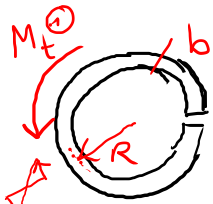


CONFRONTO TRA IL MOM. TORCENTE MASSIMO

IN UNA SEZ "CHIUSA" E NELLA STESSA SEZ PERO' "APERTA"

ULTIMA LEZ. 0611N

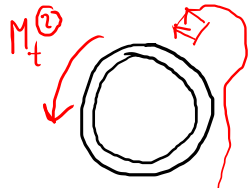
22/12/23



APERTA ①

$$\tau_{\max}^{(1)} = \frac{M_t^{(1)}}{J_t} b$$

$$J_t = \frac{1}{3} 2\pi R b^3$$



CHIUSA ②

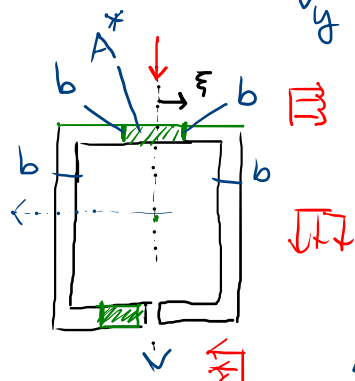
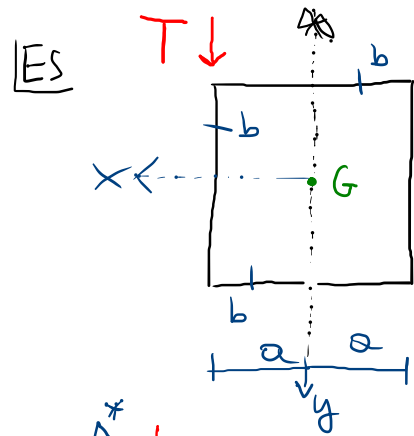
$$\tau_{\max}^{(2)} = \frac{M_t^{(2)}}{2 \cdot \pi R^2 b}$$

$M_t^{(1)}$: M. TORC. MASSIMI
 $M_t^{(2)}$: CHE LE SEZIONI
POSSONO SOSTENERE

$$\frac{M_t^{(2)}}{M_t^{(1)}} \Big|_{\tau_{\max}^{(1)} = \tau_{\max}^{(2)}} = \frac{\cancel{2\pi R^2 b} \cancel{b}}{\cancel{\frac{2}{3}\pi R b^3}} = \frac{3R}{b} = \frac{150}{7} \approx 21$$

$$R = 50 \text{ mm} ; b = 7 \text{ mm}$$

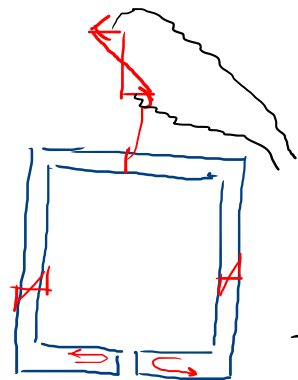
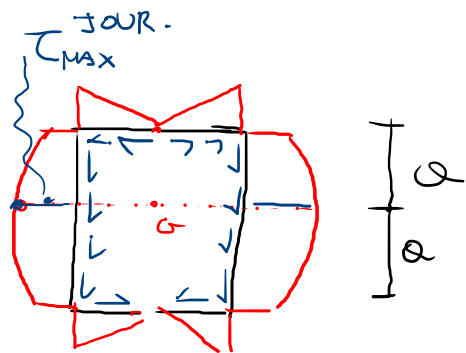
ES



$$\bar{\tau}_{zx}(\xi) = \frac{T}{I_x} \frac{S_x^*}{2b} < 0 \quad (\bar{\tau}_{zx} \text{ uscenti})$$

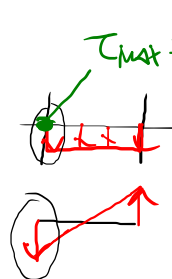
ANDAM. TENS. TANG. DEL

PROBLEMA E DOVE SI TROVA LA τ_{max}



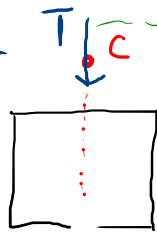
$$\tau_{max}^{TORS} = \frac{M_t}{J_t} b$$

$$J_t = \frac{1}{3} 8a b^3$$



$$\tau_{max} = \tau_{max}^{TORS} + \tau_{max}^{TANG}$$

$$M_t = T a$$



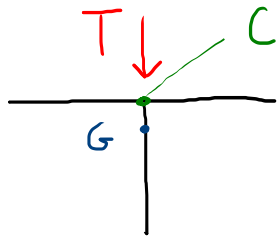
TORSIONE
IN SEZ.
SOGLI
APERTE

TAGLIO-FL
(TORSIONE)

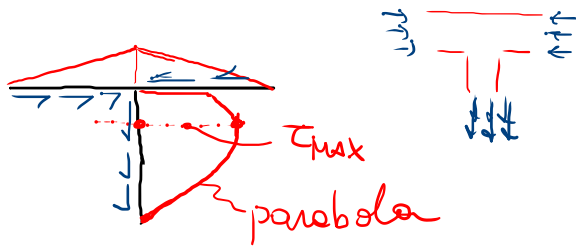
PUNTI

"PIU' SOLLECITATI"
(DOVE ANDRA' FATTA LA VER DI RESIST.)

ES

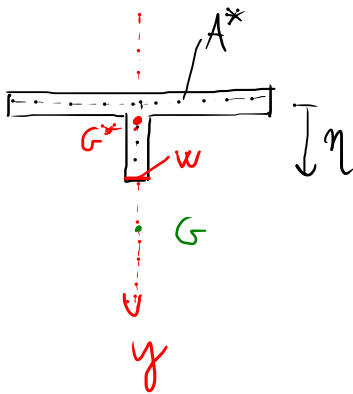
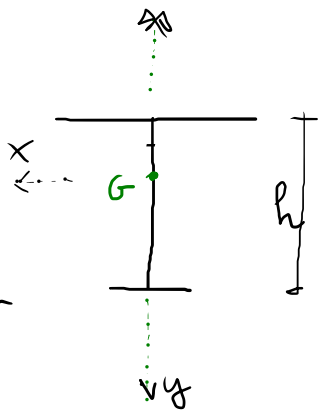


TAGLIO-FLESSIONE

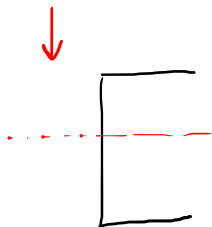


ES

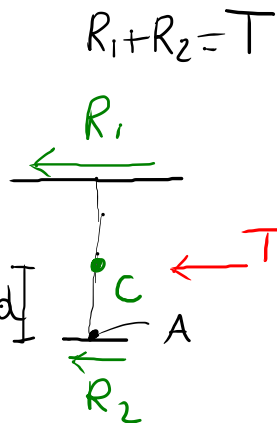
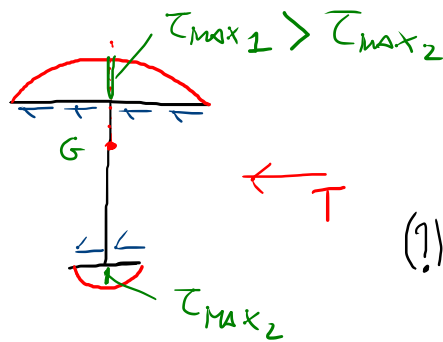
C?
(C è l'asse di simmetria)

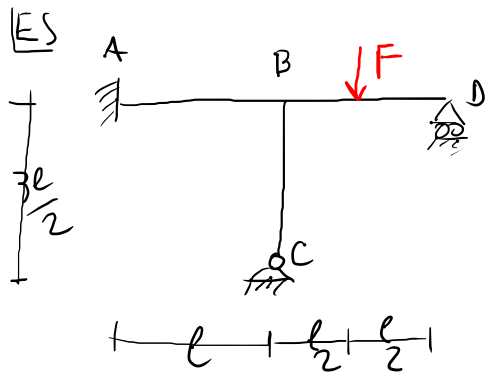


$$\bar{\tau}_{xy}(\eta) = \frac{T}{I_y} \frac{S_y^*}{w} = 0$$

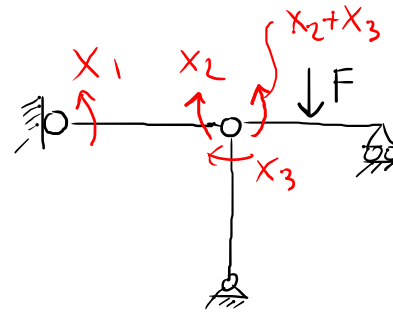


$$T d = R_1 h \Rightarrow d$$





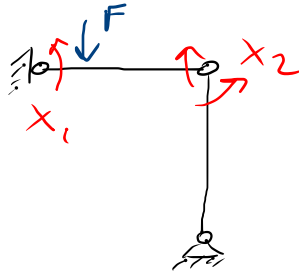
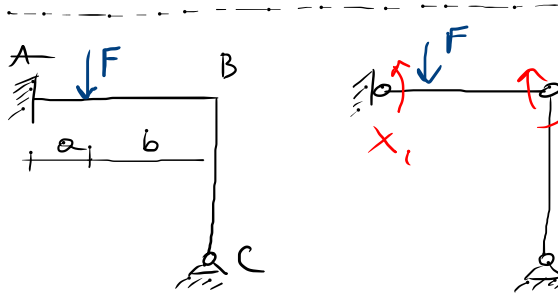
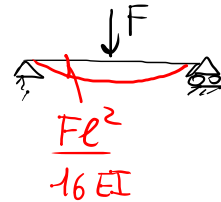
3 v. iperst.



$$\varphi_A = 0$$

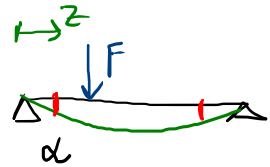
$$\varphi_{BA} = \varphi_{BC}$$

$$\varphi_{BA} = \varphi_{BD}$$

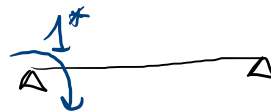


$$\left. \begin{array}{l} \varphi_A = 0 \\ \varphi_{BA} = \varphi_{BC} \end{array} \right\}$$

α ? ; APPLICO P.L.V.



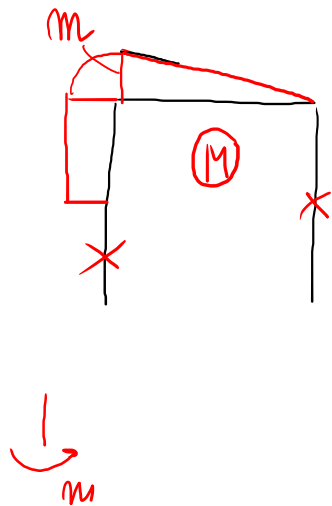
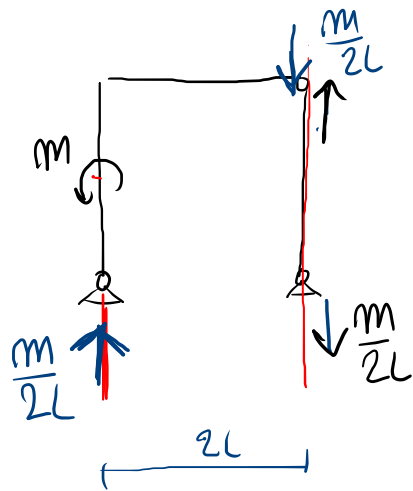
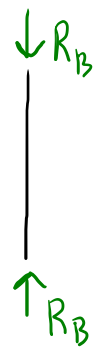
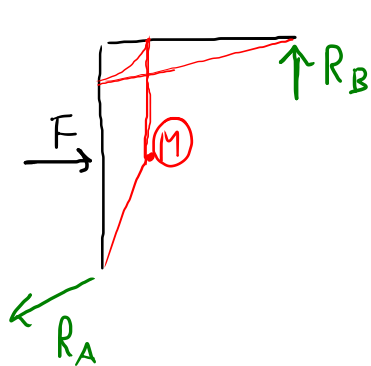
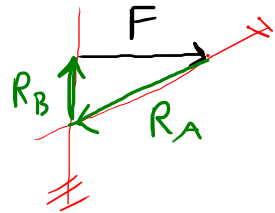
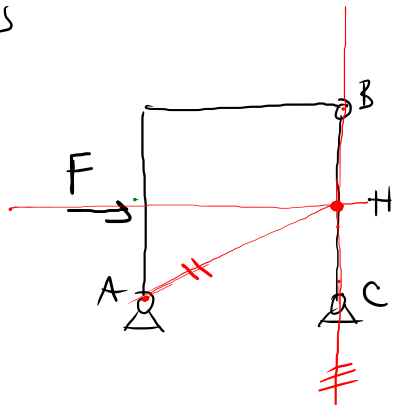
SCH. REALE



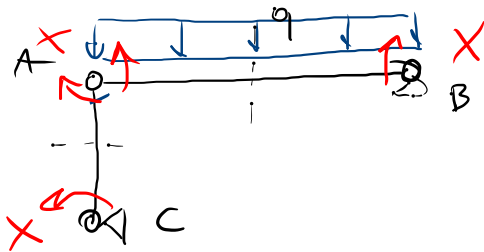
SCH. FIMZIO
 M^*

$$1 \cdot \alpha = \int_{sfr} M^* \frac{M}{EI} dz$$

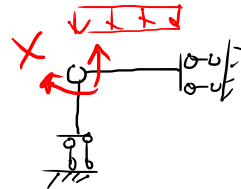
ES



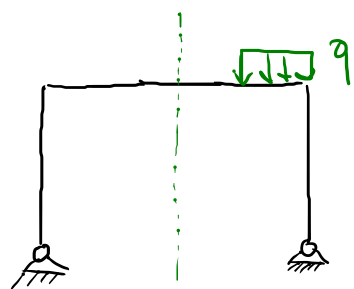
LES



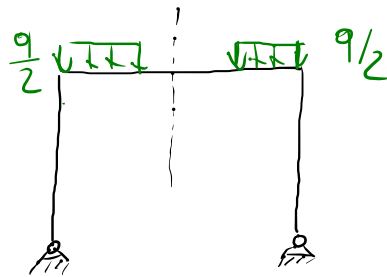
$$\varphi_{AC} = \varphi_{AB} \Rightarrow X$$



STRUTTURA SIMMETRICA CON CARICO GENERICO

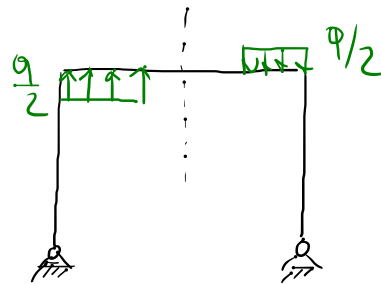


=

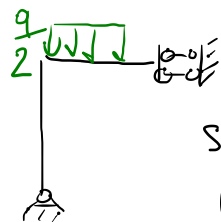


CARICO SYM

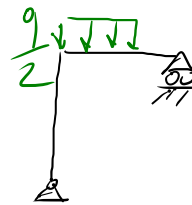
+



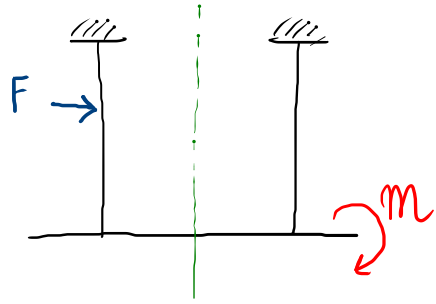
CARICO ANTISYM



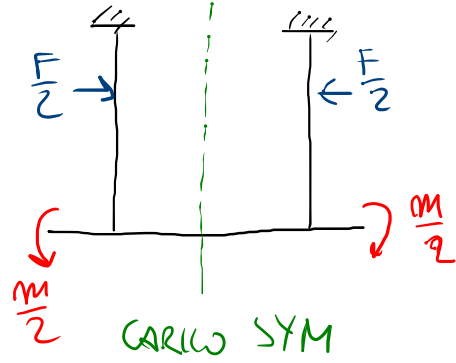
STR RIDOTTA
(1 V. IPERST.)



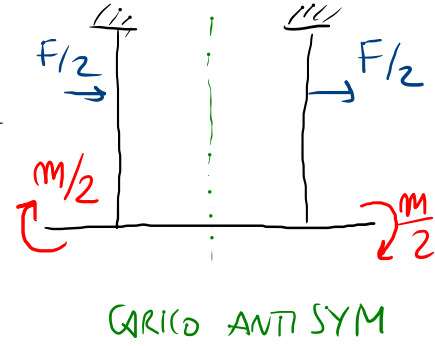
STR RIDOTTA
(1 SOST.)



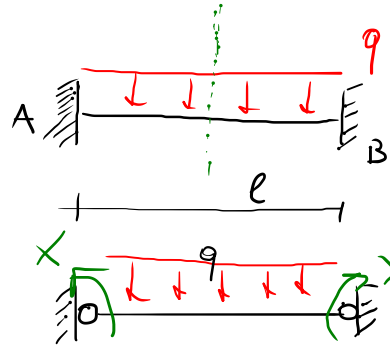
$=$



$+$



TRAVE A DOPPIO INCOSTRO



$$\Rightarrow \begin{matrix} \text{X} & \text{X} \\ \text{---} & \text{---} \\ \text{X} & \text{X} \end{matrix} \Rightarrow w_B = 0 ; w_B(x_2) = 0 \Rightarrow \boxed{X_2 = 0}$$

$\rightarrow w_B$

$$\downarrow \boxed{\varphi_A = 0} ; \quad \frac{Xl}{3EI} + \frac{Xl}{6EI} - \frac{ql^3}{24EI} = 0 \quad ; \quad X = +\frac{ql^2}{12}$$

$$\frac{ql^3}{24EI}$$

S.C.L. EQUIL.

(M)