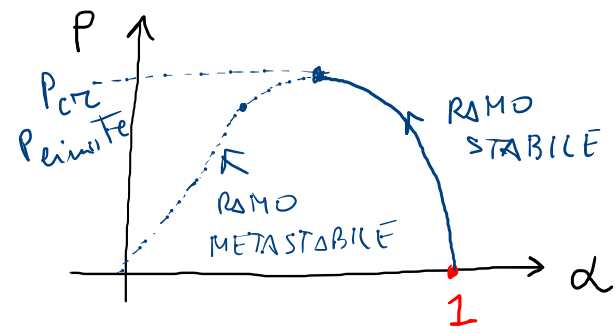
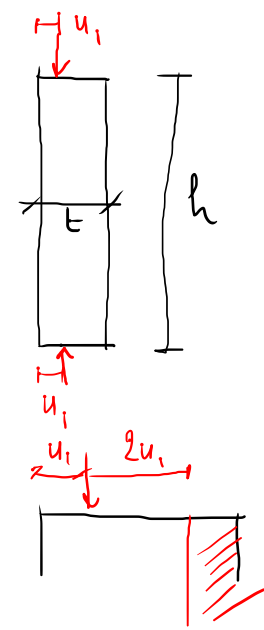
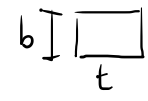
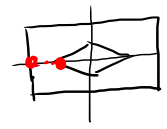
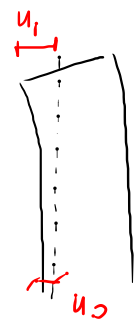


..... $P = P(u_0)$



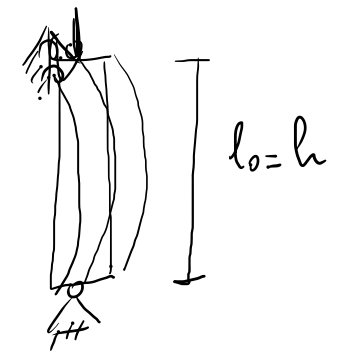
$P_{cr}(P_{lim}) = 0,265 P_{crEQ}$ (YOKEL)



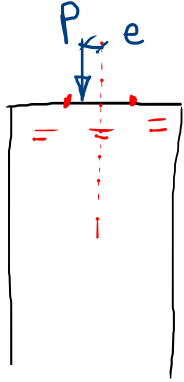
Stimiamo il carico critico di Eulero del pilastro equivalente

$$P_{crEQ} = \frac{\pi^2}{h^2} E I_{EQ}$$

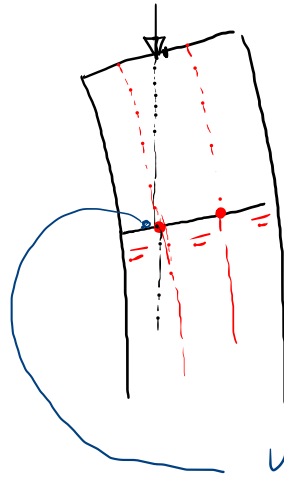
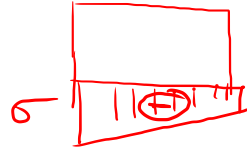
$$I_{EQ} = \frac{b (3u_1)^3}{12}$$



PROBL. "PICCOLA ECCENTRICITÀ" (SAHLIN, 1971 ; FRISCH-FAY, 1975)



P "piccoli"



TUTTO COMPRESSO (LINEA ELASTICA DI EULERO-BÉNARD)

INTERFACCIA (INCOGNITA)

SEZ PARZIALIZZATA

(MODELLO DI YOKEL - NO TENSION - MATERIAL -



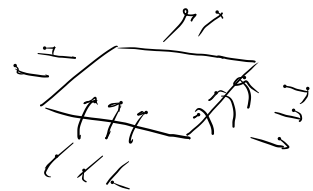
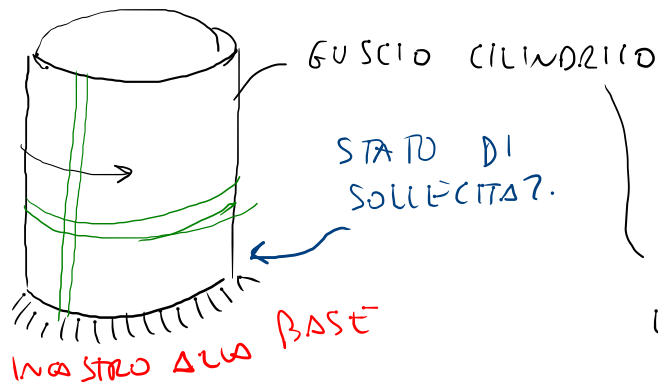
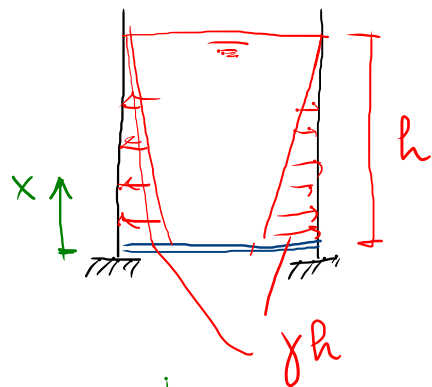
uguaglianza di spostamenti + C. CONTINUO

uguaglianza di rotazioni.

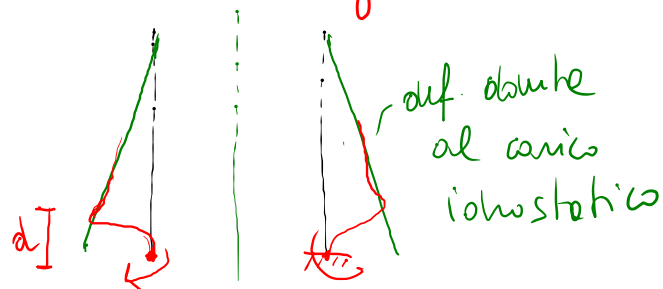
$\Downarrow$
 $P_{lim}, P_{cr} = f$ (parametri del problema)

ALCUNI PROBLEMI DELLA STATICA DEI SERBATOI CILINDRICI

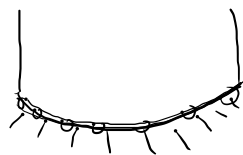
BELLUZZI VOL 3
TIMOSH. PLATES & SHELLS



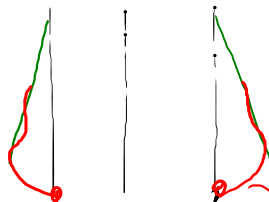
PIASME INFLESSE CON
UN ASSE DI CURVATURA



L'EFFETTO DELL'INASTRO
SI SMORZA UNA CERTA
DISTANZA

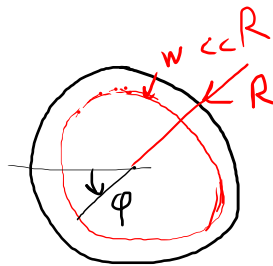
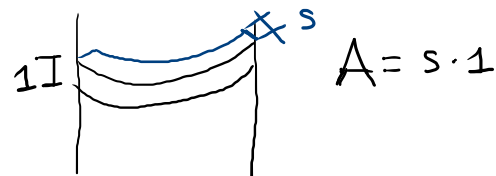
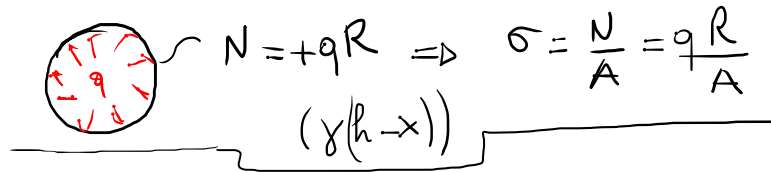


CERNIERE
ALLA BASE



SOLUZ. COMPLETA

STUDIO DEL PARALLELO



DEFORMAZIONE LONGITUDINALE

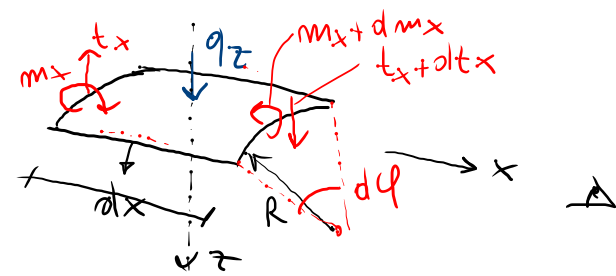
$$\epsilon_{\varphi} = \frac{l - l_0}{l_0} = \frac{2\pi(R-w) - 2\pi R}{2\pi R} = \frac{R-w-R}{R} = -\frac{w}{R} \quad \text{DEFORMAZIONE (ACCORCIAMENTO)}$$

$$\epsilon_{\varphi} = \frac{\sigma_{\varphi}}{E} = \frac{N}{AE} \rightarrow \frac{N_{\varphi}}{EA} = -\frac{w}{R}$$

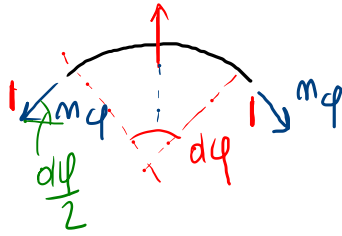
$$\Rightarrow N_{\varphi} = -\frac{EA}{R} w \Rightarrow$$

$$m_{\varphi} = -\frac{Es \cdot w}{R}$$

SF. NORMALE PER UNITÀ DI LUNGHEZZA DEL CILINDRO



$\left\{ \begin{matrix} m \\ t \end{matrix} \right\}$: AZIONI PER UNITÀ DI LUNGHEZZA



$d\varphi/2$
 $2 m_\varphi \frac{d\varphi}{2} = m_\varphi d\varphi$
 "CONTRIBUO" DI m_φ
 ALLE FORZE VERTICALI

SCRIVO EQ DI EQUILIBRIO
 LUNGO z (VERTICALE)

$$\cancel{t_x R d\varphi} - (\cancel{t_x + dt_x} R d\varphi) - q_z R d\varphi dx - m_\varphi dx d\varphi = 0$$

$$-\frac{dt_x}{dx} - q_z - \frac{m_\varphi}{R} = 0 \quad ; \quad \boxed{\frac{dt_x}{dx} + \frac{m_\varphi}{R} = -q_z}$$

L'EQUIL. ALLA ROTAZIONE FORNISCE

$$\left[\frac{dm_x}{dx} = t_x \right]$$