposition that of two soothsayers predicting the future of a sick person, one says he will recover, the other that he will not. The argumentation, which in its structure resembles the Reaper Argument, is as follows (g = the sick person recovers):

lines		premises/conclusion	by which principle
(1) (140,16-17)	$N{(T_d[Cg] \bullet F_d[C \sim g]) > - \langle}$	T(15)
		$(F_d[Cg] \bullet T_d[C-g])$	
(2) (140,17-20)		
8	a)	$(T_d[Cg] \rightarrow NCg) \bullet (T_d[C \sim g] \rightarrow NC \sim g)$	C(22)
t	b)	NC~g ↔ ¬PCg	M(11)
(3) ((140,20-1)	NCg >-< ¬PCg	T(15), C(22), M(12), M(13)
(4) ((140,21)	¬КСg	M(12), M(13)

²⁰⁶ Cp. J. Lukasiewicz 1930 and 1973; see also N. Kretzmann 1998, 24-25.

The simplest way to explain the second premise is to understand it as a consequence of the principle C(22). That is what we did in our reconstruction.

C(22)
$$(T_d[Cp] \rightarrow NCp) \bullet (T_d[C\sim p] \rightarrow NC\sim p) \bullet (F_d[Cp] \rightarrow N\neg Cp) \bullet (F_d[C\sim p] \rightarrow N\neg C\sim p).$$

It is curious, however, that Ammonius never mentions this principle in his text. To be sure, C(22) is a law that is true analytically if our hypothesis on the semantics of the expressions 'definitely true' and 'definitely false' is accurate. Thus Ammonius could think he could dispense with stating it explicitly. On the other hand we must take into account the fact that Ammonius does not at all dispense with justifying his second premise. But instead of establishing it on the basis of C(22), he justifies it (140,18-9) by means of C(03). This requires an explanation, because C(03) on first glance does not seem strong enough to serve as the grounds for the second premise.

How can a demonstration of the second premise be reconstructed on the basis of C(03)? It could be supposed that Ammonius accepted the following principle:

$$M(14) \qquad (T[Cp] \rightarrow Cp) \rightarrow (NT[Cp] \rightarrow NCp).$$

M(14) allows us to pass from C(03) to a modalized principle of correspondence:

C(24)
$$(NT[Cp] \rightarrow NCp) \bullet (NT[C\sim p] \rightarrow NC\sim p) \bullet (NF[Cp] \rightarrow N\neg Cp) \bullet (NF[C\sim p] \rightarrow N\neg C\sim p).$$

Now the semantics of the expressions 'definitely true' and 'definitely false' have as a consequence the following equivalencies.²⁰⁷

$$(T_d[Cp] \leftrightarrow NT[Cp]) \bullet (F_d[Cp] \leftrightarrow NF[Cp]).$$

Ammonius can then substitute 'it is necessarily true that the sick person recovers' for 'it is definitely true that the sick person recovers'. This substitution permits the use of C(24) in the deduction of the necessity of the recovering or of the not recovering. Since C(24) is, by M(14), a consequence of C(03), Ammonius is not wrong to cite the latter principle to justify his second premise.

Lemma 3 (18a39-b9)

According to the unanimous opinion of modern interpreters, Aristotle completes the first argument for necessitarianism in the third lemma. Ammonius, however, maintains that this argument has already been concluded in lemma 2 and, as a result, he sees in the third lemma only a confirmation and explication of what has already been proved.

²⁰⁷ Cp. G. Seel's second article in this volume, 243-245.

The commentary on the third lemma takes up paragraphs 14 and 15. Paragraph 14 comments on Aristotle's text up to 18b4, paragraph 15 comments on the conclusion drawn at 18b5-9 and gives in its second part an explication of the different sorts of contingent.

Paragraph 14

In this paragraph Ammonius explains how Aristotle deduces 'as if from a syllogism' (cp. 141,18: $\ddot{\omega}\sigma\pi\epsilon\rho$ $\dot{\epsilon}\kappa$ $\sigma\nu\lambda\lambda\rho\gamma\iota\sigma\mu\sigma\hat{\nu}$) the principle of correspondence and the principle of the definite division of truth values, which form the basis of the first proof for necessitarianism, sketched in the previous paragraph.

Paragraph 14 is divided into three parts:

(1). First, Ammonius comments on lines 18a39-b3 (140,32-147,17). He sees there (a) a confirmation, supported by examples, of the principle of the implication of facts by the truth of sentences and (b) its complementary principle, the principle of implication of the truth of sentences by the facts; thus he obtains from both the *principle of correspondence* in its entirety.

(2). Next (141,18-25) Ammonius interprets lines 18b4-5. According to him, they include a deduction of the principle of the definite division of truth values from the principle of correspondence.

(3). Finally (141,25-30), Ammonius returns to 18b2-3, which he understands as a formulation of the principle of correspondence for the case of false sentences, which has not been discussed earlier.

Regarding (1): Weidemann (1994, 236)—like Ammonius—sees in lines 18a39-b2 a confirmation of what has been shown before. But unlike Ammonius, he identifies this as the principle of non-contradiction and the principle of excluded middle which, according to him, are demonstrated from the principle of correspondence. In this interpretation, Weidemann assumes that the ϵi ('if') in line a39 refers back to the ϵi in a34 and that η' ('or') is a non-exclusive 'or' in a39 and an exclusive 'or' in the two following lines. But Ammonius' reading, which stipulates that it is the principle of correspondence that is being confirmed in these lines, has the η' indicate an exclusive 'or' in all the occurrences, and further assumes that the ϵi in a39 refers to a35. This reading follows Aristotle's text more closely than Weidemann's, as well as avoiding the improbable assumption that the 'or' is non-exclusive in a39.

Ammonius distinguishes two partial principles which together constitute the principle of correspondence. He says (140,32-4) that Aristotle first demonstrates the principle of the implication of facts by the truth of the sentences, and then (141,6-8) he adds the principle of the implication of the truth of the sentences by the facts, thus obtaining the complete principle of correspondence. These two principles can be formulated thus:

$$C(03) \qquad N\{(T[Cp] \rightarrow Cp) \bullet (T[C-p] \rightarrow C-p) \bullet (F[Cp] \rightarrow \neg Cp) \bullet (F[C-p] \rightarrow \neg C-p)\}$$

and

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$$C(04) \qquad N\{(Cp \rightarrow T[Cp]) \bullet (C \sim p \rightarrow T[C \sim p]) \bullet (\neg Cp \rightarrow F[Cp]) \bullet (\neg C \sim p \rightarrow F[C \sim p])\}$$

Versions of the first partial principle that are apparently quite different are found in the text of this paragraph, just as in the preceding paragraph. At 140,32-4, it is formulated without any modal operator; at 141,4-6, where it is supported by the cloak example, $d\nu d\gamma \kappa\eta$ ('it is necessary that') is added before the consequent of the conditional sentence. And finally at 141,8-10, where Ammonius presents the principle of correspondence in its entirety (i.e. the conjunction of the two partial principles), he places the modal operator before the conditional sentence.

It is clear, however, that the three formulations can only be referring to a single principle and that this can only be C(03), for the following reasons:

(i). Ammonius (140,32) leaves no doubt that the first partial principle is identical to the first principle treated in the preceding paragraph, viz. C(03).

(ii). It is very probable that the version chosen at 141,8-10 for the formulation of the complete principle of correspondence expresses best Ammonius' intended meaning.

(iii). The ἀνάγκη at 141,4-6 poses no problem for this interpretation because, as we have already seen, even placed before the consequent, it can quite easily express *necessitas consequentiae*—both in Ammonius or Aristotle (for the latter, cp. again Weidemann 1994, 230-1, 235).

(iv). Only under this assumption can we understand how Ammonius could at 140,32-4 do without a modal operator for expressing the same principle.

Thus we hold C(03) as the best formalization of the first partial principle.

As for the second partial principle, we find no explicit formulation in the text. Ammonius merely remarks (141,6-8) that the first partial principle is convertible. Consequently, the second principle, which results from this conversion, will correspond to our C(04). The joining together of the two principles, an abridged version of which is given at 141,8-10, must then be formalized in the following fashion:

$$C(01) \qquad N\{(T[Cp] \leftrightarrow Cp) \bullet (T[C\sim p] \leftrightarrow C\sim p) \bullet (F[Cp] \leftrightarrow \neg Cp) \bullet (F([C\sim p] \leftrightarrow \neg C p)) \}$$

It is difficult to understand, however, to what extent Aristotle's argument in this passage is like a syllogistic deduction, as Ammonius maintains.

It is interesting to see that Ammonius considers the fact Aristotle uses the past $\hat{\eta}\nu$ ('was') in 18b2 worthy of comment. He thinks that here Aristotle is trying to say that facts imply the truth of affirmative sentences not only in cases where fact and statement are simultaneous but also where the statement precedes the fact (141,10-17). This gives the principle:

C(13)
$$(t')(t'')(p)\{(t'' < t' \bullet C_t p \bullet [C_t p]_{t'}) \to T_{t'}[C_t p]\}$$

Ammonius thinks that this principle will play a role in the second proof for necessitarianism. Among contemporary interpreters, only Donini 1989, 6 note 15 agrees with Ammonius. Weidemann 1994, 237, on the other hand, holds that the

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imperfect $\tilde{\eta}_{\nu}$ has nothing to do with the second proof but serves here simply to refer back to an item already mentioned. Though the text does not permit us to decide between the two interpretations we find Ammonius' conjecture quite convincing.

The deduction that Ammonius sketches at 141,18-25 is of the greatest interest. It is probably in these lines that he fulfills the promise given at 140,13 of showing that the argument for necessitarianism depends on the tacit assumption that SFCSs divide truth values in a definite way (one definitely true, one definitely false). In fact, he reaffirms this claim at 141,20 in remarking that the authors of this argument *rightly* imply definite truth values—rightly because he believes that one can prove that their argument actually requires it. This proof is sketched by Ammonius in the lines that follow.

T(15), then, is the claim to prove. Like the proof of T(13) sketched at 140, 4-13, the demonstration for this uses the principle of division of facts, F(11). But this time the demonstration does not proceed by a reduction to the absurd. F(11) serves as a premise from which the claim to be proven can be directly deduced. To do this Ammonius introduces a second premise containing a very strong principle of correspondence, namely C(02), which appears here for the first time in Ammonius' text. The demonstration has the following structure:

lines	premises/conclusions	by which principle
141, 20-21	N(Cp >-< C~p)	F(11)
141, 21-23	$(Cp \rightarrow T_d[Cp]) \bullet (C \sim p \rightarrow T_d[C \sim p])$	C(02)
intermediate con- clusion (unstated)	N(T _d [Cp]) >-< T _d [C~p])	T(14)
141, 24-25	$N\{(T_d[Cp] \bullet F_d[C \sim p]) \rightarrow T_d[C \sim p]) \\ \bullet F_d[Cp])\}$	T(15)

If on the other hand one adopts the standard interpretation, the demonstration given by Ammonius will be read in the following way:

lines	premises/conclusions	by which principle
141,20-1	N(Cp >-< C~p)	F(11)
141,21-3	$(Cp \rightarrow T[Cp]) \bullet (C \sim p \rightarrow T[C \sim p])$	C(04)
intermediate con- clusion (unstated)	N(T[Cp]) >-< T[C~p])	T(11)
141,24-5	$N{(T[Cp] \bullet F[C \sim p]) \rightarrow (T[C \sim p]) \bullet F[Cp])}$	T(13)

By this interpretation, the proof given at 141,20-5 leads to the same result as the proof sketched at 140,4-13. If it were correct, it would be difficult to understand why Ammonius announced at 140,13 a supplementary demonstration of the fact that SFCSs divide their truth values in a definite way. This clearly speaks against the standard interpretation.

But the non-standard interpretation has its own difficulties. It must explain how Ammonius can impute to necessitarians a principle as strong as C(02). To do this, it must be noted that Ammonius considers the fact in question as a present fact about which a predication has been made in the past. Therefore the principle of the necessity of facts T(03) applies to it. Consequently necessitarians have been able to consider a given situation not only as a fact, but as a necessary fact. By C(23) such a fact has the implication that the sentence predicating it is true in a definite manner. Thus necessitarians are able to substitute C(02) for C(23). The only objection that could be raised is that the necessity of facts principle F(03)does not figure in the immediate context and will not be introduced (and refuted!) until paragraph 17 (cp. 145,9-12), when the second necessitarianism-argument is refuted. In fact, Ammonius considers the second argument a sharper and clearer means of demonstrating what paragraph 14 had already concluded, namely, the principle of the definite division of truth values, T(15) (cp. 144,9-14). This close affinity of the two arguments is further underscored by the fact that Ammonius does not give a refutation of the first argument, as if he considered the refutation of the second as also applicable to the first. But, as we will show in Ammonius' reconstruction of the second argument, even though in the argument itself principle F(03) is not made explicit either, he regards it as the indispensable basis on which the entire demonstration depends and which thus must be called into question if the demonstration is to be refuted (cp. 145,9-12 and 152,33-153, 7). It is very likely, then, that Ammonius is reasoning along the same lines as regards the first argument. Thus, although he finds nothing wrong with C(23), he does not accept C(02). He will accuse the necessitarians, then, of wrongly substituting the latter for C(23) on the basis of F(03).

Paragraph 15

The text that Ammonius comments on in this paragraph (lines 18b5-9) contains the conclusion of the first necessitarianism argument. He interprets this conclusion as expressing the claim that the contingent is to be done away with (141,34-5). Interestingly, Ammonius emphasizes that this conclusion follows immediately $(a\dot{v}\tau\dot{o}\theta\epsilon\nu)$ from the validity of the principle of the definite division of truth values T(15) for SFCSs. This is accurate only if the non-standard interpretation is adopted, because according to this C(25) is an analytically true law. The standard interpretation, on the contrary, will have difficulty explaining this $a\dot{v}\tau\dot{\sigma}\theta\epsilon\nu$ because necessitarianism cannot be deduced from principle T(13) alone.²⁰⁸

The rest of the paragraph (beginning at 142,1) contains an explanation of the different sorts of contingent. The appearance in Aristotle's text of the phrases $\dot{a}\pi\dot{o}$ $\tau\dot{v}\chi\eta\varsigma$, "by chance," and $\dot{o}\pi\dot{o}\tau\epsilon\rho$ ' $\ddot{\epsilon}\tau\nu\chi\epsilon\nu$, "however it chances" serves as an opportunity to expound this kind of events in a systematic way based on the Neoplatonic doctrine of levels of being. In fact, following the conclusion that contingency is to be denied, Aristotle introduces two types of contingents, namely $\dot{a}\pi\dot{o}$ $\tau\dot{v}\chi\eta\varsigma$ and $\dot{o}\pi\dot{o}\tau\epsilon\rho$ ' $\ddot{\epsilon}\tau\nu\chi\epsilon\nu$ (18b5-6). These two expressions are often used as synonyms by Aristotle (cp. An. Pr. 1.13, 32b12-13, b17) but, as Weidemann 1994, 143-44 has shown, in De Interpretatione 9 the latter refers to events with an equal probability of occurrence and non-occurrence, while the former refers to contingent events that occur due only to an exceptional constellation of causal factors.

Ammonius proposes a complete, and much more complicated, division of the contingent according to frequency of events and also according to their causes. Under the first heading, he distinguishes (a) what happens for the most part, (b) what happens for the lesser part, and (c) what happens with equal frequency (142,1-5).²⁰⁹ To be sure, this distinction is not found in the lemma being commented on, but does correspond to the sort of conception Aristotle develops in the Topics (2.6, 112b1-15). Then Ammonius subdivides these types of contingents according to their cause. The contingent happening most often is caused either by nature or by art (142,5-13). The more rarely occurring contingent is caused either by chance (katà túzny) or by spontaneity ($\dot{a}\pi\dot{o}$ tautomátou) (142,13-143,1). Events and tigns are positive events happening despite one's expectation or intention, because of a happy constellation of causes. Events $\dot{a}\pi\dot{o}$ ταύτομάτου, on the other hand, happen due to a constellation of causes in nature, i.e. apart from human action. The contingent that happens just as frequently as not depends on a single sort of cause, human choice (143,1-3). The theory of different causes of the contingent explained here by Ammonius does not correspond in every aspect to the Aristotelian conception (cp. again H. Weidemann 1994, 243-244).

Ammonius adds that the latter type of contingent, i.e. the one which does as frequently occur as not occur, is called $\delta \pi \delta \tau \epsilon \rho \sigma \nu \ \tilde{\epsilon} \tau \upsilon \chi \epsilon$ (143,3-6). According to Weidemann's analysis (1954, 243), in *De Interpretatione* Aristotle uses this expression to mean the same thing. On the contrary Ammonius thinks that Aristotle uses it for all contingents—and he criticizes him for doing so, since $\delta \pi \delta \tau \epsilon \rho \sigma \nu \ \tilde{\epsilon} \tau \upsilon \chi \epsilon$ is, according to Ammonius, only the 'core' of the contingent (143,20-2).

Weidemann 1994, 245-6 rightly stresses that this division of the contingent into subclasses would not fit in the context of chapter 9 if a simple statistical

²⁰⁸ See also R. Sorabji 1998, 11.

²⁰⁹ For the three-fold division of the contingent cp. P. Donini 1989, 65-70 and S. Bobzien 1998c, 150.

classification were all that mattered. But as we shall soon see, Ammonius, like Aristotle, is convinced that statistical classification of event types has implications for the modality (probability) of the singular event that belongs to one of these classes.

Lemma 4 (18b9-16)

This lemma contains the second argument for necessitarianism. Ammonius understands that here Aristotle gives a clearer version of the demonstration and proceeds in a more elaborate manner (144,13-4). The editor's division of the commentary into two paragraphs corresponds to its internal structure: in the first, Ammonius explicates Aristotle's text; in the second, he gives his own refutation of the argument for necessitarianism.

Paragraph 16

Let us first determine how the second argument differs from the first and then see to what extent Ammonius recognizes this difference. In view of the great diversity of interpretations for the second argument (cp. Weidemann 1994, 248-63), we must limit ourselves to presenting our own opinion:

1. First of all, the second argument differs from the first in that the principle of the division of truth values, so important in the first argument, is absent in the second.

2. Further, in the second two new principles are found that are absent in the first argument. These are:

(a) the principle of the retrogradation of truth formulated at 18b9-11: $C(13) \qquad (t')(t'')(p)\{(t' < t'' \bullet C_t p \bullet [C_t p]_{t'}) \to T_{t''}[C_t p]\}$

and

(b) the principle of simultaneity of the truth of statement and the corresponding fact, which appears at 18b11-13:

 $C(11) \qquad (t')(t'')(p)\{(t'' \le t' \bullet T_{t''}[C_{t'}p]) \to C_{t''}C_{t'}p\}.$

Our claim, which stipulates that 18b11-13 contains the principle C(11), requires a justification since interpreters are much divided on the issue.²¹⁰ The following arguments support our claim:

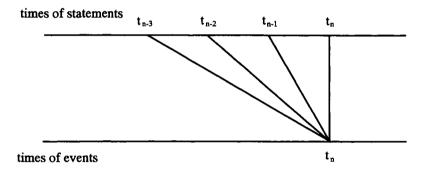
1. It accounts for the fact that the argument reported by Aristotle contains four steps. In fact, according to our interpretation, each of these four steps contains an indispensable new item for the argument, while by the standard

²¹⁰ The problem is how to interpret the $\partial \chi$ $\partial \delta v \tau \epsilon$ in lines 12 and 13. Mostly the expression is given a modal meaning ('impossible'). The expression can, however, have a non-modal meaning as well (cp. Liddell-Scott).

interpretation, the third step is only a reformulation of the result obtained in the second.

2. According to Aristotle (cp. Int. 19a23-6) the two necessitarianism arguments depend on a misguided use of the principle of the necessity of facts and not, as some interpreters have claimed (cp. G. Anscombe 1968, 19; S. Haack 1974, 77-9; G. Fine 1984, 23, 36-8; M. Lowe 1980, 55-62), on the principle of the implication of the necessity of the fact by the truth of the sentence stating it. But C(11) does allow the application of the principle of the necessity of facts, the validity of which is normally limited strictly to present or past facts, to future facts as well. Thus a reconstruction of the second argument is possible that avoids having to fault its authors for mistakes as serious as confusing necessitas consequentiae with necessitas consequentis.

The role that the principle of retrogradation of truth plays in the second argument is just as controversial among interpreters (cp. H. Weidemann 1994, 250-61). In our opinion, this role is as follows. For each future event, one can imagine an infinite series of statements predicting it. Each statement is itself an event taking place in a different period of time.



Now according to the principle of the division of truth values each element of this series is either true or false. But this division does not allow us to conclude that all the members of the series carry the same truth value. Thus in the series of sentences the possibility of both true and false ones is not precluded. If this were the case, it could be deduced by means of the principles used by Aristotle that the given event is necessary at one moment and impossible at another moment. Such a situation is clearly troublesome. To be sure, there would be no instant prior to the event at which it would be a future contingent event, which accords with necessitarianism. But the fact the same event is sometimes necessary and sometimes impossible is at odds with it. One could certainly prove that the very concepts of necessity and impossibility preclude such a case. But the principle of retrogradation of truth solves the problem in a very simple way since it ensures that all the sentences in the series have the same truth value, and consequently that the event that is actualized is at every instant in its 'past' a necessary future event

On this basis, we can reconstruct the second argument for determinism in this way: Let n be the state of affairs 'a white child is born', t_n be the present instant, $t' = t_n$ and $t'' \le t'$. Then we can formulate the argument in the following way:

Steps	Claims obtained	by which principle
	C _r n	beginning claim
1st	$(t'')(T_{t''}[C_{t''}n])$	C(13)
2nd	(t")(¬C _{t"} ¬C _t n)	C(11), C(12)
3rd	$(t'')(\neg P_{t''}\neg C_{t''}\neg C_{t'}n)$	F(14), F(16)
4th	$(t'')(N_{t''}C_{t''}C_{t'}n)$	M(11)

There is no problem in writing $(t'')(N_{t''}C_{t'}n)$ for $(t'')(N_{t''}C_{t''}C_{t'}n)$.

Let us now see to what extent Ammonius understands the subtlety of the argument reported by Aristotle. It must first of all be emphasized that he explicitly states that the first argument lacks clarity and that therefore Aristotle tries in a second proof to deduce the same conclusion more clearly from a new starting point (144,9-14). But it is doubtful that he fully understood the difference between the two arguments.

1. Ammonius does not see that the principle of the definite division of truth values no longer plays any role in the second argument. On the contrary, he holds that just as in the first argument this principle is the principal goal of the deduction, and when it is reached the rejection of the contingent immediately follows (144,9-12).

2. In the other part of the paragraph (beginning at 144,14) Ammonius closely follows Aristotle's text. He notes here that the goal of the demonstration is actually the claim that everything is necessary. This difference in the identification of the goal of the deduction is explained by the fact, already shown in numerous places, that Ammonius allows his own thinking to interfere with his commentary on Aristotle's text.

3. Regarding the principle of retrogradation of truth, Ammonius sees with great clarity that what is established by this principle is the truth of an infinite series of statements each different from the others and not, as Hintikka believes (1973, 147-178 and particularly 166, note 26), the omnitemporal truth of a single statement.²¹¹ He also notes that this principle presents the new element introduced in the discussion (cp. 144,14). But it is highly doubtful that he understands the true import of this new element. When he explains at 144,19-21 the reason the truth of a past statement makes the predicted event necessary, he does not refer to an infinite series of statements, but rather seems to have in mind just one. Thus it appears that for Ammonius what is new in the second argument is not the

²¹¹ Cp. G. Seel's second article in this volume, 237-239.

introduction of an *infinite series* of past statements, but rather the introduction of *past* statements. Thus he reconstructs the second argument as if it were perfectly parallel to the first, only that now the principle of correspondence is applied to past statements.

4. For the same reasons Ammonius does not call into service C(11) in his reconstruction. In fact, he considers the expression dx ddv re to mean 'impossible' (144,26-7) and hence is content with just three steps rather than four. Thus the difference between the second and third steps, so important in our reconstruction, completely disappears. Ammonius does not use in his reconstruction the principle of the necessity of facts either, but grounds the demonstration directly on principle C(21), thus adhering to the dominant line of interpretation, some modern versions of which we have mentioned above. He does not explain how the authors of the argument justify C(21), but his general line of interpretation lets us conjecture that he believes they have wrongly substituted principle C(21) for the correct and anodyne C(22) supposing that 'being true' is the same as 'being definitely true'.

5. Finally if one asks what grounds Ammonius has for holding (at 144,9-11) that the second argument amounts to a demonstration of the principle of the definite division of truth values, it is difficult to know how to respond. Unlike in the passage at 143,17-26 (cp. above pp. 180f.), in paragraph 16 the word $\dot{\omega}_{\rho i\sigma\mu}\dot{\epsilon}\nu\omega\varsigma$, 'definitely', does not appear anywhere in the argument as reconstructed by Ammonius. Thus to respond to this question, we have only the two following options. Either Ammonius regards the second necessitarianism argument as identical to the argument sketched at 143,20-5, or he considers the demonstration to be indirect, assuming that the argument used is valid only if all the truth values are definite. Because it seems the more plausible, we hold to the latter option.

Paragraph 17

In this brief paragraph, Ammonius presents his refutation of the second necessitarianism argument, which (as we shall see) has repercussions for the first argument as well. The text is of great importance since the method Ammonius uses to criticize this argument permits us for the first time to decide on solid grounds whether he adheres to the standard interpretation.

Ammonius first of all makes two negative statements (145,9-12), thus denying the validity of two principles which he apparently considers decisive for the validity of the second proof. In the formulation of the first principle he uses the adverb $\pi \dot{a}\nu\tau\omega\varsigma$, 'in any case', which when placed before the predicate indicates either that the given state of affairs is a settled fact or that it is a necessary fact (cp. our discussion above on the semantics of this expression in our commentary on paragraph 5). In our reconstruction of the 'Reaper' Argument, we opted for the first meaning. For the same reasons we accept this interpretation in the present context too. If $\pi \dot{a}\nu\tau\omega\varsigma$ means 'settled' or 'decided', the first principle whose validity Ammonius denies means this:

C(40) If a state of affairs is now actualized or has already been actualized, the prediction made before the instant of its actualization saying that it is decided (at the moment of its being stated) that this state of affairs will be the case at the later moment – this statement is true. Or: $(t')(t'')(p) \{(t'' < t' \circ C_r p \circ [D_{t'} C_r p]_{t''}) \rightarrow T_{t'}[D_{t'} C_r p]\}$

Ammonius justifies his rejection of this principle (cp. $\gamma \dot{\alpha} \rho$ in 145,11) by denying the validity of another principle (145,11-12). This second principle is a variation of the principle of the necessity of facts.

F(03) If p is the case at t', at any time before t' it was necessary for p to occur at t'. $(t')(t'')(p)\{(t'' < t' \cdot C_t p) \rightarrow N_{t'}C_t p\}$

He must understand that the non-validity of F(03) is a reason for the non-validity of C(40). This implication, however, needs an explanation. If a fact is necessary the sentence stating its necessity is true, according to the principle of correspondence. Therefore, if a present fact implies its prior necessity, it also implies the truth of the sentence stating that it will necessarily be the case and vice versa. So F(03) is equivalent with the following principle.

C(41) If a state of affairs is now actualized or has already been actualized, the prediction statement made before the instant of its actualization, saying that it is necessary (at the moment of its being stated) that this state of affairs will be the case at the later moment, is true. Or: (t')(t'')(p){ $(t'' < t' • C_t p • {N_t C_t p}_{t'}) \to T_{t'}[N_t C_t p]$ }

Now, let us, for a moment, have a look back to the Reaper Argument (cp. above p.158). There we argued that Ammonius could have accepted P(IVc).

$$P(IVc) \qquad (U_{tn}C_{tf} \bullet Ut_{n}C_{tf} \sim r) \leftarrow (K_{tn}C_{tf} \bullet K_{tn}C_{tf} \sim r)$$

On the basis of the premises of the Reaper Argument P(IVc) is equivalent with the following principle.

$$\left(D_{\mathrm{ts}}C_{\mathrm{tf}}p \rightarrow N_{\mathrm{ts}}C_{\mathrm{tf}}p\right) \bullet \left(D_{\mathrm{ts}}C_{\mathrm{tf}} \sim p \rightarrow N_{\mathrm{ts}}C_{\mathrm{tf}} \sim p\right)$$

This, in turn, amounts to the following general principle.

$$M(5) \qquad (t')(t'')(p)(\{(t'' < t' \cdot D_{t''}C_t p) \to N_{t''}C_t p\}$$

Using M(5) one can easily show that C(40) implies C(41). Therefore, if the non-validity of F(03) implies the non-validity of C(41), it also implies the non-validity of C(40). We see from this that Ammonius' justification is perfectly sound and consistent with his treatment of the Reaper Argument.

However, neither C(40) nor F(03) played an explicit role in Ammonius' reconstruction of the second necessitarianism argument. Therefore we have to explain why he believes that their negation undermines that argument. In the argument one deduces from a present fact through intermediate steps the past necessity of that fact. Now, if that conclusion is correctly deduced, the present actuality of any state of affairs implies the prior necessity of its future realization. That is exactly what F(03) affirms. So, by denying F(03) Ammonius in fact doubts the correctness of the second argument. Ammonius is convinced (he says that at 145,18-9) that Aristotle is going to take the same step showing that the necessitarians are not allowed to substitute the false principle F(03) to a principle resembling it, namely F(04), which he considers valid.²¹²

$$F(04) \qquad (t')(t'')(p)\{(t'' \ge t' \bullet C_{t'}p) \to N_{t''}C_{t'}p\}$$

Given the logical relation between F(03) and C(40), denying F(03) and denying C(40) is finally the same move, i.e. doubting the validity of the second argument in its totality. So, why did Ammonius introduce the rather complex principle C(40), which contains a modalized sentence, at all? The answer will be given when we now analyze Ammonius' way of refuting the argument.

So far Ammonius has only doubted the validity of the second argument, but has not given an argument that demonstrates the negation of its conclusion. He tries to do this in lines 145,12-6. Ammonius uses a tactic he has already employed in his refutation of the 'Reaper' Argument (cp. above, pp.159f.). He substitutes for the neutral SFCS, which was the object of the controversy in the preceding paragraph, an alternative of modal sentences. Whoever uses the neutral sentence (c) 'he will be born a pale child' is deliberately leaving it in the dark whether he really means (a) 'he will necessarily be born a pale child' or (b) 'he will contingently be born a pale child.' Assuming the instant of the statement t" occurs before the instant of the actualization of the event t', we can write:

- (a) $C_{t'}C_{t'}n \bullet N_{t''}C_{t'}n$ (b) $C_{t'}C_{t'}n \bullet K_{t''}C_{t'}n$
- (c) $C_{r'}C_{r'}n$

To be sure, sentence (c) must be stated along with one of the two others; both are compatible with it. But if (a) is true, (c) is definitely true, and if (b) is true, (c) is true in a indefinite way. The neutrality of (c) does not allow this difference to appear. Because of this, necessitarians can avoid to specify the way sentences of type (c) possess their truth-values and tacitly suppose that all truth-values are definite ones. This, again, allows them to substitute principle C(21) for the correct principle C(22) and use the former in order to deduce the necessity of the fact from the truth of the sentence predicting the fact. This means that they obtain their conclusion surreptitiously, covering up the fact they commit a *petitio principii*. By obliging them to choose between (a) and (b), Ammonius makes the *petitio*

²¹² Aristotle in fact makes this claim at 19a23ff.

principii obvious. Of course, the determinists can still stick to their position, but they cannot pretend to have proved it.

Ammonius, on the other hand, insists that 'the birth of a pale child' is actually a contingent event. Thus, according to him, (b) is true and (a) is false (145,12-4). But he makes no effort to prove that. He might think he does not need to, as long as the necessitarians have no proof of the contrary either. But if he is right, C(40) and F(03) are false and the second argument loses its foundation.

At the end of the paragraph (145,16-9), Ammonius clarifies the epistemological foundations of statements (a) and (b). He requires, in effect, that the validity of type (a) statements not be decided on the basis of an event that has already occurred, but by deciding before it has happened whether it is going to happen by necessity. In fact, once the event has occurred, type (a) statements are no longer in danger of being shown false. Before the end of the process that produces the event, on the other hand, type (a) statements can be falsified because the type of event, if it is contingent, could still not occur. This is why in this case one only dares to make a type (a) statement if there are reasons to believe the type of event will necessarily occur. These reasons can only be the knowledge that the causes of the future type of event already exist at the moment the statement is made and the knowledge of the causal tie linking these causes and the type of event (regarding this, cp. 137,1ff and our commentary on paragraph 10 on p.163 above).

It is interesting to compare Ammonius' refutation of the second necessitarianism argument to his refutation of the Reaper Argument. As we already emphasized both refutations use the same method, consisting of modalizing plain sentences and of showing that not only one but two different modalizations are possible of which only one has necessitarian consequences. In the case of the Reaper Argument Ammonius explicitly argues that the necessitarians by choosing the modalization convenient to their purpose would commit a *petitio principii*. As we have seen, in the present case the same blame is implicit in Ammonius' argument. It is important to note also that in his refutation of the second necessitarian argument Ammonius denies explicitly the first two premises of the Reaper Argument and he seems to admit that these premises in fact have necessitarian consequences. So we find in this paragraph an indirect confirmation of our reconstruction of the Reaper Argument given above.

The positions defended by Ammonius in this paragraph permit us to determine whether or not he holds the standard interpretation. Two points are relevant to this.

1. If Ammonius accepted the standard interpretation, in order to criticize the second argument, he would call into question the validity of the correspondence principle for SFCSs. But he does no such thing. On the contrary, the strategy he pursues in paragraph 17 precisely corresponds with what one would expect if he was a supporter of the non-standard interpretation.

2. Moreover, paragraph 17 contains a clear proof that Ammonius attributes truth values to SFCSs. An example is devised in which the event predicted in sentence (c) is a present contingent fact. It is time and not prior necessitating causes that has put it into being (cp. 145,11-2). In our opinion, this means that in order to explain this fact, one must appeal to the ontological principle of non-contradiction which requires that at every present moment only one of two contradictory states of affairs can, and exactly one must, be the case. Now Ammonius stresses that statement (b), affirming that the fact is going to take place contingently, is true (145,13-4 and 15-6).²¹³ This seems to exclude Ammonius' denying a truth value to statement (c), which predicts the same event but without specifying its modality. If (b) is true, (c) is as well because (b) implies (c).

3. Unfortunately Ammonius in the paragraph does not explicitly discuss the specific manner in which sentences (a), (b) and (c) possess their truth-values. According to our interpretation, the simple truth of (a) entails the definite truth of (c) and the simple truth of (b) has the consequence that (c) is true in an indefinite way. But despite the fact Ammonius used these distinctions throughout his restatements of the first and second necessitarianism arguments, in his refutation of the latter, this distinction no longer appears. One must wait till the following paragraph for its reappearance.

Lemma 5 (18b16-25)

Paragraph 18

In this lemma Aristotle returns to a question raised in the second lemma (cp. above, p.174), the question of whether SFCSs can be false together and if not, why not. This is why J. Ackrill 1963, 137 and D. Frede 1970, 86 suspect that the passage was wrongly placed here and should be relocated to the passage 18a34-b4. H. Weidemann 1994, 268 objects to this proposal because it would seriously muddle the argument which, among other things, presupposes the result obtained at 18b5-16.

Regarding the goal of the argument, interpreters are not in agreement either. Ackrill *loc. cit.* thinks that Aristotle is intending to refute for the first time the claim that two contradictory SFCSs can be false together. And he accuses him of committing a *petitio principii* in this demonstration. But to support him against this charge, Weidemann (1994, 264-5) suggests that the goal of the demonstration is only to show that, even if the two statements could be false together, it would still lead to determinist consequences. But according to Ackrill this point is pursued in a second argument.

Ammonius also locates the passage in the context of the second lemma. But unlike modern interpreters, he does not think for a moment that it could be misplaced, because he doesn't think it odd or unusual to return later to a question left unanswered.

²¹³ One cannot cite in support of the opposite claim the future $\dot{a}\lambda\eta\theta\epsilon\dot{v}\sigma\epsilon_i$, 'will speak the truth', at 145,13. This has only rhetorical value, as $\dot{\eta}\lambda\dot{\eta}\theta\epsilon\nu\epsilon$ in 145,15 confirms, and we should not be tempted to follow this false path.

Concerning the goal of the argument, he holds (as does Ackrill) that Aristotle first of all intends to prove that SFCS contradictories cannot be false together, and that he shows in a second argument that even if this were correct, it would not permit an escape from necessitarianism (cp. 146,5-6).

The beginning of the paragraph confirms what we have said concerning paragraph 13. Ammonius is convinced that Aristotle presupposes definite truth values in the demonstration he gives for the principle of division of truth-values. Ammonius, then, understands lines 18a35-9 as a faulty demonstration of the principle of the *definite* division of truth values. He had already declared in paragraph 13 that this demonstration was incomplete and was to be completed later. He finds this completion, correctly, in the fifth lemma. According to him, SFCS contradictories are either true together or false together or they divide truth values. In order to prove the last, the other two possibilities must be excluded. The possibility of being true together has already been rejected in the second lemma. The possibility of SFCS contradictories being false together remains to be refuted.

To do this, Aristotle (according to Ammonius) advances three arguments:

- 1. This hypothesis is incompatible with the principle of non-contradiction (146,11-3).
- 2. The hypothesis has the consequence that the state of affairs the SFCS describes will at the same time be the case and not be the case (145,13-5).
- 3. This in turn implies the necessity that the given state of affairs will be the case and not be the case (146,15-6).

Thus it is by a reduction to the absurd that the hypothesis of co-falsity of SFCSs is refuted (146,16-7). At the same time it is shown that, even if the hypothesis were valid, one could not escape necessitarianism, as the third argument proves.

Concerning 1: Ammonius' claim that the co-falsity of SFCSs does away with the 'principle of contradiction' is accurate, if this expression is understood in a Neoplatonic way to refer to both the principle of non-contradiction and the principle of excluded middle.²¹⁴ It should be noted, however, that Ammonius is mistaken when he maintains that Aristotle advances this argument. In fact, Aristotle does not mention the principle of contradiction. At most, it could be said

Syrianus, In Aristotelis Metaphysica commentaria, CAG VI.1, 18,6, commenting on Metaph. III 996b24 ff explains that the ancients ($\pi a \rho a$ $\tau o i \varsigma$ $\pi \rho e \sigma \beta u \tau e \rho o s$) held two things concerning the principle of contradiction: first that the contradictory sentences can never both be wrong about anything and second that it is impossible that both are true at the same time. He adds that in his own day the expression is used in both ways and that he and the members of his school think that the second is simply true whereas the first is valid with qualification (it is not valid of the highest entity). See also Simplicius, In Aristotelis Physicorum libros commentaria, CAG IX, 21,25-29; 240,13-20; X, 985,17-20; 1021,3-4, and Ammonius' own paragraph 13, 139,32-140,4.

that he uses it, which in fact earns him the accusation of *petitio principii*. Ammonius' interpretation avoids this criticism.

Concerning 2: Ammonius stresses that Aristotle, to derive the conclusion that a state of affairs will at the same time be the case and not be the case, uses the principle introduced in the second lemma that the truth of the sentences implies the actualization of the predicted events (146,17-9), i.e. principle C(11).

Concerning 3: Actually, in lines 22-29 Ammonius attributes to Aristotle a deduction whose conclusion he states at 25-26, quoting from Aristotle's text (18b22-3): 'But if it will neither be nor not be tomorrow, there would be no event of the kind> "however it chances". Ammonius interprets this as meaning that the hypothesis that anything is contingent must be denied if two contradictory sentences can be false together. The reason why one must renounce this hypothesis is-according to Ammonius-that the co-falsity of two contradictory sentences implies that the same thing at the same time both of necessity occurs and of necessity does not occur (15-16). The two premises which Ammonius says lead to this conclusion are described by him somewhat ambiguously. Our interpretation is that the first principle mentioned (τούτω τω θεωσήματι 146.24) is the one which follows from the example given in 21-22 and which-according to Ammonius—is not stated by Aristotle, i.e. the principle that from false sentences the non-existence of the thing stated follows (24); and that the second principle, which is described as the principle 'left out' (25) is the one which Aristotle left out when he discussed the possibility of two contradictory sentences being true together (18a34-b4), i.e. the theorem which says that they can be false together, which is actually at stake in the present paragraph and which Ammonius said (140,10-1) Aristotle would add later.

Ammonius does not explain to us exactly how he thinks Aristotle derives the conclusion that the notion of the contingent is to be done away with. He could get it either through principle C(22), assuming definite truth values, or directly from the second argument through the principle of the necessity of facts, F(03). Aristotle's text is unclear on this. Weidemann (1994, 268) thinks that both the $\delta \epsilon \hat{i}$ in b21 and the $\delta \epsilon oi$ in b24 (both = 'it is necessary that...') indicate necessitas consequentis. Thus Aristotle would use principle C(12) to reach this conclusion. But it is equally possible that the two terms indicate necessitas consequentiae. In this case, the decisive step would be found in lines 18b22-5. The contingency of the event assumes it might actually take place or might not. But if the event neither has nor has not taken place, there is no contingency.

Lemma 6 (18b26-19a6)

In this lemma Aristotle passes from the exposition of the necessitarianism argument to reasons for rejecting it. He points out absurd consequences of the argument, mentions the uselessness of deliberation and individual initiative if necessitarianism were true, and returns to the theme of the retrogradation of truth. The lemma is commented on in paragraphs 19 and 20.

Paragraph 19

Weidemann 1994, 269 maintains that the absurd consequences Aristotle talks about at 18b26 are not those mentioned at 18b25 (that a sea battle must at the same time happen and not happen) but are those following when one applies the principle of the division of truth values to SFCSs and doing so concludes to the nonexistence of the contingent (cp. also Ackrill 1963, 137).

Ammonius' opinion on this point is not perfectly clear. On the one hand, he seems to recognize (as does Ackrill) that the absurdity involved here is that of denying contingency (147,22-5), the absurdity of which Aristotle has not yet demonstrated. Demonstrating this absurdity, then, would be one of the objects of this passage. But on the other hand, Ammonius says (147,25-8) that Aristotle adds certain further consequences which he calls 'absurdities' even though he has not yet demonstrated their absurdity. These consequences must include the fact that necessitarianism renders human initiative superfluous.

Ammonius also considers an absurdity the entire argument that leads to the denial of contingency (147,30), and he thinks that Aristotle refutes this argument in two ways:

- (a) by demonstrating the impossibility, i.e. the unacceptability, of what follows from it;
- (b) by demonstrating that the premises it is grounded on are false.

Thus he attributes to Aristotle's text a structure conforming to the two methods Neoplatonists used to refute an argument, i.e. $\dot{\epsilon}\nu\sigma\tau\alpha\sigma\iota\varsigma$ 'objection' and $\dot{\alpha}\nu\tau\iota\pi\alpha\rho\dot{\alpha}\sigma\tau\alpha\sigma\iota\varsigma$ 'counter-objection, rejoinder'. If you follow the first you do not accept the argument at all, but refuse to agree to its premises. If you apply the second you accept the premises of the argument and then show that they are not able to demolish your thesis or else have inacceptable consequences (cp. Ammonius In Cat. 52,22-53,5).

The last task is, according to Ammonius, accomplished in the present lemma; the first 'a little later', he says, i.e. in the eighth and final lemma (cp. 152,23ff.).

In characterizing the logical structure of the last type of refutation, Ammonius seems to be attributing to Aristotle an argument patterned after the second indemonstrable of the Stoics, viz. modus tollendo tollens (cp. Sextus Empiricus, M. VIII, 225), which has as premises (a) a conditional statement $p \rightarrow q$, (b) the negation of the consequent of this conditional and, as a conclusion, the negation of the antecedent. If, from the affirmation that SFCSs divide their truth values in a determinate way, the claim follows that everything happens by necessity (an implication Ammonius considers sound), and if the evidence (cp. *ėvápyeva* 148,3) confirms the negation of this claim, i.e. that there are contingent events, then one can deduce the negation of the claim that SFCSs divide their truth values in a definite way.

In the second part of the paragraph (148,5ff.), Ammonius interprets the actual argument used by Aristotle to reach this conclusion. Nevertheless, as he

often does, he fails to stick to the letter of Aristotle's text, constructing his own argument based on Aristotle's. In lines 18b31-3, Aristotle says simply that the necessity of events renders our deliberations and our strivings useless. This seems to be a precursor of the argument called $d\rho\gamma\delta\varsigma\lambda\delta\gamma\sigma\varsigma$ ('lazy argument'), which was made later for refuting Stoic fatalism (cp. Cicero, *De Fato 29*).²¹⁵ Ammonius, on the other hand, strengthens this argument by introducing the theorem 'nature does nothing in vain' into it.

In paragraph 20 (149,1-3) Ammonius gives an example of the type of argument used by Aristotle which shows that he considers it quite similar to the Lazy Argument: 'If we intend to sail from Egypt to Athens, we need not go down into the harbor, seek a ship, or stow our baggage. In fact, even if we have done none of these things, it is necessary for us to arrive in Athens.' We know from Cicero, *De Fato* 30 that Chrysippus brilliantly showed the failure of such an argument through his theory of *confatalia*: if it had been determined by *fatum* that someone would go to Athens, it was also determined that earlier he would have gone searching for a boat, etc.

The argument developed by Ammonius from the Lazy Argument, however, is not so easily defeated because of the introduction of an additional principle that strengthens it. It involves the principle, already used in paragraph 11 (cp. p.167 above), that nature does nothing in vain.²¹⁶ Aristotle affirms this principle elsewhere (cp. the preceding note), but does not mention it at all in our present context. For Ammonius, the force of this principle rests on two facts: its validity is beyond doubt (148,16-18) and the determinists (surely the Stoics above all) must accept it (148,19-22).

The introduction of this principle permits Ammonius to incorporate Aristotle's argument into an argument that is more complex and stronger: nature has made us capable of deliberation but, as the Lazy Argument shows, this ability is useless because, according to the determinists, this same nature 'has left nothing in our power'. Thus nature would be doing something in vain (cp. 148,22-4).

It is interesting that after this argument, Ammonius mentions a counter-argument which resembles Chrysippus' counter to the Lazy Argument.²¹⁷ Someone could reply that nature uses our capacity to deliberate ($\partial_t \dot{\alpha} \nu o_t a$) as a tool for realizing various states of affairs (if we read with FG $\pi \rho a \gamma \mu \dot{\alpha} \tau \omega \nu$)²¹⁸ (148,24-5). In other words, it is not in vain that she gave us the ability to deliberate because she uses it to realize the ends she pursues by means of our actions. If this objection were valid, it would defeat Ammonius' argument. So he

On the question of determining whether the argument used by Aristotle is identical in its structure to the Lazy Argument, cp. H. Weidemann 1994, 271-2. Cp. also S. Bobzien 1998a, 182ff. Alexander, *De Fato* 11, 178,8-180,2 (Bruns) develops a similar argument.

²¹⁶ Above, n.194.

²¹⁷ For the Lazy Argument and Chrysippus' counter cp. again S. Bobzien 1998a, 182ff.

²¹⁸ In our translation we follow Busse who reads $\pi \rho a \xi \epsilon \omega \nu$. Thus we translate: 'to bring about our actions' instead of 'to bring about states of affairs', but this difference does not affect the overall meaning of the counter-argument.

attempts to show (148,25-8) that the assumption it is based on is false. The argument is as follows: if nature had wanted to use our practical intelligence to realize her own ends, she would have had to do it in such a way that we would ourselves be disposed toward the actions we have been assigned, as is the case for creatures actually impelled by nature. To this one can add that, instead of giving us such an impulse, nature gave us the ability to deliberate with the result that we are in charge of whether a given action is done or not. Thus nature risks having something occur that she doesn't intend.²¹⁹ Consequently, Ammonius can maintain that, given the hypothesis of determinism, nature has done something in vain in giving us the ability to deliberate.

He tries to support the claim that nature does not use deliberation, by claiming that when we imitate the production of nature in the arts, we no longer proceed by deliberation. This is of course a dubious point, but it seems to have been accepted by some ancient philosophers.

Is Ammonius' response convincing? In our opinion, this depends entirely on one's conception of the deliberation capacity. If it is conceived as Ammonius does, as in effect the freedom to act or not to act, his argument is sound. If, however, one conceives of it as the Stoics do, as a capacity whose effects are determined by prior causes, nature certainly can make use of such a capacity to attain her own ends.

Paragraph 20

Ammonius comments here on two items treated in the second part of the lemma: (a) the claim that necessitarianism renders our deliberation useless (148,32-149,15), and (b) the question of whether a statement effectively predicting an event is required for the validity of the argument for the necessity of the predicted event (149,15-34).

(a) The uselessness of deliberation has already been discussed in the preceding paragraph. Ammonius presents here two types of deliberation, one concerned with means, the end being fixed (deliberation on the means of getting to a given destination), the other concerned with the end itself (Achilles deciding between glory and longevity, cp. *Iliad* 9, 412-16). It is worth noting that Ammonius proposes as a criterion for making this choice the *degree of value* of the end in question.

(b) The passage 18b36-19a1, which Ammonius comments on at 149,15-34, is currently considered as a parenthetical remark (H. Weidemann 1994, 272). Ammonius restates it as a possible objection to the second necessitarianism argument, which is succinctly reformulated in lines 18b33-6. In fact, one could

²¹⁹ This, however, presupposes that deliberation is concerned with ends and not only with means. Though it seems that Aristotle himself limited it to the latter (cp. EN, III, 1113b2-5; VI, 1142b28-33) in the Hellenistic period this limitation is not observed any more.

object that the predictions on which the argument is based have never been made and therefore the necessity of the corresponding event does not follow. Ammonius rightly understands that Aristotle's remark at 18b36-37 counters this objection. In fact, Aristotle argues that an actual prediction is not necessary. For the argument to be valid, all is needed is a true sentence. Whether it is enunciated or not does not make any difference in this regard (18b37-38). According to Aristotle, the claim that an actual enunciation is necessary depends on a conclusion wrongly derived from the rule that a fact and the true sentence affirming it imply each other. It cannot be inferred from this rule that the true sentence is the cause of the event it predicts. Ammonius perfectly understands Aristotle's point, he is right to refer to *Cat.* 12, 14b8-23, where Aristotle makes this point clear: a true statement is in no way the cause of the existence of something, but its existence is the cause of the fact the statement is true. According to Ammonius, this is why the necessitarianism argument does not presuppose the enunciation of the prediction.

Given Ammonius' conception of the $\dot{a}\pi o\phi a \nu \tau \kappa \dot{o}_{5} \lambda \dot{o}_{705}$ as a speech event (cp. Seel's article in this volume pp.218ff.) this claim, however, is not without problems in his case. For, strictly speaking, for Ammonius there are no truth-bearers that are not enunciated and consequently no predictions that are not uttered. Accordingly Ammonius speaks of 'prophecies which are said' (149,31) in his concluding statement. However, how can he nevertheless agree with Aristotle that it makes no difference whether they are enunciated or not? Ammonius resolves the problem by distinguishing two modalities of these speech-acts. He renders Aristotle's claim specifying that the argument holds, whether the prophecies are said *actually or (only) potentially* (149,31-32). So the entities he speaks about are still speech events, but by distinguishing actual and potential events he can reach the same conclusion as Aristotle.

Weidemann 1994, 272 holds that at *Int.* 18b36-19a1 Aristotle is stressing the fact that the truth of a sentence in the future tense depends on the present existence of causes which make the occurrence of the predicted event necessary; to support this he cites *Metaph.* VI 3. One may doubt that what Aristotle says in this chapter actually supports this claim. But, however this may be, Ammonius never mentions such prior causes in the context of his theory of truth. In fact, if and only if one starts from the assumption that the truth-makers of future sentences are the causes given at the same instant as their enunciation, Weidemann's interpretation is valid. But, as we shall see, (cp. below pp.239f.) Ammonius does not hold this hypothesis.

Lemma 7 (19a7-22)

The structure of Aristotle's text is as follows. It consists of a conditional proposition whose antecedent is formulated at 19a7 (ei dù $\tau a \hat{\upsilon} \tau a$ $\hat{d} \hat{\upsilon} \upsilon a \tau a$, 'if this is impossible...') and the consequent appears at 19a18 ($\phi a \nu e \rho \hat{\upsilon} \upsilon \tilde{\upsilon} \tilde{\iota} \tilde{e} \rho a$ Arist.], 'Now, it is clear that...'). The long passage (19a7-18) beginning with $\delta \rho \hat{\omega} \mu \epsilon \nu \gamma \dot{\alpha} \rho$,

'For we see that...', is meant to support the claim of the antecedent (cp. H. Bonitz 1969, 135 ff.; H. Weidemann 1994, 274).

Ammonius devotes two paragraphs to this lemma. In the first, he reaffirms Aristotle's claim that there are contingent things and gives examples of this. In the second, he gives a Neoplatonic explication of the three types of things Aristotle distinguishes, necessary things, impossible things and contingent things.

Paragraph 21

The reductio argument that Aristotle attempts requires that the consequences of the claim to be refuted be impossible. Aristotle shows this impossibility by listing a number of facts that contradict these consequences. Although Ammonius understands perfectly the structure of Aristotle's argument, he seems to be in error regarding passages where Aristotle sets out the various stages in the demonstration. Thus he claims (150,16-7) that Aristotle has already proved the impossibility of these consequences. But as $\gamma \acute{a}\rho$, 'for,' at 19a7 makes clear, Aristotle in this passage is concerned with demonstrating this very impossibility. It is interesting to note that Ammonius adds a series of actions not mentioned by Aristotle that would be impossible or 'in vain' if necessitarianism were true: praising, blaming, practising virtue or vice.

Paragraph 22

This paragraph is devoted to the classification of different types of entities (states of affairs). Following Aristotle, Ammonius distinguishes entities that always exist, entities that never exist, and those that sometimes exist and sometimes not. He assigns to the first type of entities the mode of necessity, the second impossibility, the third contingency. Ammonius explains why an eternal being exists necessarily: always perfect, such a being has all the qualities belonging to its essence. According to him, it follows that such a being cannot not exist. The lack of perfection of contingent beings explains why they are subject to generation and corruption. This explanation conforms to Aristotelian theory.

Aristotle affirms that the generation of contingent beings is itself contingent (19a11). This claim is very important: it establishes a link between two types of modalities, namely, the modalities tied to the totality of moments (omnitemporal modality) and the modality tied to moments or periods that are limited. Let us briefly explain the difference between the two types of modality.

1. If an entity possesses the first type of necessity, it is necessary that it exists at every moment, if it possesses the second type of necessity, it is necessary now that it exists at one precise moment or period of time. For the mode of impossibility the analogous determinations hold.

2. If an entity possesses the first type of contingency, it is possible that it exists at a part of the totality of moments and that it does not exist at a part of that totality. According to Aristotle this means that a contingent entity does not have the possibility to exist at all moments and lacks the possibility not to exist at all moments as well.²²⁰ If, however, an entity is contingent according to the second type of modality it is possible at the present moment that it exists at a precise moment or period of time and that it does not exist at the very same moment or period of time.²²¹

Aristotle holds (cp. $\omega \sigma \tau \epsilon$ in 19a11) that the first type of contingency implies the second, so that the first type of necessity implies a necessity of the second type (cp. Seel 1982a, 248-51). This claim is quite debatable because it is difficult to see why there cannot be entities having the first type of contingency whose genesis is at a certain moment necessary in accordance with the second type of necessity. The reason Aristotle does not accept this possibility are found in his conception of causality (cp. G. Seel 1982a, 360 ff.) which we cannot explain here. Ammonius, on the other hand, accepts Aristotle's conception without debate because he reports it as a triviality (151,25-8).

We shall see the importance of this conception of the modalities in the interpretation of the next lemma. The conception comes down to this: the real topic of the discussion that chapter 9 of *De Interpretatione* is concerned with is necessity of the second type. It is thus surprising to see that Ammonius as well as Aristotle use statistical distributions for characterizing the modalities in question, because such a characterization is suitable for the first type of modality, but not at all for the second. This procedure can be explained, however, if one takes into account the logical relations that the two philosophers say link the modalities of the second type with those of the first.

One further remark by Ammonius at the end of the paragraph (152,9-11) merits our attention. He says that assertions (anodavoeic) behave regarding their truth values in the same way states of affairs do (regarding their values 'being the case' and 'not being the case', it should be added). This means that all the modal distinctions that have been introduced in this paragraph for distinguishing modes of being the case can be also used for distinguishing modes of being true or false. This is a very important step that Ammonius makes here. We shall see that he makes extensive use of the modalities of true and false in his interpretation of the following lemma. This procedure is all the more surprising for having no parallel in Aristotle's text.

²²⁰ Cp. Cael. I.12 282a5-9. For details, cp. G. Seel 1982a, 222-3.

²²¹ Cp. G. Seel 1982a, 233-56.

Lemma 8 (19a23-b4)

All interpreters agree that the eighth lemma contains the most conclusive passage of chapter 9, in which Aristotle tries to refute the arguments for necessitarianism that he presented earlier. But as to how he proceeds in this there is much disagreement. In this debate the fundamental dispute is between the standard and non-standard interpretations, which we presented at the beginning of our introduction (cp. pp.17-18 above and the treatment of this dispute in Seel's article in this volume, pp.235-236). For the details of the controversies concerning the passage 19a23-b4 again cp. Weidemann (1994, 279-99). Ammonius' commentary on this passage is thus of great importance, and particularly the question of whether or not he gives a non-standard interpretation of Aristotle's procedure.

Ammonius understands Aristotle's argument in this lemma as an internal refutation (cp. the term evioráquevoc, in 153.7, which refers to evoragic, the primary Neoplatonic method of refuting an argument; cp. p.192 above), which is added to the external refutation developed in the preceding two lemmas and which thus completes Aristotle's argument. The external refutation was, as we saw, a reductio ad absurdum. Now the task is to show that the argument for necessitarianism is not founded on sound premises, and thus fallacious. One remark at the beginning of paragraph 23 (153,9-10) shows where Ammonius suspects the error is committed in the argument. He tells us that Aristotle examines 'how <statements which bear on the future> do have the <property> of being necessarily true and how they do not'. This remark, however, tells more about Ammonius' procedure than about Aristotle's. The latter, in fact, does not make use of any differences in modes of truth. Ammonius, on the other hand, not only introduces such modalities in the course of his analysis, but also effectively grounds the refutation he proposes on the differences in modes of truth values, of which the difference between 'definitely true' and 'indefinitely true' is the most important, but not the only one.

Weidemann correctly divides the passage 19a23-b4 into three parts: 19a23-32, 19a32-9 and 19a39-b4. The three paragraphs into which Ammonius divides his commentary do not at all coincide with these three parts, nor is it clear to what extent he follows the logical structure of Aristotle's text. If any correspondence can be determined between Ammonius' three paragraphs and passages in the lemma, the following is the most probable: paragraph 23 - 19a23-8; paragraph 24 - 19a28-33; paragraph 25 - 19a33-b4.

Paragraph 23

The controversy mentioned above starts off with the interpretation of the first passage, 19a23-5: What concepts of necessity is Aristotle distinguishing here? In today's secondary literature, one generally finds two responses:

- 1. the claim that Aristotle distinguishes here between *necessitas* consequentiae and necessitas consequentis, a claim held by G. Fine 1984, 24 ff. and others.
- the claim that the two concepts distinguished here are the concept of necessity that is doubly linked to the present moment and the concept of omnitemporal necessity; this is held by such interpreters as S. McCall 1969, D. Frede 1972 and 1985, H. Weidemann 1980 and 1994, G. Seel 1982, S. Waterlow 1982, J. Vuillemin 1983b and 1984 and G. von Wright 1984.

Ammonius also understands that the key to the Aristotelian refutation is the distinction between two types of necessity.²²² He clearly interprets this distinction along the lines of the second claim (cp. 153,13-22), assuming (too restrictively) that the two modes are concerned with the way a property holds of a subject. He defines absolute and primary necessity as that whereby properties hold always of a subject so that it cannot exist without them. But he adds that there are two cases where this necessity applies: (a) where the subject is itself eternal, and (b) where the existence of the subject is limited in time. This is why the definition modern interpreters give of this first type of necessity is not applicable to absolute and primary necessity as it is conceived by Ammonius. The modern definition is as follows:

 $N_aCp \leftrightarrow_{def} (t) C_tp$

Ammonius probably intends to be consistent with Aristotelian theory as presented in *Cat.* 10, 13a8-17, according to which a predicate can necessarily be said of a subject without the state of affairs thus described itself existing necessarily, as is the case with fire necessarily being hot and Socrates necessarily being an animal.

Qualified necessity, on the other hand, is defined by Ammonius entirely in agreement with contemporary interpretation as the necessity that a property holds of a subject as long as it is predicated of the subject in accordance with the truth. By this formulation, Ammonius does not mean that the second type of necessity depends on the truth of a sentence but rather, just as in the modern interpretation, on the corresponding fact. The examples of such necessity that he gives at 153,22-5 show this clearly. It can thus be defined in the following way:

$$(t')(t'')(N_{bt'} C_{t'}p \leftrightarrow_{def} t' = t'' \cdot C_{t'}p)$$

We will henceforth call the first type of necessity 'absolute necessity' and the second 'conditional necessity'.

It is interesting to note that Ammonius feels himself obligated to give a defense of the Aristotelian claim that as long as a state of affairs is the case, it is, by the second type of necessity, necessary that it be the case. So he argues:

²²² As R. Sharples has reminded me, these distinctions were to play an important rôle in Arabic logic. Cp. N. Rescher 1967 and R. Sharples 1978b.

someone who is not walking cannot walk, while he is not walking. Here Ammonius is apparently making use of the ontological principle of non-contradiction, i.e. that it is impossible that a state of affairs and its contradictory both be the case at the same time:

$$(t')(t'') \{t' = t'' \rightarrow \neg P(C_{t'}p \bullet C_{t''} \sim p)\}$$

But Ammonius is wrong to apply this principle to the Aristotelian claim. The latter is not concerned with the question of whether two contradictory states of affairs can be the case at the same time, but with whether the existence of a certain state of affairs precludes the possibility that at the same moment it might not exist. In other words, Aristotle holds the claim (a) and not (b):

(a)
$$C_r p \rightarrow \neg P_r C_{t'} \sim p$$

(b) $C_r p \rightarrow \neg P_r (C_r p \bullet C_{t'} \sim p).$

While (b) follows analytically from the ontological principle of non-contradiction (a) is a much stronger principle of modal logic, which cannot be deduced from the principle of non-contradiction. Thus Ammonius' argument is not acceptable. But it seems his error is not easy to avoid: one encounters it in our own day as well.²²³

The last point to be raised about this paragraph is that Ammonius already presents the modal treatment of truth values that he is going to develop in the next paragraph. He applies the adverbial expression $\dot{a}\pi\lambda\hat{\omega}_{\varsigma}$, 'absolutely', not only to modes of being and to being, but also to being true (153,30-154,2). He supposedly would accept this definition for the expression 'being absolutely true': a sentence is absolutely true if and only if the state of affairs it affirms is necessarily the case, i.e. by absolute and primary necessity. We shall see in the next paragraph that he gives a similar account of the expression 'being definitely true' though, as we shall see, this does not mean that only those sentences which are absolutely true are definitely true.

Paragraph 24

On the basis of the distinctions elaborated in the preceding paragraph, Ammonius in this paragraph makes two related points:

1. He enlarges the scope of modalities so that the modes of being true correspond with the various modes of being the case distinguished in paragraph 23, adding modes that are here introduced for the first time.

2. He differentiates among necessarily true sentences by the sort of necessity they have (absolute vs. conditional necessity); and tells why each of three types of sentences possesses its mode of being true: (a) complex sentences of a disjunctive form, which he calls $\dot{a}\nu\tau\tau\phi\dot{a}\sigma\epsilon\iota\varsigma$, 'contradictions', (b) simple sentences about

²²³ Cp. U. Wolf 1979, 115 and G. Seel's criticism (1983, 88 n. 4). Cp. also our discussion of R. Gaskin's 'modality relative to the facts' principle (p.20 above) which would, if sound, allow such a deduction.

non-contingent states of affairs, and (c) simple sentences about contingent states of affairs of the present or past. These are the concepts of modality that permit him in paragraph 25 to develop his refutation of the argument for necessitarianism.

To enlarge the scope of modalities, Ammonius uses the principle of correspondence he has already briefly mentioned in paragraph 23 (153,11-13). To do so, however, he must enlarge its scope of application. Before, we rendered the principle of correspondence thus:

$$C(01) \qquad N\{(T[Cp] \leftrightarrow Cp) \bullet (T[C\sim p] \leftrightarrow C\sim p) \bullet (F[Cp] \leftrightarrow \neg Cp) \bullet (F([C\sim p] \leftrightarrow \neg C - p))\}$$

This principle makes truth values correspond to facts and non-facts. To introduce modalities of truth values, however, Ammonius needs a principle that makes modes of truth values correspond to modes of facts and non-facts. At the beginning of paragraph (154,34) he introduces just such a principle of correspondence, though only for the mode of necessity; and he reformulates the principle with a small variation at the end (154,16-20).

Let us see first of all to what extent this step is justified by Aristotle's text, or to what extent it misrepresents it. To justify it, Ammonius can refer to 19a33, where Aristotle formulates his principle of correspondence thus: δμοίως οἱ λόγοι άληθεῖς ὥσπερ τὰ πράγματα, 'the sentences are true in the way that the things are'. The meaning of this abbreviated formula is a matter of controversy (cp. H. Weidemann 1994, 292-4). Weidemann suggests, not unreasonably, that it has this sense: 'sentences behave regarding their being true just as things behave.' To make the meaning entirely clear, however, we would have to add: 'just as things behave regarding their being the case.' Interpreted this way, Aristotle's formula corresponds to C(01). But without being broadened, it does not permit the modes of being true to correspond to modes of being the case, contrary to what Ammonius intends. Nevertheless, as Weidemann is right to emphasize, Int. 19a33 should be considered in the context of 19a32-5. This clearly shows that Aristotle uses the principle formulated at 19a33 to justify a correspondence between the contingency of being the case and the contingency of being true. Certainly then, he would also admit a correspondence between the necessity of being the case and the necessity of being true.

Thus Ammonius is not completely wrong in asserting at the beginning of paragraph 24 that Aristotle says that the mode of necessity behaves regarding truth in sentences in a similar manner to what he said regarding (the existence of) the things. The only difference is that Aristotle makes this analogy for the mode of contingency ($\delta\pi\delta\tau\epsilon\rho$ ' $\epsilon\tau\nu\chi\epsilon$, "however it chances") and not, as Ammonius supposes, for necessity.²²⁴ But this difference is not as important as it seems once the principle of modalization of truth values is introduced.

D. Frede 1985, 46-9, in criticizing G. Anscombe's interpretation (cp. 1956, 1-15)

Since two types of necessity are involved, absolute and conditional, we must render the principle of correspondence used by Ammonius with two different formulae:

$$\begin{array}{ll} C(28) & (N_{*}T[Cp] \leftrightarrow N_{*}Cp) \bullet (N_{*}T[C\sim p] \leftrightarrow N_{*}C\sim p) \bullet (N_{*}F[Cp] \leftrightarrow N_{*}\neg Cp) \\ & \bullet (N_{*}F[C\sim p] \leftrightarrow N_{*}\neg C\sim p) \\ C(29) & (N_{b}T[Cp] \leftrightarrow N_{b}Cp) \bullet (N_{b}T[C\sim p] \leftrightarrow N_{b}C\sim p) \bullet (N_{b}F[Cp] \leftrightarrow N_{b}\neg Cp) \\ & \bullet (N_{b}F[C\sim p] \leftrightarrow N_{b}\neg C\sim p). \end{array}$$

If we consider the meaning of the expression 'conditionally necessary' established above, we can replace C(29) with the following:

$$N_t T_t [C_t]_t \leftrightarrow N_t C_t p$$

But since Ammonius would accept that past singular contingent statements are also necessarily true in a conditional way, we can broaden this formula to obtain:

$$C(30) \qquad (t')(t'')\{t'' \le t' \to (N_t T_t [C_{t'} p]_t \leftrightarrow N_t C_{t'} p)\}$$

This formula can be completed in an analogous way for the negation of sentences and the value 'false'.

Thanks to these principles of correspondence, Ammonius infers (154,4-16) two types of being necessarily true from the different necessities of being the case distinguished in paragraph 23: absolute necessity of being true and conditional necessity of being true. But since the reasons for a sentence to be necessarily true by absolute necessity can differ on an essential point, he distinguishes a total of three groups of sentences that are true in a necessary way:

1. The first group is disjunctive sentences like 'Socrates is either walking or not walking' and 'Fire is either hot or not hot' (cp. 154,4-12). These sentences are true by absolute necessity.²²⁵ But this necessity of being true is independent of the nature and even the existence of the things mentioned. Thus one is tempted to qualify this type of necessity as logical necessity. But such a characterization does not exactly correspond to what Ammonius has in mind. It is not only for logical reasons, as we say currently, that all such sentences are necessarily true. Rather,

attributing to Aristotle the distinction between 'true' and 'necessarily true', holds that 'nowhere else (than in 19a38-9, 18a39, b2, b10, 19a19-21 [where in fact, as she says, we fail to find it, G.S.!]) do we find a distinction between truth and necessary truth or any other modalization of true or false in Aristotle.' This is invalidated (at least the last phrase) by our passage. But it is true that Aristotle makes far less conspicuous use of this modalization than the commentators who, probably influenced by the Stoics (cp. Alexander of Aphrodisias, *De Fato* 10, 177,3ff.), make it the key to their interpretation.

D. Frede, 1985 77-78 holds that for Aristotle disjunctive sentences do not have the status of assertive sentences at all and hence have no truth-values. As 17a20-22 shows, Aristotle, however admits 'composite sentences' and in 17a8-9 he seems to include these under the 'assertive sentences'.

they are true, by the principle of correspondence, because the disjunctive states of affairs they are about are necessarily the case.²²⁶

In introducing this type of necessary truth found in disjunctive sentences, Ammonius is evidently referring to *Int.* 19a27-9, where Aristotle mentions a disjunction of the type Cp >-< \neg Cp. For one group of interpreters, he is warning against the illegitimate inference from N(Cp >-< \neg Cp) to NCp >-< N \neg Cp (cp. D. Frede, 1985, 69-75). Be that as it may, one thing is clear (as D. Frede 1985, 74 is right to hold): in *Int.* 19a27-9 only a disjunction of events is involved and not, as in Ammonius, a disjunction of events and a disjunctive sentence. It seems to us, however, that Aristotle, according to 19a32-5, would have to accept this extension.

2. The second group of sentences is introduced at 154,12-13, but examples have already appeared earlier (153,15-19); these are simple sentences like 'this fire is hot.' These also have their truth values by absolute necessity. But unlike disjunctive sentences, their value is not always the value 'true', since there are some sentences of this group that are necessarily false. This is so, Ammonius tells us at 154,9-12, because it is due to the nature of things that these sentences possess their truth values. The sentence 'this fire is hot' is necessarily true, because the nature of fire does not admit of being cold, whereas the disjunction 'Socrates is walking or not walking' is true independently of the nature of things and is simply due to the disjunctive form of the sentence and of the fact it bears on.

3. The third group of necessarily true or false sentences is introduced at 154,14-16. Ammonius gives as examples the sentences 'Socrates is walking', 'Socrates is not walking'. These sentences are necessarily true as long as the state of affairs they bear on are the case. Thus they involve the conditional necessity of being true or being false, which corresponds to the conditional necessity of being the case or not being the case which the given states of affairs possess.

In 154,10-12, Ammonius inserts in his explication of the necessity of disjunctive sentences a concessive clause that is very important in allowing us for the first time to ascertain with some reliability the meaning of the expressions 'true in a determinate way' and 'true in a non-determinate way'. We translate: 'even if it happens in such cases [disjunctive sentences] that, due to the nature of the thing, just one of the two parts of the contradiction is true in a definite manner, and not only the contradiction as a whole'.

We draw from this remark the following conclusions:

1. Ammonius distinguishes two cases: (a) the entire disjunction and one of its parts are true in a definite way; (b) only the entire disjunction and none of its parts is true in a definite way. For reasons of symmetry, one can conjecture that in case (a) one part is true in a definite way and the other false in a definite way, and

²²⁶ Cp. In Int. 81,18-82,2 and in particular 81,18-19 as discussed in G. Seel's first article in this volume, 228-233.

in case (b) one part is true in a indefinite way and the other false in a indefinite way.

2. Since in every case mentioned where a sentence, whether simple or complex, has a definite truth value, it also has it by absolute necessity and in every case mentioned where a sentence has a indefinite truth value, there is no absolute necessity that it have this value, we are tempted to conclude that, according to Ammonius, (1) a sentence has its truth value in a definite way if and only if it has this value by absolute necessity, and (2) a sentence has its truth value in a indefinite way if and only if it has this value without having it by absolute necessity.

Since sentences which have their truth values by absolute necessity affirm facts which are necessary in an absolute way and sentences without such values report contingent facts, we may conjecture further that according to Ammonius (1a) a sentence has a definite truth value if and only if it reports a fact that is necessary in an absolute way, and (2a) a sentence has a indefinite truth value if and only if it reports a contingent fact.

A serious problem is raised, however, by this double conjecture. If it were valid, sentences about the present that are true—and, consequently, necessarily true by conditional necessity—would not have a definite truth value if they were reporting contingent facts. This is at odds with Ammonius' assertion in paragraphs 3 (130,20-3) and 12 (138,31-4; 139,10-15) that only singular statements about contingent future matters have no definite truth value. To take this into account, we must correct our conjecture thus: (1b) a sentence has a definite truth value if and only if it has this truth value necessarily—either by absolute or conditional necessity—; and (2b) a sentence has a indefinite truth value if and only if it has a truth value that is not necessary in any way.

This last conjecture, which we consider correct, does not contradict the text of paragraph 24, since at 154,10-12 Ammonius says only that all sentences that are necessarily true by absolute necessity are also definitely true, but does not say that this is the only case of a sentence having a definite truth value. Thus it is quite possible for a sentence to have a definite truth value not 'because of the nature of the thing', but because the time in which the thing is situated is the present or the past. We shall see supplementary evidence for our conjecture in the following paragraph.

In the final passage (154,16-20), Ammonius defends his procedure by mentioning once again the principle of correspondence he relies on. He reaffirms that the mode of truth that sentences have depends first of all on the nature of the things the sentences refer to.

Paragraph 25

In this last paragraph of his commentary on chapter 9 Ammonius gives his solution to the necessitarian $\dot{a}\pi\sigma\rho ia$, an original solution that he nonetheless considers faithful to Aristotle. The paragraph is divided into three parts.

- 1. Ammonius first of all (154,21-8) presents a new version of the necessitarianism argument based on the modal concepts introduced in the preceding two paragraphs.
- 2. Then (154,28-34) he gives his own refutation of this argument.
- 3. Finally (154,34-155,8) he gives further explication of his position concerning truth values for SFCSs.

1. At the beginning of the paragraph Ammonius engages in a fictional dialogue with his reader. He poses the question of how the modal distinctions contribute to the refutation of the argument for necessitarianism. In fact in introducing them Ammonius was digressing a bit from Aristotle's text. But to show their relevance, he digresses even more, constructing on the basis of these modal concepts a new necessitarian proof not found anywhere in Aristotle's text, and which he invents out of whole cloth.

This proof is in the passage 154,22-8. The text is relatively complex and partly obscure. We shall try first of all to reconstruct the argument.

Ammonius mentions at 154,22-7 three principles:

- (A) If a sentence is necessarily true, this necessity is absolute necessity (154,22-3):
- $T(17) \qquad NT[Cp] \rightarrow N_{\bullet}T[Cp]$
- (B) If a statement about the present or past is true, it is necessarily true (154,24-6):

$$T(18) \qquad (t')(t'')([Cp])\{(t' \le t'' \bullet T_{t''}[C_t p]_{t''}) \to NT_{t''}[C_t p]_{t''}\}$$

(C) If a statement about the future is true, it is necessarily true (154,26-7):

$$\Gamma(20) \qquad (t')(t'')([Cp])\{(t'>t'' \bullet T_{t''}[C_tp]_{t'}) \to NT_{t''}[C_tp]_{t''}\}$$

Concerning the logical relations among these three principles, Ammonius tells us this: If (A) is valid, the logical step from (B) to (C) is also valid. The result of this step can be formulated thus:

- (D) If a sentence about the present or past is true, it is not only this sentence that is necessarily true, but also the sentence about the future which stated the same fact earlier:
- $T(21) \qquad (t')(t'')([Cp])\{(t''' < t' \le t'' \bullet T_{t'}[C_{t}p]_{t''}) \to (NT_{t''}[C_{t}p]_{t''}) \bullet NT_{t''}[C_{t}p]_{t''})\}$

Thus Ammonius believes that (D) is the logical consequence of (A). To understand this claim, we must show how the logical move from (B) to (C) is effected by means of (A):

- 1. By means of (A), we can move from (B) to (B'):
- $(B') (t')(t'')([Cp])\{(t' \le t'' \bullet T_{t'}[C_tp]_{t'}) \to N_{\bullet}T_{t''}[C_tp]_{t''}\}$

2. Now, as we have seen in the preceding paragraph, if a sentence about the present or the past is necessarily true by absolute necessity, a sentence about the

future which stated the same fact earlier has this truth-value by absolute necessity as well. For, in the case of absolute necessity the difference between statements about the present or the past and statements about the future does not matter at all. Thus, we get the following principle:

(G)
$$(t')(t'')(t''')([Cp]) \{ (t''' < t' \le t'' \bullet N_a T_{t''}[C_t p]_{t''}) \to N_a T_{t'''}[C_t p]_{t'''} \}$$

By (G) we can then move from (B') to (C'):

$$(C') (t')(t'')([Cp])\{(t' > t'' \bullet T_{t''}[C_tp]_{t'}) \to N_a T_{t'}[C_tp]_{t'}\}$$

Finally we obtain (C) from (C').

Therefore, Ammonius is right to say that (D) is valid if (A) is. But he would be even more correct to say that (D) is valid only if (A) is. For, as we shall see, without (A) none of these logical moves can be effected.

Ammonius concludes his reformulation of the argument for necessitarianism by briefly noting that the suppression of the contingent can be derived from (C) (154,27-8). But he gives no indication as to how this can be done. So again we must resort to a conjecture.

First of all, it is quite clear that this cannot be deduced from (C) if SFCSs do not have one of the two truth values. Ammonius thus must be implying that the principle of retrogradation of truth T(22) is an implicit conviction of necessitarians:²²⁷

T(22) If a sentence about present or past is true, every sentence about the future asserting the same fact is also true. Or: $(t')(t'')(t''')([Cp]){(t''' < t' ≤ t'' • T_{t''}[C_tp]_{t''}) → T_{t'''}[C_tp]_{t'''}}$

It seems to us that this principle is implicitly presupposed in the passage at 154,24-7.

If, according to this principle, all SFCSs have one of the two truth values without exception, from (C) we can conclude that they have them in a necessary way. By (A) this necessity is an absolute necessity. To the absolute necessity of the truth of these sentences corresponds, by C(28), the absolute necessity of the facts asserted. Thus all facts are absolutely necessary facts. There are no contingent facts.

2. The refutation of this demonstration that Ammonius proposes is quite terse. He has already stressed at 154,22-4 that the necessitarian argument depends on the premise, at least tacitly accepted, that absolute necessity of being true is the only way to be necessarily true. Thus it is not surprising that in his refutation, Ammonius attacks this premise. He argues (154,23-31) that the absolute necessity of being true surely applies to the entire disjunction, but if the states of affairs are contingent this type of necessity does not apply to any of the parts of the disjunction when asserted separately. He is correctly referring to the demonstration of this made in the preceding paragraph. Ammonius offers no

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²²⁷ T(22) clearly is a principle Ammonius himself would accept, though he would reject a version of T(22) which uses definite truth-values instead of unqualified ones.

reason why the necessitarians accepted the dubious principle (A). Thus we are unable to reach a definite conclusion on the question of whether he actually accuses them of passing illicitly from $NT[Cp \lor C-p]$ to $NT[Cp] \lor NT[C-p]$ and thus transferring the absolute necessity of the former to the latter.

It is clear, however, that without principle (A) the necessitarian argument cannot be completed. If (A) is false, we cannot reach the dubious (C) from the unquestioned principle (B). In this case obviously the necessity of being true which sentences about the present or past possess is only conditional, and such necessity is strictly limited to present and past tense sentences. Therefore, from the fact that a sentence about the present is necessarily true, one cannot infer that the sentence about the future that affirms the same fact is also true in a necessary way. Thus Ammonius is right to assert at 154,31 that the necessitarians cannot reach their intended conclusion.

Regarding the debate about the truth values of SFCSs, it is interesting to note that the strategy pursued by Ammonius in his refutation is not what one would have attempted if the standard interpretation had been adopted. In that case, he would have had to attack the principle of retrogradation of truth. But as in the refutation of the other versions of the necessitarian argument, he is not doing that. This is another indication of the fact that Ammonius has not adopted the standard interpretation.²²⁸

3. Finally, let us see how Ammonius—in the last passage of the paragraph explains and summarizes his position. This long sentence contains two assertions, one formulated positively, the other negatively, on truth values of sentences about the contingent—and particularly of SFCSs. Ammonius believes these two assertions follow logically from the failure of the proof for necessitarianism (cp. $\partial \eta \lambda ov \, \partial \rho a \, \sigma \tau i \, \partial v \partial \gamma \kappa \eta$..., 'Therefore, it is clearly necessary...', 154,34-5).

(a) Ammonius stresses the importance of the first assertion, treating it (155,1-2) as an answer to the primary question of the whole investigation. This answer is the following: Sentences concerning contingent states of affairs do not in every case ($\pi \acute{a}\nu\tau\omega\varsigma$) have the property that one part of the disjunction is true in a definite way (154,35-155,1).

We can draw the following conclusions from this:

(1) There are pairs of sentences about contingent states of affairs in which one part of the disjunction is true in a definite way. These can only be sentences about the present or past which, as our analysis shows, are necessarily true in a conditional way and which thus have definite truth values.

(2) But this is not valid for all the sentences about the contingent (cp. $\mu\dot{\eta}$ $\pi\dot{a}\nu\tau\omega\varsigma$, 'not in every case', at 154,37). The only possible exceptions are SFCSs. These are not necessarily true and hence do not have definite truth values. Does this mean that, according to Ammonius, SFCSs do not have any truth values, as those holding the standard interpretation believe? For us, the following arguments preclude such an interpretation:

²²⁸ R. Gaskin 1995, 158-59 fails to recognize this important point.

1. Ammonius considers his claim at 154,35-155,1 to be a consequence of his refutation of the necessitarianism argument and hence a consequence of the fact that principle (A) is false. That is, the truth of (A) would have the consequence that all sentences, including SFCSs, have definite truth values. The reason (A) has this consequence is the following: as we have seen, (A) entails that all sentences possess their truth values in a necessary way, and it is this necessity that is the reason they all have definite truth values. Denying the validity of (A) thus has the consequence that certain sentences do neither have necessary nor definite truth values; but this does not mean they do not have truth values at all. To accomplish his task, Ammonius does not have to deny that SFCSs have truth values, and the tack he has taken suggests it is quite unlikely he has.

2. In his refutation Ammonius has said that the parts of disjunctive sentences do not possess necessary truth values in cases where the predicate sometimes belongs to the subject and sometimes not (154,28-31). And he explicitly intends for this to apply to sentences in the future tense as well (cp. 154,31-4). The fact these sentences do not have definite truth values clearly does not mean they do not have truth values at all. On the contrary, in the case where the predicate belongs to the subject, the future tense statement affirming this can only be true, but without being necessarily true.

(b) From the construction of the final sentence, one can expect the second part (beginning with an $\dot{a}\lambda\lambda'$, 'but') to contain the positive claim corresponding to the negation in the first part. In fact, Ammonius goes on to tell what positively characterizes sentences about the contingent focusing on the fact that they are not in every case definitely true or false. What he goes on to say, then, concerns sentences about the contingent in general and not only SFCSs. Regarding truth values of these sentences, Ammonius distinguishes two cases:

- (1) The two parts of the disjunction are equally susceptible of being false and true.
- (2) One of the parts is naturally more disposed to being true, the other to being false.

According to Ammonius, then, sentences about the contingent have what we would call in our modern terminology a probability²²⁹—between 0 and 1—of being true. This distinguishes them from the sentences about the necessary and the impossible, which have probabilities of being true of 1 in the first case and of 0 in the second. Thus the expression $\mu \hat{a} \lambda \lambda ov \dot{a} \lambda \eta \theta \epsilon \dot{v} \epsilon v$, 'to be rather such as to be true', does not in Ammonius refer to a 'probability of being verified' (as H. Weidemann 1994, 296 interprets the phrase in Aristotle), but simply to a probability of being true. This probability of being true does not take the place of being true, but in effect qualifies the sentence's truth value in the same way expressions like 'necessarily true' and 'impossible to be true' do. The fact that

²²⁹ Of course by saying this we do not want to attribute to Ammonius a theory of probability, we only refer to it in order to clarify his position for the modern reader.

these qualifications apply to all sentences about the contingent, and not only to SFCSs, clearly shows that they cannot supplant being true or false, since present and past tense sentences about the contingent have truth values. These qualifications, then, have nothing to do with the tenses of the sentences. They are, rather, entirely a function of the nature of the things the sentences are about. Because states of affairs have greater or lesser probability of being the case, corresponding sentences have greater or lesser probability of being true.

This interpretation is confirmed by the remark at 154,5-6, where Ammonius comments on Aristotle's phrase οὐ μέντοι ήδη ἀληθή ή ψευδή (Int. 19a39). In our modern scholarly literature Aristotle's text gets very different interpretations, which follow from different readings of non (cp. H. Weidemann 1994, 296). Those holding the standard interpretation give non a temporal meaning, 'yet' or 'already', (cp. E. Lemmon 1956, 389), while their opponents hold that in this context it must have a logical sense meaning 'consequently' (cp. G. Anscombe 1956, 8 and 1968, 25). Now, as the remark at 154,5-6 shows, Ammonius does not understand *non* in any temporal sense. This is one further reason for doubting that he adheres to the standard interpretation. Ammonius holds, rather, that at 19a39 Aristotle means that sentences about the contingent do not 'have that which is true be always true nor that which is false be always false'.²³⁰ The subject of this sentence, however, cannot be strictly speaking an assertoric sentence $(\dot{a}\pi o \phi a \nu \tau i \kappa \dot{o} c$ λόγος) in Ammonius' narrow sense. For an αποφαντικός λόγος in this sense is a speech act, which exists only for a short time and therefore could not be said to be 'not always true'.²³¹ With 'assertoric sentences about the contingent' Ammonius here must rather mean $\lambda \delta \gamma o i$ in the sense of $\lambda \delta \xi \epsilon_{i}$.²³² In fact the same $\lambda \delta \xi_{i}$ can be used on several occasions. Thus one can say of a $\lambda \notin \mathcal{L}_{\mathcal{L}}$ that, if it is once used in order to make a true statement, it is not therefore always used in the making of true statements. Whether it is clearly depends on the subject matter the statement is about. In cases of the necessary or impossible, the use of a given $\lambda \notin \mathcal{G}_{\mathcal{G}}$ always vields either a true statement or a false statement. This statement, then, is straightaway true or straightaway false. If the $\lambda \notin \mathcal{E}_{\mathcal{L}}$ is used in reference to contingent matter, on the contrary, it does not always yield a true statement. Thus the statement, if true, is not true straightaway. In our opinion, Ammonius interprets the non in this way.

This confirms our interpretation of the expression $\mu \hat{a} \lambda \rho v \dot{a} \lambda \eta \theta \epsilon \dot{v} \epsilon v$. It is the statistical distribution of facts that, on the one hand, determines whether a contingent or necessary fact is involved and, on the other, decides the manner and probability of being true for statements about these different subject matters. (For further clarification cp. Seel's second article in this volume, 244-245).

²³⁰ One might, of course, doubt that this is a possible interpretation of Aristotle's $\eta \partial \eta$. For this point see also the article of M. Mignucci in this volume, 274-279.

²³¹ Cp. G. Seel's first article in this volume, 218-219.

²³² Cp. M. Mignucci's article in this volume, 278-279, giving a different explanation of 'not always true'.

Part V

Essays

by Mario Mignucci and Gerhard Seel

V.1. Ammonius' Semantics of the Assertoric Sentence*

by Gerhard Seel

According to today's semantics a proposition is necessarily related to two entities different from it. In so far as it signifies something it is related to its meaning or reference, in so far as it is true or false it stands in a necessary relation with its truth-maker or its falsity-maker. In order to make sure that a proposition can be false without thereby losing its meaning modern semantics has to show that the meaning and the truth-maker of a proposition do not coincide. For otherwise propositions would be necessarily true for the simple reason that they have meaning.

The purpose of this essay is to find out how Ammonius managed to meet this requirement for his bearers of truth values, i.e. assertoric sentences. In order to accomplish this task I shall try to clarify first Ammonius' conception of the assertoric sentence, its meaning, truth and falsity and its truth-makers and falsity-makers. This investigation, of high interest in itself, will also be very helpful to understand Ammonius' commentary on Aristotle's *De interpretatione* 9. For here the crucial question is whether each assertoric sentence about future contingent events is either true or false in the very same way the other kinds of assertoric sentences are. This, of course, can only be answered, if one knows the manner in which assertoric sentences normally have their truth-values. So I shall try to find out, how Ammonius would have answered the following four questions:

- 1. Which are the entities that bear truth-values?
- 2. What are the identity criteria of these entities?
- 3. What is the meaning of these entities?
- 4. What are the truth-makers and falsity-makers for these entities?

This, of course, is not always obvious from Ammonius' text and therefore needs conjectures and reconstructions in some cases.

^{*} This and the following essay have been translated from German by David Blank.

V.1.1 Which entities bear truth-values?

Ammonius poses this question explicitly in his commentary on *Int.* 1, 16a3-9.²³³ The candidates he names for the rôle of bearer of truth-values are: a) things (τa $\pi \rho a \gamma \mu a \tau a$),²³⁴ b) thoughts ($\tau a \nu o n \mu a \tau a$), c) vocal sounds ($a i \phi \omega \nu a i$). At the same time, he allows for the possibility that one, two, or all of these turn out to be bearers of truth-values. In case significant vocal sounds are bearers of truth-values, he asks more specifically what sort of vocal sounds these are: subject terms ($\delta \nu \delta \mu a \tau a$, i.e. 'names'), predicate terms ($\delta \nu \delta \mu a \tau a$, i.e. 'verbs'), or the (assertoric) sentences composed of these (*In Int.* 17,31-18,2).

The distinction between a), b), and c) refers to the four levels which Aristotle distinguishes in Int. 1, 16a3-9, i.e. (from bottom to top), the levels of the things ($\pi \rho \dot{\alpha} \gamma \mu a \tau a$), the affections in the soul ($\pi a \theta \dot{\gamma} \mu a \tau a \tau \dot{\eta} \zeta \psi c \dot{\eta} \dot{\zeta}$)—which Ammonius equates with the thoughts ($vo\eta\mu a\tau a$)—, the vocal sounds ($\phi\omega vai$), and finally the letters (ypadoueva).²³⁵ Ammonius explains this distinction at In Int. 18.23-19.34, where the description of the functions he ascribes to the various levels is of particular interest. Thoughts, namely, have the function of knowing the things (την τών πραγμάτων κατάληψιν). Here 'knowing' is understood as a kind of imaging of things in the soul, in such a way that 'they are actually $(\delta \nu \tau \omega c)^{236}$ thoughts when they are, so to speak, in harmony with the things themselves' (18,28-29). The entities of the second level (vocal sounds) have the function of being 'enunciative of thoughts' (των νοημάτων είσιν έξαγγελτικαί). Finally, letters are supposed 'to preserve the memory of vocal sounds' (διαφυλάττειν την μνήμην $\tau \hat{\omega} \nu \phi \omega \nu \hat{\omega} \nu$; 18,35-19,1). It is important to bear in mind that Ammonius conceives of the relation obtaining between an entity of a higher level and one of the next lower level as a semantic relation:²³⁷ vocal sounds refer first and immediately to thoughts and by means of them (i.e., by their relations to things) then to things. In the reverse order: thoughts refer immediately to things (cp. 24,9), vocal sounds refer to things only by means of thoughts, and finally letters refer to things by means of vocal sounds and thoughts (24,5-9). The semantic relation is thus conceived as transitive.

Now, it is important for the investigation of the truthbearer that Ammonius (following Aristotle) allows only to thoughts the property of being likenesses of things ($\delta\mu\omega\omega\mu\alpha\tau\alpha \tau\omega\nu \pi\rho\alpha\gamma\mu\dot{\alpha}\tau\omega\nu$: 19,32-33 and *passim*) or images ($\epsilon i\kappa\delta\nu\epsilon\varsigma$) of things (20,21).²³⁸ Thus, while semantic relations exist between all four levels, an

 ²³³ Cp. In Int. 17, 29-30: 'among which of the things which are in any way should one look for truth and falsity' (έν τίσι τῶν ὅπωσοῦν ὅντων χσή ζητεῦν τὴν ἀλήθειαν καὶ τὸ ψεῦδος).
 ²³⁴ As we shall see later these are either simple or compound things.

As we shall see later, these are either simple or compound things.

Ammonius does not mention these in this passage, but he does not neglect them in his theory, as the following passage shows.

²³⁶ D. Blank translates 'truly'.

²³⁷ Cp. 17, 25-28 and 24, 5-9.

²³⁸ Cp. Ammonius' distinction between symbols and likenesses (39,33-40,30). Ammonius—in order to accommodate Plato's *Cratylus* (cp.430a ff.)—is however

imaging relation, which is based on similarity, holds only between the first and second levels. Since the truth relation, as we shall see, is also based on a similarity relation or is even identical with a specific similarity relation, Ammonius consequently seeks the original bearer of truth-values on the level of thoughts (18,6-7). However, the entities of the third and fourth levels are, due to the semantic relation which binds them to entities of the second level, also possible bearers of truth-values, although only in an indirect way. Entities of the first level, on the other hand, do not have any truth-value.²³⁹ on this level we should rather seek the truth-makers and falsity-makers.

Let us now consider Ammonius' second question, which is even more important than the first. Are the bearers of truth-values simple vocal sounds like names and verbs, or compound vocal sounds like sentences? The distinction between simple and compound vocal sounds results from the idea that a sentence arises from a certain kind of composition of a name and a verb. Since vocal sounds signify thoughts and the truth-bearer is to be found on both levels, the one of sounds and the one of thoughts, the same question must be asked concerning simple and compound thoughts.

Concerning this question Aristotle holds that simple thoughts are true in any case and cannot be false and that the only entities that can have both values are compound thoughts (*De anima* 3.6,430a26-28; b26-30). Ammonius, however, departs from Aristotle's position. As *In Int.* 27,30-28,1 shows, he considers that the *De anima* passages, together with *Metaph.* XII.9, 1074b15ff., deal with the truth of intelligent cognition of the most simple, truly existent things and not with the 'truth which subsists in linguistic processes'. Therefore he is convinced that concerning the latter Aristotle denies that simple thoughts have truth-values. In any case, he is convinced that among the entities mentioned before the only possible bearers of truth-values are compound thoughts. Thus he gives the following answer to our question (18,4-10): "In fact, some of these <thoughts> are simple, signified by simple vocal sounds and admitting neither truth nor falsity, while the compound ones are concerned with compound things, signified by compound vocal sounds and admitting falsity and truth." He seems to believe that this answer is in agreement with what Aristotle says at *Int.* 17a24.

But that answer is not yet complete. As there are many kinds of compound vocal sounds and compound thoughts, i.e. vocative, optative, interrogative, imperative and assertoric sentences, Ammonius has to specify whether all or only some of them are bearers of truth-values.²⁴⁰ He does so at *In Int.* 27,12-14 saying

prepared to call the name qua vocal sound 'artificial likeness' (δμοίωμα τεχνητόν) 40,17.

²³⁹ Cp. 18,10-12, and especially 21,16-17: 'However, things would be called neither true nor false by themselves' (airà dè κaθ' airà τà πράγματα oire àληθή λέγοιτο äv oire ψευδή). This is in agreement with Aristotle's position (cp. Metaph. VI, 1027b25-28).

²⁴⁰ Cp. 64,26-65,30, where Ammonius insists that the assertoric sentence is only one species of the simple sentence, the others being the vocative, optative, interrogative and the imperative sentence.

that "the combination or division must be concerned with 'belonging' $(\dot{\nu}\pi a\rho\kappa\tau\iota\kappa\dot{\eta}\nu)$, that is, it must reveal that one item belongs or does not belong to another, a character seen only with regard to the assertoric sentence" ($\pi\epsilon\rho\dot{\iota}\mu\dot{\nu}\nu\nu\nu$ $\tau\dot{\nu}\nu\dot{a}\pi\sigma\phi a\nu\tau\iota\kappa\dot{\nu}\nu\lambda\dot{\sigma}\gamma\sigma\nu$).²⁴¹ So it is only this kind of compound vocal sound and compound thought which is a bearer of truth-values.²⁴²

Ammonius offers as a first reason for this the fact that the other compound sentences belong to the appetitive part of the soul, while the assertoric sentence is the only type of sentence belonging to the knowing part of the soul (*In Int.* 5,1-23) "It <the assertoric sentence> is annunciative of the knowledge of things which, truly or seemingly, arises within us. This is also why only this type <of sentence> is receptive of truth or falsity and none of the others is" (5,14-17). We shall see later, how the property of being receptive of truth and falsity is a consequence of the fact that assertoric sentences reveal that one item belongs or does not belong to another.

Now, the assertoric sentence is not only a possible bearer of truth-values, it necessarily has one of them. In fact, assertoric sentences are *essentially* bearers of truth-values, so that the assertoric sentence can practically be defined as that which is either true or false (80,24-26). At first glance, this seems surprising. For if the truth relation is based on a similarity relation, as we have suggested above, one cannot understand why simple thoughts, which are also images of the relevant things,²⁴³ cannot also be true and false. It is thus interesting to see how Ammonius justifies his answer. But before we turn to this question, we should first explain how Ammonius makes sure of the identity of an assertoric sentence.

V.1.2 What are the identity criteria of the assertoric sentence?

It is important to note that Ammonius uses the expression 'assertoric sentence' in two ways. When he wants to refer to the bearer of a truth-value quite generally, he uses this expression in an undifferentiated way on all three levels. In this sense there is one sentence which appears in three forms: in the soul, in speech, and in writing (cp. 22, 12-16). When he wants to emphasize the difference between thinking and speaking, on the other hand, he uses 'thought' (vónua) or 'belief' (doga) for what is thought and meant, reserving 'sentence' for what is spoken.

²⁴² Cp. also In Int. 27, 21-24.

²⁴³ Cp. 20, 23-26 and 26, 12-27.

On the distinction between $\lambda \dot{\epsilon} \xi_{1\varsigma}$ and $\lambda \dot{\epsilon} \gamma \epsilon_{\varsigma}$ cp. especially In Int. 12,30-13,18. Ammonius qualifies the relation at one point, with reference to Aristotle's *Poetics*, in such a way that the $\lambda \dot{\epsilon} \gamma \epsilon_{\varsigma}$ is a part of the $\lambda \dot{\epsilon} \xi_{1\varsigma}$ (13,1); at another point, referring to the third book of Plato's *Republic*, he qualifies it in such a way that the $\lambda \dot{\epsilon} \gamma \epsilon_{\varsigma}$ is the thought and the $\lambda \dot{\epsilon} \xi_{1\varsigma}$ its expression (13,13-14). It is in the second way that we speak of $\lambda \dot{\epsilon} \xi_{1\varsigma}$ here. Cp. 40,15-17: the $\lambda \dot{\epsilon} \xi_{1\varsigma}$ falls under the category of quantity.

17a5 (cp. In Int. 72,11-73,14) Ammonius shows that, while the expression of an assertoric sentence allows us to distinguish between simple and complex, as well as between primary and secondary assertions (i.e., $\kappa \alpha \tau \dot{\alpha} \phi \alpha \sigma \eta \varsigma$, it is insufficient to ascertain whether we are dealing with one or more $\dot{\alpha} \pi \sigma \phi \alpha \sigma \tau \eta \kappa \sigma \delta \sigma \sigma \eta \sigma \delta \sigma \tau \eta \kappa \sigma \delta \sigma \eta \sigma \eta$. This is, of course, due to the fact that linguistic signs can be ambiguous, in that the same expression can signify a plurality of things. If one took the expression as the necessary and sufficient identity criterion of the $\dot{\alpha} \pi \sigma \phi \alpha \sigma \tau \eta \kappa \delta \gamma \sigma \varsigma$, that would (as Ammonius correctly sees at 73,11-14) have the unfortunate consequence that one and the same sentence could be at once true and false.

But since Ammonius certainly saw that the reverse is also possible, i.e., that different $\lambda \dot{\epsilon} \xi \epsilon_{i} \zeta$ can express the same $\lambda \dot{\sigma} \gamma \sigma_{\zeta}$,²⁴⁵ one can conclude indirectly that for him the expression cannot even be a necessary identity criterion of the $\dot{a}\pi\sigma\phi a\nu\tau\iota\kappa\dot{\sigma}\zeta$ $\lambda\dot{\sigma}\gamma\sigma\zeta$. What does Ammonius suggest instead?

In the above-mentioned passage In Int. 73,3-14 Ammonius assumes that Aristotle's doctrine is that 'where each of the terms ($\delta\rho\sigma i$) comprising the sentence indicates some one nature ($\mu i \hat{a}_{5} \tau i \nu \sigma_{5} \phi' i \sigma \epsilon \omega_{5} \dot{\epsilon} \sigma \tau i \partial \eta \lambda \omega \tau i \kappa \dot{\sigma}_{5}$), we say this sentence is one But when either one of the terms happens to signify several things, we say that these sentences are several'. Thus Ammonius' view, is clearly that the meaning of the two simple terms which the $\dot{a}\pi o \phi a \nu \tau i \kappa \dot{\sigma}_{5} \lambda \dot{\sigma} \gamma \sigma_{5}$ is composed of functions as the criterion of its identity.

Strictly speaking, however, this is merely a necessary, and not yet a sufficient criterion for the identity of an $\dot{a}\pi o \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$. For an affirmative sentence and the negative sentence contradictorily opposed to it are not identical,²⁴⁶ although they share the two simple terms which signify the same thing (cp. 84,13-25 and 26-35). Thus, one must additionally demand that the meaning of the $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ itself, which results from the intentional signification of the subject and predicate terms and the formal signification of the copula, be the same.²⁴⁷

If this were the identity criterion, this would have the following consequences: two assertoric sentences thought and uttered by different persons are one and the same $\dot{a}\pi o \phi a \nu \tau i \kappa \delta_{\zeta} \lambda \delta \gamma \sigma_{\zeta}$ whenever what is meant by both speakers is the same. The same holds for assertoric sentences uttered one after the other by one and the same speaker. If I say, for example, on 13 June, 1993 'The day after

²⁴⁵ This can be concluded from his commentary on the *Categories* (15,16-16,6), where, under the heading of $\pi o \lambda u \omega v u \mu i a$, he considers the possibility that several $\delta v \delta \mu a \pi a$ signify the same concept.

²⁴⁶ Cp. Ammonius' disagreement (In Int. 80,15-35) with Alexander's thesis that the expression ἀπόφανσις is used homonymously. Ammonius holds with Porphyry that the expression ἀπόφανσις stands for the genus of the simple assertoric sentence and that the affirmative and negative assertoric sentence are the species which fall under that genus. This is sufficient to show that according to Ammonius κατάφασις and ἀπόφασις cannot be identical.

²⁴⁷ Cp. also the doctrine attributed to Plato at 48,26-27: 'that the one signifying one identical thing is one identical sentence' (ἕνα λόγον εἶναι τὸν ἐνὸς πράγματος ὅντα σημαντικόν). Our translation differs from D. Blank's.

tomorrow there will be a colloquium' and on 14 June, 1993 'Tomorrow there will be a colloquium', these are different speech acts expressed in different ways, but since what is meant is one and the same thing, there would have to be one and the same $\dot{\alpha}\pi\sigma\phi\mu\nu\tau\kappa\dot{\alpha}\varsigma$, according to the identity criterion analyzed above.

Despite its plausibility we have good reason to doubt that Ammonius would have accepted this position. Our doubts arise especially from Ammonius' commentary on Categories 4b4-13 (cp. In Cat. 53,20-24). In that passage Aristotle is concerned with the question whether other entities besides primary substances can take on opposing qualifications, i.e., whether they are 'receptive of contraries' ($\partial \epsilon \kappa \tau \kappa \dot{\alpha} \tau \hat{\omega} \nu \dot{\epsilon} \nu a \nu \tau i \omega \nu$). Sentence ($\lambda \dot{\delta} \gamma \delta \varsigma$) and belief ($\partial \delta \xi a$) are serious contenders for this title. For the sentence 'Socrates is sitting' changes its truth-value if Socrates stands up in the meanwhile (cp. 4a34-b2). Aristotle himself, who does not deny the change of truth-values.²⁴⁸ secures the special status of substance with reference to the following difference: substances can change absolute (one-place) qualities and can thereby be changed themselves for example, when they go from 'hot' to 'cold'. The sentence and belief, on the other hand, are not themselves changed when they switch from 'true' to 'false'. Rather this change merely reflects a change in the facts which are their truth- or falsity-makers. For, according to Aristotle's theory of truth, the predicate 'true' means that the sentence it is attributed to stands in a relation of correspondence to the given fact.

While he sees Aristotle's argument as a possible strategy to secure the special status of substance, Ammonius makes it clear that it concedes too much to the enemy. 'In truth', as he says at *In Cat.* 53,20-21, 'they ($\lambda \delta \gamma \sigma_{5}$ and $\delta \delta \xi a$) cannot accept any opposing qualifications at all'. The reason he gives is that the sentence and the belief can not continue to exist as identical entities when the facts or the truth-values change, but rather 'are destroyed at the same time as they are uttered' (*In Cat.* 53,24).²⁴⁹

This not only excludes that an $\dot{a}\pi o\phi a \nu \tau \kappa \delta \zeta \lambda \delta \gamma \sigma \zeta$ changes its truth-value, but also makes it impossible to consider an expression thought and uttered by different speakers, or even by the same speaker at different times as one and the same assertoric sentence even if it has the same meaning. Furthermore, as the parallel treatment of $\lambda \delta \gamma \sigma \zeta$ and $\delta \delta \xi a$ shows, there is, according to Ammonius, not even a mental entity of the type $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \zeta \lambda \delta \gamma \sigma \zeta$ which remains identical in the soul of a rational being over a longer period of time. While Ammonius admits that the types of simple things (i.e., names and verbs) are stored in the passive intellect²⁵⁰ and lie there ready to be called-up for inclusion in an $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \zeta \lambda \delta \gamma \sigma \zeta$ the $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \zeta \lambda \delta \gamma \sigma \zeta$ itself is formed anew each time and exists only for the length of the act in which it is thought. This means that an $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \zeta \lambda \delta \gamma \sigma \zeta$

²⁴⁸ Cp. Cael. 1.12, 283b6ff. and Metaph. X, 1051b13-16.

²⁴⁹ This position is confirmed by In Cat. 60,10-12, where it is said of λόγος that 'it has its existence in being said' (ἐν τῷ λέγεσθαι τὸ εἶναι ἔχει). Analogously, the δόξα has its existence in being thought.

²⁵⁰ Cp., e.g., Ammonius' remarks on Aristotle's *De anima* at *In Int.* 6, 9-12.

has the mode of existence of a thought-event and speech-event which is bound spatially and temporally to the particular thinker and speaker.²⁵¹ In modern terms, it is a token rather than a type.²⁵² This adds a second identity criterion to the first, which thus turns out to be only a necessary, but not a sufficient condition for the identity of an $\dot{a}\pi o\phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$. Only taken together do these criteria allow a decision about the identity of an $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$.

To be sure, this seems to be a very unusual conception of assertoric sentences for antiquity. One might doubt that Ammonius actually had it because the text of his commentary on the categories is only transmitted $d\pi\partial \phi\omega\nu\eta\varsigma$ and could thus rely on a misunderstanding of a student. But the fact that other Neoplatonists have the same position speaks rather against this.²⁵³ It is also rather unlikely that Ammonius was the inventor of that position though we do not know who it actually was.²⁵⁴

Now, however, it needs explaining how the communication of $\dot{a}\pi o\phi a \nu \tau \kappa o i$ $\lambda \dot{a}\gamma o i$ is possible, that is, how it is possible for two different thinkers and speakers to agree in their opinions, although the assertoric sentences which they produce for this purpose are not identical. Ammonius does not answer this question explicitly. The solution of the problem can, however, in the circumstances, only lie in the fact that there are relations of similarity²⁵⁵ between the different $\dot{a}\pi o\phi a \nu \tau \kappa o i \lambda \dot{a}\gamma o i$, and that these are understood by the speakers and confirmed through agreement. In the case of true assertoric sentences which represent the same fact it is not difficult to assume such a similarity. Since each of the sentences agrees with the fact, they must also agree with one another, and this agreement can be ascertained by each of the two speakers by means of the semantic rules for the expressions used. However, in the case of two false sentences the matter is much more difficult. For it seems that nothing in the real world corresponds to these sentences, and so here the *tertium comparationis* is missing. Nonetheless, such relations of similarity must also exist between two false assertoric sentences,

Although this position results clearly from the passage of *In Cat.* we have just analyzed, it seems that in certain other contexts (e.g., *In Int.* 154, 5-6; see the commentary there) Ammonius attributes to an unambiguous $\lambda \xi_{IS}$ the status of an amohavrukog $\lambda \delta \gamma \sigma_S$ (in a secondary sense).

²³² This is confirmed indirectly by the fact that Ammonius speaks of 'truth which subsists in linguistic processes' (την έν ταῖς λεκτικαῖς ὑφισταμένην κινήσεσιν), In Int. 27,34.

²⁵³ Cp. Olympiodori Prolegomena et in Categorias Commentarium, CAG vol. XII 1902, 79,25-28; Anonymi Paraphrasis Categoriarum, CAG vol. XXIII, pars II 1883, 18,33-34; Eliae in Porphyrii Isagogen et Aristotelis Categorias Commentaria, CAG vol. XVIII 1900, 183,34-184,8; Philoponi (olim Ammonii) in Aristotelis Categorias Commentarium, CAG vol. XIII 1898, 82,19-23.

Paolo Crivelli has called my attention to the fact that in Cat. 6, 4b32-35 Aristotle counts $\lambda \dot{\sigma} \gamma \sigma_{\varsigma}$ among the discrete quantities and in 5a33-35 he affirms: 'none of its ($\lambda \dot{\sigma} \gamma \sigma_{\varsigma}$) parts endures, once it has been uttered it can no longer be recaptured'. So Aristotle himself could very well have been the origin of our doctrine. It may have come to Ammonius through Porphyry's commentary on the Categories.

²⁵⁵ Cp. above, p.217.

since two thinkers and speakers can obviously agree even in error. The question is how one can ascertain this agreement with relative certainty. As long as no satisfactory answer to the question about the meaning of false assertoric sentences has been found, this question must also remain open. In the next section we shall attempt to reconstruct what appears to have been Ammonius' solution to this problem.

V.1.3 What is the meaning of an assertoric sentence?

We have seen that the meaning of an assertoric sentence is part of its identity criterion. This is not the only reason why it is important to clarify how Ammonius characterizes the meaning of an assertoric sentence. In fact, this characterization will also help us to see, why assertoric sentences and only assertoric sentences are bearers of truth-values.

Let us first clarify quite generally what type of relation Ammonius intends when he says that simple and compound thoughts 'signify' (orquaiverv) simple and compound things (e.g. In Int. 24,5-12). The semantic relation which obtains between thoughts and things is, as we have already seen, specified by Ammonius as an imaging relation, i.e., thoughts stand to the corresponding things as images to their model (cp. 20,20-21: "each thought must rather be an image of the thing of which it is the thought, graven in the soul as if in a tablet, given that thinking $(vo\epsilon iv)$ is nothing other than having received the form of what is thought or made it accessible" [ανάγκη των νοημάτων ἕκαστον εἰκόνα εἶναι τοῦ πράγματος, οῦ ἂν ή νόημα, ὥσπερ ἐν πίνακι τῆ ψυχῆ γεγραμμένον]). That means that there is a relation of similarity between the thoughts and the things. Ammonius speaks, following Aristotle, of the thoughts being 'likenesses' (อุ่มอเม่มสาส) of the things. A likeness has the function "to copy $(a\pi \epsilon i \kappa o \nu i \xi \epsilon \sigma \theta a)$ the very nature of a thing as far as possible and it is not in our power to change it (for if the painted likeness of Socrates in a picture does not have his baldness, snub nose and bulging eyes, it would not be called his likeness)" (In Int. 20,1-6). Strictly speaking that means that-at least in the normal case-thoughts are copies of some pre-existing original.²⁵⁶ They depend on that original in order to have meaning. This relation Ammonius specifies as one-to-one (20,19-20: "It is, however, impossible to think of one and the same thing with ever different thoughts" [To μέντοι εν και ταυτον πράγμα δι' άλλων και άλλων νοημάτων έπινοειν άδύνατον]).257 Strictly speaking,

²⁵⁷ Ammonius wants to show that the thoughts are the same for all human beings (the

²⁵⁶ Cp. also In Cat. 9,17-10,9 where Ammonius emphasizes the fact, that vocal sounds signify things by means of thoughts. These things ($\pi \rho \dot{a} \gamma \mu a \tau a$) are conceived of as actually existing things. The case of things which exist "in bare thought" ($\dot{e}\nu \ \psi \lambda \hat{\eta}$ $\dot{e}\pi n \nu o i a$) (9,26) is mentioned by Ammonius only in order to exclude them from the scope of Aristotle's theory. Cp. also In Int. 18,28-29 where he stresses that only thoughts in harmony with the things themselves are actually thoughts. This implicitly means that the others are not thoughts in the full sense of the term.

this excludes that a thought, insofar as it has meaning, could ever fail to correspond to the thing imaged by it. If it has meaning, the thought necessarily corresponds to one and only one thing, and this is the thing which it images. Thus, it makes no sense to say of a meaningful thought that it does not agree with this thing, just as one cannot sensibly say of a photograph that it does not agree with what is pictured by it. The alternative to this is simply that a thought has no meaning at all, in which case it images nothing and thus no longer corresponds to any thing. Then we are no longer dealing at all with an entity which satisfies Ammonius' definition of a thought.

Now, as we have already seen, what is signified by a simple thought is a 'simple thing' and what is signified by a compound thought is a 'compound thing' ($\sigma vr\theta e \tau \delta v \pi \rho \hat{a} \gamma \mu a$) In Int. 21,1-10. But what exactly are these 'simple things' and what the 'compound things'?

The answer to the first question is complicated by the fact that—in virtue of the distinction of names and verbs and following Aristotle—Ammonius distinguishes two kinds of simple things and by the fact that the descriptions he gives of these differ slightly from each other. The things signified by names are existing individual substances.²⁵⁸ The example mostly given by Ammonius is 'Socrates' (cp. *In Int.* 20,34-21,1). The things signified by verbs are potential properties of individual substances.²⁵⁹ Examples are 'walking' or 'pale'.²⁶⁰

Much more difficult than the answer to the first question is the task to clarify what Ammonius means by 'compound thing' $(\sigma \nu \eta e \tau \partial \nu \pi \rho \hat{a} \gamma \mu a)$. The example he gives at 21,1 is 'the running Socrates' and he explains this example saying that "here the substance of Socrates has taken on the activity consisting in running". This could mean two quite different things:

1. Ammonius' 'compound thing' could correspond to what we today call a 'state of affairs'. States of affairs are those entities we describe by a that-clause in sentences like: 'It is the case that Socrates runs' or 'It is the case that Socrates does not run'. States of affairs are unreal entities which exist in a Platonic world of ideas and of which if taken as such one cannot tell whether or not a fact

same in content and structure, not numerically the same) and therefore—in contrast to vocal sounds—are 'by nature' ($\phi i\sigma e_i$); cp. In Int. 24,10-16.

²⁵⁸ Cp. the definition of the term 'name': "a symbol <made> of a vocal sound which is significant by convention without time, of which no part is significant when separated, *indicative of the existence of a thing whatsoever or of a person*" (In Int. 40,4-6; our translation differs slightly from D. Blank's).

²⁵⁹ Cp. In Int. 49,24-25 "Verbs have been said to be significant 'of things said of another', namely 'of things said of a subject or in a subject'"

²⁶⁰ Cp. also In Int. 48,30-49,1, where Ammonius says that there are 'only two kinds of meaningful vocal sounds, name and verb, the one indicating existences, the other actions or passions, which he (Plato) called jointly 'doings' ($\pi \rho \dot{a} \xi \epsilon_i \varsigma$)'. The same point is made at 38,20-22: names mean 'some nature or person', verbs 'an action or passion'. At 40,23-27 he refers to *Cratylus* 430a ff. saying that 'the name is a representation ($\mu i \mu \eta \mu a$) of the substance of each thing ... just as verbs are representations of what follows upon—that is, what belongs to—substances'.

corresponds to them. However, we say of a state of affairs that it is the case when there is in the real world a fact corresponding to it, and that it is not the case when there is in the real world no fact corresponding to it. In this sense states of affairs are either the case or not the case.

2. On the other hand Ammonius' 'compound thing' could correspond to a fact in the modern sense of that term i.e. to the entity referred to by the whole sentence 'It is the case that Socrates runs' or 'It is the case that Socrates does not run'.

Both conceptions allow one to explain why only compound thoughts but not simple ones are bearers of truth-values, but these explanations are quite different, depending on the two conceptions.

1. If simple thoughts were bearers of truth-values, the entities which make them true would be identical with their meaning. From that it would follow that meaningful simple thoughts could not be false at all. It seems indeed that Aristotle drew this conclusion (cp. *De Anima* 3,6, 430a26-28 and b26-30).²⁶¹ Ammonius, however, wholly denied that simple thoughts are bearers of truth-values, as we have seen before. Compound thoughts, on the other hand, if they signify compound things in the sense of 'states of affairs', do not risk being necessarily true. States of affairs consist of at least two simple things and the relation which obtains between them. And this relation can be either that of joining or that of separation. To image a compound thing, then, it is not enough to image the simple things from which it is made: the relation which obtains between them must also be imaged. This allows room for mistakes when the image exhibits the wrong relation.

It follows from this that a compound thought can be false as a whole, without the simple thoughts of which it is composed losing their meanings. If one conceived the meaning of the compound thoughts as a function, of a) the meanings of the simple thoughts of which they are composed and b) the relation it establishes between them, one could say that false compound thoughts are by no means without meaning. This would further mean that compound thoughts, regardless of their meaning, could be true or false, or, in other words, that the meaning of compound thoughts does not necessarily coincide with their truth-maker. Now, if one conceives of truth as a non-necessary property of thoughts, i.e. as a property to which there is a real alternative, then it clearly follows from what has been said that only compound thoughts can be bearers of truth-values and that they are necessarily bearers of one of the two truth-values.

2. The explanation why compound thoughts are not necessarily true is quite different when they signify facts and not states of affairs. In this case the falsity of a sentence would not result from the fact that in the description of the compound thing it gives the wrong relation of the two simple things, but rather from the fact that it states that a certain state of affairs is the case which is not the case. Thus while in the first case the error concerns the relation of the simple things itself, in the second it has to do with the ontological status of this relation. It is most important for our overall purpose to find out which of the two conceptions of the meaning of assertoric sentences is the one corresponding most closely to Ammonius' semantics. There are four ways to clarify this point.

1. We can see how Ammonius actually justifies his thesis that only compound thoughts are bearers of truth-values.

2. As one of his answers presupposes the distinction between facts and states of affairs, as we shall see, we could try to find out if Ammonius actually makes such a distinction. This again can best be done by clarifying the very function(s) he attributes to the third linguistic part of the assertoric sentence, namely the expressions $\check{e}\sigma\tau i\nu$.

3. Since to either conception of the meaning of an assertoric sentence a different conception of truth and falsity corresponds we can try to answer our question by clarifying Ammonius' conception of truth and falsity.

4. Finally, since the conception of truth and falsity depends itself on the conception of the truth-maker and the falsity-maker, we can try to find out how Ammonius conceives of the latter.

I shall follow up these points one after the other—the first three in this section, the last in my final section. So the final answer to our question will only be given after the accomplishment of the fourth inquiry.

Ad 1. Ammonius himself has no argument for the thesis that only compound thoughts can be bearers of truth-values, but he reports such an argument at 56,14-57,18 in his explanation of Porphyry's conception of the function of the copula. Since he presents Porphyry's position without contradicting it, we may assume that he shared it. The argument runs: 'Now, the <statement of Aristotle> 'For <the verb> is not a sign of the being or not being of the thing', is the same as saying that the verb said by itself is not significant either of the thing's being, that is, <of the being of> the thing signified by it, which affirmation usually signifies, nor of its not being, which is indicated by negation' (56, 29-32).²⁶² (We may assume that what is said of the verb, i.e. the predicate term is a fortiori true of the subject term.) The passage means that the affirmative or negative sentence has not only a thing as its meaning—which must, according to what has been said before. be a compound thing—but also means that this thing either is or is not the case. while simple thoughts signify only a simple thing and nothing more. This is seen by Ammonius/Porphyry as the reason why only the former can receive the values 'true' and 'false', while the latter cannot (cp. 56,23-28).

What exactly is meant by saying that the affirmative sentence signifies the existence and the negative sentence the non-existence of the thing $(\pi\rho\hat{a}\gamma\mu a)$ they signify? In my view, the most plausible answer is that the thing they signify is a state of affairs and that by 'signifying the existence or non-existence of that thing' Ammonius/Porphyry want to say that the assertoric sentence states that this state

²⁶² Aristotle's text (16b22) as established by Minio-Paulello has οὐ γάρ. This is also the reading that Porphyry accepted. Ammonius mentions, however, a different reading with οὐδὲ γάρ (56, 14-17). Cp. also D. Blank 1996, 152 note 217.

of affairs is the case or is not the case. This answer, however, presupposes that Ammonius/Porphyry distinguished between 'thinking a state of affairs' and 'asserting that a state of affairs is the case'. Before deciding the case we must therefore clarify this last point.

Ad 2. I should first emphasize that for a user of ancient Greek it was not at all obvious that there was a difference between describing states of affairs and asserting facts, as it is not for the user of today's ordinary English either. For in classical Greek the assertive and descriptive functions do usually not belong to different expressions,²⁶³ with the effect that one could hardly describe states of affairs without at the same time asserting that they are or are not the case.

Now it is very interesting to inquire, whether in his own semantical analyses of the Greek language Ammonius is aware of the fact that definite verbs have two functions at the same time. For such an awareness could very well have let him discover the difference between states of affairs and facts.

Ammonius' commentary on Int. 16b19-25 offers a good point of departure for our purpose. Of interest to us is, first, the conception (already held by Aristotle: cp. Int. 21b9-10) that the finite verb can be analyzed into a participle and a finite form of the verb 'to be' ($\epsilon i \nu a \iota$: In Int. 55,23-28). This opens the possibility of analyzing the affirmative assertoric sentence ' $\Sigma \omega \kappa \rho \dot{\alpha} \tau \eta_5 \sigma \dot{\nu} \tau \rho \dot{\epsilon} \chi \epsilon \iota'$ into the sentence ' $\Sigma \omega \kappa \rho \dot{\alpha} \tau \eta_5 \sigma \dot{\nu} \tau \rho \dot{\epsilon} \chi \epsilon \iota'$ and the negative assertoric sentence ' $\Sigma \omega \kappa \rho \dot{\alpha} \tau \eta_5 \sigma \dot{\nu} \tau \rho \dot{\epsilon} \chi \epsilon \iota'$ into the sentence ' $\Sigma \omega \kappa \rho \dot{\alpha} \tau \eta_5 \tau \rho \dot{\epsilon} \chi \epsilon \iota'$ and then to inquire into the functions of the different parts of the sentence analyzed in this way. Of special interest is, of course, the semantic function which the expressions 'is' and 'is not' have in the context of the assertoric sentence as a whole.

Before investigating the semantic functions of 'is' and 'is not' in the context of the assertoric sentence, Ammonius asks the preliminary question, what they signify 'when said by themselves' (In Int. 55,21). He gives a negative and a positive answer to it. Said by themselves these expressions as well as any other verb do not signify anything true or false (55,21). They immediately signify 'being so' [$\dot{\nu}\pi\dot{a}\rho\chi\epsilon\nu$] or 'not being so' [$\mu\dot{\eta}$ $\dot{\nu}\pi\dot{a}\rho\chi\epsilon\nu$]. Since the verb $\dot{\nu}\pi\dot{a}\rho\chi\epsilon\nu$ is

²⁶³ Cp. C.H. Kahn, 1972; 1973 and 1986.

²⁶⁴ Cp. also Top. III.1, 116a32, τὸ τοὺς φίλους δικαίους εἶναι. Here this πρâγμα is presented as preferable (αἰρετώτερον) to another πρâγμα.

²⁶⁵ Of course, this can not be done in English without changing the meaning of the sentence.

used by Ammonius both in sentences of the form 'The A belongs to the B' ($\tau \delta A \tau \hat{\varphi} B \delta \pi \dot{a} \rho \chi \epsilon i$), which means that the property A is correctly attributed to the subject B, and in sentences of the form 'The thing A exists' ($\tau \delta \pi \rho \hat{a} \gamma \mu a A \delta \pi \dot{a} \rho \chi \epsilon i$), exactly what is meant in 55,20 is unclear. If the first is meant, the semantic function of the third part of the $\dot{a} \pi o \phi a \nu \tau i \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ is limited to creating the relation of belonging or not-belonging between the other two parts. If, however, the latter is intended, its function consists in saying of something already compounded that it is the case.

We shall try to decide this when we now turn to the semantic function of these expressions when they are used—not by themselves, but—in the frame of an assertoric sentence. What is accomplished semantically by means of the addition of 'is' or 'is not' to the two other parts of the assertoric sentence? In fact, we find in Ammonius' text rather detailed and clear statements on the semantic function of the expressions 'is' and 'is not' in the overall structure of the $\dot{a}\pi\sigma\phi a\nu\tau\iota\kappa\dot{c}\lambda\dot{c}\gamma\omega\varsigma$. But here Ammonius makes our job difficult by first hiding his own view behind those of Porphyry and Alexander, who interpret Aristotle's phrase 'it additionally signifies some composition' in different ways, and then leaving it up to the reader which of the two he should accept. This difference, however, does not affect our main question.

The view of Porphyry seems to be the result of a critique of that of Alexander. We shall therefore examine the latter first. Alexander distinguishes two meanings (two semantic functions) the expressions 'is' and 'is not' can have when they are part of an $a \pi o \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$. Thus, he understood 'additionally signifies' ($\pi \rho \sigma \sigma \sigma \eta \mu a i \nu \epsilon i$) in the sense of 'has a second meaning'.

1. These expressions can be used as names like the other verbs. In this case they signify 'participation in' or 'deprivation of being' (57,25-27). In his commentary on the *Prior Analytics* Alexander explains this use of $\xi \sigma \tau n \nu$ saying that the sentence ' $\Sigma \omega \kappa \rho \dot{\alpha} \tau \eta \varsigma$ $\xi \sigma \tau n \nu$ ' has the same meaning as ' $\Sigma \omega \kappa \rho \dot{\alpha} \tau \eta \varsigma$ $\delta \nu \dot{\epsilon} \sigma \tau n \nu$ ' (In An. Pr. 15, 17-18).

2. According to their second semantic function these expressions signify the predicate's joining with the subject of a sentence (57,27-29). Whereas according to their first semantic function the expressions 'is' and 'is not' have quite different meanings the second semantic function is the same in both cases (57,29-33). Quoting *De Anima* III.6, 430b2 Ammonius²⁶⁶ makes clear that Alexander must mean the function of the synthesis of the two other terms, notwithstanding that the synthesis is either $\sigma \nu \mu \pi \lambda \sigma \kappa \eta$ in the case of a positive predicate or *dialpeorg* in the case of a negative predicate.

According to Alexander, the second semantic function is responsible for the completeness of the sentence and for its character as bearer of one of the

It is not clear where exactly Ammonius' report of Alexander's theory ends and where his own commentary starts. However, as in 57,28 the term $\sigma u \mu \pi \lambda \rho \kappa \eta$ is used to describe the second semantic function, while in 57,30-32 the term $\sigma u \mu \pi \lambda \rho \kappa \eta$ refers to one of its modes, we consider the latter passage as part of Ammonius' commentary.

truth-values (57,28-9; cp. also Alexander of Aphrodisias, In An. Pr. 15,6-14). Unfortunately Ammonius does not say why exactly Alexander made this character depend on the synthesis-function and we did not find any answer to this question elsewhere in Alexander's writings either.

Porphyry has a different view of 'additionally signifies some composition' (προσσημαίνει σύνθεσίν τινα). He interprets this expression as 'when joined with something else it signifies a composition which is now receptive of falsity and truth' (57,14-18). Thus 'additionally' does not refer to a first meaning of 'is' and 'is not' but to the procedure of joining these expressions to the subject and the predicate. Except this, Porphyry's view apparently does not differ much from Alexander's. When added appropriately to a subject-term and a predicate term 'is' and 'is not' have the semantic function of effecting a synthesis between these and thus creating a new entity, i.e. an assertoric sentence, which is as such true or false. However, unlike in the case of Alexander, we can indicate Porphyry's reasons for this position and thus answer our main question. As we have seen before, Porphyry insists (cp. 56,28-33) that the affirmative assertoric sentence expresses the being of a thing, and the negative assertoric sentence expresses its not-being. Therefore 'to belong to a subject as a qualification' can not be neutral with respect to the alternatives 'to belong to a subject in actuality/to belong to a subject only in thought'. Rather the synthesis of a predicate expression with a subject expression always means, according to Porphyry, that the qualification of the predicate actually belongs to the subject.

Now, what can one conclude from this about Ammonius' view on this point? There can be no doubt that Ammonius generally sympathizes rather with Porphyry, even though he differs from him in certain points of detail (cp. 56,14-18). This is also the case in our question. The following passage shows that in fact Ammonius interpreted 'belong' in the sense of 'belong in actuality' (52,13-16): 'For nothing prevents something from being truly predicated even of what is not, as not belonging to it or not being such as to belong <to it>--as when I say "The hippocentaur is not healthy" or " is not ill"--but it is impossible for something to belong to what is not'. The explanation is obviously valid only if 'belong' means 'belong in actuality'. For, in thought, a predicate such as 'being ill' or 'being healthy' can indeed belong to a hippocentaur, regardless of the non-existence of the latter. Thus, Ammonius follows Porphyry's line on this decisive point.

Ammonius' analysis of the semantic functions of the expressions 'is' and 'is not' amounts to the following points:

1. These expressions have two semantic functions: (a) to join or to separate the two other parts of the assertoric sentence, (b) to assert that these relations hold *actually* between the two ontological entities signified by the two other parts of the assertoric sentence.

2. These two semantic functions go always and necessarily together. Therefore it is impossible to think a state of affairs without asserting that it is or that it is not the case.

3. The meaning of the assertoric sentence as a whole therefore is not simply a state of affairs, but a fact, i.e. the 'being-the-case of a state of affairs'.

But this semantic analysis of ordinary Greek does not hinder Ammonius' distinguishing 'states of affairs' and 'facts' in his philosophical metalanguage. A clear example of this is given by expressions such as: 'it is not the sentence which is the cause of the thing's being $(\tau \hat{\varphi} \pi \rho \dot{a} \gamma \mu a \tau \tau \tau \sigma \hat{v} \epsilon i \nu a_i \pi i \sigma \varsigma)$, but the existence of the thing $(\dot{\eta} \tau_0 \hat{\upsilon} \pi_0 \hat{\eta} \eta_0 \pi_0 \hat{\upsilon} \eta_0 \pi_0 \hat{\upsilon} \eta_0)$ which is responsible for the sentence being true' (149,27-28), 'inasmuch as the thing about which one is speaking has already occurred' (τοῦ πράγματος ἐκβεβηκότος περὶ οῦ ὁ λόγος 130,12-13), 'since the thing has not already occurred but can both occur and not occur²⁶⁷ ($\mu \eta \pi \omega \tau \sigma \hat{\nu}$ πράγματος ἐκβεβηκότος δυναμένου δε καὶ ἐκβήναι καὶ μὴ ἐκβήναι 130,25-26), 139.30); the list could be extended. For, that of which the existence or non-existence, the occurrence or the possibility of occurring and not occurring is said in these expressions is neither a substance nor a fact-it would be a contradiction to say of a fact that it does not exist-but a state of affairs. There are also, as we shall see, systematic reasons which force Ammonius to distinguish at least in his metalanguage between states of affairs on the one hand and facts or non-facts on the other. Otherwise, there is no satisfactory solution for the problem mentioned above of the meaning of false statements. This we shall see when we in our last section address Ammonius' answer to that question.

Ad 3. But let us first see how Ammonius' conception of truth squares with this analysis of the signification of an assertoric sentence. Ammonius gives two different answers to the question under which conditions an assertoric sentence is true. We first find passages like *In Int.* 26,27-30 where he says that "when the thing should happen to be in the very state the faculty of thinking believes it to be in then the thought will be true".²⁶⁸ Passages like this amount to defining truth and falsity as a relation of correspondence or non-correspondence between thoughts and things thought regarding the question of how the things are. This definition of truth would fit the conception of the meaning of the assertoric sentence we tentatively took into consideration at the beginning, i.e. the hypothesis, that the meaning of an assertoric sentence is a state of affairs. We rejected this hypothesis, however, because it did not square with the theory of Porphyry to which Ammonius, too, adheres.

On the other hand there are passages such as 21,13-16, where Ammonius lays stress not on saying how the things are, but that they are so. In these places truth seems to be defined as the agreement of the statement that something is the case with the corresponding fact that it is the case. This, of course, would very well square with Porphyry's conception of the meaning of an assertoric sentence.

²⁶⁷ Here by $\pi \rho \hat{a} \gamma \mu a$ Ammonius clearly means a type of event which is a kind of state of affairs.

²⁶⁸ τότε γὰρ ἂν μὲν Our translation differs from D. Blank's. A similar answer is given at 55,13-14: "one who says how what is is and how it is by nature speaks the truth". Again our translation differs from D. Blank's.

Therefore Ammonius should give preference to the latter conception of truth. It is the only one which is consistent with his semantics of the assertoric sentence.

V.1.4 What are the truth-makers and falsity-makers of an assertoric sentence?

But whichever of the two conceptions of meaning and truth one finally attributes to Ammonius, in both cases he faces a fundamental $\dot{a}\pi opia$. For if he holds that truth is the correspondence of a compound thought with a compound thing, the truth-maker of the compound thought is nothing else but the compound thing thought, i.e. the meaning of the thought. Thus truth-maker and signification of an assertoric sentence prove to be identical. We come to the same conclusion in the case of the second conception of truth and meaning. For if Ammonius holds that truth is the correspondence of the statement that a compound thing exists to the existence of that compound thing, the truth-maker of the statement is the fact stated and that fact is also the meaning of the statement. So again truth-maker and meaning are identical. But this identity seems to have disastrous consequences for the meaning of false assertoric sentences. For if the truth-maker and the meaning of an assertoric sentence coincide, false assertoric sentences, which have no truth-maker, will have no meaning either and thus be no real thoughts any more.²⁶⁹ To avoid these consequences Ammonius must find a way to show that on the one hand there is no thoroughgoing identity of truth-maker and meaning and that on the other hand false assertoric sentences as well as true ones still refer to something 'in the world' and not to a purely spurious entity.

The solution to this $\dot{a}\pi\sigma\rho ia$ can be found in the paragraph 81,13-82,13 where Ammonius-commenting on Int. 17a26-37-explains the different references of affirmations, negations and contradictions. We have already seen that Ammonius distinguishes two kinds of simple assertoric sentences, viz. affirmative (καταφάσεις) and negative (άποφάσεις) ones. One can make a negative assertion out of a positive one by adding a negative particle (ἀρνητικόν μόριον) to it (67,26-27) or, more precisely, to its predicate. In this way arise pairs of άποφαντικοί λόγοι whose members differ only in respect of their formal semantic element, i.e. in respect of the expressions 'is' (ἔστι) and 'is not' (οὐκ ἔστι), while having the same subject and predicate.²⁷⁰ Aristotle calls such pairs 'contradictions' (avridáreic: 18b37, cp. 17a31-34). But Ammonius uses this term at first to indicate the logical relation which obtains between the members of such pairs. He defines this relation as the 'conflict ($\mu \dot{\alpha} \chi \eta$) of an affirmation and a negation which always divide the true and the false so that when one of them is false the other is true, and vice-versa' (81,14-16). We are dealing, therefore, with the relation of contradiction familiar to us from propositional logic, and the cited passage gives us reason to suppose that Ammonius would have accepted its modern

²⁶⁹ Cp. Ammonius, In Cat. 9,25-10,1 τὰ μὲν ἐν ψιλή ἐπινοία ἐστίν, ..., τὰ δὲ καὶ ὅντως ὑφεστῶτά ἐστιν.

²⁷⁰ Cp. 84,6-25. We leave aside the case of indefinite predicates.

truth-functional definition.²⁷¹ At the very least the passage allows the conclusion that Ammonius agrees with the following formula:

$$\begin{array}{ll} T(16) & (T[Cp] \rightarrow F[C \sim p]) \bullet (F[Cp] \rightarrow T[C \sim p) \bullet (T[C \sim p] \rightarrow F[Cp]) \bullet \\ & (F[C \sim p] \rightarrow T[Cp]). \end{array}$$

Ammonius goes on to say that the division of the truth-values results from the fact that 'there is a conflict between false negation and true affirmation and between false affirmation and true negation' (81,16-18). As the following remarks show, this means that always exactly one of the two members of such a pair is true and exactly one is false (cp. also 85,2-3; 121,22-23; 26,21-22). This can be formulated as follows:²⁷²

$$T(11) \qquad N\{(T[Cp] \rightarrow T[C-p]) \bullet (F[Cp] \rightarrow F[C-p])\}.$$

To show this Ammonius now introduces (with reference to *Int.* 17a26-29) a further important distinction: he contrasts each pair of contradictory sentences with a pair of contradictory possible compound things (81,18-26). In addition, he emphasizes that the first set represent alternative possibilities of speech-acts available to a speaker (81,24-26), while the second represent alternative possibilities for how the things are.²⁷³

The introduction of pairs of things ($\pi \rho \dot{\alpha} \gamma \mu \alpha \tau a$) which are contradictorily related to one another brings a lot of consequences which Ammonius may not draw expressly, but with which he must reckon in his further discussions. The first consists in the fact that on the level of the $\pi \rho \dot{\alpha} \gamma \mu \alpha \tau a$ there are also two entities which are related analogously to the pairs of positive and negative assertoric sentences: as the assertoric sentences are either true or false, so are the $\pi \rho \dot{\alpha} \gamma \mu \alpha \tau a$ either the case (Ammonius speaks of 'what really holds' [$\tau \dot{\sigma} \, \ddot{\sigma} \tau \tau \omega \varsigma \, \ddot{\sigma} \pi \alpha \rho \varsigma \sigma \nu$] at 81,28-29) or not the case ($\tau \dot{\sigma} \, \mu \dot{\eta} \, \ddot{\sigma} \pi \alpha \rho \varsigma \sigma \nu$ at 82,1). As exactly one sentence of each pair is true, so is exactly one $\pi \rho \dot{\alpha} \gamma \mu a$ of each pair the case. If we ask what exactly Ammonius understands by the expression $\pi \rho \dot{\alpha} \gamma \mu a$ in this context, the only answer is that this expression must mean something which corresponds to modern states of affairs. By introducing pairs of contradictory $\pi \rho \dot{\alpha} \gamma \mu \alpha \tau a$, then, Ammonius has *de facto* conceded the difference between a state of affairs and a fact.

The two pairs of entities distinguished by Ammonius can be shown in the following table:

²⁷¹ The proponents of the thesis that Ammonius is an adherent of the standard interpretation will not, however, admit this—at least not without qualification. Cp. above, pp.147-148.

For the corresponding Aristotelian position cp. Metaph. IV 1008a34-b1, 1011b13-1012b2; Int. 12 21b17.

²⁷³ Cp. also In Cat. 10,11-16.

Level of Thoughts	[9]	[~p]
Level of Things	р	~p

Table 1

Now, between these entities there are, according to Ammonius, four possible constellations ($\sigma \nu \mu \pi \lambda \rho \kappa a i$: 81,26-82,2):

- 1. p is the case ($\delta \nu \tau \omega \varsigma \, \delta \pi \dot{\alpha} \rho \chi \epsilon i$) and we say that p is the case.
- 2. p is the case and we say that p is not the case.
- 3. p is not the case and we say that p is the case.
- 4. p is not the case and we say that p is not the case.

Of these four possible constellations, the first and fourth lead to a true, the second and third to a false statement (82,2-12).

This too can be represented in a table, although Ammonius' text lists only the facts and omits the non-facts:

	Facts	Non-Facts	Assertoric sentences	Truth-Values of assertoric sentences
1	р	~p	[Cp]	t
2	р	~p	[C~p]	f
3	~p	р	[Cp]	f
4	~p	р	[C~p]	t

Table 2

The following important points arise from Ammonius' discussion:

- 1. There are positive and negative sentences.
- 2. There are positive and negative facts.
- 3. For every true sentence there is a contradictorily opposed false sentence.
- 4. For every fact there is a contradictorily opposed non-fact.
- 5. Positive facts make positive sentences true, negative ones false.
- 6. Negative facts make negative sentences true, positive ones false.
- 7. Positive non-facts make positive sentences false, negative ones true.
- 8. Negative non-facts make negative sentences false, positive ones true.

From these points it clearly follows that not only facts, but also non-facts are truth-makers and falsity-makers of assertoric sentences. If we have a closer look at table 2 we should even say that the truth-maker or the falsity-maker of an

assertoric sentence is in each case the whole constellation of a fact and a non-fact figuring on the same line on table 2. Therefore the meaning of either true or false assertoric sentences cannot simply be identical with their truth-makers or their falsity-makers. But in this respect there is an important difference between true and false sentences. We have seen that Ammonius---following Porphyry—distinguishes two elements in the meaning of an assertoric sentence: a) the thing $(\pi \rho \hat{a} \gamma \mu a)$ 'the sentence is about' $(\pi \epsilon \rho \hat{i} \circ \delta \delta \delta \delta \gamma \rho \varsigma, 130, 12-13)$ and b) the affirmation that this thing is the case. In today's semantics one would call these the 'intentional' and the 'formal' element of the meaning of an assertoric sentence. Now, in the case of true assertoric sentences both the intentional and the formal element agree with the fact, which is their truth-maker. Therefore we can say that the meaning of true sentences simply is the fact which makes them true. On the other hand in the case of false assertoric sentences things are much more complicated. As we can see from table 2 the intentional element of a false sentence is identical with the non-fact which makes it false. But since a false sentence declares the non-fact to be a fact by means of its formal element in this case the formal element of the meaning does not agree with the non-fact the sentence is about. This is the reason why the meaning of a false assertoric sentence cannot be simply identical with its falsity-maker. Nevertheless Ammonius can say that a false assertoric sentence depicts a non-fact falsely declaring it a fact. To sum up, Ammonius holds that true sentences imitate the facts, while false sentences are 'an image of non-existence' (το ψεῦδος εἰκών ἐστι της ανυπαρξίας, 92,7-9).

I have already noted that Ammonius does not draw these consequences *expressis verbis*, but that we are dealing with conclusions drawn by us from his distinctions. However, since these consequences would also allow Ammonius to solve the problem of the semantics of false sentences, we may assume that he would have accepted them. That Ammonius could not have turned away from this solution can also be seen in another passage, to which we now turn.

At 154,7-12, a passage we examine in its own right in our commentary, (following Aristotle: Int. 19a27-29) Ammonius examines the possibility of using a pair of contradictory sentences to form a complex sentence of the form $[C(p \rightarrow \neg p)]$.²⁷⁴ Departing from his previous usage, he then calls this new complex sentence 'contradiction' ($\dot{a}\nu\tau i\phi a\sigma \iota_5$). Now, this complex sentence is necessarily true (154,8-9; 28-29).²⁷⁵ According to the fundamental assumptions of the theory, there must be a truth-maker for this sentence which can only consist in the fact that either p or ~p is the case (cp. 154,16-20): $C(p \rightarrow \neg p)$. This, then, is the fundamental fact of the world. The world is so constructed that one of the two $\pi \rho \dot{a} \gamma \mu a \tau a$ which form a contradictory pair is necessarily a fact and the other a non-fact. These $\pi \rho \dot{a} \gamma \mu a \tau a$ —i.e. those for which the expressions p and ~p stand in

Read: It is the case that either p or $\sim p$. This is equivalent to $[Cp \rightarrow \langle C \sim p]$.

D. Frede 1985, 77 emphasizes that the thesis that there is such a complex and necessarily true sentence is not to be found in Aristotle. However this may be for Aristotle (cp. our commentary pp.202-203), it is certainly not the case for Ammonius.

the complex assertoric sentence $[C(p \rightarrow (p))]$ —must be states of affairs; for it would be redundant to say of facts or non-facts that one is a fact and the other is a non-fact. Here we have a further proof that Ammonius would have accepted the ontology we attributed to him above. We may express this—slightly altering Wittgenstein's formula—by the following principle: 'the world is the sum of facts and non-facts'.

However, something else arises from the passage as well: in all sentences of the form $[C(p \rightarrow \neg p)]$ the truth-maker coincides with the meaning. Since sentences of this form are necessarily true, they cannot be empty of meaning. But it would be inconsequent to admit that the complex sentence has a meaning, while maintaining that one of the simple sentences on the basis of which it is formed has not. If the complex sentence of the form $[C(p \rightarrow \neg p)]$ has a meaning, so do simple sentences of the form [Cp] and $[C \neg p]$. Yet in the latter, unlike in the former, the truth-makers and falsity-makers do not necessarily coincide with the meaning. This forces us to equate the meaning of a false sentence, in respect of its intentional element, with its falsity-maker, while the formal element, i.e. the is-the-case-operator, has no correspondent in the falsity-maker.

According to this conception the world is at every moment composed of conjunctions of three entities: a fact of the form $C(p \rightarrow \neg p)$, a fact p and a non-fact $\neg p$ (of course, $\neg p$ can also be the fact and p the non-fact). The first makes the relevant disjunctive sentence true and is at the same time its meaning; the second makes [Cp] true and is at the same time its meaning; and the third is the meaning of the intentional element of [C $\neg p$], but makes it false because the sentence wrongly uses an 'it-is-the-case-operator' while the corresponding state of affairs is not the case.

This result sheds also some light on our main question, i.e. the question of whether Ammonius holds that assertoric sentences about future contingent facts have no truth-value. If he adhered to this position, assertoric sentences about future contingent facts would differ from all the other assertoric sentences in such a fundamental way that they could hardly be called 'assertoric sentences' any more. But, it is very unlikely that Ammonius would have accepted this for the following reasons. However uncertain the future may be, one thing is unquestionable: of two contingent future states of affairs p and ~p exactly one will be the case. Therefore Ammonius - as we will show later - accepts the truth of the principle (p){ $C(p \rightarrow \neg \neg p)$ } for future contingent states of affairs. That means that according to Ammonius there is a fact of the form $C(p \rightarrow \neg p)$ which makes the disjunctive statement about future contingent states of affairs of the form [C(p >-< ~p)] true. But if Ammonius accepts the truth of the disjunction, how could he deny that the sentences of the form [Cp] and [C-p] have truth values? He could only do so, if he were prepared to accept that these sentences have no meaning and, as we will see, this is very unlikely, given his general semantics of assertoric sentences.

I should add one final point: As we have seen, Ammonius holds that assertoric sentences exist only during the period of their utterance. This means in the case of future sentences that the event the sentence is about is tied to another moment than the utterance and therefore the existence of the sentence. At the moment when the event happens the sentence does not exist any more and at the moment when the sentence exists the event has not yet occurred. So, if Ammonius simply considered the event the sentence is about as its truth-maker or falsity-maker, he would be obliged to admit that at the moment of their utterance future sentences have no truth-maker or falsity-maker and consequently no meaning. The same point can be made about past sentences. The only way to overcome these difficulties consists in saying that the truth-maker or the falsity-maker of future sentences is the fact or non-fact about the future event which is present at the moment of the utterance. In the following essay I shall attempt to clarify this point further.

V.2 'In a Definite Way True' Truth-Values and their Modalization in Ammonius

by Gerhard Seel

A battle is underway among interpreters of Aristotle over whether Aristotle in *Int.* 9, in order to avoid universal necessitarianism, denies the validity of the Principle of Bivalence for assertoric sentences²⁷⁶ about future contingent events. If one affirms that this is so, one is an adherent of the 'Standard Interpretation'; if one denies it, one holds a 'Non-Standard Interpretation'.²⁷⁷ Recently, a secondary debate has developed atop this fundamental one: did ancient and mediaeval commentators on Aristotle, such as Alexander of Aphrodisias, Ammonius, Boethius, Al-Farabi, and Thomas Aquinas, interpret Aristotle according to the Standard Interpretation or not? In what follows, I shall attempt to decide this question in the case of Ammonius.

Ammonius locates the peculiarity of SFCSs in the fact that, while a pair of contradictorily opposed sentences of this kind—like the contradictory pairs of all other kinds of sentences—divide the two truth-values between them, they nonetheless do this not in a 'definite' way ($\dot{\omega}\rho i\sigma\mu\dot{\epsilon}\nu\omega\varsigma$, $\dot{a}\phi\omega\rho_i\sigma\mu\dot{\epsilon}\nu\omega\varsigma$), but rather in an 'indefinite' way ($\dot{a}\rho i\sigma\tau\omega\varsigma$).²⁷⁸ He is convinced that the necessitarian arguments opposed by Aristotle in *Int.* 9 all rest on the unspoken assumption that contradictory pairs of this kind too divide the truth-values in a definite way, and that Aristotle's refutation depends on the proof that this is not the case.²⁷⁹ Therefore, it is of overriding importance for understanding Ammonius' interpretation of the necessitarian proofs and their refutation to find out just what Ammonius meant by this distinction.

If Ammonius read Aristotle according to the Standard Interpretation, then by saying that they do not divide the truth-values 'in a definite way', Ammonius means that neither of the contradictory sentences has one of the two truth-values

²⁷⁶ Ammonius, like Aristotle, uses the term 'sentence' (λόγος) throughout his commentary mostly for the specific type of sentence which he qualifies as an 'assertoric sentence' ($\dot{a}\pi o \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \circ \varsigma$); in the following, 'sentence' should always be taken to mean 'assertoric sentence'.

²⁷⁷ The Standard Interpretation is also known under the name 'traditional interpretation'. On both interpretations and their adherents, see H. Weidemann 1994, 300-302. See also our Introduction.

²⁷⁸ Cp. In Int. 130,1-11.

²⁷⁹ In Int. 141,31-35.

at the time of its utterance, but rather receives one of them just at the moment at which the prophecy says the event will occur (i.e., the moment to which the event 'is bound'). If he held the Non-Standard Interpretation of Aristotle, on the other hand, then by this qualification Ammonius wants to say that each of the two sentences does indeed have a truth-value right from the moment of its utterance, but in such a way that it is not fixed in advance which truth-value belongs to it, so that it could also have the opposite truth-value.²⁸⁰

Let us first clarify the difference between the Non-Standard Interpretation and the Standard Interpretation. Provided that each sentence is either true or false, the truth-value of any pair of sentences [Cp] and [Cq] falls into one of the four constellations shown in the following table:

	[Cp]	[Cq]
1	t	t
2	t	f
3	f	t
4	f	f

If [Cp] and [Cq] are contradictorily opposed sentences, only cases 2 or 3 can arise, and—in accordance with the assumption that each of the two sentences is either true or false—exactly one of these two cases occurs. This is what Ammonius normally means when he says, following Aristotle, that two sentences divide the truth-values.²⁸¹

Now the Standard Interpretation interprets the distinction between definite and indefinite division of the truth-values as follows: a pair of sentences divides the truth-values if and only if cases 1 and 4 do not occur; a pair of sentences divides the truth-values in a definite way if and only if it is decided which of the other two cases (2 or 3) obtains; a pair of sentences divides the truth-values in an indefinite way if and only if it is undecided which of the other two cases (2 or 3) obtains. Of course, the latter means that neither obtains and therefore neither of the sentences has a truth-value at the moment of its utterance.

If Ammonius used the terms $\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma/\dot{\omega}\rho_i\sigma\mu\dot{e}\nu\omega\varsigma$ and $\dot{a}\rho\rho'\sigma\tau\omega\varsigma$ in this sense, he would maintain that in the case of singular future contingent sentences (SFCSs) neither of two contradictory sentences has one of the two truth-values until the moment the predicted event is bound to has become the present moment, and that after that each sentence has exactly one of the two truth-values. Accordingly, the sentences would change their status from 'indefinite whether true

²⁸⁰ For the two positions I refer again to H. Weidemann 1994, 300-302.

²⁸¹ Cp. In Int. 91,18-19.

or false' to 'true' or to 'false'. This is precisely the doctrine attributed to Ammonius by the Standard Interpretation.²⁸²

The Non-Standard Interpretation interprets the distinction between the two ways of dividing the truth-values quite differently. All sentences—including singular future contingents—already at the time of their utterance possess one of the two truth-values, so that there has always already been a decision between cases 2 and 3. A contradictory pair of such sentences divides the truth-values 'in a definite way' when it is impossible that the truth-values be distributed differently; it divides the truth-values 'in an indefinite way', on the other hand, when the actual distribution is not fixed beforehand in a necessary manner and thus could have turned out differently. When the moment the predicted event is bound to has become the present moment, a change of the status of the sentences takes place according to the Non-Standard-Interpretation as well. This change, however, is not from 'undecided whether true or false' to 'true', but rather from 'indefinitely true' to 'definitely true' both including 'being true'.

The distinction between the two views can also be understood as a difference in the conception of the truth-maker. According to the Standard Interpretation, future sentences have a truth-maker only when at the time of their utterance a constellation of actual factors (actual causes) is present, which already at that time makes the later occurrence of the predicted future event necessary. Since in the case of future contingent events no such constellation of causes is present at the time a prediction is uttered, predictions of such events, having no truth-maker, can in principle have no truth-value. They receive both only with the presence of a necessitating constellation of causes, i.e., at the latest in the moment to which the event is tied.

The Non-Standard Interpretation, on the other hand, insists that the real future event or a present fact about it functions, regardless of whether or not its occurrence was already necessary earlier, as truth-maker for predictions made about it. Accordingly, SFCSs do not wait for the predicted event in order to receive a truth-value; rather, they already have a truth-value at the time of their utterance, but they have it in an indefinite way, since it is the contingent outcome of the actual process and not a necessary outcome which makes them true or false.²⁸³

Adherents of the Standard Interpretation²⁸⁴ have argued that the 'weaker conception of truth' implied by the Non-Standard Interpretation was first developed in the New Academy²⁸⁵ and therefore lay 'totally outside of Aristotle's horizon'. However that may be, the weaker conception of truth certainly did not lie outside of Ammonius' horizon. Therefore, nothing excludes the possibility that Ammonius ascribed the weaker conception of truth to Aristotle and interpreted his confrontation with necessitarianism on that basis.

²⁸² Cp. D. Frede 1985, 42-44, H. Weidemann 1994, 303 and R. Gaskin 1995, 148ff.

²⁸³ On this point, see the paper of M. Mignucci in the present volume.

²⁸⁴ Cp. H. Weidemann 1994, 259-260.

²⁸⁵ Cp. Cicero, De Fato IX 18-20, XII 27-28, XIV 32-XV 33, XVI 38.

But there is still another possibility not taken into account by the adherents of the Standard Interpretation. Ammonius could have accepted the requirement that the truth- and falsity-makers of future sentences be simultaneous with the utterance of these sentences and then have argued that these truth- and falsity-makers must not consist in present causes of future events but can consist in present facts and non-facts about future events. In this way—as we shall see—the 'weak conception of truth' would lose some of its oddities.

Let us now see with which of these views Ammonius' semantics of the assertoric sentence—as analyzed in the preceding essay—squares best. According to the Standard Interpretation, an SFCS changes its truth status when it loses its original neutrality in favour of truth or falsity. This change of status presupposes the following:

1. The identity of the sentence cannot depend upon its truth-maker. For, if that entity which determines the value-status of a sentence at the same time also determined its identity, a change of the first entity would have the consequence that we were no longer dealing with the same sentence, not that the same sentence altered its value-status.

2. The sentence must exist as the identical entity over a relatively long period of time, so that it is possible to have a period of time in which it has one status and a period in which it has the other.

The Stoic $d\xi/\omega\mu a$ easily fulfils both these conditions.²⁸⁶ However, we have shown above that the $d\pi o \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$, as Ammonius conceives of it, fulfils them only in part. For the first condition we have seen that the signification of an $d\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ —which is one of its identity-conditions—does not necessarily coincide with its truth-maker. Since a truth-maker can in principle be replaced by a falsity-maker and vice-versa, an $d\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ could change its truth-value. That assumes, however, that during the time in which this change occurs the identical $d\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ continues to exist. This condition is, as we have seen, not met by an $d\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$, according to Ammonius. For an $d\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ $\lambda \delta \gamma \sigma \varsigma$ loses its existence already in the instant immediately following its realization. This last point makes it unlikely that Ammonius was an adherent of the Standard Interpretation.

Of course, the proponents of the opposing thesis still have one possible defence of their position. They can argue that the thesis that a contingent future sentence becomes true only at the moment to which the predicted event is tied does not mean that this statement is or can be made a second time at exactly this moment—that makes no sense for the simple reason that one would at this moment need to make a present-tense statement, not a future one; rather, they would argue, the statement acquires for the first time at this moment its truth-value as that one statement which was made in the past and which one may remember. When, for example, a sea battle occurs today, and yesterday someone made the prediction that 'Tomorrow there will be a sea battle', this speech- and thought-event (according to this variant of the Standard Interpretation) possessed neither of the truth-values yesterday, but today has acquired the truth-value 'true' as this event of yesterday. This conception is plausible in its own right, but it is doubtful whether it is actually Ammonius' conception.

We have seen in the preceding essay (228ff.) that the signification of an $\dot{\alpha}\pi\sigma\phi\alpha\nu\tau\kappa\dot{\alpha}\varsigma\lambda\dot{\alpha}\gamma\sigma\varsigma$ is only guaranteed by the fact that at the time of its utterance there is something which makes it true or false. Now, the Standard Interpretation says that contingent future sentences have neither a truth-maker nor a falsity-maker at the time of their utterance. From this Ammonius would have had to conclude, because of his semantics, that contingent future sentences have no signification at the time of their utterance and thus are not real sentences. But he does not say this anywhere. Rather, he always includes SFCSs in the class of real assertoric sentences.²⁸⁷

This is a stronger objection to the view that Ammonius held the Standard Interpretation than the simple point that he defines the $\dot{\alpha}\pi\sigma\phi\alpha\nu\tau\iota\kappa\dot{\alpha}\varsigma$ $\lambda\dot{\alpha}\gamma\sigma\varsigma$ as something that is either true or false. For Aristotle also does this, and nevertheless there is still good reason to interpret his discussion in *Int*. 9 in accordance with the Standard Interpretation. Those who do that have simply to argue that this definition was made in ignorance of the problematic of chapter 9. Such an argument, however, can hardly be used in the case of Ammonius. For it is quite implausible that Ammonius as if by accident lists entities under the class of $\dot{\alpha}\pi\sigma\phi\alpha\nu\tau\iota\kappa\dot{\alpha}\varsigma$ $\lambda\dot{\alpha}\gamma\sigma\varsigma$ which are, according to his own semantics, empty of signification.

However, one who brings the above objection against attributing the Standard Interpretation to Ammonius must, for his part, show that Ammonius has reason to assume that even contingent future sentences possess a truth- or falsity-maker. That truth- or falsity-maker cannot, of course, be an event or state of affairs which is bound to the time the future sentence is uttered. For we have seen²⁸⁸ that the truth- or falsity-maker of an $\dot{a}\pi o\phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ is identical with the state of affairs the sentence is about and in the case of a future sentence this is obviously an event which is bound to a later time than the time of the utterance of the sentence. To attribute the Non-Standard Interpretation to Ammonius, one must therefore assume that, according to Ammonius, the truth- and falsity-makers of future sentences are, at the time of their utterance, still future events.

Against this one might argue that in principle future events cannot make a present sentence true or false. There are two possible ways to argue for this. The first is to say that the truth- or falsity-maker must quite generally be tied to the time of the utterance of the sentence which it makes true or false. However, this

²⁸⁷ Cp. 130,1-26.

²⁸⁸ Cp. the preceding essay, 228ff.

position is quite untenable: to accept it would require the admission that past sentences too have no truth-value.

To avoid being misunderstood, to say that the truth- or falsity-maker of an assertoric sentence may be tied to a time different from the utterance of the sentence is not the same as to say that the truth- or falsity-maker may exist at a time different from the utterance of the sentence. According to our interpretation, Ammonius would have accepted the first and denied the latter, holding that there are present facts about future events as there are present facts about past events. Of course, the exact formulation of this position requires the tools of modern temporal logic, which Ammonius obviously did not dispose of. So we do not hold that he actually said this but rather that the consistency of what he actually said requires such a reconstruction.

Against this reconstruction though there is still another possible objection. One may argue that unlike present facts about past events there can be no present facts about future events, because future events are ontologically uncertain, i.e. because it is at present completely open which of the two mutually exclusive types of event which are still possible at the present time will actually be realized. This objection is more serious than the first. To meet it, however, we need not prove that the conception of facts it assumes is false, but merely that that there is an alternative to it and that Ammonius adheres to that alternative.

The objection presupposes that in order to have a present fact about a future event we need a present constellation of causes that bring the event about and thus decide already now the outcome of the future course of events. Thus present facts about future events are causally linked to the event they are about. However, as we have seen in the Introduction (28ff.), this is not the only way present facts about future events can be conceived of. One may equally well think that there is a present fact about a future event not with regard to the present state of the world but simply with regard to the real future state of the world. If, from an atemporal point of view, at the precise period of world history that we designate from our temporal point of view with the expression 'tomorrow' there is a real event of the type 'sea-battle' then there is, again from our temporal point of view, a present fact about this event. This fact brings by no means the future event about, rather it simply reflects it. It is clear that present facts about future events, when conceived of in this way, are perfectly compatible with the openness and undecidedness of the future course of events. Therefore somebody who is convinced of the latter is under no constraint to renounce to the former.

What grounds do we have for the contention that Ammonius actually shared the second conception and rejected the first? Our first reason is semantic: The first conception is, as we have seen, incompatible with Ammonius' semantics. For it has the consequence that contingent future sentences are empty of signification, or at least undetermined in their signification. Our second reason is taken from his refutation of the 'Reaper' Argument and the necessitarian argument reported by Aristotle (cp. above 159ff. and 185ff.). As we have seen, Ammonius accepts present facts about future events, like your reaping or the birth of a pale child, that do not occur in every case ($\pi \acute{a} \nu \tau \omega \varsigma$). We must keep in mind that for these events it is at the present moment undecided and open whether they will occur or not. Therefore he would contradict himself if he accepted the first conception of facts about future events.

We have a further reason to exclude Ammonius' having adopted the first conception: since it immediately excludes necessitarianism, one would expect it to be deployed by its adherents when they set out to refuse arguments for necessitarianism. However, nowhere in his various refutations of necessitarian arguments does Ammonius rely on such a conception.

From the point of view of the consistency of Ammonius' theory, therefore, there are strong grounds to attribute the Non-Standard Interpretation to Ammonius. Yet these grounds would be irrelevant if one could prove that Ammonius actually uses the expressions 'in a definite way' ($\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma$) and 'in an indefinite way' ($\dot{a}o\rho i\sigma\tau\omega\varsigma$) in accordance with the Standard Interpretation. What does an analysis of Ammonius' usage reveal?

Ammonius uses the expressions $\dot{a}\phi\omega\rho_{\mu}\sigma_{\mu}\omega_{\nu}$ and $\dot{a}\rho\rho_{\mu}\sigma_{\nu}\omega_{\nu}$ in three areas: a) in the area of being; b) in the area of knowledge; c) in the narrower area of the άποφαντικός λόγος. We are, of course, primarily interested in the usage of these expressions in the last area. Unfortunately, in none of the passages where they are used (there are over two dozen in all) does the context allow us to decide the question definitively. The only thing which can be adduced in favour of giving Ammonius the Non-Standard Interpretation is the fact that he not only says that pairs of contradictory sentences divide the truth-values in a definite way, but also that individual members of such pairs are true or false in a definite way (cp. 141,20; 141,22; 33; 143,18-19; 148,9; 149,17; 151,1; 154,11). This does not vield a good sense if one assumes the Standard Interpretation. For according to that interpretation, one can say about members of pairs which divide the truth-values in a definite way merely that they are true or false; the qualification 'in a definite way' applies in this case only to the way in which two sentences divide the truth-values, not to the way they have them. All that the proponents of the Standard Interpretation can do, then, is to argue that the latter is what is actually meant in all the passages named. While this may be possible, it is not very probable.

If the passages which directly concern the usage of $\dot{a}\phi\omega\rho_{i\sigma}\tau\omega_{s}$ and $\dot{a}o\rho_{i\sigma}\tau\omega_{s}$ as qualifications of the division or belonging of the truth-values are insufficient to decide the question, the next step is to consider the usage of these terms in the other areas in order to clarify by way of analogy their signification in this area. The area of knowledge seems the likely place to begin, since it is closest to the area of the $\dot{a}\pi\sigma\phia\nu\tau_{i\kappa}\dot{c}s$.

One must, however, remember that, according to Ammonius, the status of an $\dot{a}\pi o\phi a\nu\tau \kappa \dot{v}_{5} \lambda \dot{o}\gamma o_{5}$ is not actually determined by the way in which one knows something, but rather by the status of the things which it is about. Therefore, investigating the usage of the expressions in question in the area of knowledge only makes sense if the status of the knowledge reveals something about the status of the things.

In fact, those who ascribe the Standard Interpretation to Ammonius have taken this for granted when they have concluded from the impossibility of knowing contingent future events to the indeterminacy of these events themselves, and then from the indeterminacy of the events to the undecidedness of the truth-values the sentences predicting the events will have. They then used this conclusion to interpret the difference between the two ways of dividing the truth-values. Let us evaluate the two inferences one after the other.

1. The way to this interpretation is opened by what Ammonius says at 130,20-26 and 139,19-20.²⁸⁹ Here Ammonius explains the thesis that pairs of contingent future sentences divide the truth-values in an indefinite way by pointing out that before the event $(\pi\rho\delta \tau\eta\varsigma \tau\sigma\delta \pi\rho\delta\gamma\mu\alpha\tau\sigma\varsigma \epsilon\kappa\beta\delta\alpha\tau\epsilon\omega\varsigma)$ one cannot say or know which of the two sentences will be true and which false. Dorothea Frede,²⁹⁰ H. Weidemann²⁹¹ and more recently R. Gaskin²⁹² interpret this as if Ammonius meant to say that the occurrence of the event itself was indefinite in this sense and thus open. It is, however, too hasty to conclude from the indefiniteness of the knowledge of the things to the indefiniteness of the things themselves.

On the contrary, Ammonius emphasizes that there can be both an indefinite knowledge of definite things and also a definite knowledge of indefinite (contingent) things. The first is clearly found in In Cat. 79, 16-19. There Ammonius gives the example that Socrates is covered up and only his hand is visible, saving that in this case one knows in a definite way (word word) that this is a hand, but not whose hand it is. It is clear, however, that the thing itself is not indefinite, for it is not undetermined whether it is the hand of Socrates or not. Of course. Ammonius does not want to say that things we cannot know are always determined. For the second there are several supporting passages in the discussion of the knowledge of the gods (In Int. 132,8-137,11). Thus, Ammonius says (136,30-137,3): 'And the same thing is contingent in its own nature and is no longer indefinite (aoριστον), but rather definite (ώρισμένον) in the gods' knowledge. It is clearly possible for the contingent sometimes to be known in a definite manner even by our own knowledge'. From this it clearly results that according to Ammonius there is definite knowledge of indefinite things and indefinite knowledge of definite things as well as, of course, definite knowledge of definite things and indefinite knowledge of indefinite things. Therefore, it is impermissible to conclude from the status of the knowledge to the status of the things or, in the other direction, from the status of the things to that of the knowledge. This prevents using the passages at 130,20-26 and 139,12-20 in order to deduce the status of the things known from the status of our knowledge.

2. To be sure, this does not exclude that in fact Ammonius wanted to say in these passages that the events themselves are uncertain and undecided. However,

²⁸⁹ Cp. D. Frede 1985, 44-45; H. Weidemann 1994, 303 and R. Gaskin 1995, 157.

²⁹⁰ D. Frede 1985, 45 n. 26.

²⁹¹ H. Weidemann 1994, 303.

²⁹² **R. Gaskin 1995, 157.**

even if D. Frede, H. Weidemann and R. Gaskin were right in this point still it would not follow that Ammonius uses the terms adwarderway and doplorway in the sense of the Standard Interpretation. To be sure, H. Weidemann is right when he affirms that "the division of the truth-values is, according to Ammonius, indefinite in such a pair of sentences, because both what is foretold in the one and also what is foretold in the other of its two members can just as easily occur as not occur".²⁹³ He is however wrong when he continues "so that it is not yet determined which of the two members will prove true and which false".²⁹⁴ For, according to the alternative conception of facts we explained before (239), the openness and undecidedness of the future course of events does by no means prevent there being present facts about these events. Given these facts, it is perfectly determined which of the two members is true and which false.²⁹⁵ As we have shown before, it is highly probable that Ammonius adopted this conception which was first introduced by Carneades (cp. our Introduction, 28). Thus we can conclude that neither the inference from the indefiniteness of our knowledge to the indefiniteness of the events nor the inference from the latter to the undecidedness of the truth-values is sound.

As a last option we can try to clarify the signification of the expressions $\dot{\omega}\rho_i\sigma\mu\dot{\epsilon}\nu\omega\varsigma$ and $\dot{\alpha}\rho_i\sigma\tau\omega\varsigma$ in the other areas by using the signification they have when they are used to distinguish modes of predication. For Ammonius uses these expressions not only to qualify the division of truth-values and the coming to be and the occurrence of events (cp. 131,7), but also to describe the way in which a quality belongs to a substance (cp. In Cat. 99,19–100,2).

Apparently, the latter is the original usage of this pair of expressions, from which the others are all derived. Therefore, we shall devote special attention to it. In fact, Aristotle uses (*Cat.* 10, 13a8-17)²⁹⁶ the expressions $\dot{a}\phi\omega\rho_{1}\sigma\mu\dot{e}\nu\omega\varsigma$ and $\dot{o}\nu\kappa$ $\dot{a}\phi\omega\rho_{1}\sigma\mu\dot{e}\nu\omega\varsigma$ to make a distinction among ways in which a quality belongs to a subject: a quality belongs 'in a definite way' to a substance when it belongs to it necessarily, and 'not in a definite way' when it belongs to it not necessarily, but rather as it so happens.

In his commentary, Ammonius makes *de facto* the same distinction. He exemplifies 'belonging in a definite way' just as Aristotle does, using the example of heat, which necessarily belongs to fire, to which he adds the explanation that of the two contrary qualities 'hot' and 'cold' heat belongs to fire in a definite way 'and not at some time the other of the two' (*In Cat.* 99,28). For the qualities 'blind' and 'sighted' on the other hand the situation is quite different: if one of these belongs to a substance, it does not do so in a definite way, but rather 'however it so happens' (100,1-2).

²⁹³ H. Weidemann 1994, 303; the translation is ours.

²⁹⁴ H. Weidemann 1994, 303; the translation is ours.

One must keep in mind that Ammonius says that 'which one of these will be the true one it is not possible to *know*' (our emphasis), he does not say that neither of them is true now and just one will receive the value 'true' later.

²⁹⁶ J.P. Schneider has called this passage to my attention. Cp. N. Kretzmann 1998, 28.

This text clearly indicates that whenever a quality belongs necessarily to a substance, which means that it does so for the entire length of its existence, Aristotle and Ammonius say that the quality belongs to the substance 'in a definite way', and when a quality belongs contingently to a substance, meaning that it does not always belong to it, both say that it belongs to it 'not in a definite way'. However, one should not too quickly infer that the expressions 'belongs necessarily' and 'belongs in a definite way' mean the same thing. The expression 'in a definite way', rather, always refers to a plurality of mutually exclusive possible qualifications of a substance and says that *it is determined beforehand* which of these actually belongs to the substance. The reason for this determination, of course, lies in the necessity of the belonging of one of the qualifications. But in order to affirm this one must presuppose that the two expressions do not mean the same thing.²⁹⁷

In ascribing to Ammonius the Non-Standard Interpretation we can use this passage to conclude by analogy from the signification of the two expressions when they qualify how a quality belongs to a subject to their signification in the qualification of how truth-values belong to sentences. Such a procedure, indeed, is suggested by the fact that the $\dot{a}\pi\sigma\phi a\nu\tau\kappa\dot{\alpha}\varsigma\lambda\dot{\sigma}\gamma\sigma\varsigma$ corresponds to the substance, the two truth-values to the two mutually exclusive qualities, and 'belonging necessarily' to 'being necessarily true'. What results from such a procedure?

1. If a qualification belongs in an indefinite way to a substance, this does not mean that it does not belong yet, although perhaps it will at some later time; rather, it means that it presently belongs to it in actuality. By analogy one can conclude from this that when an $\dot{a}\pi o \phi a \nu \tau \kappa \delta \varsigma \ \lambda \delta \gamma o \varsigma$ is true in an indefinite way, it is at present already true and does not need to wait for the assignment of a truth-value.

2. If a qualification belongs in a definite way to a substance, it is necessary that this qualification belongs to it; if, on the other hand, it belongs to it in an indefinite way, it is contingent that it belongs to it. By analogy one can say of an $\dot{\alpha}\pi\sigma\phi\alpha\nu\tau\kappa\dot{\alpha}\varsigma$ $\lambda\dot{\alpha}\gamma\sigma\varsigma$ that it is true in a definite way if it is necessary that it is true and that it is true in an indefinite way if it is contingent that it is true.²⁹⁸

To my knowledge, Richard Gaskin was the first to use the passage from the Categories to determine by analogy the meaning of the crucial terms $\dot{\omega}\rho_{i\sigma}\mu\dot{\epsilon}\nu\omega_{\varsigma}$

R. Gaskin 1995, 154 argues that the inference from definite truth to necessity which both Ammonius and Boethius accept and defend would be completely superfluous if 'definitely' already meant 'necessarily'. I agree with R. Gaskin on this point. Therefore it is important to emphasize that according to the interpretation given above 'definitely' and 'necessarily' are not synonymous.

It is obvious that these two points speak clearly in favor of attributing the Non-Standard Interpretation to Ammonius. Therefore, it is surprising that neither Dorothea Frede nor Hermann Weidemann nor Norman Kretzmann are shaken by it, although all admit that this expression originates in Aristotle's *Categories*. Richard Gaskin is the only scholar who treats the passage in detail (1995, 168-171). He comes, however, to the conclusion that *àφωρισμένως* means that the truth values are not yet distributed. For my criticism see below.

and $\dot{a}op(\sigma\tau\omega\varsigma)$. So he employed the same tool I did, coming, however, to the opposite result. He argues that the expressions $\dot{\omega}\rho_{I}\sigma\mu\dot{\epsilon}\nu\omega\varsigma$ and $\dot{\sigma}\nu\kappa$ $\dot{\omega}\rho_{I}\sigma\mu\dot{\epsilon}\nu\omega\varsigma$ which correspond to the terms used by Ammonius serve here "to indicate distribution of truth-values within a disjunction" (169). Accordingly the first signifies that the predicate (e.g. 'blind') has already been attributed to the subject and the second that it has not yet been attributed and that, however, one or the other ('blind' or 'sighted') will be attributed, though it is still open which one. In this way he gives strong support to his general claim that SFCSs do not possess truth-values but have the non-truth-functional value of being either-true-orfalse.²⁹⁹

To support his position he has to place stress on the temporal distinctions $(\pi\sigma\tau\epsilon, \eta\sigma\eta)$ present in this passage, since it is crucial for him to distinguish a moment when the predicate has not yet been attributed and a later moment when it has. However, though Aristotle conceives of such a distinction, he does not use it in order to characterize the meaning of our crucial terms. He never says that when neither of the predicates ('blind' and 'sighted') does belong to the subject they both belong to it in an indefinite manner. Rather he uses the term $\sigma \lambda \kappa \dot{\omega} \rho i\sigma \mu \epsilon \nu \omega \varsigma$ in 13a9-11 to indicate that as soon as one of the predicates belongs to the subject it does not belong to it in a definite way, but as it chances. Clearly here the indefinite attribution goes together with attribution and not with the case when the way of the attribution is still open. Therefore we stick to our construal of the passage, notwithstanding Gaskin's counter-argument.³⁰⁰

Now, one can certainly object that the analogy is deficient in two essential points: first, the two qualities are related only as contraries, while the two truth-values are contradictorily related, at least as long as the principle of bivalence is accepted; second, a substance can change its qualification, while (as we showed above) that is something an $\dot{\alpha}\pi\sigma\phi a\nu\tau\iota\kappa\delta\varsigma$ $\lambda\delta\gamma\sigma\varsigma$ cannot do. The second point is especially serious, since it appears to exclude that the quality of being necessarily true belong to an $\dot{\alpha}\pi\sigma\phi a\nu\tau\iota\kappa\delta\varsigma$ $\lambda\delta\gamma\sigma\varsigma$. For what would the expression 'necessarily true' mean? The usual statistical procedure for defining the modes fails here. Indeed, it is impermissible to say that an $\dot{\alpha}\pi\sigma\phi a\nu\tau\iota\kappa\delta\varsigma$ $\lambda\delta\gamma\sigma\varsigma$ is necessarily true if and only if it is always true. Due to their ephemeral nature, it holds for all $\dot{\alpha}\pi\sigma\phi a\nu\tau\iota\kappa\deltai$ $\lambda\delta\gamma\sigma\iota$ that if they are ever true, they are always true.

This difficulty is easily overcome when one carefully observes how Ammonius himself defines the expressions 'necessarily true', 'contingently true', etc. According to Ammonius, an $\dot{a}\pi o\phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ is necessarily true if and only if the $\pi \rho \tilde{a} \gamma \mu a$ whose being the case it states is necessarily the case, and it is contingently true if and only if the relevant $\pi \rho \tilde{a} \gamma \mu a$ is contingently the case (cp.

²⁹⁹ Cp. our Introduction pp.34-35.

³⁰⁰ Our interpretation is "unattractive" to Gaskin (170) because, as he believes, it makes the terms ἀφωρισμένως and ἀναγκαίως synonymous. This is, however, a misunderstanding. For, as I already emphasized, in my understanding these terms are not synonymous though they may have the same extension.

In Int. 154,3-20).³⁰¹ The fact that assertoric sentences cannot change their truth-value, therefore, does not prevent a sensible distinction between 'necessarily true' and 'contingently true'. Necessarily true sentences are like arrows shot from close range at a galloping herd of buffalo: they cannot miss their target. Contingently true sentences, on the other hand, are like arrows that have hit their target, although they could also have missed it.

In our refutation of the Standard Interpretation we presupposed so far that Ammonius conceived of the $\dot{a}\pi o\phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ exactly the way we attributed to him in our first essay. Therefore we shall finally examine if the conclusion we draw would not be valid any more if this presupposition were false. We have to distinguish two points that played a rôle in our argument: 1. The thesis that Ammonius conceives of the $\dot{a}\pi o\phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ as a speech event and not as a type of such an event ($\lambda \dot{\epsilon} \xi_{1\varsigma}$), 2. The thesis that a $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ needs to have a truth-maker or a falsity-maker in order to have a signification. Let us deal with the first point first.

As we have seen in our first essay the conception of the $\dot{a}\pi o \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ as a speech act is clearly found in Ammonius' commentary on the *Categories*. However it is doubtful if it is present in the other texts and especially in the commentary on the *De interpretatione* as well. We admitted already (cp. p.219, note 251) that in some passages of this text at least Ammonius seems to conceive of the $\dot{a}\pi \sigma \phi a \nu \tau \kappa \delta \varsigma \lambda \delta \gamma \sigma \varsigma$ as an unambiguous $\lambda \epsilon \xi i \varsigma$. Nevertheless, this would not undermine our argument, as long as the rest of the semantical theory we attributed to him is not doubtful. For, according to this theory, an unambiguous $\lambda \epsilon \xi i \varsigma$ could not have a (possibly changing) signification during the period of its existence without having a truth-maker or a falsity-maker at each moment of this period. So our argument relies entirely on the second point.

Let us imagine for the sake of argument that Ammonius had a different semantical theory according to which a $\dot{a}\pi o\phi a\nu\tau i\kappa \delta\varsigma \lambda \delta\gamma o\varsigma$ has meaning without having a truth-maker or a falsity-maker. In this case he could of course accept that a certain kind of $\dot{a}\pi o\phi a\nu\tau i\kappa oi \lambda \delta\gamma oi$ have at a first time no truth-value at all and get one of them at a later moment as indeed the Standard Interpretation affirms, but he still would not be obliged to do so. He could equally well accept the principle of bivalence in its full strength, but for other reasons. So while a different semantical conception would indeed undermine our first argument it would not by the same token provide an additional argument to the holders of the Standard Interpretation. Needless to say, that we would need some textual evidence for that alternative semantical theory, in order to consider it seriously.

Finally one should not forget that this discussion concerns only our first argument and leaves completely unaffected the two others. So, even if Ammonius held a different semantical theory which would allow him to accept the Standard

³⁰¹ The objection of F.W. Zimmermann 1981, lxviii 'a distinction between a definite and an indefinite kind of truth was not intended' must therefore (*pace* H. Weidemann 1994, 304) be rejected.

Interpretation, we could still ask why he took no advantage of this, when he tried to refuse necessitarianism. Secondly and finally, the evidence of his use of the expressions $\dot{a}\phi\omega\rho_{i}\sigma\mu\dot{e}\nu\omega_{\varsigma}$ and $\dot{o}\kappa \dot{a}\phi\omega\rho_{i}\sigma\mu\dot{e}\nu\omega_{\varsigma}$ would still exclude his agreeing with the Standard Interpretation of future contingent sentences.

The result of our investigation can be summed up briefly:

1. Everything points to the conclusion that Ammonius uses the expressions 'true in a definite way' ($\dot{\omega}\rho_1\sigma_\mu\dot{\epsilon}\nu\omega_\zeta$ $\dot{a}\lambda\eta\theta\dot{\epsilon}_\zeta$) and 'true in an indefinite way' ($\dot{a}\rho\rho_1\sigma_\tau\omega_\zeta$ $\dot{a}\lambda\eta\theta\dot{\epsilon}_\zeta$) in order to distinguish modes of truth-values' actually belonging', not (as would have to be maintained in order to ascribe the Standard Interpretation to Ammonius) to indicate the difference between the not-yet-belonging and the already-belonging of a truth-value.

2. If this is so, then Aristotle's suggested solution of the necessitarianism problem, according to Ammonius, is not that SFCSs have no truth-value at all, but rather that the truth-value which they have belongs to them not 'in a definite way' and therefore not necessarily.

3. To attribute the Standard Interpretation to Ammonius, one cannot rely on his linguistic usage, nor does the Standard Interpretation correspond to what Ammonius actually does in his refutation of the proofs of necessitarianism. This last point is decisively proved in his commentary on *Int*. 9 (cp. our commentary above).

V.3 Ammonius and the Problem of Future Contingent Truth

by Mario Mignucci

V.3.1

The problems raised by future contingent propositions³⁰² are many and some of them have to do with the question of determinism. One might argue as follows. If it is now true that a sea-battle will take place tomorrow, it cannot be the case that the sea-battle does not occur tomorrow, otherwise it would not be true today that there will be a sea-battle tomorrow. That there will be a sea-battle tomorrow has always been fixed and determined. The future in this way appears to be unpreventable and necessary. Therefore, the question can be raised whether it is legitimate to speak of contingency in a proper sense in relation to the events of the world.

Aristotle recognised the existence of truly contingent events and corresponding truly contingent propositions and he tried to avoid the deterministic consequences derived from admitting true future propositions.³⁰³ According to many scholars his answer to the deterministic argument would be that future contingent propositions are neither true nor false before the time to which the events expressed by them refer. So the famous Aristotelian proposition

(1) There will be a sea-battle tomorrow

can be properly described as neither true nor false before tomorrow. Unfortunately, this interpretation, which is usually called 'the traditional interpretation', is not shared by all scholars and it may be not Aristotle's view.³⁰⁴ I am not concerned with Aristotle. What is relevant to me is that, in my view, Ammonius cannot be labelled as a follower of the traditional interpretation. This position is not new, since it has been convincingly defended by Richard Sorabji and Robert Sharples, and, more recently, by Gerhard Seel in a very subtle way.³⁰⁵

³⁰² I use the term 'proposition' to translate the Greek term $\dot{a}\pi o \phi a \nu \tau \kappa \dot{\alpha} \varsigma \lambda \dot{\alpha} \gamma \sigma \varsigma$. It corresponds to what is called 'assertoric sentence' in the rest of this book.

³⁰³ This question is faced by Aristotle in Int. 9. As is well known, the literature on this chapter is immense. The bibliography up to 1973 can be found in V. Celluprica 1977. Further bibliographical references are available in D. Frede 1985, 84-87; J. Talanga 1986a, 169-185, and H. Weidemann 1994, 97-131.

One of the best-argued presentations of the traditional interpretation is due to R. Sorabji 1980b, 91ff. Different views have recently been proposed by G. Fine 1984, 23-48; J. van Rijen 1989; J. van Eck 1988, 19-38.

³⁰⁵ Cp. R. Sorabji 1980b, 92-93; R. Sharples 1978a, 263-264; G. Seel 2001.

However, Dorothea Frede in a recent article published after Sorabji's and Sharples' works still attributes the traditional interpretation to Ammonius³⁰⁶ and Richard Gaskin in a very detailed book on Aristotle's sea-battle and its ancient interpretations has offered a solution which can be labelled as a variant of the traditional position.³⁰⁷ Thus, I think that we must pause a little to reconsider this problem.

The core of Ammonius' solution consists in the distinction he proposes between what is definitely and indefinitely true or false. To have an idea of the way in which the distinction is formulated by Ammonius we can read the following passage:

(A) In the future time, on the other hand, <Aristotle> says that the singular propositions still divide the true and the false even so, but no longer in the same way as the propositions taken in the present or past time: it is no longer possible to say which of them will be true and which will be false in a definite way ($\dot{\omega} \rho i \sigma \mu \dot{\epsilon} \nu \omega \varsigma$), since the thing has not already occurred but can both occur and not occur.³⁰⁸

Propositions which do not divide truth and falsity in a definite way are said by Ammonius to be indefinitely $(\hat{a}opi\sigma\tau\omega\varsigma)$ true or false:

(B) This is actually the object of the present investigation: whether every contradiction divides the true and the false in a definite manner ($\dot{\omega}\rho_i\sigma_\mu\dot{\epsilon}\nu\omega_{\varsigma}$), or whether there is also a contradiction which divides them in an indefinite manner ($\dot{\alpha}\rho_i\sigma_{\tau}\omega_{\varsigma}$).³⁰⁹

The metaphor of dividing truth and falsity is customary among Aristotle's commentators and can easily be explained by reference to the Principle of Bivalence. The Principle of Bivalence is usually distinguished from the Law of the Excluded Middle. The latter says that a proposition either is a fact or is not a fact. We can express it by stating

(EM*) $P \lor \neg P$

If we introduce a truth predicate, 'T', we can restate (EM*) as

(EM) $T[P] \lor \neg T[P]$

Lukasiewicz had briefly expressed the same view in a famous article (cp. J. Lukasiewicz 1930: (1967, 64)).

³⁰⁶ Cp. D. Frede 1985, 43-45. She repeats here the interpretation already proposed in her book on Aristotle's sea-battle published in 1970, 24-27. On the same line is J. Talanga 1986a, 144-145 and also 1986c, 306-7. More recently H. Weidemann 1994, 302-4 has sided with D. Frede.

³⁰⁷ R. Gaskin 1995. Chapter 12 is dedicated to the interpretation of the ancient commentators, especially Boethius and Ammonius.

³⁰⁸ In Int. 130,20-26. A perhaps better translation of the last sentence of our passage is: "it is no longer possible to say in a definite way which of them will be true..." as, in fact, the translation given in this volume has it.

³⁰⁹ In Int. 131,2-4.

and take (EM) as the Law of the Excluded Middle in this extended language. On the other hand, the Principle of Bivalence asserts that a proposition is either true or false, i.e.

(PB) $T[P] \lor F[P]^{310}$

Thus, we can say that a pair of contradictory propositions, e.g. P and $\neg P$, divide truth and falsity if they are such that one is true and the other false, i.e. if they satisfy (PB).

According to Ammonius, future contingent propositions divide the true and the false in an indefinite way. He is explicit on this point. Commenting on the beginning of *De Interpretatione* Chapter 9 he first recalls that Aristotle had said that some antithetical propositions do not divide the true and the false. Then he attributes to Aristotle the purpose of establishing which propositions are opposed in such a way that they always divide the true and the false, but in an indefinite and not in a definite way:

(C) Consequent to this, then, he <Aristotle> adds (18a33-34) what sort of affirmative sentence is opposed to what sort of negative sentence in such a way that they always divide the true and the false, not in a definite, however, but in an indefinite manner (dialpeîv $\mu e \lambda$ airàs dei tó te danglès kai tò $\mu e \lambda do c, où \mu e \nu to c dangles, où u e v to c dangles, où u e v to c dangles, c dang$

In Ammonius' view, the result of this analysis would be that a pair of singular propositions antithetically opposed in the present and past tense and a pair of contradictorily quantified statements divide the true and the false in a definite way, while the corresponding non-quantified propositions in contingent matter do not divide the true and the false. In other words, the former but not the latter satisfy (PB).³¹² Contradictorily quantified and non-quantified propositions put in the future tense behave in the same way as present-tensed statements with respect to truth and falsity.³¹³

The story is different with singular statements in the future. If they are in necessary or impossible matter they divide the true and the false in a definite way,³¹⁴ while if they are in a contingent matter, they:

(D) always divide the true and the false, but in an indefinite, not in a definite manner (dialpovor $\mu \epsilon \nu \pi a \nu \tau \omega \varsigma \tau \delta \lambda \eta \theta \epsilon \varsigma \kappa a \tau \tau \delta \psi \epsilon v d \delta \sigma \varsigma, o \omega \mu \epsilon \nu \tau \sigma \delta \mu \delta \rho v \sigma \mu \epsilon \nu \omega \varsigma$; it is necessary that Socrates bathe or not bathe tomorrow, and it is impossible that either both or neither happen.³¹⁵

³¹⁰ As is obvious, an equivalent formulation of (PB) is (PB⁺) $T[P] \lor T[\neg P]$

³¹¹ In Int. 138,15-17.

³¹² In Int. 138,17-28. Pairs of non-quantified propositions antithetically opposed such as "man is white" and "man is not white" do not satisfy (PB) because "man is not white" is not the logical negation of "man is white".

³¹³ In Int. 138,28-34.

³¹⁴ In Int. 139,6 ff.

³¹⁵ In Int. 139,14-17. See also In Int. 139,32-140,4; 140,11-13.

It is easy to guess that $\pi \acute{a}\nu \tau \omega \varsigma$ here corresponds to $\acute{a}\epsilon \acute{a}$ of text (C). Therefore, singular future contingent propositions are different from non-quantified statements because the latter do not divide the true and the false, and they are different from present- or past-tensed singular statements because they divide the true and the false in an indefinite way. The conclusion seems to be that in Ammonius' interpretation singular future contingent propositions do divide the true and the false and in this way they satisfy (PB), although in a peculiar way.

As I have said, the view that singular future contingent propositions divide the true and the false has been resisted by several scholars, who attribute to Ammonius the traditional view. According to it, Ammonius would have restricted the validity of (PB). It is not true in general to claim that every proposition is either true or false. Future contingent statements are neither true nor false and in this sense they would constitute an exception to (PB). Dorothea Frede for instance thinks that Ammonius' speaking of indefinitely true or false propositions is only "a diplomatic way" of saying that the Bivalence admits of exceptions.³¹⁶ That is difficult to accept because there is no reason to believe that Ammonius had to be diplomatic or that he was not in a position to spell out his view in a proper and clear way.

Richard Gaskin, on the other hand, has a more refined argument. His view is that Ammonius and Boethius do say that future contingent propositions divide the true and the false, but by adding 'indefinitely' they make clear that these propositions are not either true or alternatively false, but either-true-or-false, where by this expression a third truth-value is meant. For instance if we state: "Alexander will go to the market tomorrow", which is by hypothesis a singular future contingent proposition, we cannot say that this proposition is true or that is it false. What we can say is that it is either-true-or-false, and we are not allowed to split the disjunction.³¹⁷ In this way (PB) is still restricted as in the traditional interpretation and something logically equivalent to truth-value gaps is attributed to Ammonius.³¹⁸

I am not sure that I have clearly understood what Gaskin means when he acknowledges that Ammonius says that pairs of future contingent antithetical propositions contradictorily opposed divide the true and the false, and he interprets this as a claim that each member of them is either-true-or-false, but not either true or alternatively false.³¹⁹ Let us examine the point.

³¹⁶ D. Frede 1985, 43; 1970, 25.

³¹⁷ R. Gaskin 1995, 148ff.; 156-158.

³¹⁸ As Gaskin says, his interpretation is logically equivalent to the traditional one (R. Gaskin 1995, 149).

R. Gaskin 1995, 157: "The claim must be that it is *in principle* impossible to assign truth to one member of a FCA [a future contingent *avripaons*] and falsity to the other: it is metaphysically indeterminate which way round the truth-values go. But Ammonius has just said that the members do divide the true and the false as do statements about the present and the past. Hence the position must be that FCSs [future contingent statements] divide the true and the false to the extent of being either-true-or-false, but not to the extent of being either true, or alternatively false".

If the metaphor of dividing truth and falsity has to be interpreted in the way we have done, by putting it into relation with (PB), it looks obvious to state that two antithetical propositions P and P* divide the true and the false if, and only if, one of them is true and the other is false. They do not divide the true and the false if it may happen that they are either both true or both false. Therefore, it seems that the necessary conditions required for P and P* to divide the true and the false are that (i) the truth-value *True* or the truth-value *False* is assigned to P and P* and (ii) an opposite truth-value assigned to them, in the sense that if P is true, P* is false and if P* is false, P* is true.

Consider now a pair of antithetical future contingent propositions such as "Socrates will bathe tomorrow" and "Socrates will not bathe tomorrow". According to Gaskin the same truth-value is assigned to both propositions, namely the *Either-true-or-false* truth-value. This truth-value is a truth-value different from *True* and *False*. If a proposition P is either-true-or-false it is not true (false). Therefore, how can "Socrates will bathe tomorrow" and "Socrates will not bathe tomorrow" be said to divide the true and the false? Truth and falsity as such are not involved nor are truth-values (whatever they are) divided.

I think that Gaskin would answer this objection by pointing out that when Ammonius and Boethius say that future contingent statements divide the true and the false in an indefinite way they are simply contrasting these statements to singular present or past propositions: the latter *do* really divide the true and the false; the former divide the true and the false in the way in which they are able to do it, i.e. indefinitely. But again why should Ammonius have described this situation as a division of truth-values, if there is no such division? Non-quantified antithetical propositions in contingent matter are said not to divide the true and the false. It would have been far less confusing if Ammonius had referred to the situation of these pairs to single out the peculiarity of future contingent statements.³²⁰ On the contrary, Ammonius sharply distinguishes between the case of non-quantified propositions and the case of future contingent ones. The former can both be true (or false), while the latter rule out this possibility.

One might reply that a pair of future contingent propositions contradictorily opposed can be neither true nor false together,³²¹ and this may very well depend on their possessing a third truth-value (or no truth-value at all). Propositions which divide the true and the false are such because they can be neither true nor false together. Therefore, pairs of future contingent propositions contradictorily opposed, P and P*, *do* in some sense divide the true and the false as well. But division of truth and falsity for P and P* does not consist simply in their being neither true nor false together. If a division takes place, P and P* must receive a truth-value, this truth-value must be either *True* or *False*, and True and False must

R. Gaskin 1995, 155 says that: "definite truth just is (divided) truth, and 'indefinitely true' means 'divides truth and falsity indefinitely with its negation". But again if truth is divided from falsity "with its negation" there is no division at all.

³²¹ In Int. 140,4-11.

be split in such a way that if P is true, then P* is false or vice-versa. In other words, (PB) implies not only $\neg(T[P] \bullet T[P^*])$ and $\neg(F[P] \bullet F[P^*])$ but also $\neg(\neg T[P] \bullet \neg T[P^*])$ and $\neg(\neg F[P] \bullet \neg F[P^*])$. In a bivalent logic the two pairs of formulas are equivalent, but this is not the case if we admit the possibility that P and P* have a third truth-value. If P and P* are *Either-true-or-false*, $\neg(\neg T[P] \bullet \neg T[P^*])$ and $\neg(\neg F[P] \bullet \neg F[P^*])$ do not hold.

Nor is it a good way of avoiding the view imposed by the evidence of the texts to claim that in the case of future contingent propositions an indefinite division and not a simple division is in question, i.e. a division *sui generis*, which cannot be counted as a proper and simple division. There are many passages, especially in Boethius, where it is pretty clear that indefiniteness attaches to truth-values and not to the division of truth and falsity.³²² This can only mean that indefinite division must be understood as the operation by which the members of a pair of future contingent propositions contradictorily opposed receive different truth-values, namely indefinite truth and indefinite falsity, which are opposed and mutually exclusive.³²³

³²² See e.g. Boethius, *In Int., sec. ed.* 208,7 ff. (text (F)), where indefiniteness is clearly attached to the truth-values of future contingent propositions and not to the way in which truth and falsity is divided among pairs of antithetical items. See also the following footnote.

³²³ R. Gaskin 1995, 151 points out that Boethius, In Int., pr. ed. 107,20 ff. characterises truth and falsity of future contingent propositions as indiscreta (108,4). But it can hardly be true that this means that we cannot divide the true and false in a pair of future contingent propositions contradictorily opposed, because Boethius, before saying that their truth and falsity is indiscreta claims that: in his vero in quibus contingens est futurum, id est variabile and instabile, totum quidem corpus contradictionis veritatem falsitatemque partitur, sed haec veritas atque falsitas indiscreta est atque volubilis (108,1-5). The sentence which I have emphasised corresponds exactly to what he says about past- and present-tensed propositions: in praeteritis atque praesentibus et totum contradictionis corpus in veritatem falsitatemque dividitur et vera una est definite (107,24-27). The et ... et construction shows that two conditions are laid down for pastand present-tensed contingent propositions: the members of a contradictory pair of them (i) divide truth and falsity and (ii) one is definitely true and the other definitely false. It is natural to suppose that a parallel double condition holds for future contingent contradictory pairs: their members (i) divide truth and falsity and (ii) one is indefinitely true and the other indefinitely false. The fact that definite is sometimes glossed by Boethius with divise (In Int., pr. ed. 126,7-8), or constitute (123,21-22), or simpliciter (124,5) does not offer evidence for Gaskin's interpretation. Sec. ed. 189,5 ff. explains quite well the origin of this terminology. Past- and present- tensed contingent propositions pick up events which are stable and definite (res ipsae stabiles sunt et definitae: 189,6-7) in the sense that they cannot be different from what they are since they have already happened (quod factum est non est non factum...idcirco de eo quod factum est verum est dicere definite, quoniam factum est, falsum est dicere, quoniam factum non est: 189,7-10). On the other hand, future contingent propositions refer to events which can be and can be not. In this sense the truth-value of these propositions is not yet stable and settled or even divisus because the possibility of the opposite is not ruled out (191,10-192,5). What makes a future contingent proposition indefinita or incerta or instabilis is that it picks up a contingent outcome which is not yet settled and

Gaskin's interpretation is not at ease with some specific passages. He equates, I think correctly, Boethius and Ammonius' interpretations, in the sense that for him they hold the same view. Therefore, he feels entitled to corroborate his interpretation of the one with texts coming from the other.³²⁴ Take for instance Boethius' commentary on 18b17-25, where Aristotle rejects the view that the elements of a pair of future contingent statements contradictorily opposed have to be both considered as non-true.³²⁵ In Gaskin's view Boethius would be attacking here the Stoic interpretation of Aristotle, according to which Aristotle would have maintained that future contingent propositions are neither true nor false.³²⁶ It is difficult to understand why Boethius should have insisted on criticising a position which, according to Gaskin, is logically equivalent to his and differs from his only from a rhetorical point of view.³²⁷

However, consider Boethius' argument. He says that to claim that both members P and P* of a pair of future contingent propositions contradictorily opposed are not true does not differ from claiming that they are both false. But this cannot be the case because P and P* are in a contradictory relation and a pair of contradictory propositions cannot be both false.³²⁸ Now suppose that he held that future contingent propositions have the view the truth-value Either-true-or-false different from True and False, and that we wanted to reject the position that future contingent propositions are neither true nor false. How could he have argued against such a view by claiming that to hold that a pair of future contingent propositions contradictorily opposed are both non-true amounts to stating that they are both false? Not only would this equivalence immediately be rejected by people admitting truth-value gaps but Boethius himself would have to deny it. If P is neither true nor false or it has a truth-value different from True and *False* it is easy to see that F[P] does not follow from $\neg T[P]$. Boethius' criticism would be pointless and inconsistent.329

To explain the text, Gaskin thinks that Boethius here treats truth-value gaps or the introduction of a third truth-value in bivalent terms and because of this he is

therefore contains an intrinsic indeterminacy: it may be different.

³²⁴ As is known, Boethius does not depend directly on Ammonius for his commentary on the *De Interpretatione*, but the similarity of their treatment of future contingent propositions strongly suggests that they draw their inspiration from a common source. Courcelle's thesis according to which Ammonius would have been Boethius' main source (cp. P. Courcelle 1948, 264) is nowadays rejected by all scholars. The view that both commentators depend on a common source has been proposed by J. Shiel 1958, 228-234 and is shared by L. Obertello 1974, I, 522-544, F.W. Zimmermann 1981, lxxxviii and N. Kretzmann 1987, 66-67.

³²⁵ Boethius, In Int., sec. ed. 214, 25 ff.

³²⁶ Boethius, In Int., sec. ed. 208, 17.

³²⁷ Cp. R. Gaskin 1995, 149.

³²⁸ Boethius, In Int., sec. ed. 214,25-215,11.

³²⁹ Strangely enough, R. Gaskin 1995, 160 seems to hold the same: "In his first commentary, Boethius writes briefly but in a way which clearly rejects the anti-realistic solution: he regards 'neither true' as equivalent to 'both false'".

entitled to equate $\neg T[P]$ with F[P].³³⁰ I must confess that I do not understand Gaskin's point. The only sense I can make of it is that Boethius might have contrasted here the view attributed by the Stoics to Aristotle, according to which future contingent propositions are neither true nor false, with his alleged interpretation by which they are either-true-or-false. But were it so, it would be hard to understand how in the argument the implications from $\neg T[P]$ to F[P] and from $\neg T[P^*]$ to F[P*] can be explained.³³¹

Boethius' point seems to be different, because in his interpretation it is in some sense true to claim that the members of a pair of antithetical future contingent propositions are both non-true:

(E) If those who have thought that Aristotle maintains that both propositions in the future are false would carefully read what he is saying here, they would never fall victim of such gross errors. For it is not the same to say that neither is true and to say that neither is true in a definite way. That there is going to be a sea-battle tomorrow and that there is not going to be one tomorrow are not said in such a way that both are altogether false, but that neither is true in a definite way, in such a way that either of them is false in a definite way. Rather, this one is indeed true and that one false, not one of them in a definite way however, but either you take in a contingent way.³³²

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³³⁰ Cp. R. Gaskin 1995, 161: "But, in any case, for anyone who, like Boethius, finds truth-value gaps repugnant (at least that is his official line, although as we have seen he cannot strictly avoid them), the postulation of such gaps, or of a third truth-value, is likely to be heard in bivalent terms, the gap, or third value, being assimilated to one of the two standard values. Boethius thus recognises no difference between a 'neither member true' and 'both member false' solution''. It is difficult to understand how the introduction of a truth-value gap, or a third truth-value, can "be heard in bivalent terms".

³³¹ I suspect that R. Gaskin's view depends on his interpretation of the way in which Boethius (In Int., sec. ed. 208,17) reports the Stoic position. Boethius says: "Some people (the Stoics among them) believed that Aristotle says that future contingent propositions are neither true nor false. They took his statement that <the contingent> is no more disposed to being than to not being as a statement that there is no difference between considering <the corresponding propositions> true and considering them false. For they thought that these propositions are neither true nor false. But falsely." The statement that "there is no difference between considering <the corresponding propositions> true and considering them false" (nihil eas interesset falsas an veras putari: 208,5-6) cannot be interpreted, in my view, as implying that a future contingent proposition is true if and only if it is false, but as saying that there is no reason to consider it more true than false, since it has no truth-value at all. Therefore, Boethius is not claiming that the view attributed to Aristotle by the Stoics entails that a pair of future contingent propositions contradictorily opposed, being no more true than false, are both false. I do not see any reason to ascribe such a nonsense to Boethius. For the translations of Boethius I have basically followed those of N. Kretzmann in: D. Blank and N. Kretzmann (transl.) 1998, 129 ff.

³³² Boethius, In Int., sec. ed., 215,16-26. The text is not completely certain and I have basically followed Norman Kretzmann (1998, ad loc.).

The point seems to me sufficiently clear. Of a pair of future contingent propositions contradictorily opposed, P and P*, we are allowed to maintain that they are both not true, if and only if this claim amounts to saying that they are both not true in a definite way. If neither P nor P* are true in a definite way we cannot infer that they are both false, which would be absurd, since their not being true in a definite way is consistent with the fact that one of them is indefinitely true and the other indefinitely false. It comes out quite clearly that the distinction between 'being not true' and 'being not true in a definite way' is essential for Boethius. To say simply that P and P* are both not true entails that they are both false, which is absurd in Boethius' view. On the other hand, to maintain that P and P* are both not true in a definite way does not imply that they are both false. This claim is consistent with the view that P and P* are one true and the other false but in an indefinite way.³³³

The conclusion of this discussion is that Ammonius cannot be ranked among the partisans of the traditional interpretation (in the version proposed by Gaskin either). What I claim therefore is that the distinction between definitely and indefinitely true (false) propositions is not a distinction between propositions which possess and propositions which do not possess a truth-value (or possess a truth-value different from the two standard ones). Thus, we are allowed to say that not only definitely true, but also indefinitely true propositions are true. This means that a proposition which is indefinitely true cannot be labelled as allegedly true or quasi-true. It is really true no more and no less than any other true proposition. Indefiniteness (or definiteness) qualifies the way in which a proposition is true just as biped and quadruped determine types of animals. A biped is no less an animal than a quadruped and a proposition is no less true or false than any other proposition for being qualified as indefinitely true or false. This point is clearly made by Boethius. For instance, in criticising the Stoic position he states:

(F) Aristotle does not say that, i.e. that both <members of a contradiction> are neither true nor false, but that each of them is true or false, not however in a definite way as in the case of past and present propositions. The nature of sentences is in some sense dual: some sentences are such that not only the true and the false is found in them, but also one of them is true in a definite way and the other is false in a definite way; in other sentences one is true and the other false, but in an indefinite and mutable way and this happens because of their nature, not with respect to what we do not know and we know.³³⁴

It seems clear to me that here Boethius claims that there are propositions which are not only true but also true in a definite way. Since 'being true' is distinguished from and coupled to 'being true in a definite way', we are entitled to interpret

³³³ The distinction between 'being not true', which is equivalent to 'being false', and 'being not true in a definite way', which does not imply 'being false', is disturbing for Gaskin's interpretation because he argues for an equivalence between 'true' and 'definitely true' (cp. e.g. R. Gaskin 1995, 153).

³³⁴ Boethius, In Int., sec. ed., 208,7-18.

'being true, but in an indefinite way' in the same way: there are propositions which are true and true in a indefinite way. Our passage shows also that for Boethius (and Ammonius) (PB) holds not only for past and present, but also for future contingent propositions. Since a future contingent proposition is either true in a indefinite way or false in an indefinite way, and a proposition which is indefinitely true (false) is also true (false), (PB) applies unconditionally to future contingent statements.³³⁵

V.3.2

Even if we agree that Ammonius cannot be ranked among the supporters of the traditional interpretation, the problem remains to understand what the distinction between indefinite and definite truth (falsity) amounts to.

A long journey awaits us and as a beginning we must devote a little space to describing the character of the critical propositions discussed in *De Interpretatione*, Chapter 9. According to Ammonius they are temporally qualified with reference to the future, in the sense that they refer to future events.³³⁶ From this point of view he seems just to repeat Aristotle. What is more interesting is that Ammonius states more clearly than Aristotle does that the propositions in question are not only future but also contingent. From Aristotle employing the expression $\dot{\epsilon}\pi i \, \partial \dot{\epsilon} \tau \bar{\omega}\nu \kappa a \theta' \, \check{\epsilon}\kappa a \sigma \tau a \kappa a i \, \mu \epsilon \lambda \dot{\delta}\nu \tau \omega \nu^{337}$ for qualifying what is at issue, where $\mu \epsilon \lambda \dot{\delta} v \tau \omega \nu$ instead of $\dot{\epsilon} \sigma \sigma \mu \dot{\epsilon} \nu \omega \nu$ is used, he infers that the events and propositions in question are contingent events and contingent propositions,³³⁸ or better, following Ammonius' way of putting it, propositions in contingent matter ($\kappa a \tau a \tau \tau \mu \dot{\epsilon} \nu \partial \epsilon \omega \omega \omega$).³³⁹ This means that the propositions in question are not propositions whose contingency is explicitly stated, but propositions which are said to be contingent because they refer to contingent events.

To avoid this conclusion the supporters of the traditional interpretation are compelled to distinguish between the Principle of Bivalence and the Law of the Excluded Middle. I am not at all sure that evidence for such a distinction can be found in the texts. When for instance Boethius says that past and present-tensed contingent propositions and future contingent ones are similar in that *in his autem adfirmatio est aut negatio* (*In Int., sec. ed.* 191,24-25) or when Ammonius (*In Int.* 139,14-17) claims that a pair of future contingent propositions contradictorily opposed "always divide the true and false, but in an indefinite, not in a definite manner; for ($\gamma \alpha \rho$) it is necessary that Socrates bathe or not bathe tomorrow, and it is impossible that either both or neither happen" it is hard to believe that they endorse the Law of the Excluded Middle, but not the Principle of Bivalence. The $\gamma \alpha \rho$ in the Ammonius passage is against this hypothesis.

³³⁶ Although Ammonius does not say so explicitly, I assume that he would not have counted as a proposition concerning the future a sentence such as: "it will be true tomorrow that three years ago Philip had a car accident".

³³⁷ Int. 9, 18a33.

³³⁸ In Int. 138.34 ff.

³³⁹ See e.g. In Int. 139,10.

Moreover, Ammonius underlines that the propositions discussed by Aristotle are singular. This is the straightforward and obvious interpretation of Aristotle's $\dot{\epsilon}\pi \partial \dot{\epsilon} \tau \hat{\omega} \nu \kappa a \theta$ ' $\ddot{\epsilon}\kappa a \sigma \tau a$ at 18a33. What is strange is that Aristotle's main example is our (1) (cp. above p.247), which is not a singular proposition in its most direct construction, since it does not refer to a particular sea-battle. In fact Ammonius never quotes (1)³⁴⁰ and he prefers examples such as

(2) Socrates will bathe tomorrow

In (2) a pseudo-date (tomorrow) is used, but there are also examples where the futurity of the event in question is left open as in

(3) This sick person will recover³⁴¹

However, most of his examples do contain a pseudo-date.³⁴²

As is easy to see, Ammonius assumes that there is a correlation between contingency, futurity and the way in which a proposition is qualified in its truth-value. Past and present propositions about any matter, that is past and present-tensed propositions which can be truly qualified as necessary or contingent, divide truth and falsity in a definite way and in this sense they are definitely true or false.³⁴³ On the other hand, being indefinite in its truth-value is something that can only happen to a proposition concerning the future. However, not every proposition concerning a future event is indefinite in its truth-value. If the event referred to is necessary the proposition expressing such an event is definitely true or false.³⁴⁴ But the same happens for a contingent event, when all conditions for its realisation are given. The following passage makes the point to some extent. Ammonius claims that in some case we can have a definite knowledge of future events. He says:

(G) It is clearly possible for the contingent sometimes to be known in a definite manner ($\dot{\omega}_{\rho i \sigma \mu e \nu \omega \varsigma}$) even by our own knowledge, namely when it is no longer contingent properly speaking, but necessarily follows from the causes leading the way to its own generation: it is possible, for example, for a sphere which rests on a horizontal surface while the surface keeps the same position, to be moved by something or not, but when the surface is tilted it is impossible for it not to be moved.³⁴⁵

The example of the sphere shows what kind of contingency is at issue with future propositions. A sphere resting on an horizontal surface may be moved or

As far as I remember the only exception is at *In Int*. 154,32. However, he considers a proposition such as "a white baby will be born tomorrow" (e.g. *In Int*. 144,15-16), which seems to be of the same type as (1). For "historical" reasons I take the liberty of referring to (1) as a future contingent proposition.

³⁴¹ In Int. 140,15-16.

³⁴² I take the terminology of 'pseudo-dates' from N. Rescher and A. Urquhart 1971, 27.

³⁴³ In Int. 130,1-20.

³⁴⁴ In Int. 130,1-5.

³⁴⁵ In Int. 137,1-7.

not. It depends, for instance, on the decision of someone. Before the decision is taken, it is open whether the sphere will be moved or not. But if the surface on which the sphere rests is tilted, its moving cannot be prevented and in this sense it is no longer open whether it moves or not. Since no past and present events can be changed, only the future is open, at least for those events for which the causally sufficient conditions for their being or not being are not yet given. This text implies that one and the same proposition can be treated as necessary or contingent according to the different situations to which it is tied. If today, before the starting of the battle, the decision of the admirals is taken and this makes the event unpreventable, today (1) is no longer a contingent proposition. On the other hand, before the admirals' decision, the future of the battle is still open and in this sense it is contingent that the battle will take place.

In our passage what is in question is definite or indefinite knowledge, a notion which is not the same as having a definite or indefinite truth-value. However, one might assume that we can have definite knowledge of a proposition P only if P has a definite truth-value.³⁴⁶ Under this assumption, the text implies that a future proposition concerning a contingent event may take a definite truth-value when all conditions for the realisation of the event are given and it becomes unpreventable. This explains why present and past propositions are said to have a definite truth-value. The events that they express are fixed. It is no longer open whether a sea-battle occurred yesterday: either it happened or not, since the past and the present cannot be changed. To make the point in a different way, when a proposition has a truth-value which cannot be different it is a necessary proposition and it has a definite truth-value. On the other hand, a future proposition concerning a contingent event has a truth-value which might be different and for this reason it is true or false in an indefinite way.

This analysis suggests a further point about the way in which propositions such as (1) and (2) must be treated.³⁴⁷ A proposition concerning the past or the present is said to be necessary. The kind of necessity implied by it is not logical necessity, but a sort of historical necessity, the same necessity which is attributed to a contingent event when all conditions for its realisation are given. The historical necessity of a proposition entails that it cannot be otherwise: either it is true or it is false, and this holds without any possible change. Consider now a proposition such as

(4) Yesterday a sea-battle occurred

³⁴⁶ The question of how the Gods can have a definite knowledge of contingent events is a different question (cp. Ammonius, *In Int.* 135,12 ff.). On this problem see M. Mignucci 1985, 219-246.

³⁴⁷ We leave aside (3) where no pseudo-date is expressed. However, (3) can be treated in the same way as dated future contingent propositions if we assume that after the disappearance of the particular referred to (this sick person) the proposition denying the predicate of him becomes in any case definitely true.

According to Ammonius' account, (4) is a proposition about the past and it cannot change its truth-value. But this may not be true if we assign to 'yesterday' the meaning of a pseudo-date. Suppose that (4) is uttered today and that it is true. This means that yesterday a sea-battle took place. Thus, it is not true tomorrow unless a sea-battle occurs today, and so on for every day. To attribute an unchangeable truth-value to (4) we must take 'yesterday' as referring to a fixed date. Suppose that 'yesterday' is a way of referring to the 29th February 2000. Then, one might reasonably claim that the proposition

(5) A sea-battle occurred on the 29th February 2000

is definitely true or false at any time after this date.

The same point is made by Ammonius by discussing the so-called deterministic objection. According to him this objection can be put as follows:

(H) <Aristotle> speaks as though making his argument from a new beginning. "Further, if something is pale now",³⁴⁸ like a new-born child, "it was true to say"³⁴⁹ on the previous day that tomorrow a pale child would be born—actually, no more on the previous day than at any previous time at all. For what is strange <in this>? If we speak truly each time we say in advance that something will be, this thing is not such as not to be going to be, just as neither is something such as not to be, if we say truly that it exists. Thus, it was impossible for the pale child not to be born, because the prediction made about it in indefinite preceding time was true.³⁵⁰

The proposition which the determinist thinks to be true at any time cannot be

A pale child will be born tomorrow

since two days before the event (6) will be true only under the condition that two pale children are born in the following two days.

To overcome this difficulty we can proceed in this way. Let us introduce a temporal constant in the propositions we are going to consider, say τ , and state as a correspondent of proposition (1)

(1*) A sea-battle occurs at τ

where τ is a date and 'occurs' has to be taken atemporally. We can generalise and formalise (1*) in several ways. A possible one is to introduce atemporal states of affairs p, q, r and so on, and an operator C, which, applied to a state of affairs p, says that p is the case.³⁵¹ The being the case which is expressed by applying C to p can be temporally qualified, e.g. by a temporal constant τ . Therefore, we can take

(7) С_тр

³⁴⁸ These are Aristotle's words: *Int.* 9, 18b9-10.

³⁴⁹ Again Aristotle's words: Int. 9, 18b10.

³⁵⁰ In Int. 144,14-21.

³⁵¹ In this context we do not need to make a distinction between states of affairs and events, if they are both to be taken atemporally. In the following, we will indifferently call what is denoted by 'p' a state of affairs or an event.

as the form of (1^*) . Needless to say, (1^*) and (7) do not express futurity and in this sense they do not correspond to (1). We can consider the reference to the future expressed by (1) as depending on the relation there is between the time of utterance of (1) and the time indicated in (1^*) . In this perspective, (1^*) represents the content of (1), and this content is located in the future with respect to the present of the utterance being evaluated as true or false at the time of its utterance. To make the same point in other words, the truth-value of (1) is the truth-value that (1^*) takes when it is evaluated at the time in which (1) is uttered. The time of utterance of (1) represents the time at which (1^*) is evaluated as true or false, and this means that the truth value assigned to (1) is the truth value assigned to (1^*) under the assumption that (1^*) is evaluated at th = τ -1 (where ' τ -1' stands for 'the day before τ ').

By this analysis I do not claim that in general propositions containing pseudo-dates can be reduced to propositions in which any relevant reference to time is made by real dates, and that the so-called 'A-series' can be reduced to the B-series.³⁵² My point is simpler and weaker. In order to make sense of some of the ways in which Ammonius uses propositions like (1) and (2) it is convenient to read them in the above way.

V.3.3

Before offering a positive interpretation of the distinction between definitely and indefinitely true (false) propositions we have to reject a temptation which is too easy. Suppose that a singular contingent state of affairs is the case at τ , i.e. $C_{\tau}p$. Therefore, according to Ammonius, at any time before τ , say at ρ , $C_{\tau}p$ is true and indefinitely true. One might try to explain this mysterious reference to an indefinite truth by connecting it to an epistemological situation. Before $\tau C_{\tau}p$ has a truth-value which is indefinite because we are not able to state or grasp it. On this view, indefiniteness does not depend on the objective state of the events and propositions, but on our inability to grasp them adequately. Were we gods, there would be no indefinite truth-value.

There are some texts which may be invoked as evidence for this interpretation. Consider the final part of text (A). In our translation we have taken $\dot{\omega}\rho_i\sigma\mu\dot{\epsilon}\nu\omega\varsigma$ (definitely) to refer to the being true or false of a proposition by analogy with the many passages where $\dot{\omega}\rho_i\sigma\mu\dot{\epsilon}\nu\omega\varsigma$ specifies the truth-value of propositions. But it would probably be more natural to refer $\dot{\omega}\rho_i\sigma\mu\dot{\epsilon}\nu\omega\varsigma$ to $\ddot{\epsilon}\sigma\tau_i$ $\epsilon\dot{i}\pi\epsilon\hat{i}\nu$ ("it is possible to say"). If so, it is the possibility of saying that a proposition is true or false which is not yet defined. In another passage, in order to explain why "Socrates will bathe tomorrow" and "Socrates will not bathe tomorrow" are one true and the other false but in an indefinite way, Ammonius says that "which

³³² As is well known, a debate is going on among philosophers on this subject. A useful discussion of the question can be found in R. Sorabji 1983, 33ff.

of these will be the true one it is not possible to know before the outcome of the matter³⁵³ Once again, the fact of having an indefinite truth-value is explained by reference to an epistemological situation. In a parallel way, with reference to a pair of contradictory propositions concerning the past or the present, their having a definite truth-value is explained by saying that "inasmuch as the thing about which one is speaking has already occurred, the true and false singular propositions are obvious".³⁵⁴ One might take this statement as asserting that a present or past proposition is definitely true or false *because* its truth-value is clear, i.e. can be grasped.

Although this interpretation is attractive for its simplicity, it must be rejected. First of all, the distinction between definitely and indefinitely true (false) propositions is appealed to in order to avoid determinism. But a purely epistemic undecidability cannot do the job. In this perspective, although I cannot decide about the truth or falsity of C_tp before τ , say at ϵ , C_tp nevertheless has a fixed truth-value at ϵ and this is sufficient for triggering off the deterministic argument. In order to escape determinism we need to interpret the distinction between definitely and indefinitely true or false propositions as an ontological distinction. Moreover, Ammonius more than once points out that contingent things have an indefinite nature³⁵⁵ and it is easy to guess that the indefinite truth-value assigned to propositions depends on the indefinite nature of the events expressed by them. This interpretation is confirmed by some statements made by Boethius, where the epistemological interpretation is overtly rejected.³⁵⁶

The conclusion is that we must look for a different interpretation of Ammonius' distinction. The lack of knowledge or unclarity we have about the truth-value of future contingent propositions is a consequence of their not having a definite status with respect to truth and falsity. Contingent propositions about the future are indefinitely true or false not because the future is hidden or unknown to our mind, but because the ontological status of the facts they refer to is not yet established. What is uncertain is not the possibility of knowing before tomorrow that Socrates will bathe tomorrow, but the event itself since it is put in the future and it is contingent.³⁵⁷

³⁵³ In Int. 139, 17-18.

³⁵⁴ In Int. 130,11-14.

³⁵⁵ E.g. In Int. 136,12-13.

³⁵⁶ Boethius, In Int., sec. ed., 208,11-18; 245,19-28.

³⁵⁷ From the fact that the prohibition against assigning a definite truth-value to future contingent propositions is sometimes spelled out in epistemic terms R. Gaskin 1995, 149 and 157 infers that future contingent statements are metaphysically indeterminate and therefore have an indefinite truth-value. Commenting on our text (A) he says: "Aristotle, on Ammonius' interpretation, says that FCSs [i.e. future contingent statements] do divide the true and the false just as present and past-tensed statements do ... But they do not divide the true and false in the same way ... For unlike the case of statements about the present and the past, it is not possible to say definitely which member is true and which false ... That impossibility cannot be merely epistemic ... Rather, the claim must be that it is *in principle* impossible to assign truth to one member of a FCA [future

V.3.4

To provide a positive interpretation of the distinction between definitely and indefinitely true or false propositions is difficult, because Ammonius never defines or explains it, but introduces it as something already known to the reader. We have seen that the distinction between past and future contingent propositions depends on the way in which they divide truth and falsity. Past propositions are definitely true or definitely false, while future propositions are indefinitely true or indefinitely false, and this means that they are true or they are false, plus something else, i.e. their being indefinite. Moreover, a proposition, which is now evaluated as true and indefinite, may be evaluated tomorrow as true and definite. This means that characterising the truth-value of a proposition as definite or indefinite depends essentially on the time at which the proposition is uttered or evaluated.

How can we explain all this? One might be tempted to answer this question in the following way. Consider the passages, taken especially from Boethius, where the commentators insist on characterising indefinite truth (falsity) as changeable (volubilis says Boethius in one place) and definite truth (falsity) as stable (constituta).³⁵⁸ Moreover, Ammonius clearly states, as we have seen, that a proposition can only be called true (false) in a definite way when the objective conditions for its truth (falsity) are there, i.e. when the appropriate states of affairs obtain or are causally necessitated by other states of affairs already established, and a proposition is true (false) in an indefinite way only if such conditions are

⁸ See e.g. Boethius, In Int., pr. ed., 108,4-5; 123,20-22; 124,6-7; sec. ed. 190,7.

contingent avridam; and falsity to the other: it is metaphysically indeterminate which way round the truth-values go." (157) Gaskin connects woorwey to emeiv, which is, as we have seen, possible and perhaps natural. But even if we read the text as a claim that it is impossible to say in a definite way which of two future contingent statements contradictorily opposed is true and which is false, I do not think that we can infer from this that the two propositions of the pair are neither true nor false. The parallel passages show that 'saying in a definite way which of a pair is true or false' is only possible when we can say which is true in a definite way and which is false in a definite way. Therefore, the metaphysical impossibility involved is not the impossibility of being true or false, but the impossibility of being definitely true or definitely false. This is confirmed also by Boethius' evidence. When he says that of a pair of future contingent propositions contradictorily opposed, C₁p and C₂p*, nobody knows which is true and which is false, he does not mean that they do not have a truth-value: "For instance if we say: 'the Franks will overcome the Goths' and someone puts forward the negation: 'the Franks will not overcome the Goths', one of these propositions is true and the other is false, but nobody knows before the result which one is true and which one is false" (In Int., sec. ed. 184, 22-26). If, as Gaskin claims (150), Boethius meant that "it is simply metaphysically indeterminate which member is true" he would contradict himself: C₇p and C₇p* do have a truth-value (una quidem vera est, una falsa: 184, 24). The only way to interpret this and other similar passages safely is by taking them to mean that before the happening of the events which the propositions refer to, it is metaphysically impossible to state whether $C_{\tau p}$ or $C_{\tau p}^*$ will be *definitely* true or false.

not yet given. When a proposition such as (1^*) , or better C₇p, is evaluated before τ , say at p, its truth-conditions are not yet established. However, it is said to be true or false. Therefore, we might imagine that the attribution of a truth-value to Cp at ρ is *arbitrary*, so that one might claim that to be indefinitely true for a proposition means to be true under an arbitrary assignation. Take a pair of contingent propositions C_tp and C_tp* contradictorily opposed and evaluate them before at ρ ($\rho < \tau$). Since by hypothesis these conditions are lacking at ρ there is no other way to assign a truth-value to C_{p} and C_{p} * at ρ than by an arbitrary imposition. Imagine we assign the value True to C_p at ρ . If C_p* is by hypothesis the negation of C_p we have to assign the value False to it at p simply because of the logical form of these statements. In this way the Principle of Bivalence, which is accepted without restriction by Ammonius and Boethius, applies also to future contingent propositions. At a certain point of the history of the world, e.g. at τ , the truth-conditions for the truth or falsity of C_{4D} (and its negation C_{4D}^*) show up. At that time we can easily adjust the truth-value assignation to this pair, and say that e.g. C.D is true and C.D* is false at τ , or vice-versa, according to the nature of things. Since the attribution of a truth-value to $C_{\tau p}$ and $C_{\tau p}^*$ at τ depends no longer on an arbitrary imposition but is led by the presence of a matter of fact situation, we are allowed to say that C_rp and C_rp* have a stable and fixed truth-value at τ , which cannot change for any future evaluation of this pair, i.e. for any time equal or greater than τ . In this sense C₇p and C₇p^{*} are true or false in a definite way at τ and they divide the true and the false accordingly.

This picture raises some general problems, which are philosophically interesting but not relevant here, and, as far I can see, it is not inconsistent with the answer to the fatalist's argument that Ammonius and Boethius offer as an interpretation of Aristotle's point of view. However, it shares with the traditional interpretation a disadvantage, which in my view is crucial. If future contingent propositions have no truth-value, or an arbitrary one, predictions are pointless. Consider a proposition such as (1) and suppose that this proposition has an arbitrary truth-value (or no truth-value at all), where its arbitrariness does not depend on epistemic conditions but is "ontologically" determined. Anyone who agrees on this would refrain from seriously predicting that tomorrow there will be a sea-battle, since what seems to be a necessary condition for performing a prediction is that the prediction can, at least in principle, be true.

It is obvious that the kind of prediction considered here has nothing to do with those predictions that we would nowadays call scientific predictions, which are not about contingent events, but about events which are submitted to laws of some sort. Propositions about such events are definitely true or false even before the time to which the events expressed by them refer. In Ammonius' account predictions refer to events which by definition are not submitted to any law. Nor are they referring to contingent events which are no longer contingent, because a causal chain has taken place which makes the originally contingent event unpreventable.³⁵⁹ Ammonius' predictions concern really contingent future events. One might think that it is no great harm if such predictions are given up. We might even feel relieved if in the ideal town ruled by logicians fortune-tellers. soothsayers and other people of this sort had no admission. But this was not Ammonius' view. As is well known, the ancient world paid a great deal of attention and gave a large place to oracles, divination, prophecies and predictions in general. Philosophers were accordingly interested in these phenomena. The general attitude was more inclined to search for a justification for predictions and oracles than to question whether, or to deny that, they are reliable. In particular, Ammonius maintains that oracles offer evidence that the Gods know contingent events,³⁶⁰ and their possible ambiguities do not constitute a sufficient reason for denving that Gods' knowledge of contingent events is definite.³⁶¹ Therefore, since the possibility of human predictions is not ruled out, future contingent propositions cannot either lack a truth-value or have an arbitrary one.³⁶² We must look for another explanation of the distinction between indefinite and definite truth.

V.3.5

The discussion of the arbitrary assignment of truth-values to future contingent statements, although it has been concluded negatively, brings us closer to the solution of our problem, i.e. the explanation of the distinction between indefinitely and definitely true (false) propositions.

Let us consider the general view on truth held by Ammonius. He shares with many Peripatetics a correspondence conception of truth: a proposition P is true (false) if and only if the event or the state of affairs signified by P and corresponding to it is (is not) the case.³⁶³ The obtaining (non-obtaining) of the event or state of affairs is the condition for assigning a truth-value to P. Take for instance (1^{*}) and suppose that we consider it at τ , the date at which the sea-battle is supposed to take place. At τ (1^{*}) receives a fixed and stable truth-value: if the

³⁵⁹ See text (G).

³⁶⁰ In Int. 135,12-14.

³⁶¹ In Int. 137,12-23.

R. Gaskin 1995, 171-173 correctly points out that gods' knowledge of contingent events cannot be considered as a case of *foreknowledge* because their knowledge takes place outside time. Therefore, what they think cannot be evaluated at a certain time and, in particular, before the event which the thought refers to takes place. But he seems to go too far when (misinterpreting in my view *in Int.* 137,12-23) he says that Ammonius thinks "that oracles and prophets cannot foresee what will happen, but only what is likely to happen, or perhaps what will happen if advice is followed (or not)—but not then whether advice will be followed" (173, n.90). Ammonius is implying neither that every prophecy is useless, as 135,12-14 shows, nor that only what is no longer contingent can be an object of a true prediction.

³⁶³ In Int. 139,26 ff.; 140,32 ff. and 154,16-20.

sea-battle occurs at that time (1^*) is true, otherwise it is false. Since its truth-conditions are in the world, (1^*) is not only true or false, but also true or false in such a way that its truth-value cannot change. Whatever the development of the history of the world may be, the truth-value assigned to (1^*) at τ remains the same. This corresponds to the intuition that what has happened or is happening cannot be changed, so that it is irrevocable in every possible development of the world. Ammonius does not say this in so many words, but it may be implied by his claiming that what is stated about the present or the past is necessarily true or necessarily false:

(I) If he <Socrates> happens not to be bathing or to have bathed on the previous day, it is clear that the negative sentence taken in the present or the past must be true, while the affirmative sentence, since it says that what has not occurred either holds or held, must be false.³⁶⁴

If it is the case that Socrates is bathing at τ , however the world might develop from τ onwards, it remains true that Socrates be bathing at τ . Past and present events are such that they rule out the possibility that the opposite occurs in their place and the corresponding true propositions do not admit the possibility of being false. The same must be said with respect to falsity. Let us call the situation in which a contingent proposition has received a truth-value because its truth-conditions are the case a situation in which the proposition has an *assigned* or *established* or *settled* truth-value.

On the other hand, Ammonius recognises the presence of contingent events in the world.³⁶⁵ This means that the course of the history of the world is not fixed and the only possible one. Our future is an open one, in the sense that it may develop in different ways. While the past and the present are fixed, there are many possible different future histories of the world, each of which shares the same past. Therefore, it may very well happen that in one possible development of the world (1*) receives the assigned truth-value True and in a conceivably different development it takes the assigned truth-value False. It may happen that according to one possible history of the world the admirals decide immediately before τ that no naval confrontation with the enemy must take place. In this case such truth-conditions are laid down that (1*) takes the assigned truth-value False. On the other hand, in a different possible history of the world it may happen that the decision of the admirals goes in the opposite direction and that the sea-battle occurs. Therefore, in this conceivable situation we must give the assigned truth-value True to (1*). However, once in a possible history of the world an assigned truth-value has been given to a proposition, it remains constant in that history. In the development of the world in which the sea-battle occurs at τ , according to the decision of the admirals, (1*) takes the assigned truth-value True and this is fixed once and for all: in that history (1*) cannot change its settled truth-value. This corresponds to Ammonius' intuition that present and past events

³⁶⁴ In Int. 130,17-20.

³⁶⁵ In Int. 137,25 ff.; 147,25 ff.

are necessary in the sense that they cannot be changed: factum infectum fieri nequit.

It should be clear that before the time in which its truth-conditions are laid down, a contingent proposition has no assigned or settled or established truth-value. Before τ (1*) has no assigned truth-value. Shall we conclude from this that before τ (1*) has no truth-value at all? Well, since the truth-conditions for (1*), by hypothesis, are not given before τ , we may be led to conclude that (1*) is neither true nor false, or that an arbitrary truth-value must be given to this statement. But this is not Ammonius' position, as we have seen. His view is that even before τ (1*) is true or false, but not in a definite way, in a way, we are tempted to say, that makes the happening of the event denoted by it inescapable, because the conditions for its being true or false are given.

A possible way to interpret his claim is as follows. As we have seen, the history of the world may develop according to different paths and it may happen that the same proposition receives different assigned truth-values in these different paths because of the different situations constituting the truth- conditions for the proposition which are supposed to take place in them. Now imagine that we are able to refer to what is happening in the "real" future history of the world, i.e. what in fact will happen, whatever that may be. What I mean is not that we are able to know what is going on in the "real" future, but simply that we are in a position to mark off among the possible developments of the world the history which will be our "real" history, i.e. the history which is not merely conceived or thought of as a counterfactual possibility, but that which, as a matter of fact, will take place and in which we are going to live and operate.³⁶⁶ If (1^*) will "really" take the assigned truth-value True at τ , then it is in some sense always true that (1*) will take such a value at τ . If the assigned truth-value *True* is assigned to (1*) at τ in the real development of the world (whatever it may be) then we are entitled to say that (1*) is plainly or simply or factually true. ³⁶⁷ In other words, (1*) is plainly true if at some time the conditions for its truth will appear in the "real" world. It does not matter whether these conditions are already there at the time of the evaluation of our proposition. The important point is that they will at some time come out in the "real" history of the world to which we can refer even if it is not yet at our back, in the past. The same can be said, mutatis mutandis, for plain or simple or factual falsity.

It is easy to see that the notions of truth and falsity involved in plain truth or falsity are to some extent atemporal, in the sense that they do not intrinsically depend on the time of utterance or evaluation of the propositions at issue. To qualify a proposition P as simply true or false it is sufficient to be sure that P takes an assigned truth-value in the real history of the world. If a sea-battle occurs at τ ,

³⁶⁶ One might challenge this claim as something which is against the view that the future is completely open before us. So e.g. N. Belnap 1992, 385-434.

³⁶⁷ In speaking of 'plain (or simple) truth (falsity)' I have been inspired by the terminology of von Wright, who uses the expression 'plain truth' (cp. G. von Wright 1984, 5).

the proposition expressing that this event occurs at τ receives the assigned truth-value *True* at τ and before τ it has no assigned truth-value. But its being true, i.e. its expressing conformity to an event, is something which does not depend on the time at which P is uttered. To ensure the possibility of such a correspondence we have just to admit that we are allowed to refer to the series of events which take place in the chain of "real" events. We do not need to wait until the conditions which allow us to attribute an assigned truth-value to a proposition are laid down in order to attach a simple truth-value to it. In this sense plain truth and plain falsity are not intrinsically related to time.³⁶⁸ Needless to say, it is with respect to simple truth and falsity that Ammonius can maintain that the Principle of Bivalence holds in every case, and that an indefinitely true proposition no more and no less than a definitely true one is (plainly) true.

We are now in a position to characterise indefinitely and definitely true or false propositions. Here the time at which the proposition is uttered with respect to the time of the event expressed by it is crucial and this makes a relevant difference with respect to the attribution of simple truth (falsity) to it. Consider the case of a definitely true proposition. As we have seen, a definitely true proposition is true, i.e., in our terminology, is simply true. On the other hand, a definitely true proposition is in some way unalterable, in the sense that its truth-value cannot change. Therefore, a definitely true proposition is such that it is evaluated as true when an assigned truth-value has been given to it, since from this moment onwards its truth cannot change. By stating that our proposition is simply true we say that the event denoted by it is an event of the "real" world; by positing that it is evaluated only when its assigned truth-value has been given to it, we account for its necessity and unpreventability.

A characterisation of an indefinitely true proposition can easily be worked out from what has been said about definitely true propositions. An indefinitely true proposition is a contingent proposition, i.e. a proposition which denotes an event whose outcome is not yet fixed, and which at the same time is a simply true proposition. Therefore, its evaluation must take place before it receives an assigned truth-value. On the other hand, it is a simply true proposition. With reference to (1^*) we say that this proposition is indefinitely true if (i) it is evaluated before τ , (ii) it is simply true (i.e. there are in the "real" future the objective conditions for its truth), but (iii) there is also an "unreal" development of the world in which conditions are given according to which (1^*) turns out to be false.³⁶⁹

³⁶⁸ This view has recently been developed by G. von Wright 1984, 6.

³⁶⁹ This characterisation of definite and indefinite truth shows quite clearly that my interpretation does not consist in equating indefinite truth with contingent truth and definite truth with necessary truth, *pace* R. Gaskin 1995, 148 n.12. It relies on a philosophically committed analysis of the notion of truth as in some sense an atemporally determinable notion and on the assumption that we can refer to the "real" future. Therefore, in my interpretation 'definitely' and 'indefinitely true' cannot be taken as synonymous with, but only as entailing, 'necessarily' and 'contingently true'.

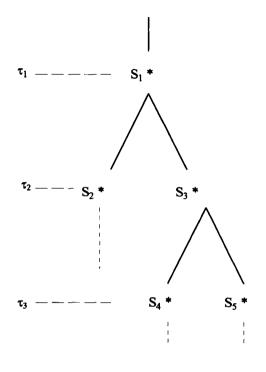
Our characterisation of definitely and indefinitely true propositions is able to explain in a simple way Ammonius' claim that present or past propositions are definitely true or false, while future contingent ones are indefinitely true or false. Consider again (1*) and suppose that we evaluate it before τ , let us say at ρ ($\rho < \tau$). when the conditions which make (1*) true or false in an assigned way are not yet present. Therefore, there are two possible developments of the world starting from ρ . One development leads to a situation such that (1^{*}) becomes true (in an assigned way); the other development makes (1*) false (again in an assigned way). Suppose that the "real" development contains the conditions for the truth of (1*). Thus, (1*) is indefinitely true at ρ and it leaves the possibility open for its falsity. On the other hand, consider (1^*) at τ or afterward. At that moment its truth-conditions are there and it receives an assigned truth-value. Suppose again that in the "real" path (1*) receives the assigned truth-value True. Thus, (1*) is definitely true at τ (and afterwards) and its possibility of becoming false is ruled out, because it refers to a fixed event in whose future no possibility of changing is left open.

V.3.6

We can put our interpretation in a more rigorous form. Let us first try to specify the context in which a formal characterisation of the notions of definite and indefinite truth can be made. Since propositions are definitely or indefinitely true or false with respect to the time in which they are uttered or considered and the situation of the world in which they are stated, we are allowed to express the predicates 'definitely true' and 'indefinitely true' of a proposition P as three-place predicates whose parameters are (i) the time in which P is uttered or considered, (ii) the state of the world in which P is evaluated and, of course, (iii) P itself. However, to make things easier, we can conflate parameters (i) and (ii) and take the time in which P is uttered or considered to be the same as the time of the situation of the world with respect to which P is evaluated. Therefore, we can express the predicates 'definitely true' and 'indefinitely true' as two-place predicates and write 'T_d([P],S_i)' to say that P is definitely true with respect to the situation of the world S_i. Similarly, 'T_i([P],S_i)' is a way to express that P is indefinitely true with respect to S_i.

We have next to say how time must be conceived of. Since contingency has to be taken as the open part of our future and linked to time, we can picture the world as a branching structure or a tree whose nodes represent possible states and its paths possible histories of it. Time can be interpreted as an order relation on the different stages of possible states of the world.³⁷⁰ To make things easier we may think of the history of a single proposition and represent it by means of an ordinary binary tree as follows:

³⁷⁰ Cp. N. Rescher and A. Urquhart 1971, 125ff.





 S_1 - S_5 are nodes and the lines going through nodes are paths of the tree.

We can express the relation between time and the nodes of a tree by introducing the notion of level and by saying that an instant τ_i is the level of a node S_i. With reference to Fig. (I) we can state for instance that

(8)
$$t_2 = Lv(S_2) = Lv(S_3)$$

It is easy to define in a rigorous way what 'being a possible development of S_i ' means for a node S_j in such a structure. This notion is the intuitive counterpart of the relation of accessibility, which is well known to modal logicians. We represent it by 'Dev (S_j,S_i) ' and we take it to be reflexive and transitive.³⁷¹ For instance with respect to (I) we can say that S_5 is a development of S_1 , because there is a backward path going from S_5 to S_1 through S_3 , while S_4 is not a development of S_2 because there is no such backward path. Therefore, it is with respect to structures such as (I) that we have to define what it is for a proposition to be definitely or indefinitely true or false.

³⁷¹ For the notion of accessibility cp. G.E. Hughes and M.J. Cresswell 1968, 75-80. Since the accessibility relation used here is supposed to be reflexive and transitive, the modal system involved is at least as strong as S4.

Let us now try to define what it is for a proposition C_{tp} , which is supposed to denote a contingent event, to be true with respect to a given situation of the world S_i . According to Ammonius' correspondentistic view about truth, if we consider C_{tp} in S_i and S_i is on a level which is equal to or greater than τ , we must assign to C_{tp} either the truth value *True* or the truth value *False* according to the situation of the world we are referring to. Thus, C_{tp} in $S_i(Lv(S_i) \ge \tau)$ has the *assigned* truth value *True* or the *assigned* truth-value *False*. Let us write 'Ass($[C_{tp}], S_i$)=1' for 'the truth-value *True* is assigned to C_{tp} in the node S_i '. In a similar way, we state 'Ass($[C_{tp}], S_i$)=0' for 'the truth-value *False* is assigned to C_{tp} in the node S_i ' or, what is the same, 'the truth-value *True* is assigned to $\neg C_{tp}$ in S_i '.³⁷² Formally, we have

(T*)
$$T^*([C_{\tau p}], S_i) = {}_{df} Ass([C_{\tau p}], S_i)=1$$

and

(F*)
$$F^*([C_{\tau p}], S_i) = {}_{df} Ass([C_{\tau p}], S_i) = 0^{373}$$

As we have seen, what is important to underline is that an assigned truth value can be given to a proposition if, and only if, the conditions for assigning such a truth value to it are established, i.e. if the events referred to by the propositions occur or are at least somewhat implied by the due course of the events. If we have to do with a contingent proposition, i.e. a proposition in which the event denoted by it is not established before the happening of the event itself, it is reasonable to state that no assigned truth-value can be attributed to C_sp before τ , i.e. in a node which is on a level preceding τ .³⁷⁴ Therefore, we are allowed to state

(PA)
$$T^*([C_tp], S_i) \lor F^*([C_tp], S_i) \to Lv(S_i) \ge \tau$$

In other words, if an assigned truth value is given to $C_{4}p$ with respect to a situation S_i , then the level of S_i must be either the same or greater than τ .

It is easy to understand that if a truth-value is assigned to $C_{\tau p}$ in S_{i} , this truth-value remains constant in any node developing from S_i . Past and present events are such that they rule out the possibility that the opposite occurs in their place and the corresponding true propositions do not admit the possibility of being false. The same must be said with respect to the falsity. Therefore

³⁷² To be precise, we should distinguish between atomic and non-atomic propositions but for our purposes it is sufficient to consider the notion of assignment with reference to the former since no other propositions than atomic ones and their negations are considered by Ammonius.

^{373 (}T*) and (F*) could be generalised to refer to any proposition P whatsoever. However, where we have not to do with future contingent propositions there is no way to distinguish between assigned and unassigned truth-values.

³⁷⁴ In principle "a sea-battle occurs at τ " might have an assigned truth-value even before τ , if the conditions which unequivocally determine the happening or not happening of this event are given at some time before τ (see text [G]). But to avoid complications we may suppose that these conditions are not given before τ .

V.3 Ammonius and the Problem of Future Contingent Truth

- (AT) $T^*([C_\tau p], S_i) \rightarrow (S_j)(Dev(S_j, S_i) \rightarrow T^*([C_\tau p], S_j))$
- (AF) $F^*([C_{\tau}p], S_i) \rightarrow (S_j)(Dev(S_j, S_i) \rightarrow F^*([C_{\tau}p], S_j))$

(AT) and (AF) express the condition according to which when a truth-value is assigned to a proposition with respect to a node S_i , it remains the same in any node developing from S_i .

It is reasonable to think that when a truth-value is assigned to $C_{\tau}p$ in S_i , where $Lv(S_i) \ge \tau$, $C_{\tau}p$ receives an assigned truth-value in every node which is either on the same level as S_i or after S_i , independently from its being a development or not from S_i . The conditions which allow us to attribute an assigned truth-value to $C_{\tau}p$ are at any rate given at τ . Whatever the situation or the history of the world may be, from τ onwards $C_{\tau}p$ is assignedly true or false. We can therefore state:

(AP)
$$Lv(S_i) \ge \tau \rightarrow T^*([C_\tau p], S_i) \lor F^*([C_\tau p], S_i)$$

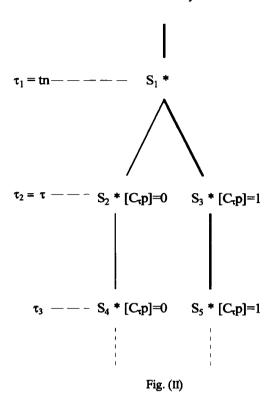
which is the converse of (PA). Then, by coupling (PA) and (AP) we get the equivalence

$$(APA) \qquad Lv(S_i) \ge \tau \leftrightarrow T^*([C_\tau p], S_i) \lor F^*([C_\tau p], S_i)$$

An example of what we are saying could be as follows. Since the truth-values of $[C_{rp}]$ remain constant once they are assigned, we can simplify (I) and imagine that C_{rp} is given an assignation of truth-values according to Fig. (II) overleaf.

Since by hypothesis $\tau_2=\tau$, in virtue of (APA) we can give an assigned truth-value to C₇p with respect to S₂ and S₃. Suppose that C₇p takes the assigned truth-value 0 in S₂ and the assigned truth-value 1 in S₃. Thus, in any node developing from S₃ C₇p will have the assigned truth value 1 and in any node developing from S₂ it will have the assigned truth value 0 because of (AT) and (AF). On the other hand, no assigned truth-value can be given to C₇p in S₁, because its level is τ_1 , which is by hypothesis before τ , and (APA) is supposed to hold. As we have seen, we cannot infer from this that C₄p is neither true nor false in S₁, since no truth-value can be assigned to it. Ammonius' view is that even before τ C₇p is true or false, but not in a definite way, in a way, we are tempted to say, that makes the happening of the event denoted by it inescapable.

To give an appropriate truth-value to $C_{\tau}p$ in S_1 we must introduce a new truth predicate. Suppose that we are be able to refer to what is happening in the "real" future, i.e. what will in fact happen, whatever this may be. Then, $C_{\tau}p$ will "really" take the assigned truth value 1 at τ , and it is in some sense "always" (or better atemporally) true that $C_{\tau}p$ will take such a value at τ . Therefore, if the truth-value 1 is given to $C_{\tau}p$ in an assigned way in a node of the path which is supposed to represent the "real" history of the world (of course at or after τ), $C_{\tau}p$ is *plainly* or *simply* or *factually* true. Take **R** to be the path representing the "real" history of the world, and suppose that S_n , whose level is by hypothesis equal or greater than τ , belongs to **R**, i.e. that $S_n \in \mathbf{R}$. If the truth-value 1 is given to $C_{\tau}p$ in an assigned way in S_n , $C_{\tau}p$ is simply true. If "T[$C_{\tau}p$]" stands for " $C_{\tau}p$ is simply true" we can write:



(T)
$$T[C_{\tau}p] = {}_{df} \exists S_i(S_i \in \mathbb{R} \bullet T^*([C_{\tau}p], S_i))$$

If we suppose that the bold line in Fig. (II) represents the "real" path **R**, we can say that C₇p is simply true because there is at least one node on **R**, namely S₃, where C₇p takes the assigned truth-value 1. In a similar way we can characterise an atomic proposition which is simply false by assuming:

(F)
$$F[C_{\tau}p] = {}_{df} \exists S_i(S_i \in \mathbf{R} \bullet F^*([C_{\tau}p], S_i))$$

The idea involved by (T) and (F) is plain and corresponds quite well to our intuition. If conditions for the truth or falsity of C_{rp} will be given in the future, then C_{rp} is at any time true or false, in the sense that C_{rp} will take either the assigned truth value 1 or the assigned truth value 0 in the real future of the world.³⁷⁵

We are finally in a position to give a definition of indefinitely and definitely true or false propositions. As we have seen, what contributes in an essential way to characterise a definitely true proposition is that it denotes a fixed event which occurs in an inescapable way. We can express these features by saying that a definitely true proposition is a simply true proposition to which the truth-value 1

³⁷⁵ Also in the case of (T) and (P) generalisations can easily be made to accommodate these definitions to any proposition.

is attributed in an assigned way. By positing that it is a simply true proposition we say that the event denoted by the proposition is an event of the "real" history of the world; by giving the assigned truth value 1 to it we state that it refers to an event which cannot happen in a different way. Therefore, we write in a condensed way

$$(T_{D}) T_{d}([C_{T}p], S_{i}) = {}_{df} T^{*}([C_{T}p], S_{i}) \bullet S_{i} \in \mathbb{R}$$

where, as usual, ' \mathbf{R} ' denotes the "real" history of the world. An alternative characterisation of definite truth could be:

$$(T_D^{\dagger}) \qquad T_d([C_{\tau}p], S_i) = {}_{df} T([C_{\tau}p] \bullet T^*([C_{\tau}p], S_i)$$

which is based on the fact that the assignation function which defines T*-truth is monotonic. Therefore, Ass([C_tp], S_i)=1 implies (S_i)(Dev(S_i, S_i) \rightarrow Ass([C_tp], S_i)=1). (T_D†) has the advantage over (T_D) of showing that definite truth is a kind of truth. Parallel definitions for a definitely false proposition can be given in an obvious way.

A characterisation of an indefinitely true proposition can easily be worked out from (T_D) . An indefinitely true proposition is a contingent proposition, i.e. a proposition which denotes an event whose outcome is not yet settled, and at the same time is a simply true proposition. Then we can state:

 $(T_{I}) \quad T_{i}([C_{\tau}p], S_{i}) = {}_{df} T([C_{\tau}p] \bullet \exists S_{j}(Dev(S_{j}, S_{i}) \bullet F^{*}([C_{\tau}p], S_{j}))$

A definition of what it is for a proposition to be indefinitely false can easily be given. (T_D) obviously implies that the level of S_i , the node in which C_rp is evaluated, must be equal or greater than τ because of (APA). On the other hand, in (T_i) the level of S_i must be less than τ . Were it equal or greater, then C_rp should have an assigned truth value in S_i , which should remain the same in all nodes developing from S_i . But this is not the case. There is a node developing from S_i in which C_rp takes 0 as assigned truth-value and a node in which it takes 1 as assigned truth-value. Therefore, $Lv(S_i) < \tau$ in (T_i) .

To exemplify our definitions we can say with reference to Fig. (II) that $C_t p$ is indefinitely true at τ_1 in the node S_1 , since (i) it is simply true, receiving the truth value 1 at S_3 which is on path **R**, the "real" history of the world, and (ii) it is not necessarily true, since in the node S_2 , which is a development from S_1 , it takes the assigned truth value 0. On the other hand, $C_t p$ is definitely true in S_3 , since in this node it has the assigned truth-value 1, and S_3 is on the "real" path **R**.

V.3.7

What we have to do now is to check our interpretation of Ammonius' view against his effort to make the deterministic argument ineffective. Let us return to text (H) where the deterministic objection is summarised by the commentator. The argument can be generalised and divided in the following steps:

- (i) Suppose that $C_{\tau p}$ is true at τ .
- (ii) If $C_{\tau}p$ is true at τ , it is true at ρ which is before τ .
- (iii) If $C_{\tau}p$ is true at ρ , it is true at any time before τ .
- (iv) If $C_{\tau}p$ is true at any time before τ , it is necessary.
- (v) Therefore $C_{\tau}p$ is necessary.

According to the traditional interpretation it is step (ii) that must be rejected. From the very fact that $C_{\tau}p$ is true at τ it does not follow that it is true at ρ and at any time before τ . If the event denoted by $C_{\tau}p$ is not causally determined before τ , $C_{\tau}p$ has no truth-value before τ . But if (ii) does not hold, the deterministic conclusion can be avoided. We have already seen a consequence of this position, i.e. the invalidation of the Principle of Bivalence, and we know that Ammonius did not want to abandon it, nor was he prepared to introduce truth-value gaps.

Ammonius not only avoided introducing truth-value gaps (or truth-values different from the standard ones) but also, as we have seen, maintained the possibility of true human predictions. Therefore in his view step (ii) must be preserved. How can he then escape the conclusion of the deterministic argument? His answer consists essentially in denying step (iv). What he says is as follows:

(J) To this argument³⁷⁶ one must reply that it was not true of what has occurred now or has already happened to say before the event that it will, in any case ($\pi \acute{a} \tau \tau \omega \varsigma$), be pale.³⁷⁷ For we should not think it has happened by a necessary pre-establishment just because time has brought it into being. Thus, of those who make predictions about it, it is not the one who says that of necessity it will be pale who will speak truly, but rather the one who says all of this, <namely> that it will occur in a contingent manner. If this is so, it is clear that it was also possible for it not to occur, since it would not otherwise have been true that it would occur in a contingent manner. Therefore, let those who say this not judge what is still going to be³⁷⁸ from what has already occurred, but let them keep it as not yet having occurred and inquire whether it will occur of necessity.³⁷⁹

Ammonius' point seems to be that predictions are possible and they do not rule out contingency.³⁸⁰ Take C_tp to denote a contingent event and suppose that it

³⁷⁶ I.e. the determinist argument developed in text (H).

³⁷⁷ Ammonius is here hinting at the example of the new-born pale child mentioned in text (H).

³⁷⁸ οι ταῦτα λέγοντος is probably a misprint since the sense requires λέγοντες.

³⁷⁹ In Int. 145,9-18.

According to R. Gaskin 1995, 155 n.39 Boethius would not "allow prediction of the simple truth of FCSs [future contingent statements], compatible with their contingency". But this does not seem to be Boethius' view, when e.g. he says:

is true at τ , so that (i) is satisfied. According to Ammonius nothing prevents us from admitting that C₄p is true at any time before τ , in accordance with premisses (ii) and (iii) of the deterministic argument. The question is: in what sense is C₄p true before τ , being a contingent proposition? Well, if we look at our analysis of the notions of definite and indefinite truth, the answer is clear: it is *indefinitely* true. Because of (i) C₄p takes the assigned truth-value 1 at τ . Since by hypothesis the event denoted by C₄p is the case in the real history of the world, it is simply true. It is precisely this situation which allows the possibility of C₄p being truly predicted. On the other hand, C₄p is contingent before τ , in the sense that it leaves open the possibility of the opposite. This means that the possibility for C₄p of being false is not ruled out, or, if you prefer, that before τ the conditions which determine the event denoted by it are not yet given. We must expect therefore that in one of the possible histories of the world different from the "real" one C₄p takes the assigned truth-value *False*. Therefore, C₄p is indefinitely true according to our definition.

If this interpretation is correct, the whole point of Ammonius' refutation of determinism lies in the distinction between definite and indefinite truth. If every proposition were definitely true or false before the time to which the event denoted by it refers, no contingency would be allowed in the world. As he says with reference to a pair of contradictory contingent propositions concerning the future:

(K) If one of these <the people foretelling the event> will be speaking truly in a definite manner, and the destruction of the contingent followed from the fact that one sentence of the contradiction is true in a definite manner, then it is apparent that the contingent will disappear from among the things which exist.³⁸¹

The claim is clear. Suppose that C_{tp} is not only plainly true, but definitely true before τ , for instance at τ -1, or, more precisely, in a node S_i whose level is less than τ . Then in no node developing from S_i can the assigned truth-value *False* be given to C_{tp} and in this sense the future of C_{tp} is by no means open. Its truth-value situation is settled and in this way C_{tp} is not different from present or past propositions. But there is no reason to assume that C_{tp} should be definitely true before τ . We can assume that it is indefinitely true. Since indefinite truth does not rule out contingency, it may happen that one and the same proposition concerning the future is plainly true and contingent. In this way prediction does not imply necessity, since the fact that C_{tp} is definitely true or false does not depend on its possibility of being predicted but rather on the nature of the event it denotes. In this way the deterministic argument is made ineffective.

oportet enim in contingentibus ita aliquid praedicere, si vera erit enuntiatio, ut dicat quidem futurum esse aliquid, sed ita, ut rursus relinquat esse possibile, ut futurum non sit. (In Int., sec. ed. 213,7-10). I take it to mean that (i) it is possible to state a prediction; (ii) this prediction can be true; (iii) in order to be true the prediction should not be formulated as a necessary proposition, in the sense that it must have the form: 'it will be so, but it might be differently'.

³⁸¹ In Int. 143,17-20.

One might object to this view by repeating the deterministic argument. If $C_{\tau}p$ is indefinitely true at S_j it is simply true. This means that $C_{\tau}p$ in due course will take the assigned truth-value 1 in the real history of the world. Therefore, the future of $C_{\tau}p$ at S_j is not at all open, since it is already decided that $C_{\tau}p$ will be true in the real world. In other words, the contingent state of $C_{\tau}p$ before τ is only apparent, since it does not play any role in the development of the real world. This difficulty, I believe, can be met by underlining the difference there is between being definitely and indefinitely true. What makes $C_{\tau}p$ indefinitely true before τ is that the real development of the world at the stage in which $C_{\tau}p$ is evaluated is not yet fixed. We may refer to the future real history of the world, but how the world will evolve is still completely open. Therefore, what we actually say when we claim that $C_{\tau}p$ is indefinitely true at S_j is that $C_{\tau}p$ is true under the condition that the world develops in a certain way. And this condition is a real condition, because at S_j the future of $C_{\tau}p$ is still open.

But again one might urge that at $S_j C_{\tau}p$ is either true or false. Then, since it is, say, true, then the "real" development of the world will be such and such and in this sense already determined. This statement would be true if $C_{\tau}p$ at S_j had an assigned truth-value. But this is not the case. Attributing a simple truth value to $C_{\tau}p$ does not depend on the fact that the course of the events is fixed in the future, but it is the consequence of admitting that there will be a future and a real history of the world, whatever it may be. In other words, what is simply true, by itself, is not part of the furniture of the world in the sense that it refers to events which are, in some sense, already there and which can be causally related to other events. That there is a sea-battle at τ is not a fact before τ nor is it causally implied by other facts which are already given, although the proposition which expresses this fact is true or false even before the actual obtaining of the fact.

To admit such a possibility, we must concede that the relation between propositions and facts is not a temporal relation. This point is important because it marks a relevant difference between the traditional interpretation and Ammonius' view. As we have seen, the traditional interpretation is based on the idea that a proposition can only be said to be true or false, when the extra-linguistic conditions for this attribution are given. In the case of future contingent propositions these conditions do not obtain. Therefore, no truth-value can be assigned to them. What comes out from this view is that truth is a totally temporal notion, i.e. a notion which can only be applied when appropriate extra-linguistic conditions are the case.

Notwithstanding its simplicity, one might feel this position unpalatable. From the fact that it is not true now that there will be a sea-battle tomorrow it cannot be inferred, according the traditional interpretation, that a sea-battle will not occur tomorrow. This looks not at all obvious and one might prefer to think of truth as something which is not completely given in time. Of course, the conditions which make a proposition true or false are given in time. It is in time that a sea-battle takes place and it is in time that an assigned truth-value is given to the corresponding proposition. But it does not follow from this that the predicate *True* can only be applied to a proposition when the corresponding extra-linguistic conditions occur. If at some time a proposition becomes true in a proper sense, we are allowed to refer to this fact even before it happens. If "there is a sea-battle at τ " is T*-true, i.e. true in an assigned way at τ , so that the conditions for its truth are given at τ , then we can refer to the plain truth of this proposition at any time whatsoever. This does not mean that the conditions which make the proposition true are given at any time. By hypothesis, they are not given before τ . Nonetheless, if a sea-battle happens at τ the proposition "there is a sea-battle at τ " is in a sense "always" or simply true because once and for all it takes the truth-value 1 at τ .

We cannot pursue any longer this inquiry which has deep and controversial philosophical implications. I would like to conclude this section by facing a further objection to our interpretation. Consider once more C_rp with reference to figure (II). As we have seen, C_rp is indefinitely true at S_1 and it becomes definitely true at S_3 . What makes the difference between its being indefinitely and definitely true is that when C_rp is indefinitely true, it is (simply) true and it admits the possibility (never fulfilled) of being false at a further node, while this possibility is ruled out once C_rp becomes definitely true. Therefore, one might claim that, in some sense, if C_rp is true, it is always true. But, according to Ammonius, what seems to be characteristic of propositions about contingent events is that they are not always true.³⁸² Therefore, these propositions change their truth-value, which does not happen with C_rp in our model. Thus, one might claim that since C_rp is not a contingent proposition, it is necessary even when it is indefinitely true, and conclude that the interpretation proposed is inadequate to express Ammonius' view.

I do not think that we should accept such a catastrophic conclusion. First of all, I am not sure that Ammonius' position about the modal operators is such that it simply allows us to equate necessity with what is always true and contingency with what is sometimes true and sometimes false. What he says is in almost all cases plainly compatible with the claim that a contingent proposition is such that it *can* have a different truth-value (even if it never changes it) and a necessary proposition is a proposition which *cannot* have a different truth-value. In this vein, a proposition which is necessary in an absolute sense is defined by him as a proposition whose predicate is in such a way always true of its subject that the subject cannot exist without the predicate.³⁸³ Taken in this way Ammonius' view about modalities would be perfectly consistent which the claim that C₄p is a contingent proposition and never changes its truth-value.

There is however at least one passage where Ammonius seems to hold that in some cases the contingent members of a contradictory alternative are not always true. He says:

(L) Therefore, it is clearly necessary for sentences said about contingent <things> (which he indicated by the elimination of the extremes, i.e. the

³⁸² Cp. e.g. In Int. 154,34-155,6.

³⁸³ In Int. 153,13-15.

necessary and the impossible, of which he called the one 'what always exists' and the other 'what always does not exist') not in every case to have one member of the contradiction be true in a definite manner—which was what we were to investigate from the beginning—but either to have both members equally receptive of truth and falsity, as what is said contingents which are however it chances, or to have one member which is rather such as to be true and the other rather such as to be false, but not to have that which is true be always true nor that which is false be always false, which he <Aristotle> indicated by 'but not already true or false'.³⁸⁴

The first part of the passage is a standard repetition of Ammonius' position: there are cases in which truth and falsity do not apply to a pair of contradictory propositions in such a way that one is definitely true and the other definitely false, and this happens with equally contingent and in most cases contingent propositions, when, of course, they are referring to future events. What is difficult is the last part of the text where Ammonius seems to claim that in the cases in question the part of a contradiction which is true is not always true and the part which is false is not always false. This seems to imply that "tomorrow there will be a sea-battle", if it is true, it not always true, and this statement is against our interpretation.

I have two possible answers to this objection. The first consists in supposing that Ammonius here uses 'always true' and 'always false' not in the proper temporal sense, but in the sense in which he says that he has taken the corresponding Aristotelian expressions at the beginning of the passage, i.e. as synonymous with 'necessary' and 'impossible'. In other words, what he claims is simply that "tomorrow there will a sea-battle" is a proposition which, if it is true, is not "always true", i.e. necessarily true, in the sense that it does not rule out the possibility of its being false. Since it does not rule out this possibility, it is not definitely true, as we have seen, and it is not necessary in an absolute way.

The second possible answer depends on taking "the member which is true is not always true" as meaning 'the member which is true is not always definitely true', which fits our interpretation very well. "Tomorrow there will a sea-battle" is obviously not always true in a definite way: if it is true, it is indefinitely true before tomorrow, and it is only after tomorrow that it becomes either definitely true or definitely false. This interpretation of the passage has the advantage of making it easier to understand the meaning of expressions such as "both members of the contradiction are equally receptive of truth and falsity" or "one member is rather such as to be true and the other is rather such as to be false" by which Ammonius refers to propositions expressing contingent events that happen as often as not or for the most part.³⁸⁵ The truth and falsity which are in question here are clearly definite truth and falsity and not simple truth and falsity.³⁸⁶ Therefore,

³⁸⁴ In Int. 154,34-155,6. The Aristotelian reference is at 19a39.

³⁸⁵ On what is contingent "for the most part" (ώς ἐπὶ τὸ πολύ) and "equally" (ἐπ' ἴσης) see also In Int. 142,1 ff.

³⁸⁶ Pace R. Gaskin 1995, 157 n.51.

it may also be that what is not always true is meant to be what is not always true in a definite way.

V.3.8

As is easy to guess, Ammonius was not the man who invented the theory we have tried to present. He did not possess the capacity for such a creative and difficult task. Moreover, the same theory can be found in Boethius and nowadays scholars are inclined to think that Boethius did not take it from Ammonius. There are similarities between the two commentators and the more natural way of explaining them is by supposing that they drew information from the same source in an independent way.

The problem arises: what was the common source of Ammonius and Boethius? The question has been studied with reference more to Boethius than Ammonius and for the Latin commentator the answer seems to be: Porphyry.³⁸⁷ However, there is no clear evidence for Ammonius. He quotes more than once Porphyry who seems to be his main source for the discussion of alternative readings of Aristotle's text.³⁸⁸ Sometimes he mentions some of his views with approval³⁸⁹ and in one case he says that he will follow Porphyry's theory in his exposition trying to make it clearer.³⁹⁰ From this evidence we cannot even infer that Ammonius had direct access to the works of Porphyry, since it may be that his quotations were taken from a later source. In fact, his main source seems to be Proclus, who is mentioned at the beginning of the commentary in a rather solemn way as the "divine teacher", having made Ammonius' work possible by his research on Aristotle.³⁹¹ In the course of the commentary on Chapter 9 Iamblichus is quoted for the decisive step concerning the solution of the problem of how Gods can know contingent events.³⁹² Here the distinction between having definite and indefinite knowledge of future contingents plays an important role, but it is not clear whether this distinction has something to do with the distinction between

³⁸⁷ Cp. M. Mignucci 1987, 38-41. What is still in dispute is whether Boethius had direct access to Porphyry's commentary on the *De Interpretatione* or he only translated a Greek codex with *marginalia* mostly taken from Porphyry. On this question, which does not affect our problem very much, see J. Shiel 1958, 356-361 and S. Ebbesen 1990, 375ff.

³⁸⁸ For instance, a different reading of Int. 16b9-10 is attributed by Ammonius to Porphyry (In Int. 50,8-12) and the same happens with reference to Int. 16b22 (In Int. 56,14-18). Again, Porphyry's discussion of Int. 17b16 ff. is considered with his reading αποφαντικώς instead of αντιφατικώς at Int. 17b17 (In Int. 109,24 ff.), and a variant at Int. 19b24-25 is discussed by quoting Porphyry (In Int. 171,16).

³⁸⁹ E.g. In Int. 32,35; 70,3 ff.; 99,8 ff.

³⁹⁰ In Int. 94,25-28.

³⁹¹ In Int. 1,6-11. Strangely enough, Proclus is quoted only in another passage at 181,30 ff. (cp. Stephanus, In Int. 46,25-26).

³⁹² In Int. 135,14.

definitely and indefinitely true or false propositions.³⁹³ At any rate, Iamblichus' point was well known to Proclus,³⁹⁴ and we can once more suppose that Proclus was the direct source of Ammonius. A prudent conclusion may be that Ammonius refers to a doctrine whose existence can be traced back to Porphyry.

However, we could try to push our inquiry a step further by asking whether Porphyry was the creator of the doctrine. There are some testimonies which render the answer controversial. A passage of Simplicius must be taken into account, to which Richard Sorabji first attracted attention.³⁹⁵ A certain Nicostratus is mentioned in it, who is probably to be identified with the Nicostratus who got an honorific inscription at Delphi and was a Platonic philosopher whose acme has to be put in the middle of the second century AD.³⁹⁶ Simplicius reports that Nicostratus denied any truth-value to future contingent propositions, making of him a partisan of the traditional interpretation.³⁹⁷ If we are to trust Cicero's testimony, Nicostratus was not the only ancient follower of the traditional interpretation, since Epicurus was among its supporters.³⁹⁸ After Nicostratus Simplicius considers the position of the Peripatetics and he says:

(M) But the Peripatetics say that the contradiction regarding the future is true or false, while it is by nature unseizable and uncertain which part of it³⁹⁹ is true and which part is false. For nothing prevents us from saying the contradiction with respect to any time, as for instance "it will be or it will not be", and each of the two parts contained in it, as for instance "it will be" or "it will not be", is already $(\eta \partial \eta)$ true or false in a definite way $(\dot{\alpha} \phi \omega \rho_i \sigma_{\mu} \dot{\sigma} \omega \phi_{\nu})$ with respect to the present or past time. But those parts of a contradiction which are said with respect to the future are not yet $(\eta \partial \eta)$ true or false, and they will be true or false. Let these things be sufficient against $(\pi \rho \phi_S)$ Nicostratus.⁴⁰⁰

One might think that the view of the Peripatetics is not clear. On the one hand, the fact that the adverb $\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma$ (407,10-11) is connected with $\ddot{\eta} \dot{a}\lambda\eta\theta\eta$ $\ddot{\eta} \psi\epsilon\nu\partial\eta$ lets us imagine that Ammonius' doctrine is hinted at here. On the other hand, contingent propositions concerning past or present events are not opposed to future propositions which have an indefinite truth-value, as one might expect, but to propositions which are not yet true or false. That future contingent propositions are not yet true or false would not be admitted by Ammonius and this statement reminds us rather of the traditional interpretation. Were the Peripatetics referred to by Simplicius followers of the traditional interpretation or partisans of the same position Ammonius holds?

³⁹³ In Int. 135,12 ff.

³⁹⁴ El. Theol. 124 (110,10-13 Dodds); Theol. Plat. I 15 (69,10-12, 70,22-25, 74,9-16 Saffrey-Westerink); Decem Dubitationes 6-8 (Boese).

³⁹⁵ Cp. R. Sorabji 1980b, 92-93.

³⁹⁶ Cp. K. Praechter 1973, 101-113; J. Dillon 1977, 233-236.

³⁹⁷ Simpl., In Cat. 406,13-16.

³⁹⁸ Cic., De Fato IX 18; X 21; XVI 37; Acad. II 97.

³⁹⁹ Adopting Kalbfleisch's suggestion I read at 407,7 πότερον δε έσται μόριον αὐτῆς ἀληθές instead of ... αὐτῶν ἀληθές. Cp. 407,9-10.

⁴⁰⁰ In Cat. 407,6-14.

On reflection, I would be inclined to choose the second alternative. Suppose that the Peripatetics embraced the traditional interpretation. If P is a future contingent proposition, the Principle of Bivalence does hold for P. But Simplicius at the beginning of our passage says that according to the Peripatetics "the contradiction regarding the future is true or false" and this statement can only mean that (PB) applies also to future contingent propositions. Moreover, if the Peripatetics adopted the traditional interpretation, they would have held the same view as Nicostratus. But the position of the latter is clearly opposed by Simplicius to the view of the Peripatetics.⁴⁰¹ The conclusion is that the Peripatetics did not embrace the traditional interpretation. How can we explain then the view Simplicius attributes to them with respect to future contingent propositions? In what sense are these propositions not yet true or false? The question is easily answered if we admit that 'not yet true or false' means 'not yet definitely true or false', i.e. if we understand adword www to be connected to non us our corry n alandrin in the user at 407,12-13. In this way the Peripatetics must be taken as representatives of the view defended by Ammonius.⁴⁰²

Unfortunately, Simplicius does not tell us whom the Peripatetics holding the same view as Ammonius are. Nor does he give us any hint at identifying them. One might think that the Peripatetics were led to formulate their doctrine as a reaction to the position put forward by Nicostratus. If so, we have a *terminus post quem* for the origin of Ammonius' view and we might suppose that it was created before Porphyry in a Peripatetic milieu after the middle of the second century AD. The name of Alexander of Aphrodisias comes spontaneously to mind. But Simplicius' words assure neither the starting point nor the consequences of this interpretation. He uses the Peripatetic view against Nicostratus to show that his

⁴⁰¹ This remark has been made also by R. Sharples 1978a, 263.

⁴⁰² Richard Sorabji has suggested to me another possible interpretation of what Simplicius says. It may be that he only pointed out that future contingent propositions are such that they eventually get a truth-value. Their view would still be different from Nicostratus' position. I have two worries about this interpretation. First of all, is the fact that a future contingent proposition becomes true or false eventually sufficient to warrant that the Principle of Bivalence holds unconditionally? I am not sure that we can easily give a positive answer to this question. Secondly, if for a future contingent proposition it is essential to become at some time true or false, the reference to a date or fixed time becomes crucial: (1*) surely becomes either true or false at τ . But what happens with a statement such as "it will be raining" (without the addition of a date)? Suppose that tomorrow it does not rain. Can we say that it is false? Of course not, because it may be raining the day after tomorrow. Until it does rain we cannot attribute a truth-value to our statement, and so it may never happen that it receives a truth-value. One might retort that the interpretation of indefinitely true or false propositions is also focused on dated future contingent propositions and it cannot be extended to every kind of non-dated future-tensed statements. However, since their truth or falsity is not strictly dependent on the time of their utterance, I think that it is not impossible to accommodate the theory underlying the distinction between indefinite and definite truth (falsity) to cover also the case of "it will be raining".

position is not the only possible one. But this does not mean that the Peripatetics themselves elaborated their conception to avoid Nicostratus' view. To make things worse, the position of Alexander about future contingents which is known to us from his remaining works is far from being clear. We cannot examine this question here. It is sufficient to remember that some scholars who have studied this problem at length are inclined to think that Alexander was rather near to the traditional interpretation, although the Greek commentator is never explicit on this point.⁴⁰³ Therefore, no relevant clue can be extracted from the Simplicius passage to find a way out for our question.

There is however another testimony which has led some scholars to associate the origin of Ammonius' doctrine with the Peripatetics near to Alexander.⁴⁰⁴ I am referring to a passage in the *Quaestiones* traditionally attributed to Alexander, but in fact made up of rather heterogeneous materials.⁴⁰⁵ This is true especially for the *Quaestio* which interests us, i.e. *Quaest*. I 4.⁴⁰⁶ In the last part of it an allusion is made to a doctrine which is *prima facie* similar to Ammonius' position. There are two passages where $\partial \phi \omega \rho_i \sigma_{\mu} \dot{e} v \omega_{\varsigma}$ is used in connection with the truth and falsity of a contradictory pair of future contingent propositions. The first of them runs as follows:

(N) And further, if that is possible from which, if it is supposed that it is the case, nothing impossible results; and if, from everything of which the opposite is truly said beforehand, there results, if it is supposed that it is the case, something impossible, i.e. that the same thing both is and is not at the same time; then none of those things, of which one part of the contradiction referring to the future is true definitely ($\dot{\alpha}\phi\omega\rho_1\sigma_1\dot{\epsilon}\nu\omega_5\dot{\alpha}\lambda_7\theta\dot{\epsilon}\xi\dot{\epsilon}\sigma_7n\nu$) would be the case contingently. But they say that in all cases one part of the contradiction is true definitely ($\dot{\alpha}\phi\omega\rho_1\sigma_1\dot{\epsilon}\nu\omega_5\dot{\alpha}\lambda_7\theta\dot{\epsilon}\xi\dot{\epsilon}\nu\alpha_1$).⁴⁰⁷

The Greek is in a rather poor condition and it is not very easy to follow the development of the argument in favour of determinism outlined here. The main idea seems to be that if a contingent proposition such as (1^*) is definitely true before τ , then it is necessary, because the hypothesis that the negation of (1^*) is true entails a contradiction. What is important to underline is that in the last lines of the passage a sort of Principle of Bivalence is laid down with reference to definitely true propositions, which says that either [P] or $[\neg P]$ is definitely true. We can express it formally as follows:

⁴⁰³ Cp. R. Sharples 1978a, 264; 1983a, 11-12. See also R. Sorabji 1980, 92-93 and especially p. 93 n. 5; D. Frede 1984, 286.

 ⁴⁰⁴ Cp. D. Frede 1970, 26; R. Sharples 1978a, 264; *id.*, 1982, 38-39; R. Sorabji 1980, 93 n.10.

⁴⁰⁵ On the Quaestiones see R. Sharples 1990, 83-111. In particular for Quaest. I 4 which will be at issue here see I. Bruns 1889; M. Mignucci 1981, 198-204; R. Sharples 1982, 23-38.

⁴⁰⁶ Cp. R. Sharples 1982, 24-25.

⁴⁰⁷ Quaest. 1 4 12,13-18. Following Bruns I delete μη at 12,13 and I add συμβήσεται at 12,15. For an analysis of this passage see also I. Bruns 1889, 627-628. The translation is taken from R. Sharples 1992.

$(PB^*) \qquad T_d^*[P] \lor T_d^*[\neg P]$

where, of course, ' $T_d^*[P]$ ' stands for 'P is definitely true'. The relevant point is to see whether the predicate 'definitely true' which is mentioned here is the same as the predicate used by Ammonius, i.e. whether ' T_d^* ' can be reduced to ' T_d '. The simple fact that the same expression 'definitely true' is used is not a sufficient reason to give an affirmative answer to our question. It might be that $\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma$ $\dot{a}\lambda\eta\theta\dot{e}\varsigma$ used in the Quaestio has the same meaning as Ammonius' expression, but that is neither necessary by itself nor imposed by the context. $\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma \dot{a}\lambda\eta\theta\dot{e}\varsigma$ might simply refer to what is already true with respect to what is not yet true. From this point of view the deterministic argument would have its main point in the premiss that even future contingent propositions always have a truth-value. But if C_rp is true even before τ then it is always true and therefore necessarily true.⁴⁰⁸

The answer of the author of the Quaestio to the deterministic argument contains the other occurrence of $\dot{a}\phi\omega\rho_{i\sigma\mu}\dot{e}\nu\omega_{\zeta}\dot{a}\lambda\eta\theta\dot{e}_{\zeta}$. He says:

(O) But if it is alike possible for the same thing to come to be and not to come to be, how is it not absurd to say, in the case of these things, that one part of the contradiction spoken beforehand is true definitely ($\dot{a}\phi\omega\rho_i\sigma\mu\dot{e}\nu\omega\varsigma$, $\dot{a}\lambda\eta\theta\dot{e}\varsigma$), and the other false, when the thing in question is alike capable of both?⁴⁰⁹

Unfortunately, here it is not clear either what ἀφωρισμένως ἀληθές means. The core of the answer to the deterministic argument is that it is inconsistent to maintain that every proposition is definitely true or definitely false and that there are contingent events. If (1*) is always true in a definite way, then there is no possibility that the event denoted by it does not obtain. But it is absurd to reject the existence of contingent events. Therefore, it cannot be admitted that every proposition always has a definite truth-value. The question is: shall we infer that future contingent propositions have an indefinite truth-value or must the conclusion rather be that these propositions have no truth-value at all? If we give the first answer, we have Ammonius' view and we are entitled to say that the doctrine was born among the pupils of Alexander. On the other hand, if we prefer the second answer, we have to reckon Alexander's school among the supporters of the traditional interpretation and the problem of the origin of Ammonius' theory is left in the dark. Needless to say, we would like to embrace the first answer, because it gives a nice solution to our problem. But it would be unfair to adopt it simply because it offers an explanation of what we are looking for. I do not see any reason to prefer the first interpretation to the second. In our passage it is not said to what άφωρισμένως άληθές is opposed, and it might be contrasted either to what is indefinitely true or to what is not yet true. Consequently, the author of the Quaestio might be equally a forerunner of Ammonius or a follower of Nicostratus.

⁴⁰⁸ N. Kretzmann 1998, 27-28 expresses similar worries about the interpretation of this passage.

⁴⁰⁹ Quaest. I 4 13,26. Also here I follow Sharples' translation.

Although we do not know where his view ultimately comes from, Ammonius' doctrine is far from being uninteresting in an historical and philosophical perspective. Its commitment to an atemporal theory of truth, on the one hand, and its exploiting of the notions of necessity and possibility, on the other, clearly show how ample the range of the problems involved is and how modern they are.⁴¹⁰

⁴¹⁰ This is a further revised version of a paper that appeared originally as: 'Ammonius on Future Contingent Propositions', in M. Frede and G. Striker 1996, 279-310 and, revised, as: 'Ammonius' Sea Battle', in D. Blank and N. Kretzmann 1998, 53-86.

Part VI

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