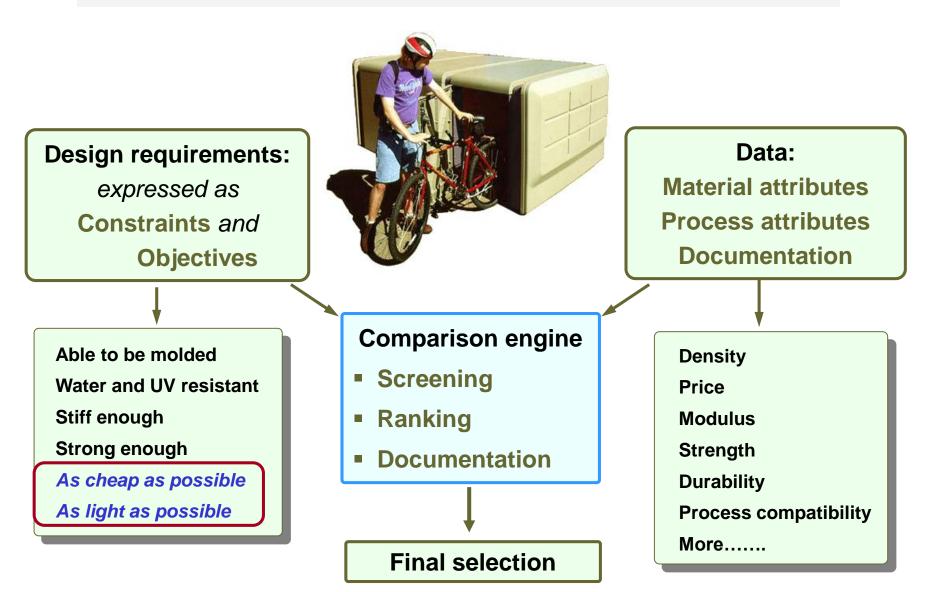
Progettazione di Materiali e Processi

Modulo 1 Progettazione e selezione di materiali e processi A.A. 2021-22 Vanni Lughi <u>vlughi@units.it</u>

Outline

- Almost always 2 or more objectives they conflict
- Trade-off methods
- Penalty functions and exchange constants
- Demo
- Hands-on session with Exercises

The selection strategy: materials



Multiple constraints and objectives

Design requirements set **constraints** on material choice **objectives** - criteria for optimising

Typical constraints

The material must be

- Electrically conducting
- Optically transparent.....

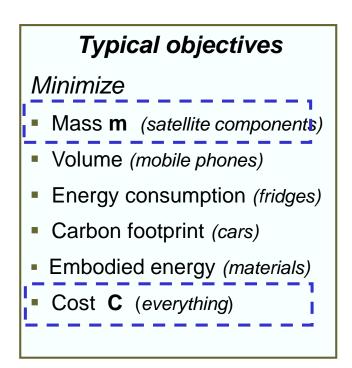
And meet target values of

- Stiffness
- Strength.....

And be able to be

- Die cast
- Welded

Dealing with multiple constraints is straightforward



Dealing with multiple objectives needs trade-off methods

Take, as example, simultaneously minimizing mass m and cost C

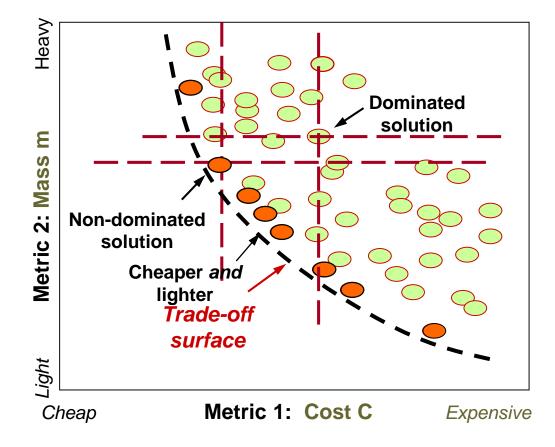
Multi-objective optimisation: the words

 "Solution": a viable choice, meeting constraints, but not necessarily optimum by either criterion.

Plot solutions.
(*Convention*: express objectives to be *minimized*)

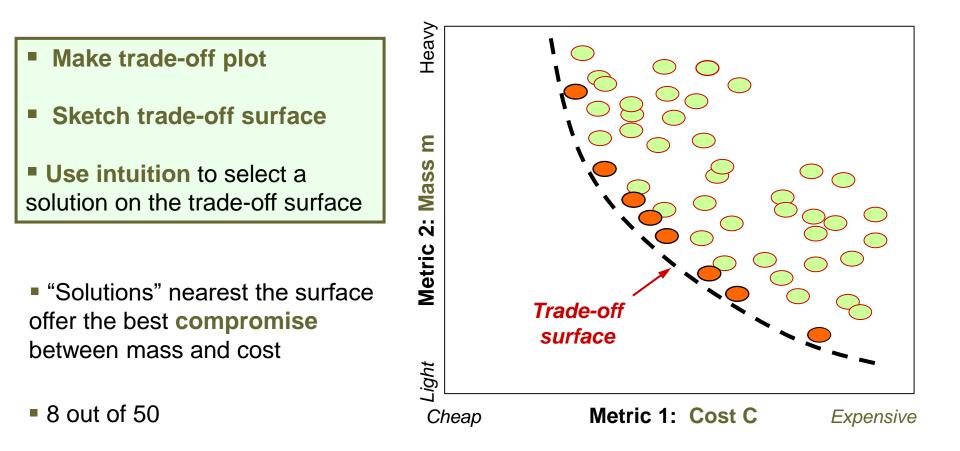
 "Dominated solution": one that is unambiguously nonoptimal

 "Non-dominated solution": one that cannot be improved by one metric without degrading the other ones



 "Trade-off surface": the surface on which the non-dominated solutions lie (Pareto Front)

Finding a compromise: strategy 1



Choose from among these; the choice depends on how highly you value light weight, -- a question of *relative values*

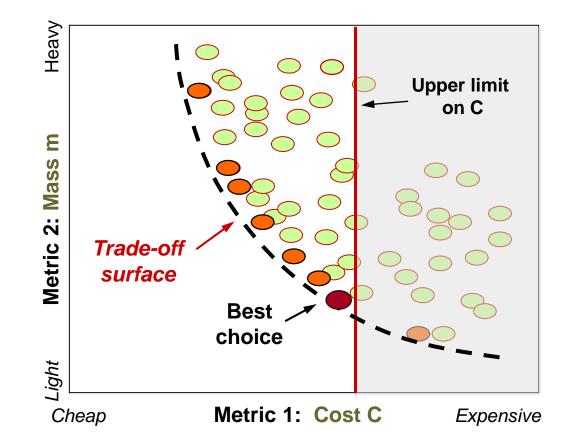
Finding a compromise: strategy 2

 Reformulate all but one of the objectives as constraints, setting an an upper limit for it

Good if budget limit

BUT....cheating

Cost is treated as *constraint*, not *objective*.



Finding a compromise: strategy 3

Define locally-linear **Penalty function Z** $Z = \alpha m + C$ Seek solution with smallest Z

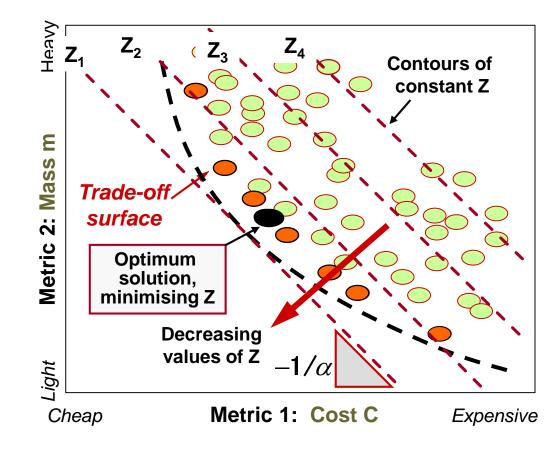
- Either evaluate Z for each solution, and choose materials with the lowest value
- Or make trade-off plot

Plot on it contours of Z

$$\mathsf{m} = -\frac{1}{\alpha}\mathsf{C} + \frac{1}{\alpha}\mathsf{Z}$$

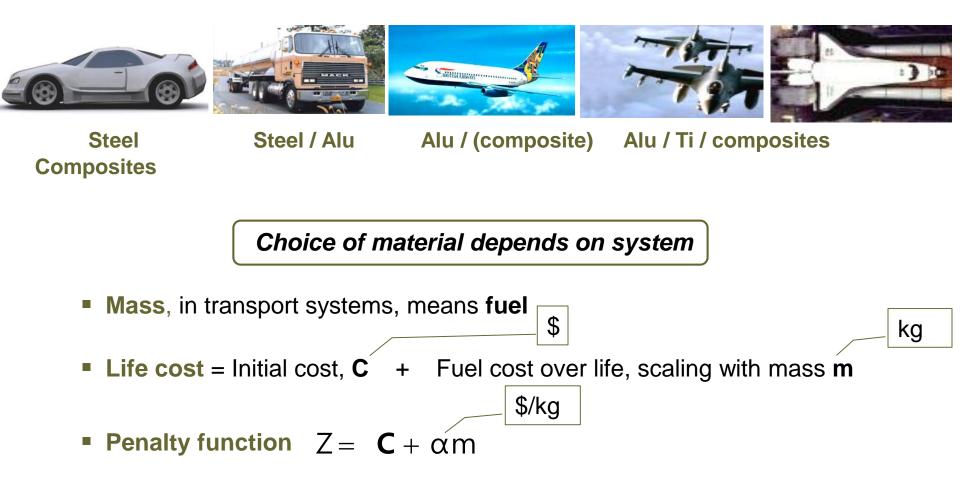
Lines of Z have slope -1/α (needs linear scales)

Read off solution with lowest Z



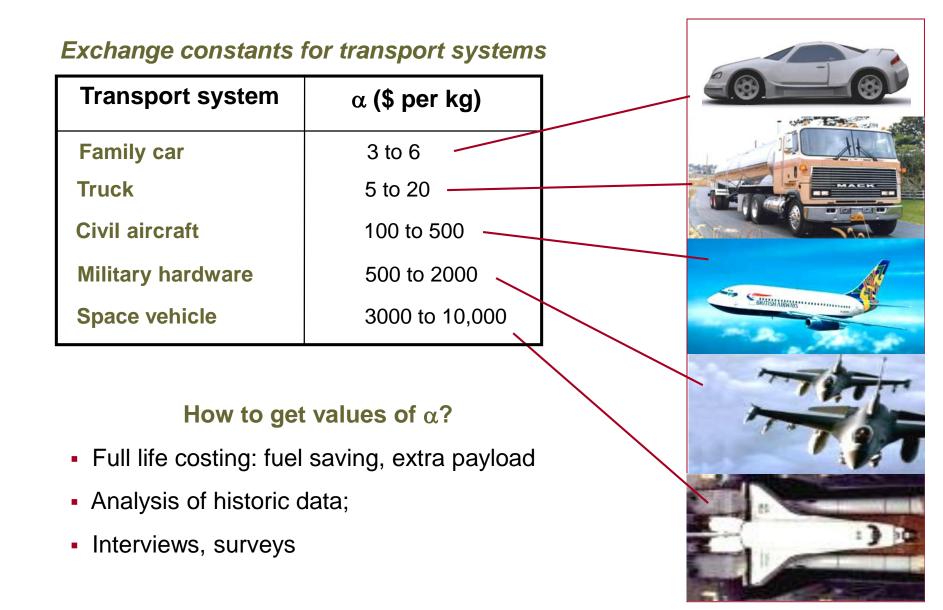
But what is the meaning of $\boldsymbol{\alpha}$?

Materials for transport systems

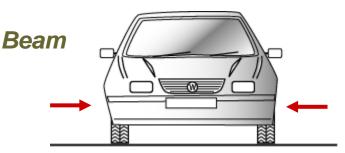


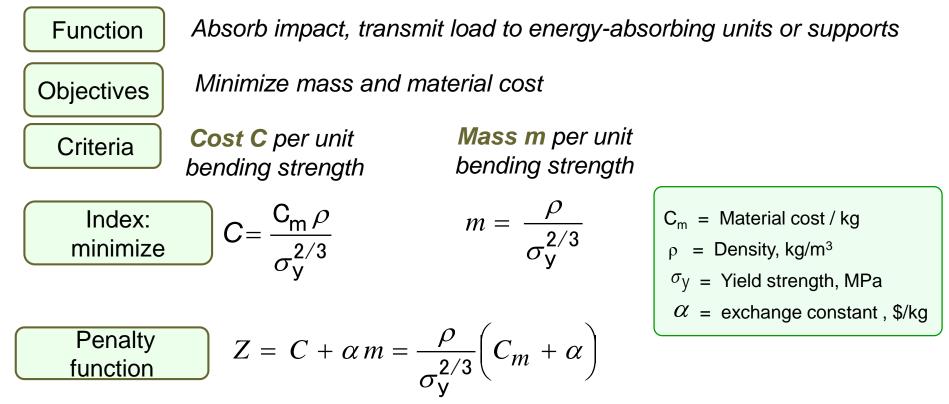
Must first establish exchange constant, α

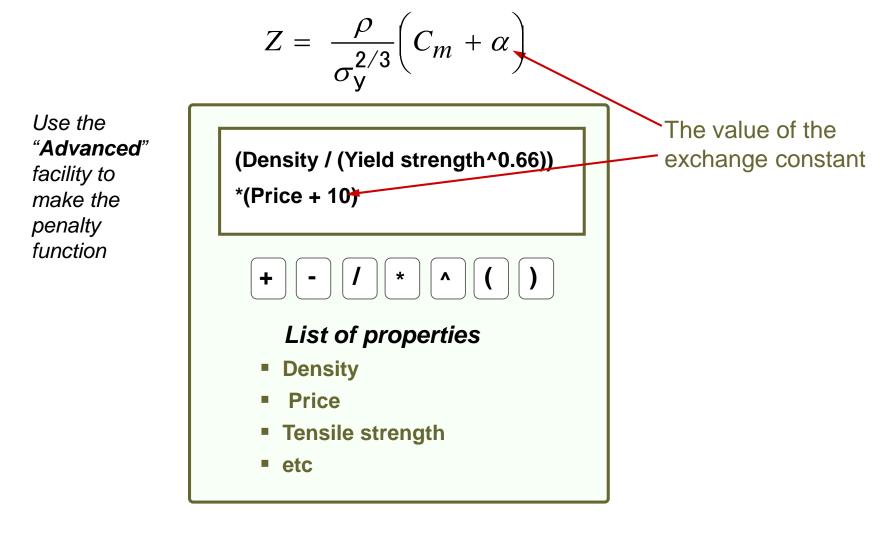
The exchange constant α for transport

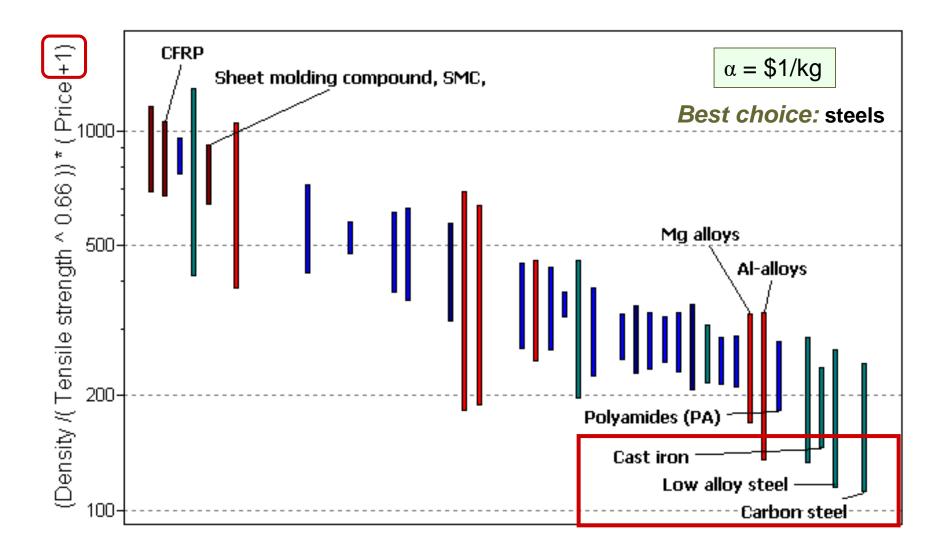


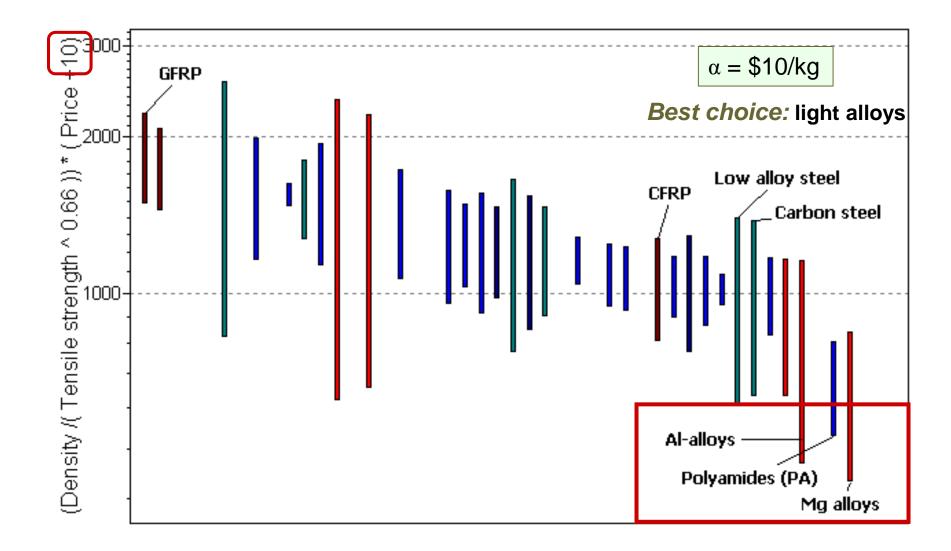
Materials for auto bumpers

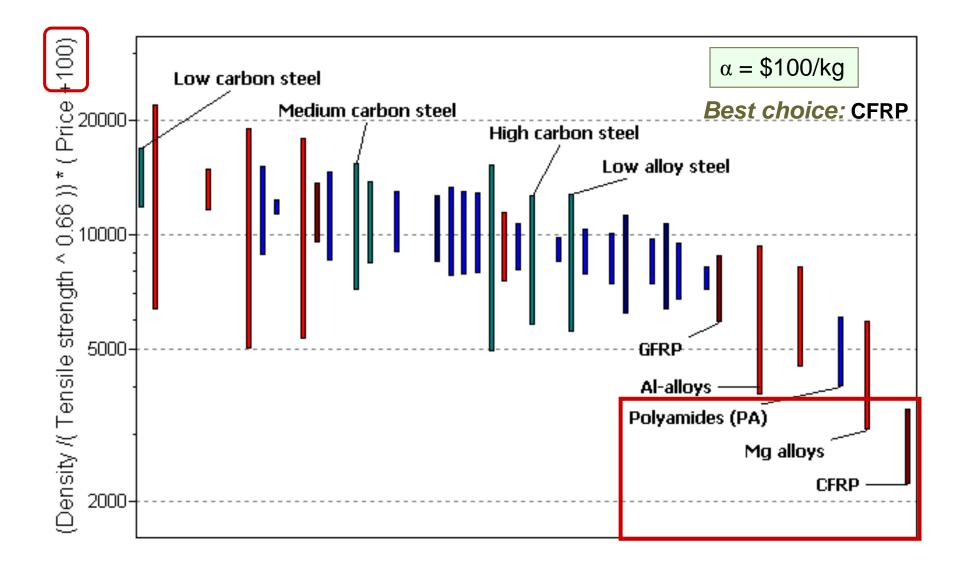






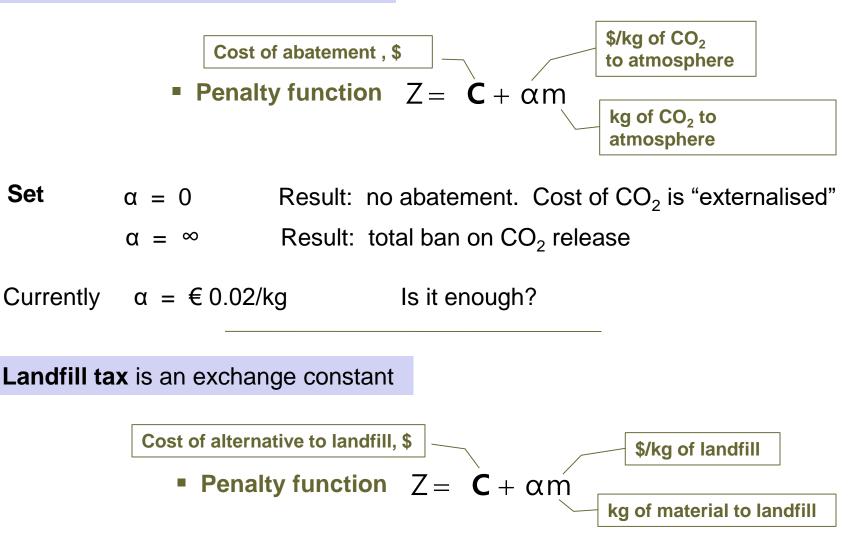






Other exchange constants

Carbon tax is an exchange constant



Currently $\alpha = \notin 0.08/kg$ Is it enough?

Demo

