

Introduction to ROOT: part 2

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Breve annuncio (per studenti di particelle exp)

- Ogni anno la [CSN1](https://web.infn.it/csn1/index.php/it/) (esperimenti ad acceleratori) dell'INFN offre O(10) borse di **3 mesi per progetti in lab internazionali**: CERN, KEK (Giappone), Fermilab (US), PSI (Svizzera), BEPC (Cina)
- Sono rivolte a **laureandi e/o neolaureati magistrali**.
- Progetti: presentati da ricercatori/prof. solitamente verso ottobre/novembre, generalmente **legati a progetti di tesi**.
- Bando esce a dicembre/gennaio, risultato selezione a fine marzo. Il progetto puo' essere fatto nel periodo da aprile a fine ottobre. Per farvi un'idea, [vedete quello del 2024.](https://web.infn.it/csn1/index.php/it/notizie/news/105-borse-trimestrali-2024)
- A Trieste abbiamo avuto un buon record di studenti vincitori. **Se interessati per il 2025, meglio prendere contatti già verso ottobre.**

Previous lesson

- Done a very quick (and incomplete) touch on $C++$. *NOT* sufficient to learn C++.
- Sufficient to follow the course. We will do very simple coding (might not be really C++ kosher).
- Important to understand basic concepts, such that you are not lost when navigating the ROOT class reference (eg. [https://root.cern.ch/doc/master/classTH1.html\)](https://root.cern.ch/doc/master/classTH1.html)
- Writing macros will come with examples.

Let's make a data analysis together

- We will learn ROOT by doing an analysis using (simulated) data from a real experiment, Belle II.
- Our goal is to see the signal peak of a rare *B* decay (branching fraction \sim 10⁻⁵):

$$
B^0\to K^+\pi^-
$$

• With ROOT we will optimise a selection to enhance our signal and measure its yield in our data.

Data from Belle II

• Collisions of $(7 + 4)$ GeV electron-positron beams at $\sqrt{s} \simeq 10.5794$ GeV

Data from Belle II

- Collisions of $(7 + 4)$ GeV electron-positron beams at $\sqrt{s} \simeq 10.5794$ GeV
- Belle/BaBar B factories: e+e- →Υ(4S)→BB *e+e-*→ hadrons produce ~28% of the times a → Υ(4*S*) *BB*

Data from Belle II **The Belle II detector**

• *B* mesons have a lifetime of ~1.5 ps^{*}: we detect the decay products.

New detector with respect to the predecessor Belle.

**how much does it travel in the detector?*

Data from Belle II Data fram Dalle II The typical transverse momentum resolution is (*p^T*)*/p*²

Data from Belle II

- We start from a txt file which contains the momenta of candidates kaon and pion of selected events (as measured in the CM of the $\Upsilon(4S)$ system)
- \cdot *B*⁰ → $K^+\pi^-$ candidates are searched for by computing the invariant mass of the kaon-pion system: the signal should peak at the expected B^0 mass.
- In $\Upsilon(4S) \rightarrow BB$ decays, the B mesons in the CM of $\Upsilon(4S)$, have both energy $\sqrt{s}/2$. Since this energy is well known, let's exploit it in the mass calculation, to have a better mass resolution:

$$
M = \sqrt{s/4 - |\vec{p}_B^*|^2}
$$

Our data

- We need to read the data from the txt file to compute the invariant mass for each event. Make a script for that.
- Need to be sure that we are correctly reading the file:
	- Am I opening the correct file?
	- Check the first 10 events (10 lines) while reading
	- Do I read all events?

• Nothing special ...

• The interesting part

• Closing…

• The output is

0917, 2.538330, 1.112480) 91277, -2.010950, 0.971655) 8590, -1.104200, 0.794310) $04699, -1.692360, -1.924470)$ 7320,1.170390,-1.053080) $4090, -0.841219, -1.938970$ $3390, -1.685850, -1.611190$ 79103, -1.581070, 1.750010) 31130, -0.024592, 1.990330) $5090, -1.016500, -1.899290$

- Download the material.
- Try the macro yourself. Try also to compile it and run.

Compute a momentum

• Look at computeP.C

Compute a momentum

• Look at computeP.C

Compute a momentum and an average

• Just std-library show-off

```
52
       //close input stream
       file_in.close();
53
54
                                         Number of elements in the vector// just print the total number
55
       cout << "Total data is: " << k p_all.size() k endl;
56
57
58
       //compute the mean of the K mometum
       //using the vector and the std library numeric
59
       double k_p mean = accumulate(k_p_all.begin(), k_p_all.end(), 0.0) / k_p_all.size();
60
61
       //now goes the mean in the squares, again with std library numeric
6263
       double k_p_meanSquares =inner_product(k_p_all.begin(), k_p_all.end(), k_p_all.begin(), 0.0) / k_p_all.size();
64
       //to get the standard deviation
65
       double k_p_stdDev = sqrt(k_p_meanSquares - k_p_mean * k_p_mean);66
67
       cout << "Mean value of K_p (GeV/c): " << k_p_mean << endl;
68
       cout << "Std dev of K_p (GeV/c): " << k_p_stdDev << endl;
69
70
       return;
71
72
73 }
```
Compute a momentum and an average

…and what do you expect???

Notice: $m(B) = 5280 \text{ MeV/c}^2$, $m(K) = 494 \text{ MeV/c}^2$, $m(\pi) = 140 \text{ MeV/c}^2$

Compute a momentum and an average

• The output

• Take histoP.C

• Can take a lot of information from the histogram

• The output

- Plot the histogram yourself.
- What happens if:
	- ‣ you use 40000 o 4 bins?
	- ‣ you change the range to be 0.0–2.0 or 2.6–4.0 GeV/c?
- Let's explore the histogram "live"

Saving data in a ROOT format

- Can save data (and any ROOT object) in a compressed binary form in a ROOT file.
- ROOT provides a tree-like data structure, extremely powerful for fast access of huge amounts of data. ROOT files can have a sub-structure: they can contain directories.
- The file is in a **machine-independent** compressed binary format, including both data and their description

Data structures

- Simple model: many copies of the same linear data-structure (a "record"), ending up into a bidimensional data structure (a "table").
- The tables are named "n-tuples", as in mathematics, the records are called "events", as in physics, and the column headers are called "variables", as in computer science.
- ROOT provides more than n-tuples, "tree": same data structure used in OS to save files into folders that may contain other folders.
- A tree have "branches": simple variables or more complex objects
- A variable is the end point of a branch, a "leaf" in the ROOT jargon.

• Take makeTree.C

• Here it is the structure of our tree:

• Fill the tree

```
while (file_in.is_open()){
56
57
            file_in \gg k_px \gg k_py \gg k_pz58
                     >> pi_px >> pi_py >> pi_pz;
59
60
            if(file_in.eof()) break;
61
62TVector3 k_3p(k_px,k_py,k_pz);
63
64k_p = k_3p.Mag();CONTRACTOR
65
66
            h_p->Fill(k_p);67
            dataTree->Fill();
68
69
            ++icand;
70
        \mathcal{Y}71
```
• Save in a ROOT file. We can also store the histogram.

Exercises

- We still have to see a signal peak...
- Let's build the variables. Calculate the mass M defined in slide 10, by using the class [TLorentzVector.](https://root.cern.ch/doc/master/classTLorentzVector.html)
- Another useful variable is the difference between the B-candidate energy in the CMS and half of the collision energy, $\Delta E = E^* - \sqrt{s}/2.$ Calculate the variable.
- Plot the distribution of M and that of ΔE into two canvas. Is this what you expected? Describe the distributions (mean, standard dev…).
- Add the variable to your tree, and save the tree in a file, adding also the two canvas showing the distributions.