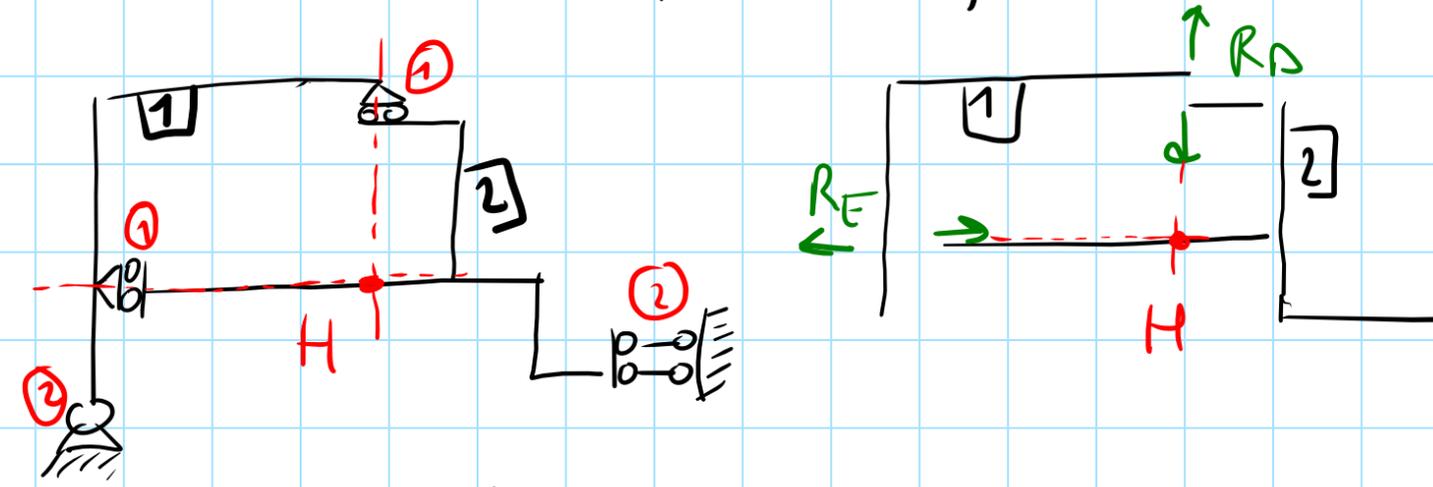


PROSEGUIAMO CON L' ARCO GEN. A 3 CERNIERE.

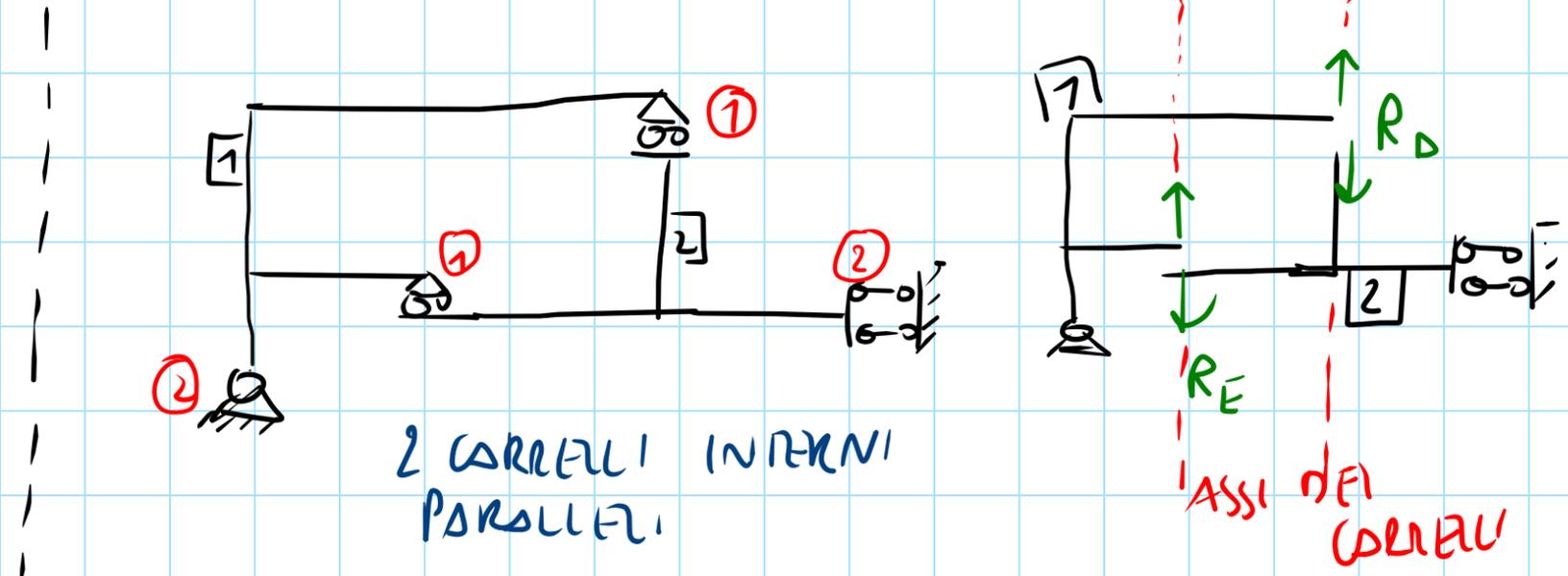
NEL CASO IN CUI I VINCOLI INTERNI ($\nu_{int} = 2$) SIANO COSTITUITI DA 2 VINCOLI SEMPLICI (2 CARRELLI/PENDOLI) POSSIAMO AVERE QUESTI CASI:



IL PUNTO H (INTERSEZIONE) DEGLI ASSI DEI CARRELLI PUO' ESSERE VISTO COME UNA CERNIERA 'IDEALE'

L'EQ. AUSILIARIA E' :
 \vec{H} DI [1] (o [2])

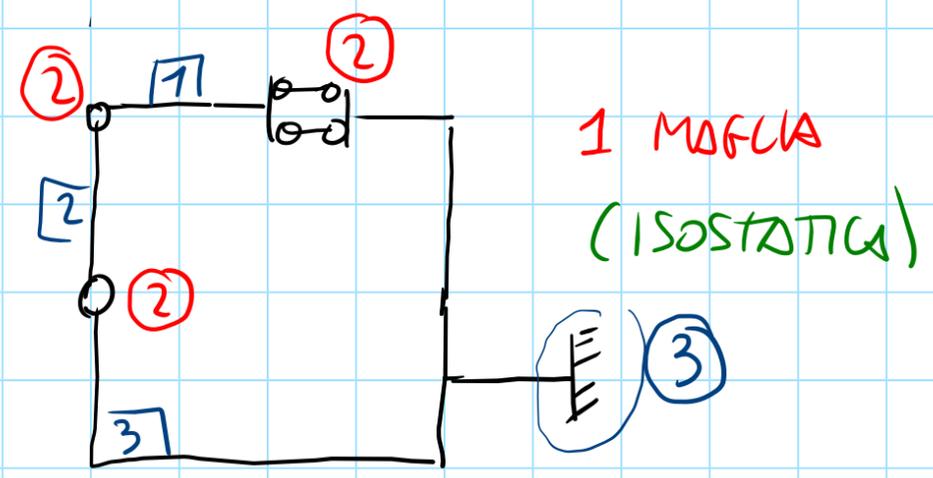
Come se ci fosse cerniera in H



I DUE CARRELLI SONO EQUIVALENTI AD UN DOPPIO PENDOLO INTERNO

L'EQ. AUSILIARIA SARA' \vec{H} DI [1] (o [2]). LA DIREZ. ORIZZ. E' QUELLA \perp ALLA DIREZ. DEGLI ASSI DEI CARRELLI

- STRUTTURE "CHIUSE" (LA LINEA D'ASSE DELLA TRAVATURA SI CHIUDE SU SE STESSA FORMANDO UNA O PIU' "MAGLIE")

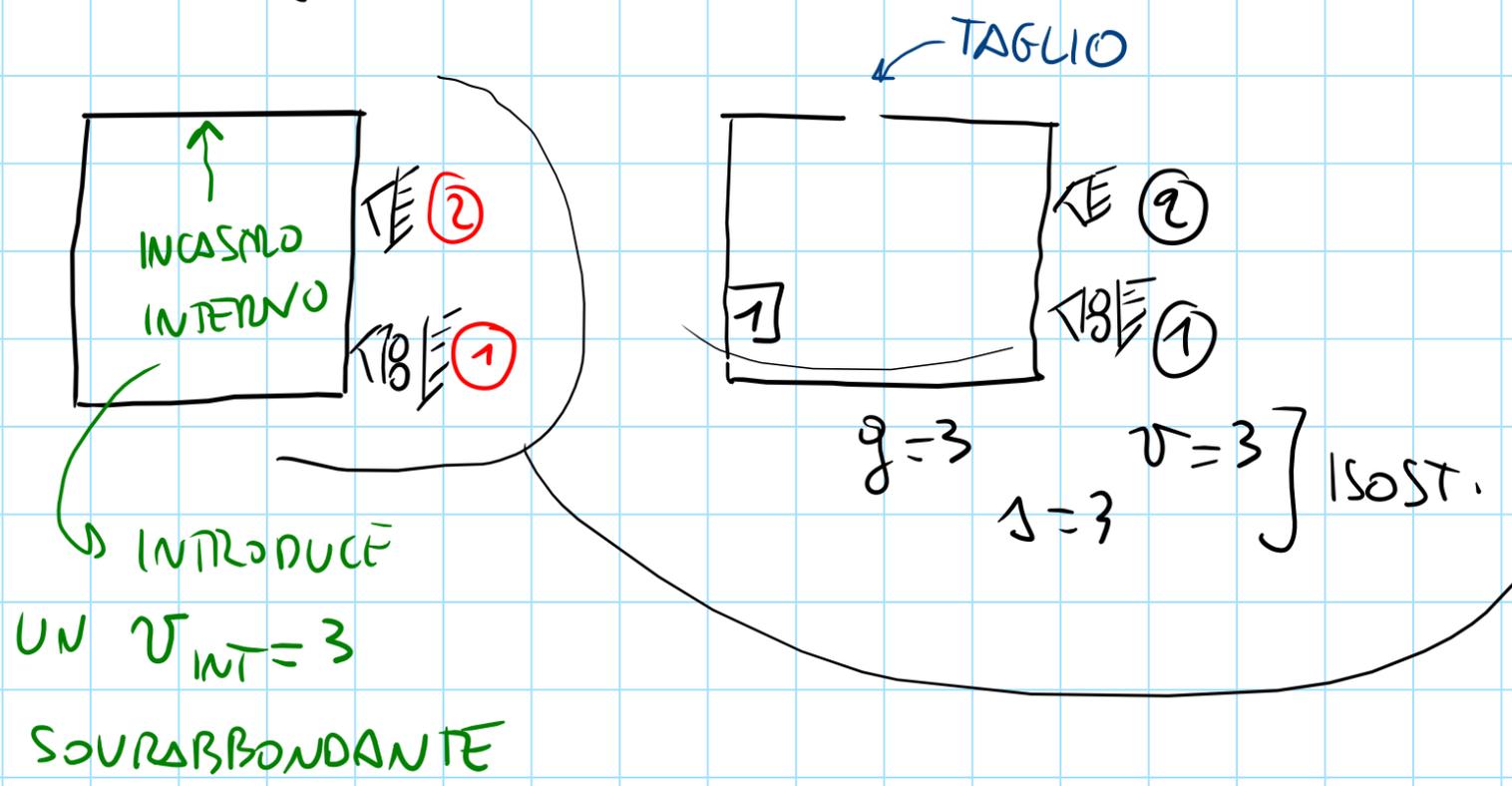


$$g = 3$$

$$v = v_e + v_i = 3 + 6 = 9$$

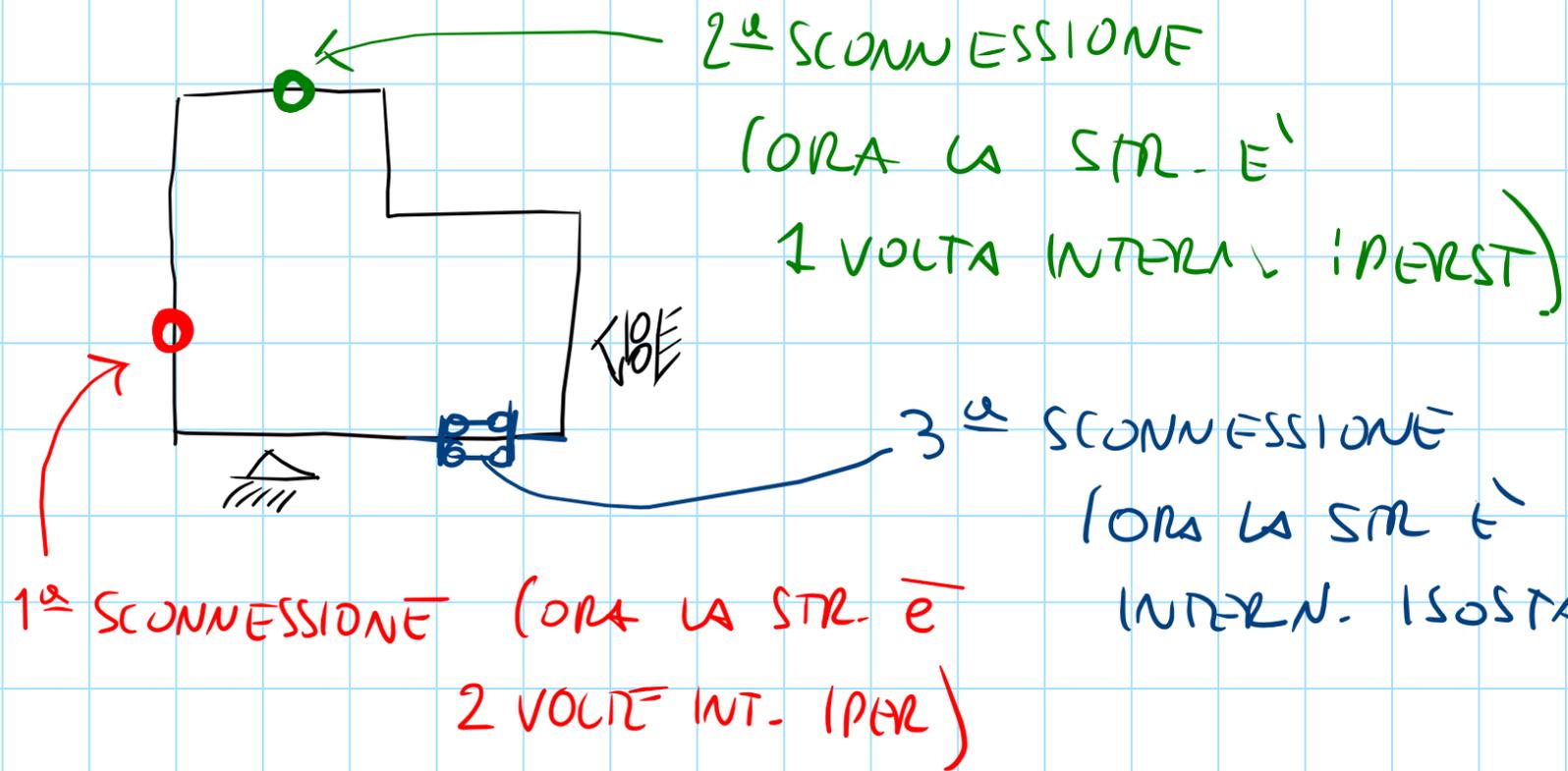
$$\Delta = 9 \text{ (NE PARLIAMO DOPO)}$$

VEDIAMO COME OTTENERE UNA SM CHIUSA ISOST. CON UN PANNELLO, ALTERNATIVO.



CLASSIFICAZIONE:
STR. ESTERN. ISOSTATICA
MA INTERN. 3 VOLTE IPERST.

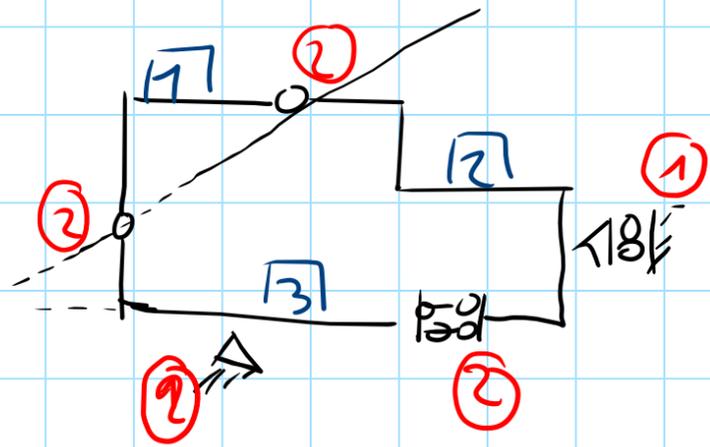
UNA MAGLIA CONTINUA HA AL SUO INTERNO UN $v_{INT} = 3$ (3 VOLTE INTERN. IPERSTATICA)



SCONNESSIONE: VINCULO DOPILO CHE SOSTITUISCE L'INCOSTRO "INTERNO"

UNA STR. CHIUSA ISOSTATICA DEVE ESSERE CONTEMPORANEAM. ISO ESTERN. E ISO INTERN.

CON IL SOLITO METODO:



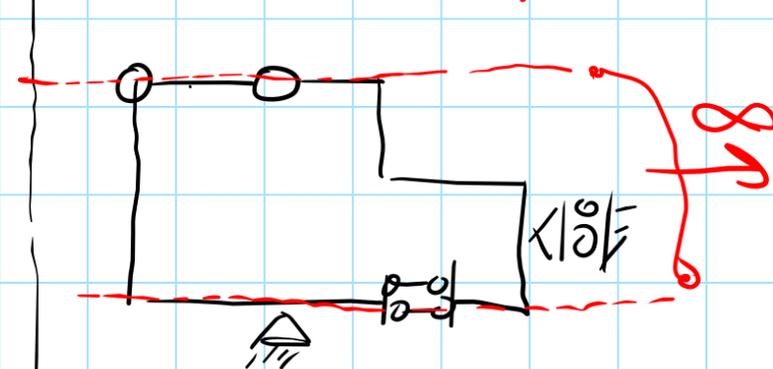
$$\begin{aligned}
 g &= 9 \\
 n_{est} &= 3 \\
 r_{int} &= 6 \\
 \} v &= 9
 \end{aligned}$$

$$\Delta = 9 \quad (\text{VEDIAMO PERCHÈ})$$

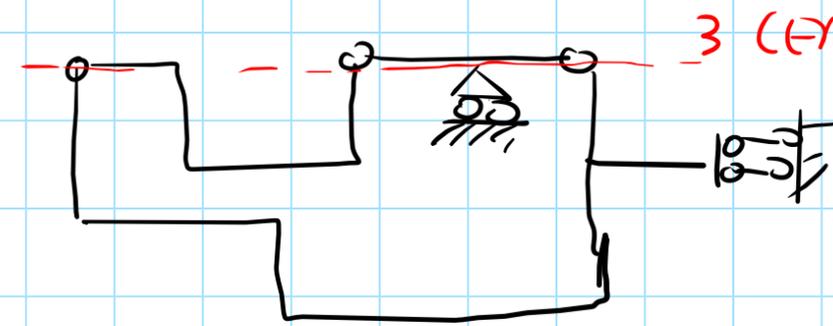
(*) : VINCOLI EST. BEN DISPOSTI

3 VINCOLI DOPLI INTERNI CON ALLINEAM. DEI CENTRI (C.I.R.) NON AMMISSIBILE

CASO CRITICO:

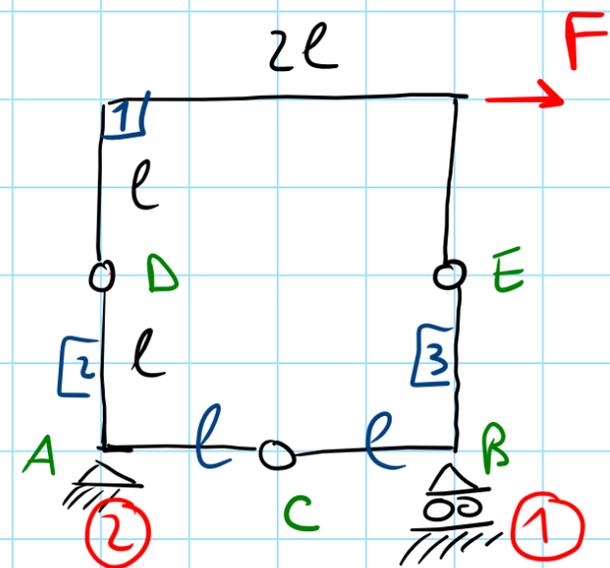


ALLIN. CENTRIE
 ⇒ ASSE
 DOPLIO PENDOLO



3 CENTRIE
 INTERNE
 ALLINEATE

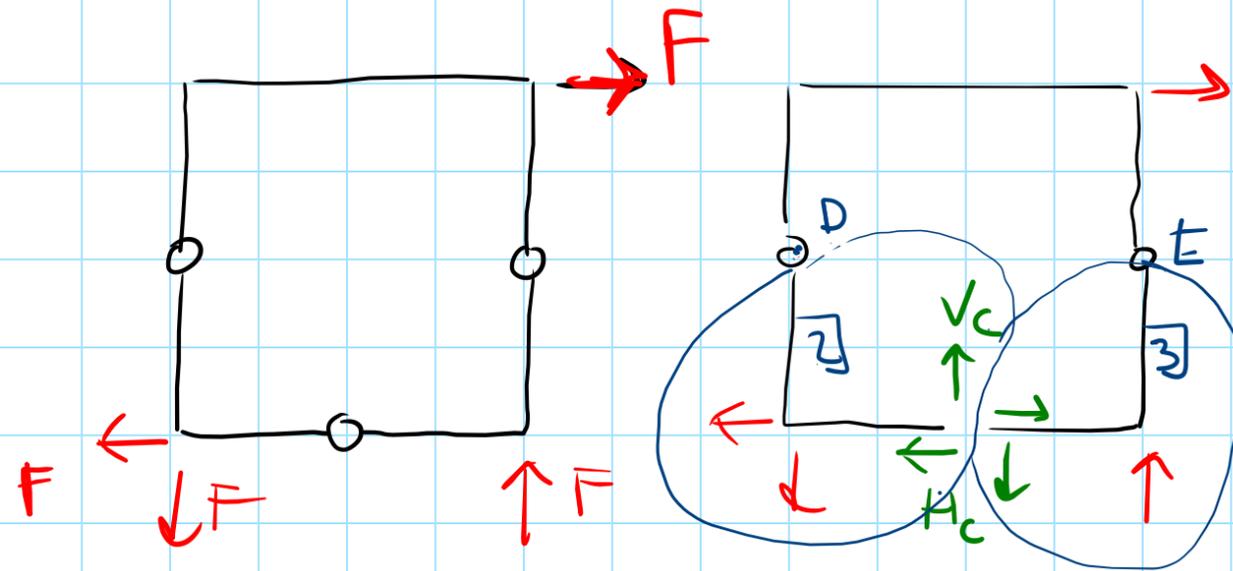
ESERCIZIO



$$g = 9$$

$$v = 6 + \overset{N_{EST}}{3} = 9$$

$$s = 9$$



TATTICA: QUALE N° MINIMO DI EQUAZ. POSSO SCRIVERE PER CALCOLO LE REAZ. ESISTENTE?

RISP. 3! ECS. "ESISTENTE"

POI, "APRO" LA STRUTT. IN CORRISP. DI UNO DEI VINCOLI INTERNI. (SCELGO C)

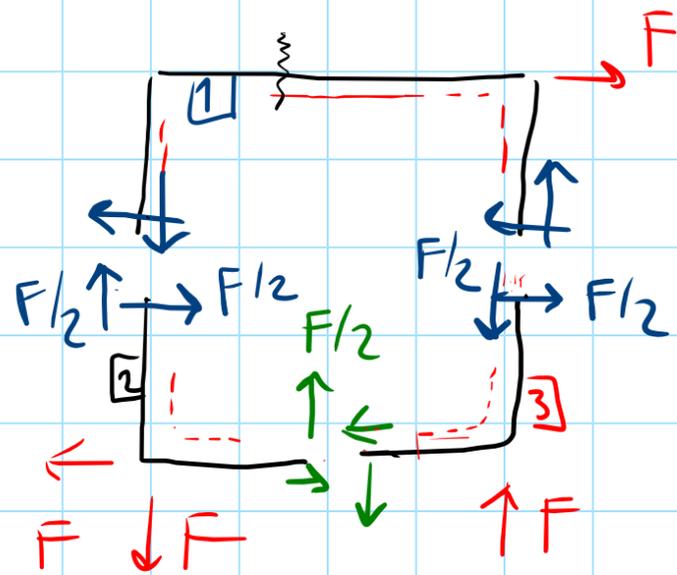
→ SFRUITO EQ. AUSILIARIE RISP. AI DUE VINCOLI INTERNI

RIMASTI:

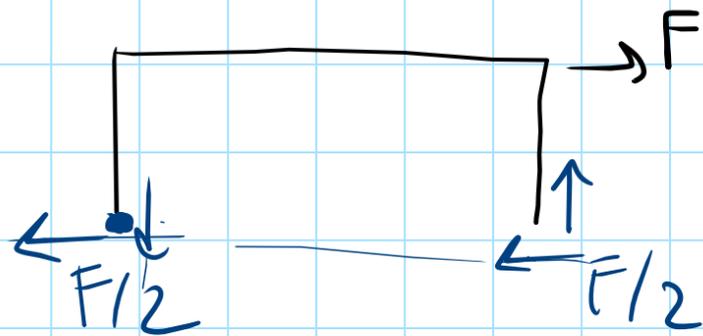
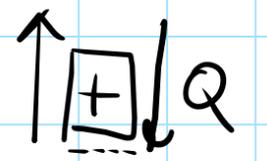
$$\begin{cases} + \curvearrowright D [2] : +V_c l - H_c l - Fl = 0 \\ + \curvearrowright E [3] : +V_c l + H_c l = 0 \end{cases}$$

$$\Rightarrow \begin{cases} V_c = +F/2 \\ H_c = -F/2 \end{cases}$$

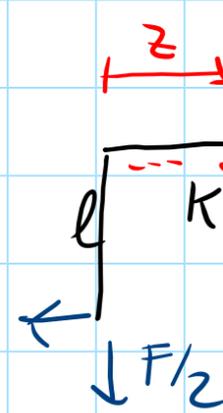
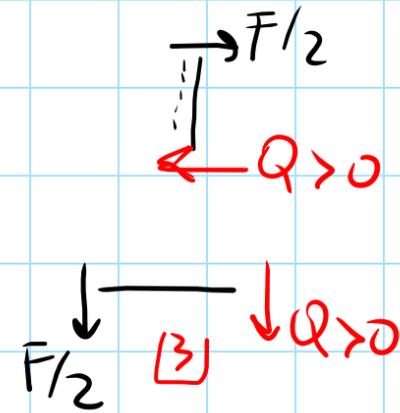
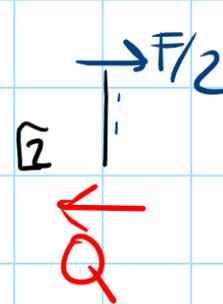
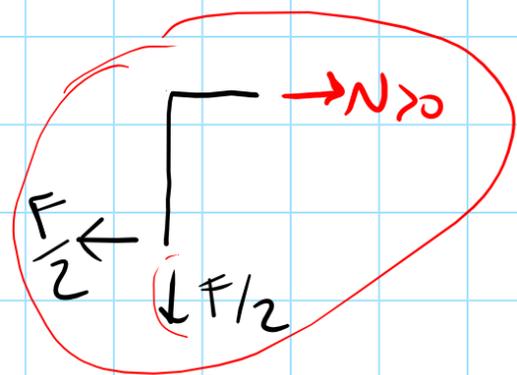
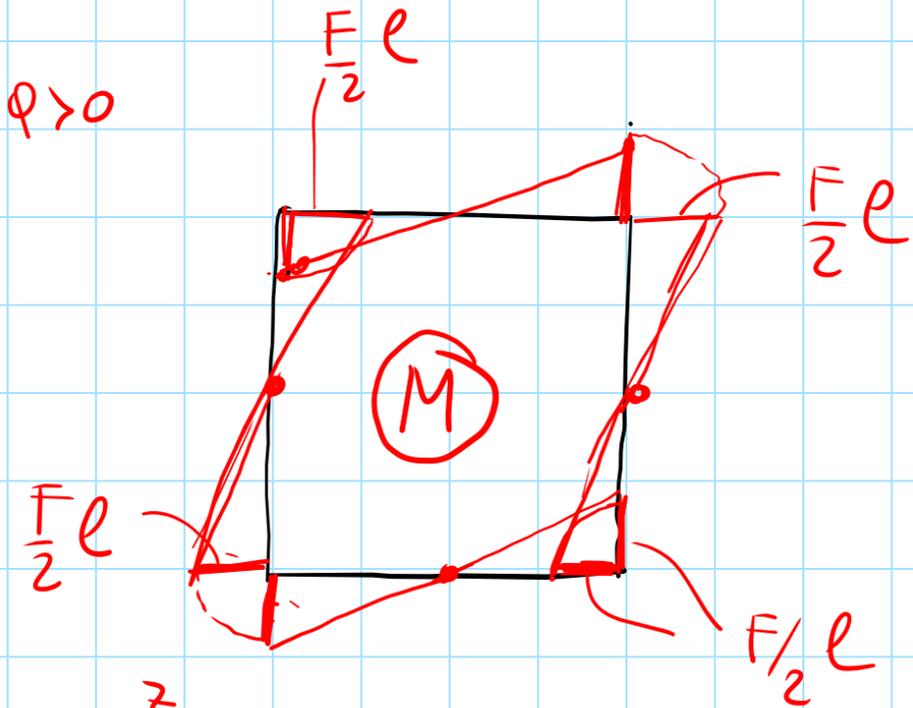
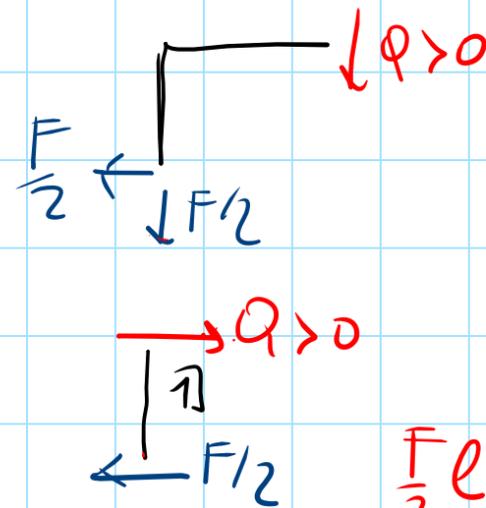
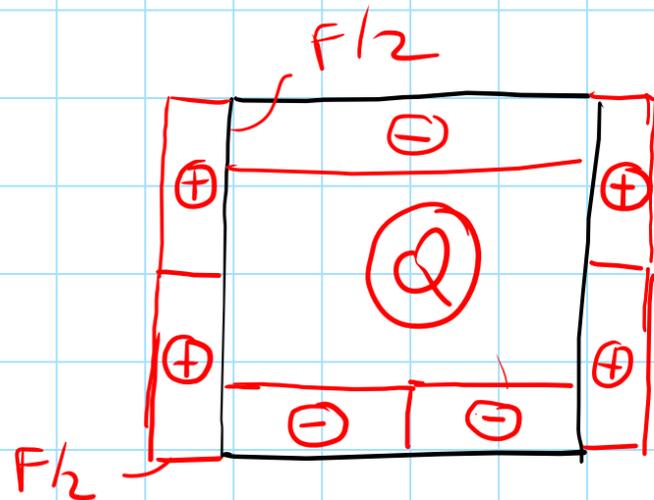
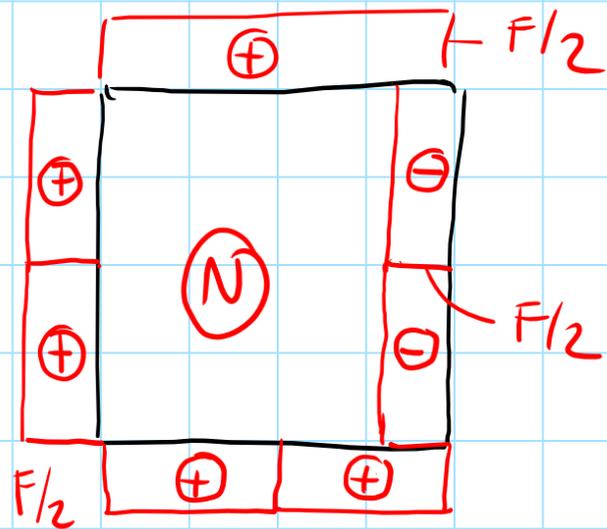
ORA CONSIDERO L'EQUIL. DEL CORPO [2] e DEL CORPO [3] e CALCOLO LE REAZ. IN D e E



ORA IL CORPO \square DEVE ESSERE IN EQUILIBRIO



OK! IN EQUIL.



$$\sum \mathcal{M}(z) \curvearrowleft : -\frac{F}{2}l + \frac{F}{2}z + M(z) = 0$$

$$M(z) = \frac{F}{2}(l-z)$$

$$\begin{cases} M(0) = +\frac{F}{2}l \\ M(2l) = -\frac{F}{2}l \end{cases}$$