



993SM – Laboratory of Computational Physics lecture I – I part Sept. 25, 2023

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And you?

<https://www.menti.com/al7fyr7o428e>

or

<https://www.menti.com>

and enter the code

3152 8582

Computers in Physics: what is your experience?

<https://www.menti.com/aljohokzeb8h>

or

<https://www.menti.com>

and enter the code

8521 0628

Computers in Physics

- control of instruments
- data collection and analysis
- visualization
- symbolic manipulation
- . . .

.....

- **numerical analysis:** to solve equations which could not be tackled by analytical methods.
- **simulations:** to model and study physical phenomena with numerical techniques. This means doing virtual experiments in which our representation of the physical reality, though necessarily schematic and simplified, can be tuned and varied at will.

Introduction

(1) Computational Physics

- Simulations and “what-if” experiments
- Deterministic and stochastic approaches
- A few examples

(2) This course

(3) Other Courses concerning computational Physics in our Physics training track

(4) Local resources

(1) Computational Physics

The birth of computational physics

A PROBLEM for the MANIAC computer (Los Alamos, 1955)



Fermi-Pasta-Ulam-Tsingou

The birth of computational physics

A PROBLEM for the MANIAC computer (Los Alamos, 1955)

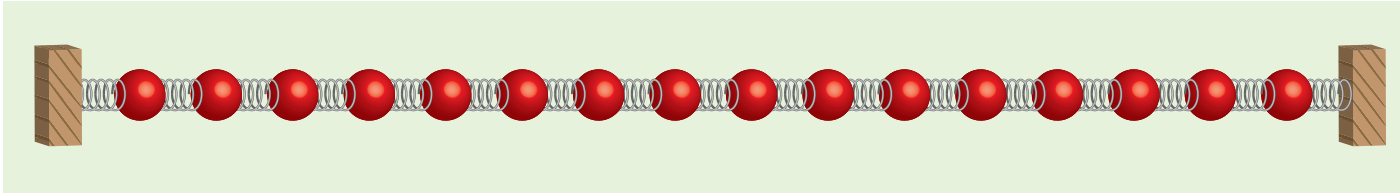
thermalization!



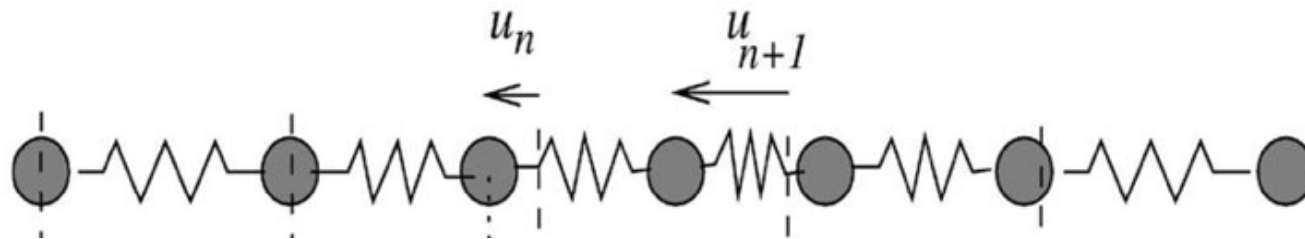
<https://discover.lanl.gov/publications/national-security-science/2020-winter/we-thank-miss-mary-tsingou/>

The birth of computational physics

PROBLEM: Fermi-Pasta-Ulam-Tsingou 1955



A chain of N particles linked by springs
(one-dimensional analogue of atoms in a crystal)

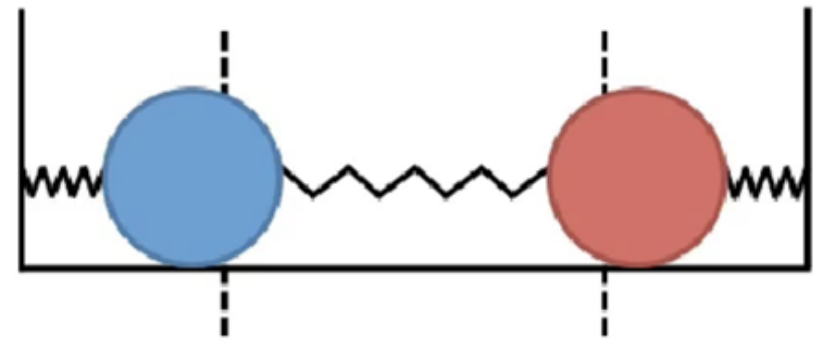
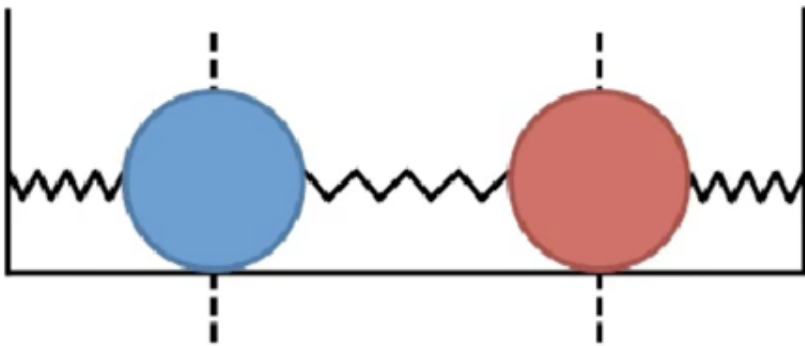


Linear interaction (Hooke's law):

there are N 'normal' modes

(i.e., patterns of motion in which all parts of the system oscillate with the same frequency and with a fixed phase relation)

Example with 2 oscillators: 'normal' modes

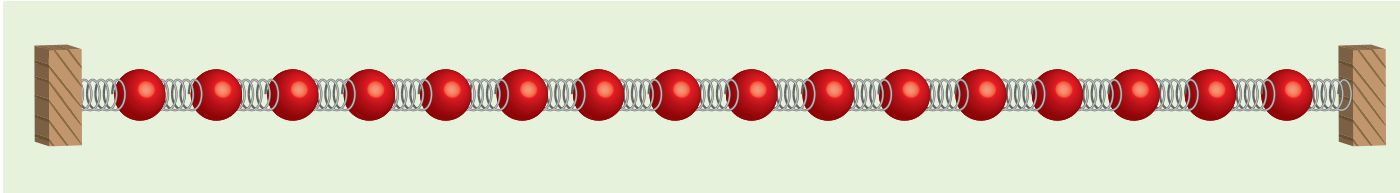


http://fisicaonemusica.unimore.it/Oscillatori_accoppiati.html

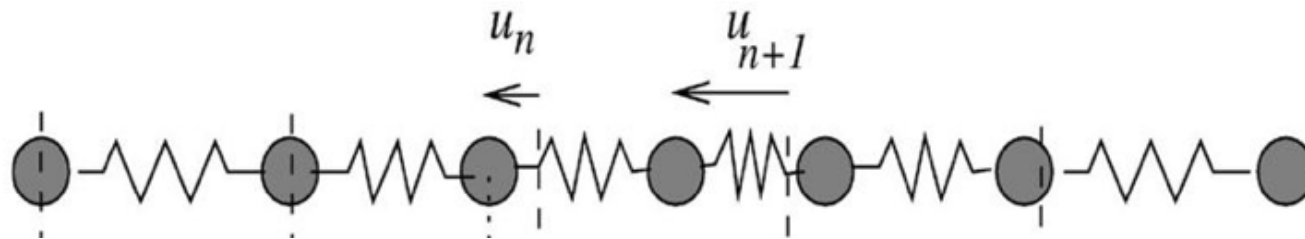
More on: https://fisicaonemusica.unimore.it/Catena_di_Fermi-Pasta-Ulam.html

The birth of computational physics

PROBLEM: Fermi-Pasta-Ulam-Tsingou 1955



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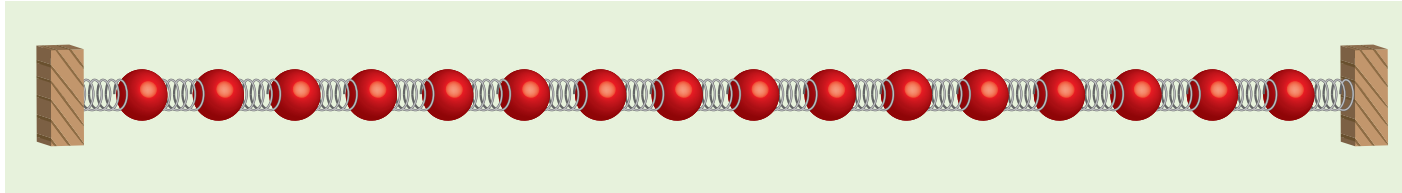


Linear interaction (Hooke's law):
analytical solution

The energy given to a single 'normal' mode
always remains in that mode.

The birth of computational physics

PROBLEM: Fermi-Pasta-Ulam-Tsingou 1955



in presence of a weak non linear coupling (quadratic or cubic correction to the linear term), which modes will be excited after a long enough time?

Expected behavior based on *the equipartition theorem*:
the energy will be equally distributed among all the degrees of freedom of the system.

However: analytical solution impossible

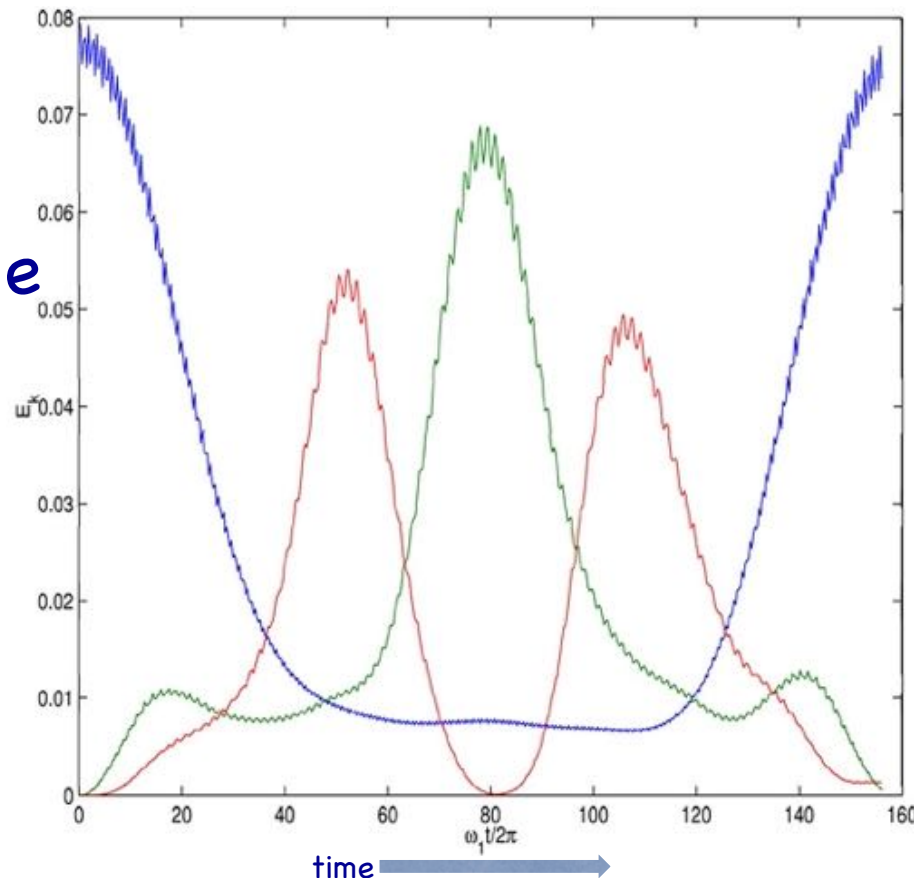
The birth of computational physics

PROBLEM: Fermi-Pasta-Ulam-Tsingou 1955

Numerical solution with MANIAC (originally: calculations for $N=5$)

Energy vs. time
for the first
three modes:

$K= 1 \quad 2 \quad 3$



here: $N=32$;
after initial
excitation of the
mode $k=1$ and
157 periods,
almost all the
energy is back
to this mode !!!

Simulations as “virtual experiments”

A few similarities between experiments:

“real” (in lab)	“virtual” (computational)
sample	model and algorithms
physical apparatus	code
calibration of instruments	test of the code
measurements	numerical results
data analysis	data analysis

Simulations as “virtual experiments”

A few similarities between experiments:

“real” (in lab)	“virtual” (computational)
sample physical apparatus calibration of instruments measurements data analysis	model and algorithms code test of the code numerical results data analysis

With errors!!!

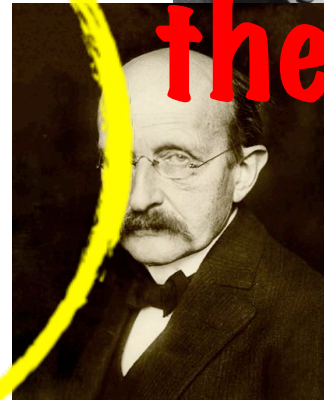
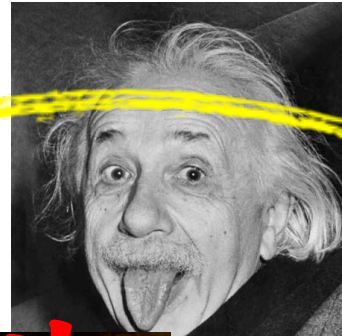


- Importance of simulations: “**what-if**” **experiments** (large flexibility in varying parameters; e.g. material properties can be studied also under conditions not accessible in real labs) ; **predictions**, not just description.
- Use of simulations: **not “final goal”, but “instruments”** to study and shed light on complex phenomena and/or systems with many degrees of freedom or many variables and parameters
- in the last decades, the numerical simulation has emerged as the third fundamental paradigm of science, beside theory and experiment

experience



theory



simulation



The purposes of the scientific calculus

- “The computer is a tool for clear thinking” (Freeman J. Dyson)
- “. . . whose [of the calculations] purpose is insight, not numbers” (Richard W. Hamming)

TWO different approaches for numerical simulations

- **deterministic**

Info can be obtained both on the equilibrium properties and on the dynamics of the system

- **stochastic (Monte Carlo, MC)**

Typically to simulate random processes, and/or sampling of most likely events

The deterministic approach

We can write the **equations of motion**
(Classical \Rightarrow Newton; Quantum \Rightarrow Schroedinger)

and we know the **initial condition**

the problem is related to the
numerical integration of differential equations
(or integral-differential in quantum problems)

(like the FPUT problem)

The deterministic approach

Numerical integration of the eqs. of motion:
discretization and iteration

Different algorithms according whether
the equation is 1st , 2nd order...
(the equation for the velocity is 1st order),
whether the force is dependent or not on the
velocity,
to which order...

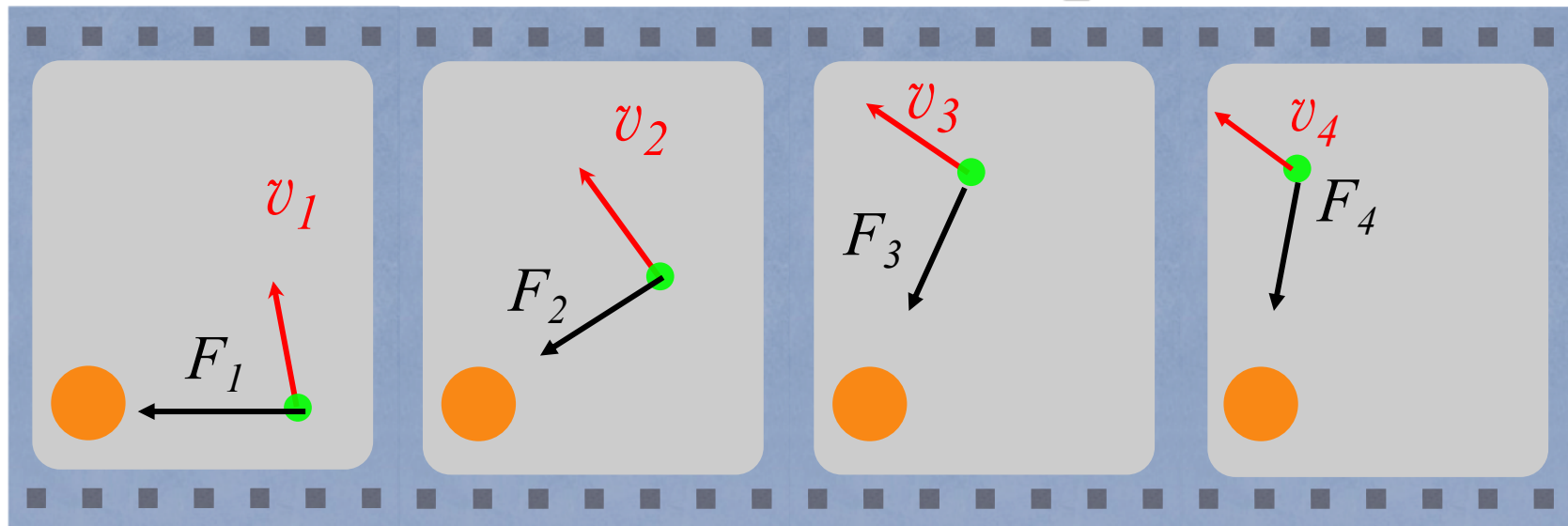
Examples =>

The deterministic approach

1) **Classical** Discretization of the equation of motion and iteration:

$$a(t) = m \frac{d^2 x(t)}{dt^2} = \frac{F(t)}{m}$$

$$x(t + \Delta t) = x(t) + v(t)\Delta t + \frac{1}{2}a(t)\Delta t^2$$



$x(1)$ $v(1)$ $F(1)$

$x(2)$ $v(2)$ $F(2)$

$x(3)$ $v(3)$ $F(3)$

... ..

The deterministic approach

2) Quantum

Discretization of the Schrödinger equation

$$-\frac{\hbar^2}{2m} \frac{d^2\psi}{dx^2} + V(x)\psi(x) = E\psi(x).$$



NEXT WEEK!

The stochastic approach

Useful to model:

- 1) Some physical processes which are inherently probabilistic.
- 2) Many large classical systems which have so many variables, or degrees of freedom, that an exact treatment is intractable and not useful.

The stochastic approach

1) Probabilistic physical processes

We attempt to follow the 'time dependence' of a model where change, or growth, does not proceed in some rigorously predefined fashion (e.g. according to Newton's equations of motion) but rather in a stochastic manner which depends on a sequence of random numbers which is generated during the simulation.

E.g.: radioactive decay



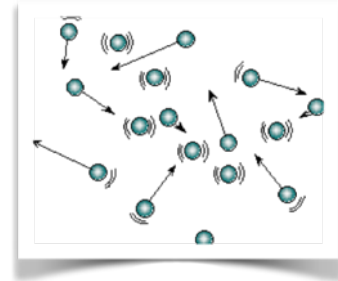
The stochastic approach

2) Systems with many degrees of freedom

E.g.: Thermodynamic properties of gases

Impossible and not useful to know

the exact positions and velocities of all molecules.



Useful properties are statistical averages: average energy of particles (temperature), average momentum change from collisions with walls of container (pressure), etc.

The error in the averages decreases as the number of particles increases. Macroscopic volume of gas has $O(10^{23})$ molecules. Thus a statistical approach works very well!

The stochastic approach

2) Systems with many degrees of freedom

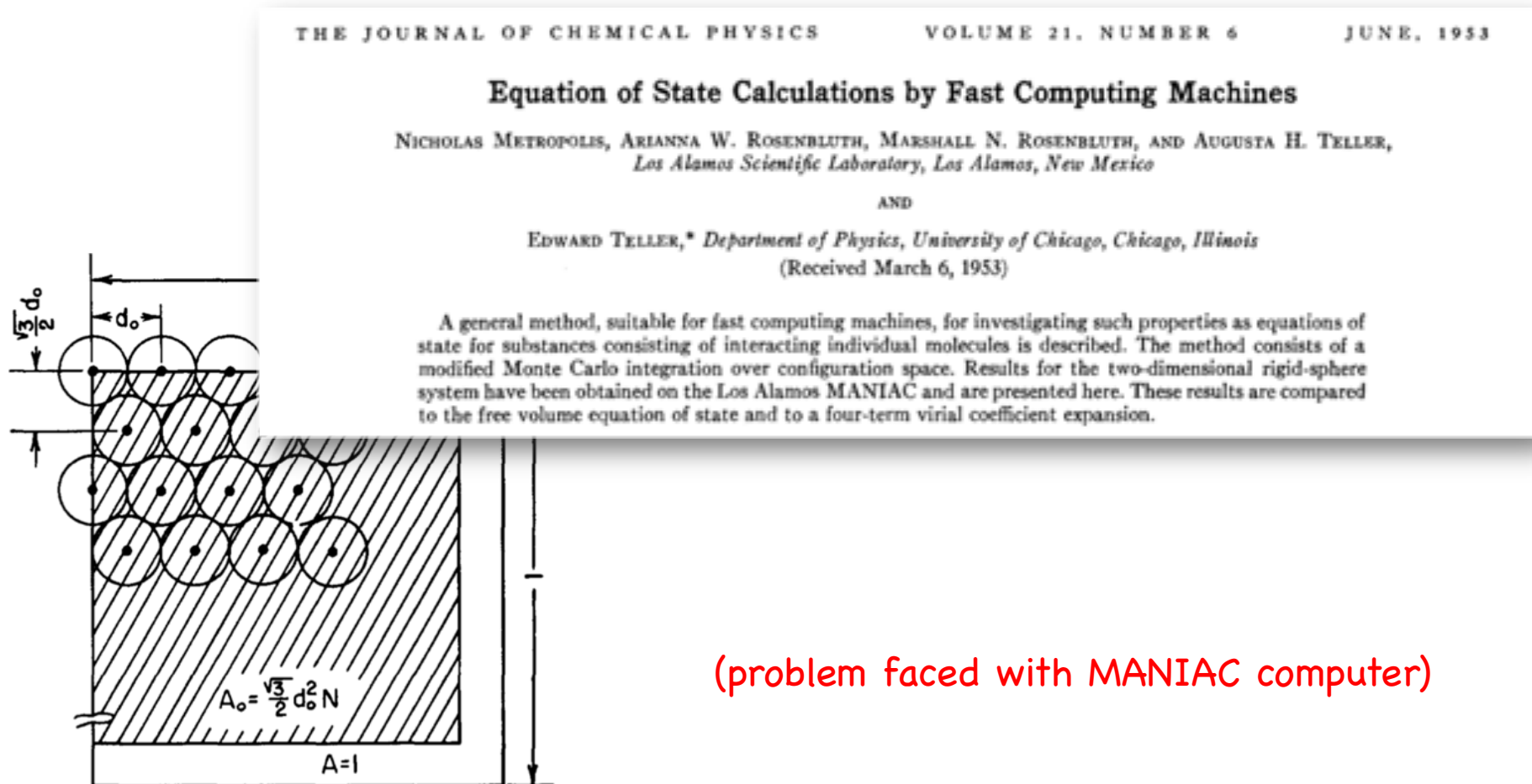


FIG. 3. The close-packed arrangement for determining A_0 .

Monte Carlo

Monte Carlo refers to any procedure which makes use of random numbers (*)

Monte Carlo is used in:

- Numerical analysis
- Stochastic Simulations

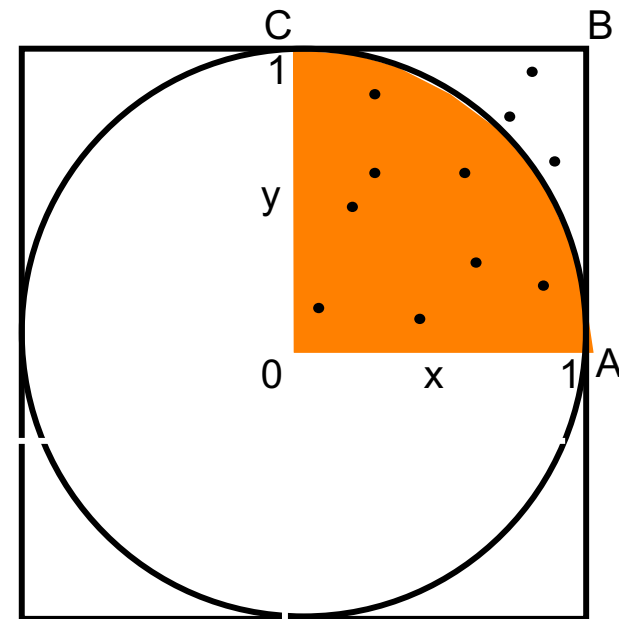
(*) a sequence of random numbers is a set of numbers which looks unpredictable but with well defined statistical properties

Monte Carlo Methods: to calculate integrals

“Hit or Miss” Method: How much is π ?

Algorithm:

- Generate uniform, random x and y between 0 and 1
- Calculate the distance from the origin: $d=(x^2+y^2)^{1/2}$
- If $d \leq 1$, $\tau_{hit} = \tau_{hit} + 1$
- Repeat for τ_{tot} trials



$$\begin{aligned}\pi &\approx \frac{4 \times \text{Area Under Curve CA}}{\text{Area of Square OABC}} \\ &= \frac{4\tau_{hit}}{\tau_{tot}}\end{aligned}$$

A few selected examples of applications

(here: atomistic simulations
in condensed matter...)

From "normal" scales...

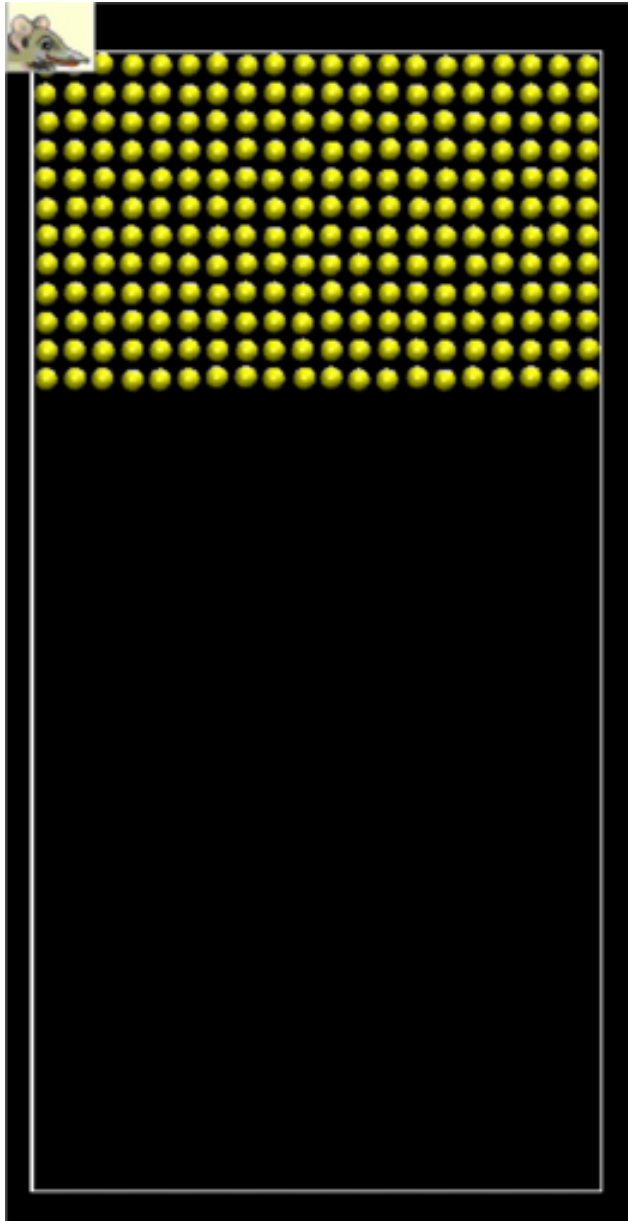
(classical)

SIMULATION
of the Brownian motion

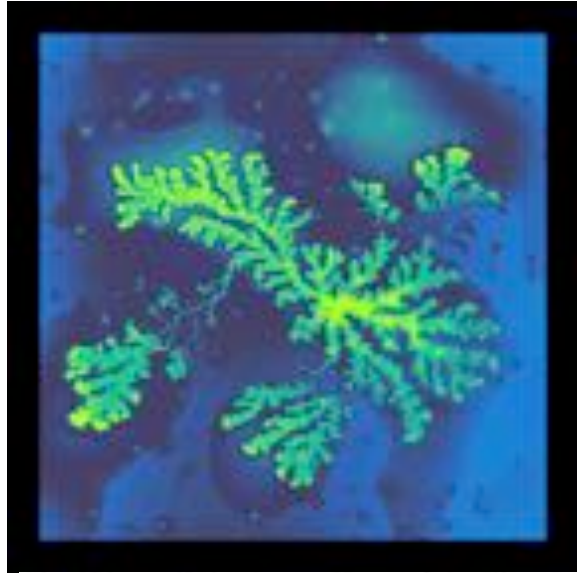
Sedimentation of hard spheres in a 2D
system with walls.

Included interactions with smaller
particles (not shown here) representing
the thermohydrodynamic solvent

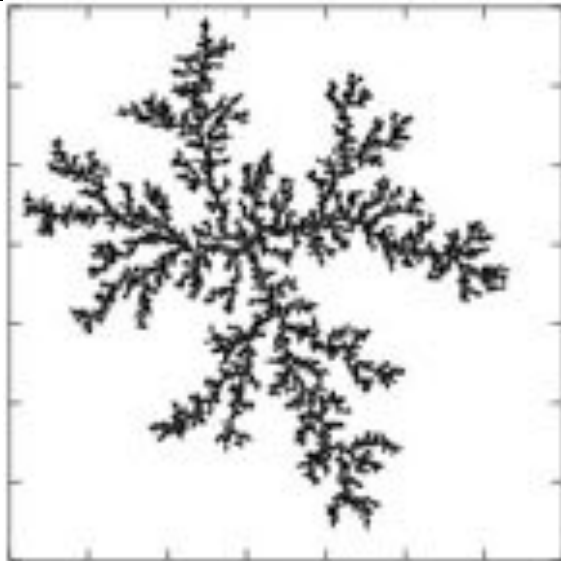
**(deterministic, classical
simulation)**



... colloidal systems growth on a substrate...



REAL IMAGE (by Atomic Field Microscopy) of a gold colloid of about 15 nm on a mica substrate



SIMULATION of a diffusion-limited auto-aggregation model (fractal)

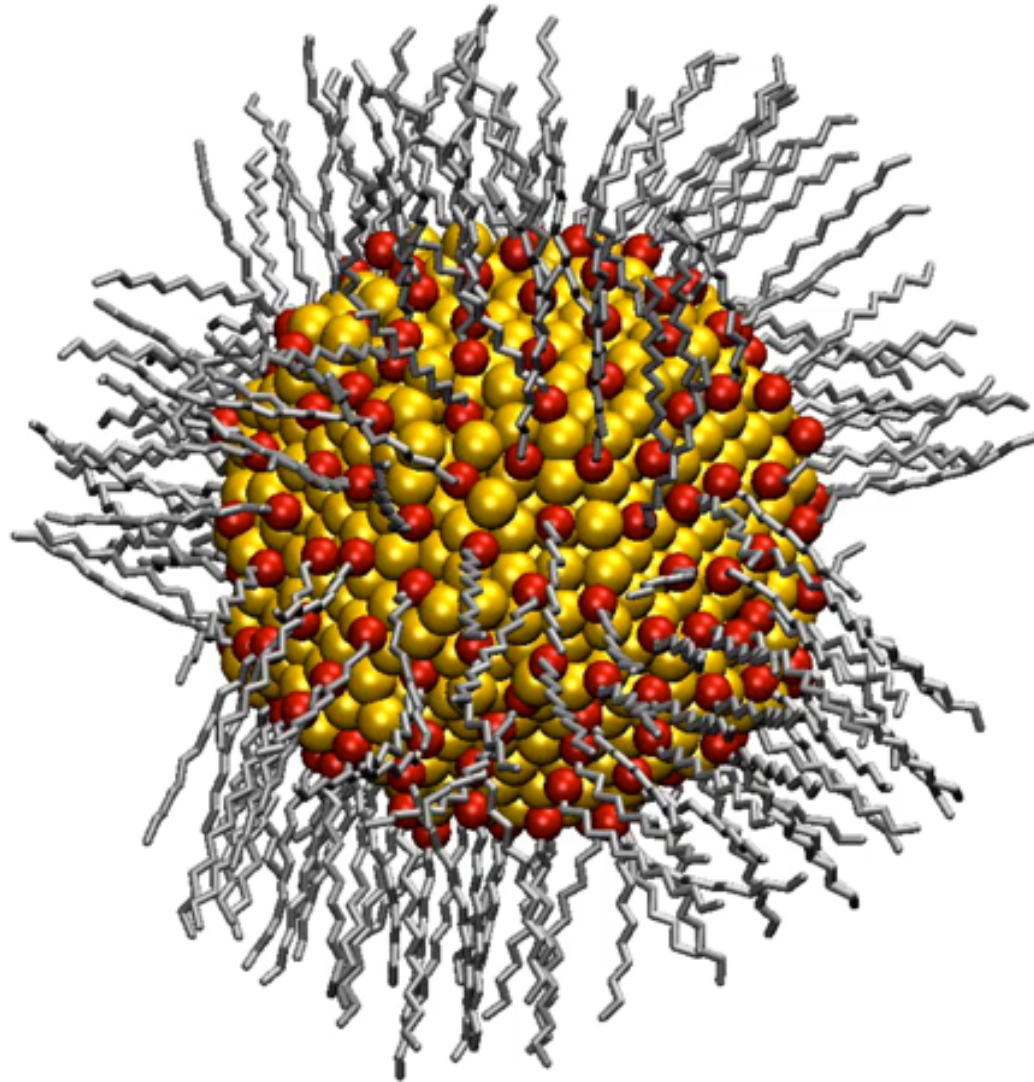
(stochastic, classical simulation)

... to the nanoscale: passivation of nanoparticles

with organic molecules
(thiols)

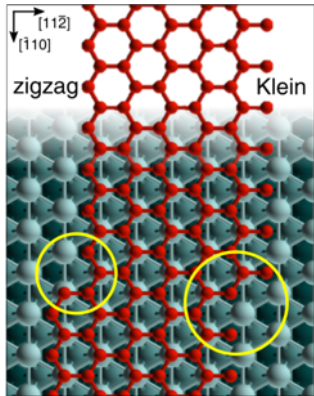
Au

S



Credits: J. Olmos-Asar

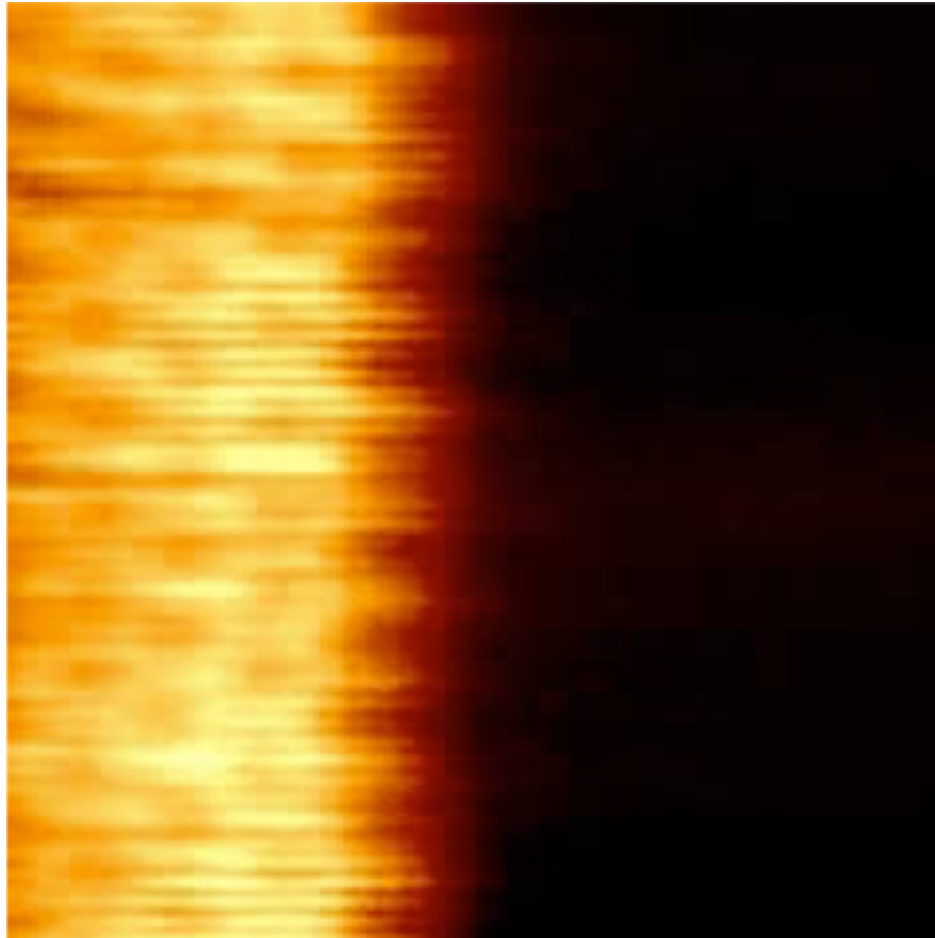
... to the atomic scale



Grafene @Ni(111)

(M.P. in
collaboration
with TASC;
Science, 2018)

EXPERIMENTAL
FAST-STM
MOVIE

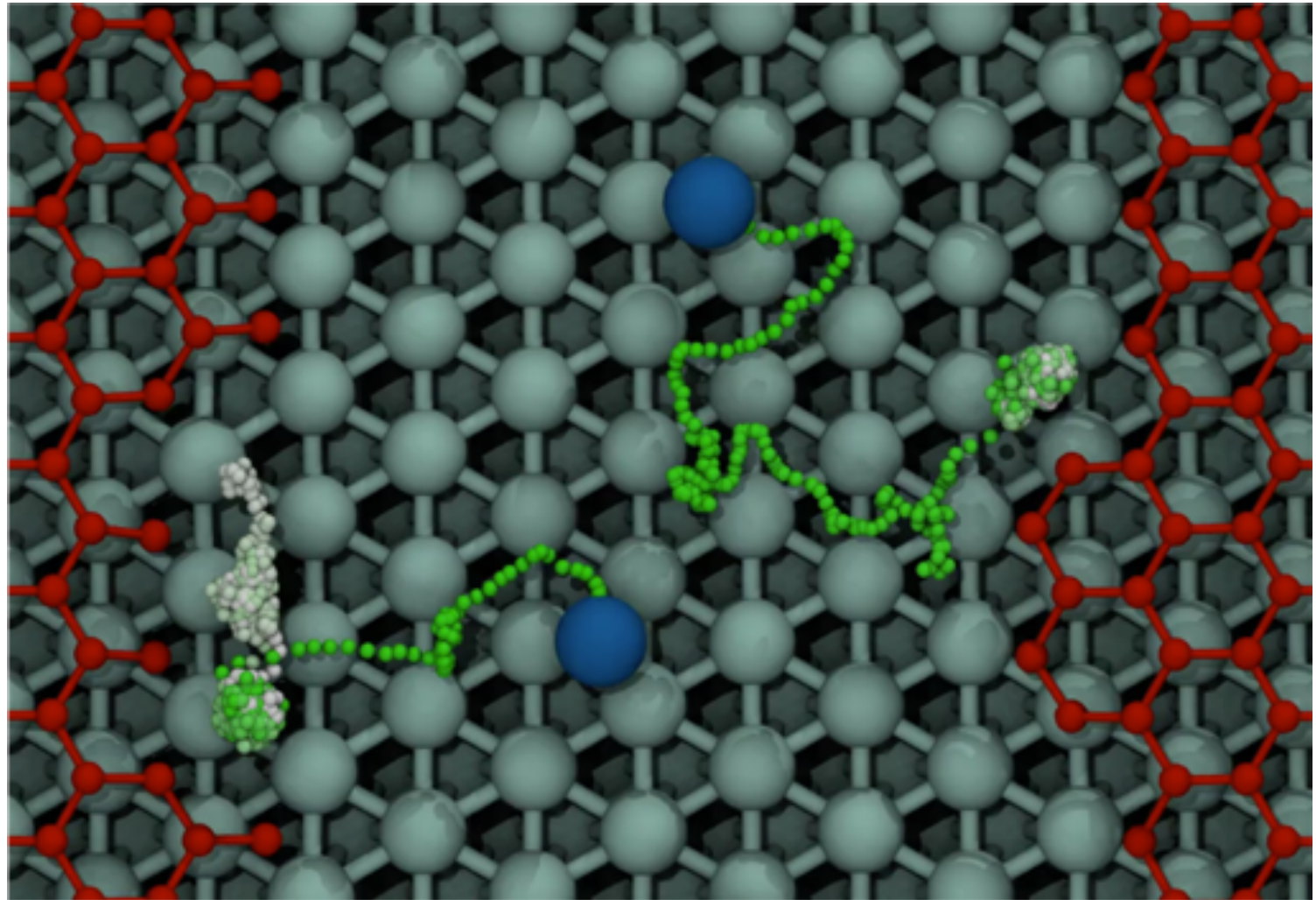


... to the atomic scale

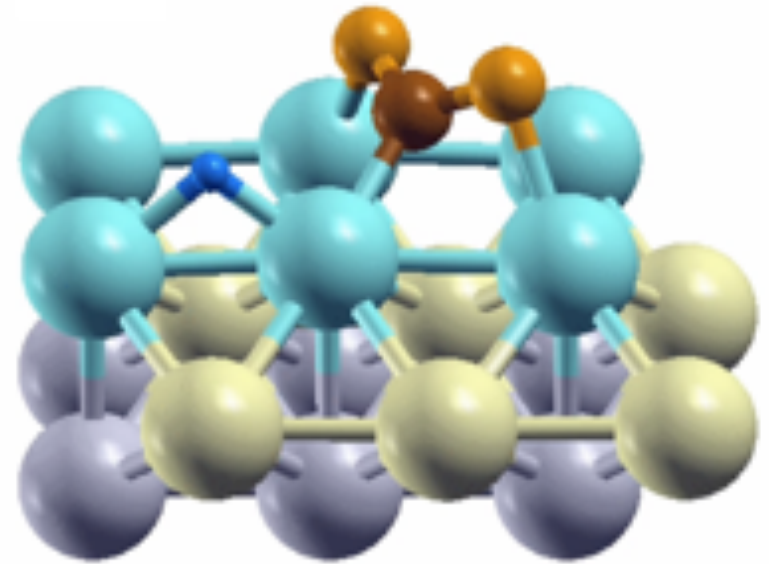
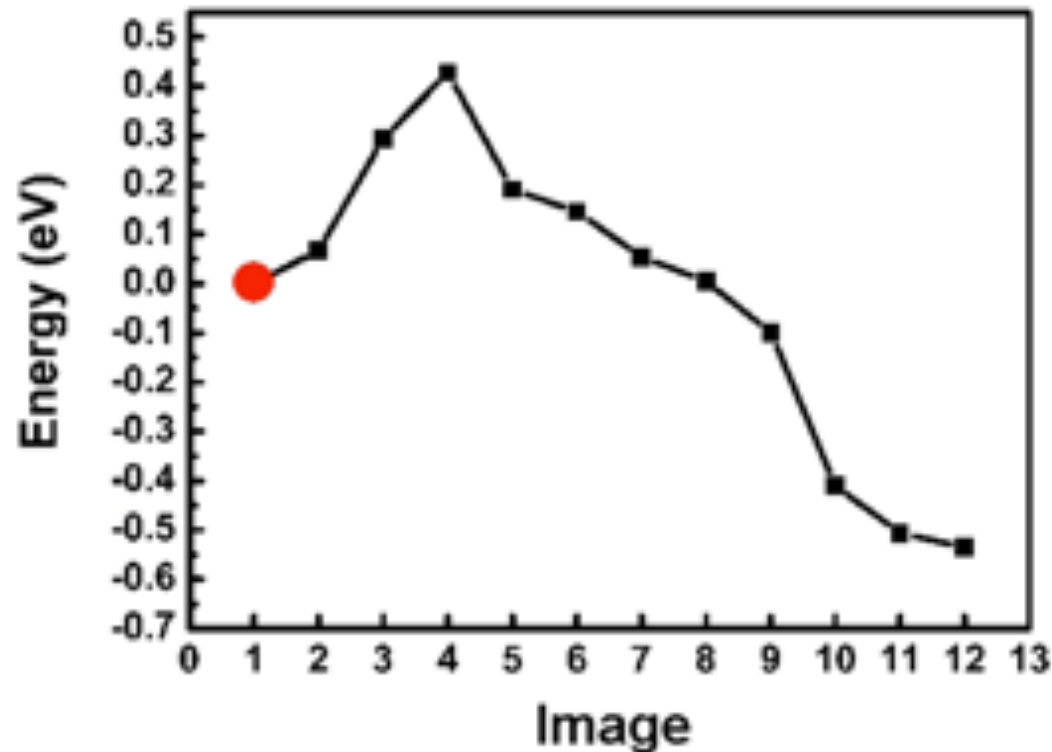
Grafene @Ni(111)

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CLASSICAL
MOLECULAR
DYNAMICS
SIMULATION



...including chemical reactions



(deterministic, quantum mechanical simulation)

A wide scenario... even within the condensed matter:

- wide range of **length scales**: ≈ 12 orders of magnitude (nuclei/electrons/atoms/chemical bonds $\sim 10^{-12}$ m, fracture/macroscale mechanical phenomena ~ 100 m; nano / micro / meso / macroscopic scales)
- wide range of **time scales**: ≈ 12 orders of magnitude (nuclei/electrons/atoms/chemical bonds $\sim 10^{-12}$ s, fracture/macroscale mechanical phenomena \sim year)
- wide range of chemical-physical **properties**: structural, elastic, vibrational, electronic, dielectric, magnetic, optical, thermal . . .
- wide range of **materials**: different phases, traditional materials (crystalline / amorphous , metals/ semiconductors / insulators . . .), new materials. . .

different kind of interactions

- **Classic**
- **Quantum**

different approaches

- **Deterministic**
- **Stochastic**

...and also different specific techniques

corresponding to different size/time scales:

- **continuous models** (for macroscopic systems)
- **atomistic simulations**
 - ab - initio techniques (or “first-principles”): up to $\sim 10^3$ atoms, 10 ps
 - Semiempirical techniques: up to 10^7 atoms, 1 ms
 - models at different levels

...and different computational workload

Some techniques and systems are not computationally very demanding (our experiments will be quite small and simple!!!)

others are very hard and need

High Performance Computing
resources

High performance computing

<https://www.top500.org/>

- updated June 2023

Rank	System	Cores	Rmax (PFlop/s)	Rpeak (PFlop/s)	Power (kW)
1	Frontier - HPE Cray EX235a, AMD Optimized 3rd Generation EPYC 64C 2GHz, AMD Instinct MI250X, Slingshot-11, HPE DOE/SC/Oak Ridge National Laboratory United States	8,699,904	1,194.00	1,679.82	22,703
2	Supercomputer Fugaku - Supercomputer Fugaku, A64FX 48C 2.2GHz, Tofu interconnect D, Fujitsu RIKEN Center for Computational Science Japan	7,630,848			
3	LUMI - HPE Cray EX235a, AMD Optimized 3rd Generation EPYC 64C 2GHz, AMD Instinct MI250X, Slingshot-11, HPE EuroHPC/CSC Finland	2,220,288			
4	Leonardo - BullSequana XH2000, Xeon Platinum 8358 32C 2.6GHz, NVIDIA A100 SXM4 64 GB, Quad-rail NVIDIA HDR100 Infiniband, Atos EuroHPC/CINECA Italy	1,824,768	238.70	304.47	7,404



High performance computing

Possible access to CINECA HPC
resources for research but also
for thesis
(direct calls or through
UniTS-CINECA agreement)

And...



a cluster @DF!

**(2.1) This course
-contents-**

This course

- IS NOT a course on Information Technology, Computer Science, Programming languages...
- BUT a **PHYSICS LAB.**
- **focusing on modeling, problem solving and algorithms**
- Not exhaustive, of course...

This course

- basic ingredients of the **deterministic approach**
(only quantum)
- **Stochastic approach, classical interactions**
(mainly)

TENTATIVE LIST OF ARGUMENTS

Discretization of differential equation: Numerov algorithm.

Properties and generation of Random Numbers with different distributions.

Monte Carlo simulation of Random Walks.

Numerical integration in 1 dimension: deterministic and stochastic algorithms;

Monte Carlo algorithms.

Error estimate and reduction of the variance methods.

Metropolis algorithm for arbitrary random number generation.

Metropolis method in the canonical ensemble.

Ising model and Metropolis–Monte Carlo simulation.

Microstates and macrostates: efficient algorithm for the numerical calculation of entropy.

Variational Monte Carlo in quantum mechanics (basics).

Lattice gas: vacancy diffusion in a solid.

Chaos and determinism: classical billiards and chaotic billiards, logistic maps; Lyapunov exponents.

Fractals: diffusion and aggregation, models for surface growth simulation. Percolation.

(Genetic algorithms. Population dynamics and epidemic models.)

Course material on: MS Teams & moodle2

On MS Teams: registration of lectures (42nd2c3)

On moodle: everything else <https://moodle2.units.it>

Then select:

⇒ Dipartimento di Fisica

⇒ Laurea Magistrale

⇒ SM23 - FISICA

⇒ A.A. 2023-24

Or point directly to:

<https://moodle2.units.it/course/view.php?id=11402>

Course on moodle2

You can find the material lecture by lecture

- Important announcements
- Detailed contents of each lecture
- Lectures notes
- Exercises
- Info about textbooks
- links, tutorials (for surviving with Linux/Unix, Fortran90, Python, gnuplot...)
- Info about exams

SUBSCRIBE TO THE COURSE to:

- register your attendance lecture by lecture
- be able to upload homeworks

Languages

?



Fortran90

Python

Fortran compilers

- **gfortran (free):** ([] for optional)

```
$ gfortran [-std=f95] [-o test.o] test.f90
```

The option `-std=f95` allows to obtain, after compilation, supplementary info about the commands you wrote in your code (the syntax, whether it is standard fortran or not...)

OPTIONS ARE IMPORTANT AND USEFUL!

Other possible Fortran compilers

- g95 (free)

ifort (Fortran Intel compiler, NOT free)

F (free; useful options: `-ieee=full` for floating point exception manipulation)

....

- To run the executables (e.g. `test.o` or `a.out` by default):

```
$ ./a.out (or $bash a.out)
```

A few useful UNIX (Linux, MacOSx,...) commands:

Check your space!

\$ quota

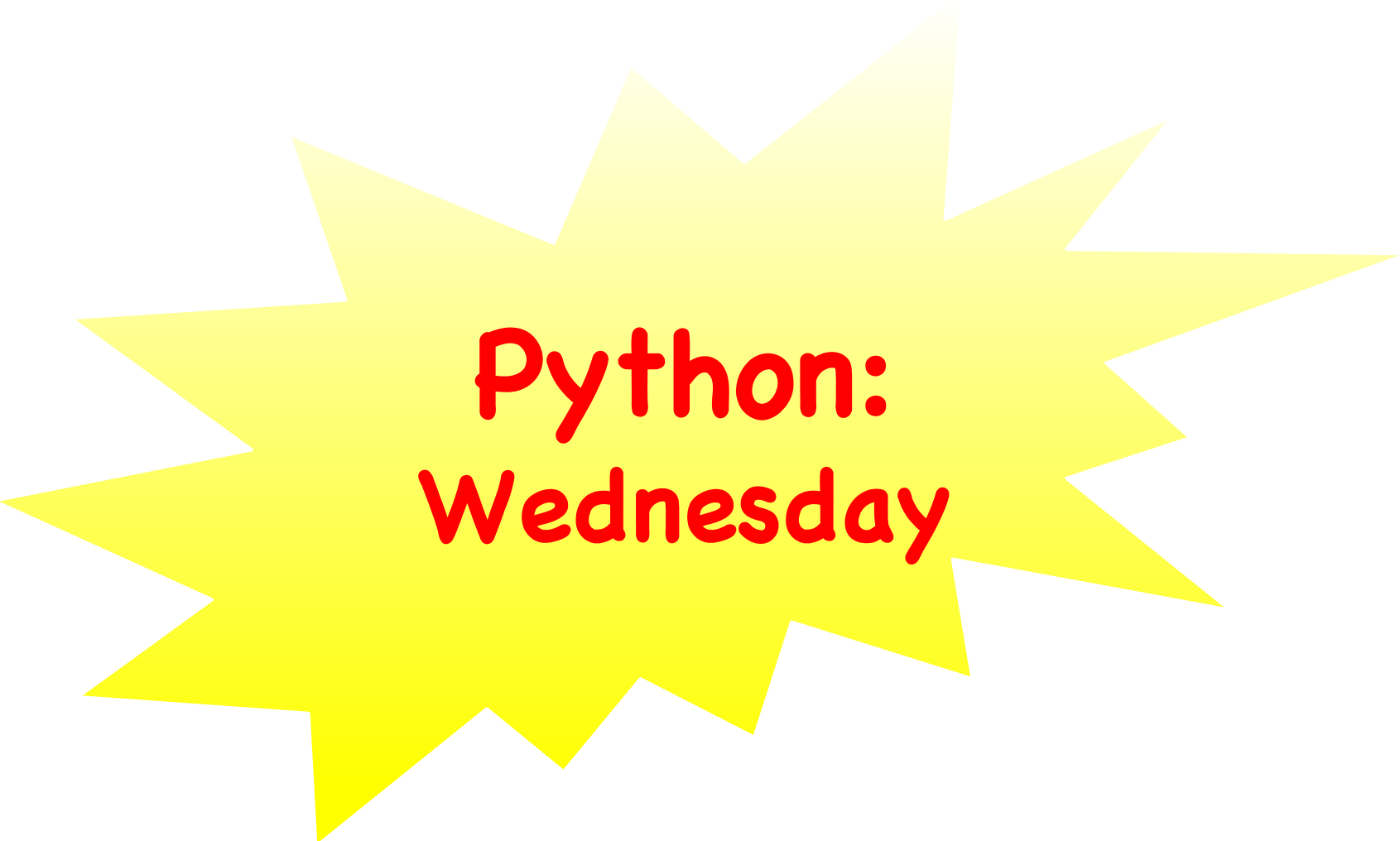
or “du” (displays disk usage statistics):

```
$ du ~ | more
```

(if “-k” flag is specified, the number of 1024-byte blocks used by the file is displayed):

```
$ du -k ~ | more    (Last line shows the total)
```

```
$ find . -size +20000 -print (to identify big files)
```



**Python:
Wednesday**

(2.2) This course

- lectures schedule**
- rules for attendance**
- exams**

Schedule:

1 topic / week: 3 h lectures + 3 h lab

	Monday 25/09	Tuesday 26/09	Wednesday 27/09
14:00	LABORATORIO DI FISICA COMPUTAZIONALE - Lezione PERESSI MARIA, MARRAZZO ANTIMO Aula B [Edificio F] 14:00 - 16:00 Lezione	LABORATORIO DI FISICA COMPUTAZIONALE - Lezione PERESSI MARIA, MARRAZZO ANTIMO Aula N [Edificio A - corpo centrale] 14:00 - 15:00 Lezione	LABORATORIO DI FISICA COMPUTAZIONALE - Laboratorio PERESSI MARIA, MARRAZZO ANTIMO Lab. informatico Poropat [Edificio F] 14:00 - 17:00 Lezione
14:30			
15:00		with Python (A. Marrazzo)	Hands-on session
15:30			
16:00	Introduce the topic + sketch solutions in Fortran90		
16:30	+ give exercises (M. Peressi)		

Start do-it-yourself!



Attendance, homeworks, exams:

- attendance: 75% compulsory (this is a lab course!)
- Exercises during the course (for some of them, a short report will be requested as homework within ~1 week from the lecture)
- Exam: homework reports (if not uploaded during the course, they must be given at the end with some additional request) + a final project

**(3) Activity/Courses in
Computational Physics
in the Condensed Matter training track**

others

- **“Information Technology Tools for Physics”** (D. Coslovich, I semester)
- **“Numerical Methods for Electronic Structure”** (P. Giannozzi, II semester) (deterministic, quantum)
- **“Classical simulations of many body systems”** (E. Smargiassi, I semester) (deterministic, classical)
- **“Laboratory of Atomistic and Molecular Simulations”** (D. Coslovich, II semester) (also mesoscale, solid & soft matter, machine learning approaches)

	1° semestre	2° semestre
1° anno	<div data-bbox="331 363 1048 587"> <p>Strumenti informatici per la fisica <i>Coslovich</i></p> </div> <div data-bbox="331 606 1048 829"> <p>Laboratorio di fisica computazionale <i>Peressi, Marrazzo</i></p> </div>	<div data-bbox="1227 363 1944 587"> <p>Laboratorio di simulazioni atomistiche e molecolari <i>Coslovich</i></p> </div> <div data-bbox="1227 606 1944 829"> <p>Metodi numerici per la struttura elettronica <i>Giannozzi</i></p> </div>
2° anno	<div data-bbox="331 909 1048 1133"> <p>Simulazioni classiche di sistemi a molti corpi <i>Smargiassi</i></p> </div> <div data-bbox="331 1276 806 1420"> <p>■ <i>regime classico</i> ■ <i>regime quantistico</i></p> </div>	<p>Tesi</p> <ul style="list-style-type: none"> - simulazioni classiche o ab-initio - verifica di teorie, hamiltoniane modello - high-performance computing (@CINECA) - machine learning <p>What's next?</p> <ul style="list-style-type: none"> - dottorato in fisica - ricerca applicata / scienza dei dati

(4) Local resources

virtual Lab of Physics Dept.

Access:

on VPN UNITS (Forticlient)

through VMware Horizon client

using your own UniTS credentials

⇒ AULA-CORSI-FISICA

⇒ It's a temporary space! Save your work!

⇒ Do LOGOUT at the end

⇒ Select properly the keyboard language

⇒ You may increase font size:

```
gsettings set org.gnome.desktop.interface scaling-factor 2
```



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