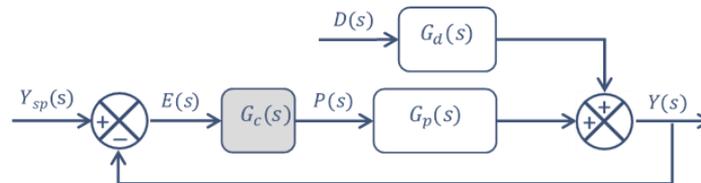


Homework #2

Da consegnare entro domenica 31 Maggio 2020



A feedback-controlled system is shown in the figure. The process transfer function is the following:

$$G_p = \frac{K_p e^{-\theta_p s}}{(\tau_1 s + 1)(\tau_2 s + 1)}$$

with $K_p = 1.25 \frac{\%TO}{\%CO}$; $\tau_1 = 1 \text{ min}$; $\tau_2 = 0.6 \text{ min}$; $\theta_p = 0.2 \text{ min}$

The transfer function includes the sensor and valve dynamics.

- Using analytical techniques, approximate the process transfer function to that of a first-order-plus-dead-time (FOPDT) system:

$$\tilde{G} = \frac{\tilde{K} e^{-\theta_{app} s}}{(\tau_{dom} s + 1)}$$

Indicate the values of the transfer function parameters.

- Use Simulink to check that the approximation fits with the original SOPDT function
- Using the results found at point 2, tune a PI controller according to the IMC tuning rules in the following cases: $\tau_{c,1} = \theta_{app}$; $\tau_{c,2} = \tau_{dom}$;
Indicate explicitly the values and units of the controller tuning parameters.
- Comment what happens if you choose a value of $\tau_{c,3} = 0.5\theta_{app}$; $\tau_{c,4} = 3.0\theta_{app}$;
Did you expect this behavior?
- Tune a PI controller according to the continuous cycling method. Consider both Ziegler-Nichols and Tyreus-Luyben tuning relations. Indicate explicitly the values and units of the controller tuning parameters, as well as those of the ultimate gain and ultimate period. (Hint: to measure the distance between peaks use the ruler icon within the “scope” screen)
- Assume that the system nominal conditions correspond to $u = 50\%CO$ and $y = y_{sp} = 50\%TO$. For the controllers of cases 4 and 5, plot the profiles of the manipulated input and controlled output for step increase of the set-point to 30%, 50% and 60%. Comment the results.

Hint (you can add a block called “Saturation” in Simulink in order to set a range of variation for signals)