

INTRODUZIONE

GRANDEZZE FISICHE

Caratteristica di un corpo o di un fenomeno naturale a cui si può associare in modo **riproducibile** uno o più valori numerici

definizione operativa

GRANDEZZA

misura
→

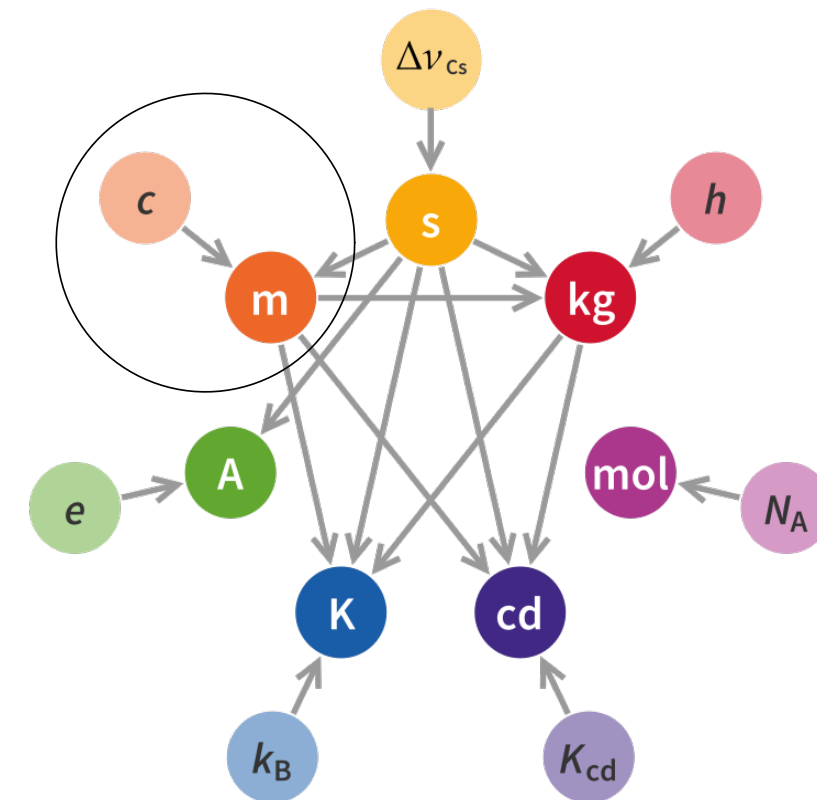
VALORI
NUMERICI

Grandezza	Dimensione	Unità
Lunghezza	L	m
Tempo	T	s
Massa	M	kg
Area	L ²	m ²
Volume	L ³	m ³
Densità	M/L ³	kg/m ³
...		

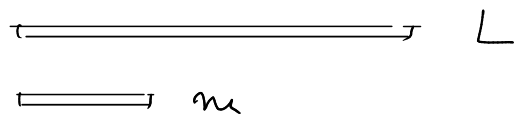
FONDAMENTALI

DERIVATE

Sistema internazionale (SI) : m, s, kg

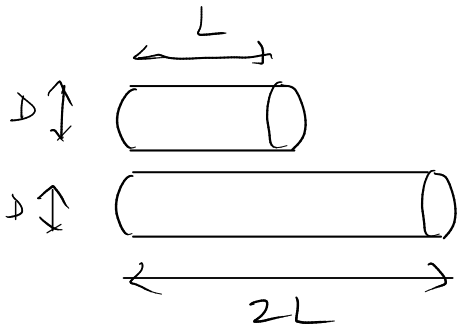


Misura diretta: confronto grandezza con campione (unità)



$$\frac{L}{m} = 1,25 \quad L = 1,25 m$$

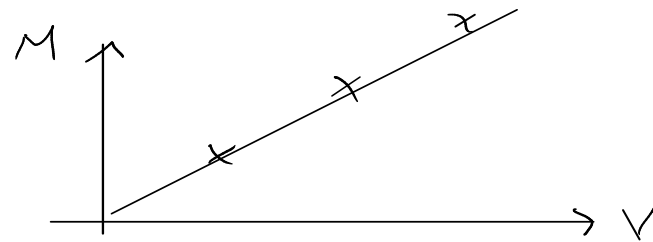
Misura indiretta: relazione matematica



Area: $A = \pi \left(\frac{D}{2}\right)^2$

Volume: $V = A \cdot L$

Densità: $\rho \equiv \frac{M}{V}$
↑
det.



$M \sim V$
prop. diretta

Aria: $\rho \approx 1 \frac{kg}{m^3} \rightarrow$ gas

Acqua: $\rho \approx 1000 \frac{kg}{m^3} \rightarrow$ liquidi / solidi

Gesso: $\rho \approx 2300 \frac{kg}{m^3}$

Conversione tra unità di misura

1) miglio anglosassone

$$60 \frac{\text{mi}}{\text{h}} = 60 \times 1.609 \frac{\text{km}}{\text{h}} = 96 \frac{\text{km}}{\text{h}}$$

$\frac{\text{mi}}{\text{km}} = 1.609$ $1 \text{ mi} = 1.609 \text{ km}$

2) velocità del suono nell'aria

$$c = 330 \frac{\text{m}}{\text{s}} = 330 \times \frac{10^{-3} \text{ km}}{\frac{1}{3600} \text{ h}} = 330 \times 10^{-3} \times 3600 \frac{\text{km}}{\text{h}} = 330 \times \cancel{10^{-3}} \times 3.6 \times \cancel{10^3} \frac{\text{km}}{\text{h}}$$
$$\approx 1000 \frac{\text{km}}{\text{h}}$$

3) densità acqua

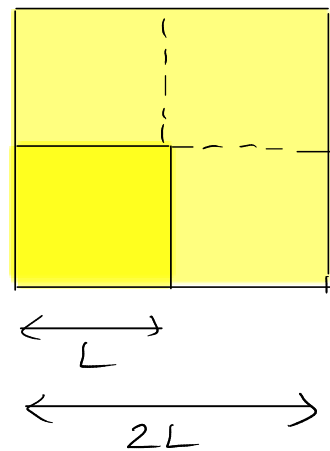
$$\rho = 10^3 \frac{\text{kg}}{\text{m}^3} = ? \frac{\text{g}}{\text{cm}^3} \quad (\underline{1})$$

LEGGI DI SCALA

Di quanto cambia una caratteristica di un corpo se cambio la "scala di lunghezza" del corpo stesso?



L'



$$L \rightarrow L' = 2L$$

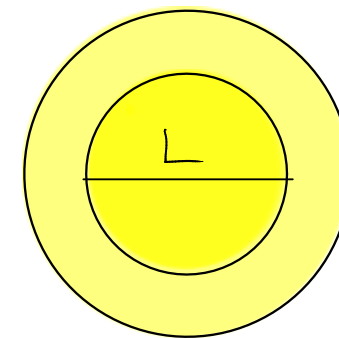
$$A \rightarrow A' = 4A$$

$$A' = L'^2$$

$$= (2L)^2$$

$$= 4L^2$$

$$= 4A$$



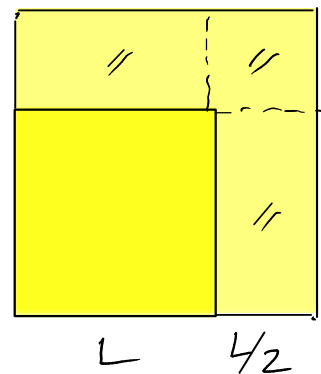
$$L \rightarrow L' = \alpha L$$

$$A \rightarrow A' = \pi \left(\frac{L'}{2}\right)^2$$

$$= \pi \left(\frac{\alpha L}{2}\right)^2$$

$$= \alpha^2 \pi \left(\frac{L}{2}\right)^2$$

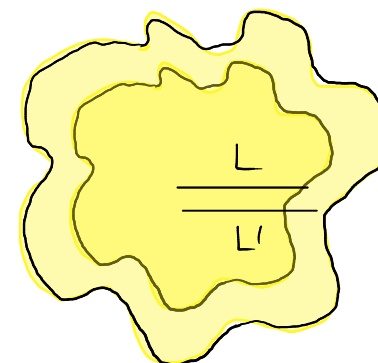
$$= \alpha^2 A$$



$$L \rightarrow L' = \frac{3}{2} L$$

$$A \rightarrow A' = \frac{9}{4} A$$

(es.)



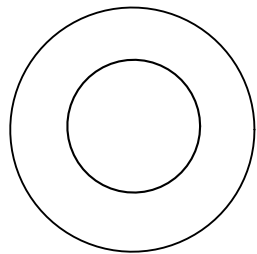
$$L \rightarrow L' = \alpha L$$

$$A \rightarrow A' = \alpha^2 A$$

$$A \sim L^2$$

Variatione assoluta: $\Delta A \equiv A' - A = 3A$

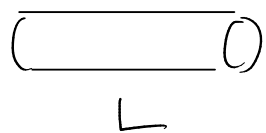
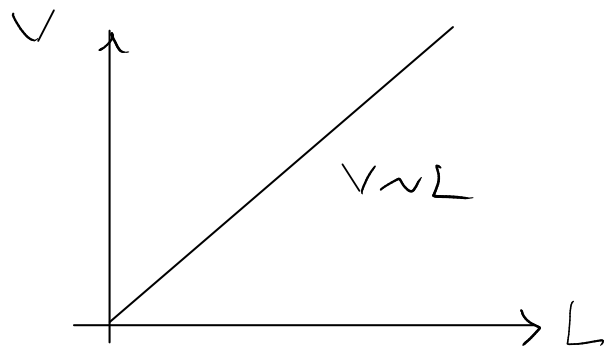
Variatione relativa: $\frac{\Delta A}{A} = 3 = 300\%$



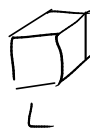
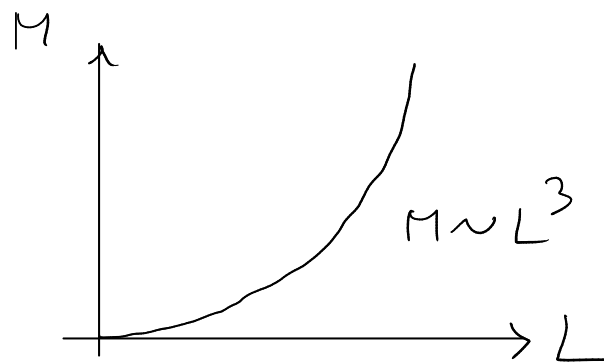
$$L \rightarrow L' = \frac{3}{2} L$$

$$N \rightarrow N' = c L'^2 = c \left(\frac{3}{2} L\right)^2 = \frac{9}{4} c L^2 = \frac{9}{4} N$$

$$\frac{\Delta N}{N} = \left(\frac{9}{4} - 1\right) N / N = \frac{5}{4} = 125\%$$



⚠ area di base cost



Legge di potenza

$$Y \sim X^a \quad a \in \mathbb{R}$$

$$Y = c X^a \quad Y = Y(X)$$

$$X_i \rightarrow X_f$$

$$Y_i = Y(X_i) \rightarrow Y_f = Y(X_f)$$

$$\frac{Y_f}{Y_i} = \frac{c X_f^a}{c X_i^a} = \left(\frac{X_f}{X_i}\right)^a$$

□