

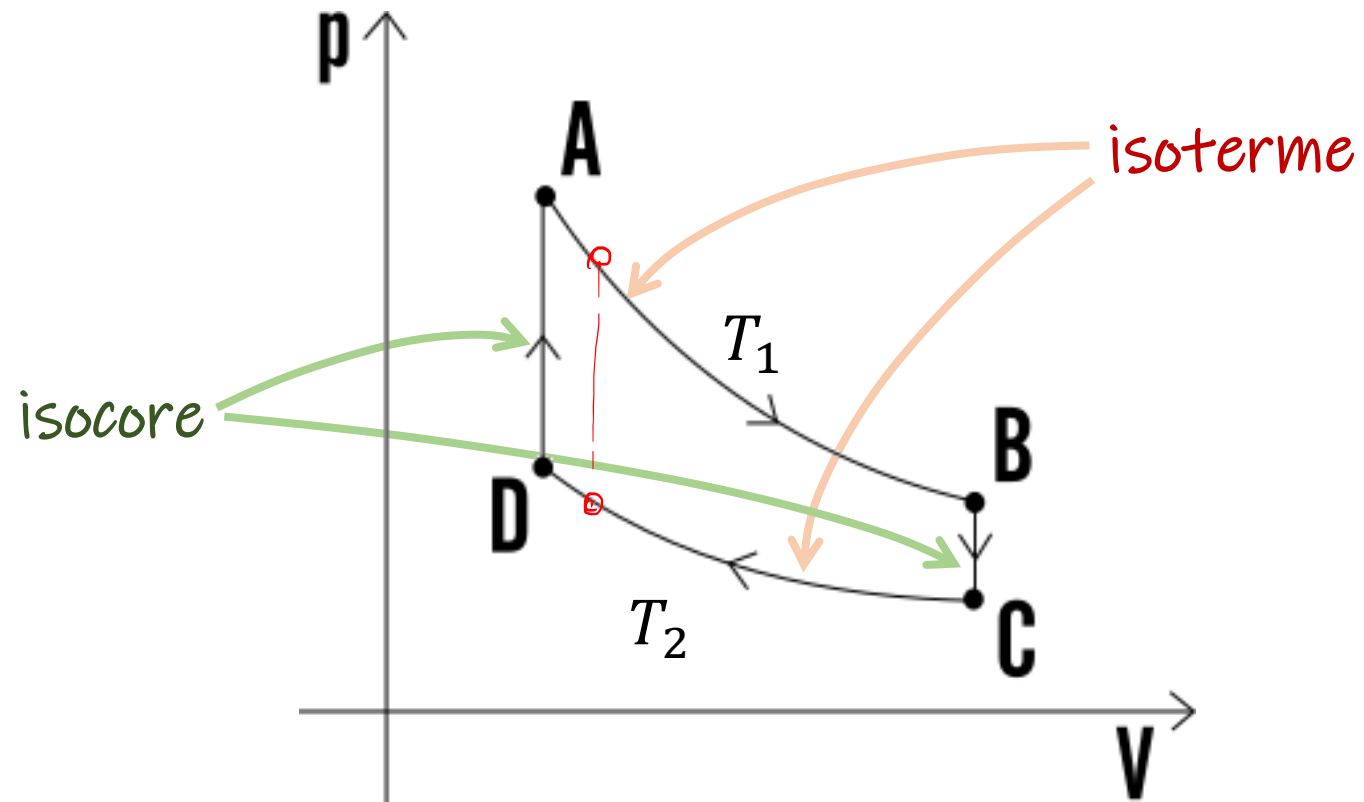
Fisica Generale 1

Termodinamica

Wooclap

Qual è la relazione tra T_1 e T_2 ?

$$pV = nRT$$



Wooclap

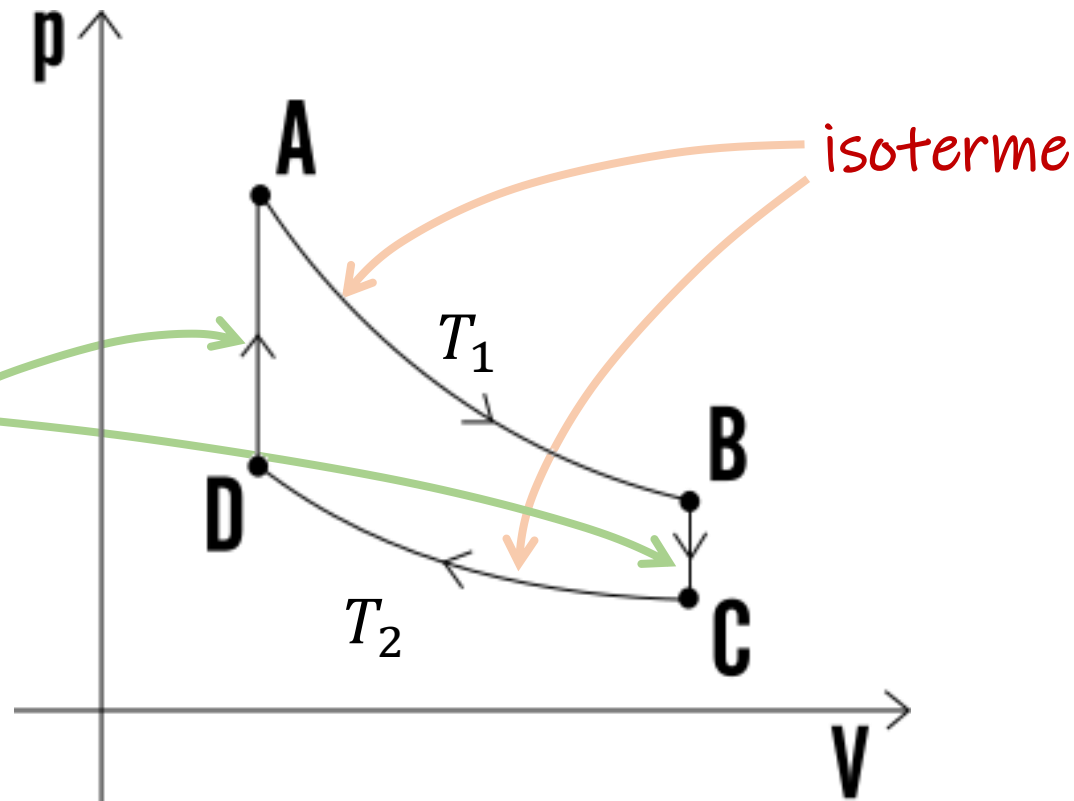
Durante quale/i trasformazione/i il sistema riceve calore dall'ambiente?

$$\begin{aligned} Q_{AB} &= \int_{V_A}^{V_B} p \, dV \\ &= \int_{V_A}^{V_B} \frac{nRT_1}{V} \, dV \\ &= nRT_1 \int_{V_A}^{V_B} \frac{dV}{V} \end{aligned}$$

$$= nRT_1 \ln\left(\frac{V_B}{V_A}\right) > 0 \text{ isocore}$$

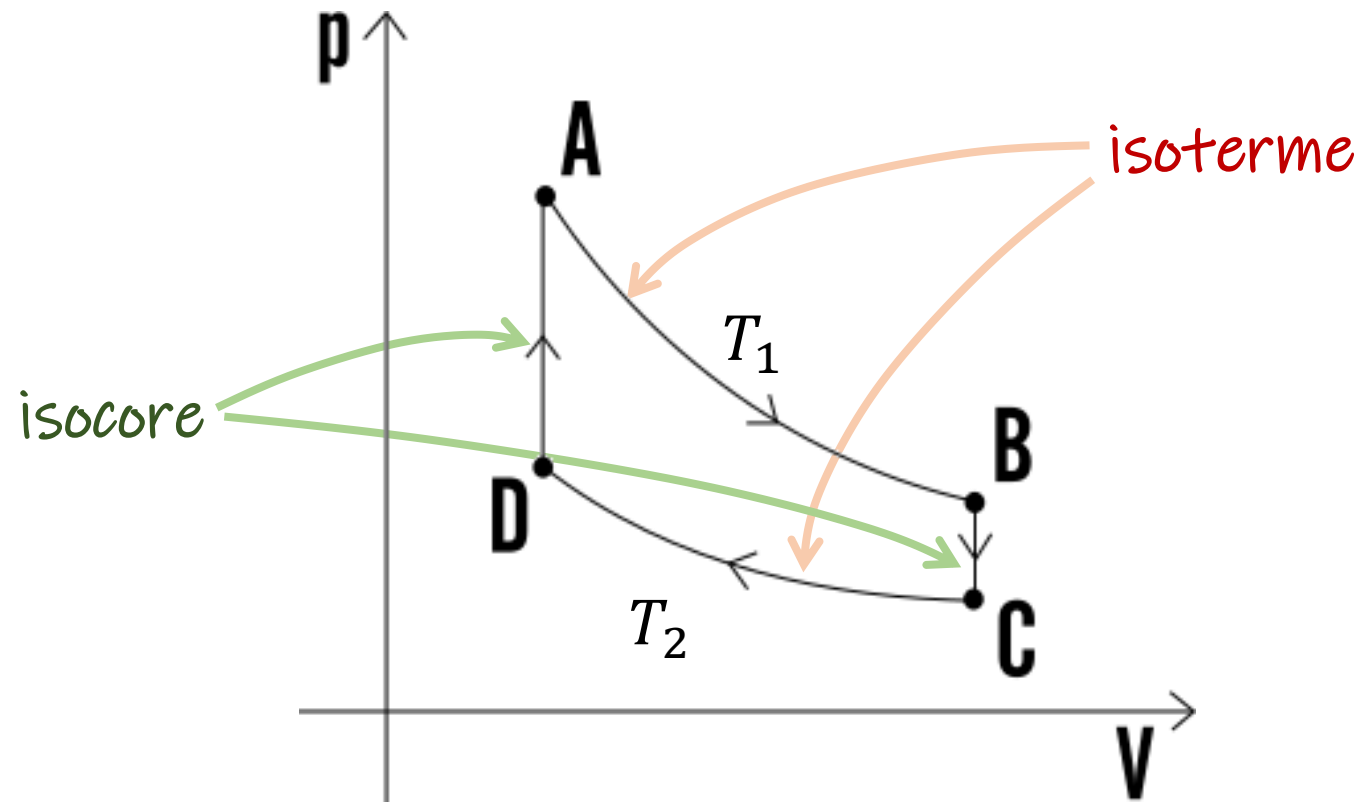
$$Q_{CD} = nRT_2 \ln\left(\frac{V_D}{V_C}\right) < 0$$

$$n C_v \Delta T$$



Wooclap

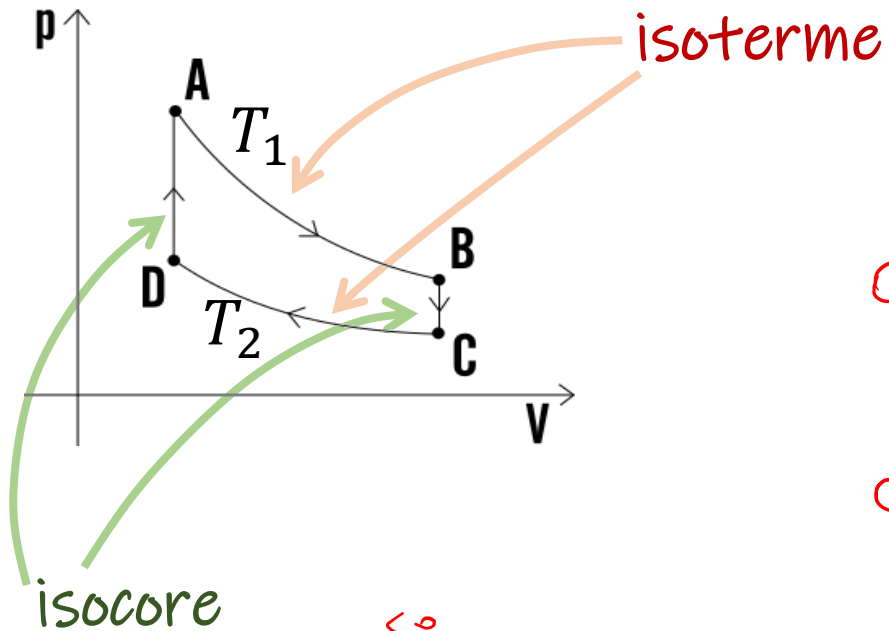
Durante quale/i trasformazione/i l'ambiente compie lavoro sul sistema?



Wooclap

Si calcoli il rendimento del ciclo, sapendo che $T_A = 380 \text{ K}$ $T_D = 280 \text{ K}$

$$V_A = 1 \text{ L} \quad V_B = 3 \text{ L}$$



$$\eta = \frac{W}{Q_c} = 1 - \frac{|Q_F|}{Q_c}$$

$$Q_c \begin{cases} Q_{DA} = nC_v(T_1 - T_2) = 1246 \text{ J} \\ Q_{AB} = nRT_1 \ln\left(\frac{V_B}{V_A}\right) = 3469 \text{ J} \end{cases}$$

$$Q_F \begin{cases} Q_{BC} = nC_v(T_2 - T_1) = -1246 \text{ J} \\ Q_{CD} = nRT_2 \ln\left(\frac{V_D}{V_C}\right) = -2556 \text{ J} \end{cases}$$

$$W = Q_{AB} + Q_{CD}$$

$$\eta = \frac{Q_{AB} + Q_{CD}}{Q_{DA} + Q_{AB}}$$

W

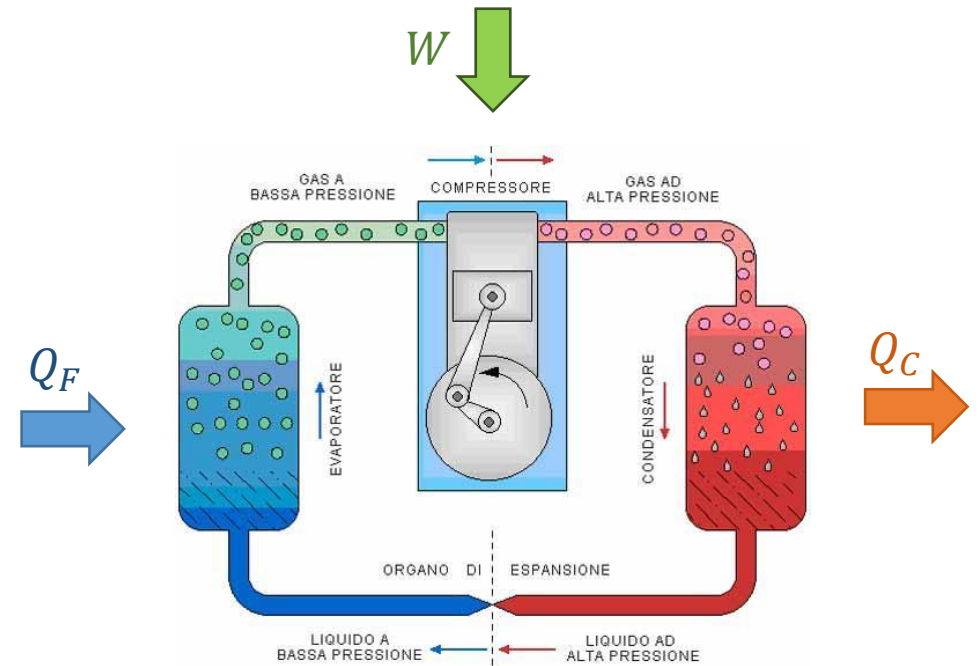
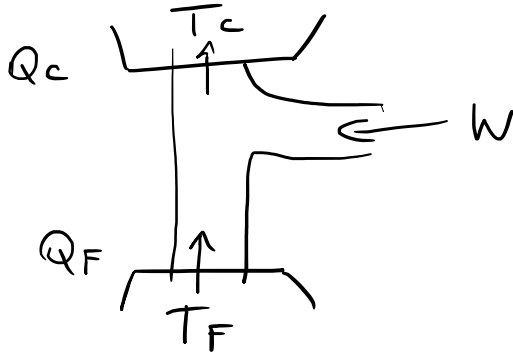
$$\eta = 1 - \frac{|Q_F|}{Q_c} = 1 - \frac{|Q_{BC} + Q_{CD}|}{Q_{DA} + Q_{AB}} = 0,19$$

Macchine Frigorifere

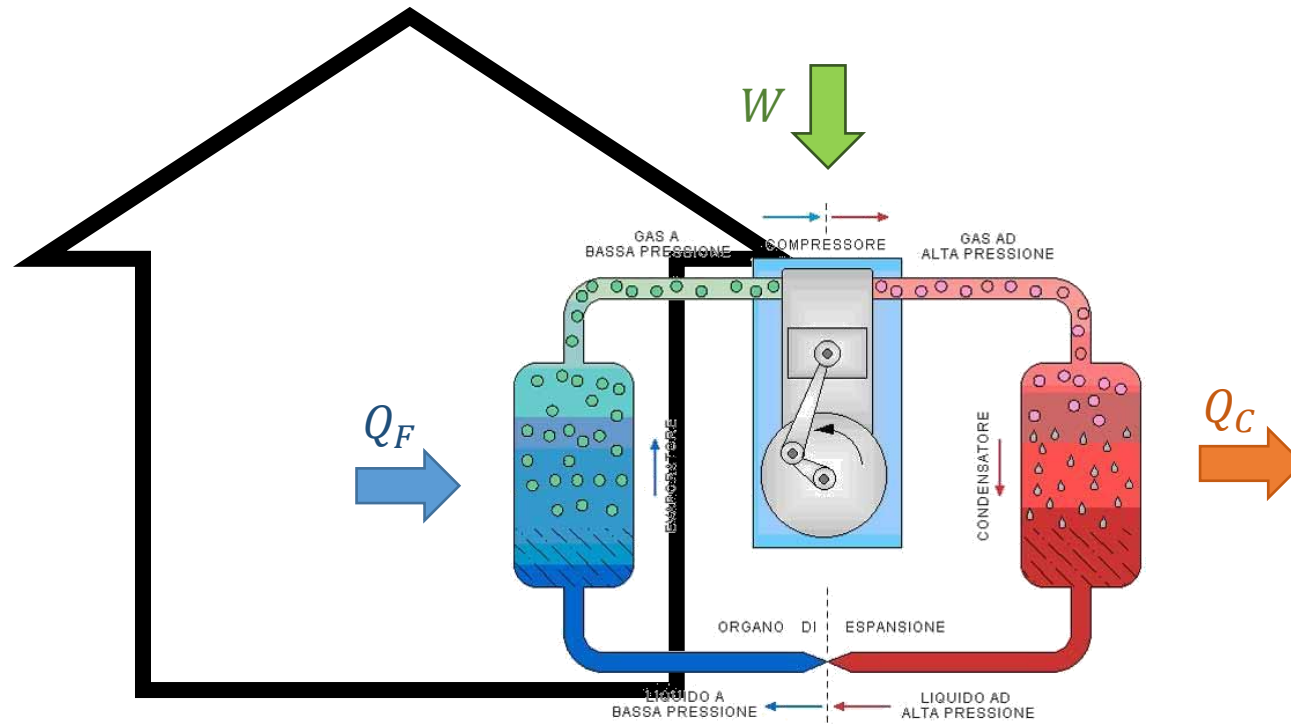
Coefficiente di prestazione

$$\left(\eta = \frac{W}{Q_c} \text{ macch. termiche} \right)$$

$$K = \frac{Q_F}{W}$$



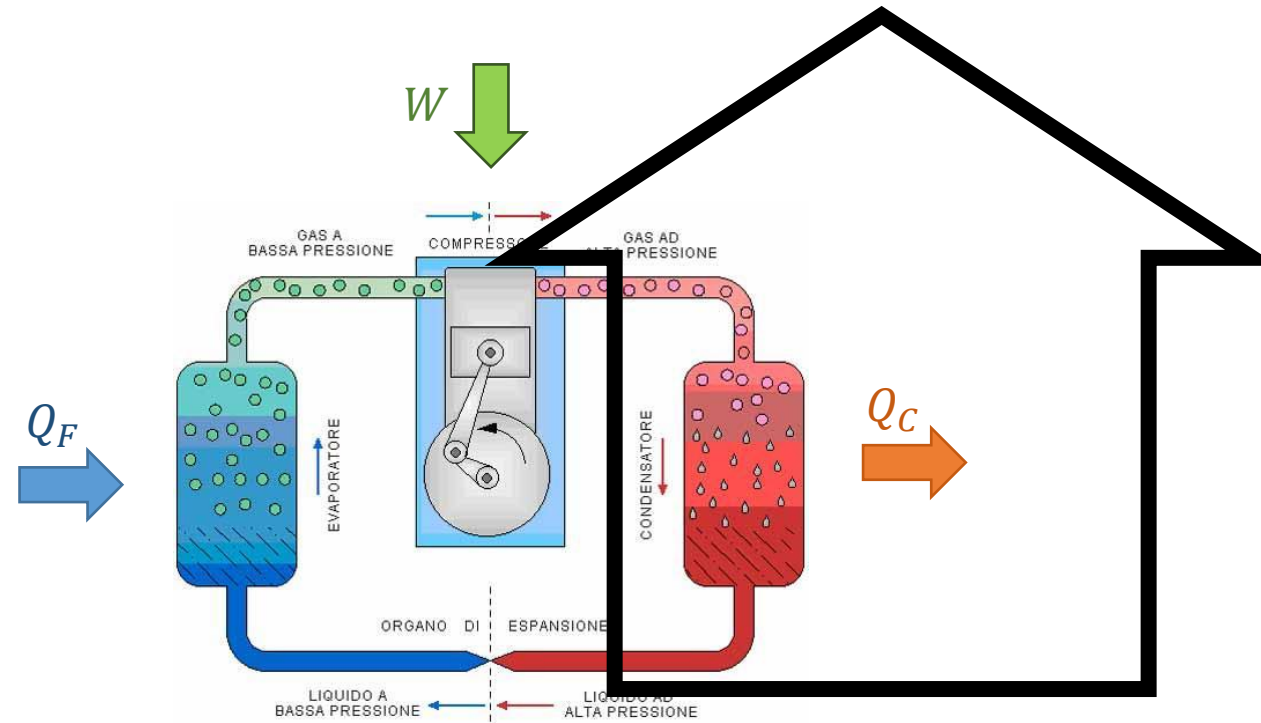
Macchine Frigorifere



Pompa di Calore

 η

$$K_{PC} = \frac{|Q_d|}{|W|}$$



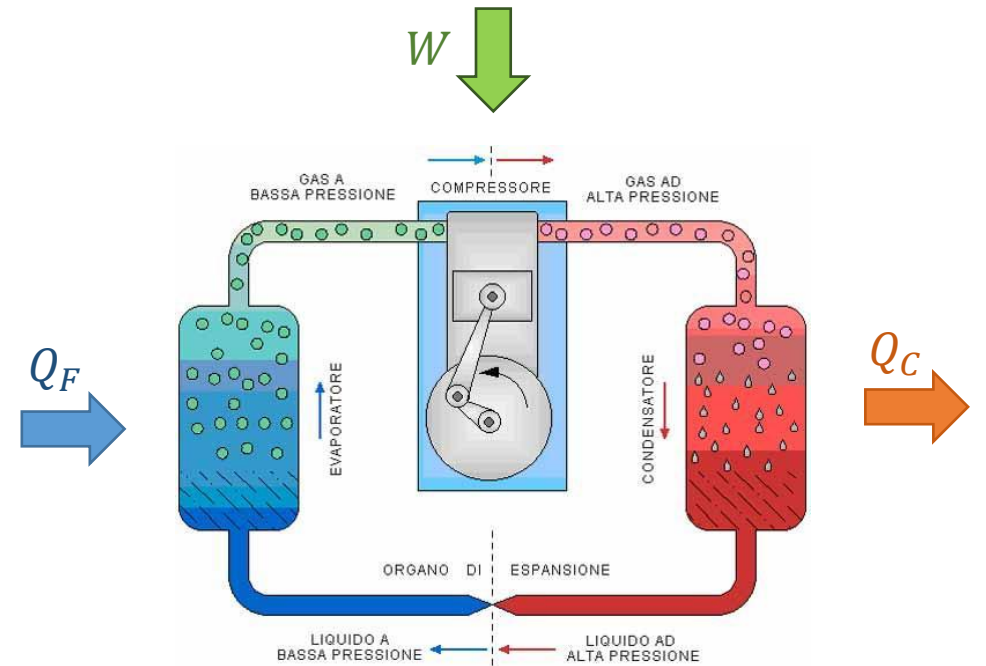
Enunciato di Clausius

$$K = \frac{Q_F}{|W|}$$

Coeff. di prestazione per
Macchine Frigorifere

$$K_{PC} = \frac{|Q_C|}{|W|}$$

Efficienza per Pompe di Calore



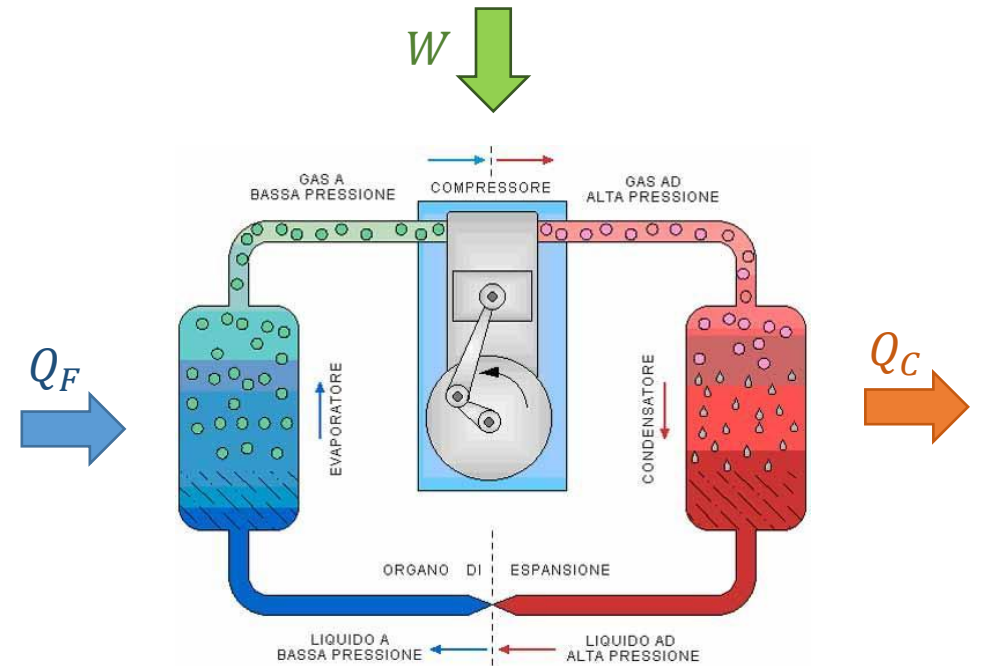
Enunciato di Clausius

$$K = \frac{Q_F}{|W|}$$

*Coeff. di prestazione per
Macchine Frigorifere*

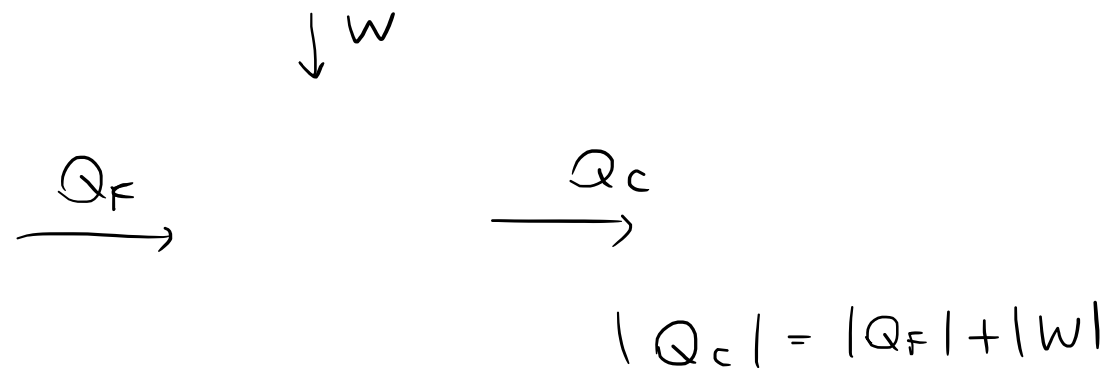
$$K_{PC} = \frac{|Q_C|}{|W|}$$

Efficienza per Pompe di Calore



Non è possibile realizzare una trasformazione il cui unico risultato sia il trasferimento di calore da una temperatura inferiore ad una superiore

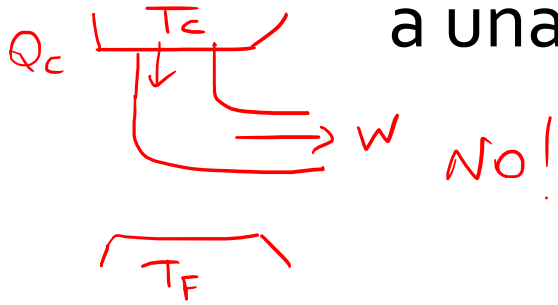
Posso raffreddare una stanza con un frigorifero?



Enunciati Secondo Principio

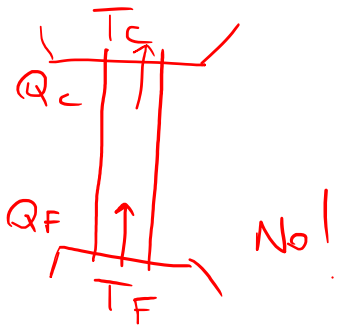
Non è possibile realizzare un ciclo che sottragga calore a una sorgente a temperatura uniforme e lo converta completamente in lavoro

Kelvin-Planck

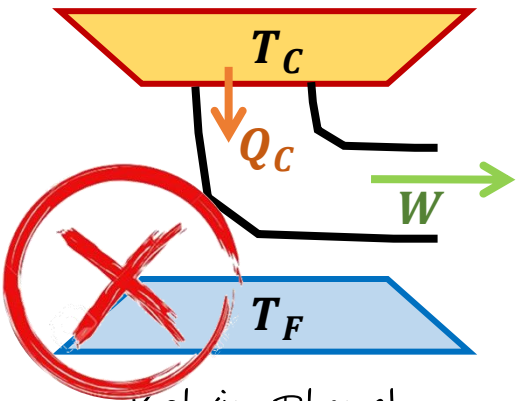


Non è possibile realizzare una trasformazione il cui unico risultato sia il trasferimento di calore da una temperatura inferiore ad una superiore

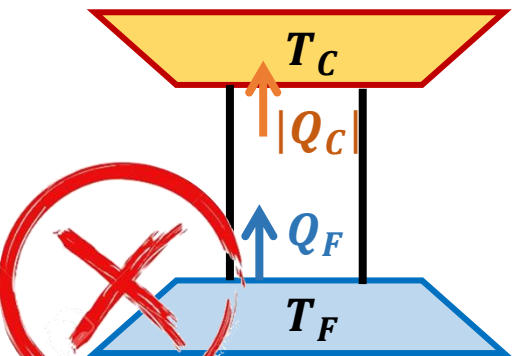
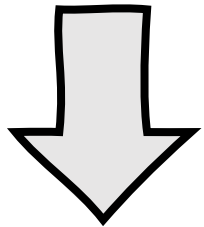
Clausius



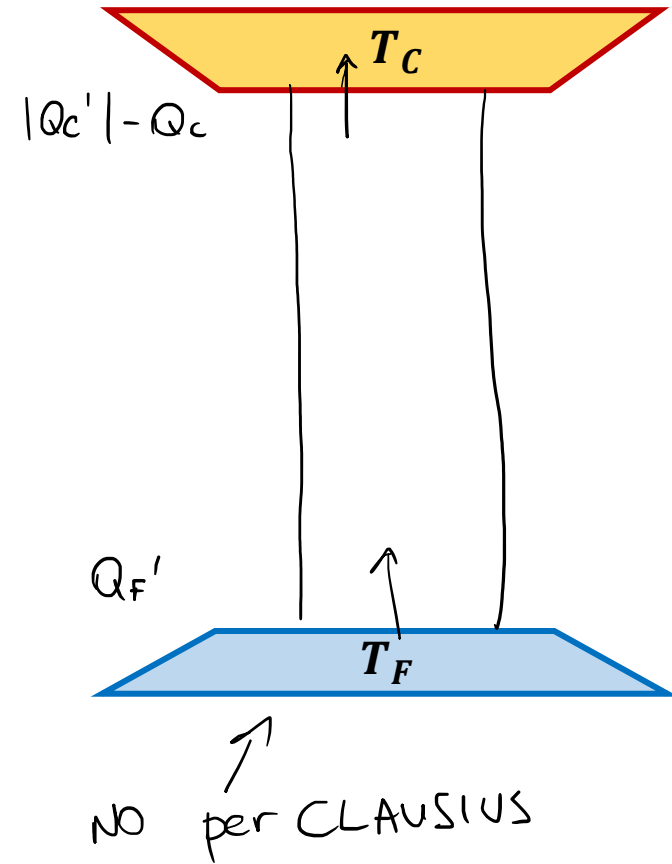
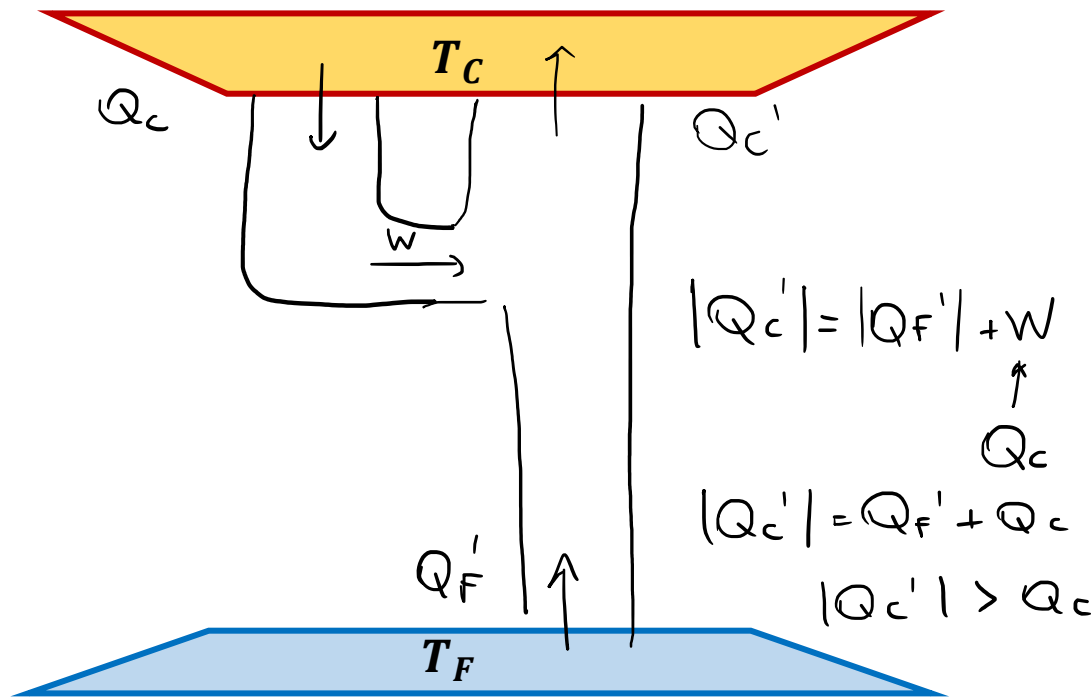
Equivalenza Enunciati



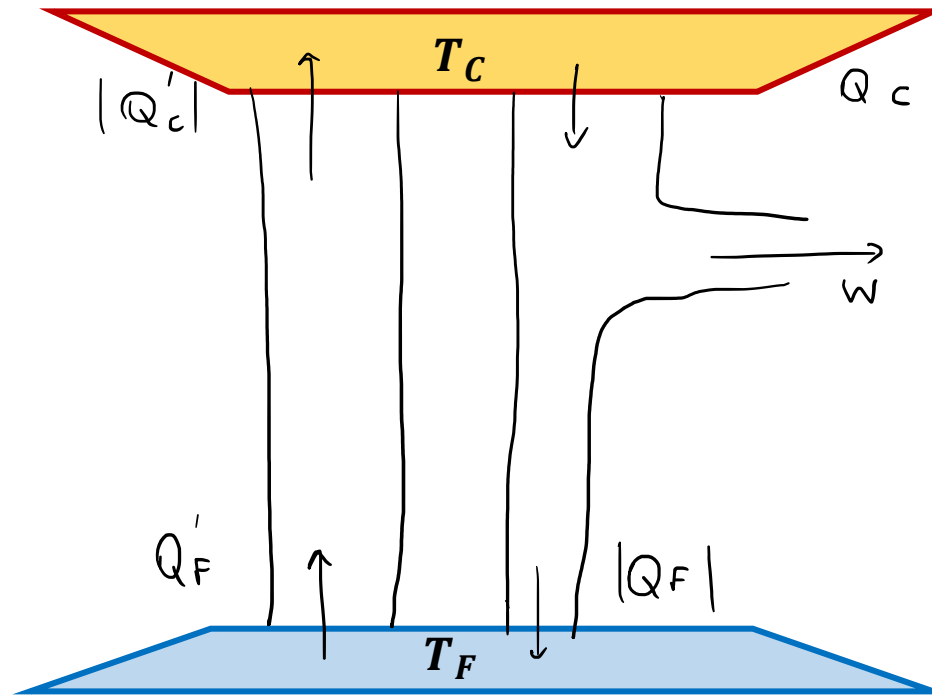
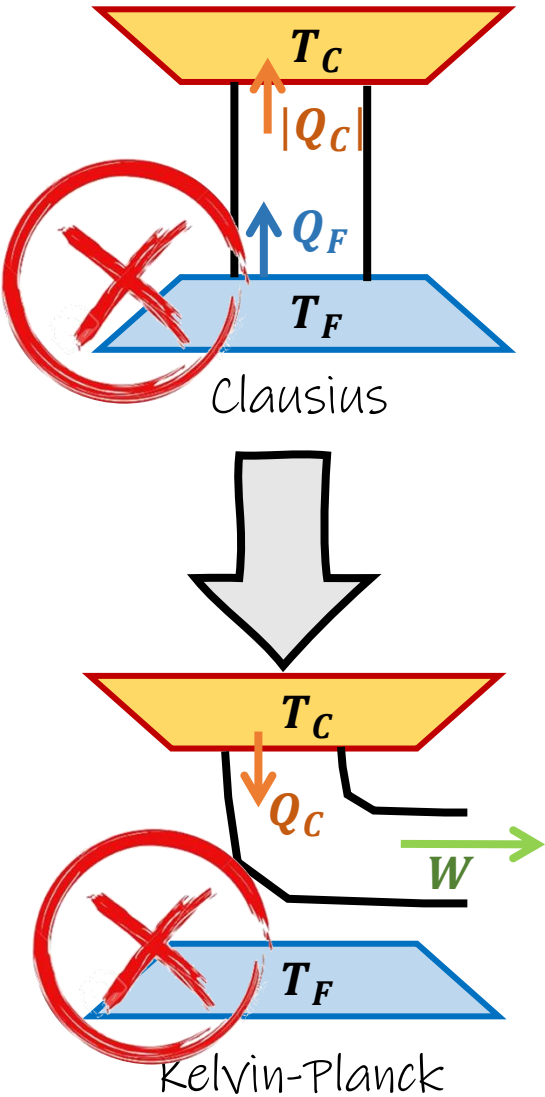
Kelvin-Planck



Clausius



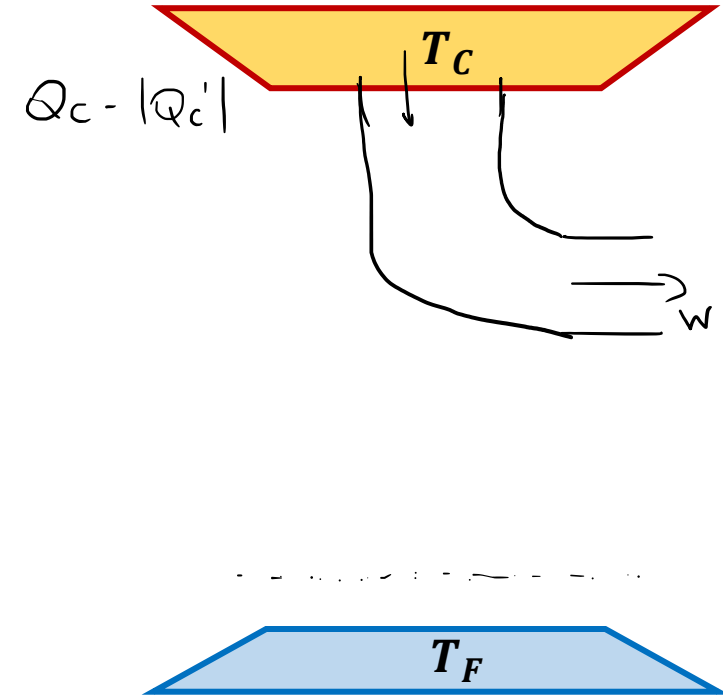
Equivalenza Enunciati



$$Q_F' = |Q_F|$$

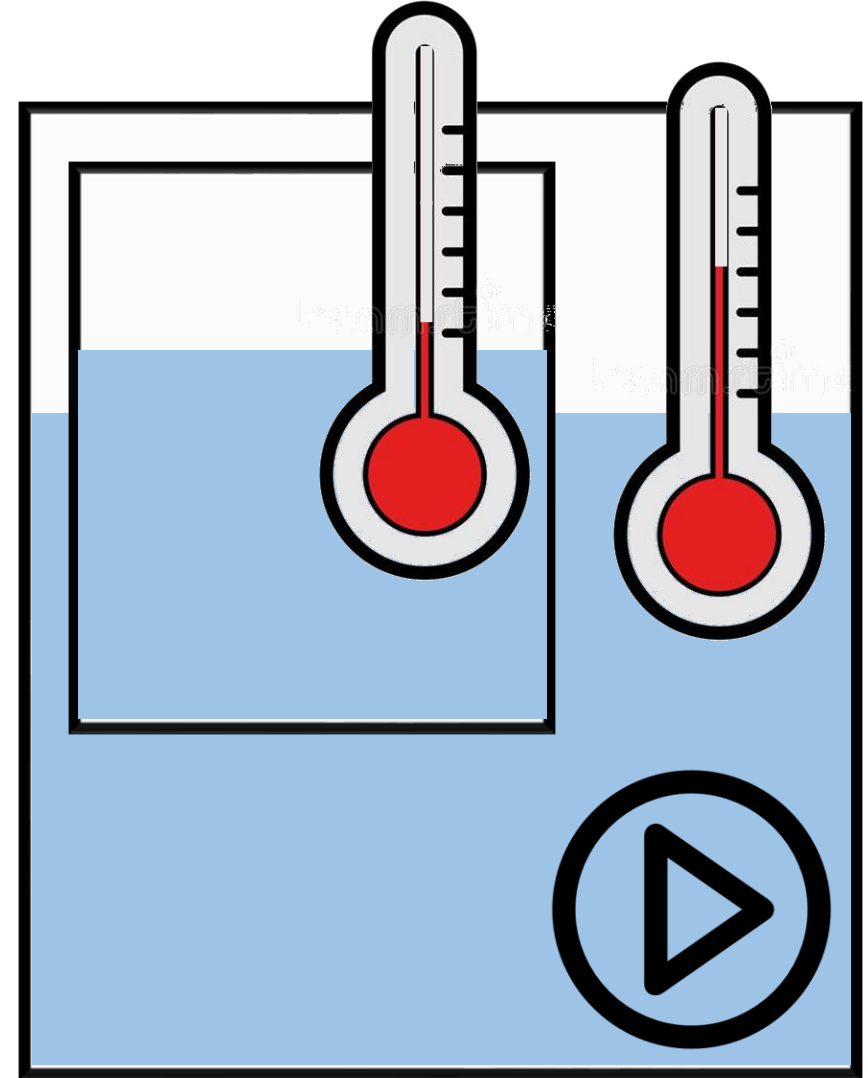
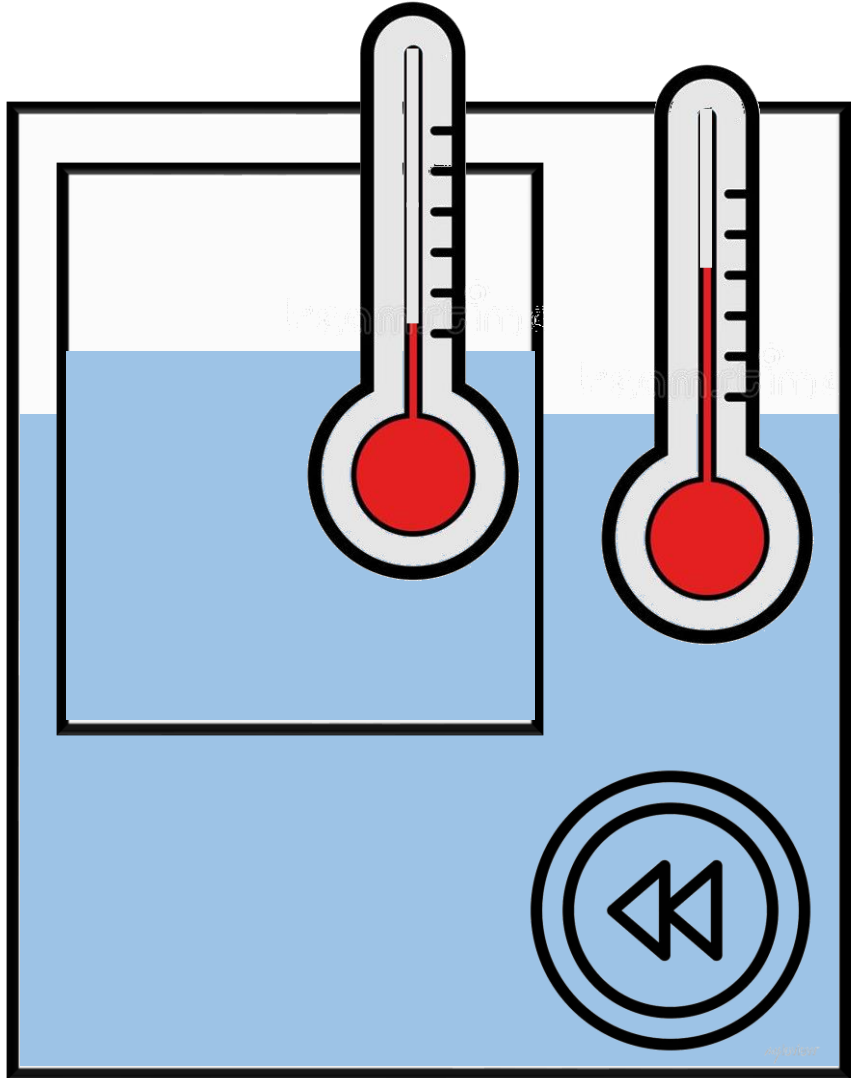
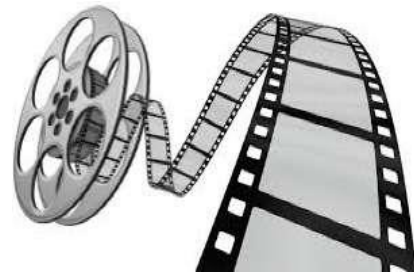
$$|Q_C'| = Q_F' = |Q_F|$$

$$Q_C = W + \underbrace{|Q_F|}_{Q_C'}$$



$$Q_C > |Q_C'|$$

Reversibilità



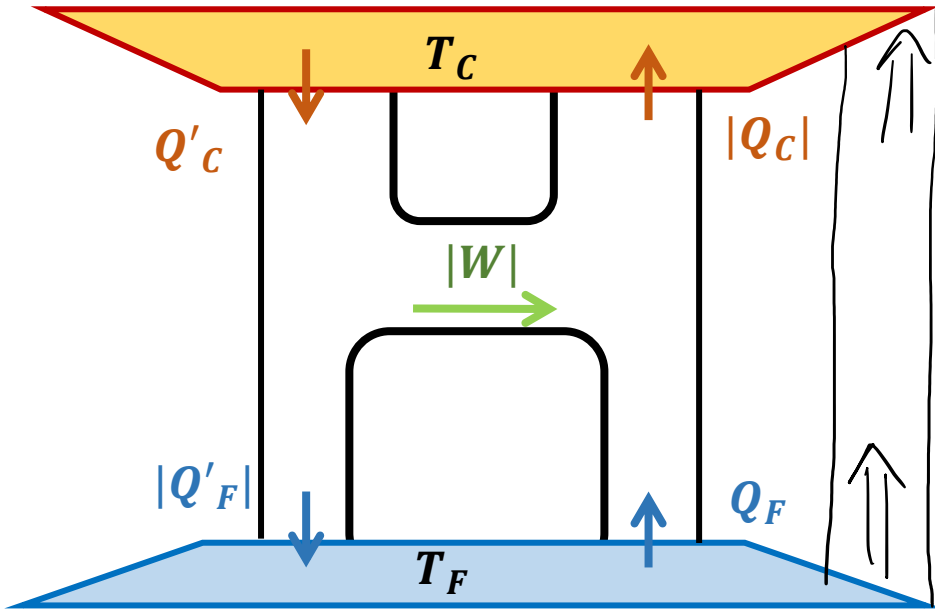
Macchine reversibili

Teorema di Carnot

Tutte le macchine reversibili che operano tra le temperature T_C e T_F hanno il medesimo rendimento e nessuna macchina che funzioni tra queste due temperature può avere rendimento maggiore.

Macchine reversibili

Teorema di Carnot



$$\eta = \eta'$$

per assurdo: $\eta \neq \eta'$

$$\eta' > \eta$$

$$\eta' = \frac{|W|}{|Q'_C|}$$

$$\eta = \frac{|W|}{|Q_C|}$$

$$\frac{|W|}{|Q'_C|} > \frac{|W|}{|Q_C|} \Rightarrow |Q_C| > |Q'_C|$$

$$|Q_C| - |Q'_C| > 0$$

$$W = |Q'_C| - |Q'_F|$$

$$|Q'_C| - |Q'_F| = |Q_C| - |Q_F|$$

$$W = |Q_C| - |Q_F|$$

$$|Q_F| - |Q'_F| = |Q_C| - |Q'_C| > 0$$

$$|Q_F| - |Q'_F| > 0$$