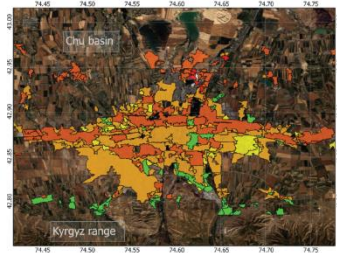
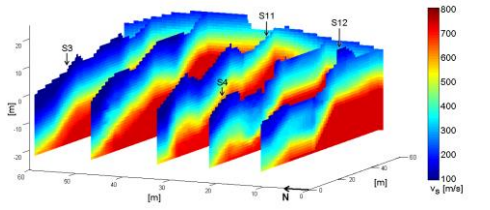
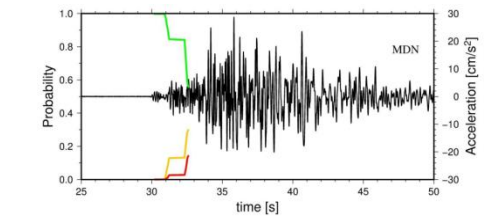
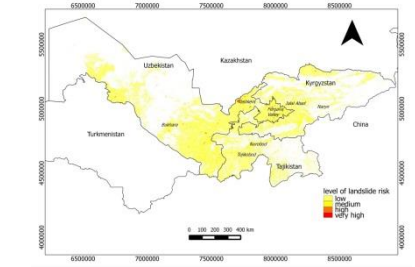
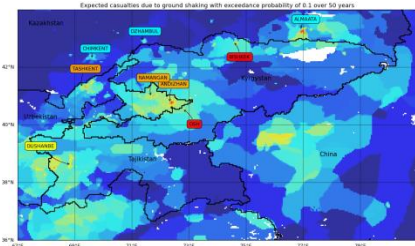
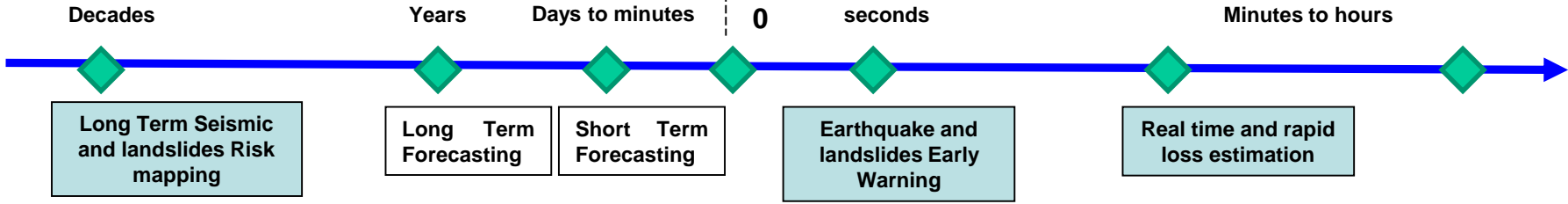
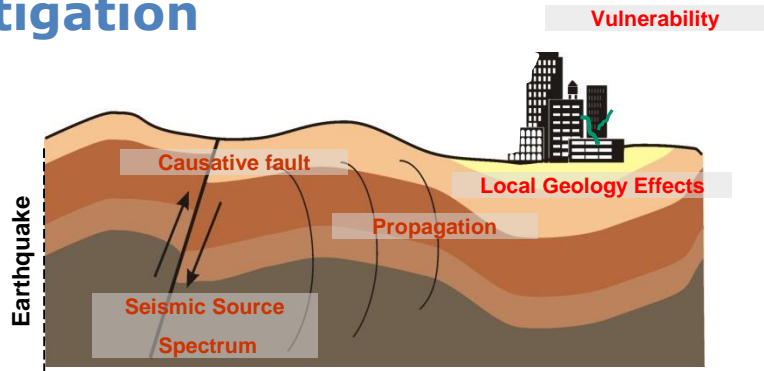


Earthquake Early Warning

S. Parolai

Seismic Risk Assessment and Mitigation



Aftershock Forecasting

Objective

The goal of an EEW system is the estimation in a fast and reliable way an earthquake's damage potential before the strong shaking hits the target

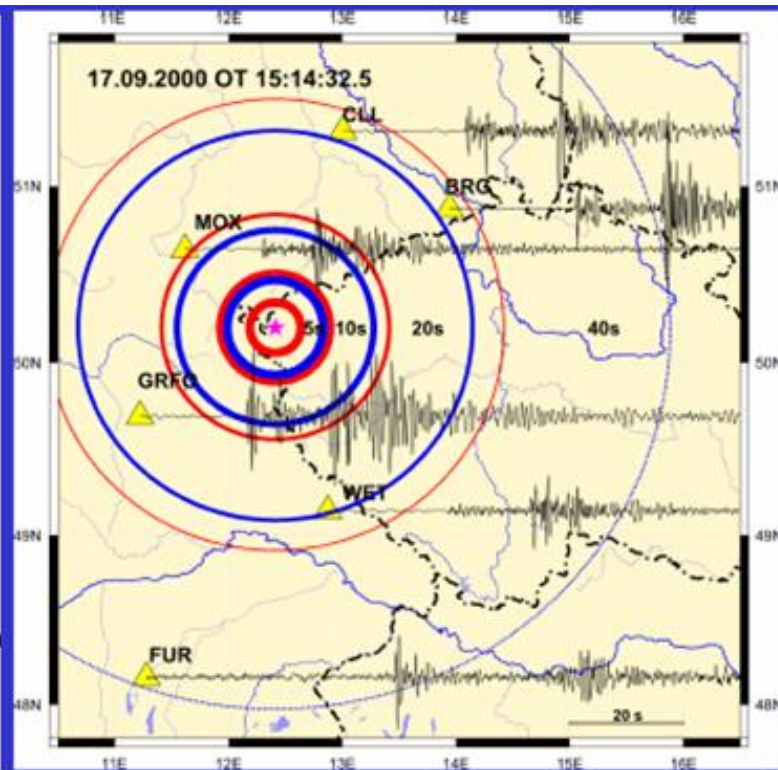
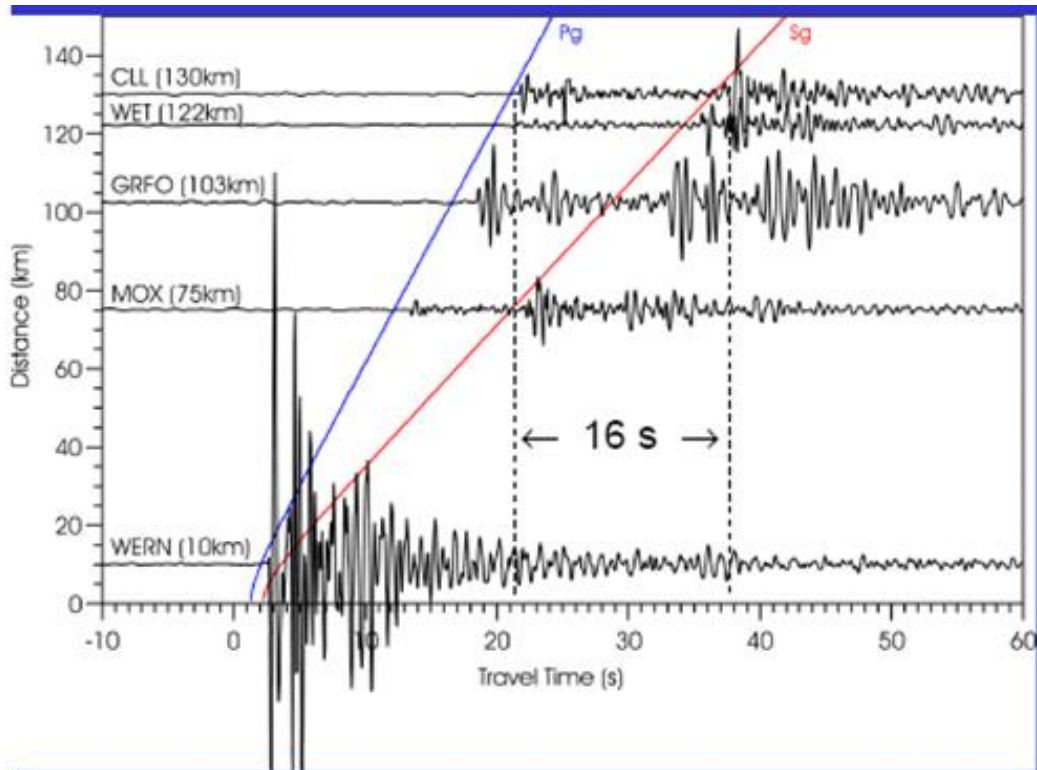
Principles

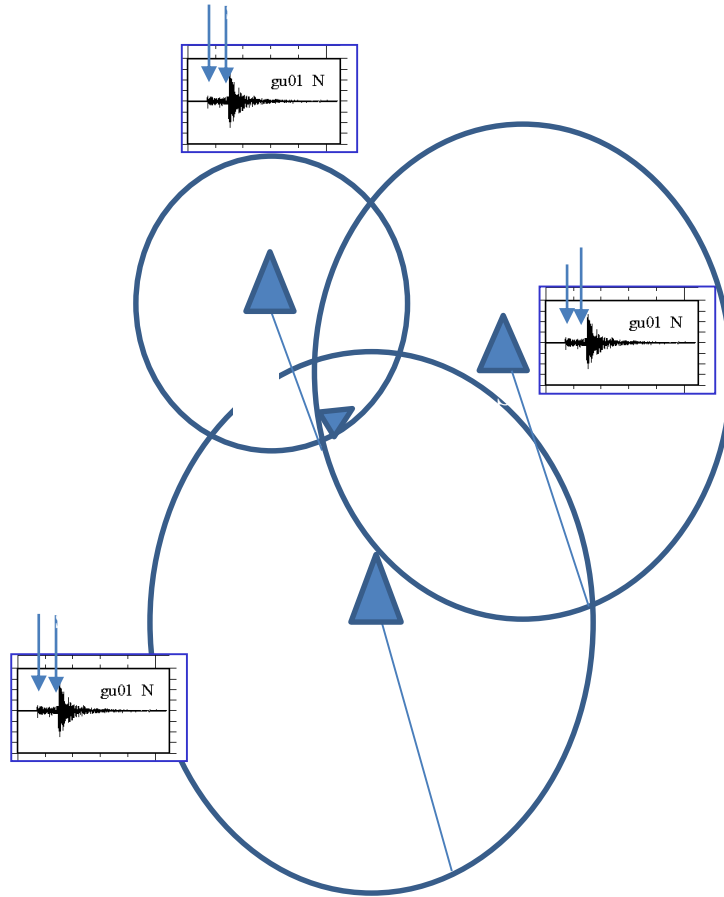
The idea of developing systems for launching early alert messages about incoming ground shaking dates back to 1868 (*Cooper JD, Letter to the Editor, San Francisco Daily Evening Bulletin, November 3, 1868*). It is based on the fact that information spread through electromagnetic signals travels faster (about 300,000 km/s) than seismic waves (a few km/s). Moreover, most of the radiated seismic energy is carried by S- and surface-waves, which travel slower than P-waves.

Early examples

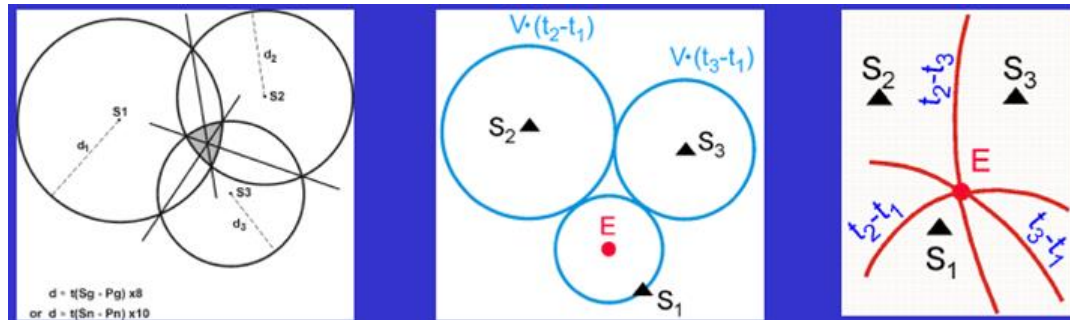
The first early warning systems were developed and installed during the cold war to detect incoming intercontinental ballistic missiles. These early warning systems were designed to alert target areas as soon as a missile was detected by a radar or a launch discovered by satellite systems.

from
Satriano et al., SDEE, 2011





Confronto tra diversi metodi per la localizzazione dei terremoti



Tutti i metodi illustrati non considerano la forma della terra, e si basano su distanze planari cioè possono essere applicati solo su piccola scala, a livello locale.
Allo stesso modo, tutti i metodi si basano sul modello calcolo dei tempi di percorso mostrato nella diapositiva precedente

Geigers Method

Given a set of M arrival times t_i find the origin time t_0 and the hypocentre in cartesian coordinatios (x_0, y_0, z_0) which minimize the objective **function**

$$F(\mathbf{X}) = \sum_{i=1}^M r_i^2.$$

Here, r_i is the difference between observed and calculated arrival times

$$r_i = t_i - t_0 - T_i,$$

and the unknown **parameter vector** is

$$\mathbf{X} = (t_0, x_0, y_0, z_0)^T$$

In **matrix** form (1) becomes

$$F(\mathbf{X}) = \mathbf{r}^T \mathbf{r}$$

Geigers Method

The Gauss--Newton procedure requires an initial guess of the sought parameters, denoted here as

$$\mathbf{X}^* = (t_0^*, x_0^*, y_0^*, z_0^*)^T,$$

which are then used to calculate the adjustment vector

$$\delta\mathbf{X} = (\delta t_0, \delta x_0, \delta y_0, \delta z_0)^T$$

in

$$(1) \mathbf{A}^T \mathbf{A} \delta\mathbf{X} = -\mathbf{A}^T \mathbf{r}.$$

The Jacobian matrix \mathbf{A} is defined as

$$\mathbf{A} = \begin{pmatrix} \partial r_1 / \partial t_0 & \partial r_1 / \partial x_0 & \partial r_1 / \partial y_0 & \partial r_1 / \partial z_0 \\ \partial r_2 / \partial t_0 & \partial r_2 / \partial x_0 & \partial r_2 / \partial y_0 & \partial r_2 / \partial z_0 \\ \vdots & \vdots & \vdots & \vdots \\ \partial r_M / \partial t_0 & \partial r_M / \partial x_0 & \partial r_M / \partial y_0 & \partial r_M / \partial z_0 \end{pmatrix}.$$

The partial derivatives are evaluated at the initial guess, or trial vector, \mathbf{X}^* . Equation (45) can be rewritten as

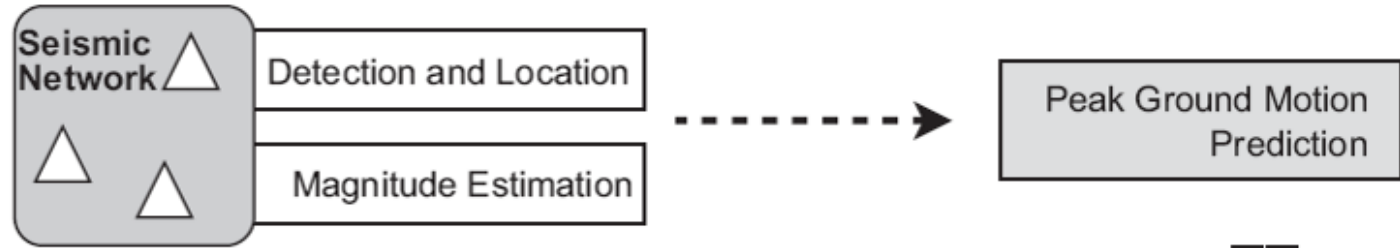
$$(2) \mathbf{G} \delta\mathbf{X} = \mathbf{g}.$$

Using an initial guess of \mathbf{X}^* an adjustment vector can be calculated. The initial guess can then be updated $\mathbf{X}^* + \delta\mathbf{X}$ and used as the initial guess in the next run. In this way the sought parameters \mathbf{X} can be determined with some tolerance

Approaches

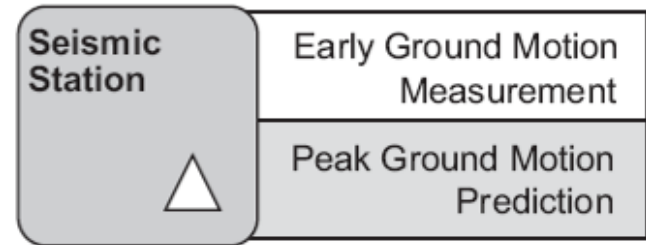
There are two main approaches: **Regional** (or network-based) EEW systems and **Onsite** (or single-station) EEW systems.

Network Based (or Regional) Approach



Lead-time:
(S-arrival time at the target) - (first-P at the network)

Lead-time
(S-arrival time at the target) - (P-arrival at the target)



Single Station (or On Site) Approach

Methodology

Regional network EEW system

Event detection and location

Magnitude estimation

Peak ground motion prediction at target site

Alert notification

Onsite approaches predict the ground shaking associated with S-wave starting from the ground shaking recorded for P-waves.

Some Onsite (or single station) EEW systems also estimate the location and magnitude of the event (e.g., Nakamura approach; Odaka approach; etc).

Starting from the Regional and Onsite schemes, more complex and hybrid systems can be established. For example, Onsite systems can be composed of several nodes communicating with each other and fed with information coming from a Regional networks. The Regional scheme may in turn be simplified into a concept involving a front-detection scheme when the source region is known.

Time is a critical parameter in any EEW system. The system and procedures have to be designed in such a way as to maximize the **lead time** for the target area.

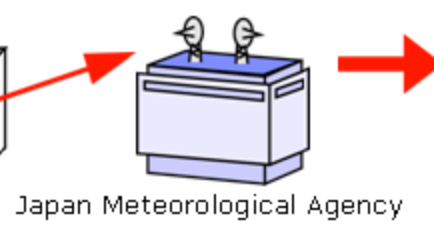
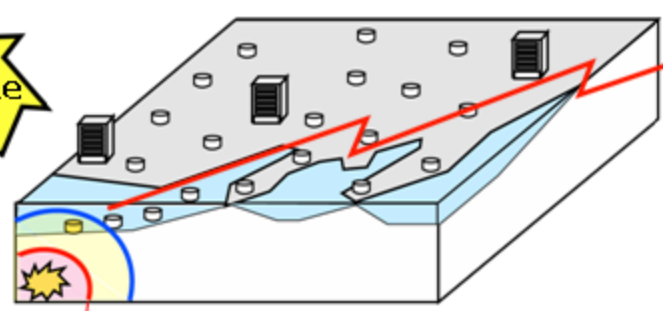
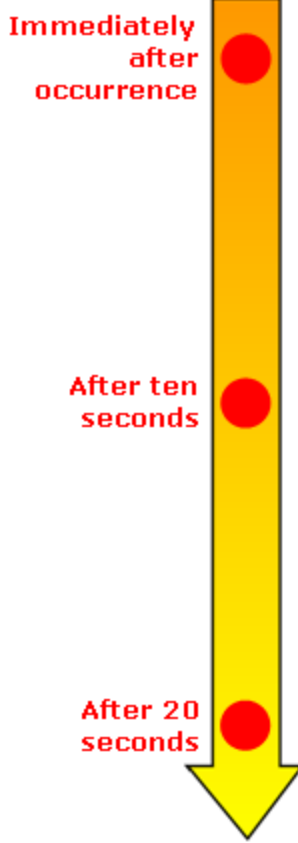
	Regional	Onsite
Network deployment	Source region	Target area
Data analysis	Network based	Single station
Output parameters	Location, magnitude	Location, magnitude or expected intensity
Accuracy on source parameter estimation	Good to high	Moderate
Lead-time	T_s at the target– T_p at the source	T_s at the target– T_p at the target

from
Satriano et al., SDEE, 2011

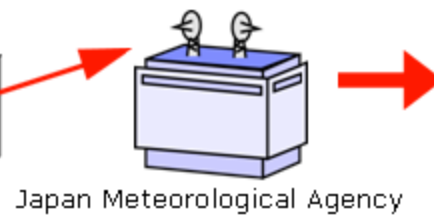
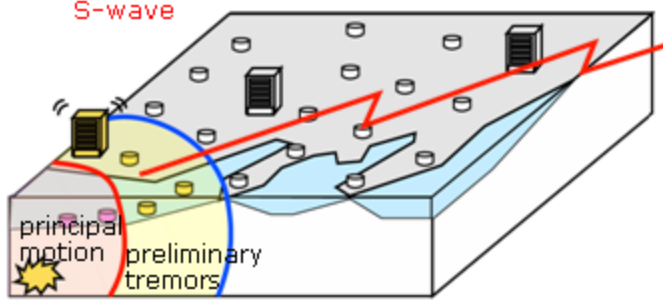
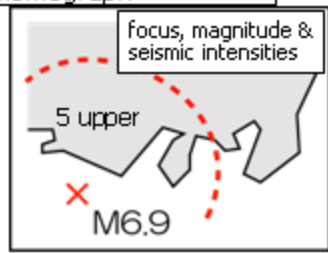
Lead time maximization and improvements in the estimation of parameters (such as magnitude, location) however involve a trade-off. The minimization of the false alarms is also crucial.

Therefore, any EEW system has to be tailored to the specific situation at hand.

An earthquake occurs!

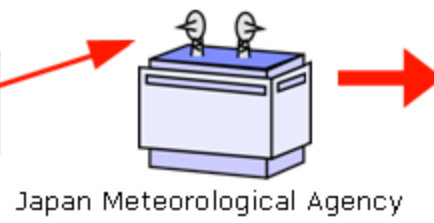
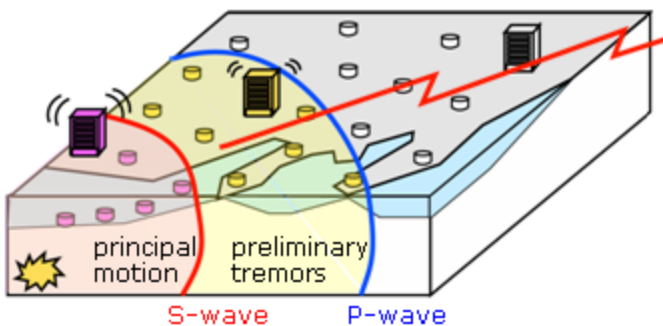
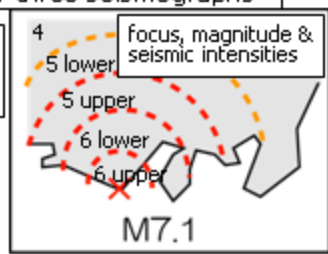


Estimating the focus, magnitude and seismic intensities using data from one seismograph



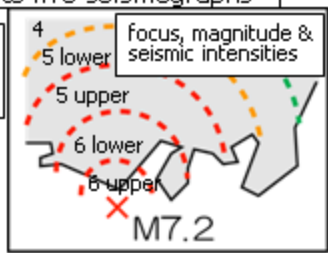
Estimating the focus, magnitude and seismic intensities using data from two or three seismographs

More accurate estimate

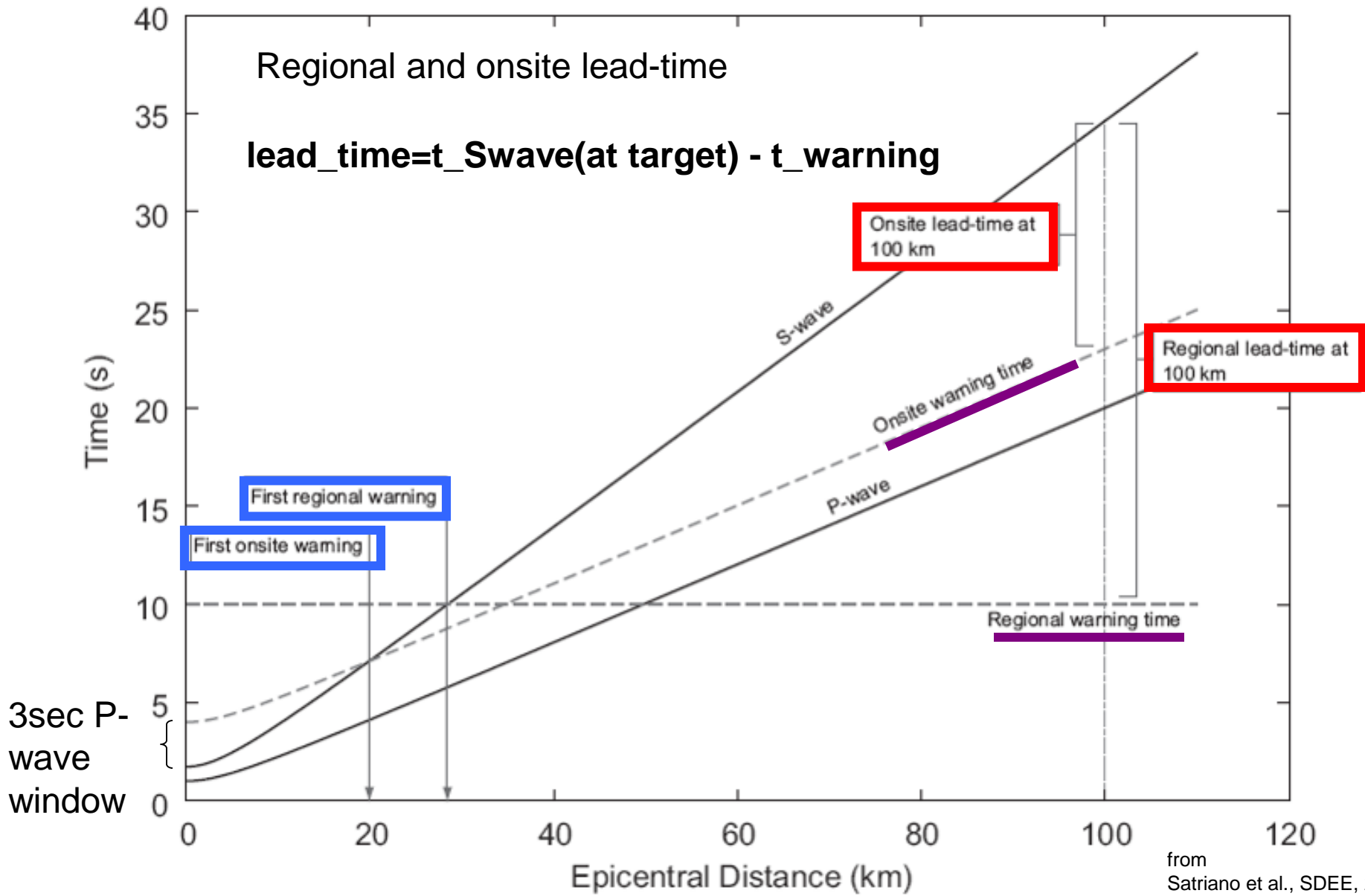


Estimating the focus, magnitude and seismic intensities using data from three to five seismographs

More accurate estimate

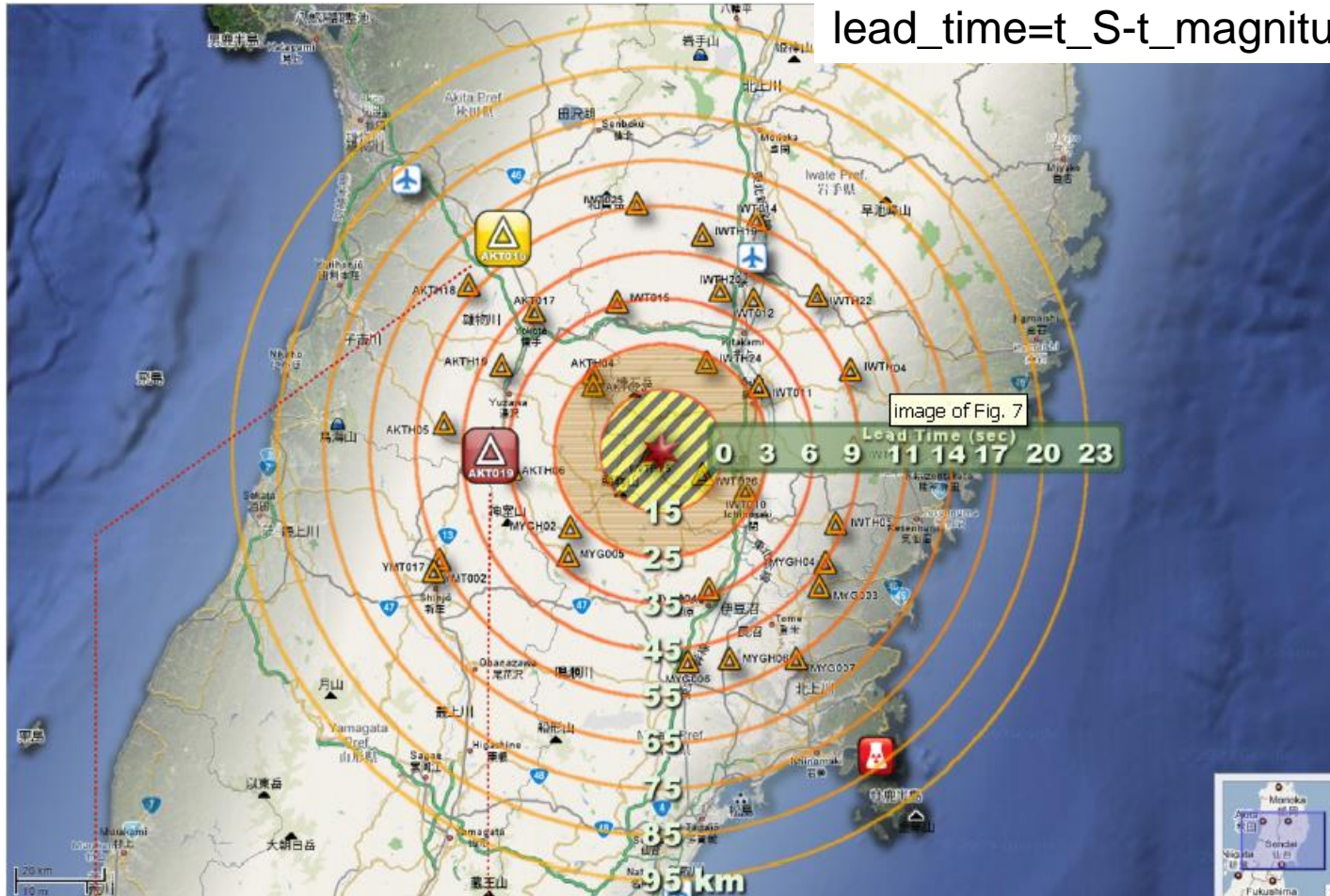


from JMA webpage



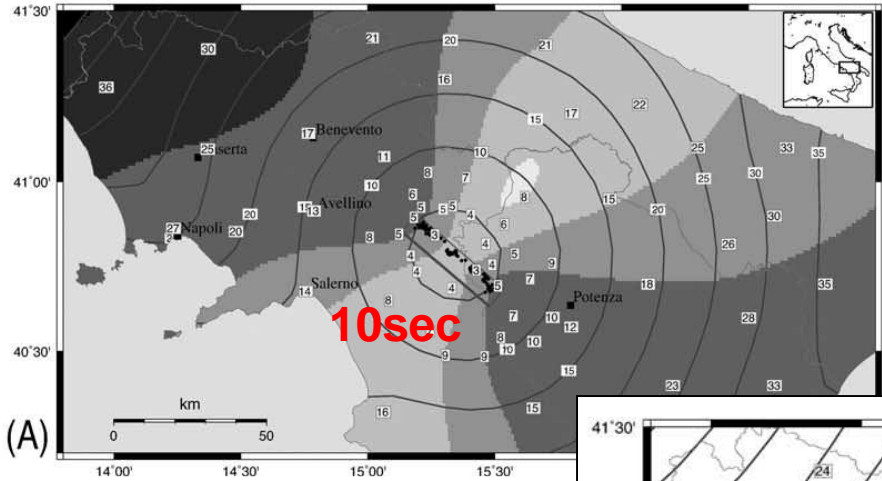
Examples of estimated lead time

2008 Mw 6.9 Iwate earthquake (Japan).
 $\text{lead_time} = t_S - t_{\text{magnitude_estimated}}$



from
Satriano et al.,
SDEE, 2011

Examples of estimated lead time

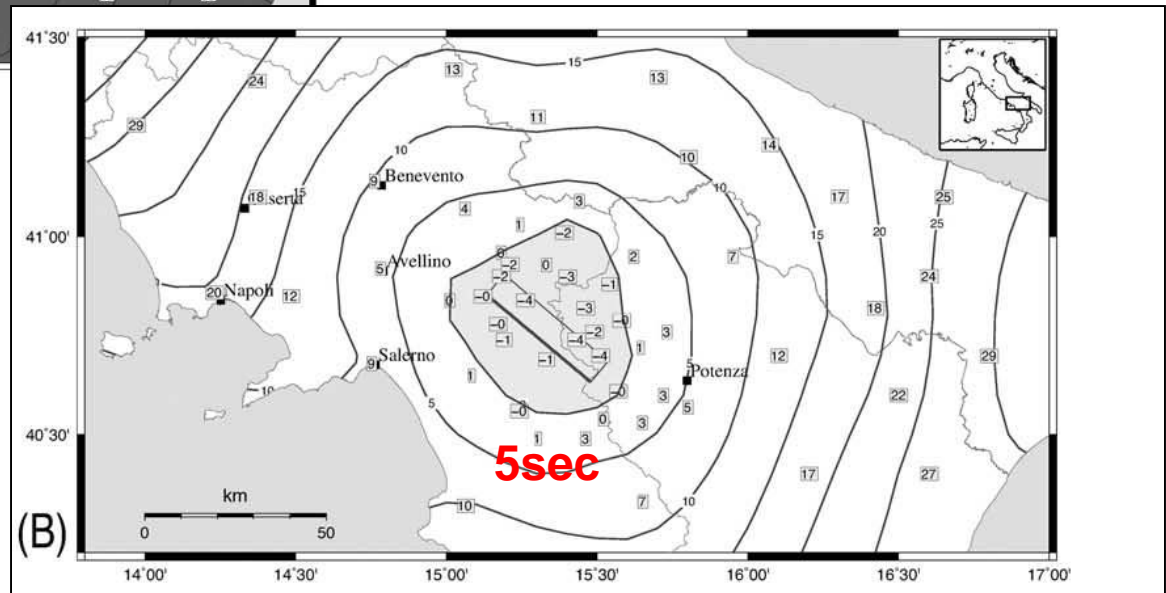


1980 Mw 6.9 Irpinia earthquake

(maximum) $\text{lead_time} = \text{time_S} - \text{time_mag\&loc_first estimate}$

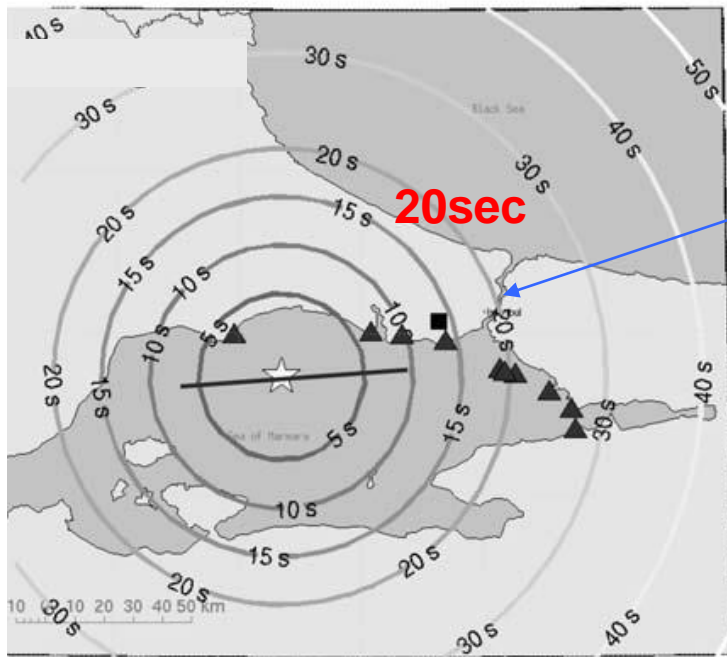
from Zollo et al GRL, 2009

gray area:
blind zone



(effective) $\text{lead_time} = \text{time_S} - \text{time_EW_parameters_stable estimate}$

Examples of estimated lead time



Istanbul

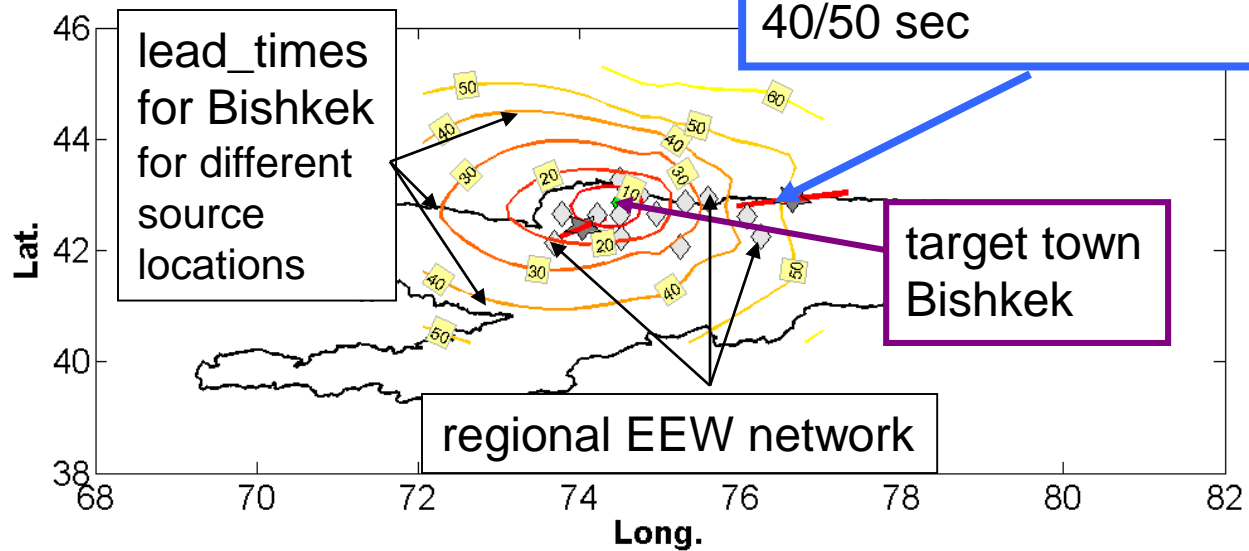
Scenario earthquake in the Marmara sea

from
Böse et al, BSSA, 2008

for this scenario earthquake
the maximum lead time is
40/50 sec

Feasibility study
for
Kyrgyzstan

from
Picozzi et al, JOSE, 2012



Earthquake location

Procedures for estimating early warning parameters are generally based on evolutionary (time-dependent) schemes: the “quick & dirty” estimates obtained by analyzing information gathered by a single station are constantly updated as soon as new data are acquired by the system.

Example:

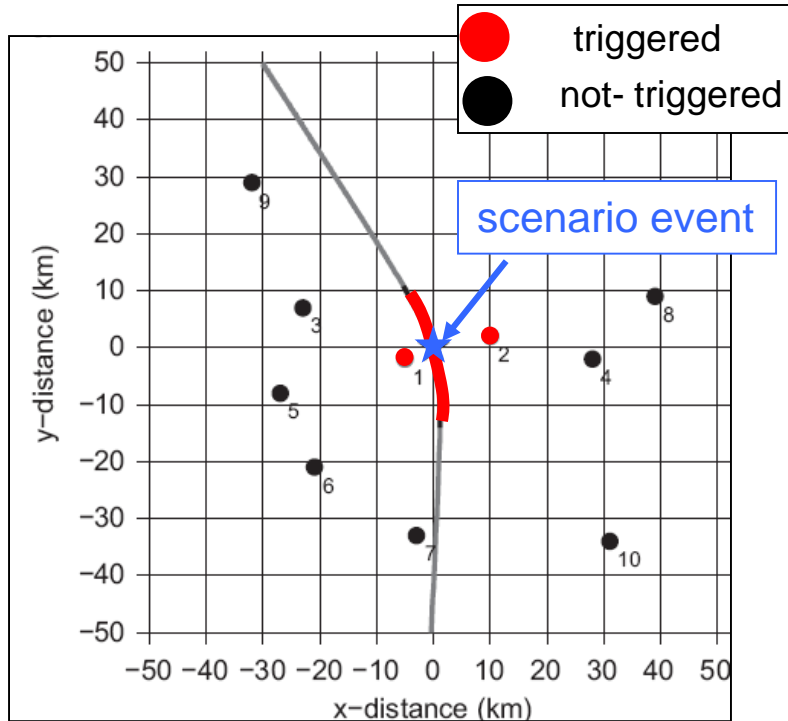
ElarmS (California, Wurman et al 2007):

- A) Detection based on STA(0.5sec)/LTA(5sec) ratio at each individual station.
- B) Initial hypocenter placed with respect to the triggered station (depth fixed according to the regional tectonic regime).
- C) When a second station is triggered, the epicenter is moved between the two stations.
- D) With three or more triggers, event location and origin time are estimated using a grid search algorithm.

Earthquake location

Recently, new earthquake location procedures have been introduced. These make use of the concept of **not-yet-triggered** stations.

Rydelek & Pujol (2004) constrained the epicentral location using only two triggered stations and a set of not-yet-triggered ones.



Stations 1 and 2 triggered:

$$t_2 - t_1 = \frac{1}{V} (d_2(\mathbf{x}) - d_1(\mathbf{x})) = tt_2(\mathbf{x}) - tt_1(\mathbf{x}) \quad (1)$$

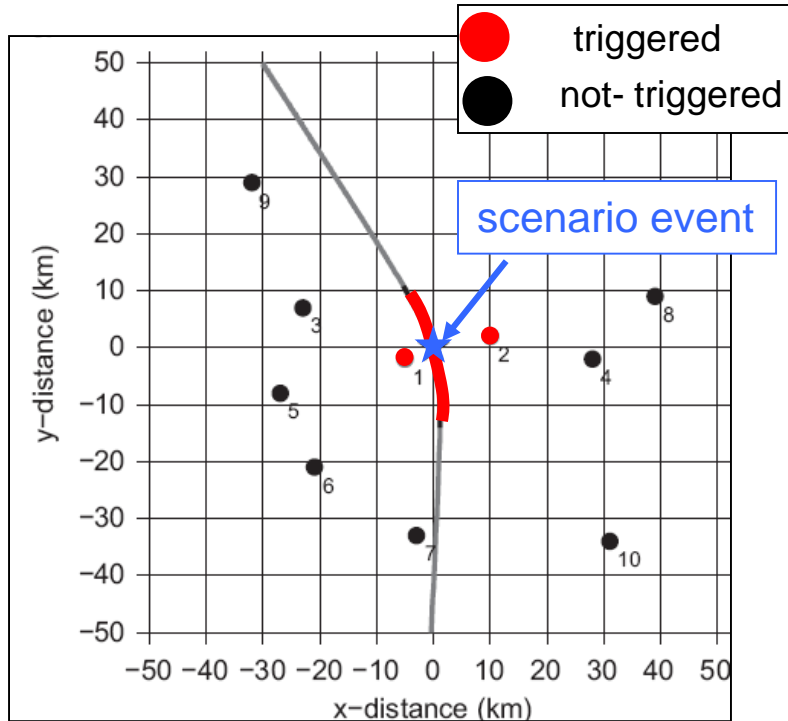
Equation (1) defines a hyperbola (open curve). Station 3 has not yet triggered, therefore

$$\frac{1}{V} (d_3(\mathbf{x}) - d_i(\mathbf{x})) = tt_3(\mathbf{x}) - tt_i(\mathbf{x}) \geq 0, \quad i = 1, 2 \quad (2)$$

and similar inequalities can be set up for the other not-triggered stations. This set of inequalities identifies a segment (shown in red in Figure) over the hyperbola.

Earthquake location

Recently, new earthquake location procedures have been introduced. They make use of the concept of **not-yet-triggered** stations.



$$\frac{1}{V}(d_3(\mathbf{x}) - d_i(\mathbf{x})) = tt_3(\mathbf{x}) - tt_i(\mathbf{x}) \geq 0, \quad i = 1, 2 \quad (2)$$

Horiuchi et al. (2005) extended this approach considering that, as time passes since the first two triggers: a) the constraint on the earthquake location given by (2) increases and b) other stations will trigger. Equation (2) can be generalized to

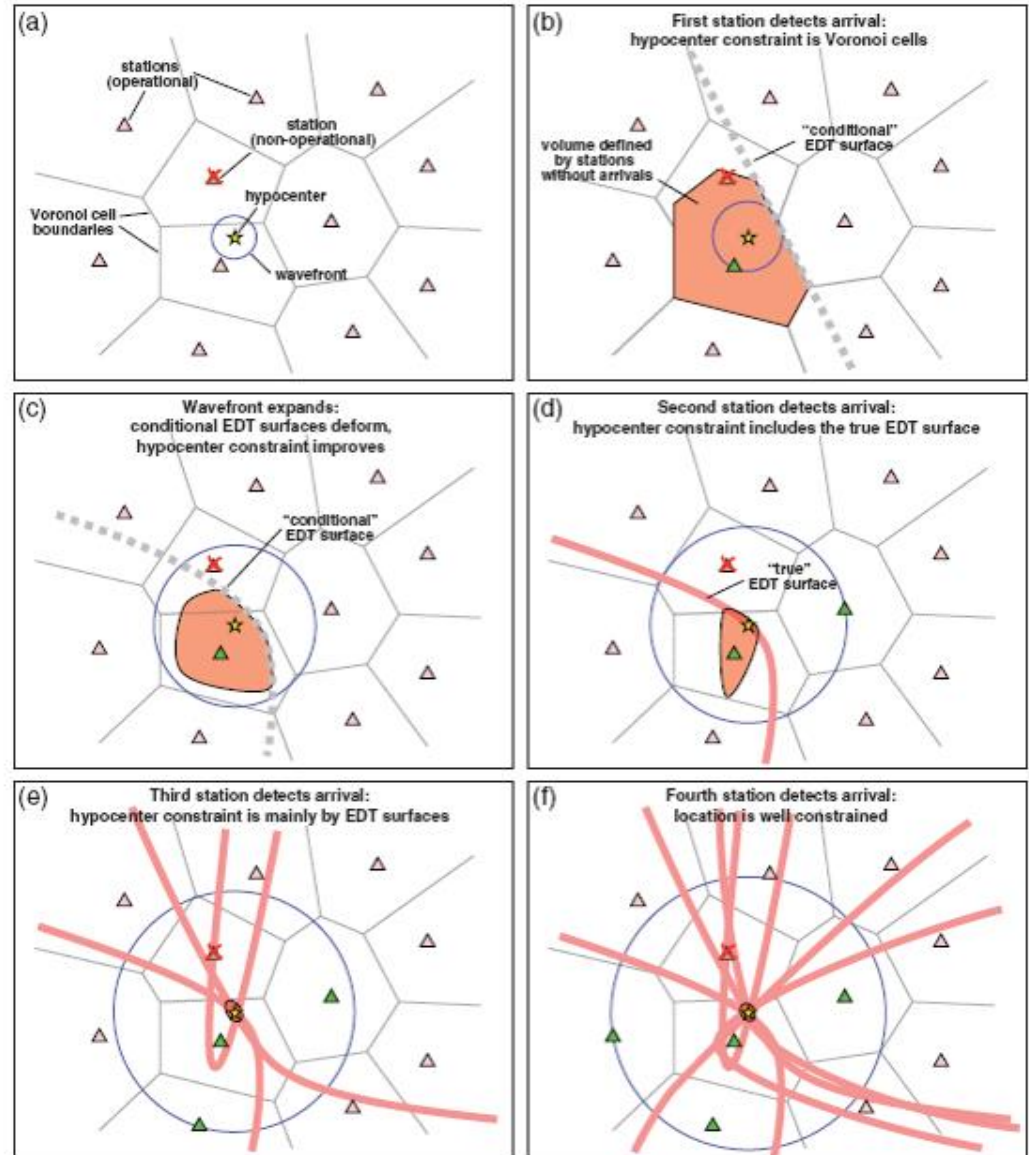
$$tt_j(\mathbf{x}) - tt_i(\mathbf{x}) \geq t_{now} - t_i \quad (3)$$

where i is a triggered-station and j not-trig-station. This inequality identifies a volume containing the hypocenter which shrinks when t_{now} is running

Earthquake location

Cua & Heaton (2007) extended the previous approach by introducing Voronoi cells, in order to start the location determination with only one triggered station.

The approach has been further developed by Satriano et al. (2008) and Rosenberg (2009).



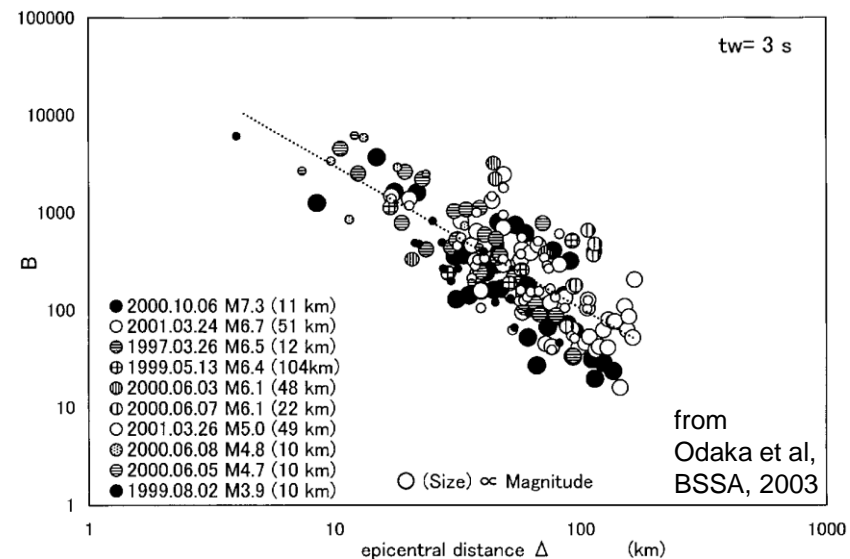
Earthquake location

Regarding the **Onsite** approaches, there are some examples of location (and magnitude) **estimation using a single station**.

Nakamura (1984). The UrEDAS system first estimates the magnitude on the basis of the predominant period of the P-waves.

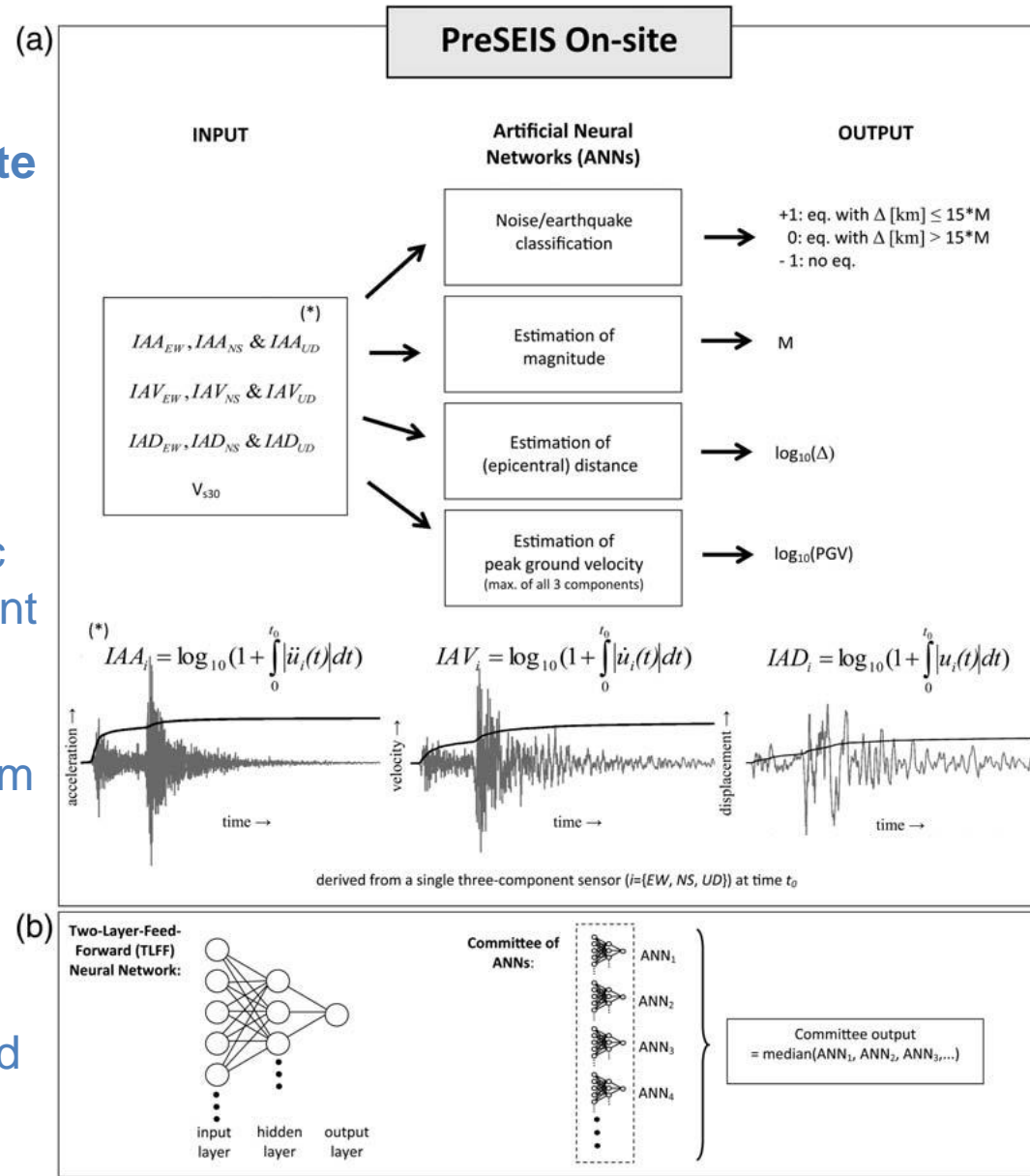
Then, the hypocentral distance is inferred from the peak P-wave amplitude using an empirical magnitude-amplitude relation that includes the hypocentral distance as a parameter. The azimuth of the epicenter is determined by polarization analysis over the three components.

Odaka et al (2003). The function $B t \exp(-A t)$ is fitted to the envelope of the vertical component of acceleration (considering the first 3 sec). It has been observed that $\log(B)$ is proportional to $-\log(\text{distance})$. The distance is first found using the measured B value, then the magnitude is determined using empirical equations for P-wave amplitude as in the Nakamura method.



Earthquake location

Böse et al (2012). The **PreSeis On-site** approach provides a rapid earthquake/noise discrimination, a near/far source classification, and estimates the moment magnitude, the epicentral distance, and the peak ground velocity at the site of observation. PreSeis uses the seismic acceleration, velocity, and displacement waveforms recorded at a single three-component Strong Motion (SM) or Broad-Band (BB) sensor. The algorithm is based on Artificial Neural Networks (ANNs). Moreover, it uses global data sets of BB and SM records for the training phase. This makes the approach more general and less linked to a specific region.



Earthquake magnitude estimation

Rapid magnitude estimation for EEW is based on the observation that quantities like peak displacement, characteristic period, etc., estimated in the first few seconds of the recorded P- or S-signal, can be correlated to the final earthquake size. The EEW magnitude estimation is therefore based on empirical relationships between early-measured parameters and the earthquake's size.

from
Satriano et al., SDEE, 2011

Examples:

The use of the initial portion of recorded P-wave for magnitude determination was introduced by Nakamura (1988). The **predominant period** is computed from the initial 2-4 sec of P-wave. It is called τ_p after Allen and Kanamori(2003). It is computed in real time from the vertical component of velocity (V) and acceleration (A):

$$\tau_{p,i} = 2\pi \sqrt{\frac{V_i}{A_i}} \quad \text{where} \quad \begin{aligned} V_i &= \alpha V_{i-1} + v_i^2 \\ A_i &= \alpha A_{i-1} + a_i^2 \end{aligned} \quad \text{and } \alpha \text{ is a smoothing parameter from 0 and 1.}$$

Earthquake magnitude estimation

Nakamura (1988) and Allen and Kanamori(2003) observed that the predominant period linearly scales with the earthquake size.

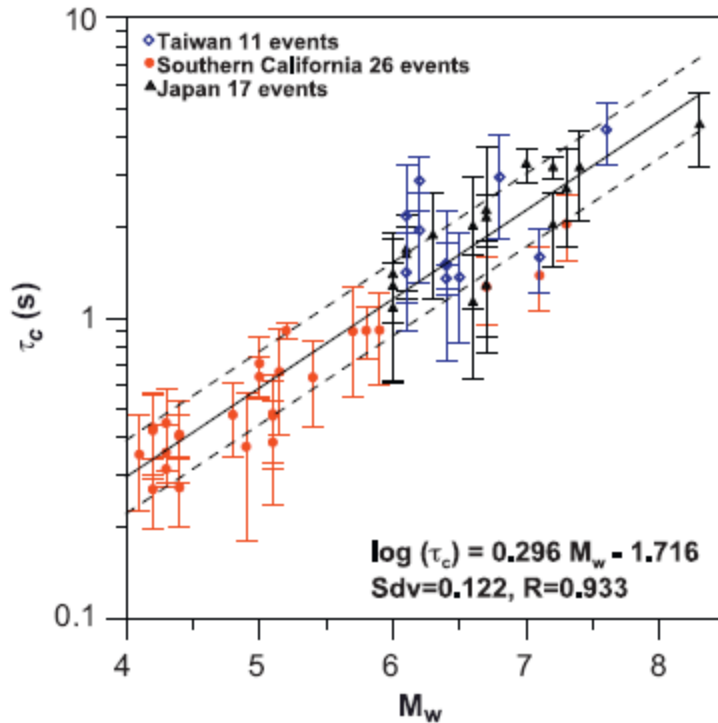
Kanamori (2005) introduced the parameter τ_c which is similar to τ_p but defined as

$$r = \frac{\int_0^{\tau_0} \dot{u}^2(t) dt}{\int_0^{\tau_0} u^2(t) dt} \quad \tau_c = \frac{1}{\sqrt{\langle f^2 \rangle}} = \frac{2\pi}{\sqrt{r}}$$

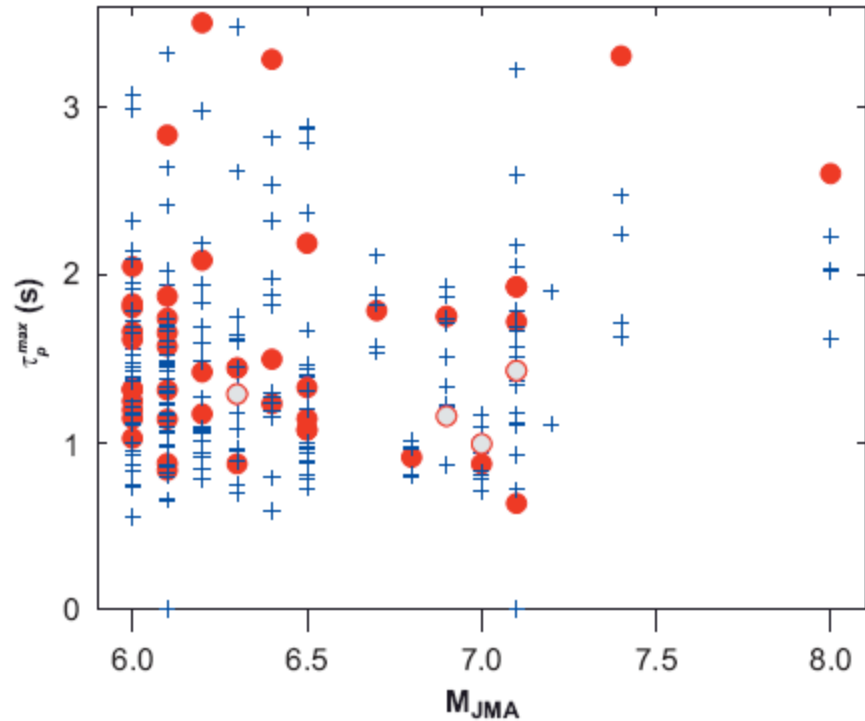
With τ_0 generally equal to 3 sec, and with displacement obtained by numerical integration and high-pass filtered at 0.075 Hz.

The effectiveness of this approach is still under debate.

Earthquake magnitude estimation



Wu and Kanamori (2008):
Correlation between τ_c and M_w of earthquakes in Japan, Southern California, and Taiwan.



Rydelek and Horiuchi (2006):
No-Correlation is seen between τ_p and M_{JMA} of earthquakes in Japan (Hi-Net)

Earthquake magnitude estimation

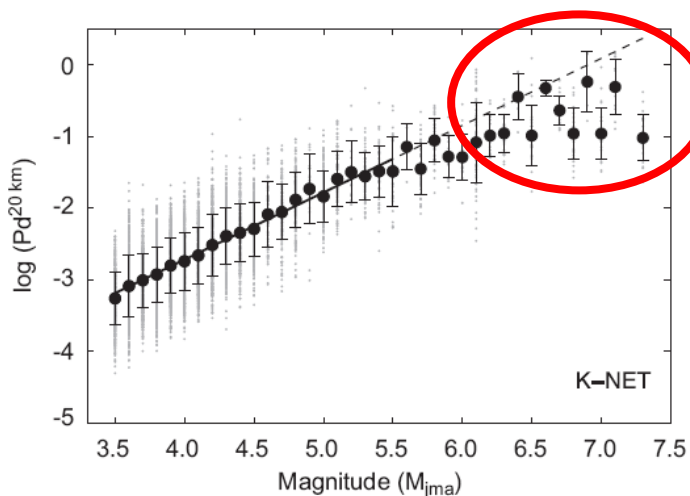
Different parameters from the predominant period have been introduced.

Wu & Zhao(2006) and Zollo et al. (2006) investigated the peak displacement amplitude measured on the early P (and S) phases.

Wu and Zhao called this parameters Pd, measured on the vertical component, using the first 3 sec after the P arrival. They studied the attenuation of Pd with magnitude and distance in southern California:

$$\log P_d = A + BM + C \log R$$

where the constants A, B, and C are determined trough regression analysis for the studied area. Once the distance is determined by the EEW algorithm, this empirical model is used to estimate M from the measured Pd.

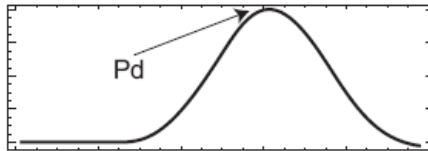


The saturation effect is removed by considering larger windows (4sec of P-wave) or using the peaks read from the S-waves (Zollo et al, 2996; Lancieri and Zollo, 2008).

from
Satriano et al., SDEE, 2011

Earthquake magnitude estimation

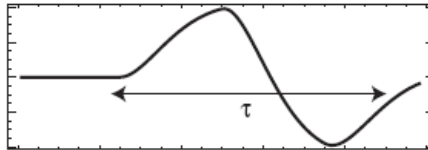
Another class of EEW parameters used for estimating the earthquake size involves **integral measurements** (e.g. Festa et al., 2008)



Displacement

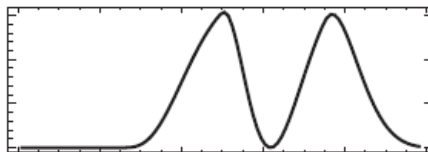
Peak

from
Satriano et al., SDEE, 2011



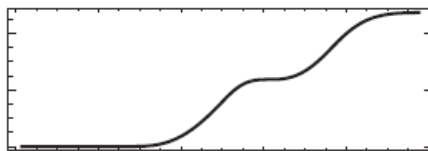
Velocity

Predominant
period

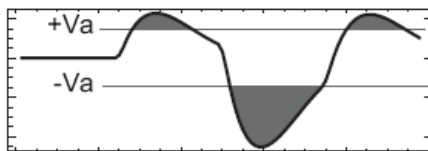


V^2 or $|A|$

Integral



Int V^2 or CAV



Acceleration

Average peak

Time

$$CAV = \int_0^{t_{max}} |a(t)| dt$$

$$IV2_c = \int_{t_c}^{t_c + \Delta t_c} v_c^2(t) dt$$

with $c = P$ or S phases

ShakeAlert

Every second counts

How does it work?

1ST EXAMPLE:

Napa, M6

24 Aug 2014

2ND EXAMPLE:

So. Cal. M7.8 Scenario

Time
since
earthquake

0:00
min:sec

• Napa

• Berkeley

• San Francisco

Shaking intensity: Weak Light Moderate Strong V. Strong Severe Violent Extreme

I

II

III

IV

V

VI

VII

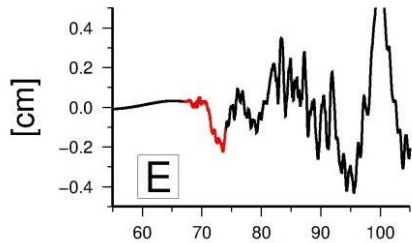
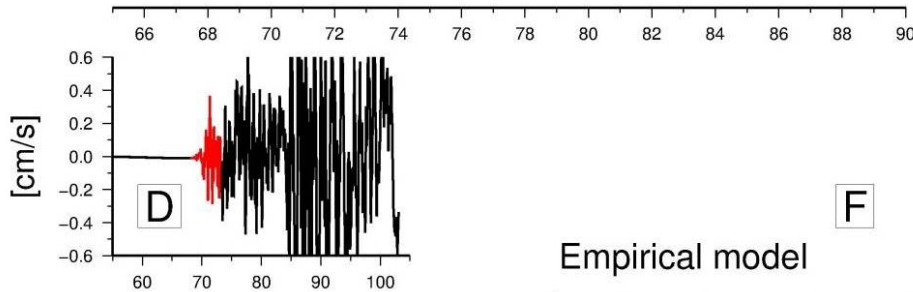
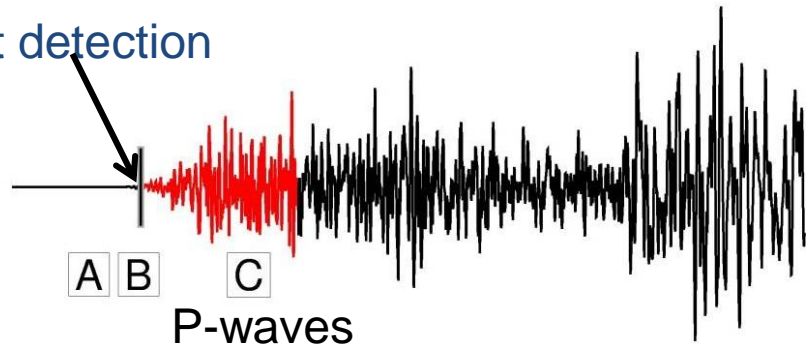
VIII

IX

Decentralised Onsite Early warning

Real-time acceleration

Event detection



Empirical model

$$\log PGV(S) = a + b * \log PGD(P)$$

from early P-wave
(measurement)

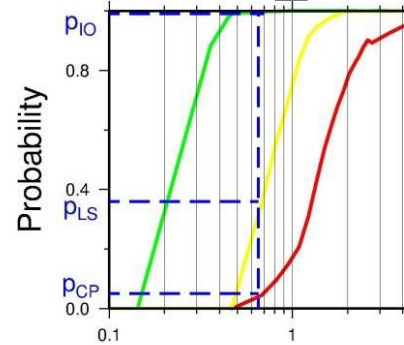


to S-wave
(prediction)

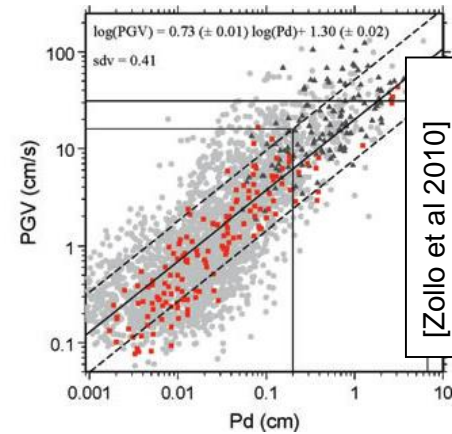
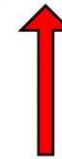
Alert protocols based on PGV thresholds & expected damage levels



Alert protocols based on PGV thresholds



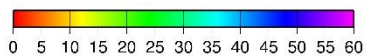
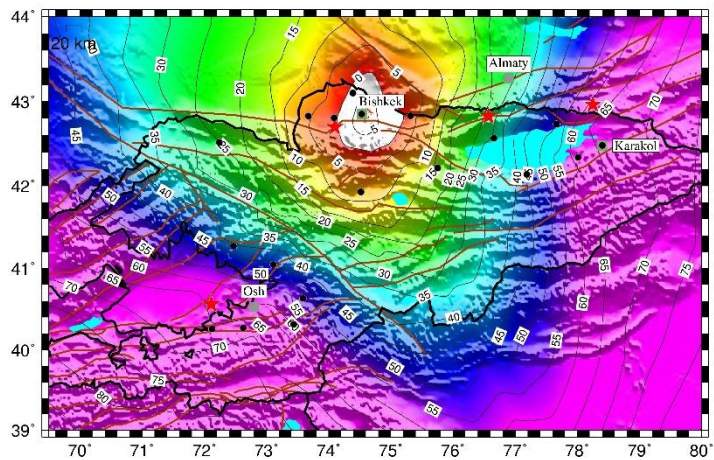
PGV [m/s]



Peak Displacement over 3s P-wave

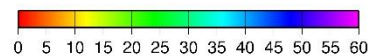
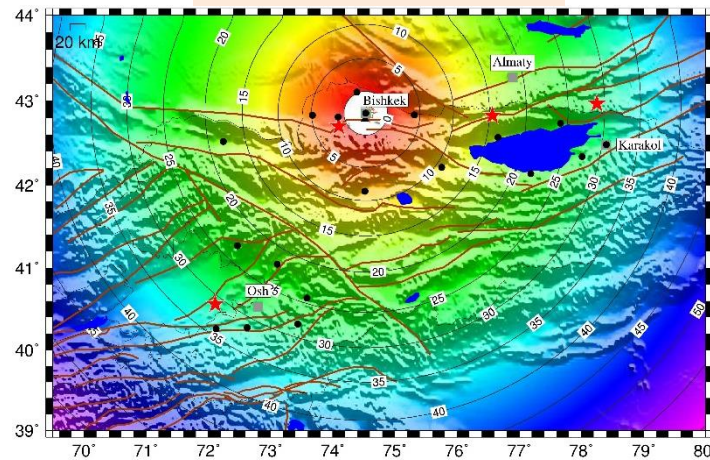
Online application to Kyrgyzstan: Lead time for Bishkek

ACROSS Network



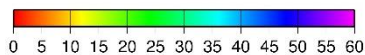
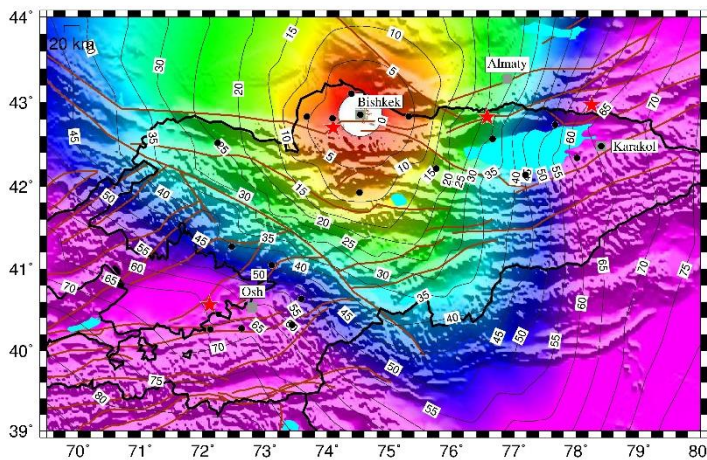
Lead time [s]

DOSEW



Lead time [s]

ACROSS + DOSEW

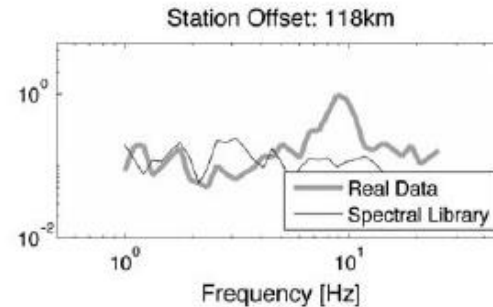
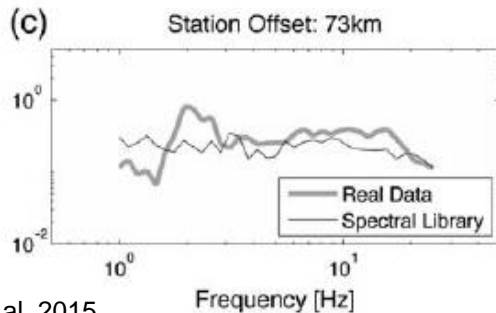
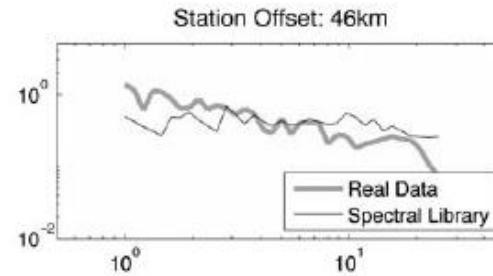
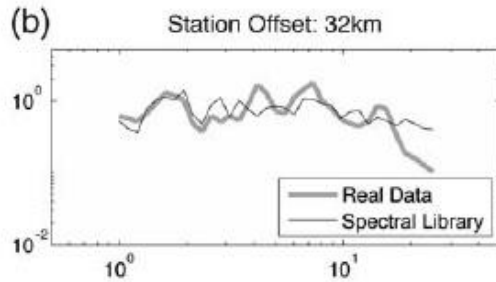
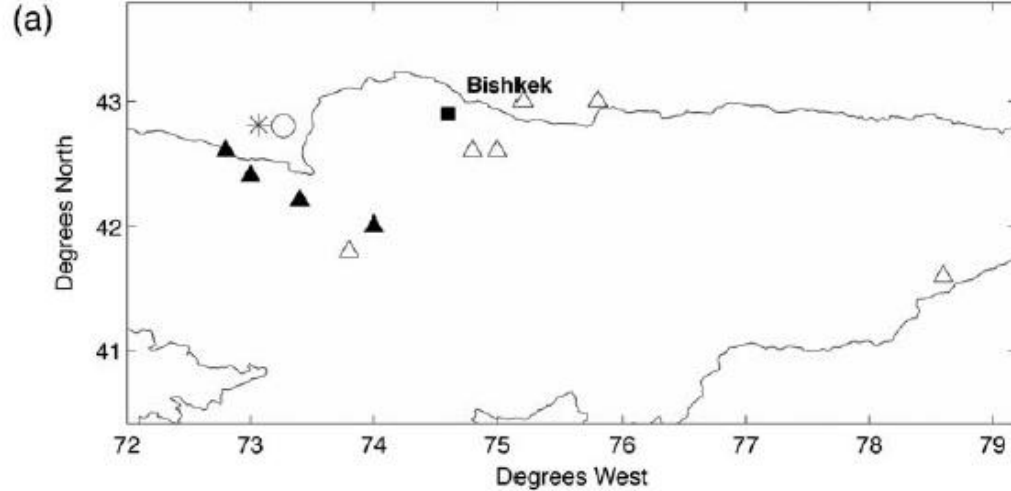


Lead time [s]

The **Presto** (Regional) and **GFZ-Sentry** (Decentralised on Site) softwares are running in a testing phase on the network

from Parolai et al.,2017, Frontiers

Are magnitude and location necessary?



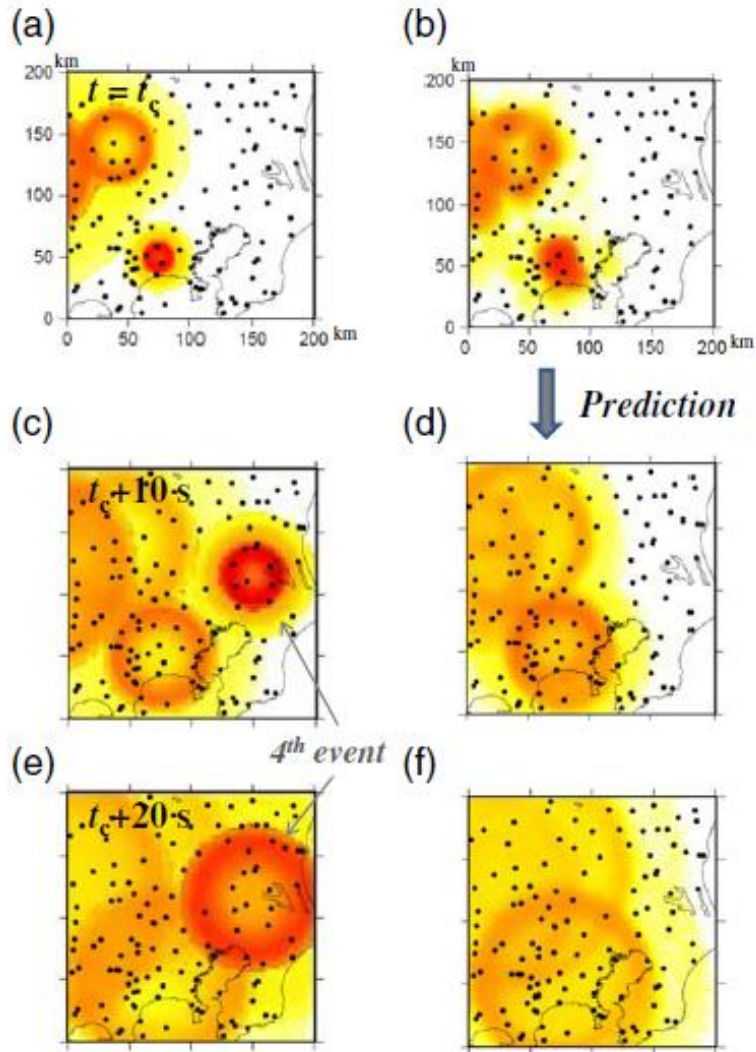
Spectral content used to improve Earthquake Early Warning Systems Bishkek

Timely warning than was possible using a threshold on ground motion

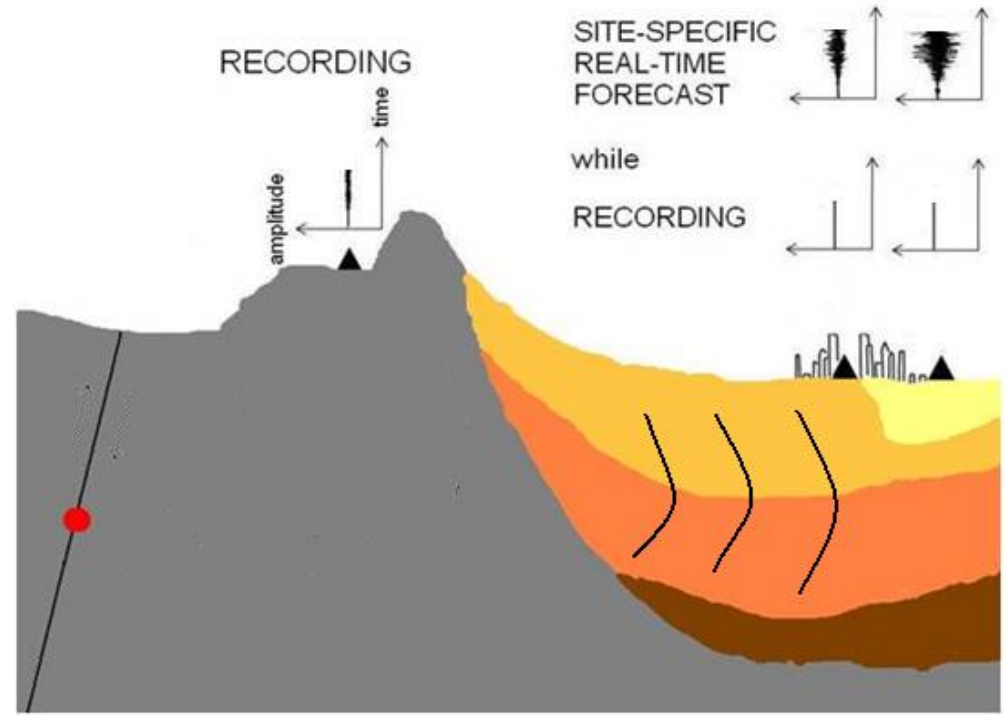
Improvement should come from a combination with **On-Site Early Warning**

Some Emerging questions

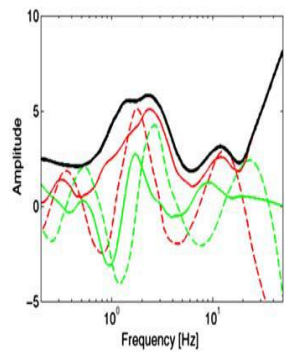
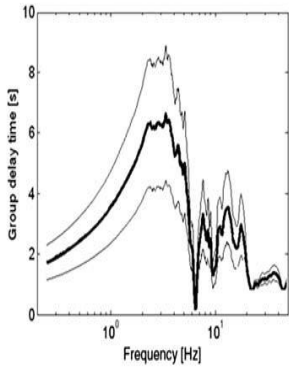
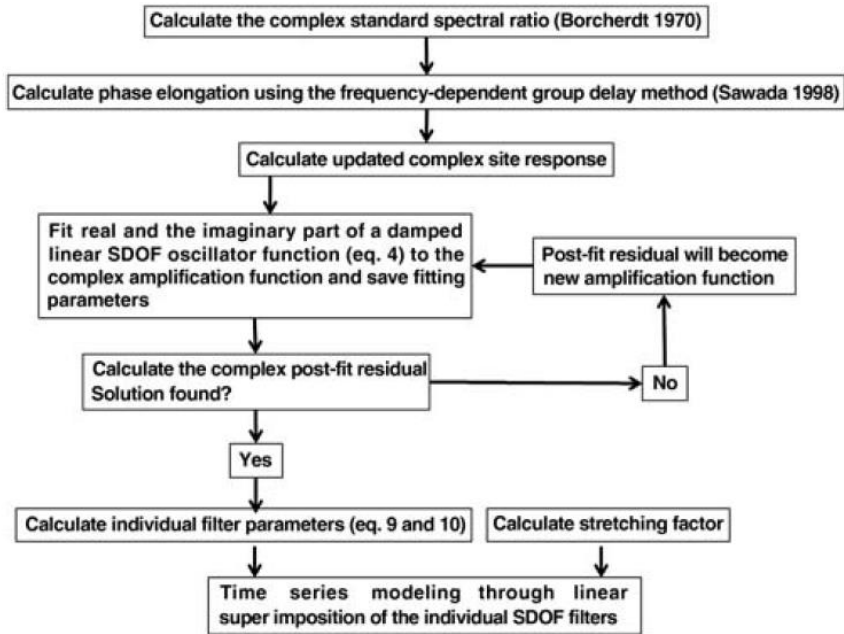
How to deal with nearly simultaneous aftershocks?
 How to include site effects in real time shaking forecasting?



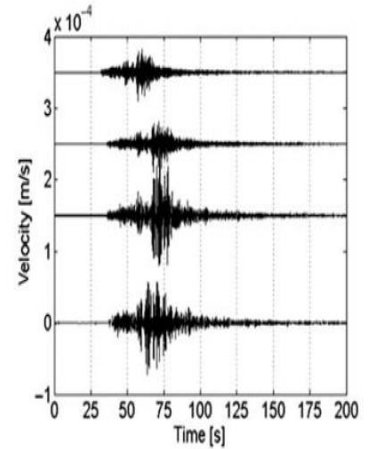
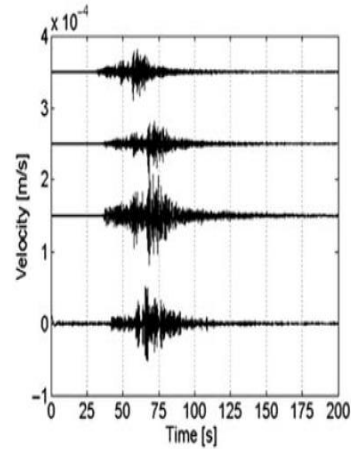
Hoshiaba and Aoki (2015):



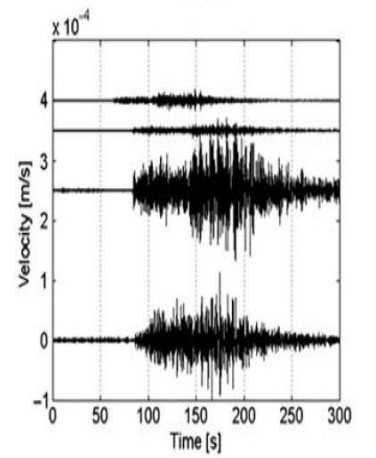
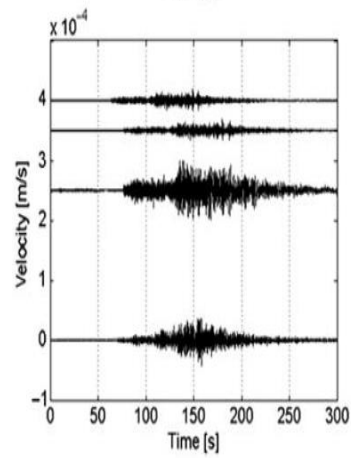
Pilz and Parolai (2016), Hoshiaba (2020)



Reference
 stretched
 + site
 observed



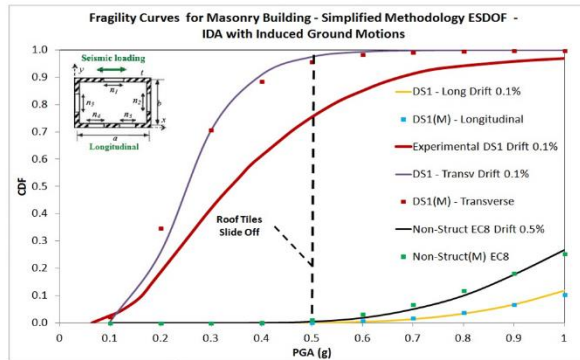
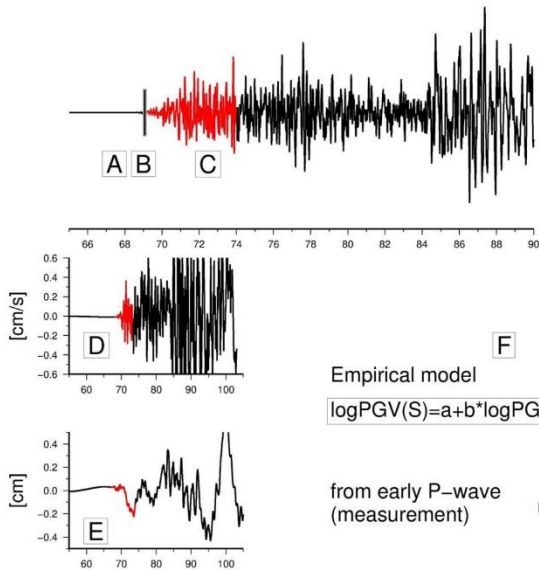
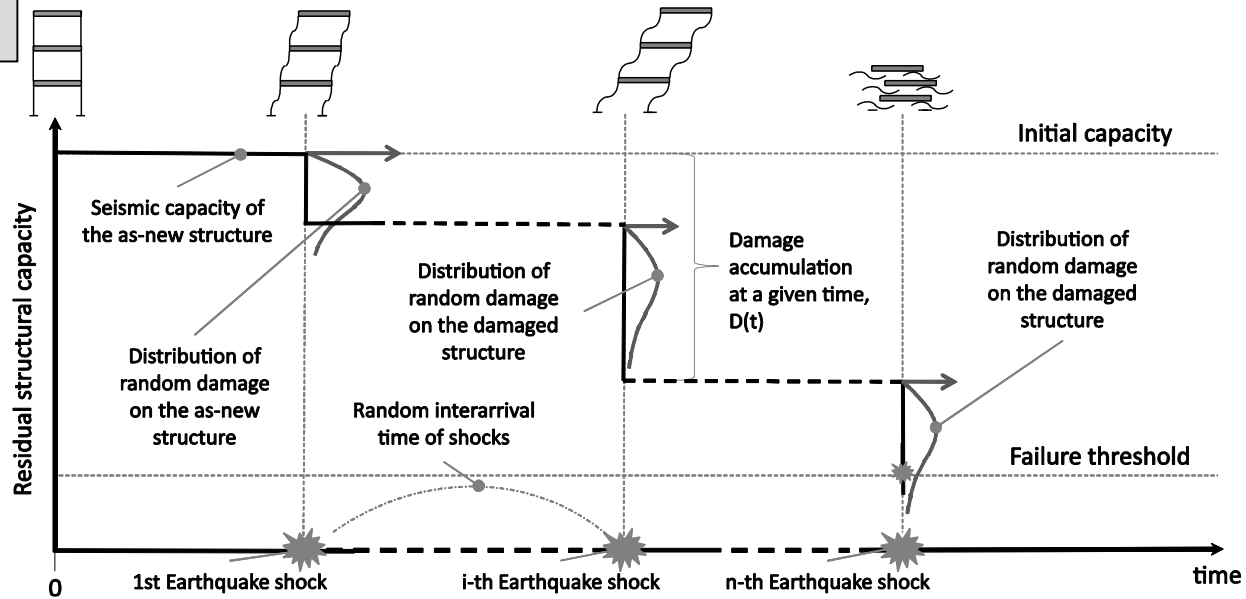
Reference
 stretched
 + site
 observed



Emerging questions

Aftershocks early warning and monitoring: time dependent vulnerability

Non structural damage: Induced seismicity



Empirical model

$$\log PGV(S) = a + b * \log PGD(P)$$

from early P-wave (measurement)

to S-wave (prediction)

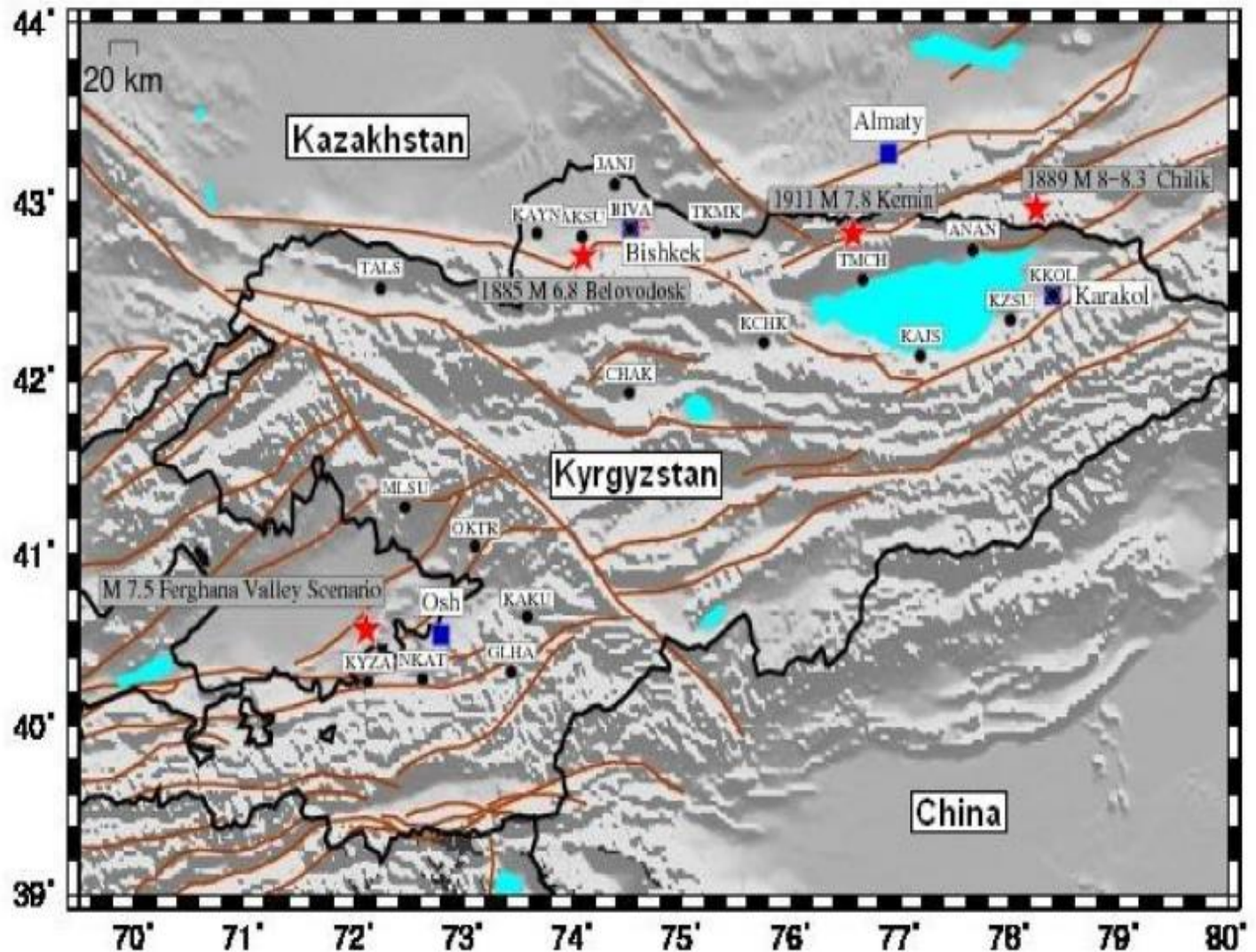
Developed for Drift Sensitive Brittle Non-Structural Components of URM buildings.



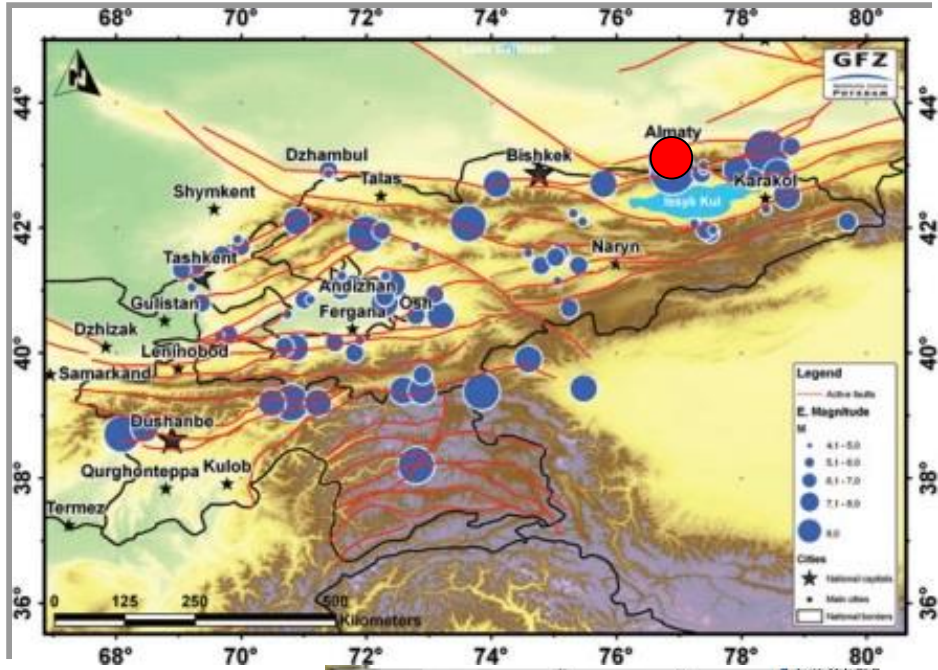
MP-Wise (Multi-Parameter Wireless Sensing System)

Applications

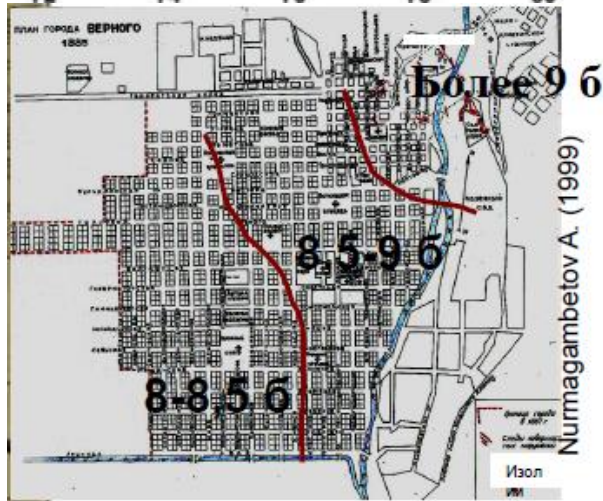
ACROSS Network



1887 Verny Earthquake M=7.3



Nurmagambetov (1999)



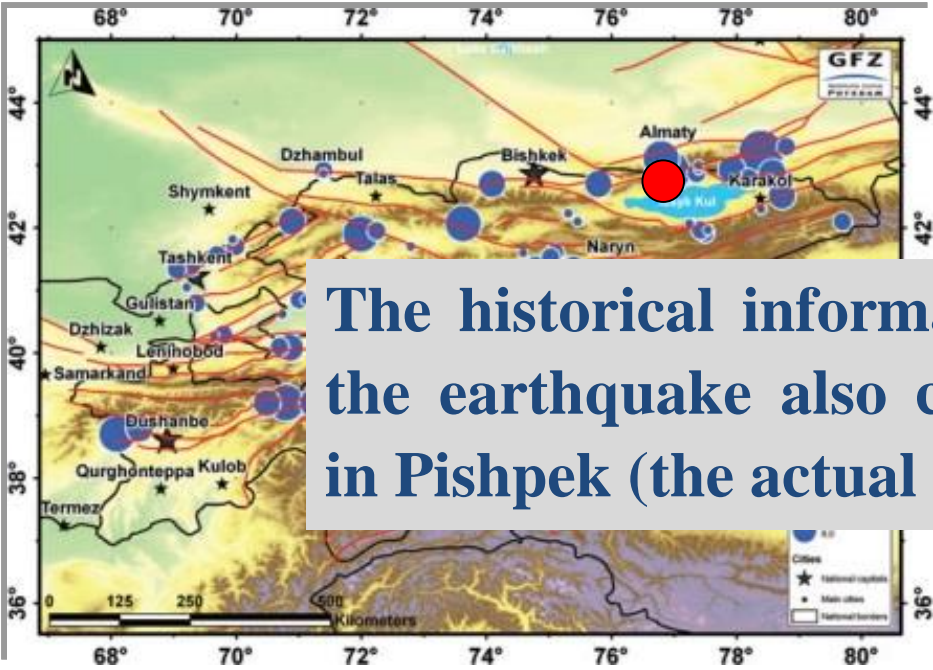
Macroseismic
Intensities in
Almaty

~300
death



Nurmagambetov (1999)

1911 Kemin Earthquake M=7.8-8.0

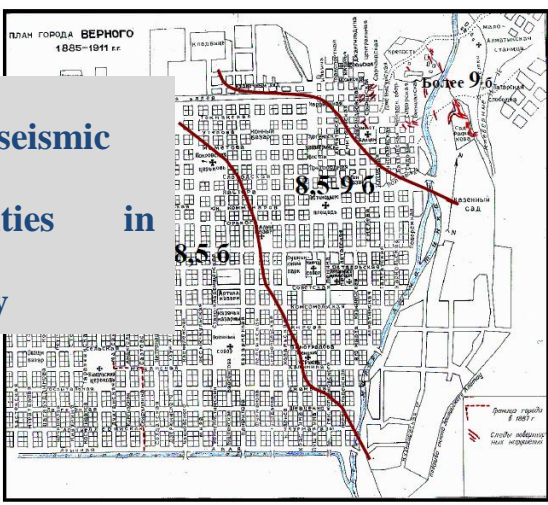


The historical information suggests that the earthquake also created devastation in Pishpek (the actual Bishkek)

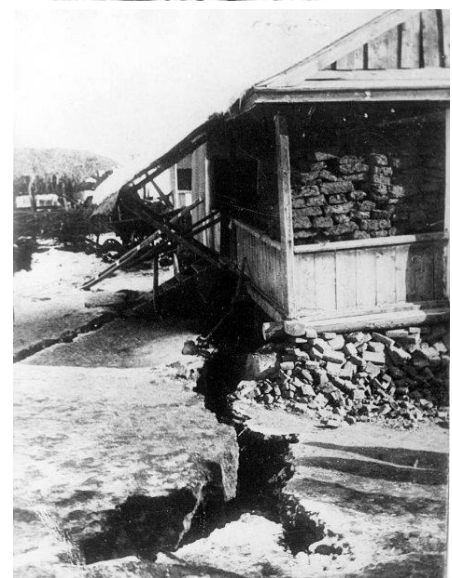


Nurmagambetov (1999)

Macroseismic Intensities in Almaty

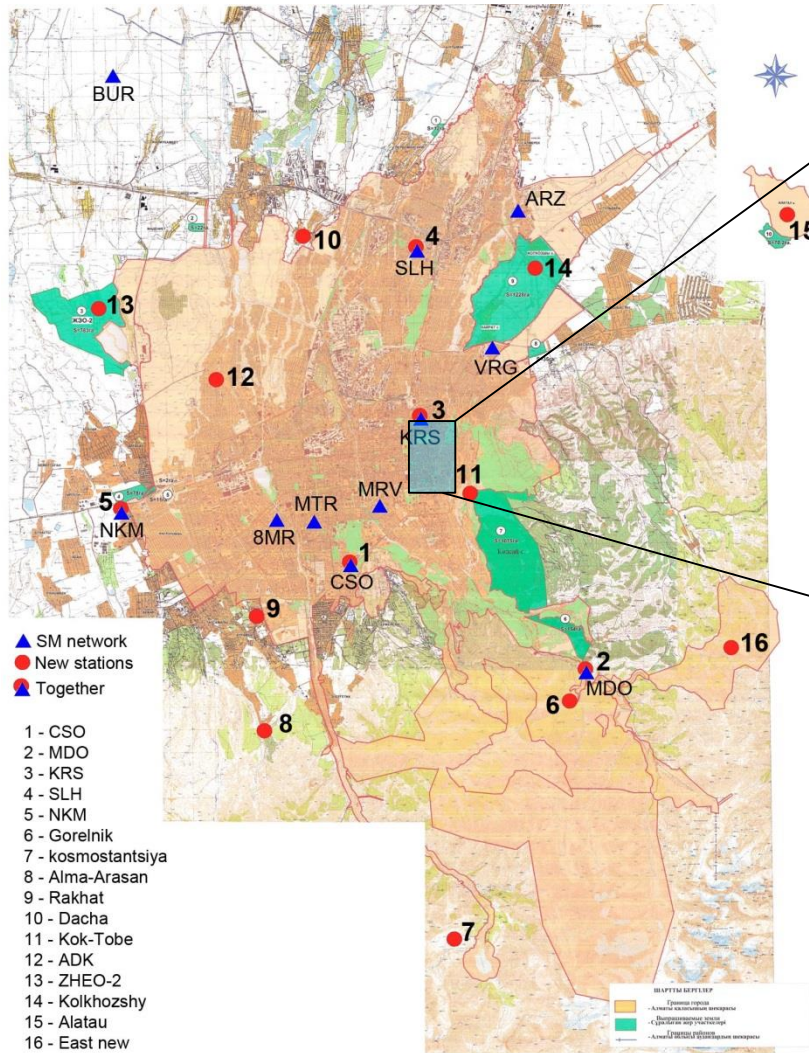


Nurmagambetov (1999)



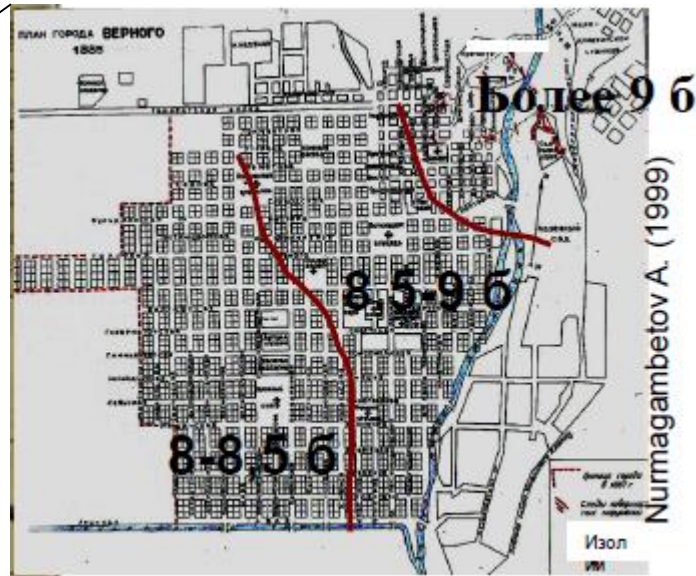
Nurmagambetov (1999)

High risk considering the urban dynamic



Parolai et al (2018) in preparation

dynamic

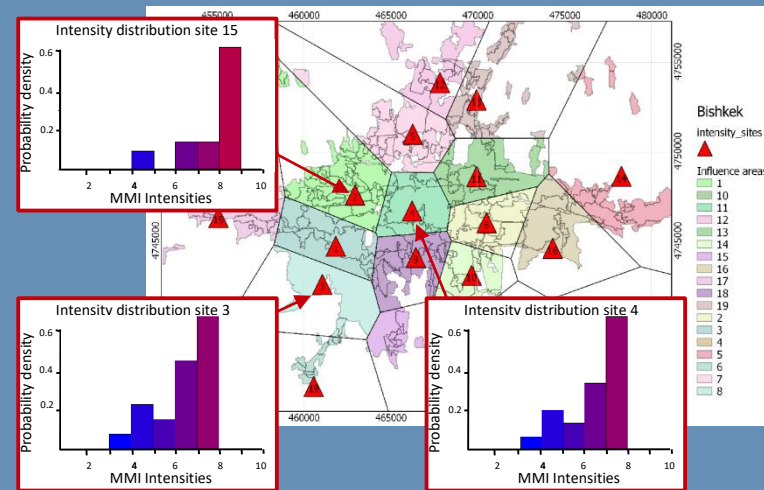
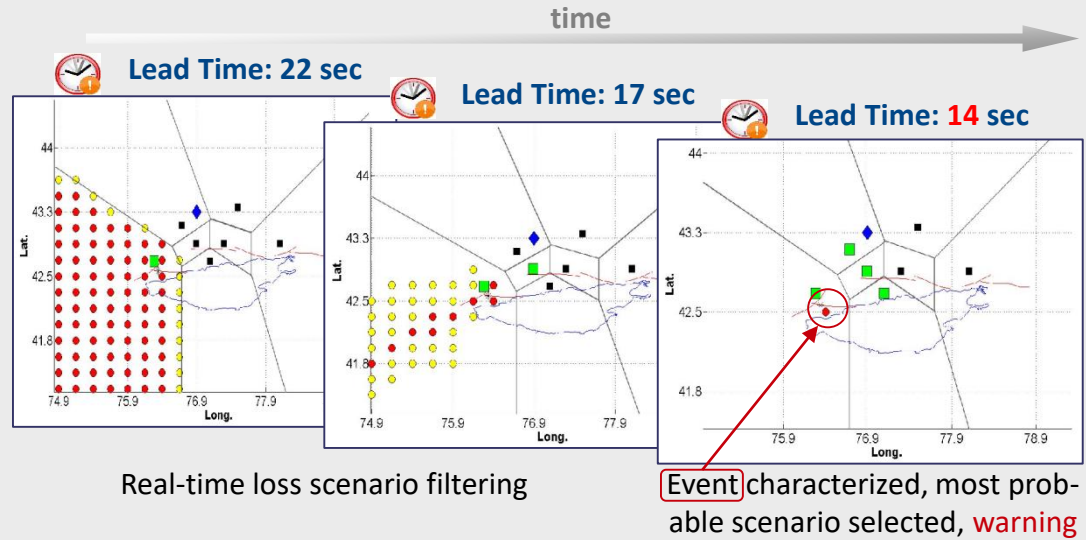
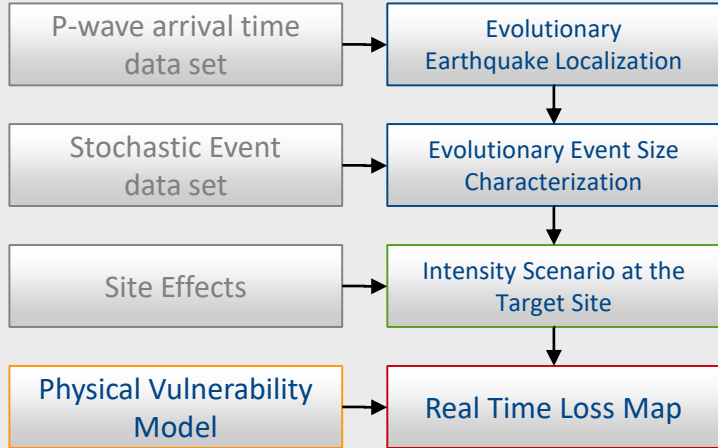


City	Population (millions)	Estimated deaths (thousands)	Estimated Injuries (thousands)
Almaty	1.5	75	300
Bishkek	0.8 (now ~1)	40	160

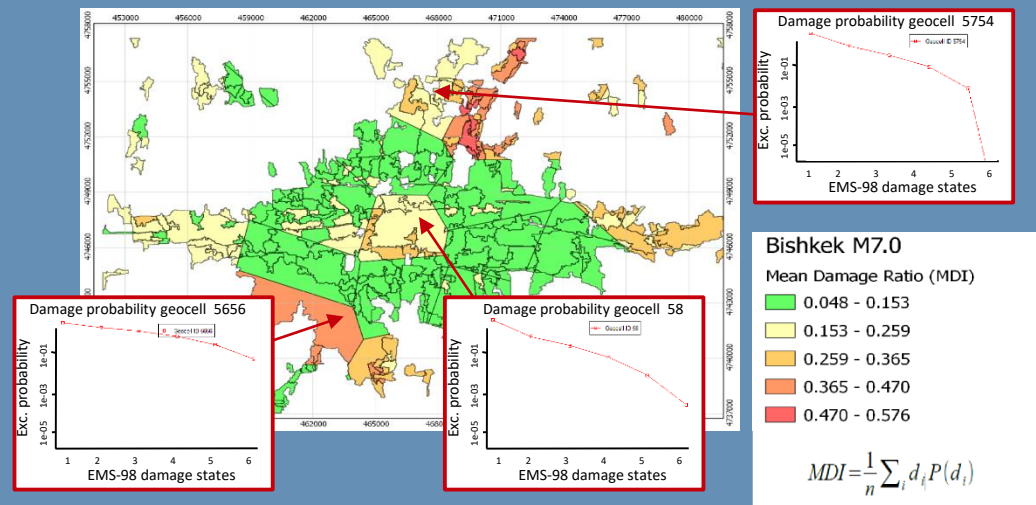
GeoHazards Int. B.Tucker, pers. comm.

Earthquake risk early warning

Picozzi et al (2013)



Spatial distribution of simulated intensity



Damage probability of exceedance

Decentralised On Site Early Warning

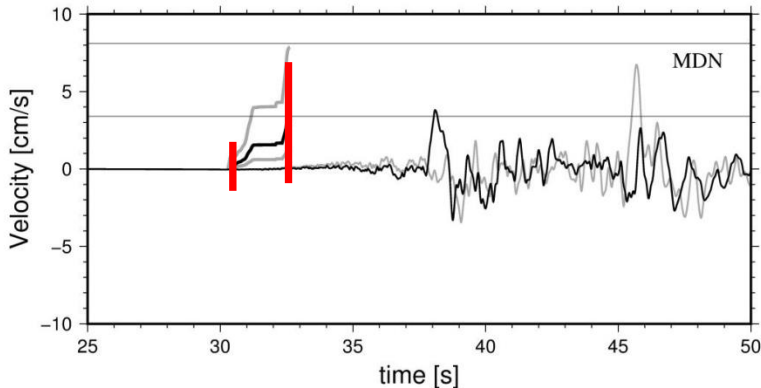
Low pass filtering

Integration in velocity and displacement

Event detection

(possibility of combining info from the low and high pass filtered record or pred period)

PGV estimation (mean +/- s)



M 5.9 20th May 2012 Emilia earthquake

$\text{mean} + \sigma > 8.1 \text{ cm/sec}$ Intensity $\geq \text{VI}$

	$\text{mean} - \sigma > 8.1 \text{ cm/sec}$	$8.1 \text{ cm/sec} > \text{mean} - \sigma > 3.4 \text{ cm/sec}$	$\text{mean} - \sigma < 3.4 \text{ cm/sec}$
Mean $> 8.1 \text{ cm/sec}$			
$8.1 \text{ cm/sec} > \text{mean} > 3.4 \text{ cm/sec}$			
Mean $< 3.4 \text{ cm/sec}$			

$8.1 \text{ cm/sec} > \text{mean} + \sigma > 3.4 \text{ cm/sec}$ Intensity = V

	$\text{mean} - \sigma > 8.1 \text{ cm/sec}$	$8.1 \text{ cm/sec} > \text{mean} - \sigma > 3.4 \text{ cm/sec}$	$\text{mean} - \sigma < 3.4 \text{ cm/sec}$
Mean $> 8.1 \text{ cm/sec}$			
$8.1 \text{ cm/sec} > \text{mean} > 3.4 \text{ cm/sec}$			
Mean $< 3.4 \text{ cm/sec}$			X

$\text{mean} + \sigma < 3.4 \text{ cm/sec}$ Intensity $\leq \text{IV}$

	$\text{mean} - \sigma > 8.1 \text{ cm/sec}$	$8.1 \text{ cm/sec} > \text{mean} - \sigma > 3.4 \text{ cm/sec}$	$\text{mean} - \sigma < 3.4 \text{ cm/sec}$
Mean $> 8.1 \text{ cm/sec}$			
$8.1 \text{ cm/sec} > \text{mean} > 3.4 \text{ cm/sec}$			
Mean $< 3.4 \text{ cm/sec}$			X

from
Parolai et al., 2015

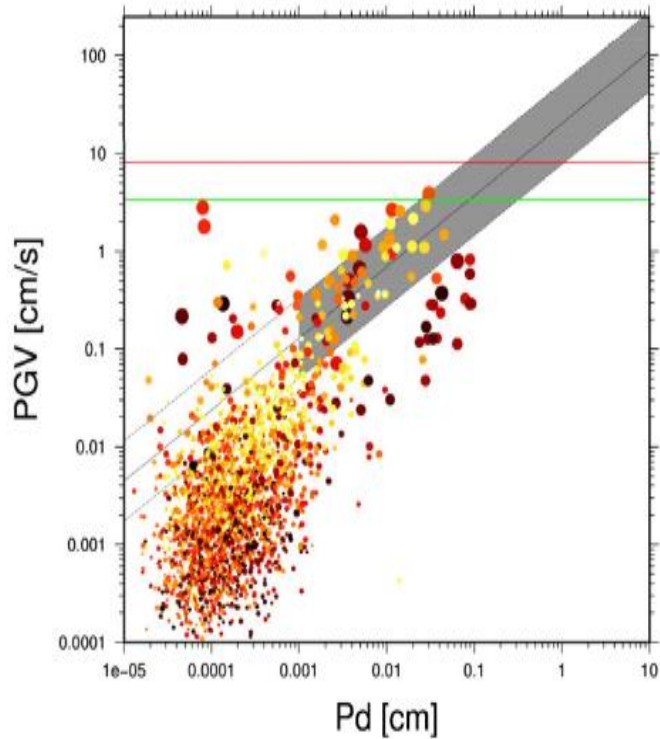
Decentralised Onsite-Early Warning

GFZ-Sentry Software, based on Parolai et al. (2015) and developed in cooperation with GEMPA GmbH.

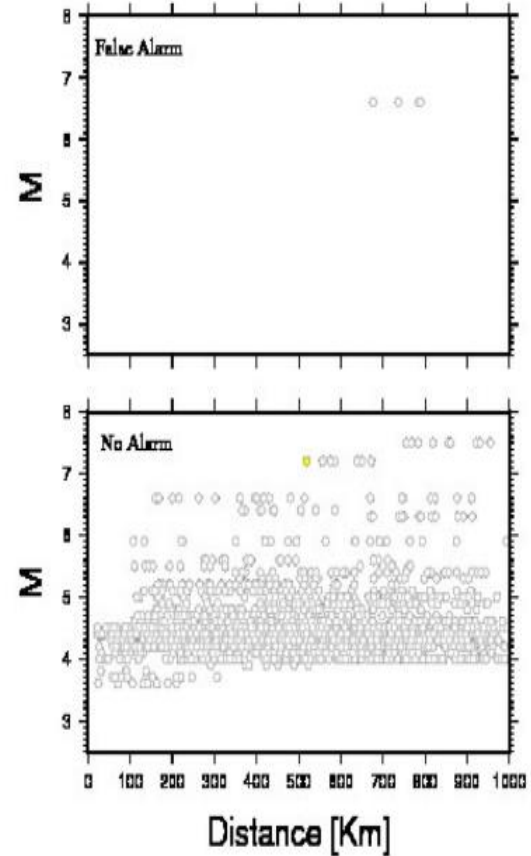
The screenshot displays the GFZ-Sentry software interface, which is used for monitoring seismic activity in Central Asia. The interface is divided into several main sections:

- Map View (Left):** A topographic map of Central Asia showing the locations of seismic stations. Labeled cities include Taraz, Bishkek, Almaty, Namangan, Andijan, Kokand, Fergana, Jalalabad, Peshawar, Kohat, and Rawalpindi. The map shows a network of blue circular markers representing seismic stations across the region.
- Station Data Table (Middle-Right):** A table listing the parameters for various seismic stations. The columns are Type, Trigger(GMT), Site, Value, and Wa. The stations listed include ANAN, AKSU, CHAK, KAKS, KAYN, KCHK, KKOL, KZSU, KYZA, MLSU, NKAT, OKTR, TALS, TKMK, and TMCH.
- Seismic Waveforms (Right):** A series of seismic waveforms corresponding to the stations listed in the table. The x-axis represents time, with labels for 23:46:50, 23:47:00, and 23:47:10 on 2017-01-01.
- Console Window (Bottom-Right):** A window titled 'scmm@localhost' showing a log of system messages. The messages include database updates, inventory checks, and configuration updates for various components like 'eew#loc...', '#scinvtoc...', '#sccfgupd...', and '#scautopic...'. The messages are timestamped with the date and time.
- Taskbar (Bottom):** The Windows taskbar shows several open applications, including 'eew_onsiteview@localhost', 'scmm@localhost', and 'scrttv@localhost'.

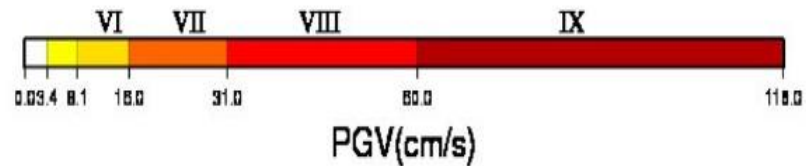
Decentralised OSEW in testing



◦ M=5 ◦ M=6 ◦ M=7

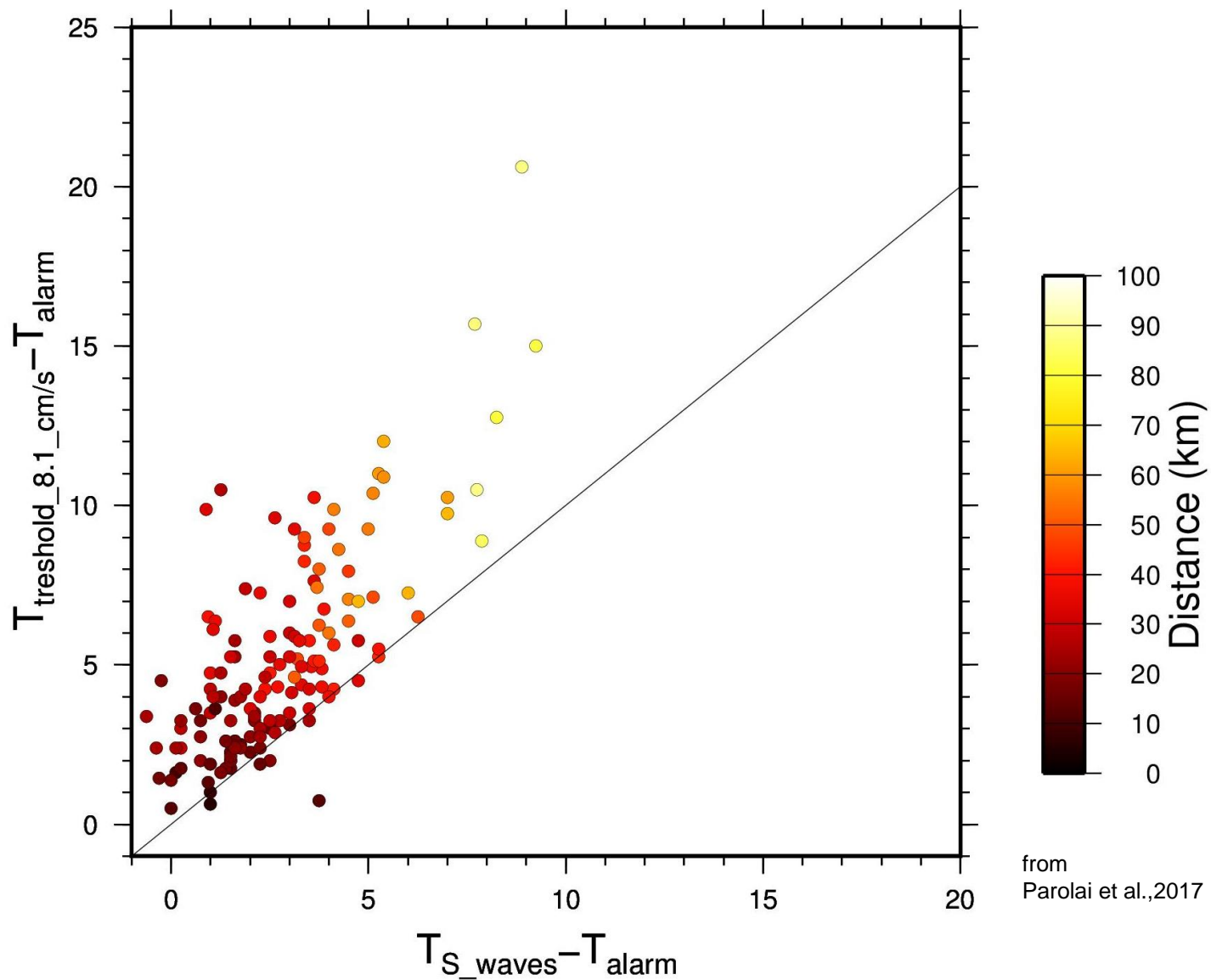


Macroseismic Intensity

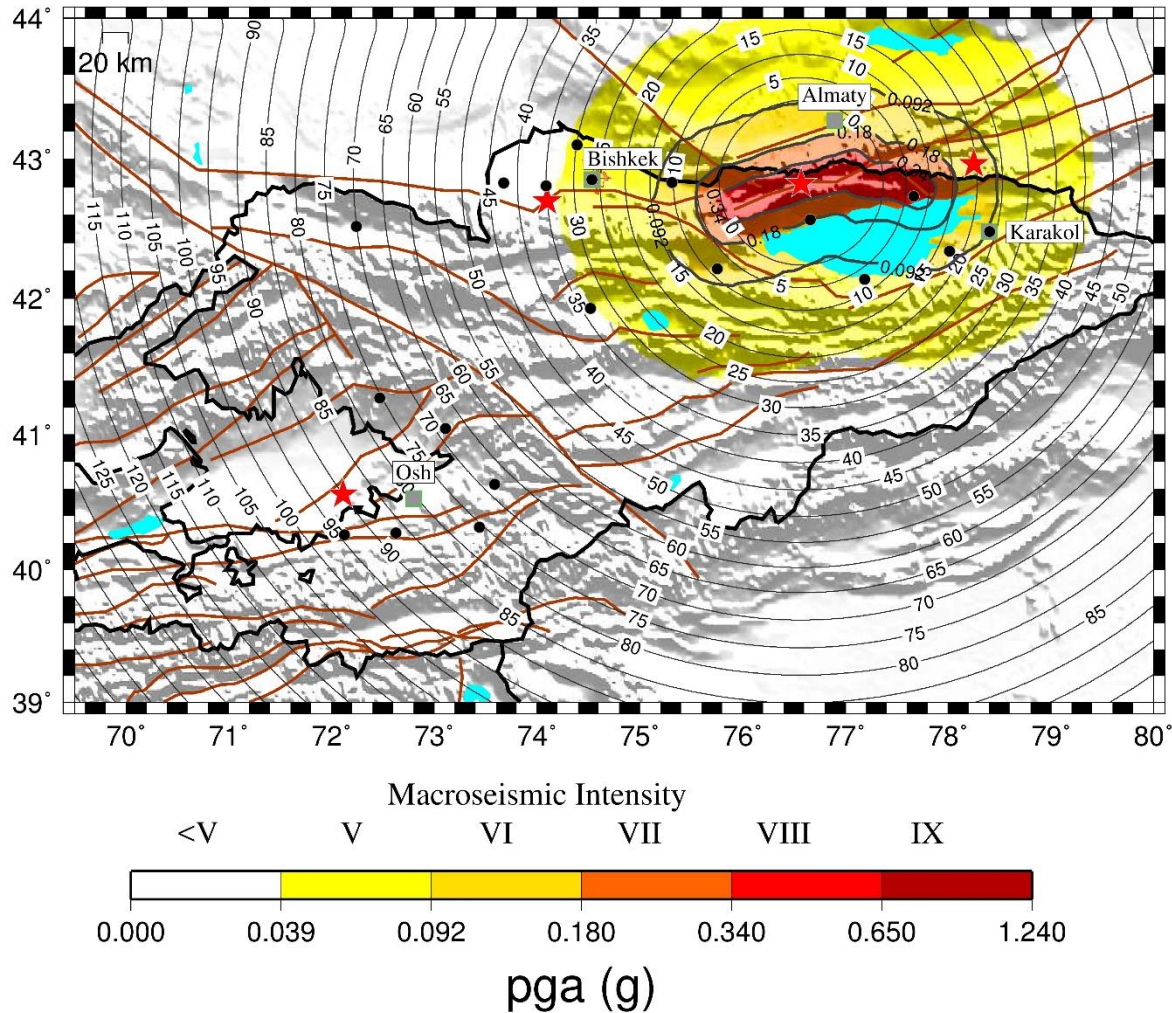


from Parolai et al.,2017, Frontiers

Application to KiK-Net and K-NET recordings



Offline application to Kyrgyzstan: Lead time for Repetition of the M 7.8 1911 Kemin Earthquake



from
Parolai et al., 2017, Frontiers

Event Parameters

Longitude [deg]

Latitude [deg]

Magnitude [mw]

Depth [km]

Source Point Extended

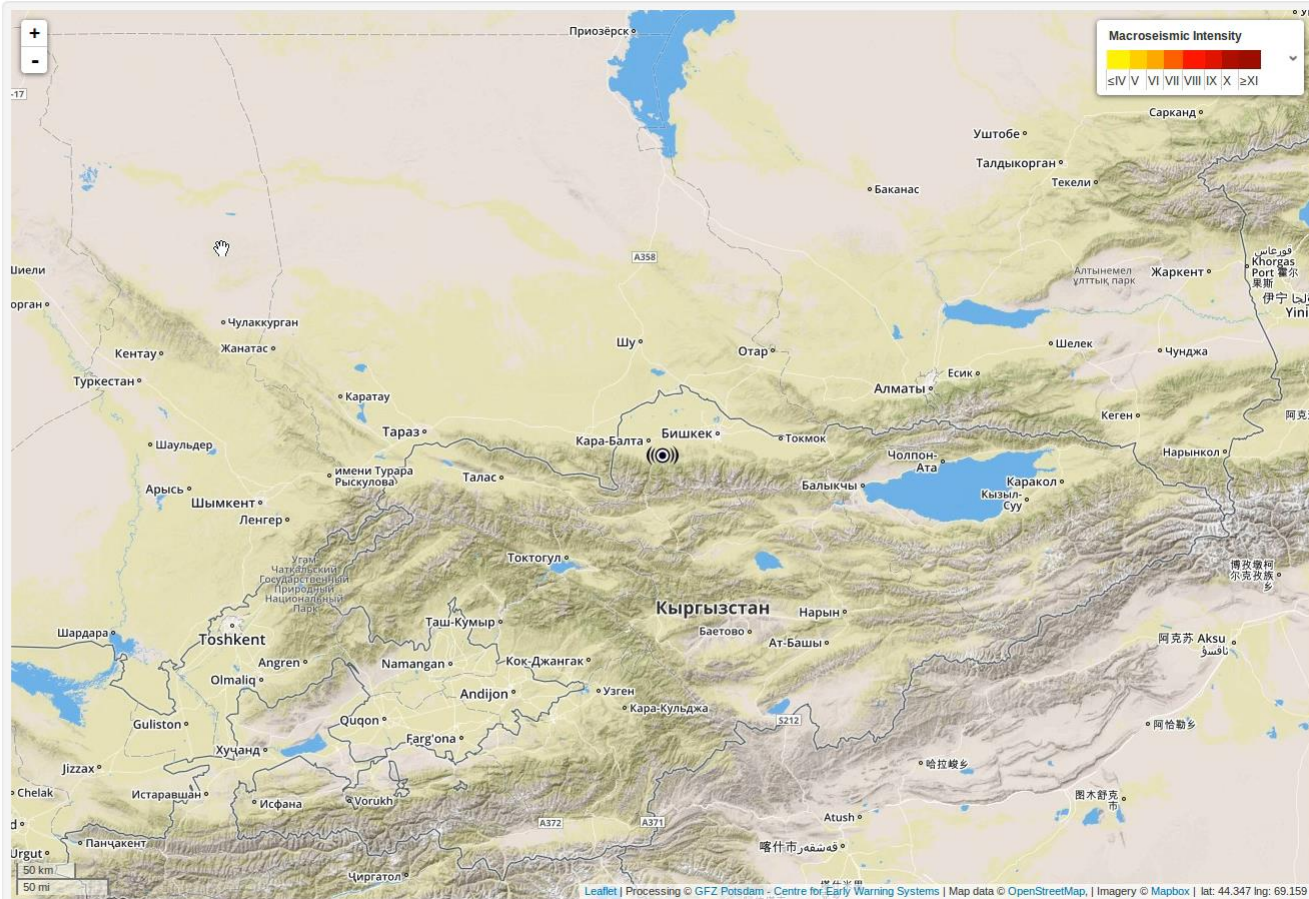
Model Parameters

Ipe GlobalWaHyp
 CentralAsiaEmca

Area where I > Iref
 Map current rect.

Ground motion only

▾



1976 Seismic Sequence

Area 5500 - Numero 107 - Lire 100

Messaggero Veneto

Venezia 7 maggio 1976

Catastrofico terremoto in Friuli

ALLE 21 UNA SCOSSA SISMICA DELL'OTTAVO GRADO DELLA SCALA MERCALLI HA DEVASTATO MAIANO, BUIA, GEMONA, OSOPPO, MAGNANO, ARTEGNA, COLLOREDO, TARCENTO, FORGARIA, VITO D'ASIO E MOLTI ALTRI PAESI DELLA PEDEMONTANA - GENEROSA OPERA DI SOCCORSO PER ESTRARRE LE VITTIME DALLE MACERIE - A UDINE E IN TUTTI I CENTRI DELLA REGIONE UNA NOTTE DI PAURA E DI VEGLIA ALL'APERTO - L'ALBA CI MOSTRA I SEGNI DELL'IMMANE DISASTRO



Il terremoto sismico in Friuli, nel 1976, ha avuto un'epicentro quasi sotto Udine. Le località colpite sono: Buias, Gemona, Osoppo, Magnano, Artegna, Colloredo, Tarcento, Forgaria, Vito d'Asio e molti altri paesi della Pedemontana. L'opera di soccorso per estrarre le vittime dalle macerie è in corso in tutti i centri della regione. A Udine e in tutti i centri della regione una notte di paura e di veglia all'aperto. L'alba ci mostra i segni dell'immane disastro.

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Origin time: 20:00:13 UTC
epicenter 46° 17' N - 13° 17' E
Depth: 5 - 12 km

Magnitude: 6.0 mb 6.5 Ms 6.4 ML
Epicentral intensity: X MKS

Max PGA recorded: 0,36 g

Felt at distance of : 579 km
Impact Area : 5.700 km²
Death toll: 989

People needing shelters: 110.000
Damage: 4.500.000 millions (lire in 1976)

Earthquakes recorded since 1977 (>33.000 events)

