

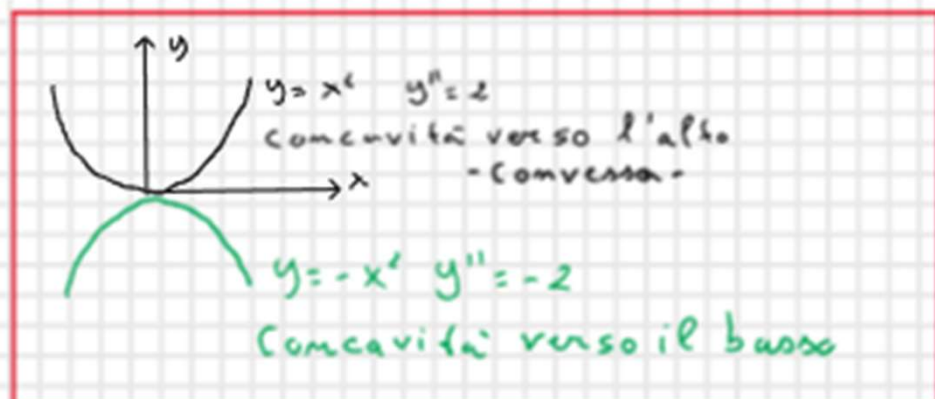
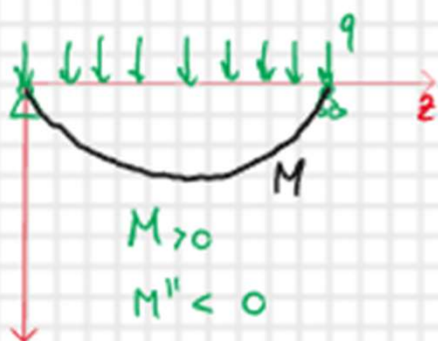
Titolo:

Nota $\frac{dQ(z)}{dz} = -q(z)$

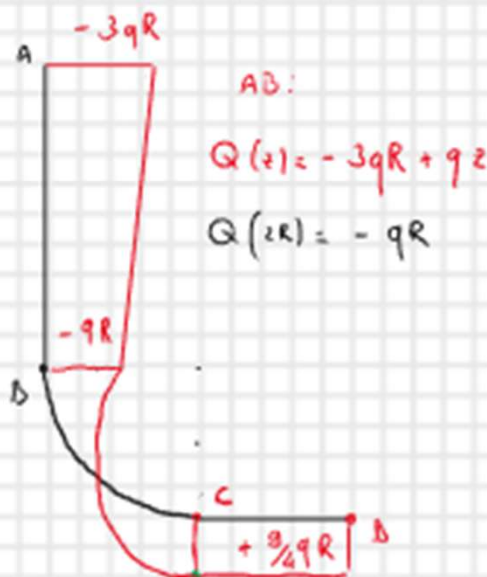
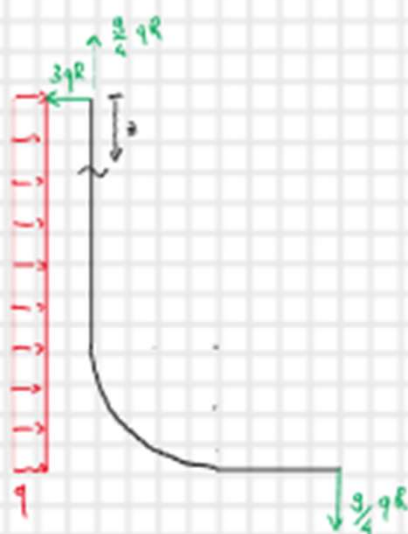
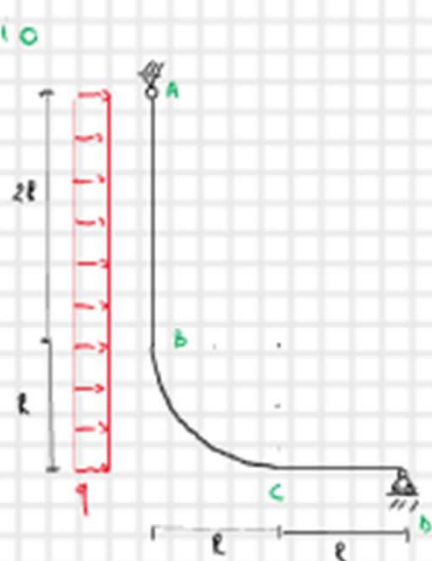
$\frac{dM(z)}{dz} = Q(z)$

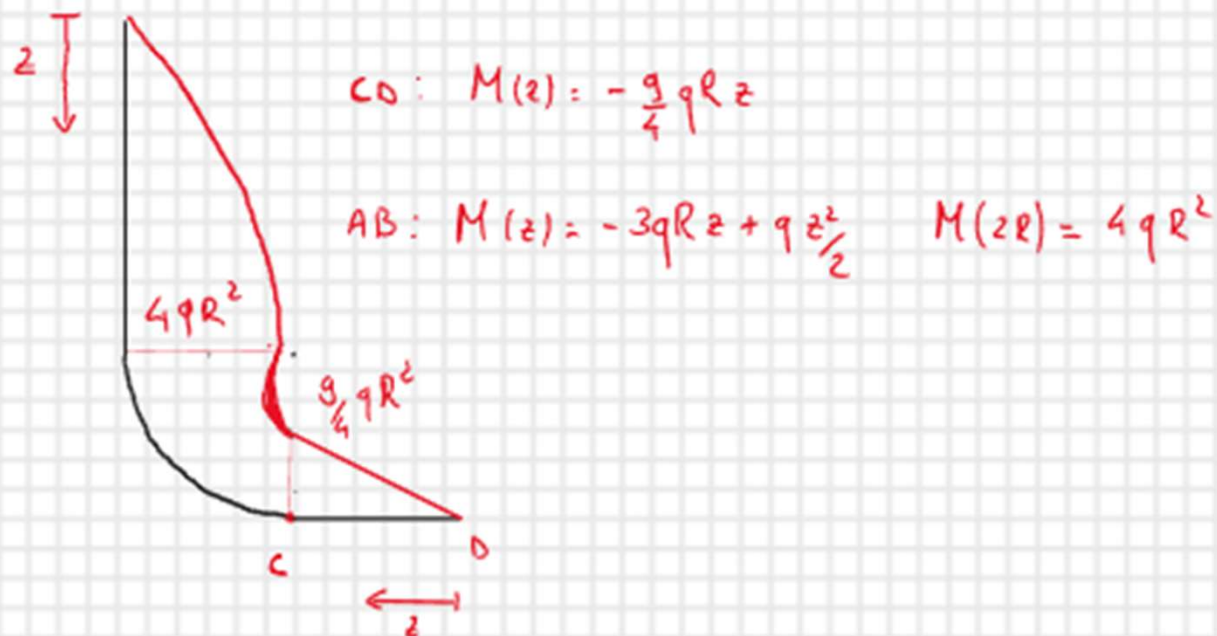
$\frac{d^2M(z)}{dz^2} = -q(z)$ **Concavità**

quando $q(z) > 0$
 $\frac{d^2M(z)}{dz^2} < 0$ } **concavità verso il basso**

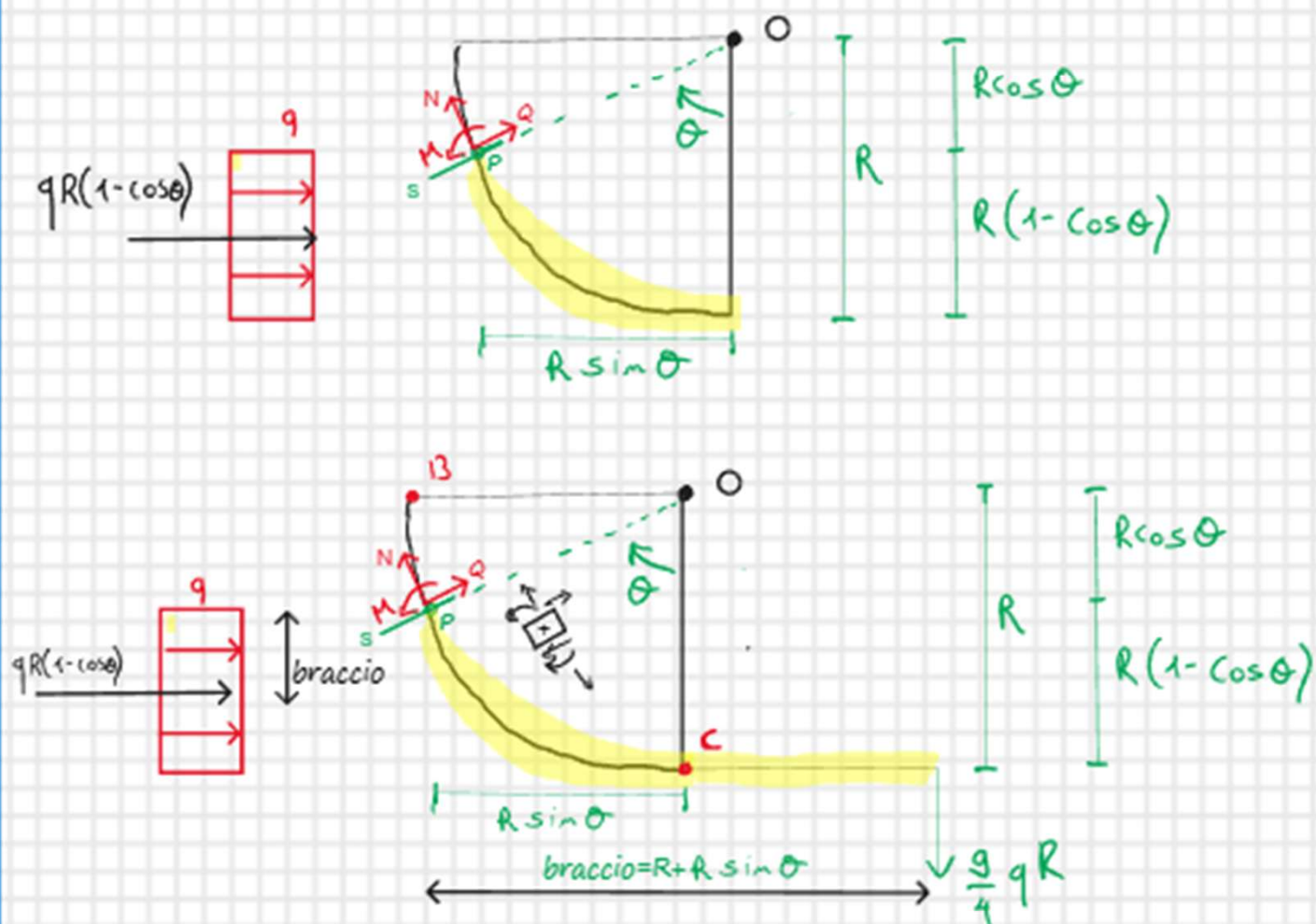


Esercizio

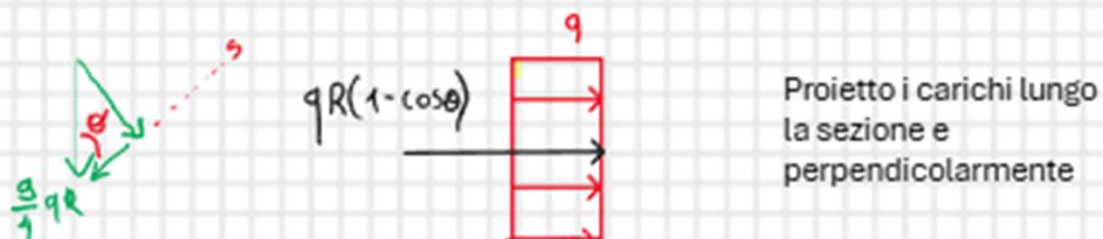




Studio del tratto curvo CD



Equilibrio della parte di struttura evidenziata in giallo



Azione assiale

$$N(\theta) - \frac{g}{4} q R \sin \theta - q R (1 - \cos \theta) \cos \theta = 0$$

$$N(\theta) = \frac{g}{4} q R \sin \theta + q R (1 - \cos \theta) \cos \theta$$

$$N(0) = 0 \quad N\left(\frac{\pi}{2}\right) = \frac{g}{4} q R$$

Equilibrio lungo
l'asse della trave

Taglio

$$Q(\theta) - \frac{g}{4} q R \cos \theta + q R (1 - \cos \theta) \sin \theta = 0$$

$$Q(\theta) = \frac{g}{4} q R \cos \theta - q R (1 - \cos \theta) \sin \theta$$

$$Q(0) = \frac{g}{4} q R \quad Q\left(\frac{\pi}{2}\right) = -q R$$

Equilibrio lungo la
direzione
perpendicolare
all'asse della trave

Momento flettente

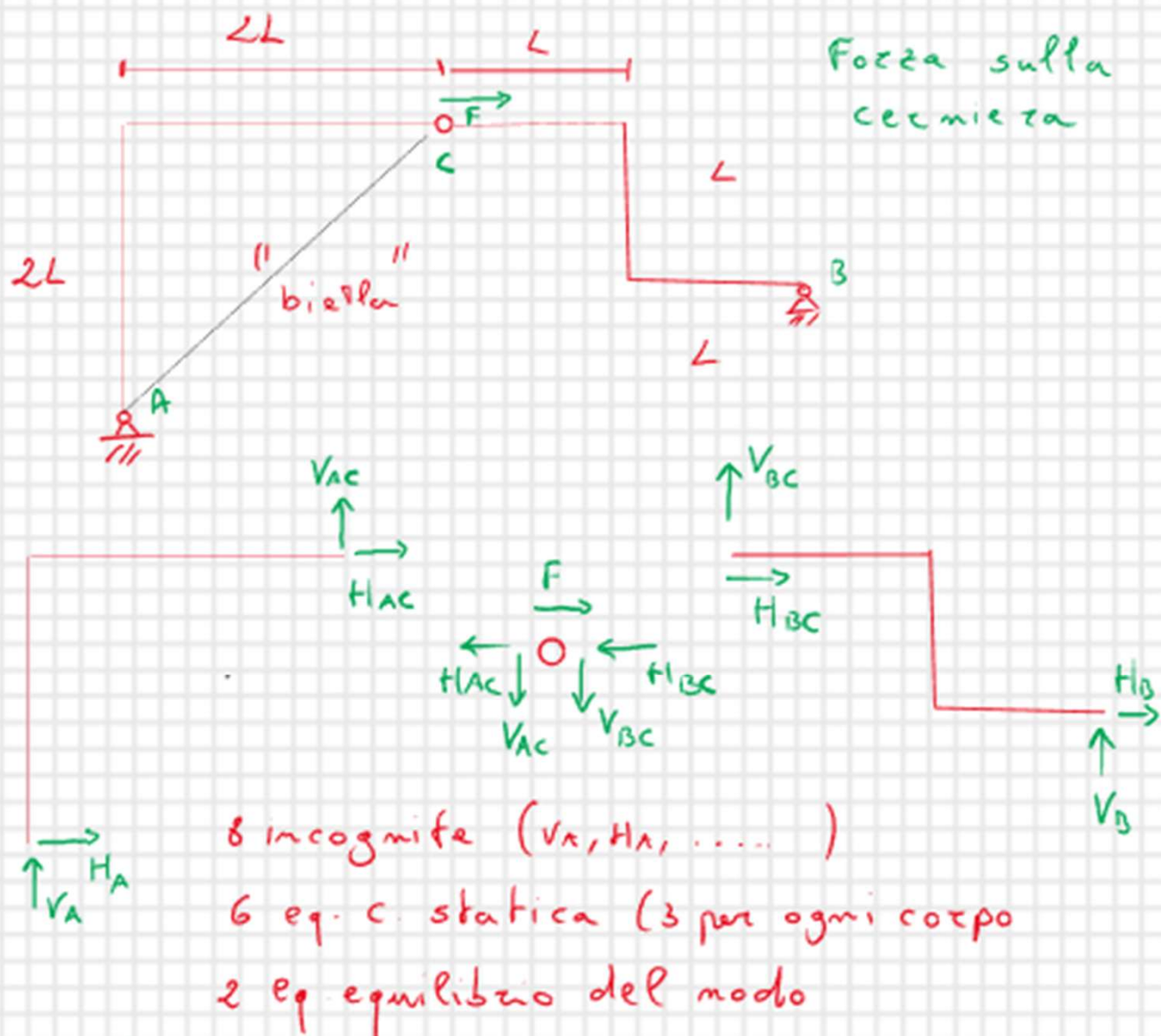
$$M(\theta) - \frac{g}{4} q R^2 (1 + \sin \theta) + q R^2 (1 - \cos \theta) \frac{(1 - \cos \theta)}{2} = 0$$

$$M(\theta) = \frac{g}{4} q R^2 (1 + \sin \theta) - q R^2 \frac{(1 - \cos \theta)^2}{2}$$

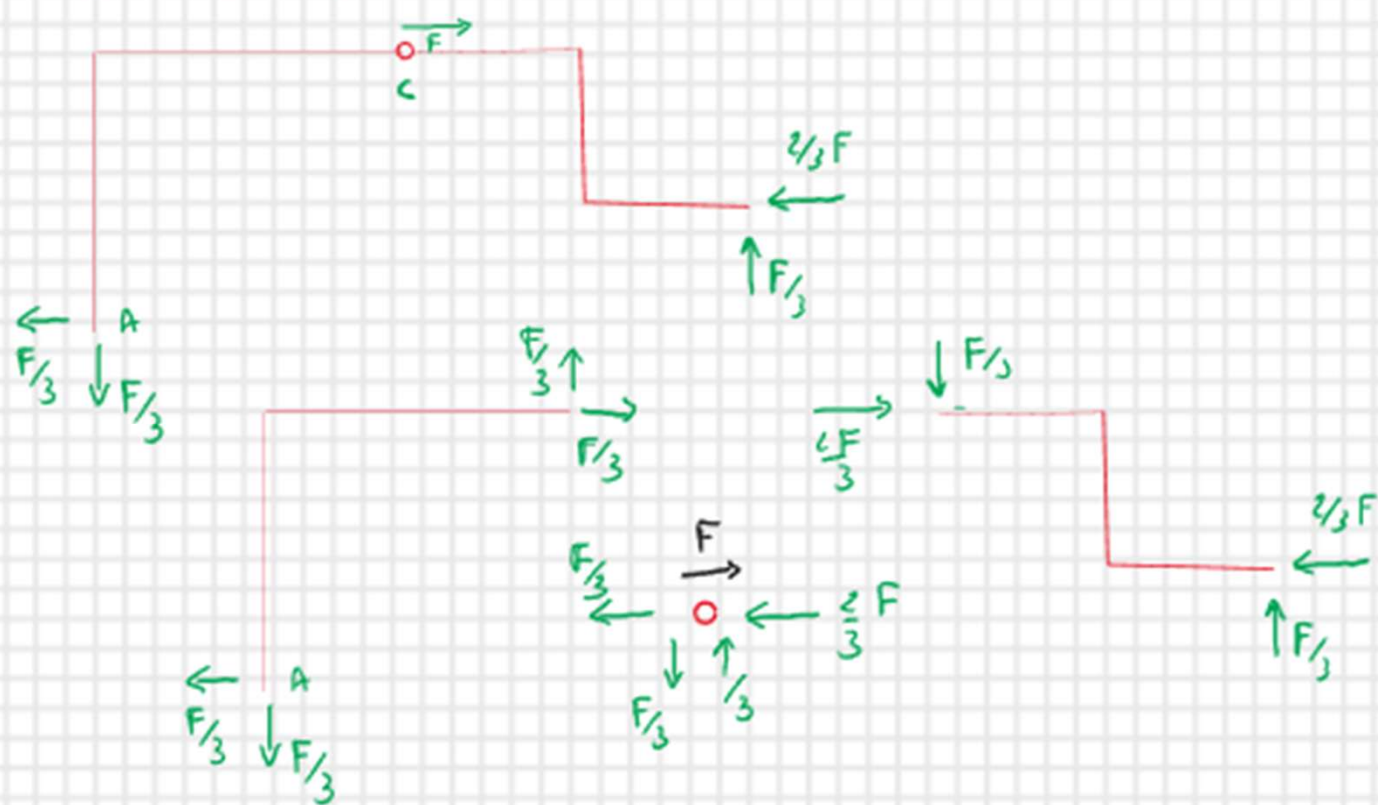
$$M(0) = \frac{g}{4} q R^2 \quad M\left(\frac{\pi}{2}\right) = 4 q R^2$$

Equilibrio intorno al
centro della sezione
l'asse della trave

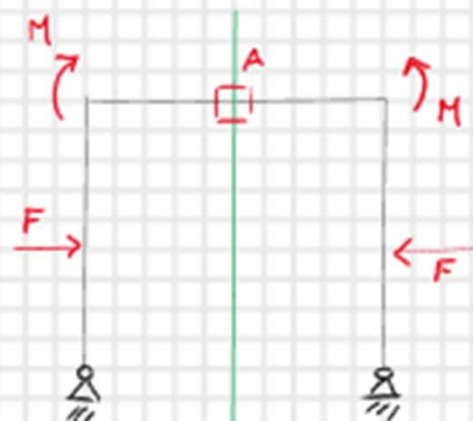
Struttura con carico concentrato sul vincolo interno (cerniera)



Soluzione



Introduzione alla simmetria strutturale

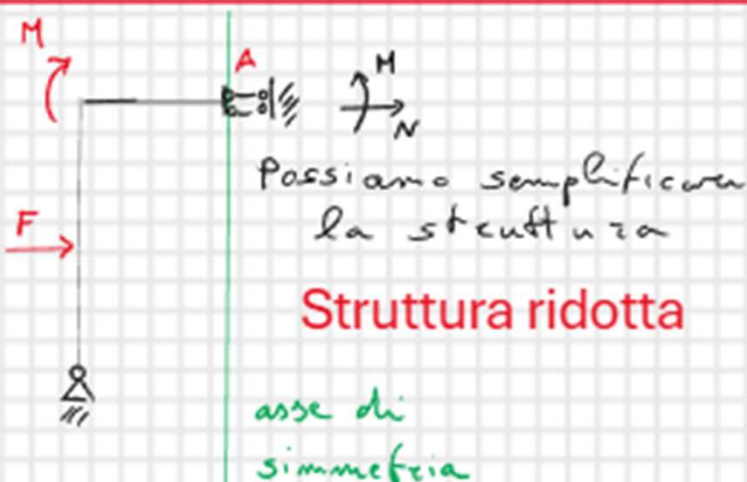


asse di
simmetria



- 1) Struttura simmetrica
- 2) Carichi simmetrici

Reazioni vincolari
spostamenti
CAS } simmetrici



asse di
simmetria



- 1) Struttura simmetrica
- 2) Carichi antisimmetrici

solo azioni antisimmetriche



Carichi concentrati sull'asse di simmetria

